

P13 – Monte Carlo-based experiment simulation: Silicon microstrip detector



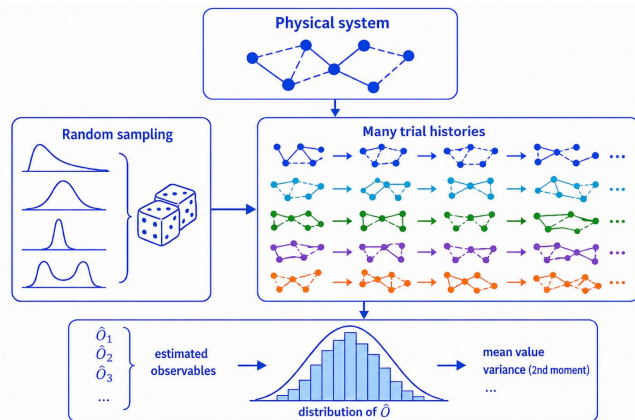
Jordi Duarte-Campderros



Monte Carlo methods

Numerical techniques based on random sampling.

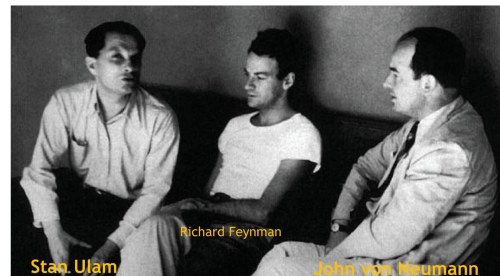
- Generate a representative ensemble of possible configurations (histories) in order to estimate quantities of interest without solving the full problema analytically or enumerating all possible outcomes.



- The MC methods use random sampling to explore complex problems by generating many possible histories → estimate the quantities of interest from statistical averages.

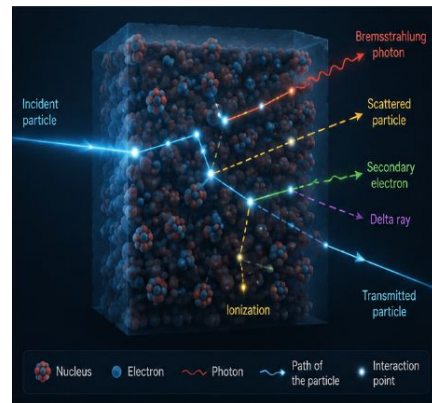


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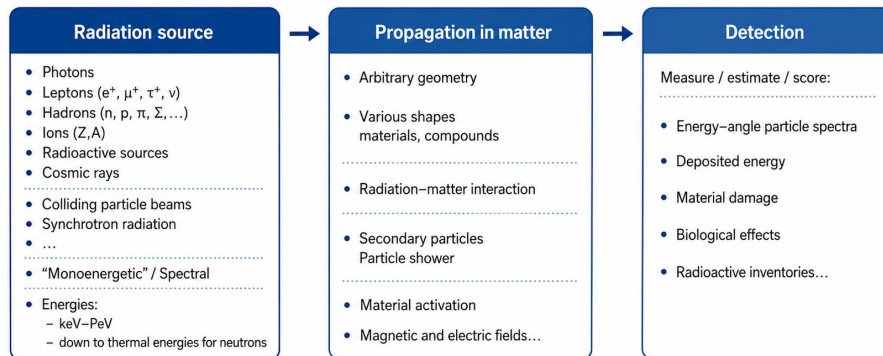


Monte Carlo for particle transport in matter

- **Particle-matter interaction**: intrinsically **probabilistic** and **stochastic** problem.
 - Particle physics theory provides interaction probabilities and final states
 - The transport process is a stochastic sequence of interactions, energy losses, secondary production, and detector responses as radiation propagates through matter.

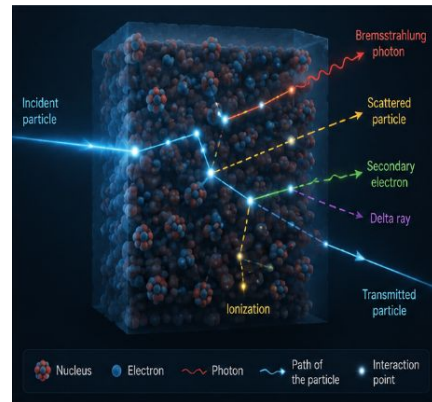


The radiation transport problem



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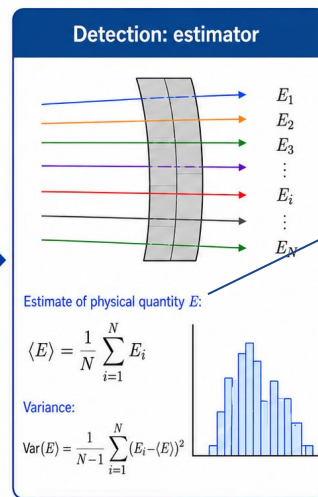
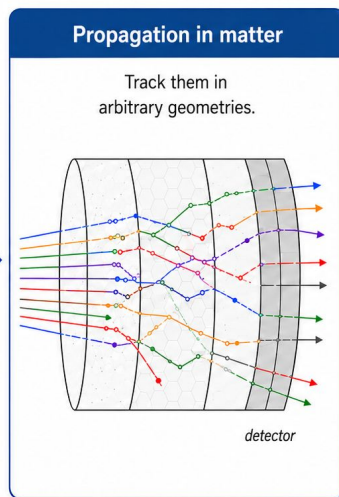
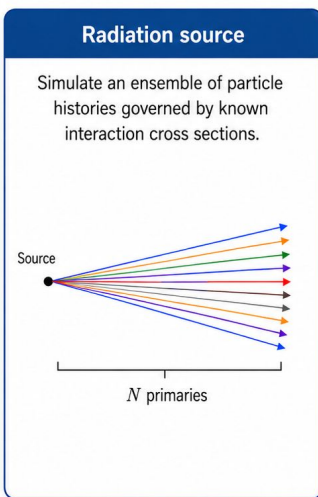
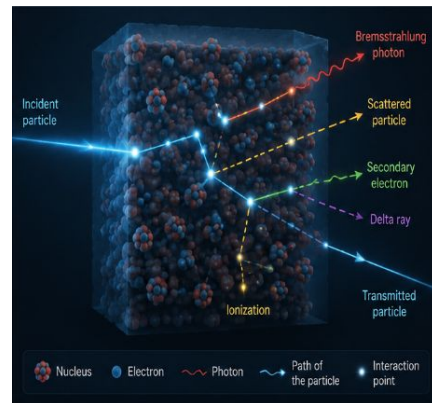
The radiation transport problem

$$\begin{aligned}
 \int_V d\mathbf{r} \frac{\partial n_i(\mathbf{r}, E, \Omega, t)}{\partial t} = & - \oint_S dA \mathbf{j}(\mathbf{r}, E, \Omega, t) \cdot \hat{\mathbf{a}} && \text{(unscattered particles)} \\
 & - N \int_V d\mathbf{r} n_i(\mathbf{r}, E, \Omega, t) v(E) \sigma(E) && \text{(particles scattered out)} \\
 & + N \int_V d\mathbf{r} \int dE' \int d\Omega' n_i(\mathbf{r}, E', \Omega', t) v(E') \frac{d\sigma}{d\Omega' dW''} && \text{(particles scattered in)} \\
 & + N \int_V d\mathbf{r} \int dE' \int d\Omega' \sum_j n_j(\mathbf{r}, E', \Omega', t) v(E') \frac{d\sigma_{\text{sec},i}}{d\Omega' dW''} && \text{(production of secondaries)} \\
 & + \int_V d\mathbf{r} Q_{\text{source}}(\mathbf{r}, E, \Omega, t) && \text{(source)}
 \end{aligned}$$

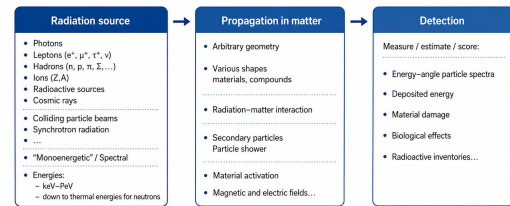
Monte Carlo for particle transport in matter

Solution strategies to the radiation transport problem

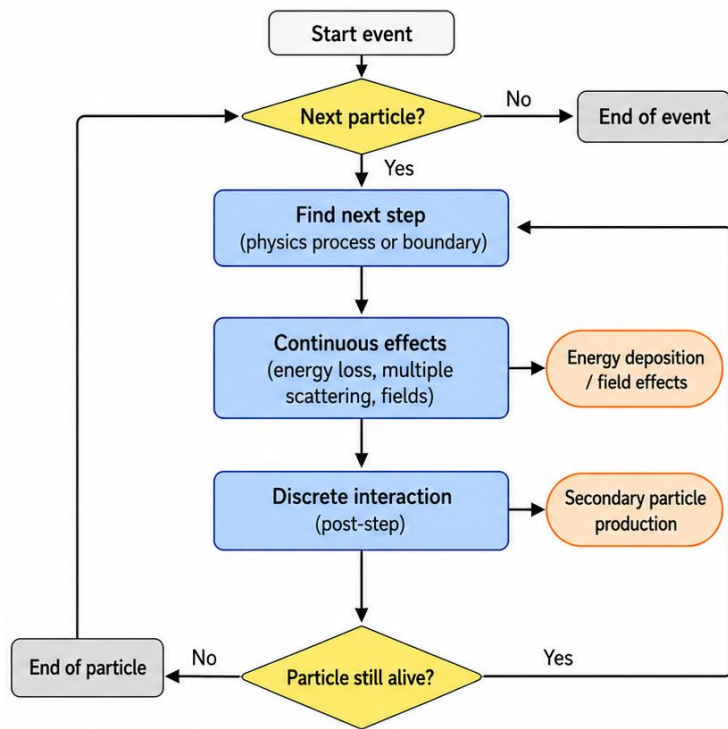
- Analytical / spectral methods: accurate, but limited to simplified cases.
- Numerical integration: general, but inefficient in high dimensions.
- **Monte Carlo method**: general, efficient, and flexible: can treat arbitrary radiation fields and geometries.



Estimator: the equivalent to a measurement in a real experiment

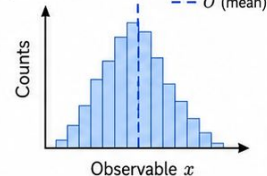


Monte Carlo for particle transport in matter



For event contributions x_i :

$$\hat{O} = \frac{1}{N} \sum_{i=1}^N x_i$$



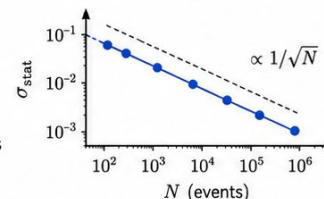
Statistical variance

$$\text{Var}(\hat{O}) \propto \frac{1}{N}$$

$$\sigma_{\text{stat}} \propto \frac{1}{\sqrt{N}}$$

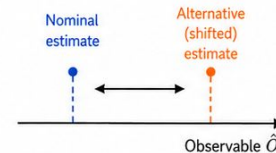
1) Statistical uncertainties

- Finite number of simulated events
- Decrease as $1/\sqrt{N}$
- Reduced by simulating more events



2) Systematic uncertainties

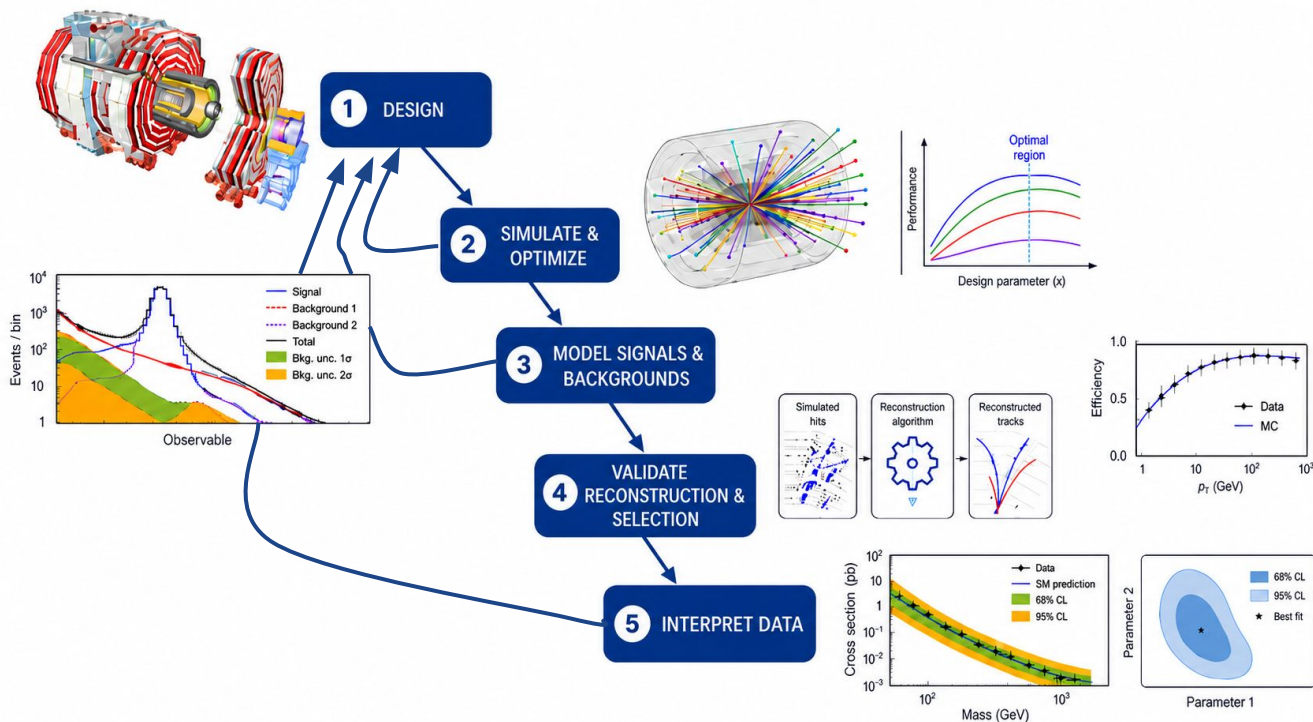
- Physics models / cross sections
- Geometry and material description
- Source and detector-response modelling
- Reconstruction / calibration assumptions



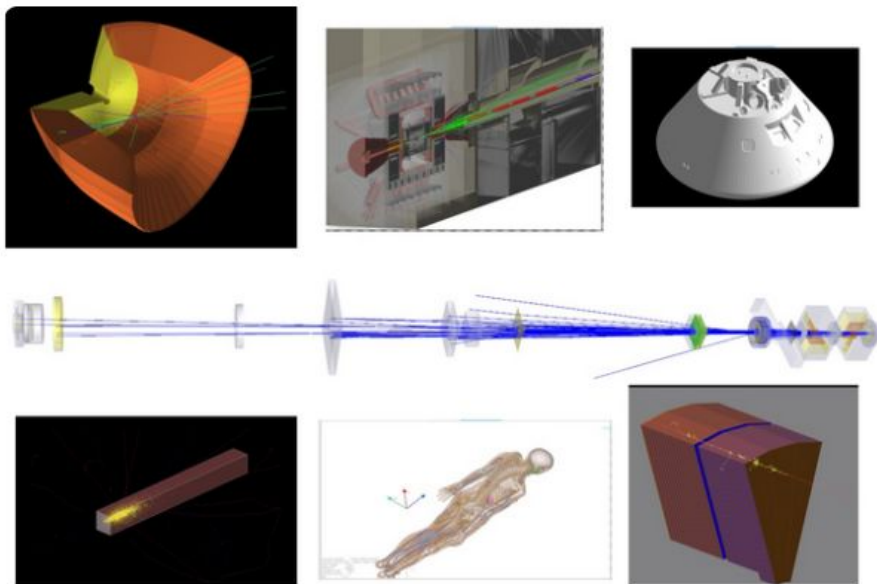
More simulated events reduce statistical errors, but not systematic modelling uncertainties.

Monte Carlo methods in particle physics experiments

- Used throughout the full experimental lifecycle

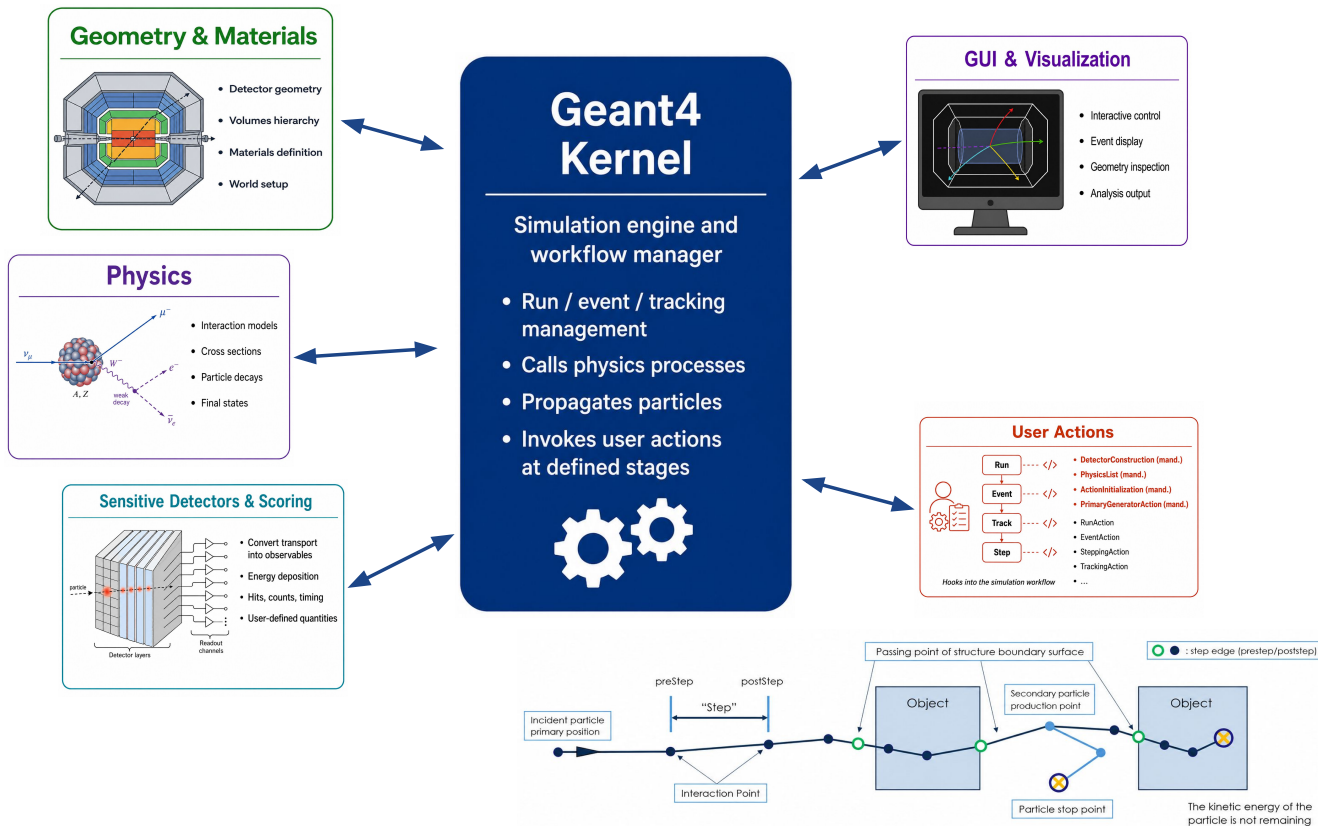


- Toolkit for the simulation of passage of particles through matter

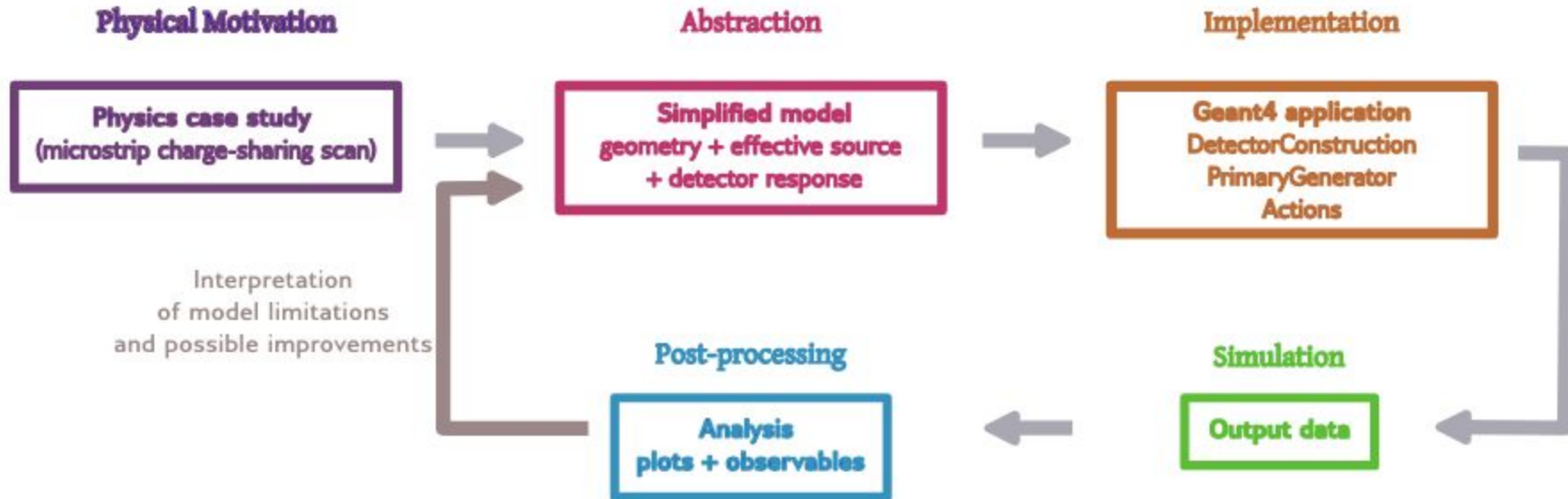


- High Energy Physics
 - LHC experiments ([ALICE](#), [ATLAS](#), [CMS](#), [LHCb](#))
 - future experiments ([CLIC](#), [ILC](#), [FCC](#))
 - and many others ([Fermilab experiments](#), [HARP](#), [SLAC](#), [BaBar](#), ...)
- Space and Radiation Science
 - European Space Agency ([Geant4 Space Users](#), [SPENVIS](#), [GRAS](#), [MULASSIS](#))
 - Medium Energy Gamma-ray Astronomy library ([MEGAlib](#))
- Medical Physics
 - [Geant4-DNA](#) - Geant4-DNA project
 - [G4MED](#) (in Japanese) - Geant4 Medical Physics in Japan
 - [G4NAMU](#) - Geant4 North American Medical User Organization
 - [GAMOS](#) - Geant4-based Architecture for Medicine-Oriented Simulations
 - [GATE](#) - Geant4 Application for Tomographic Emission
 - [GHOST](#) - Human Oncology Simulation Tool
 - [TOPAS](#) - Geant4 Monte Carlo Platform for Medical Applications
- Accelerator Physics
 - [BDSIM](#)
 - [G4Beamline](#)

Geant4 components



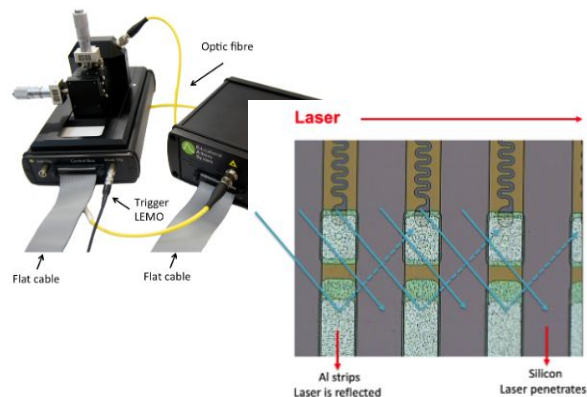
A Geant4 simulation: workflow of the exercise



A Geant4 simulation: workflow of the exercise

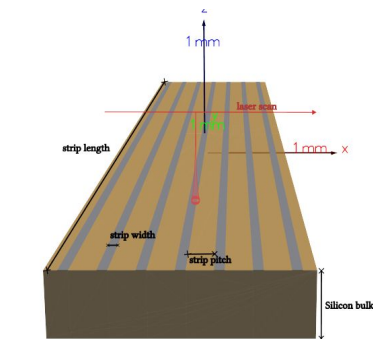
Physical case

- Scanned laser measurement of a silicon microstrip detector (P7)



Simulation model

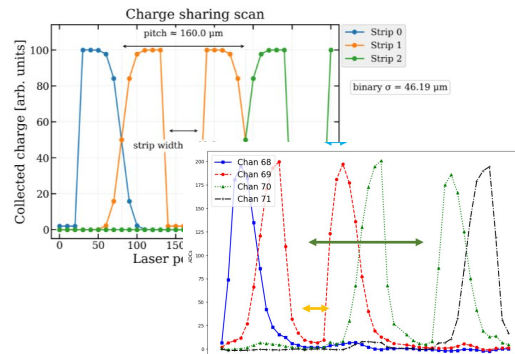
- Geant4 application
 - with **simplified detector response**



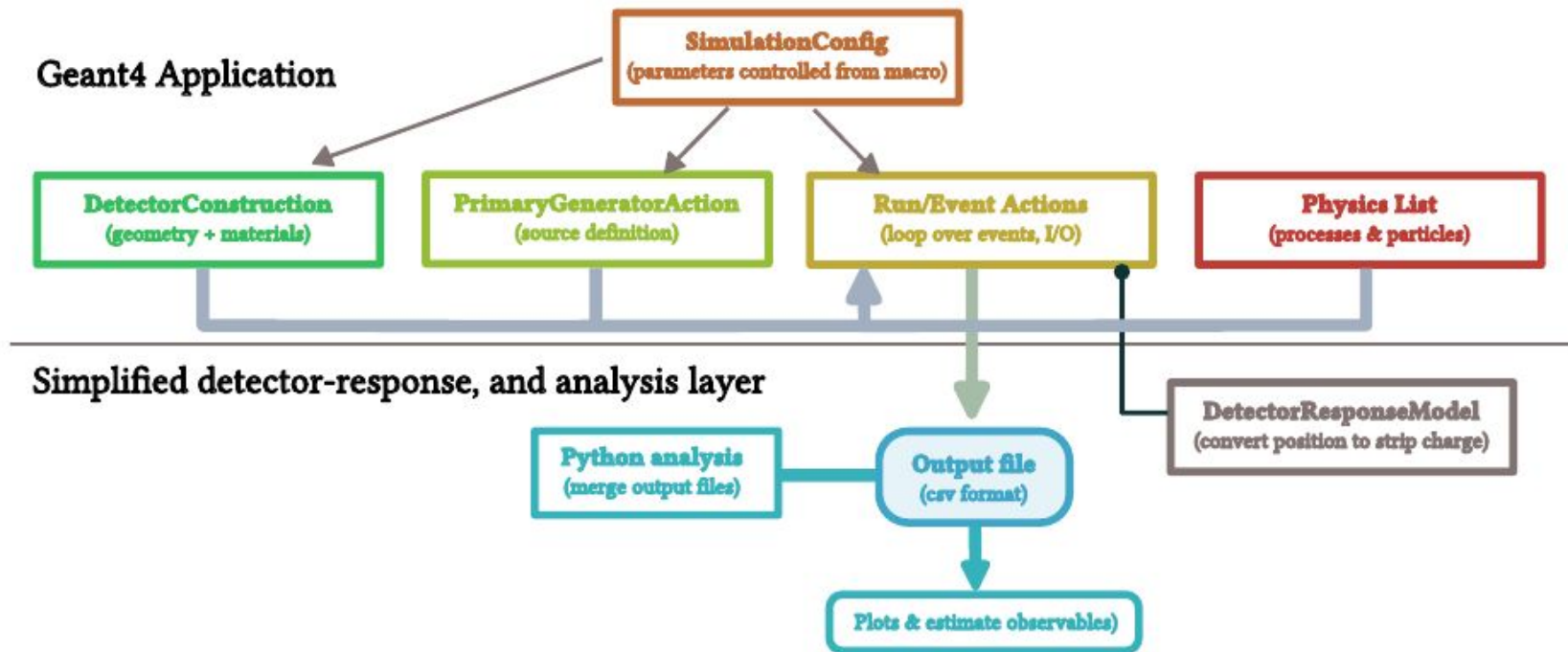
simplified detector geometry and scan configuration

Observable

- Collected charge in electrode collectors as a function of scan position



Code Architecture



Practicum procedure

A. Understand the application

Inspect repository,
classes, geometry and
visualization macro

C. Modify the model

Change effective
source size; optionally
pitch or strip width

B. Run nominal simulation

Produce strip-charge
output for the default
scan

D. Interpret output

Extract pitch, effective
strip width and binary
resolution

TIDPAN-2026

Workshop on Instrumentation and Detectors for Nuclear, Particle and Astroparticle Physics

