

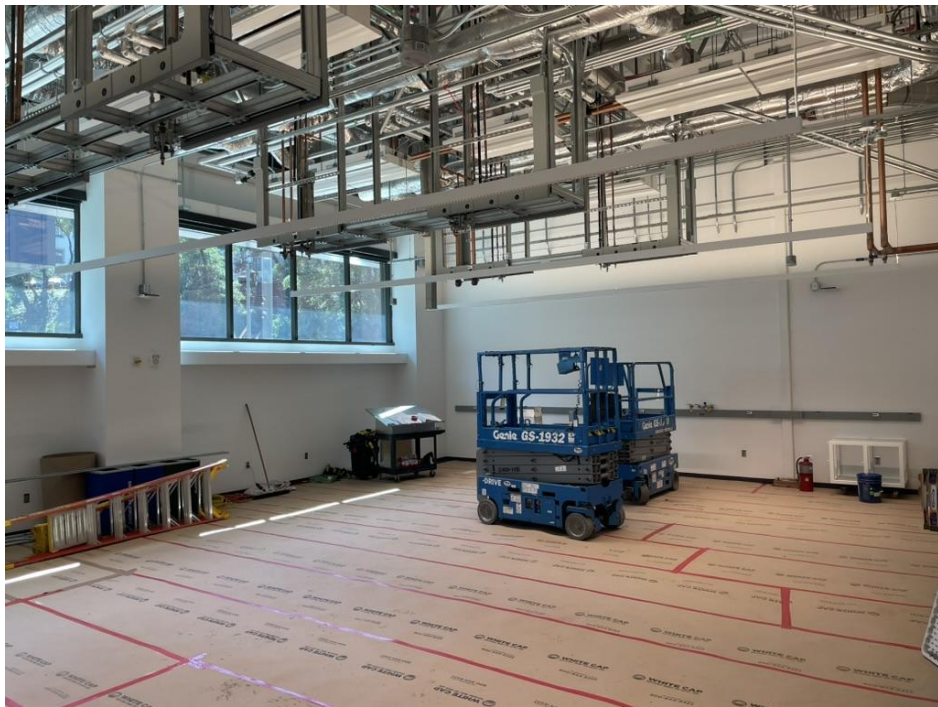
Nuclear quantum optics: the QuIPS experiment

Daniel Carney

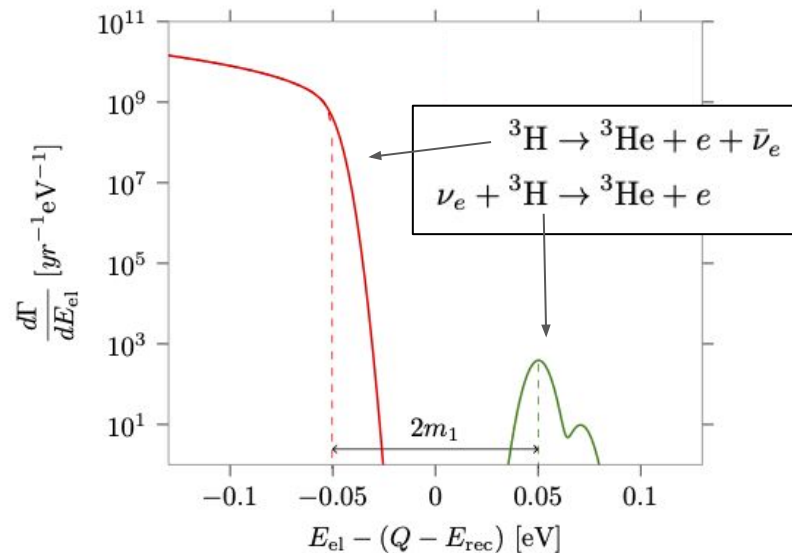
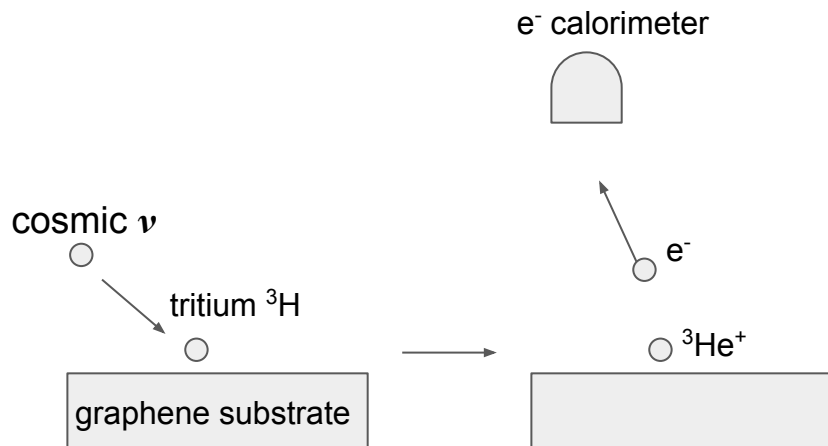


GORDON AND BETTY
MOORE
FOUNDATION

Life update



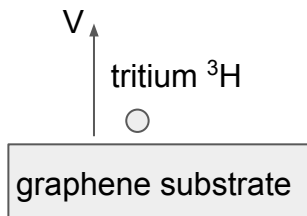
Quantum mechanics vs. cosmic neutrinos



Weinberg 1962

Cheipesh, Cheianov, Boyarsky 2021

Quantum mechanics vs. cosmic neutrinos

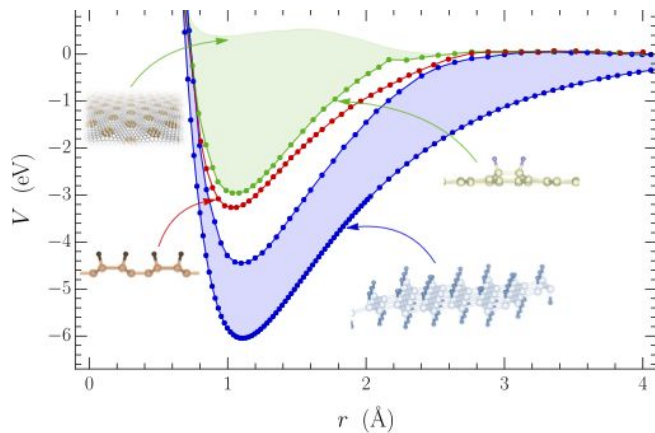


Tritium is bound in a potential generated by the graphene. Ground state wavefunction:

$$\Delta x \sim 1 \text{ angstrom} \rightarrow \Delta p > 1 \text{ keV}$$

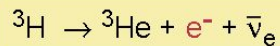
by **Heisenberg uncertainty**. But this produces a final-state uncertainty $\Delta E_e > 1 \text{ eV}$.

→ **no way to resolve the $\sim 100 \text{ meV}$ shift from neutrino mass.**



How about a neutrino mass measurement?

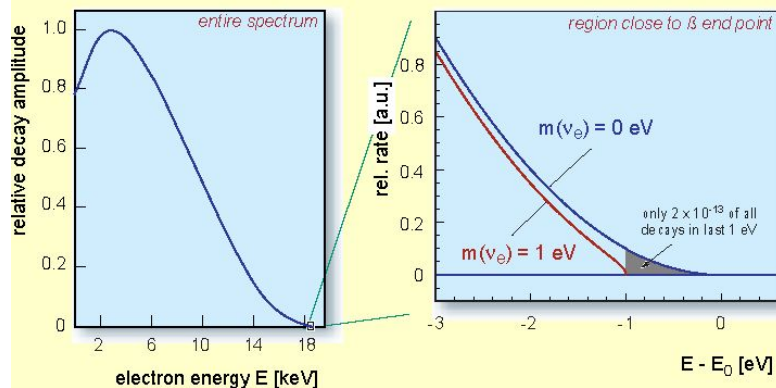
tritium β -decay and the neutrino rest mass



superallowed

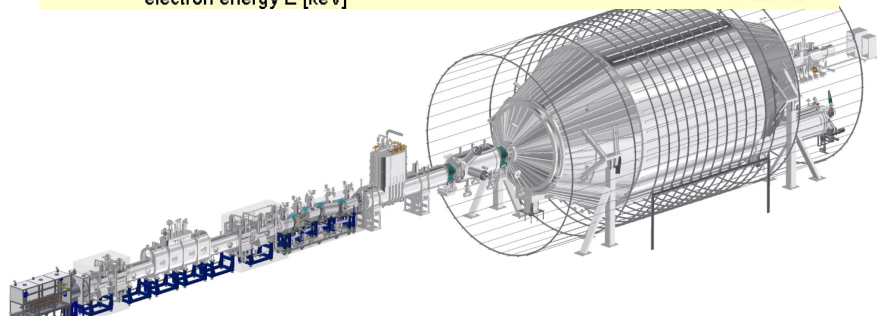
half life : $t_{1/2} = 12.32 \text{ a}$

β end point energy : $E_0 = 18.57 \text{ keV}$



Even for a more “humble” measurement—the neutrino mass—same basic issue

Typical experiment (PTOLEMY, KATRIN, Project 8, ...) goal is to detect $\sim 100 \text{ meV}$ shift in the beta spectrum endpoint



Recap and what's next

Quantum effects limiting detection of small neutrino effects in radioactive decays:

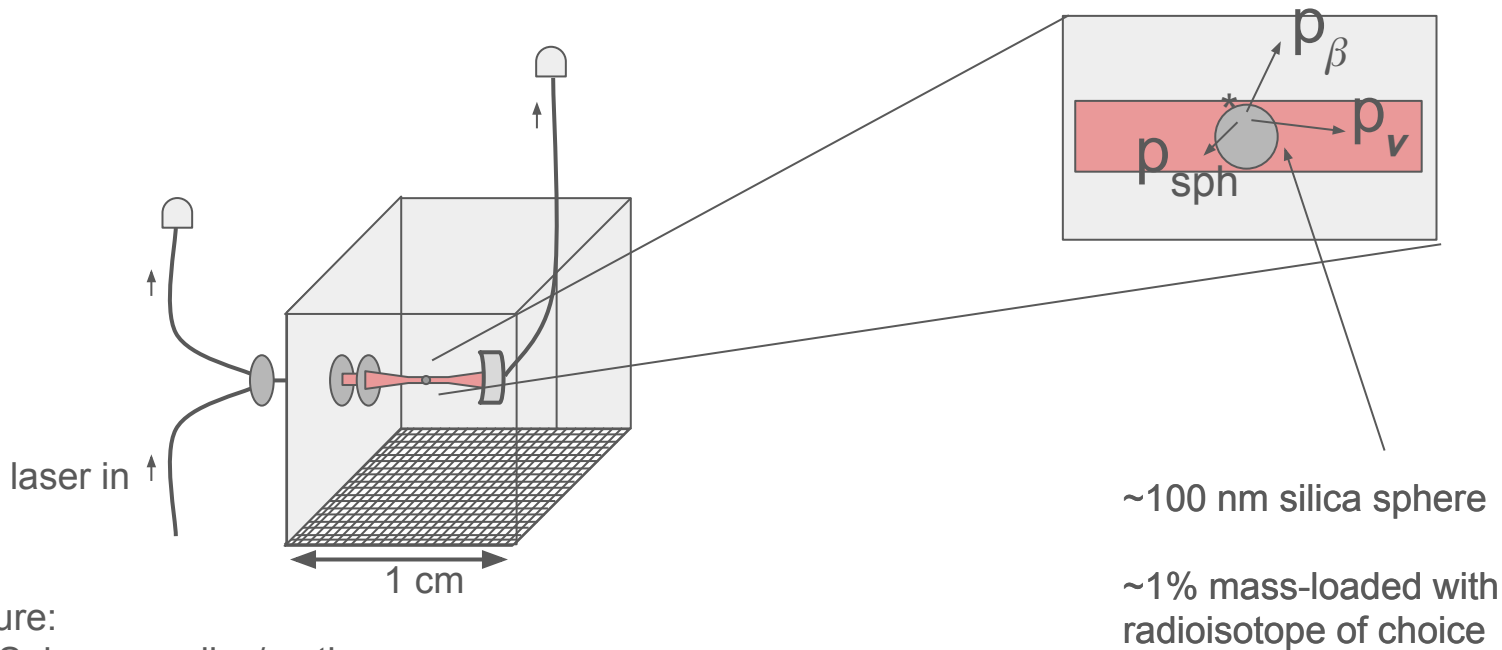
- Uncertainty in initial state
- Readout of final states

Motivates developing new techniques to address both of these issues. I'm going to now discuss such a technique.

To be clear, however, I am going to completely move the goalposts so that I can win. Instead of trying to detect effects at the scale of the neutrino mass, we're going to go for a much more modest goal of looking for heavy sterile neutrinos.

Then at the end I'll return with some more ambitious speculations...

Quantum Invisible Particle Sensor (QuIPS)

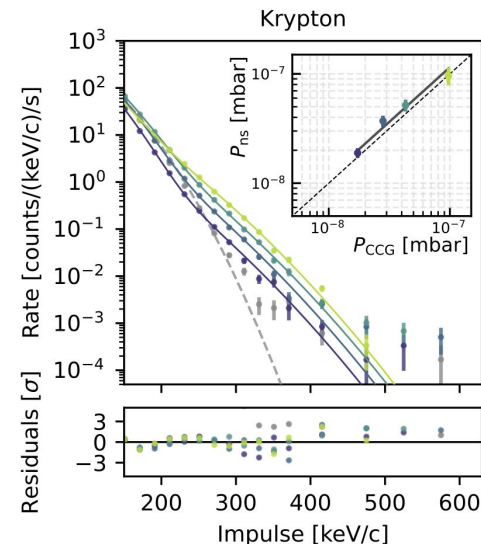
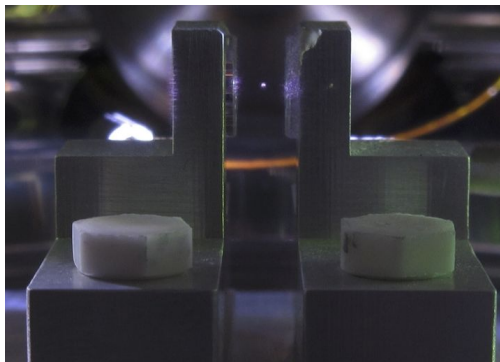
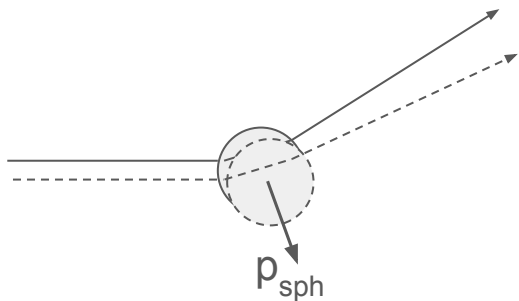


Measure:

- Sphere recoil w/ optics
- Escaped β electron w/ calorimeter
- Electric charge on sphere (rf pulse)

→ Infer “invisible” (e.g., neutrino) momentum vector

Quantum optical recoil detection

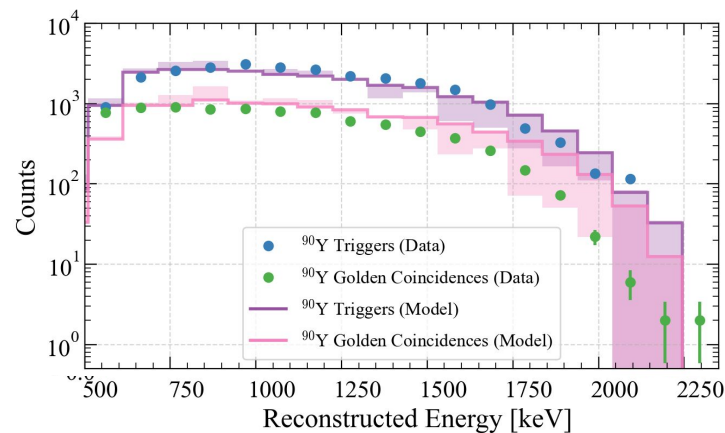
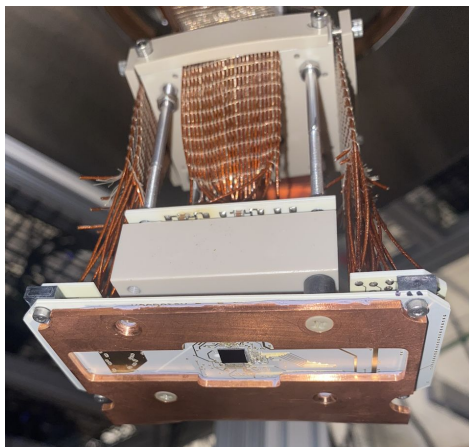
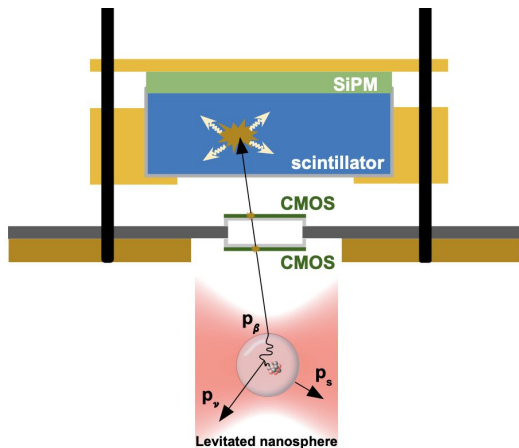


Detection principle: trap light scattered by nanobead $\rightarrow$ infer impulse

$$\Delta p_{SQL} = \sqrt{\hbar m_s \omega_s} = 15 \text{ keV} \times \left(\frac{m_s}{1 \text{ fg}} \right)^{1/2} \left(\frac{\omega_s/2\pi}{100 \text{ kHz}} \right)^{1/2}$$

“Standard quantum limit” = noise dominated by Heisenberg uncertainty of light

Beta electron detection



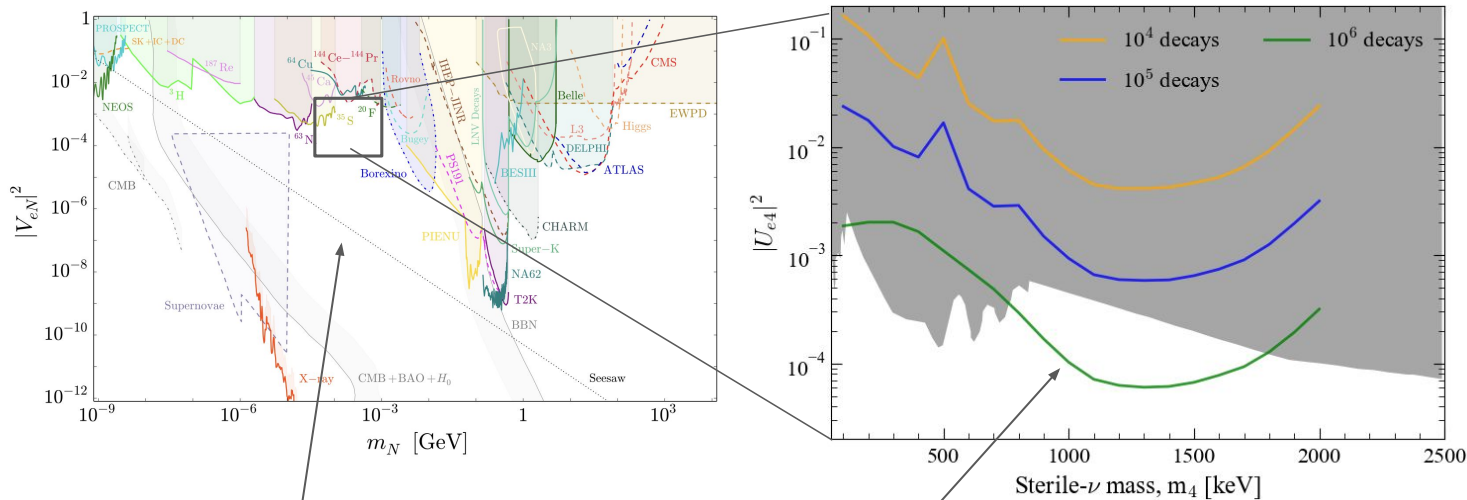
Detection principle: $\sim 10\text{ }\mu\text{m}$ x2 CMOS measures angle, scintillator measures energy

Design driven by need to reject backgrounds, especially spurious scattered betas

Our immediate goal: search for new heavy neutrinos

One simple way to explain light neutrino masses = new, relatively heavy 4th neutrino species

Measure ^{90}Y beta decays $\rightarrow$ search for rare events where electron neutrino converts to heavy neutrino



1 nanobead loaded with ^{90}Y , ~1 month experiment

Ultimate goal: seesaw. ~1000 nanobeads, ~1 year

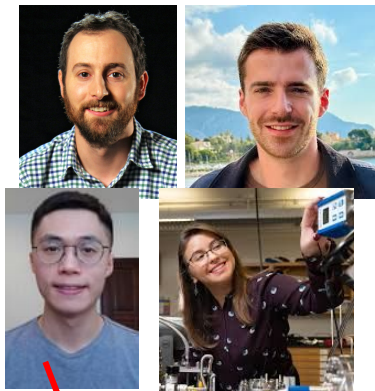
Left: Dasgupta, Kopp 2106.05913
Right: GeANT4 sim by **Dan Kodroff**



QuIPS collaboration



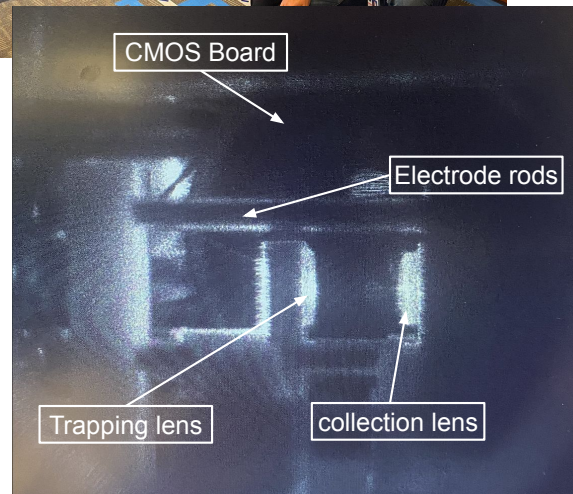
UC Berkeley



Yale



Berkeley Lab



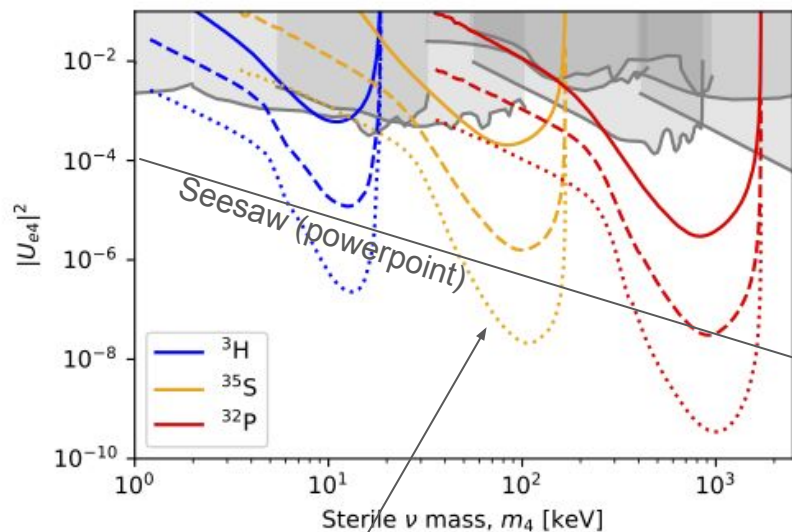
26-27: proof of concept measurements @ Yale (pictured)
27-onward: full integrated system @ LBL



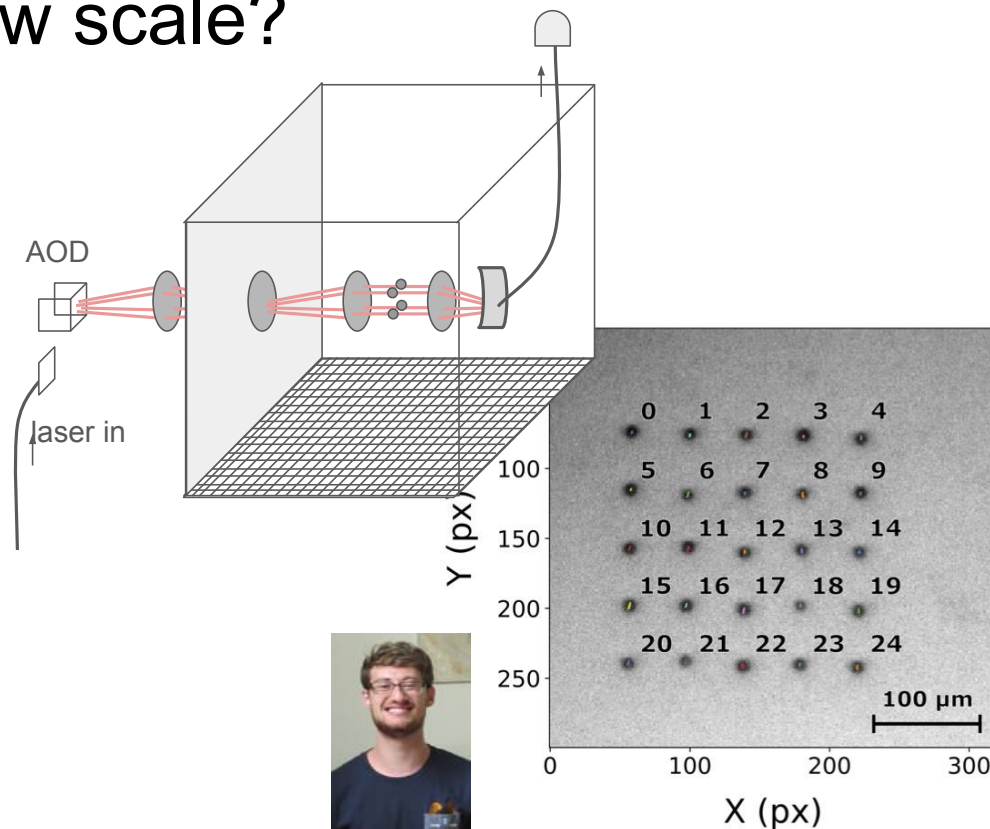
Holy grail stuff

1. Can we get to the seesaw scale?
2. Can we measure the light neutrino mass scale?

Can we get to the seesaw scale?



1000 spheres x 1 year, SQL



Siegel, Afek, Lowe, Wang, Tseng, Penny, Moore 2412.07088
 Same technique as neutral atom quantum computers $\rightarrow 10^5$ traps

Can we measure the light neutrino mass scale?

Can you measure the neutrino mass with this technique? Maybe...

$$\Delta p_{\text{SQL}} = \sqrt{\hbar m_s \omega_s} = 15 \text{ keV} \times \left(\frac{m_s}{1 \text{ fg}} \right)^{1/2} \left(\frac{\omega_s/2\pi}{100 \text{ kHz}} \right)^{1/2}$$

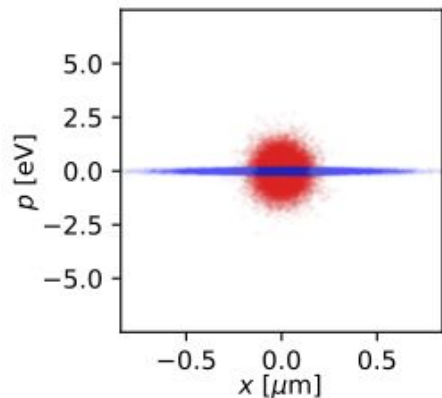
To get to neutrino mass $\sim 100 \text{ meV}$:

- Reduce sphere mass $\times 10^3$
- Reduce frequency $\times 10$
- Average 10^6 events

$\rightarrow \Delta p \sim 150 \text{ meV}$, almost there. Now:

- Prepare sphere in squeezed state $\sim 10 \text{ dB}$

$\rightarrow \Delta p \sim 15 \text{ meV}$



Can we measure the light neutrino mass scale?

Can you measure the neutrino mass with this technique? Maybe...

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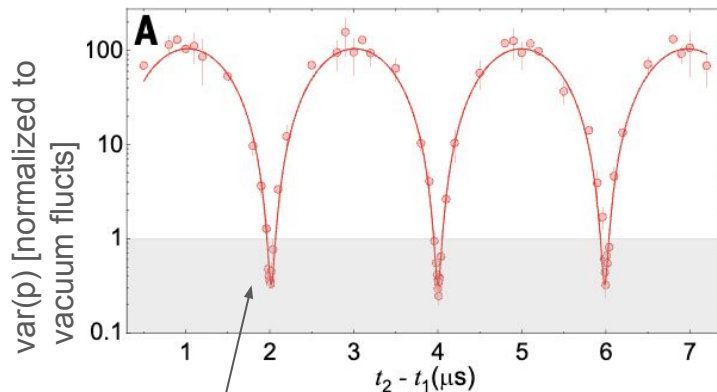
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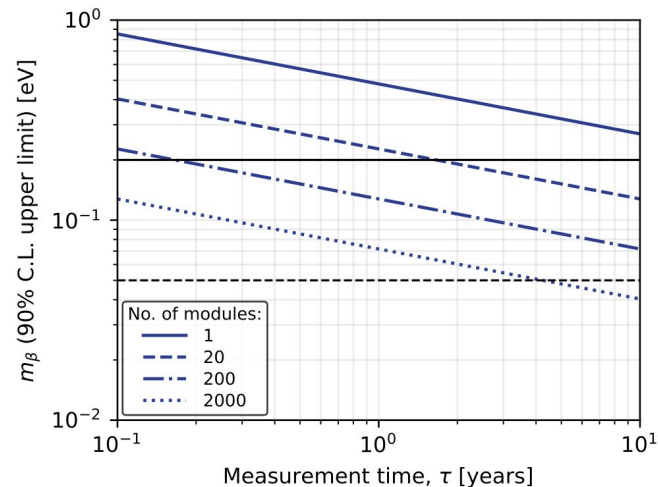
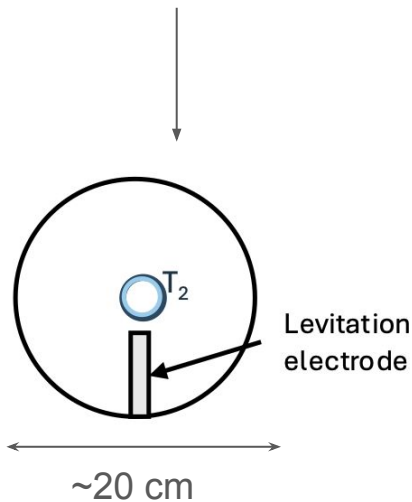
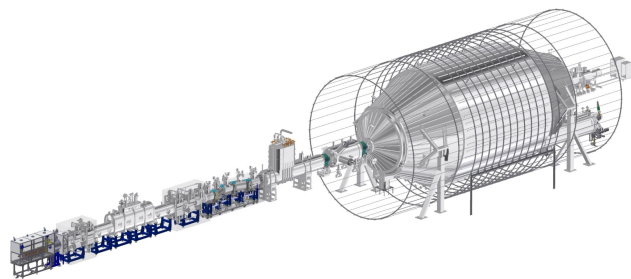


momentum p of 100 nm bead
squeezed $\sim 5 \text{ dB}$ below ground state

Kamba, Hara, Aikawa, Science 2025

Lee, Beckey, Marocco, Carney PRR 2025
Marocco, Moore, Carney PRA 2026

Can we measure the light neutrino mass scale?



Preliminary! Should appear in ~ 1 -2 months

Carney, Leach, Haffner, Moore*, Sangiorgio

Outlook

Quantum mechanics → noise/uncertainty in initial state prep, final state measurement starting to dominate in low energy neutrino measurements

This noise can be engineered with fancy techniques (e.g., squeezing)

QulPS @ LBL/UC Berkeley/Yale rapidly moving toward complete, event-by-event nuclear beta decay reconstruction with scalable arrays of quantum sensors