

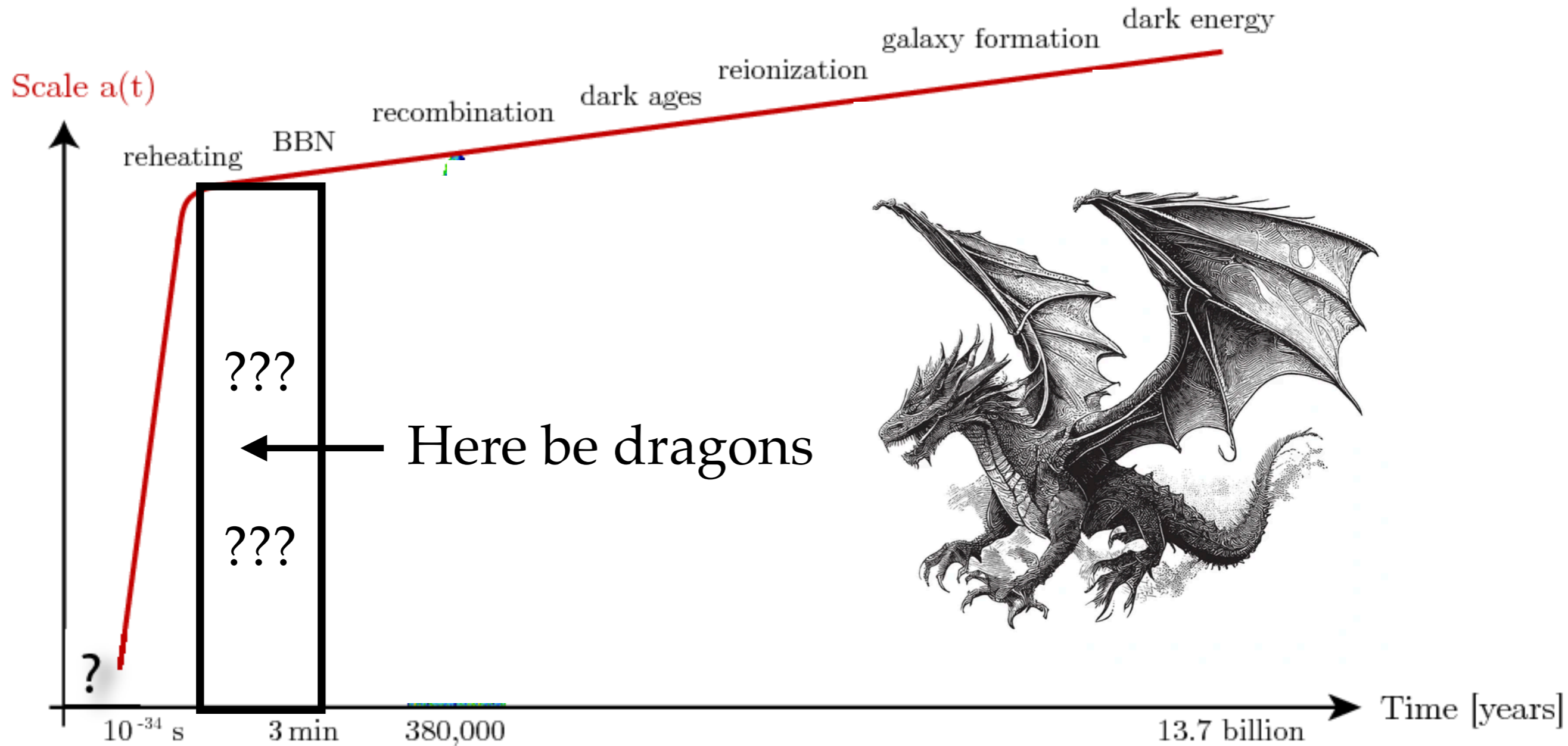
Primordial Black Holes & Particle Physics



Gordan Krnjaic
Fermilab + UChicago

Pheno Symposium 2026, University of Pittsburgh

Cosmic Timeline



Empirical data validates standard timeline from 1s - 13.7 Gyr

No data from earlier times, Wide range of possibilities for $t < 1s$

THE HYPOTHESIS OF CORES RETARDED DURING EXPANSION AND THE HOT COSMOLOGICAL MODEL

Ya. B. Zel'dovich and I. D. Novikov

Translated from *Astronomicheskii Zhurnal*, Vol. 43, No. 4,
pp. 758-760, July-August, 1966
Original article submitted March 14, 1966

The existence of bodies with dimensions less than $R_g = 2GM/c^2$ at the early stages of expansion of the cosmological model leads to a strong accretion of radiation by these bodies. If further calculations confirm that accretion is catastrophically high, the hypothesis on cores retarded during expansion [3, 4] will conflict with observational data.

First ever paper on PBH argues they should not form under standard simple cosmological assumptions

Mon. Not. R. astr. Soc. (1971) **152**, 75–78.

GRAVITATIONALLY COLLAPSED OBJECTS OF VERY
LOW MASS

Stephen Hawking

(Communicated by M. J. Rees)

(Received 1970 November 9)

SUMMARY

It is suggested that there may be a large number of gravitationally collapsed objects of mass 10^{-5} g upwards which were formed as a result of fluctuations in the early Universe. They could carry an electric charge of up to ± 30 electron units. Such objects would produce distinctive tracks in bubble chambers and could form atoms with orbiting electrons or protons. A mass of 10^{17} g of such objects could have accumulated at the centre of a star like the Sun. If such a star later became a neutron star there would be a steady accretion of matter by a central collapsed object which could eventually swallow up the whole star in about ten million years.

Didn't deter Hawking, whose paper inspired later work on evaporation

Overview

Early Universe Formation

Hawking Evaporation

Black Hole Dominated Cosmology

Overview

Early Universe Formation

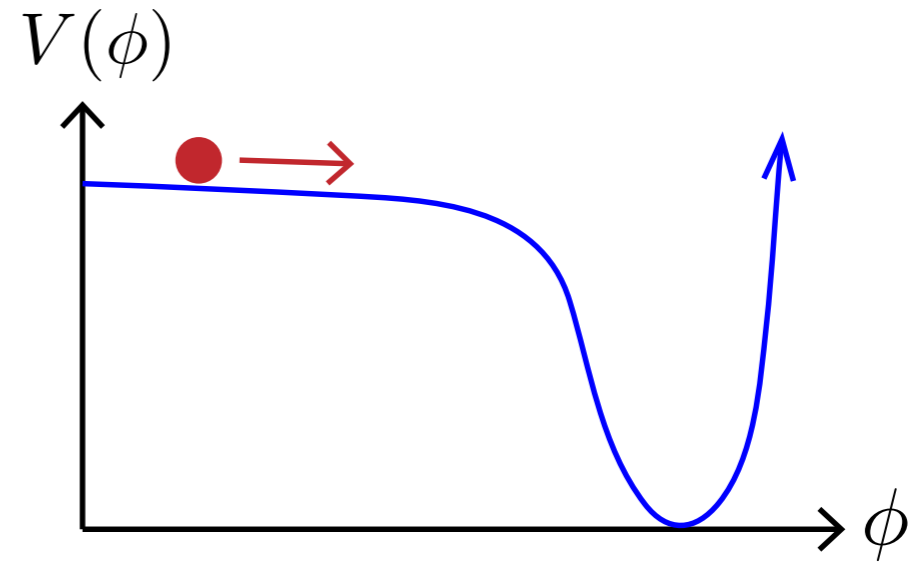
Hawking Evaporation

Black Hole Dominated Cosmology

Inflation

Scalar field drives exponential expansion

$$a(t) \propto e^{H_i t} \quad t \ll 1 \text{ s}$$



Solves “horizon problem”

Why are causally disconnected CMB regions statistically identical?

Solves “flatness problem”

Spatial curvature generically dominates, but is observed to be negligible

Solves “monopole problem”

GUTs predict large monopole density, which is not observed

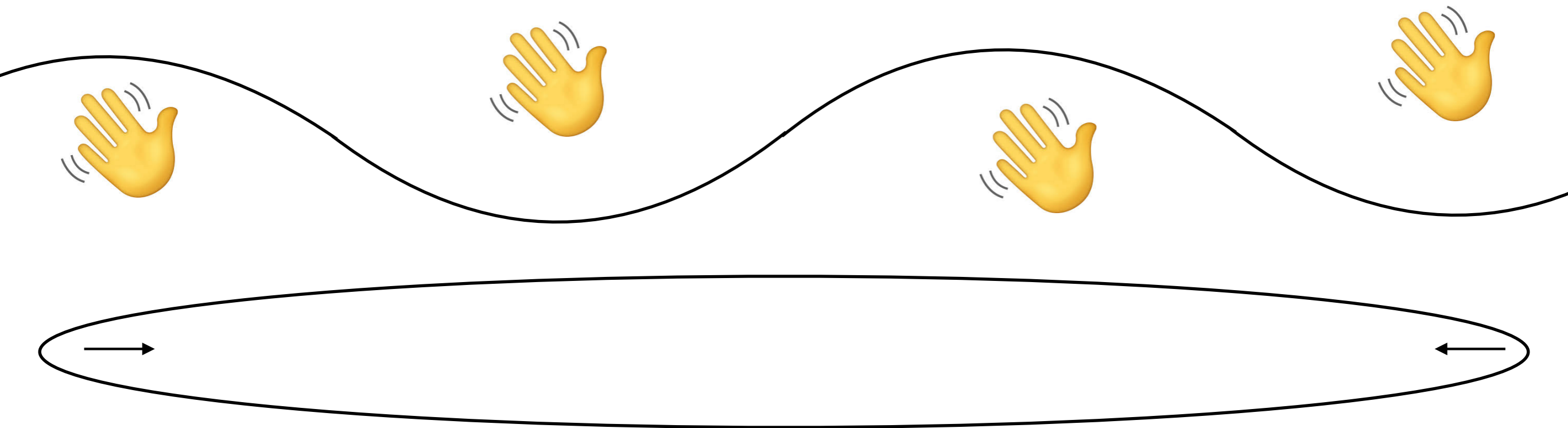
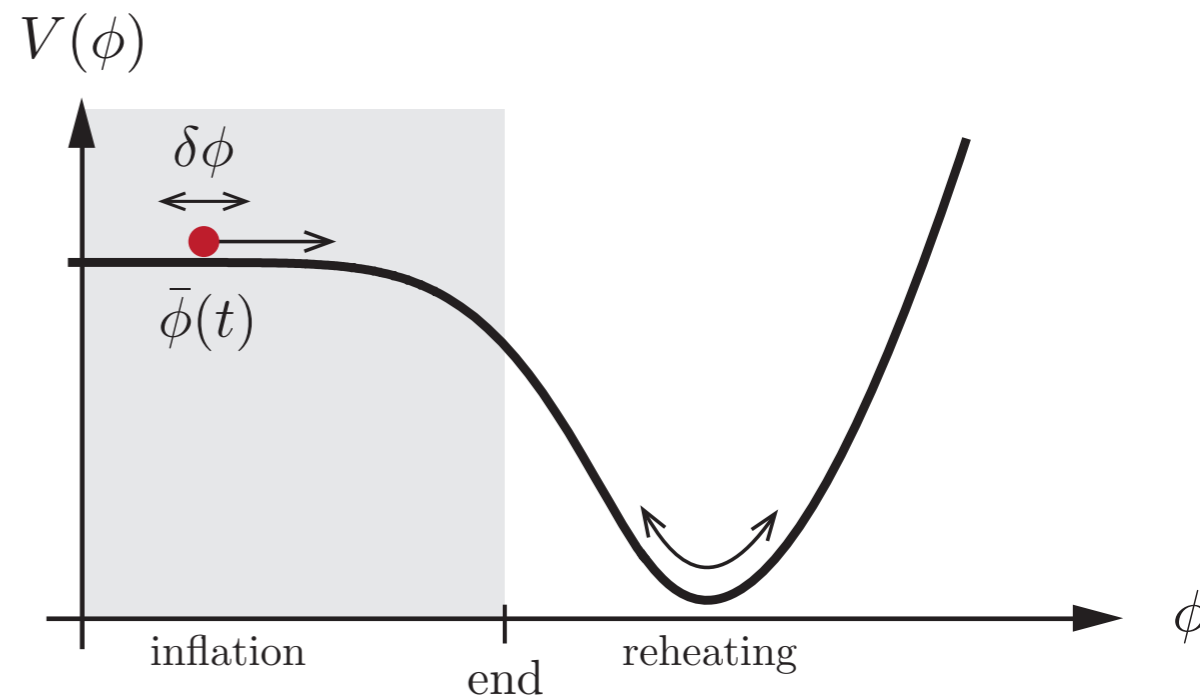
Generates scalar and tensor perturbations from quantum fluctuations in ϕ
Discovered later, not the original motivation!

Primordial Fluctuations

By Heisenberg uncertainty

$$\phi = \bar{\phi} + \delta\phi$$

inflation creates perturbations on all scales



During inflation, comoving horizon shrinks

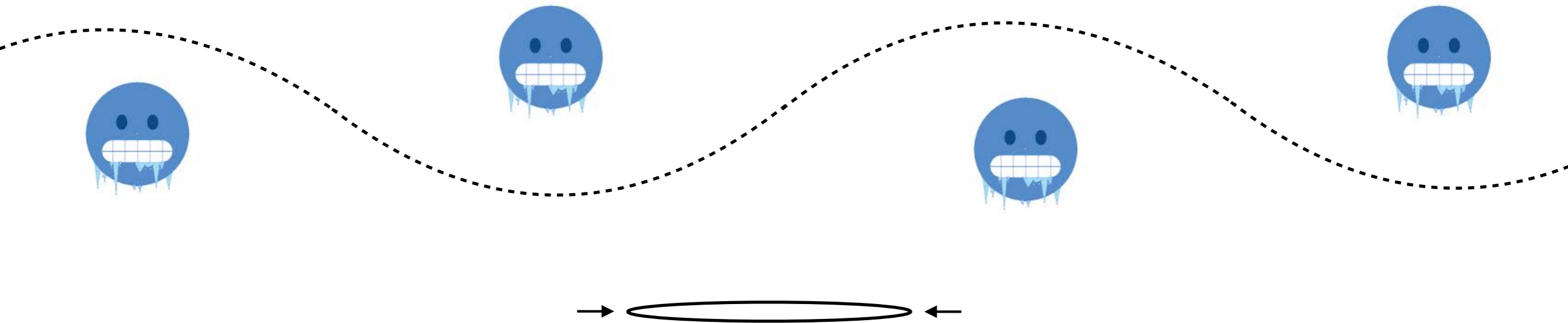
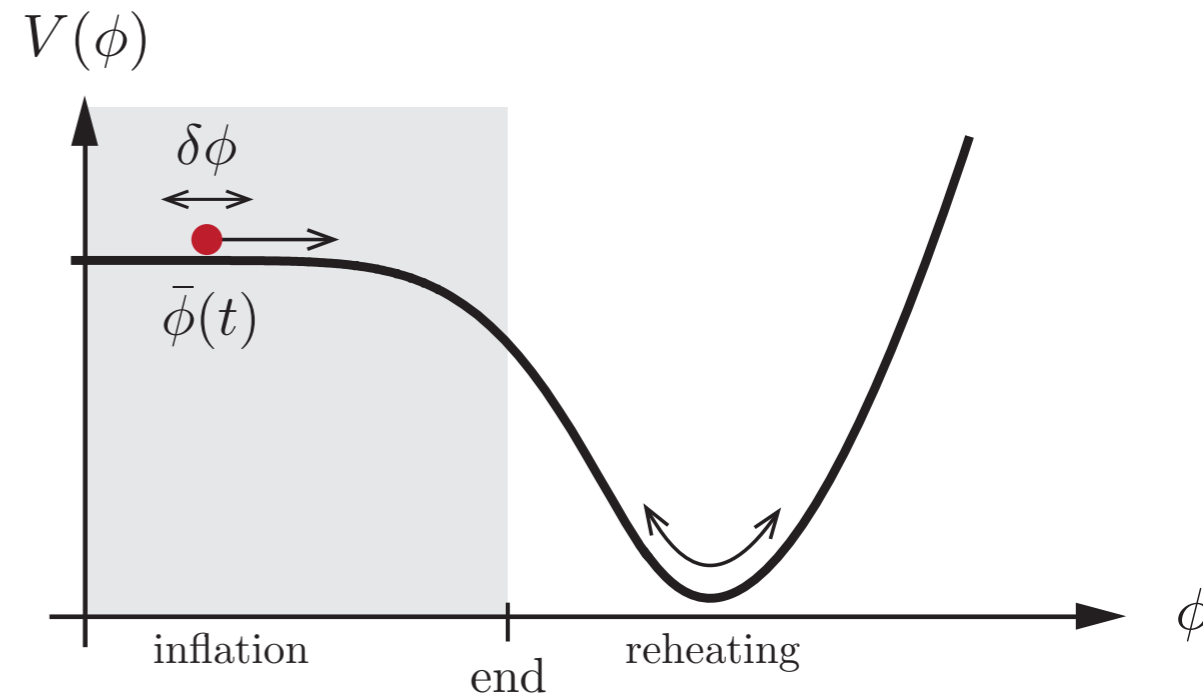
$$\frac{d}{dt} (aH)^{-1} < 0$$

Primordial Fluctuations

By Heisenberg uncertainty

$$\phi = \bar{\phi} + \delta\phi$$

inflation creates perturbations on all scales



During inflation, comoving horizon shrinks
Perturbations frozen outside horizon

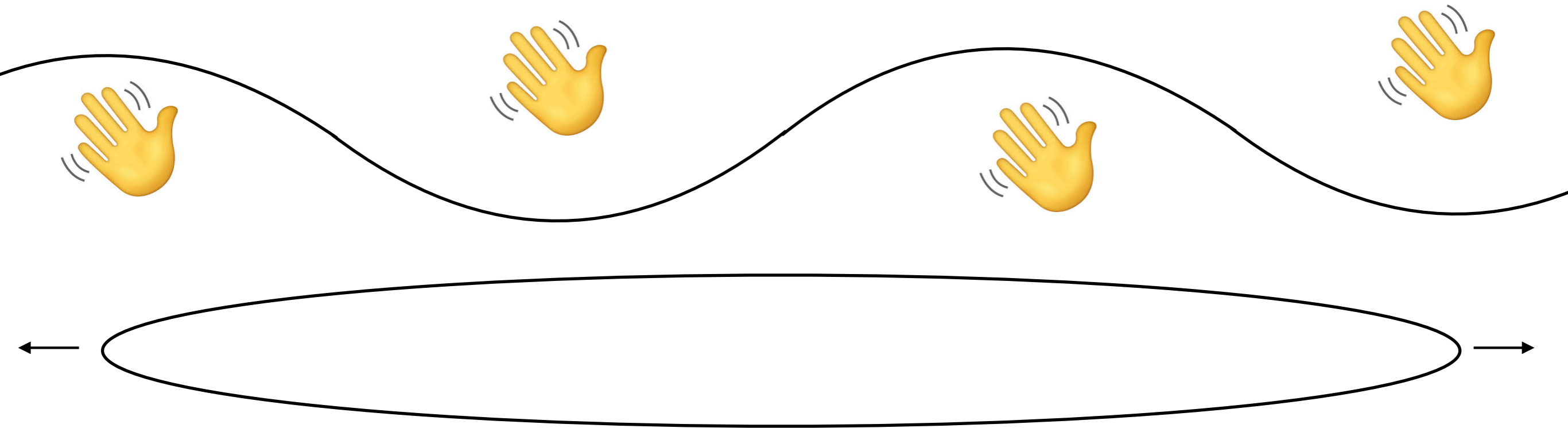
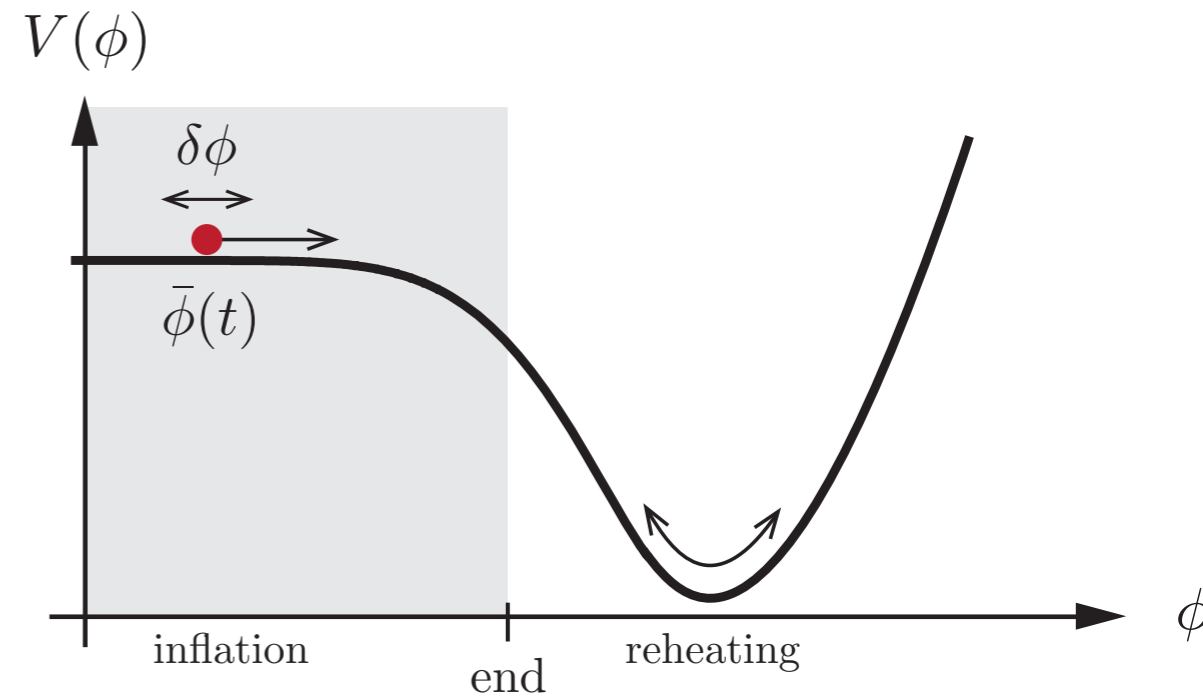
$$\frac{d}{dt} (aH)^{-1} < 0$$

Primordial Fluctuations

By Heisenberg uncertainty

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inflation creates perturbations on all scales



After inflation, horizon grows again

Perturbations evolve again at horizon re-entry

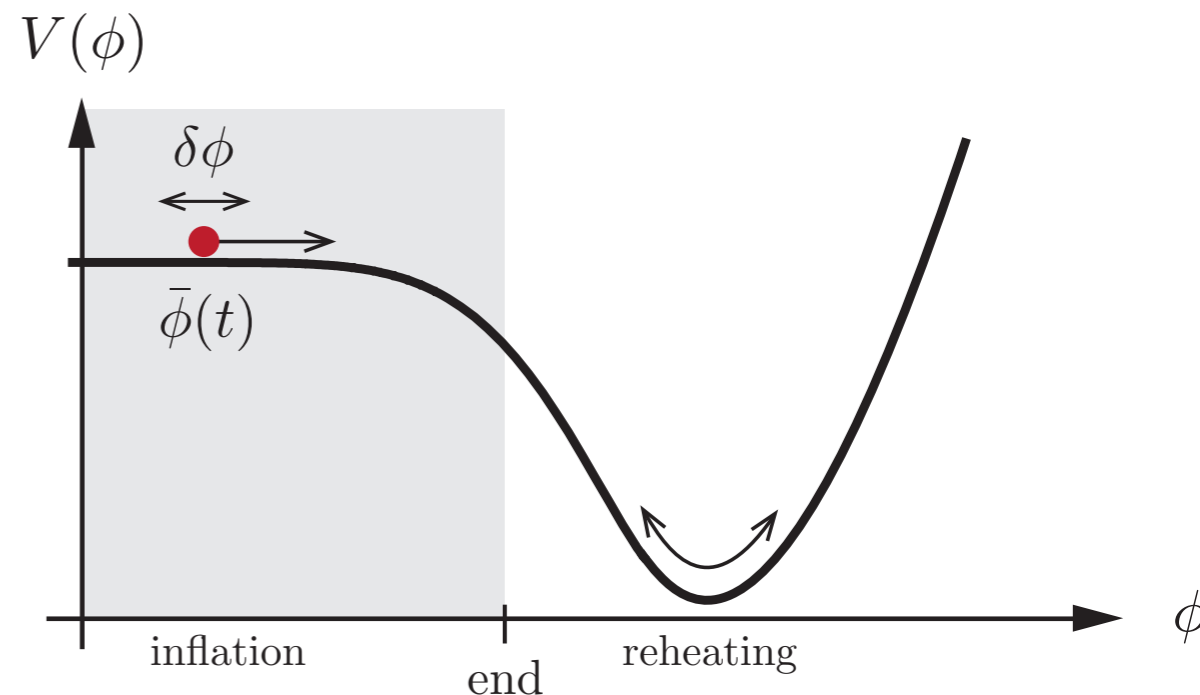
$$\frac{d}{dt} (aH)^{-1} > 0$$

Primordial Fluctuations

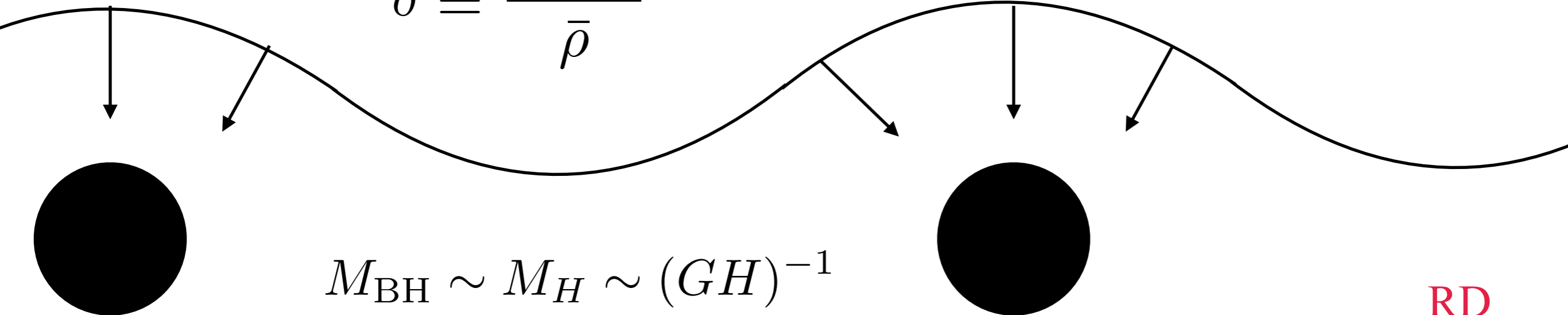
By Heisenberg uncertainty

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inflation creates perturbations on all scales



$$\delta \equiv \frac{\rho - \bar{\rho}}{\bar{\rho}}$$



$$M_{\text{BH}} \sim M_H \sim (GH)^{-1}$$

$$\delta_c = \sin^2 \left(\frac{\pi \sqrt{w}}{1 + 3w} \right) \sim 0.4$$

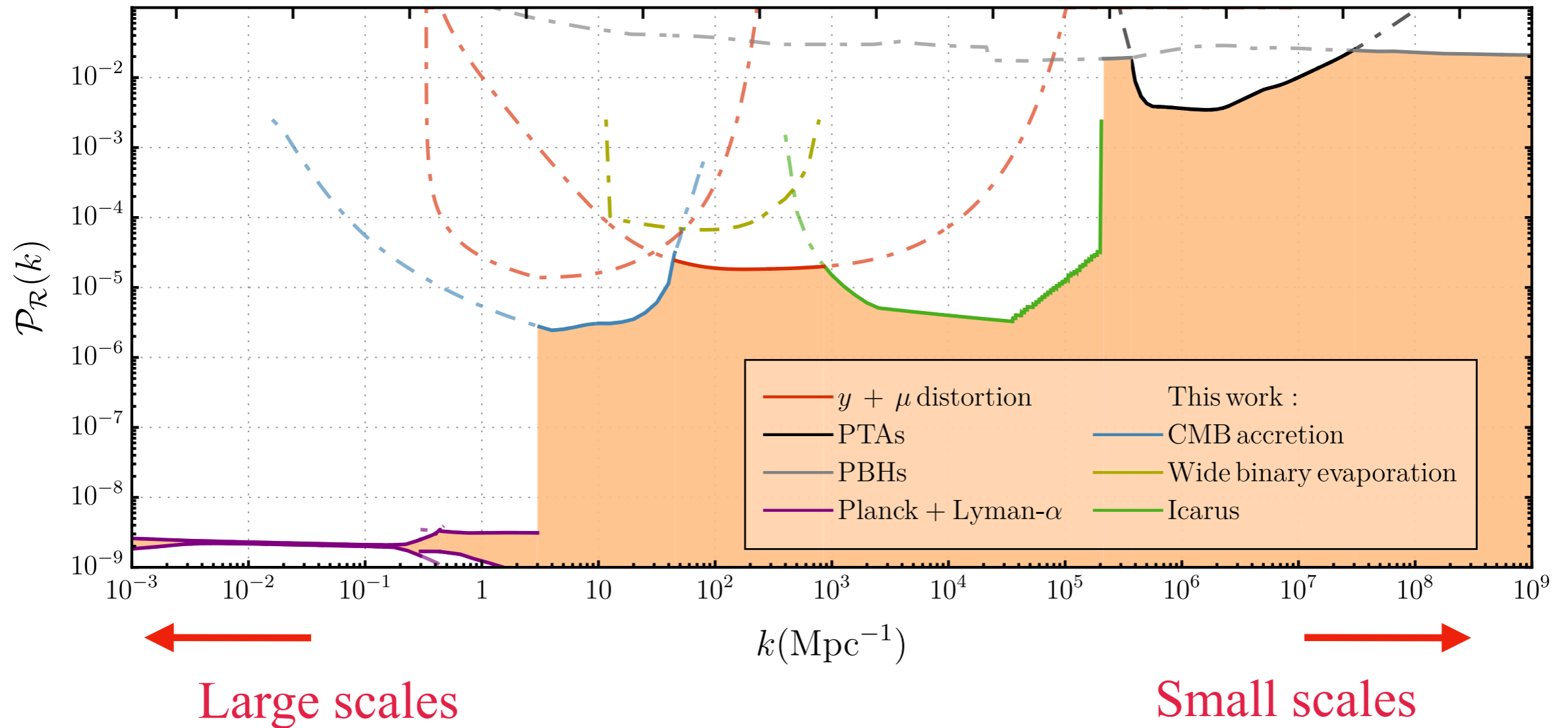
RD



If perturbation exceeds critical value
Hubble patch collapses to form PBH

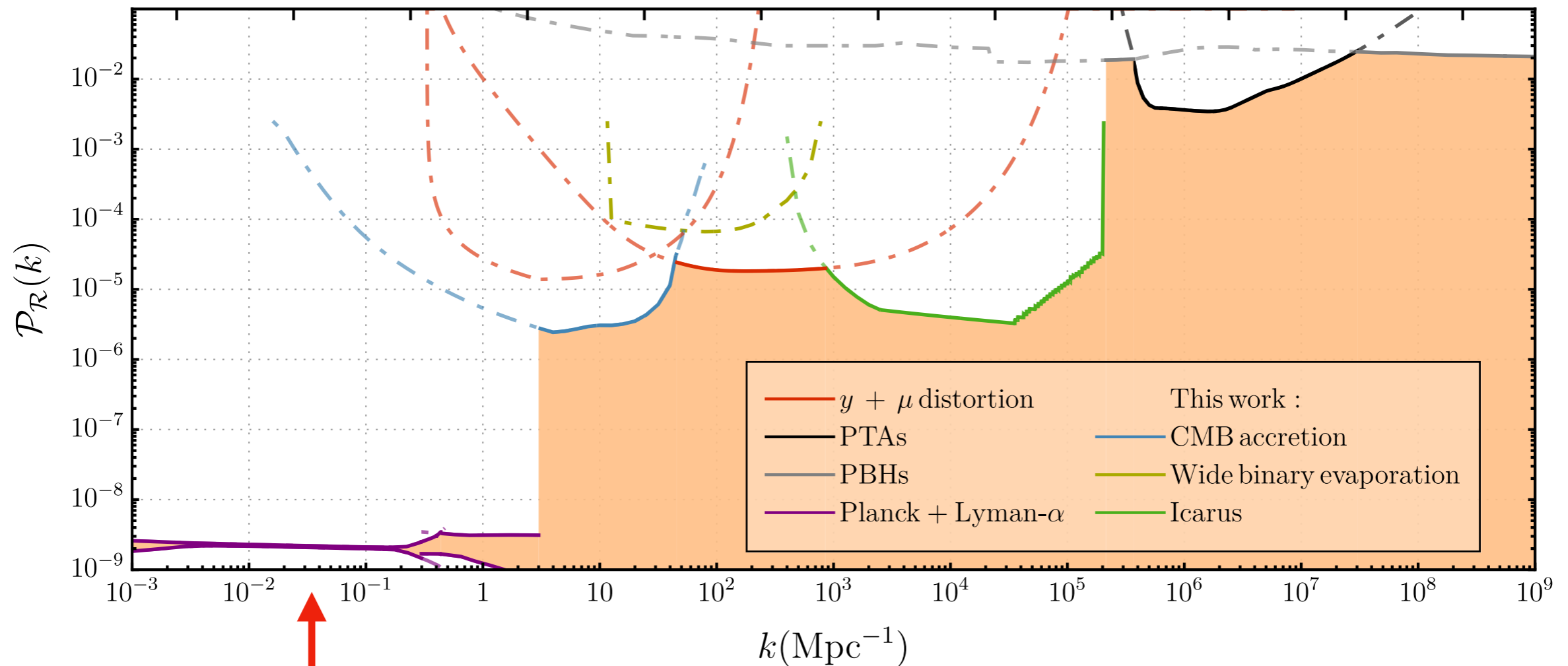
Primordial Fluctuations

Bringmann, Croon, Munoz 2506.20704



Primordial Fluctuations

Bringmann, Croon, Munoz 2506.20704



$$P_{\mathcal{R}} = A_s \left(\frac{k}{k_*} \right)^{n_s - 1}$$

$$A_s = (2.10 \pm 0.05) \times 10^{-9}$$

$$n_s = 0.9649 \pm 0.0042$$

$$k_* = 0.05 \text{ Mpc}^{-1}$$

Planck 2018

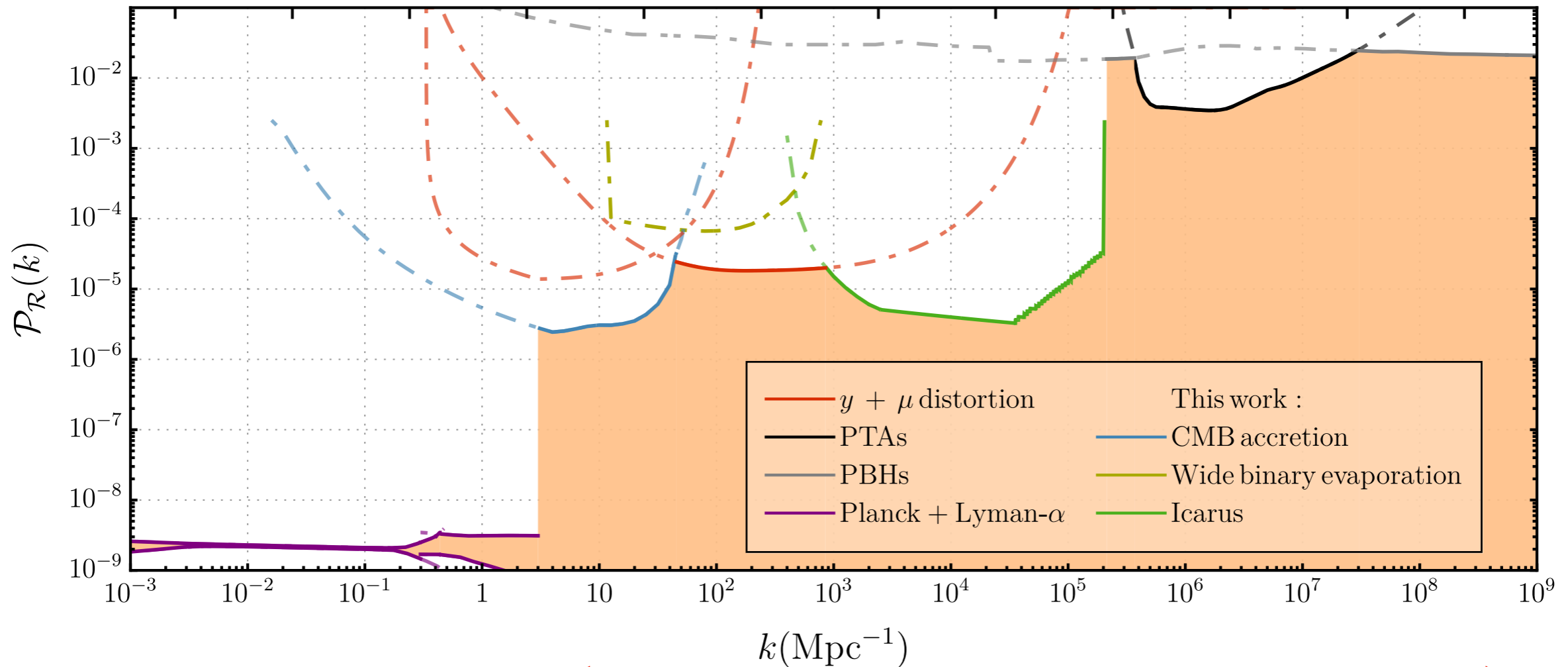
Measured to be \sim scale-invariant on CMB scales ($> \text{Mpc}$)

... no PBH formation in standard cosmology

Primordial Fluctuations

Green Kavanagh 2007.10722

Bringmann, Croon, Munoz 2506.20704



Universe can be much clumpier on small scales, allows PBH formation

$$\frac{\rho_{\text{PBH}}}{\rho_{\text{tot}}} \propto \int_{\delta_c}^{\infty} d\delta \exp\left(-\frac{\delta^2(R)}{2\sigma^2(R)}\right)$$

Abundance at formation

$$\sigma^2(R) \sim \int_0^{\infty} dk \mathcal{P}_{\mathcal{R}}(k)$$

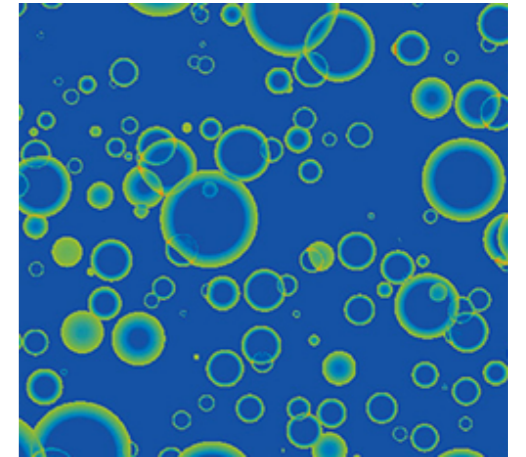
Power spectrum sets variance

Small Sample of Other Mechanisms

Phase Transitions

Nucleated bubbles collide and form PBH

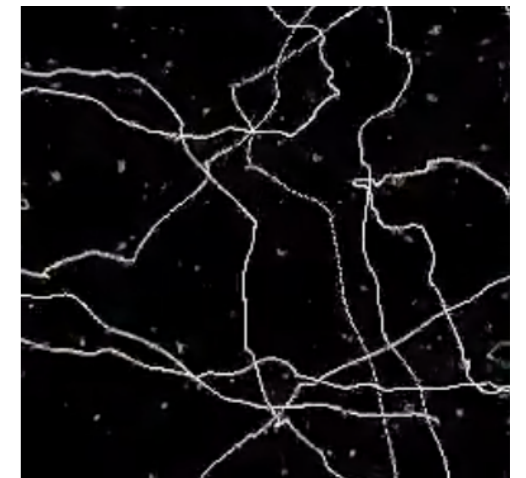
Kodama, Sasaki, Sato 1982 Kusenko, Sasaki, Takhistov, et al 2001.09160



Cosmic Strings

Strings form loops, which oscillate and contract to $R < R_s$

Kibble 1976, Hawking 1989, Polnarev, Zembowicz 1991



Domain Walls

Walls can lower energy by shrinking to $R < R_s$

Rubin, Khlopov, Sakharov 2000

Q-Ball Collapse

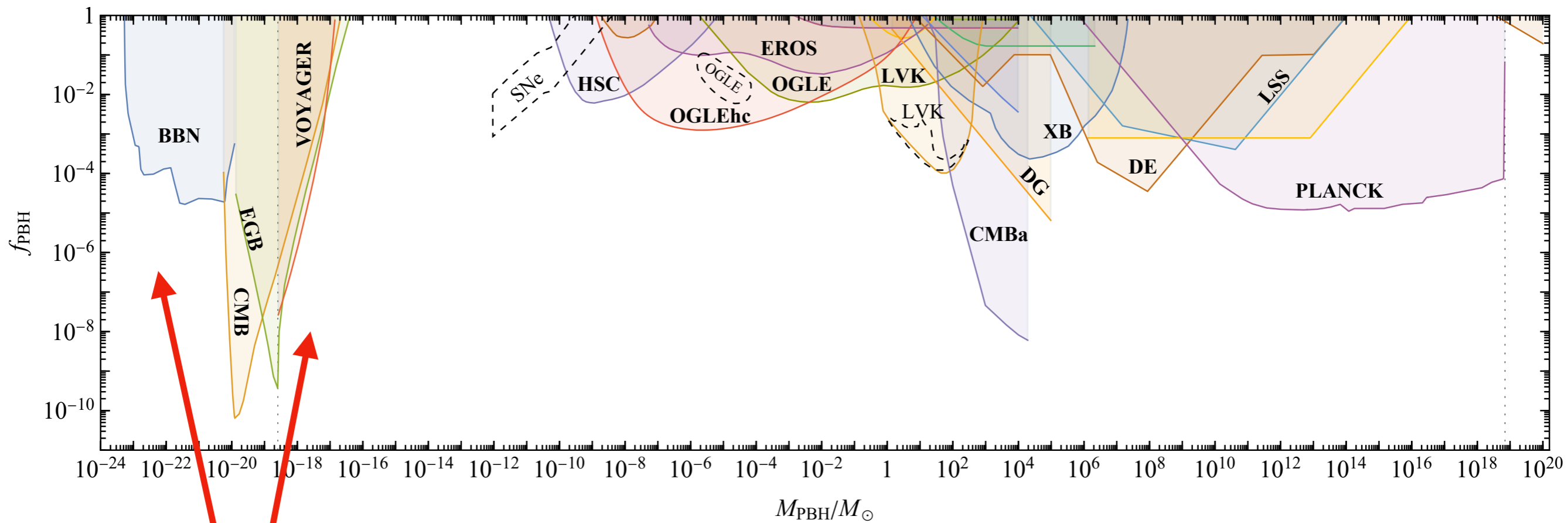
Scalar condensate accretes and collapses to $R < R_s$

Cotner, Kusenko 1612.02529



Observational Status

Carr, Iovino, Perna, Vaskonen, Vermae 2601.06024

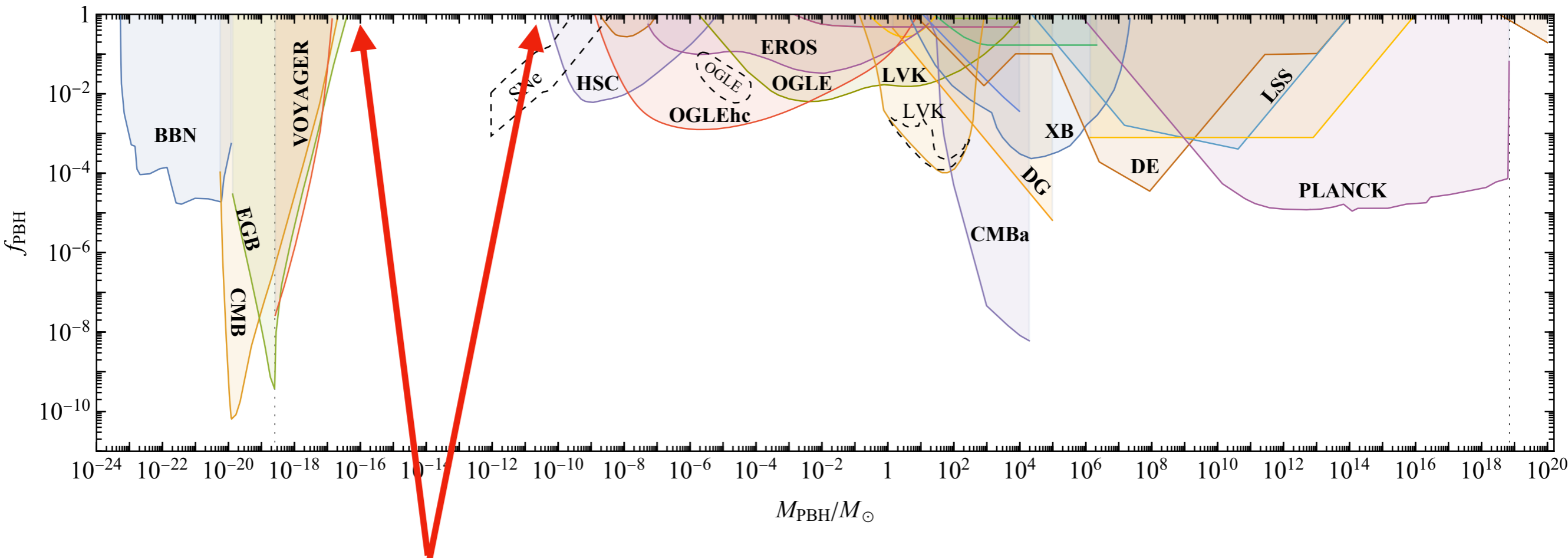


Cosmologically metastable PBH
Evaporation and energy injection limits

$$f_{\text{PBH}} \equiv \frac{\Omega_{\text{PBH}}}{\Omega_{\text{DM}}}$$

Observational Status

Carr, Iovino, Perna, Vaskonen, Vermae 2601.06024



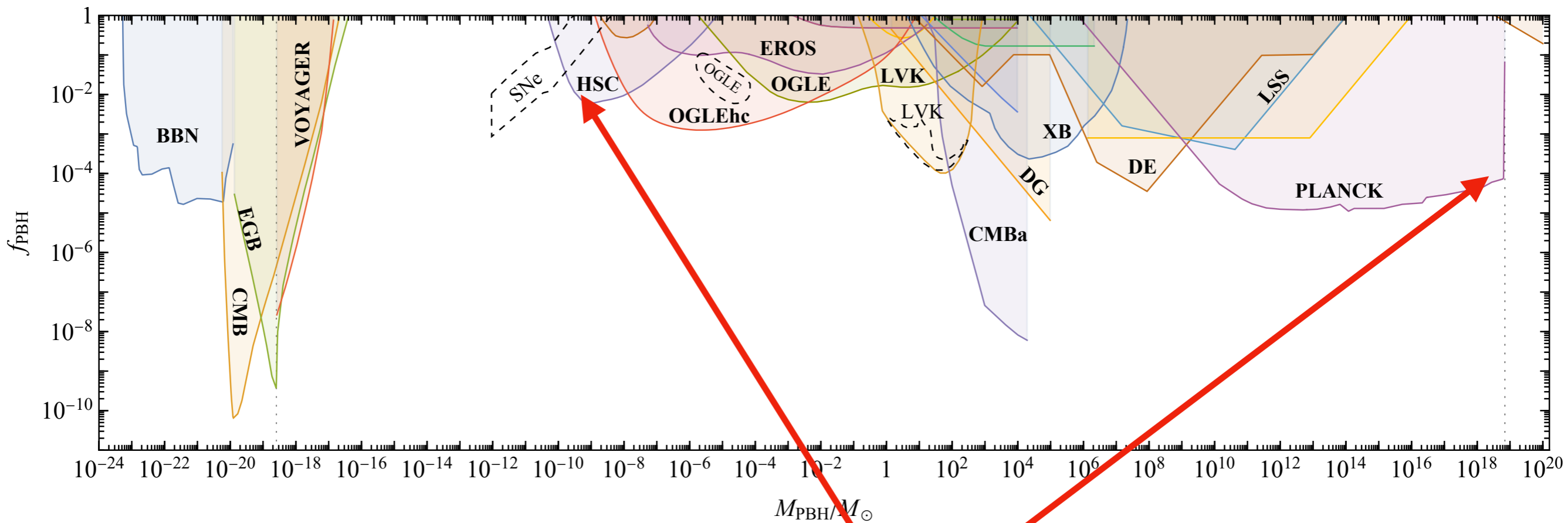
Cosmologically stable

Asteroid mass window: PBH can be all of the DM

$$f_{\text{PBH}} \equiv \frac{\Omega_{\text{PBH}}}{\Omega_{\text{DM}}}$$

Observational Status

Carr, Iovino, Perna, Vaskonen, Vermae 2601.06024



Cosmologically stable

Limits derive from astrophysics: lensing, GW, accretion...

$$f_{\text{PBH}} \equiv \frac{\Omega_{\text{PBH}}}{\Omega_{\text{DM}}}$$

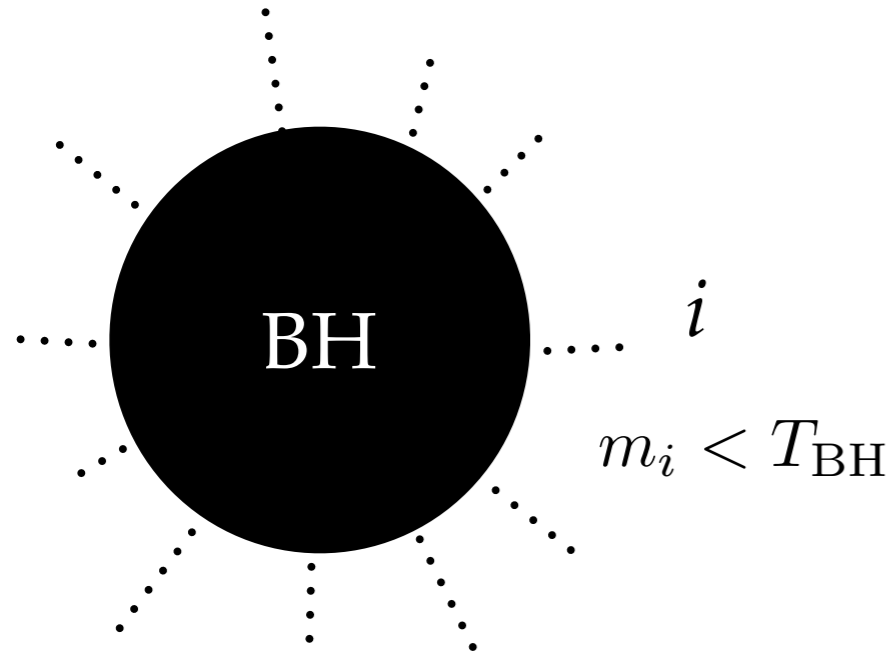
Overview

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Hawking Evaporation

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Hawking Evaporation



$$T_{\text{BH}} = \frac{M_{\text{Pl}}^2}{8\pi M_{\text{BH}}} \simeq 1.05 \times 10^{13} \text{ GeV} \left(\frac{g}{M_{\text{BH}}} \right)$$

Black holes emit particles with “gray body” spectrum set by Hawking temperature

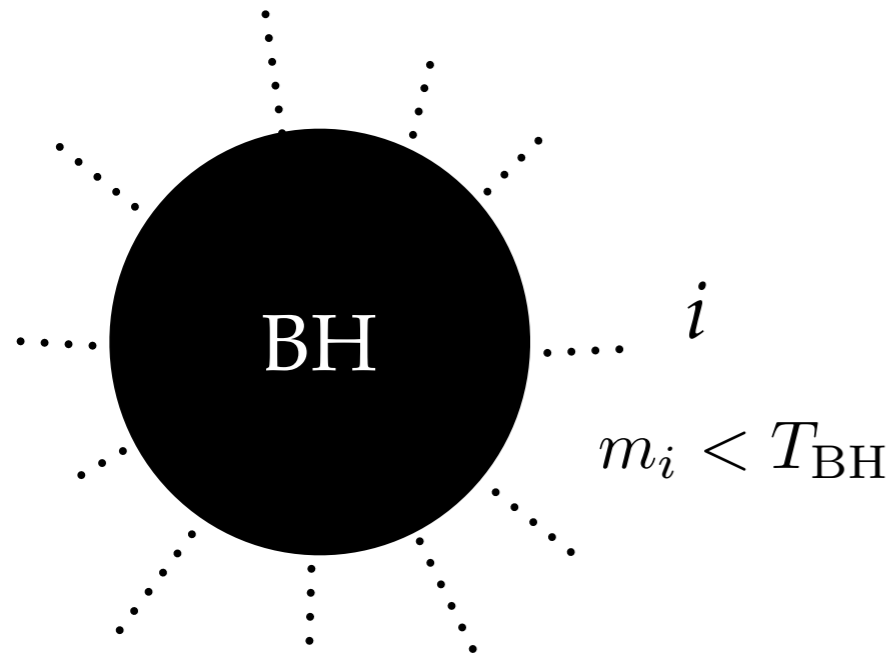
$$i = \text{SM} + \text{DM} + \text{axion} + \dots$$

Hawking, Commun. Math. Phys. 43, 199 (1975)

Carr, Astrophys. J. 206, 8 (1976).

MacGibbon, Webber, Phys. Rev. D 41, 3052 (1990).

Hawking Evaporation



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$$\frac{dM_{\text{BH}}}{dt} = -\frac{\mathcal{G} g_{\star,H}(T_{\text{BH}}) M_{\text{Pl}}^4}{30720 \pi M_{\text{BH}}^2} \simeq -7.6 \times 10^{24} \text{ g s}^{-1} g_{\star,H}(T_{\text{BH}}) \left(\frac{g}{M_{\text{BH}}} \right)^2$$

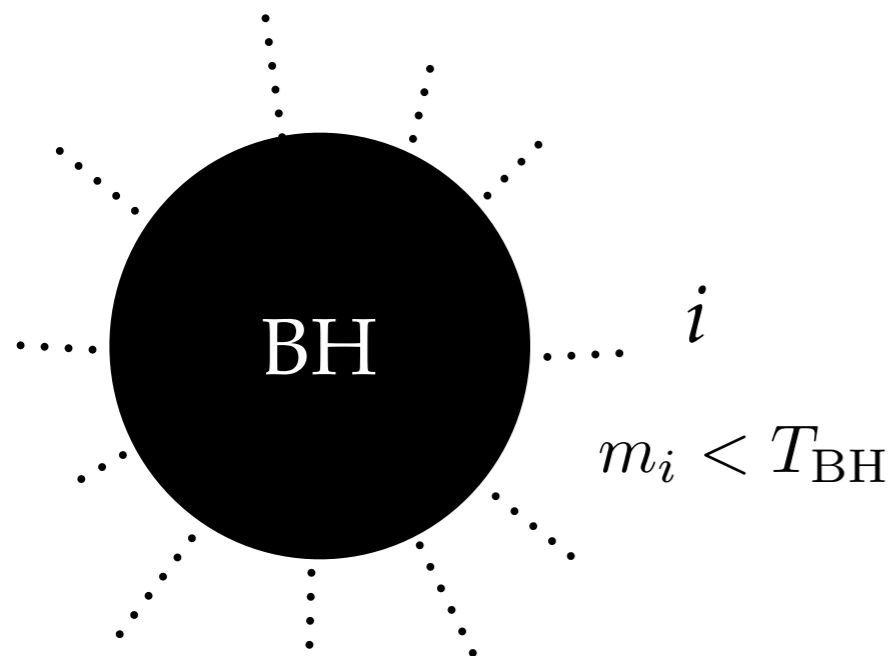
Equivalence principle: all species produced semi-democratically

Hawking, Commun. Math. Phys. 43, 199 (1975)

Carr, Astrophys. J. 206, 8 (1976).

MacGibbon, Webber, Phys. Rev. D 41, 3052 (1990).

Hawking Evaporation



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Gray-body factors

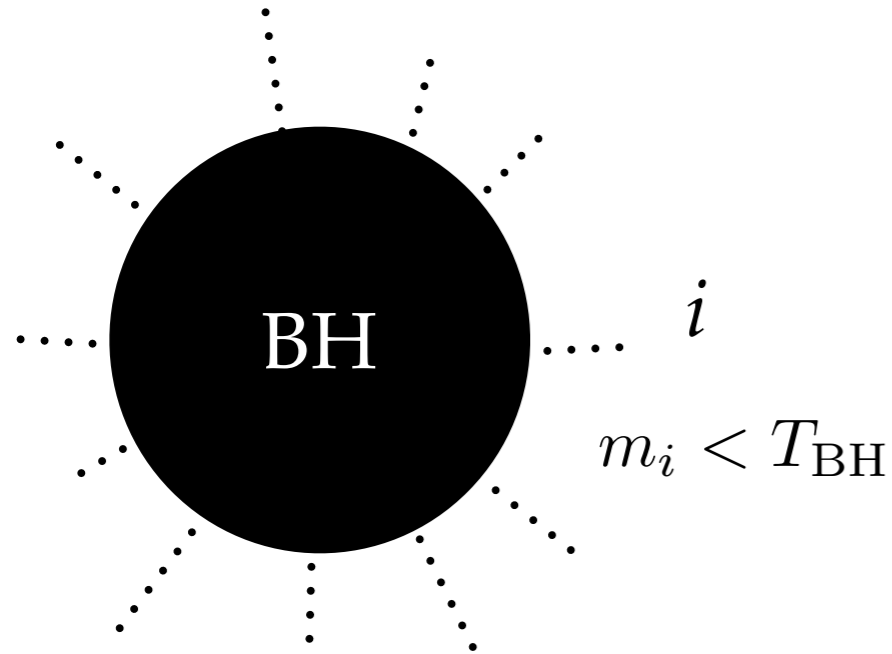
$$g_{\star,H}(T_{\text{BH}}) \equiv \sum_i w_i g_{i,H} \quad , \quad g_{i,H} = \begin{cases} 1.82 & s = 0 \\ 1.0 & s = 1/2 \\ 0.41 & s = 1 \\ 0.05 & s = 2 \end{cases}$$

Hawking, Commun. Math. Phys. 43, 199 (1975)

Carr, Astrophys. J. 206, 8 (1976).

MacGibbon, Webber, Phys. Rev. D 41, 3052 (1990).

Hawking Evaporation



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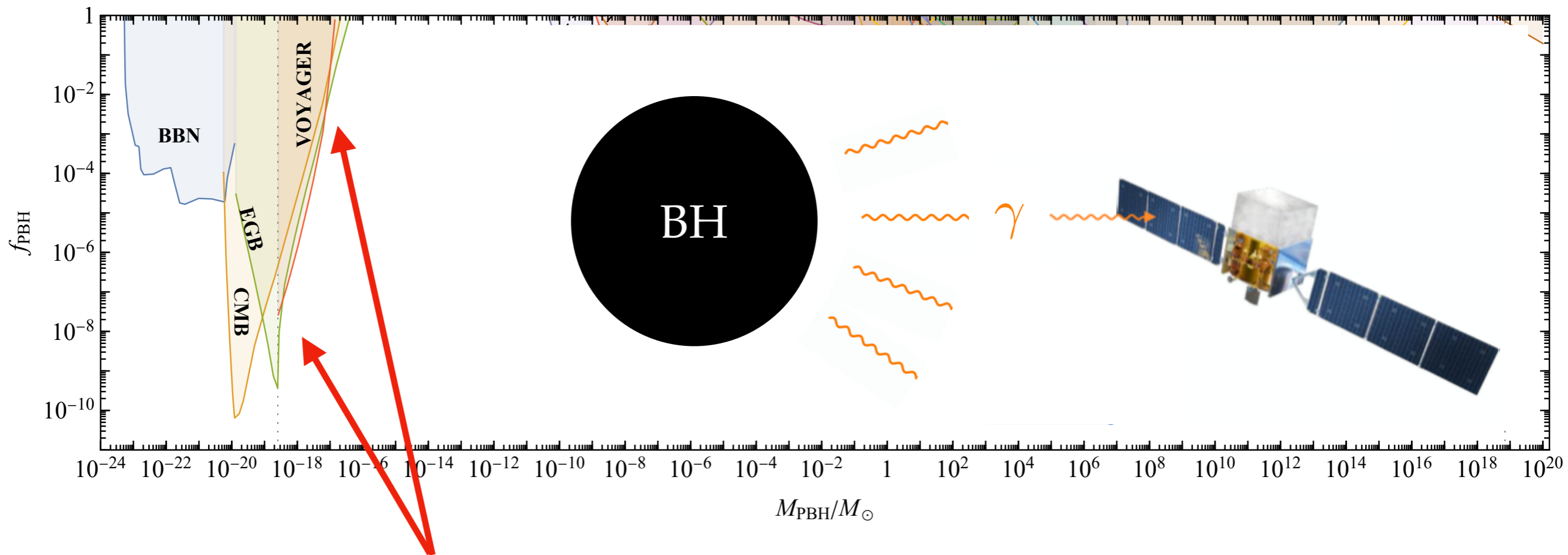
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Lifetime highly sensitive to initial PBH mass

$$\tau_{\text{BH}} = \int_0^{M_i} \frac{dM_{\text{BH}}}{\dot{M}_{\text{BH}}} \approx 4\text{s} \left(\frac{M_i}{10^8 \text{ g}} \right)^3$$

NB : $m_{\text{Pl}} \sim \text{mg}$

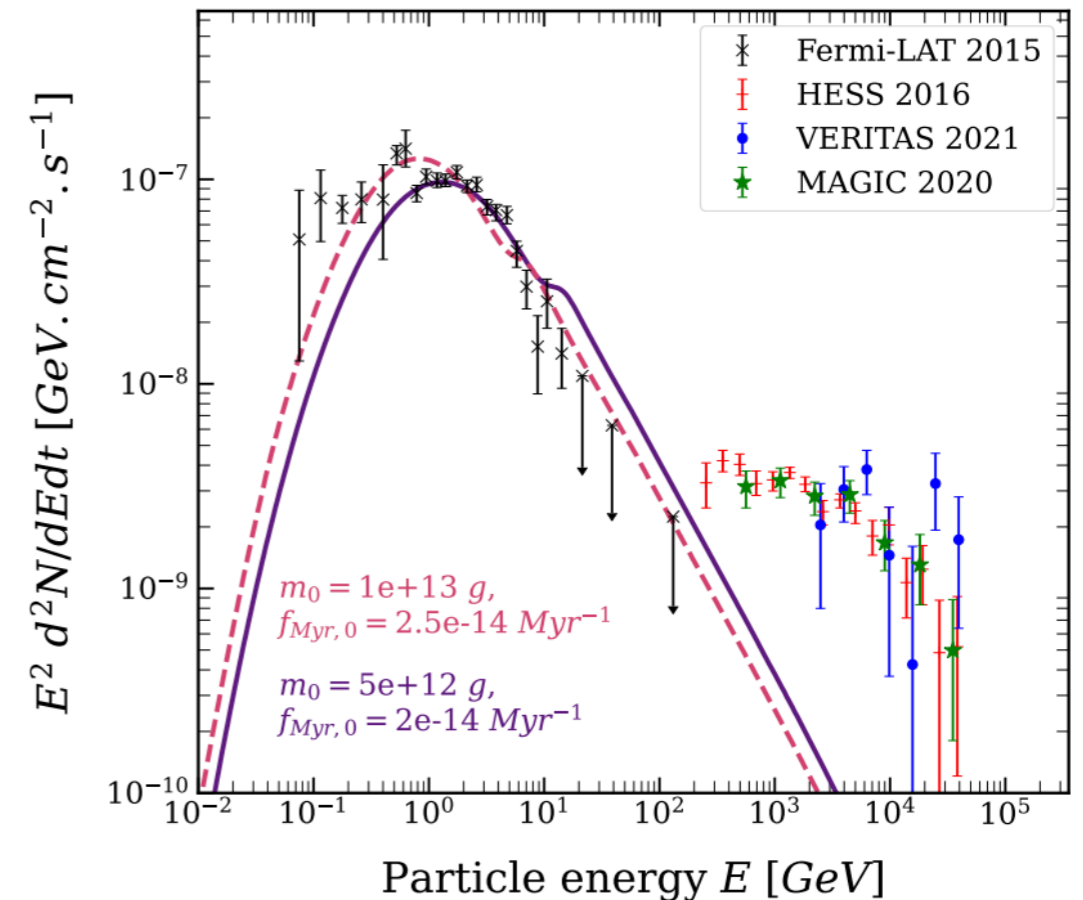
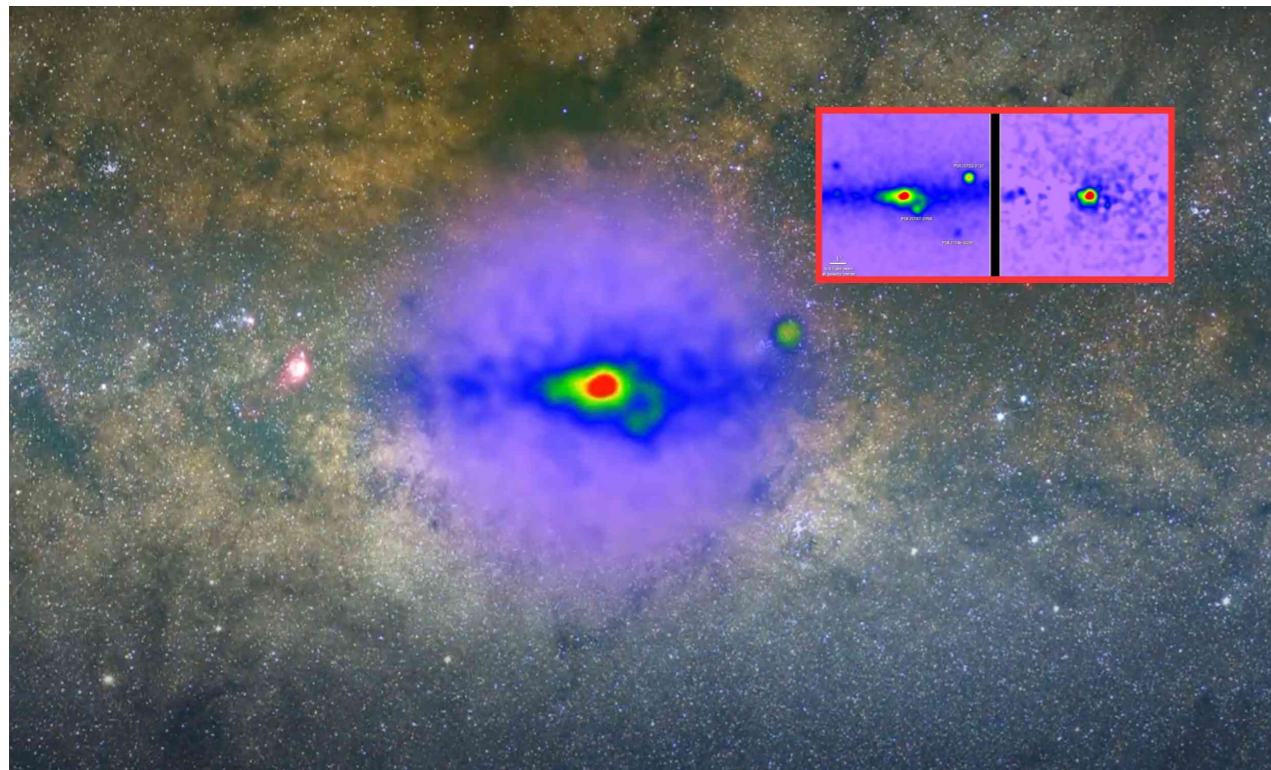
EM Particle Emission in Late Universe



Near this edge, PBH lifetime ~ 10 Gyr with $T \sim \text{MeV}$
 Emission of gamma rays, electrons, positrons, neutrinos

$$\Phi_{\gamma}^{\text{obs}} > n_{\text{PBH}} \int dt \frac{dN_{\gamma}}{dE_{\gamma} dt}$$

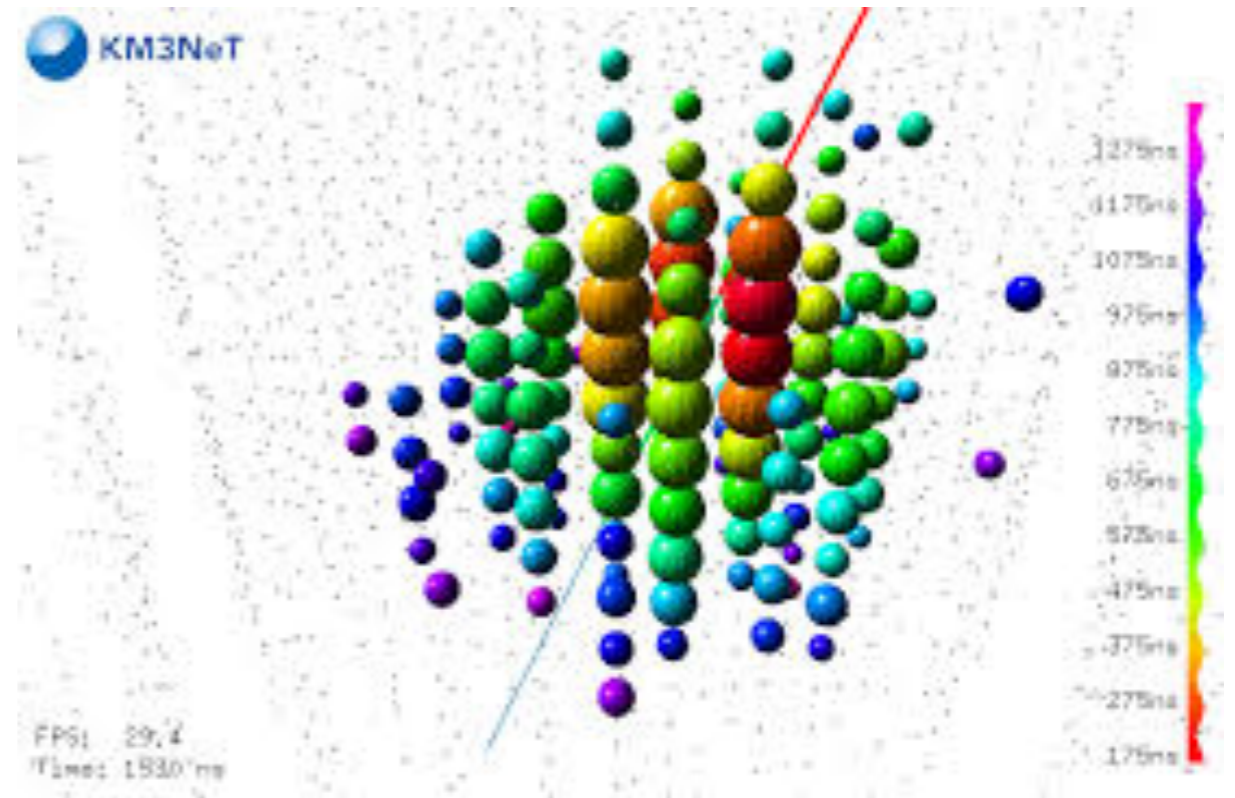
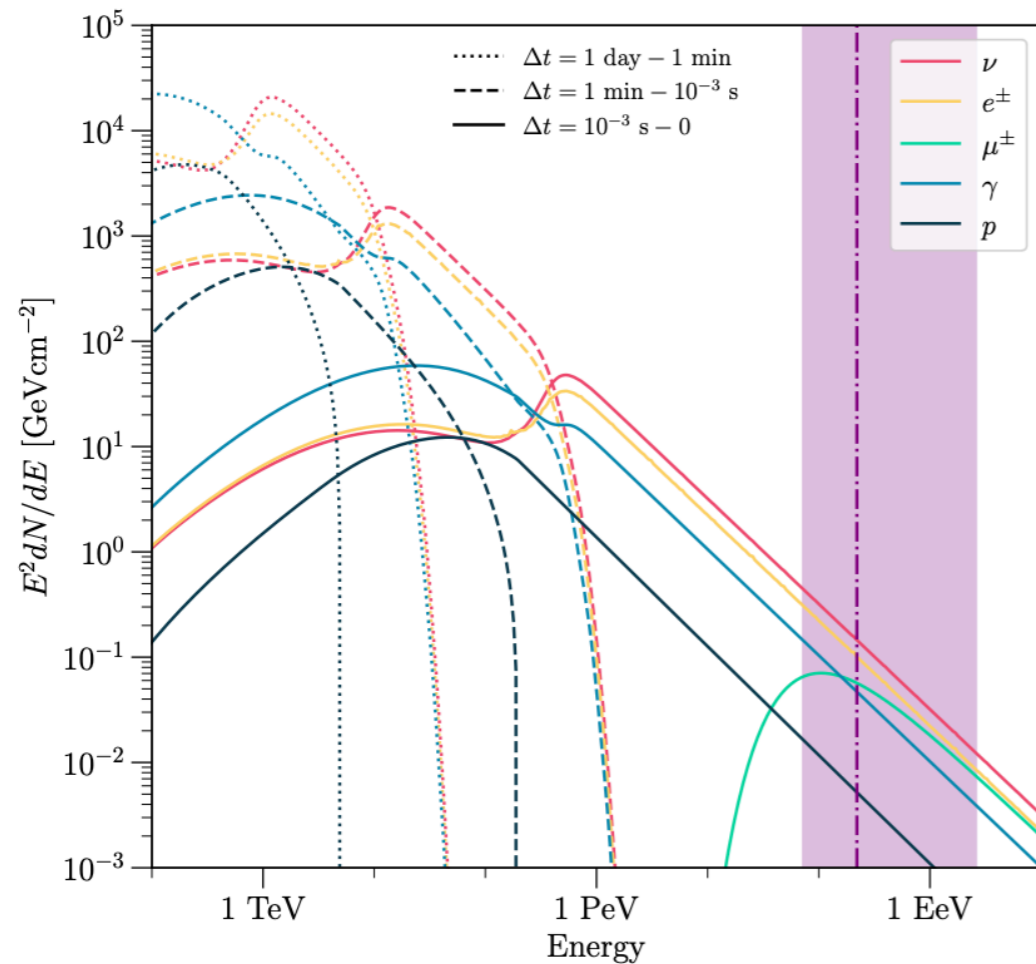
Galactic Center Excess?



Longstanding excess of gamma rays in galactic center

Spectrum of PBH evaporation products can match GCE
... but need late-time formation of fast-evaporating PBH

Neutrino Emission in the Late Universe



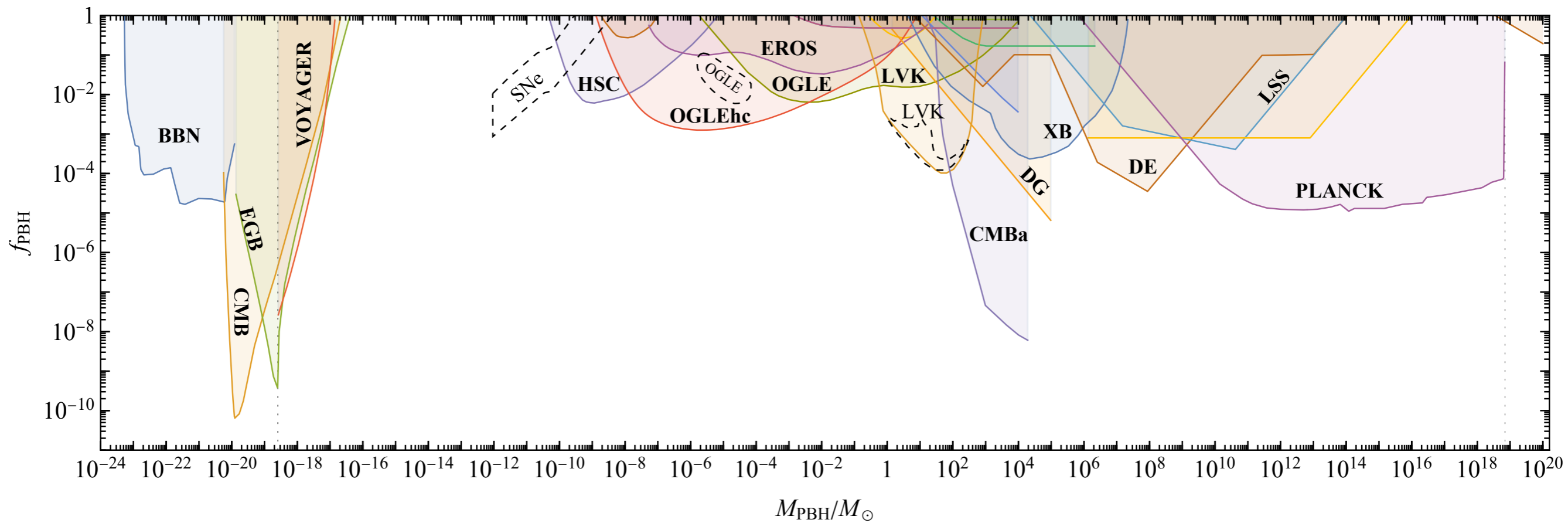
Evaporation near end of PBH life can emit high energy neutrinos.
If PBH sufficiently nearby, can explain ~ 100 PeV KM3NeT event

Klipfel, Kaiser 2503.19227

Some tension with EM particle fluxes

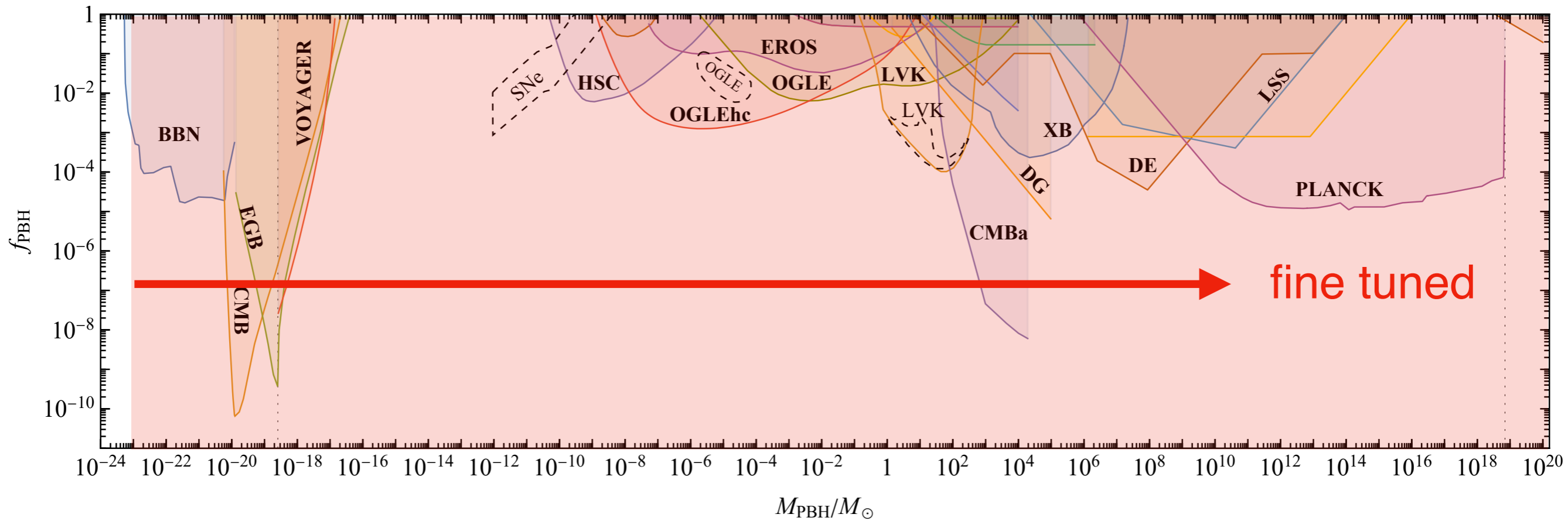
Airoidi, Alves, Perez-Gonzales, Salla, Funchal 2505.24666

There's Just One Problem...



PBH Always redshift like matter $\rho_{\text{BH}} \propto a^{-3} \implies \frac{\rho_{\text{BH}}}{\rho_{\text{rad}}} \propto a$

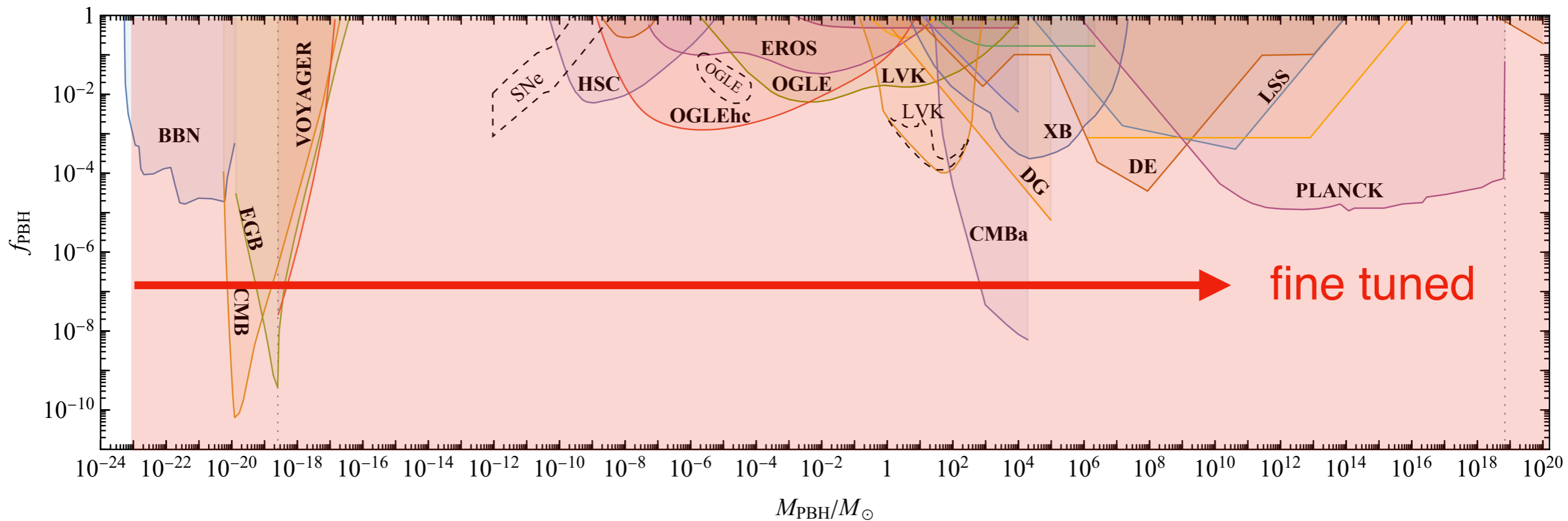
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Need extremely fine-tuned initial abundance... 😞

There's Just One Problem...



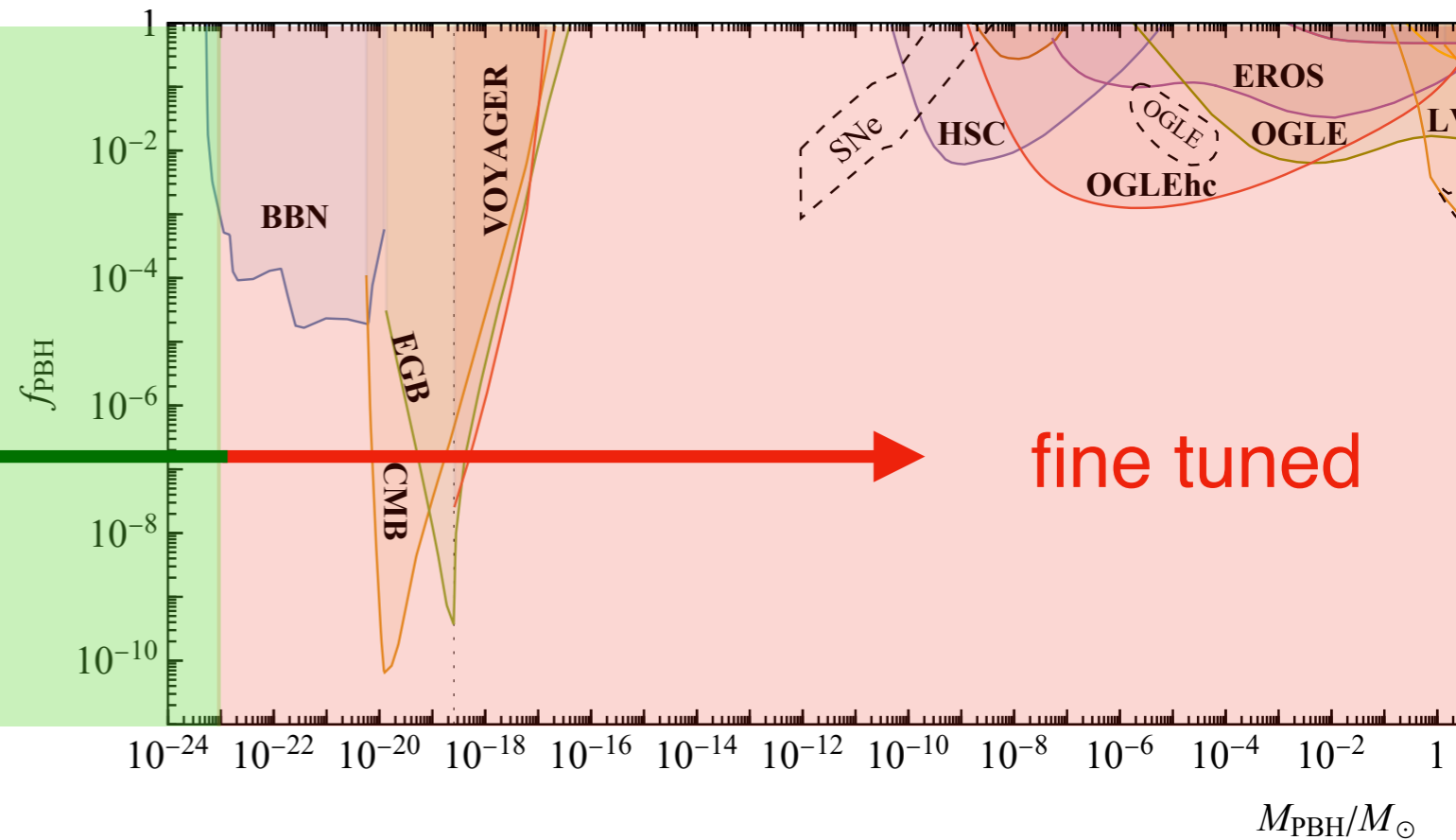
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Need extremely fine-tuned initial abundance... 😞

"Never let a good crisis go to waste"
Rahm Emanuel (Former Chicago Mayor)

~~There's Just One Problem...Opportunity!~~

Viabale and natural
for nearly any initial abundance



If evaporation occurs before BBN, PBH can dominate the universe 😎

$$\tau_{\text{BH}} \sim 1 \text{ s} \left(\frac{M_{\text{BH}}}{10^9 \text{ g}} \right)^3$$

“When they go high, we go low”
Al Capone*

*probably

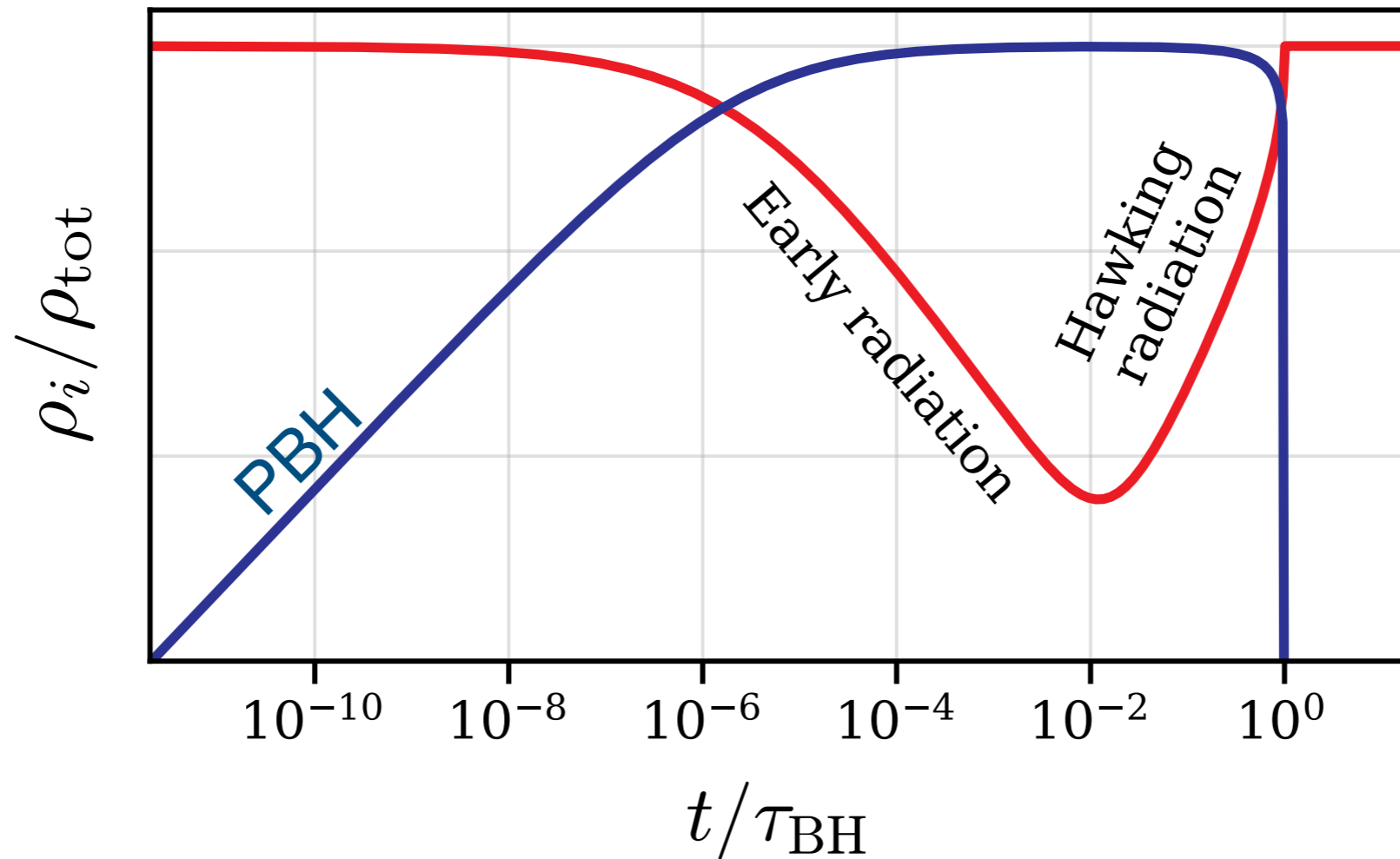
Overview

Early Universe Formation

Hawking Evaporation

Black Hole Dominated Cosmology

PBH Domination



1. Very light PBH naturally dominate universe (tiny abundance is enough!)
2. Hawking radiation thermalizes to restore thermal bath before BBN
3. Nearly every prediction is set by PBH mass

PBH Domination

Boltzmann system

$$\dot{\rho}_{\text{BH}} + 3H\rho_{\text{BH}} = -\frac{\dot{M}_{\text{BH}}}{M_{\text{BH}}}\rho_{\text{BH}}$$
$$\dot{\rho}_R + 4H\rho_R = +\frac{\dot{M}_{\text{BH}}}{M_{\text{BH}}}\rho_{\text{BH}}$$

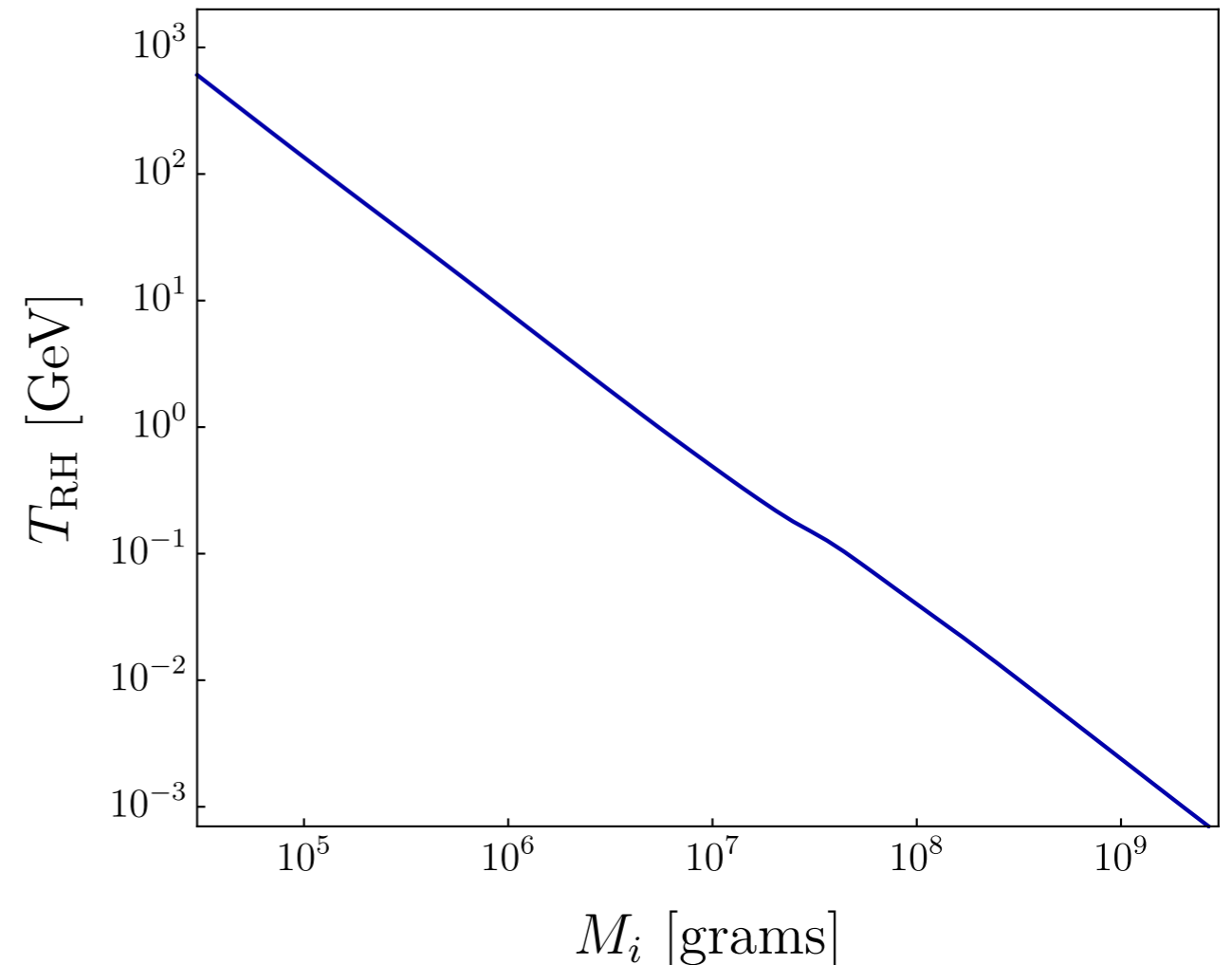
Hubble rate matter dominated

$$H \approx \sqrt{\frac{8\pi G\rho_{\text{BH}}}{3}} = \frac{2}{3t}$$

At evaporation time $t = \tau_{\text{BH}}$

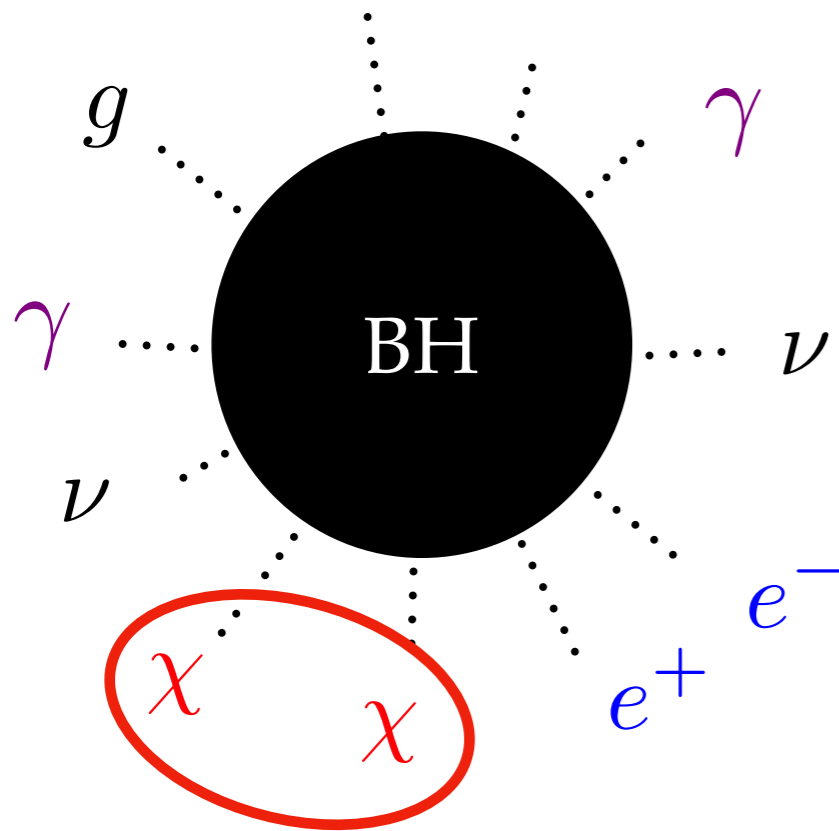
$$\rho_{\text{BH}} \approx \rho_R \implies \frac{2}{3\tau_{\text{BH}}} \sim \frac{T_{\text{RH}}^2}{M_{\text{Pl}}}$$

Reheating From BH Domination

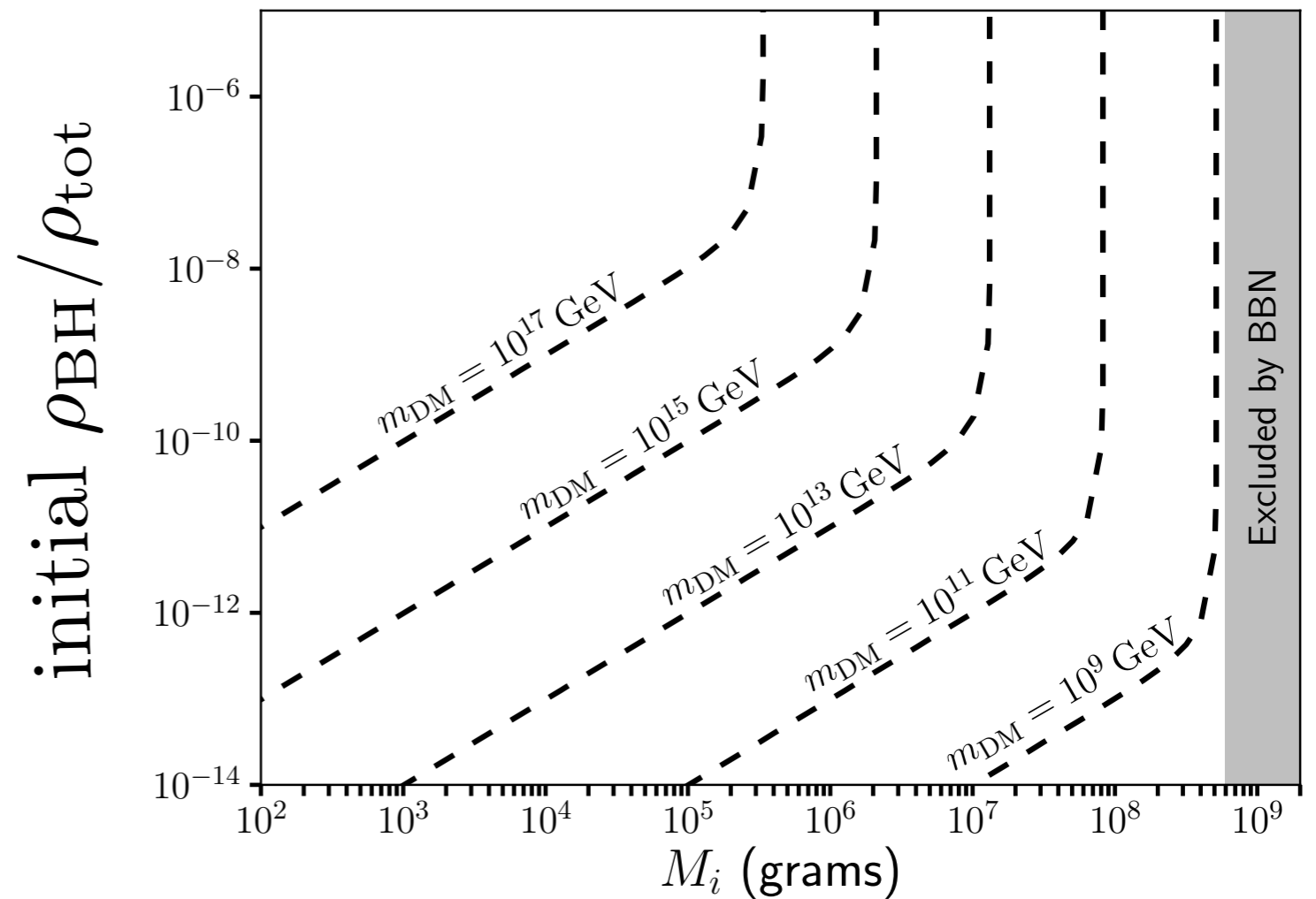


$$\tau_{\text{BH}} \propto M_{\text{BH}}^3$$

Dark Matter From PBH Domination



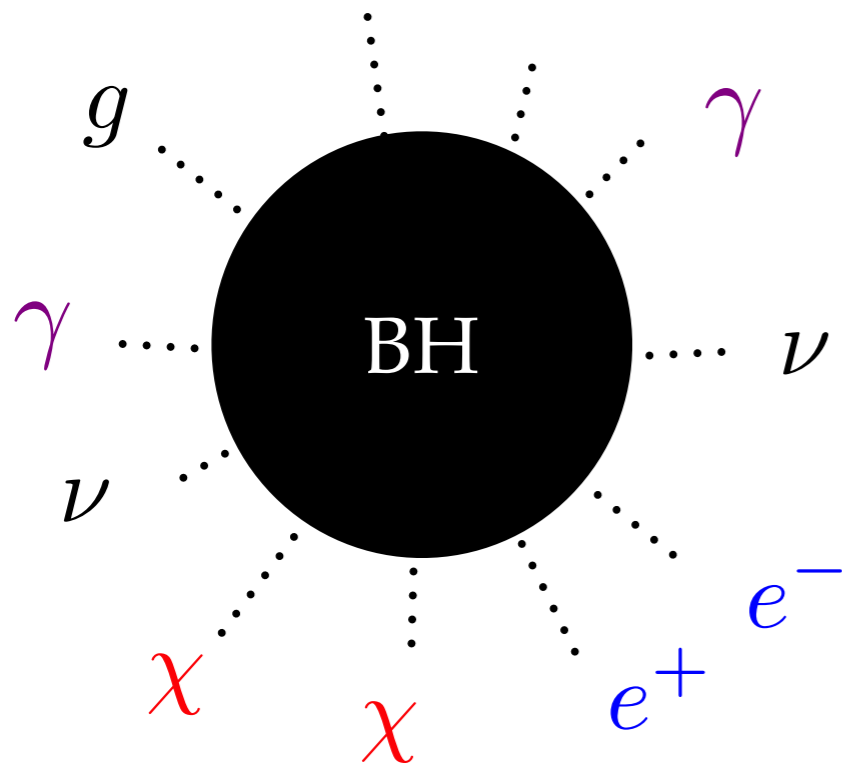
DM from Hawking radiation



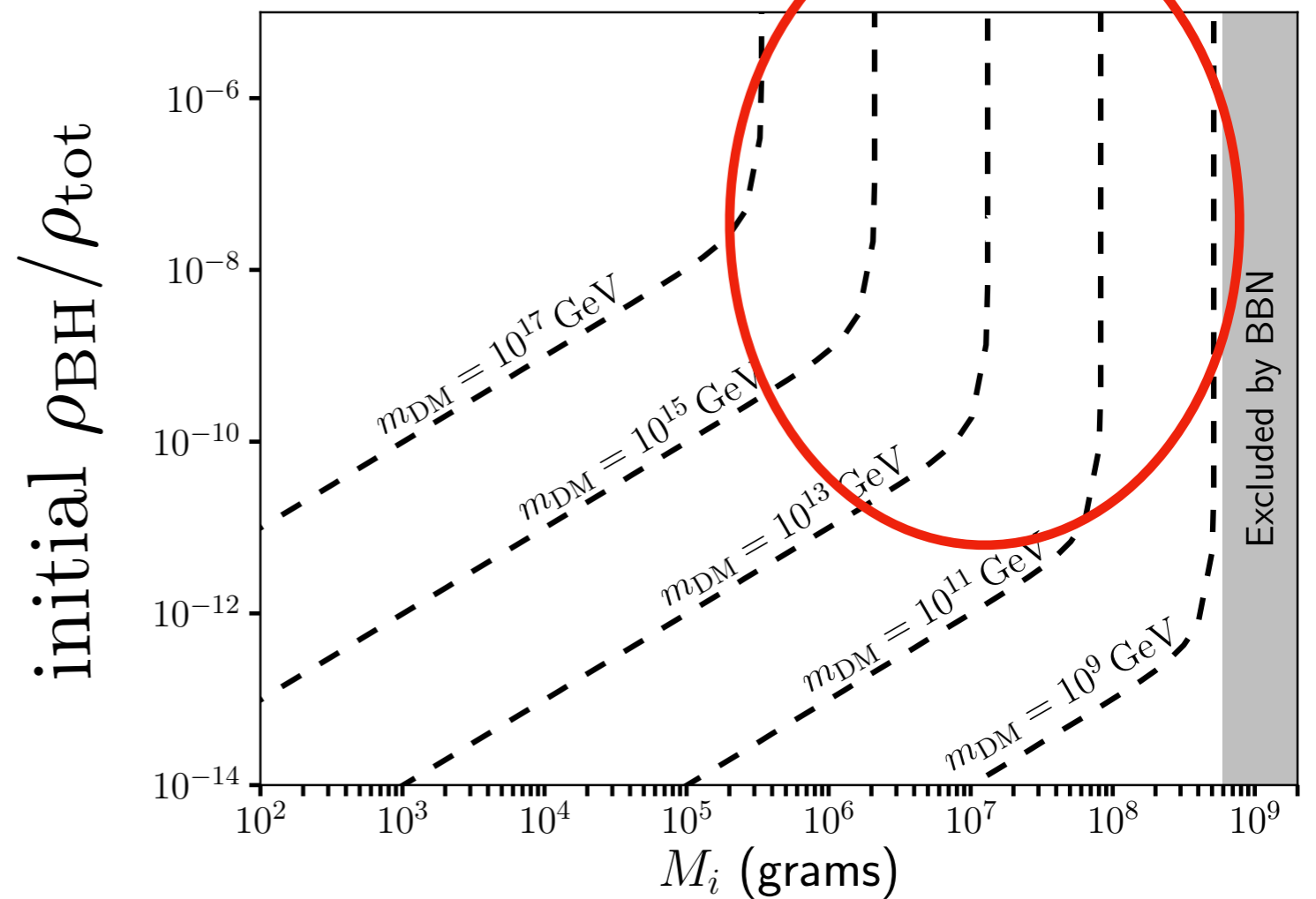
Assumes DM does not thermalizes with surrounding plasma
Requires ultra-heavy DM mass scale $> 10^9 \text{ GeV}$

Dark Matter From PBH Domination

BH Domination

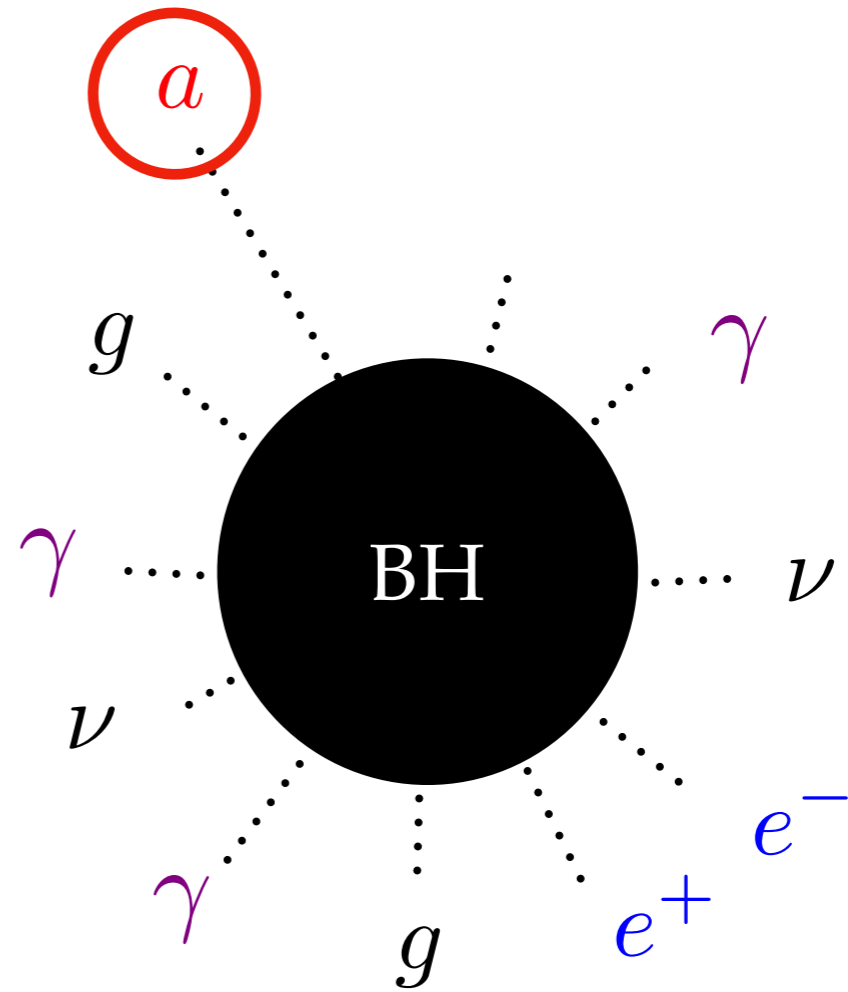
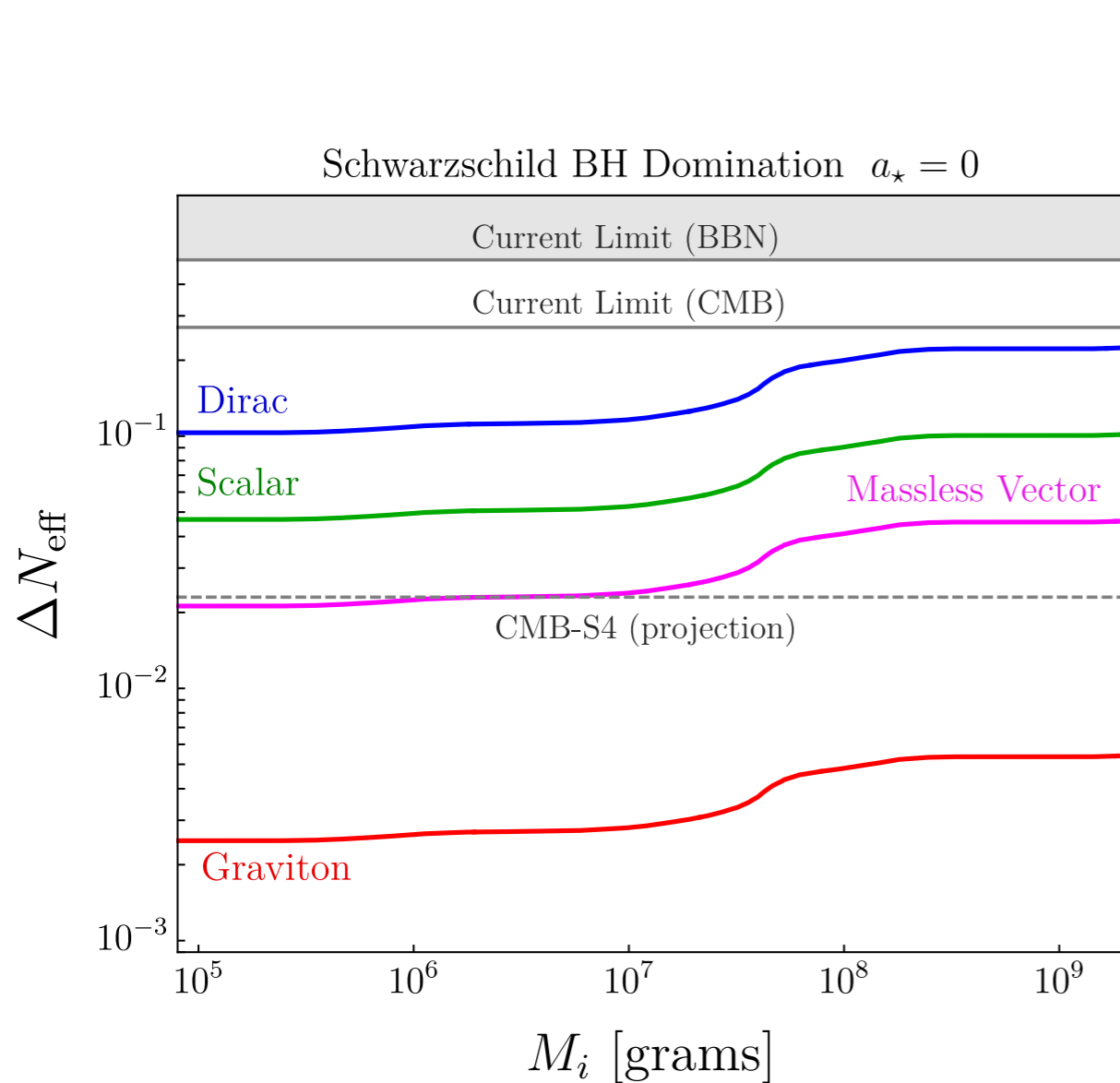


DM from Hawking radiation



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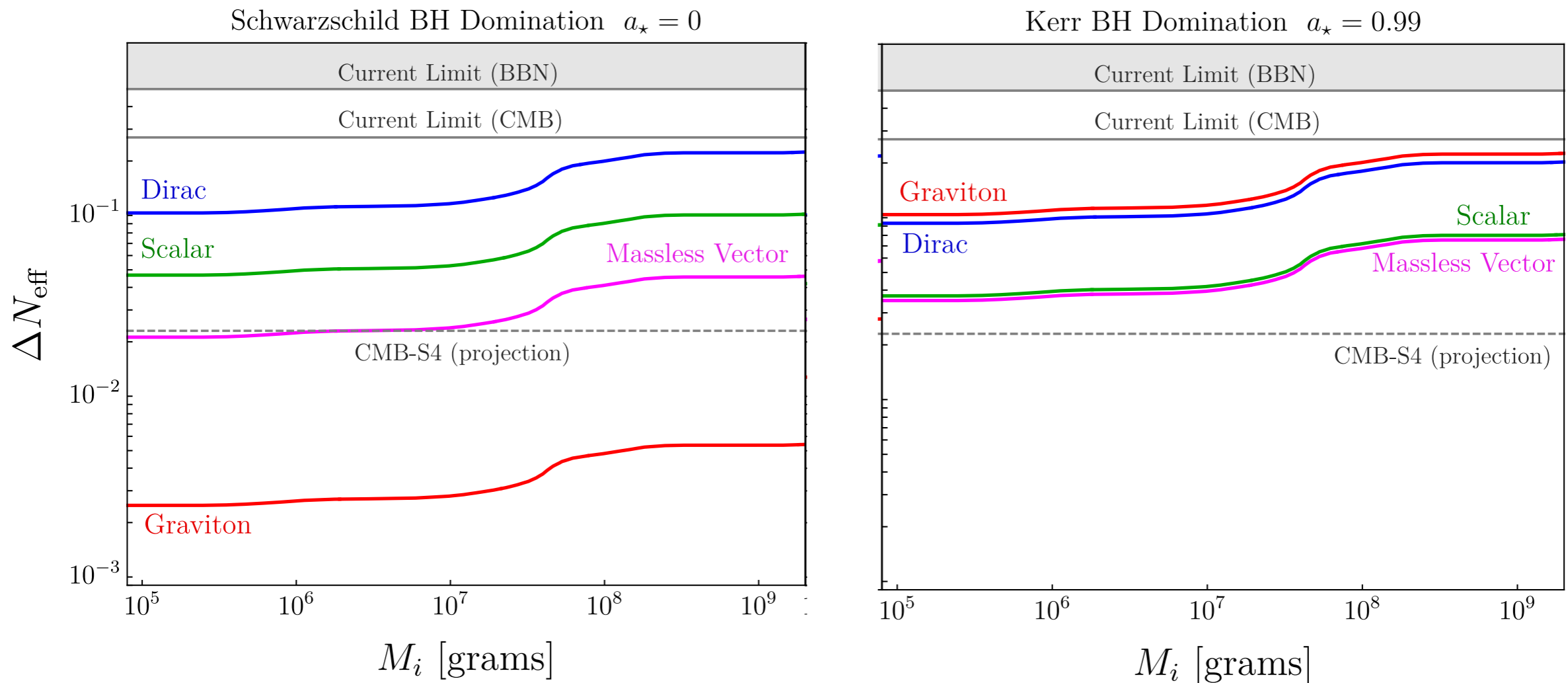
Dark Radiation From PBH Domination



Hawking evaporation produces all known and unknown particles
 Light new particles contribute to present-day radiation density

$$\Delta N_{\text{eff}} = \frac{\rho_{\text{DR}}}{\rho_{\nu_i} + \rho_{\bar{\nu}_i}}$$

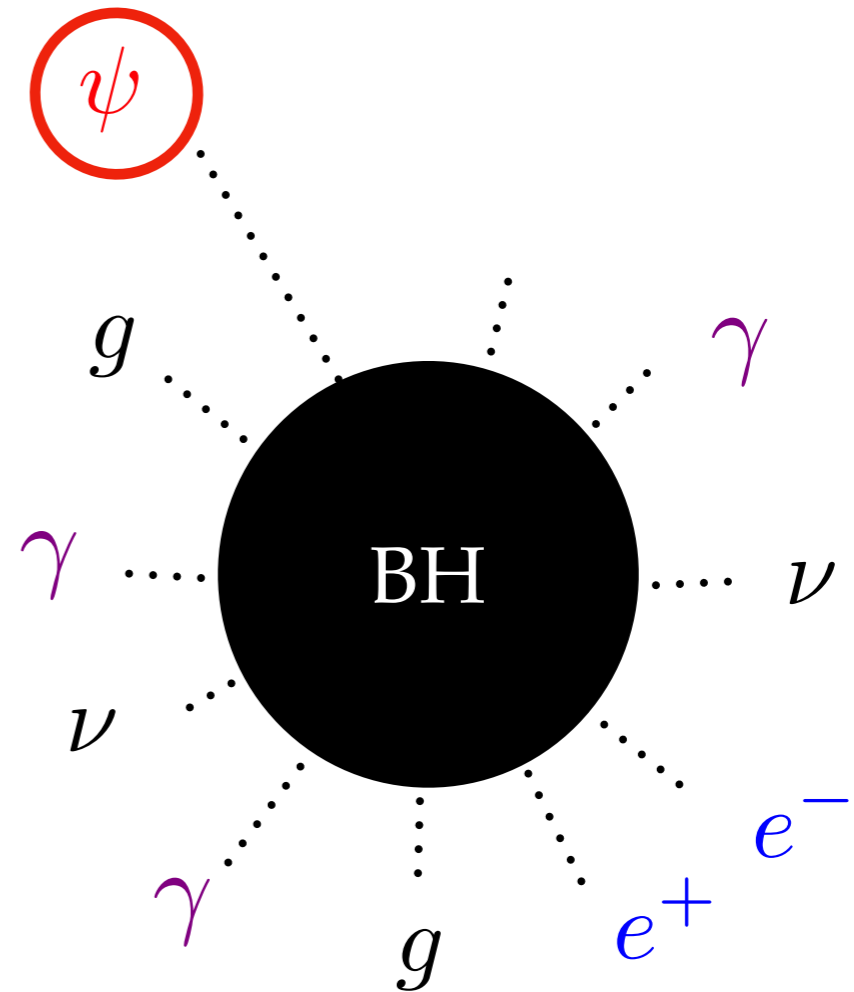
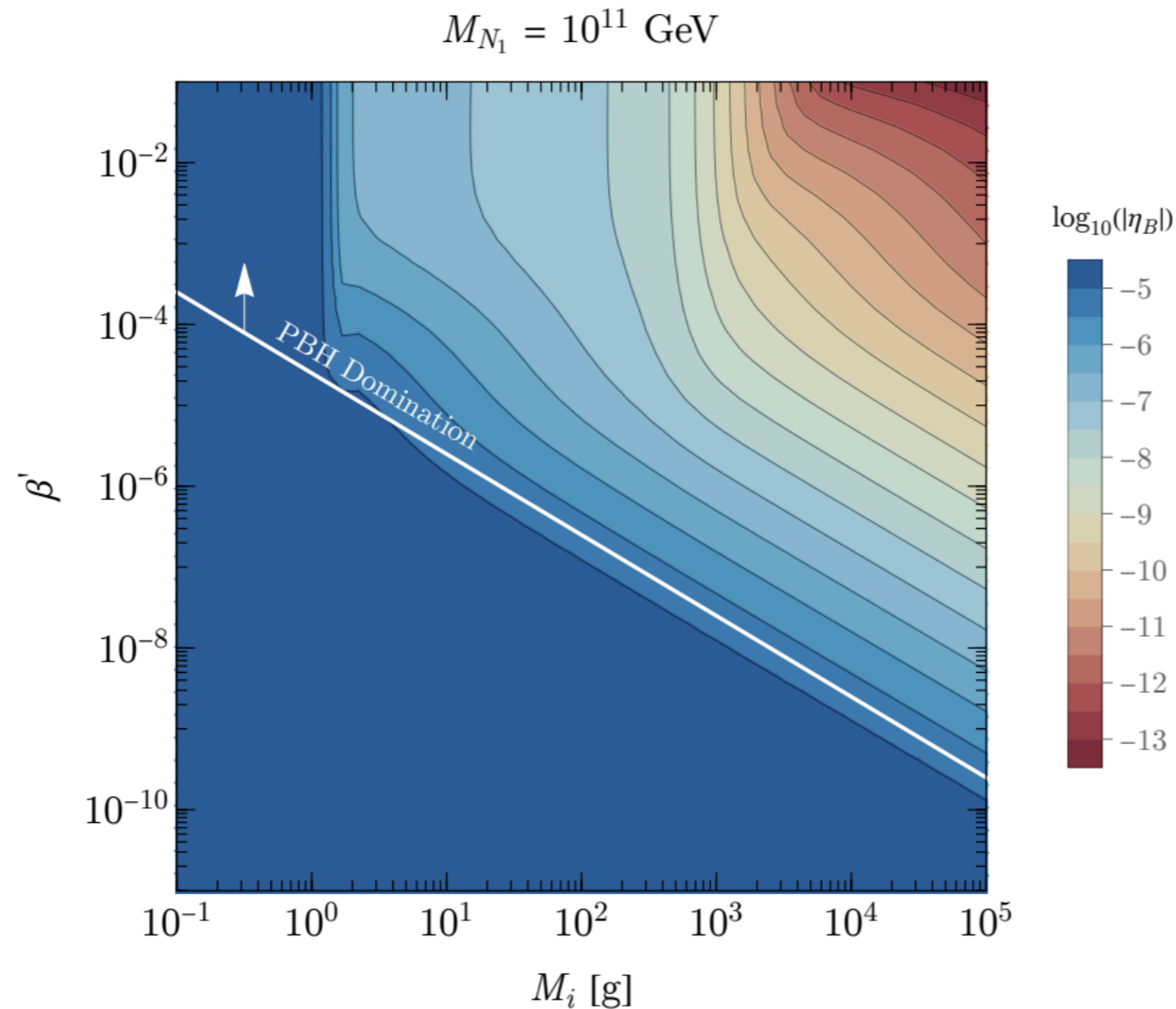
Dark Radiation From PBH Domination



If the PBH have large spin, they produce a hot graviton background

$$\Delta N_{\text{eff}} = \frac{\rho_{\text{DR}}}{\rho_{\nu_i} + \rho_{\bar{\nu}_i}}$$

Baryogenesis From PBH Domination

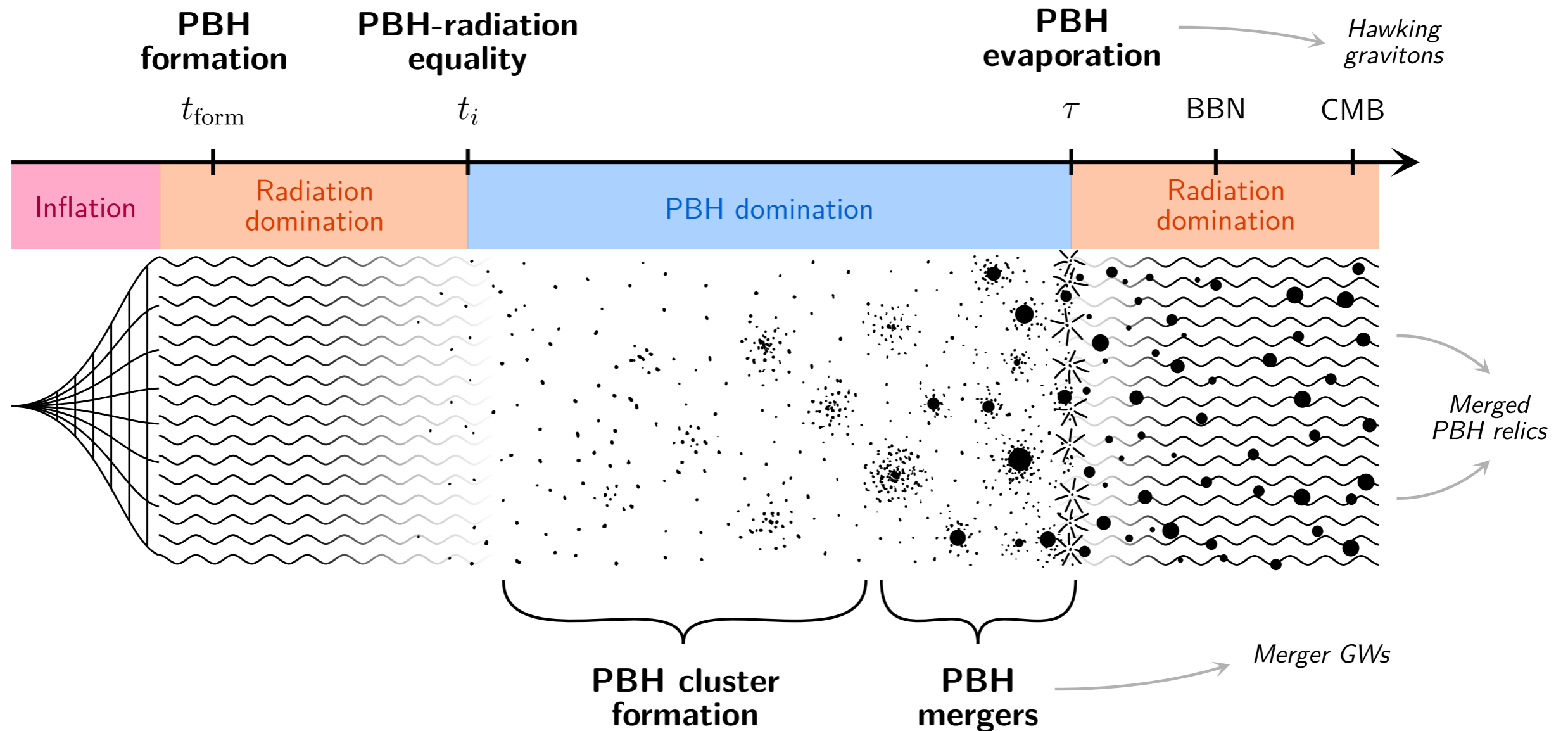


PBH evaporation injects heavy particles out of equilibrium

Baryon/lepton violating decays occur without washout $T_{\text{BH}} \gg T_{\text{RH}}$

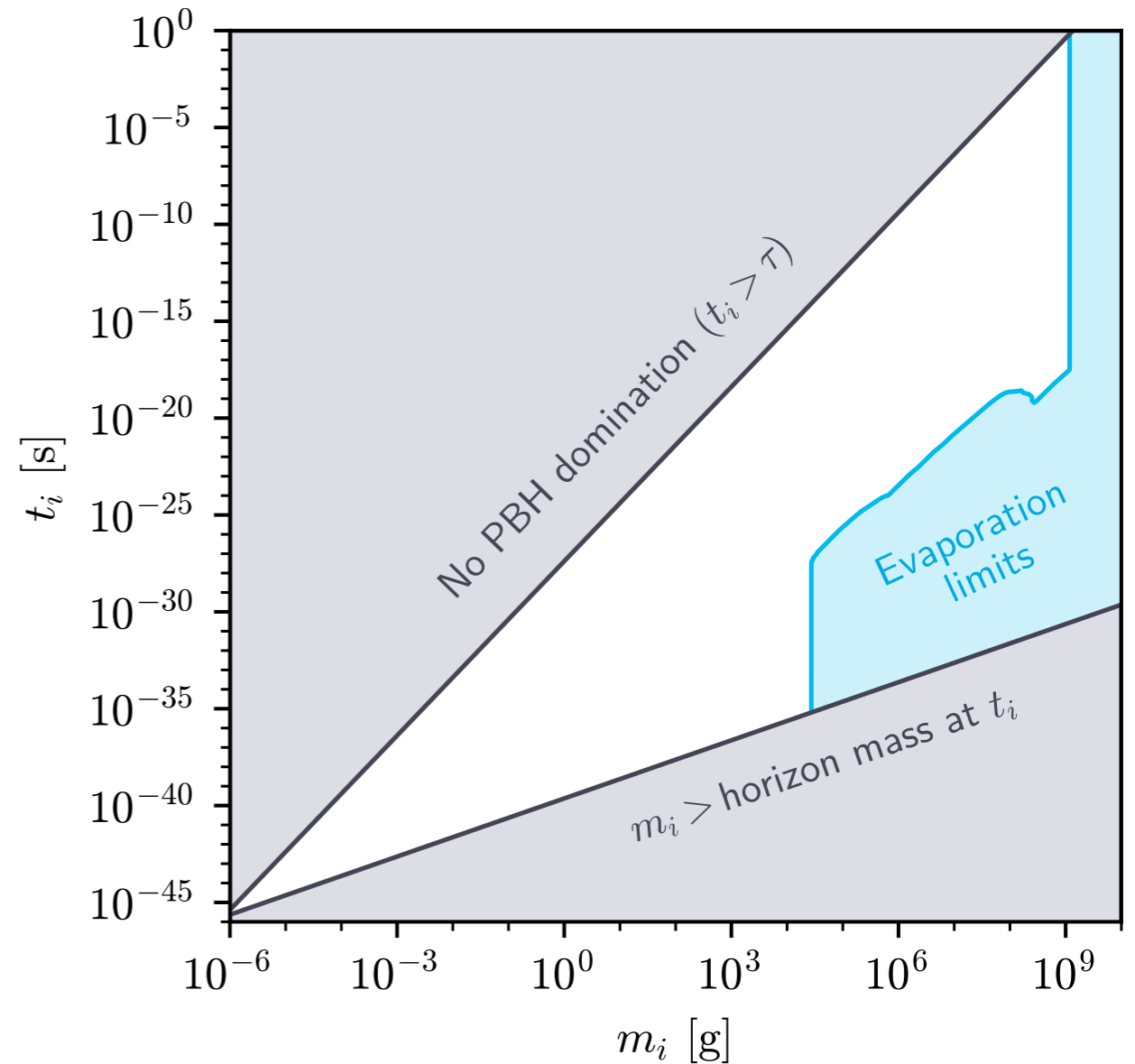
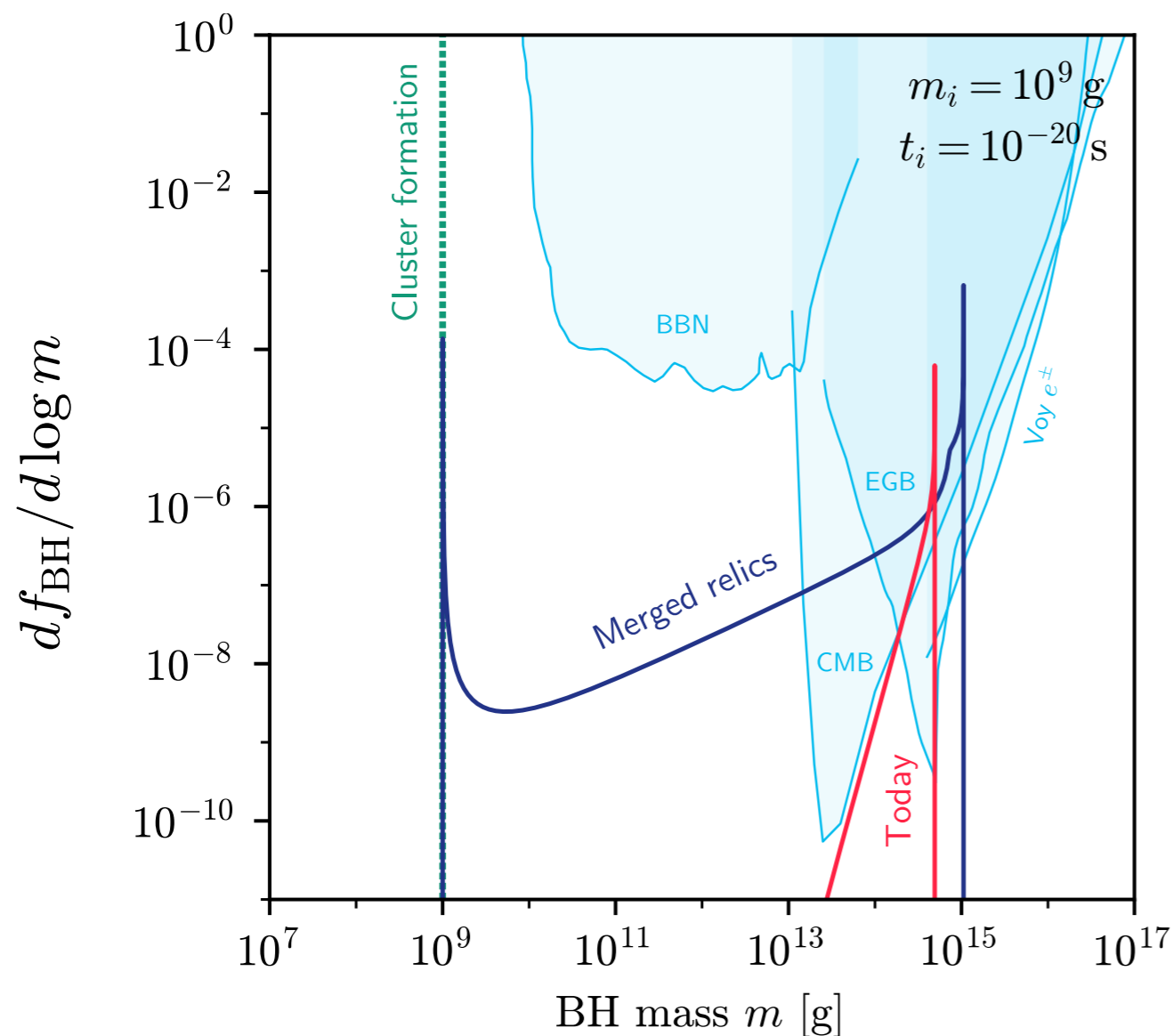
Rescues GUT baryogenesis and low-scale leptogenesis

Mergers During PBH Domination



During early matter domination, perturbations grow, haloes form
PBH can cluster and merge to become more massive (longer lived)

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 PBH can cluster and merge to become more massive (longer lived)

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Are PBH the only compact objects we can make?

Primordial Neutron Stars?

Q: What prevents neutron star formation in early universe?

Primordial Neutron Stars?

Q: What prevents neutron star formation in early universe?

A: In standard cosmology, not enough baryon number inside horizon

$$M_B = \frac{4\pi m_p s Y_B}{3H^3} \approx 0.3 M_\odot \left(\frac{Y_B}{10^{-10}} \right) \left(\frac{500 \text{ keV}}{T} \right)^3$$



Baryonic mass inside
causal horizon

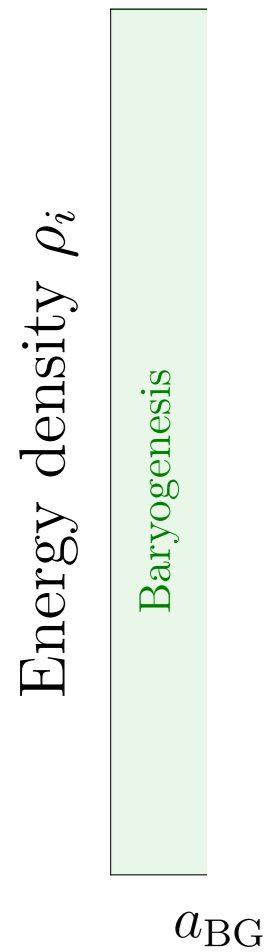


Baryon-entropy ratio

Need *much* larger baryon number than we observe

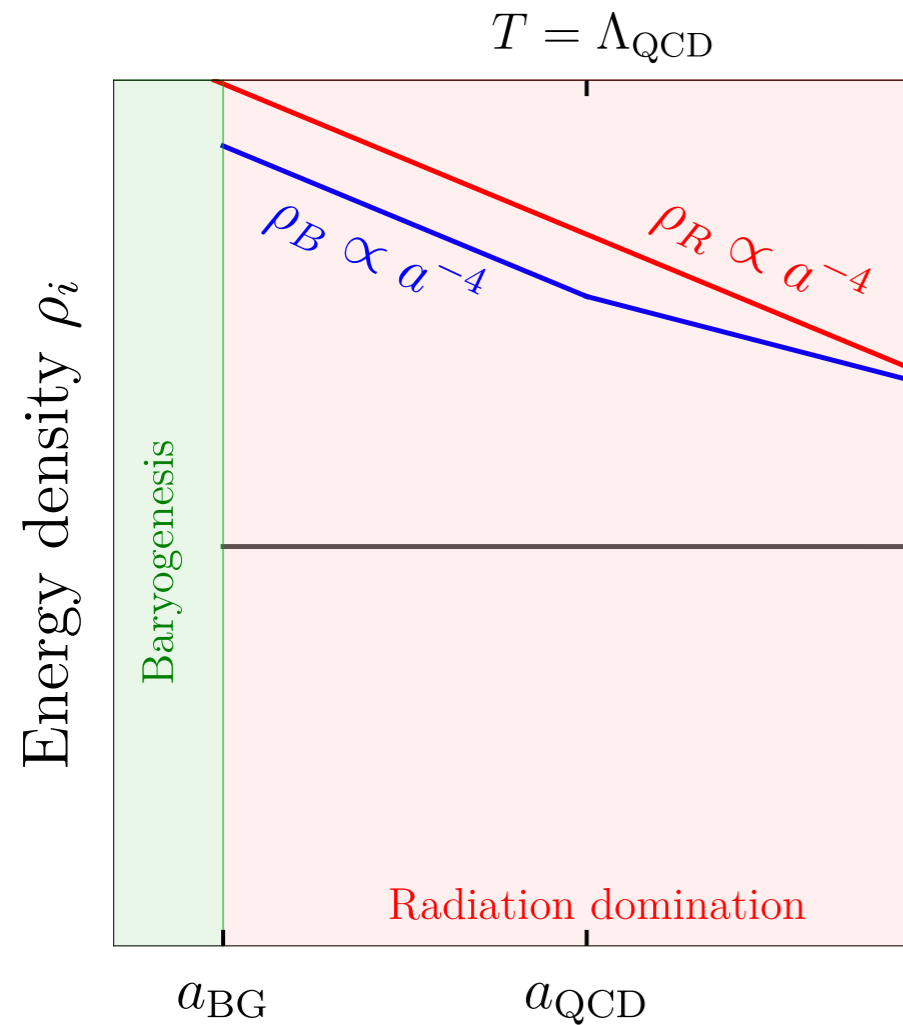
... but this is possible with Affleck-Dine baryogenesis

Primordial Neutron Stars



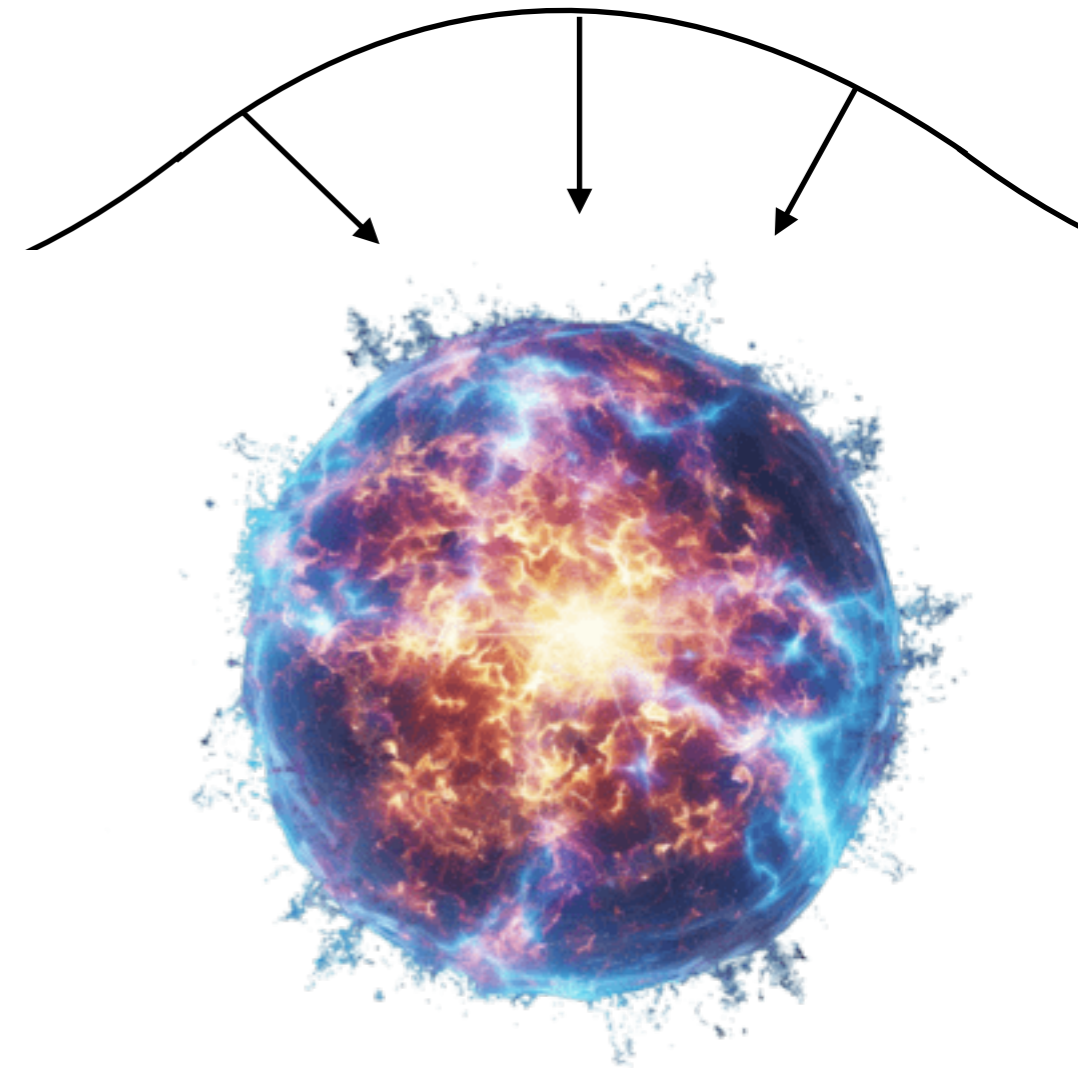
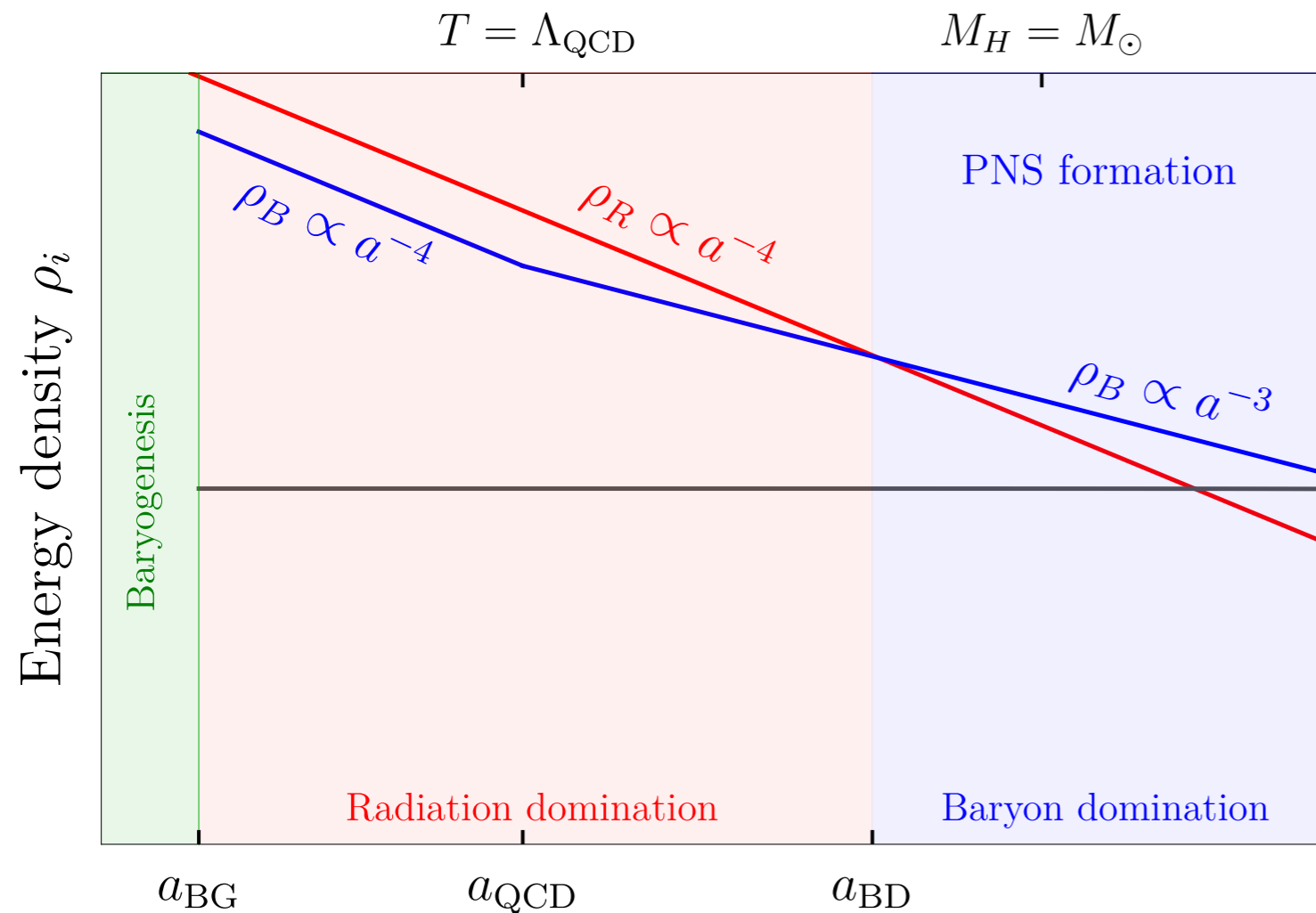
Step 1: baryogenesis initially creates $Y_B = \frac{n_B}{s} \gg 10^{-10}$

Primordial Neutron Stars



Step 2: confinement occurs, baryons become non-relativistic

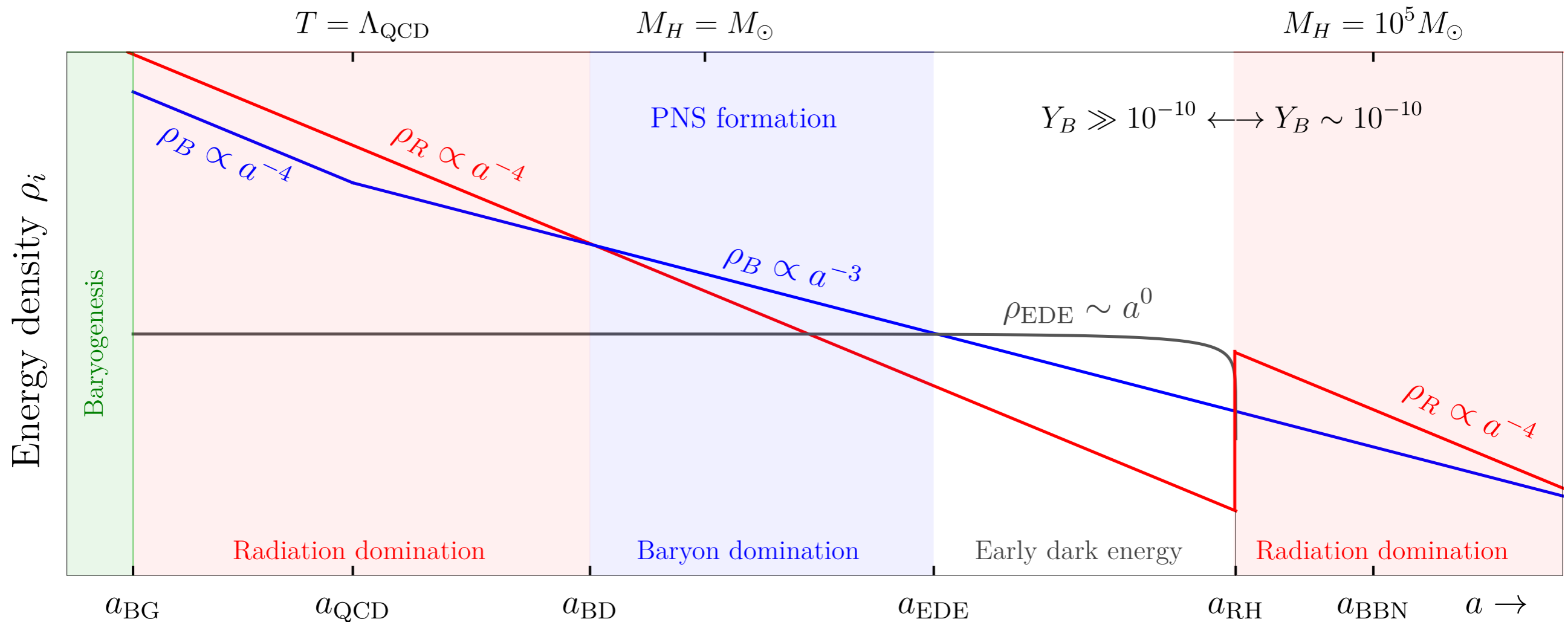
Primordial Neutron Stars



$$\delta_c^{\text{PNS}} < \delta < \delta_c^{\text{PBH}}$$

Step 3: baryons dominate universe when horizon contains ~ 1 solar mass fluctuations just below PBH threshold form **neutron stars** instead

Primordial Neutron Stars



Step 4: entropy dump restores observed baryon asymmetry $Y_B \sim 10^{-10}$
 reheats universe below confinement temp, neutron stars survive

Primordial Neutron Stars

Small magnetic field

non-stellar collapse, no initial seed field

Low temperature

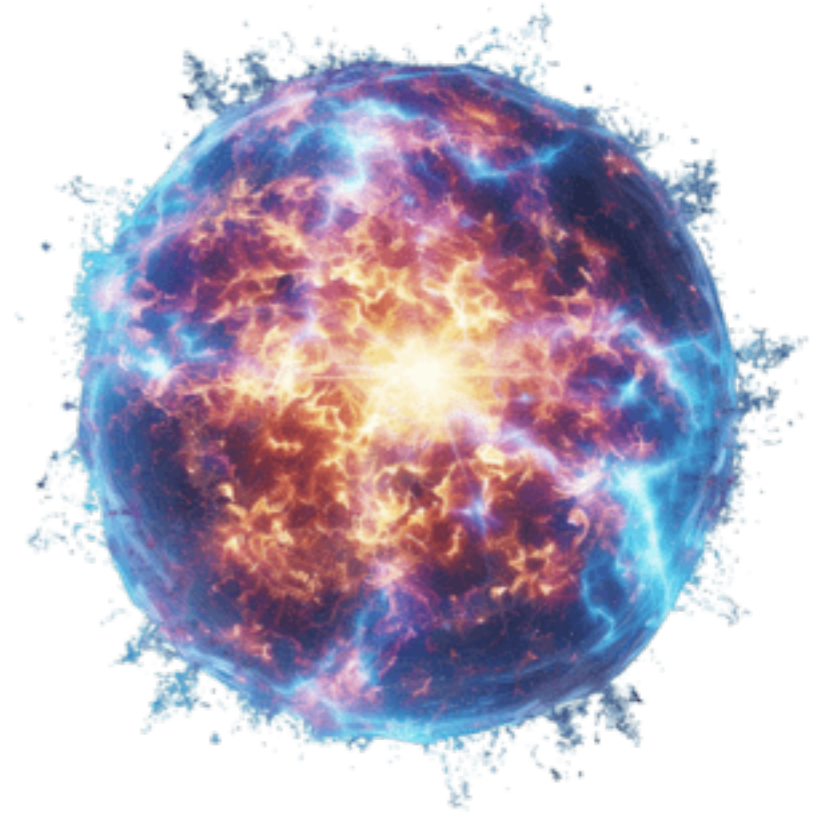
Tracks CMB over cosmic time, generically cold

Distributed in halo like dark matter

May be more abundant than conventional neutron stars

Smoking gun: sub-solar mass

Can be as light as ~ 0.1 solar mass from QCD



Conclusion: PBH are particle fountains

Many formation mechanisms

Collapsing density perturbations, phase transitions, defects...

Indirect detection: late-time Hawking evaporation

Fluxes of photons, neutrinos, electrons positrons

Connections to KM3NeT, galactic center excess

PBH dominated cosmology

Attractor solution, simple & predictive

Make dark matter, dark radiation, baryogenesis

Primordial neutron stars

May also form if universe temporarily had a large baryon asymmetry

Thanks!