

PROJECT 8



Sensitivity to Neutrino Mass and Secondary Physics of the Project 8 Experiment

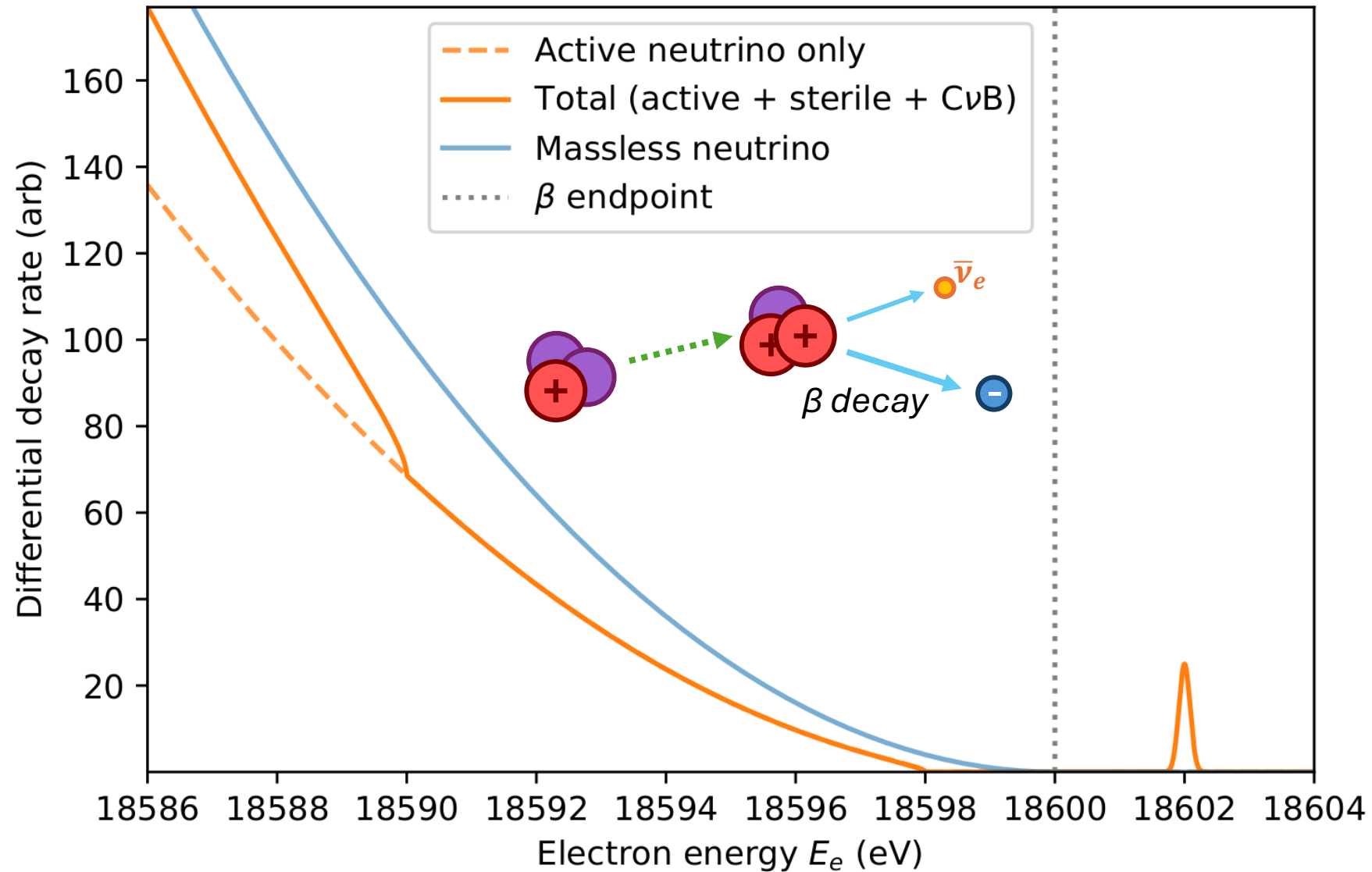
Chi-Ho Lam on behalf of the Project 8 Collaboration

PHENO 2026

May 11, 2026

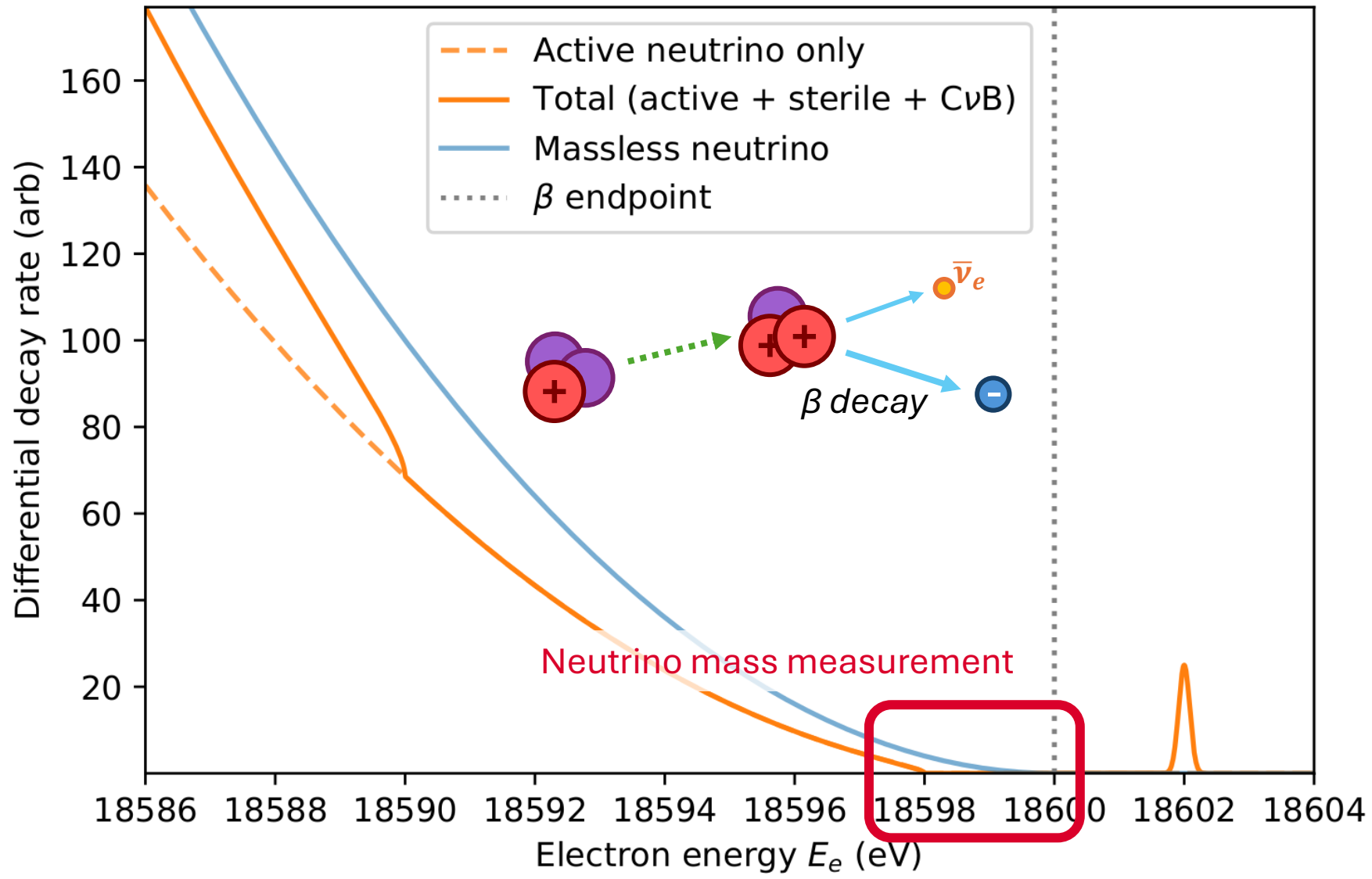
One β -spectrum to rule them all

Scale exaggerated for illustrative purposes



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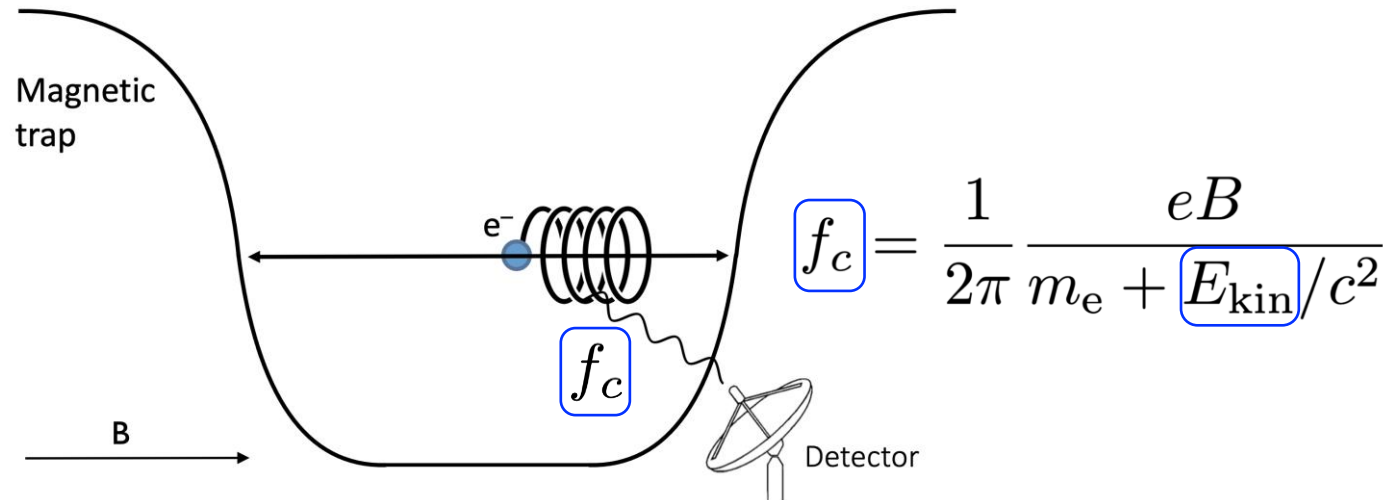


Project 8: probing neutrino mass with Cyclotron Radiation Emission Spectroscopy (CRES)

- Goal: Determine **neutrino mass** from tritium β -spectrum

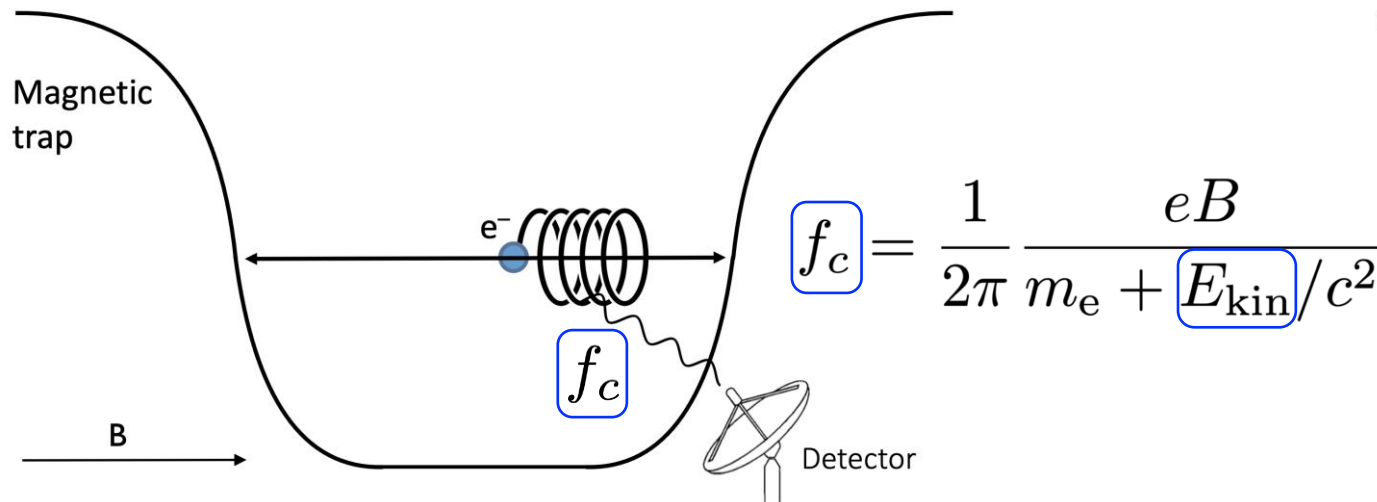
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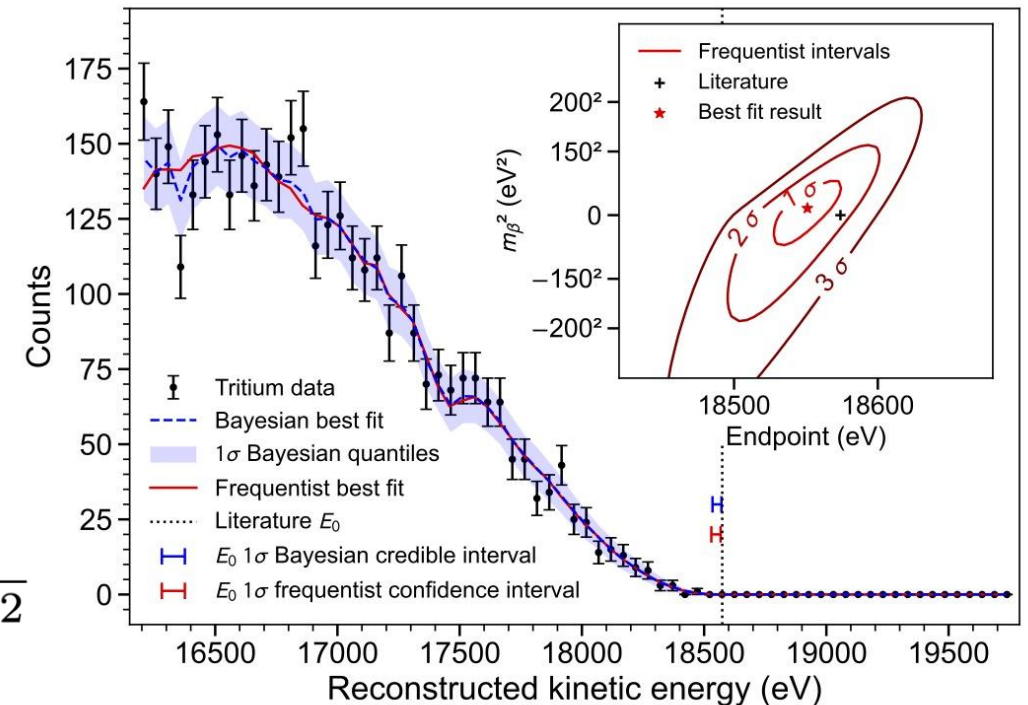


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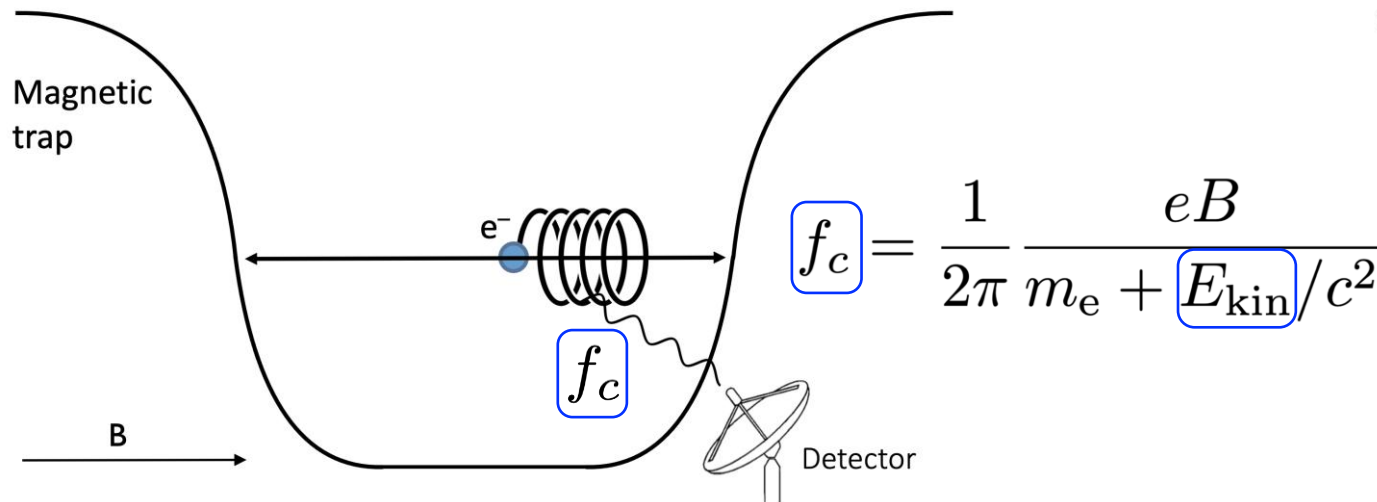


Phys. Rev. Lett. **131**, 102502

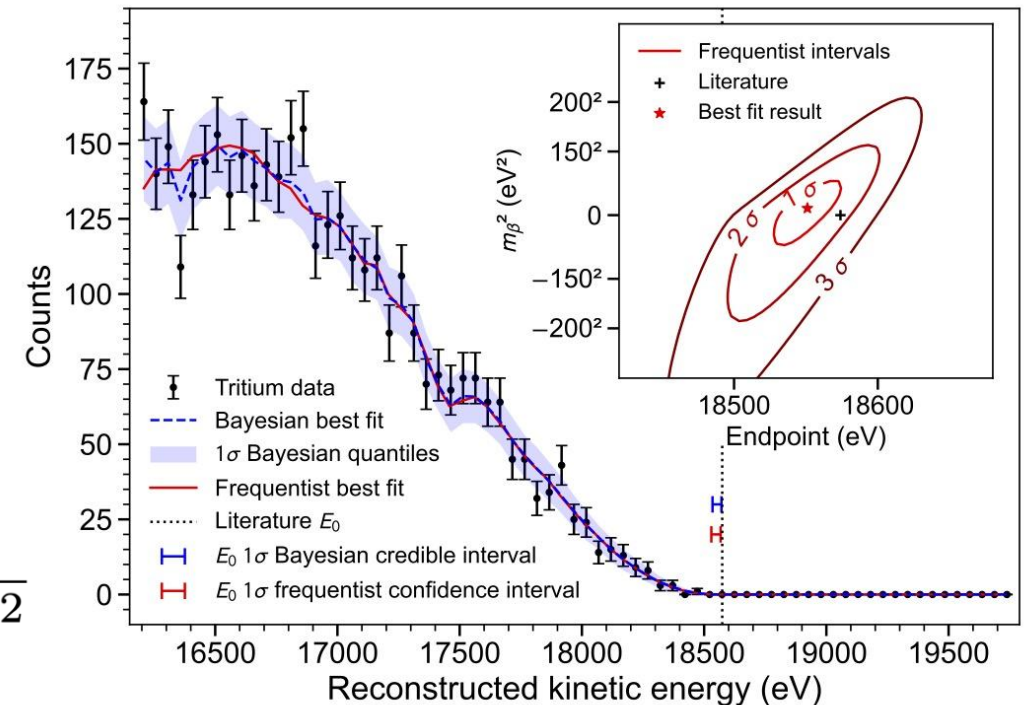


Project 8: probing neutrino mass with Cyclotron Radiation Emission Spectroscopy (CRES)

- Goal: Determine **neutrino mass from tritium β -spectrum**
- Phase II (past): Limit on m_β with CRES.
- Phase III (ongoing): Combine CRES with atomic tritium source – Low-Frequency Apparatus (LFA)
- **Phase IV (future): Reach $m_\beta < 40$ meV (90% C.L.)**



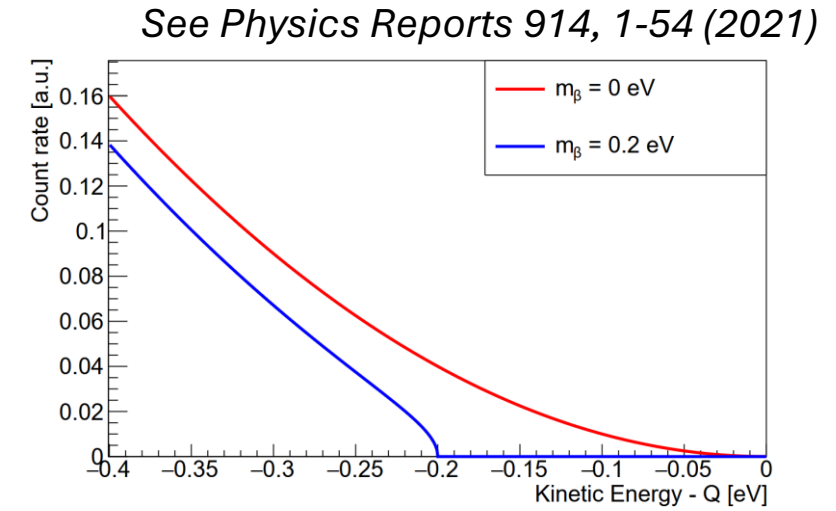
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Analytic model of Project 8 sensitivity

Set-up: To estimate m_β , imagine we count events in window ΔE near endpoint.

- Fewer events in $\Delta E \rightarrow$ we know m_β is larger.
- Assumes endpoint is precisely constrained.

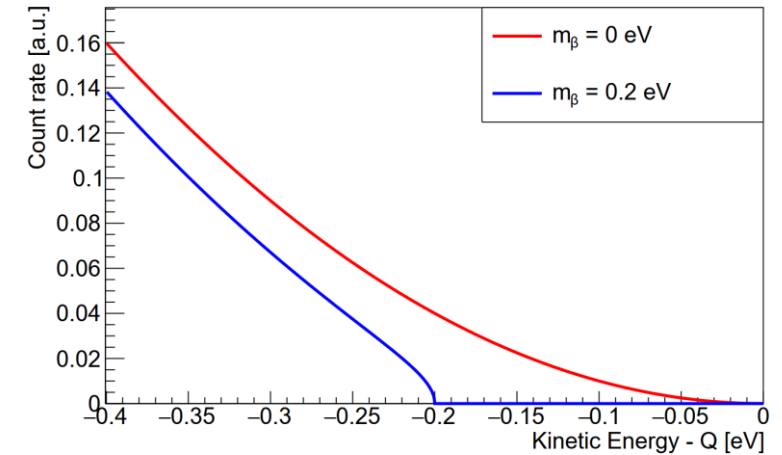


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See Physics Reports 914, 1-54 (2021)



Uncertainty on m_β^2 :

$$\sigma_{m_\beta^2} = 4 \sqrt{\frac{1}{(6 C_T V_{\text{eff}} n t)^2} \left[C_T V_{\text{eff}} n t \Delta E + \frac{b t}{\Delta E} \right] + \sum_i \sigma_i^2(n) \cdot \delta \sigma_i^2}$$

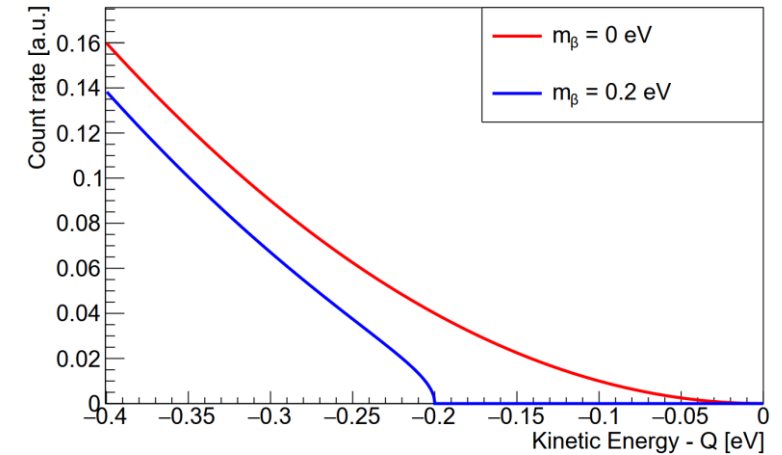
Source gas density (points to C_T)
Effective volume (Volume \times Efficiency) (points to V_{eff})
Runtime (points to t)
Background (points to b)
Response function stdevs (resolution) (points to $\sigma_i^2(n)$)
Uncertainties on response function (points to $\delta \sigma_i^2$)

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Source gas density (points to C_T)
Effective volume (Volume \times Efficiency) (points to V_{eff})
Runtime (points to $n t$)
Background (points to $b t$)
Response function stdevs (resolution) (points to $\sigma_i^2(n)$)
Uncertainties on response function (points to $\delta \sigma_i^2$)

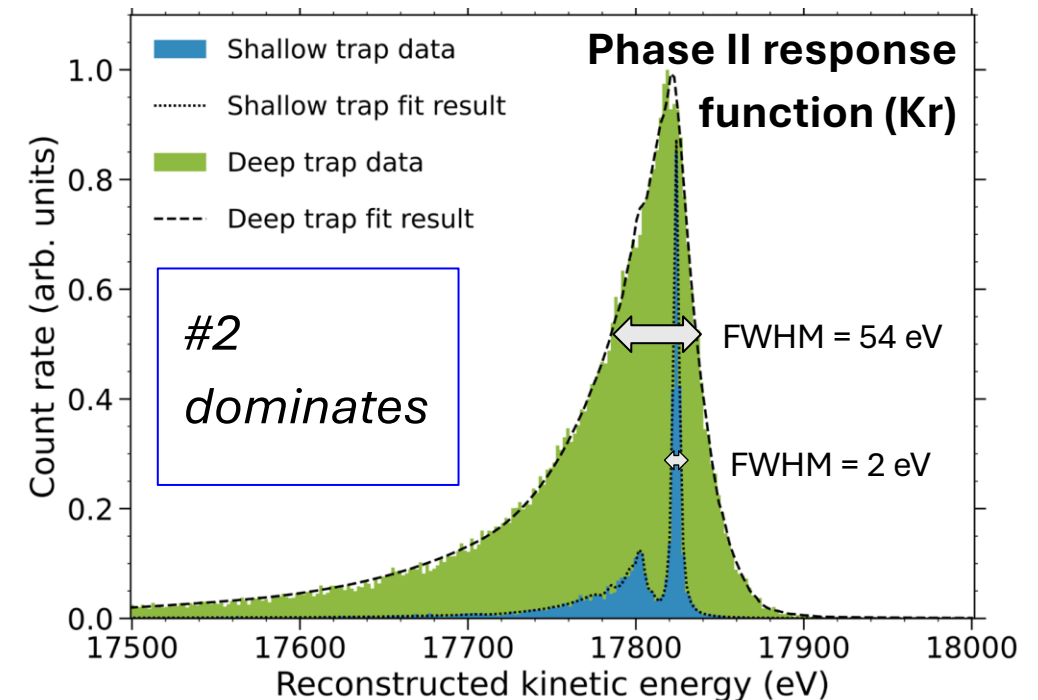
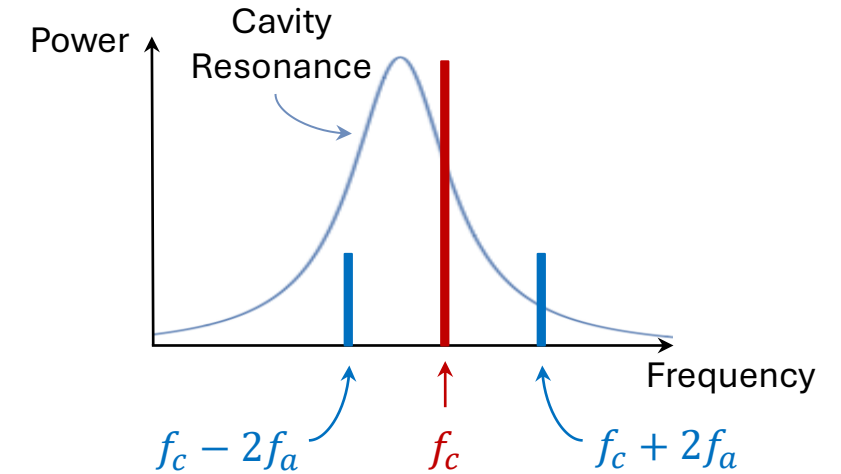
If best fit m_β^2 is zero:

$$\text{Upper limit}(m_\beta) \text{ [90\% C.L.]} = \sqrt{1.64 \sigma_{m_\beta^2}} \longrightarrow \sim (\text{signal rate})^{-1/4}$$

Contributions to response function (energy resolution): σ_i

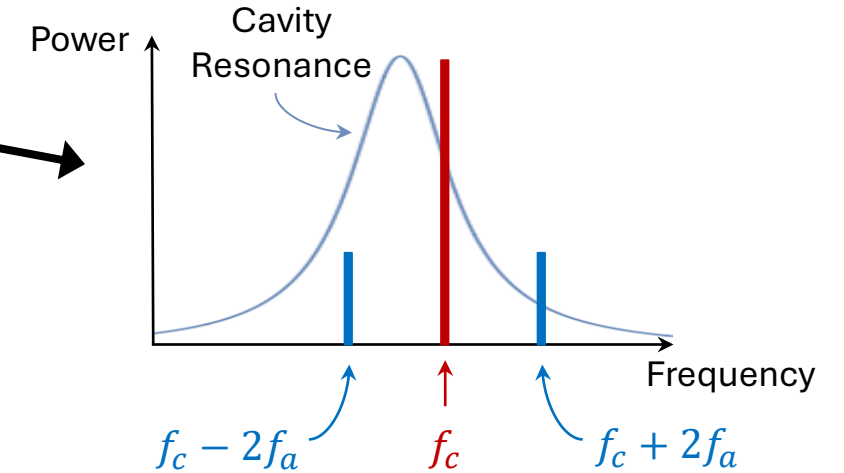
1. Frequency resolution from noise for frequency reconstruction

Aim to calibrate all to ~2% precision ($\frac{\delta\sigma_i^2}{\sigma_i^2}$).

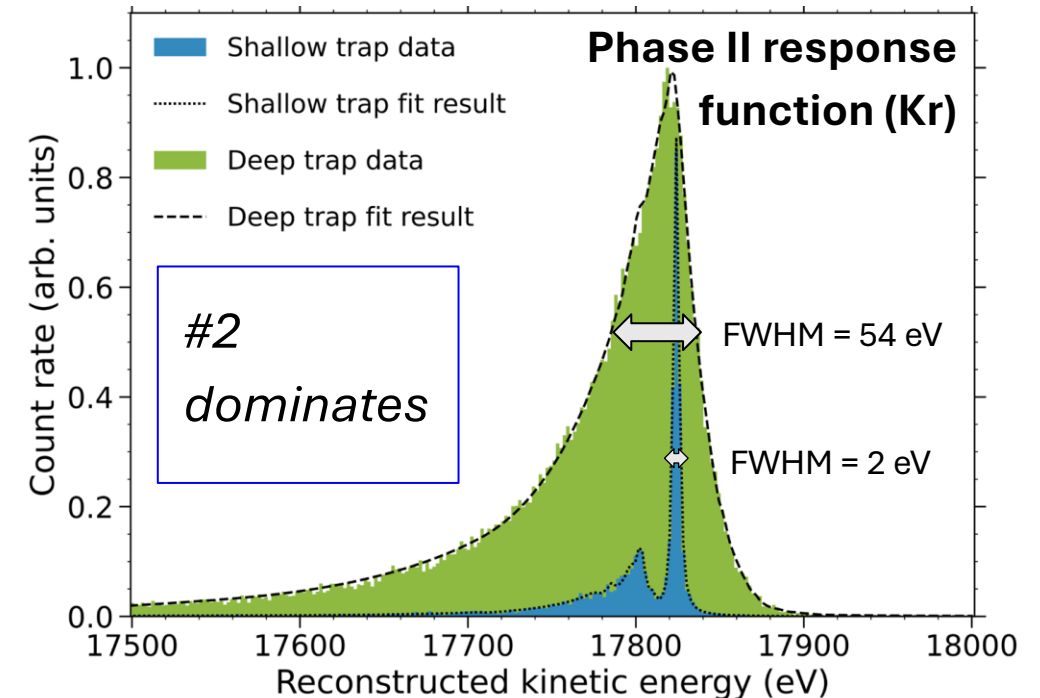


Contributions to **response function (energy resolution): σ_i**

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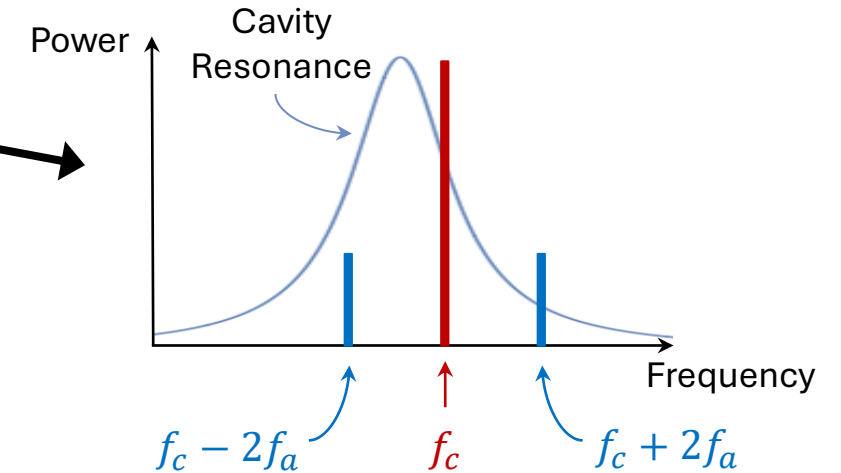


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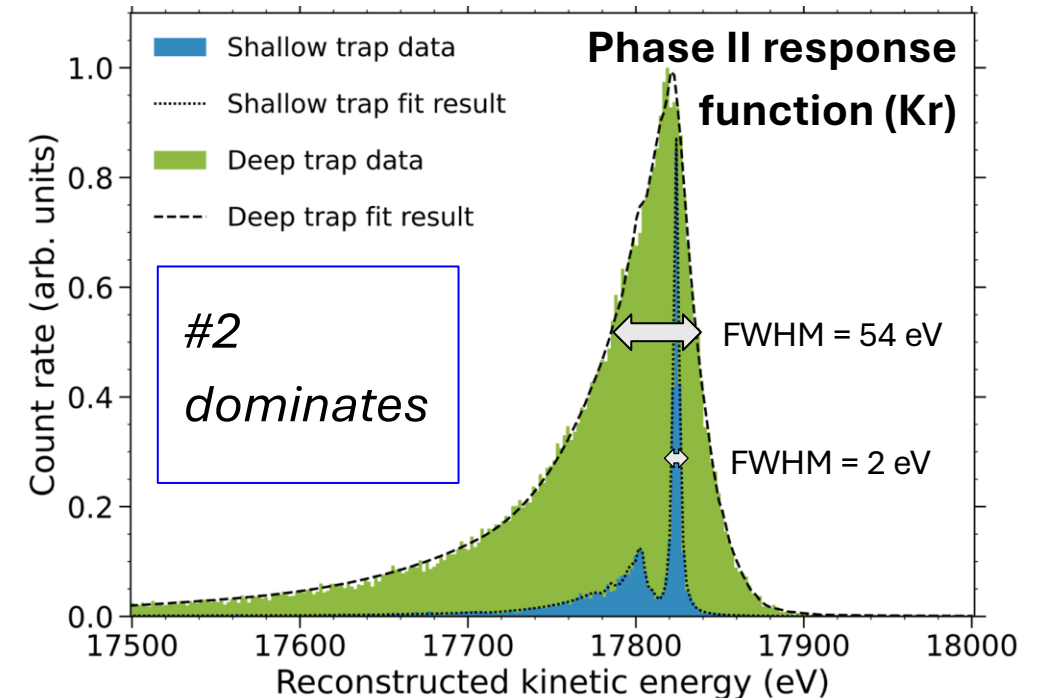


Contributions to **response function (energy resolution): σ_i**

1. Frequency resolution from noise for frequency reconstruction
2. B-field variation and energy reconstruction

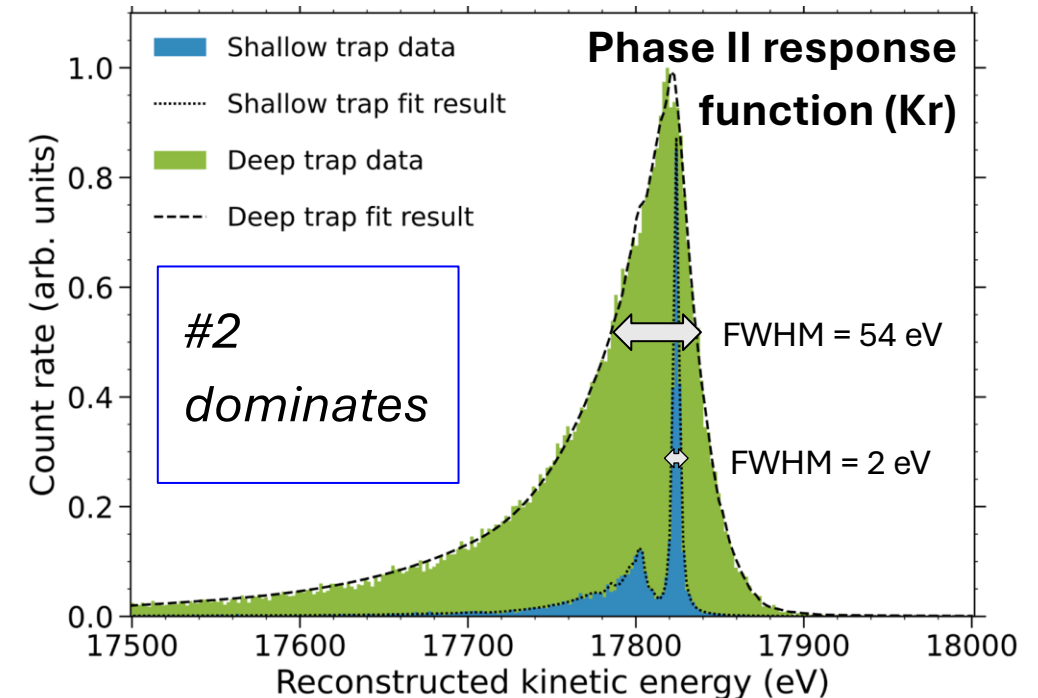
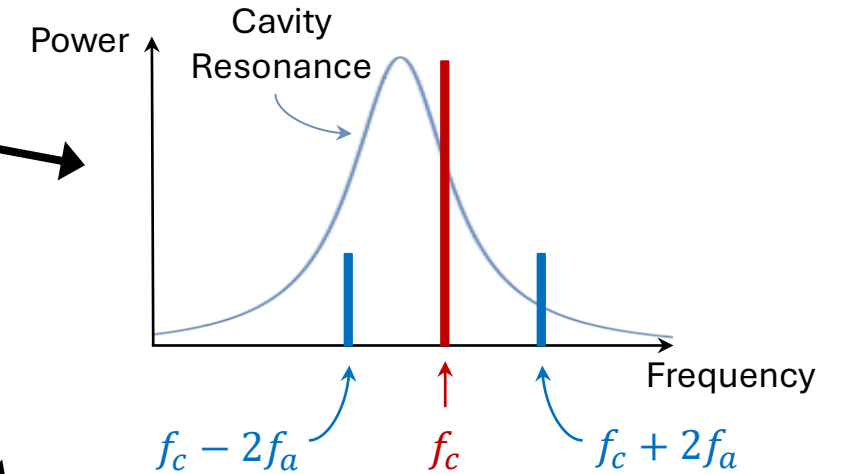


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Contributions to **response function (energy resolution): σ_i**

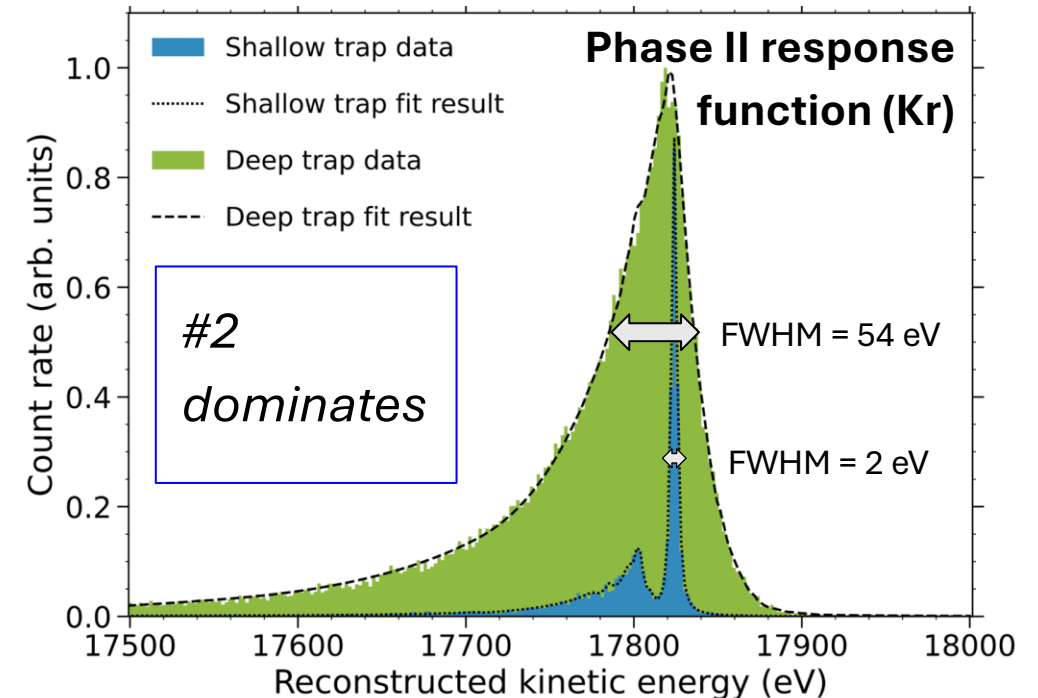
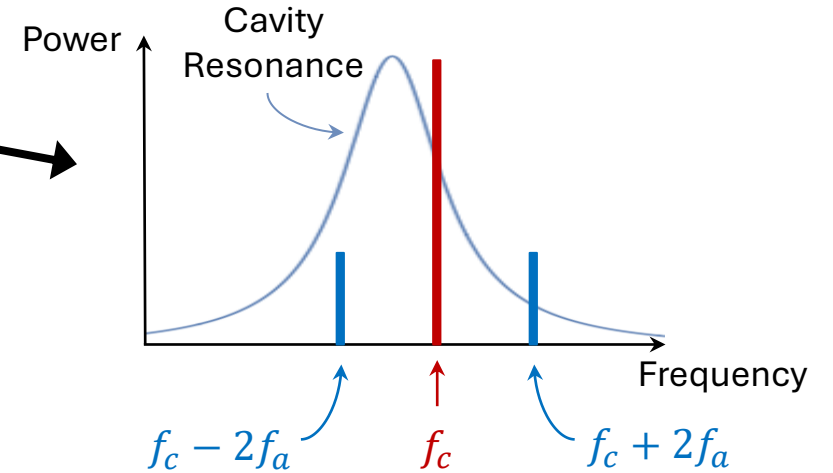
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Contributions to **response function (energy resolution): σ_i**

1. Frequency resolution from noise for frequency reconstruction
2. B-field variation and energy reconstruction
3. Thermal Doppler broadening

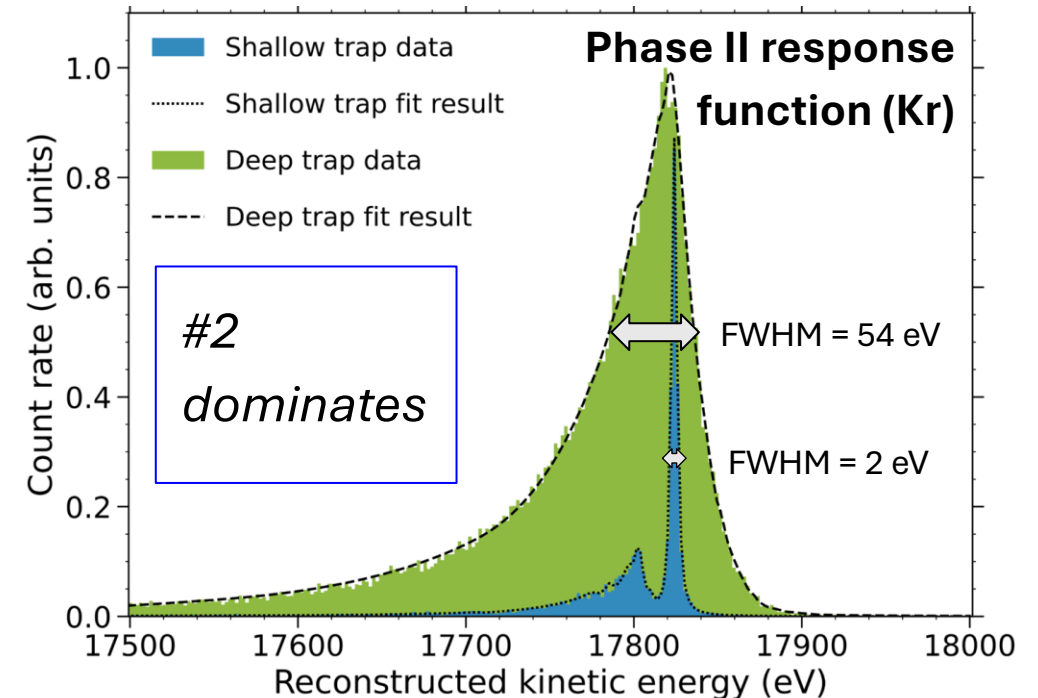
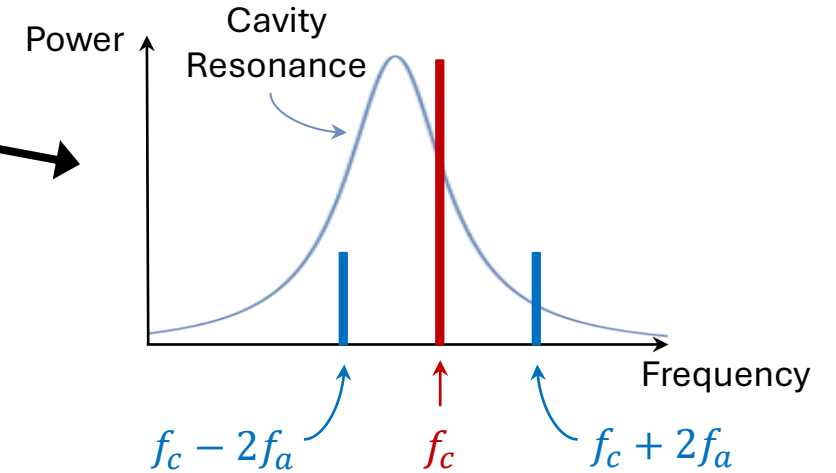


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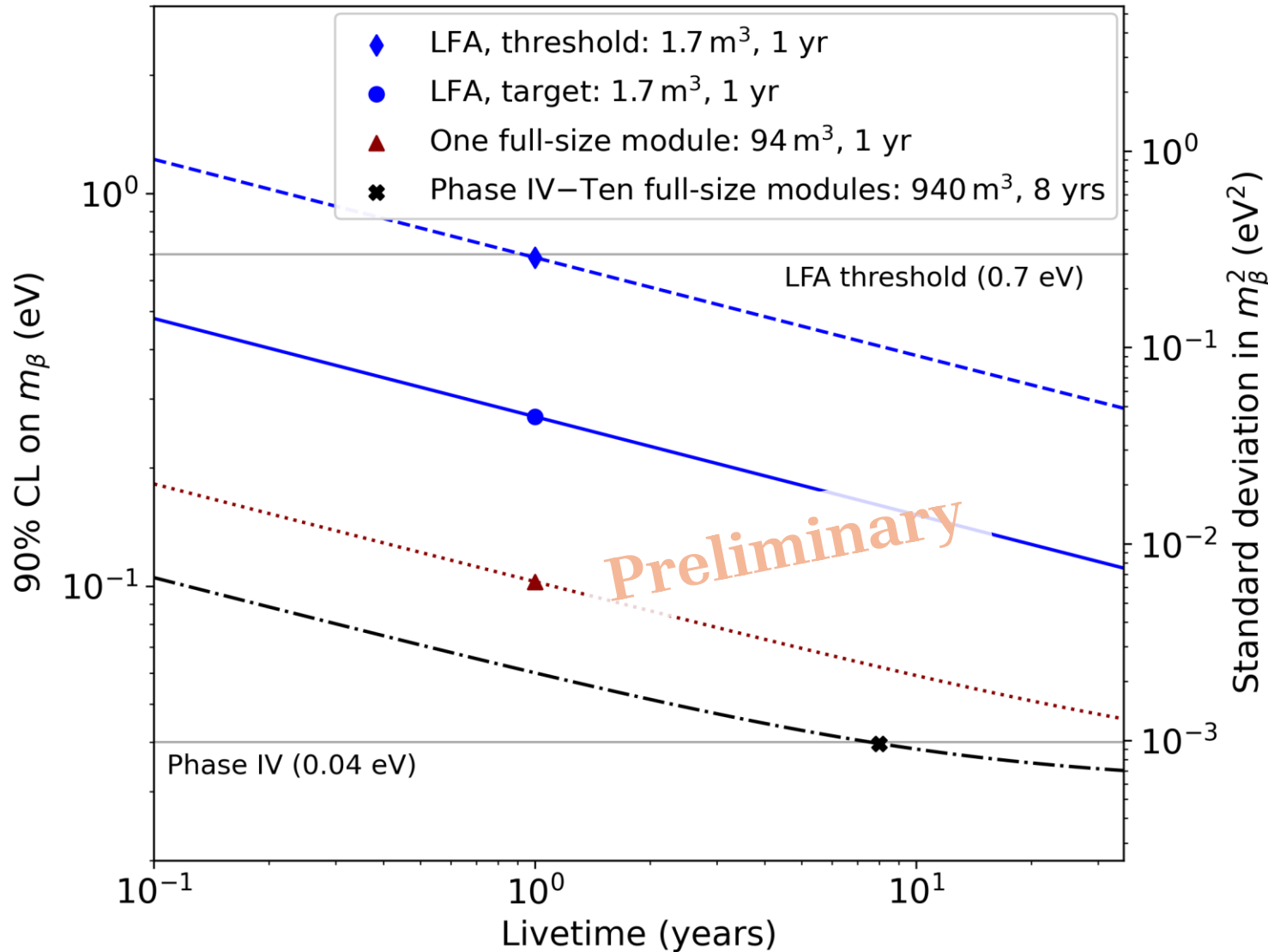
Contributions to **response function (energy resolution): σ_i**

1. **Frequency resolution from noise for frequency reconstruction**
2. **B-field variation and energy reconstruction**
3. **Thermal Doppler broadening**
4. **Work to make sub-dominant:**
Scattering, plasma effects; efficiency vs. energy; mis-reconstruction due to pileup.

Aim to calibrate all to ~2% precision $(\frac{\delta\sigma_i^2}{\sigma_i^2})$.



Project 8 sensitivity to neutrino mass



Example Phase IV scenario:

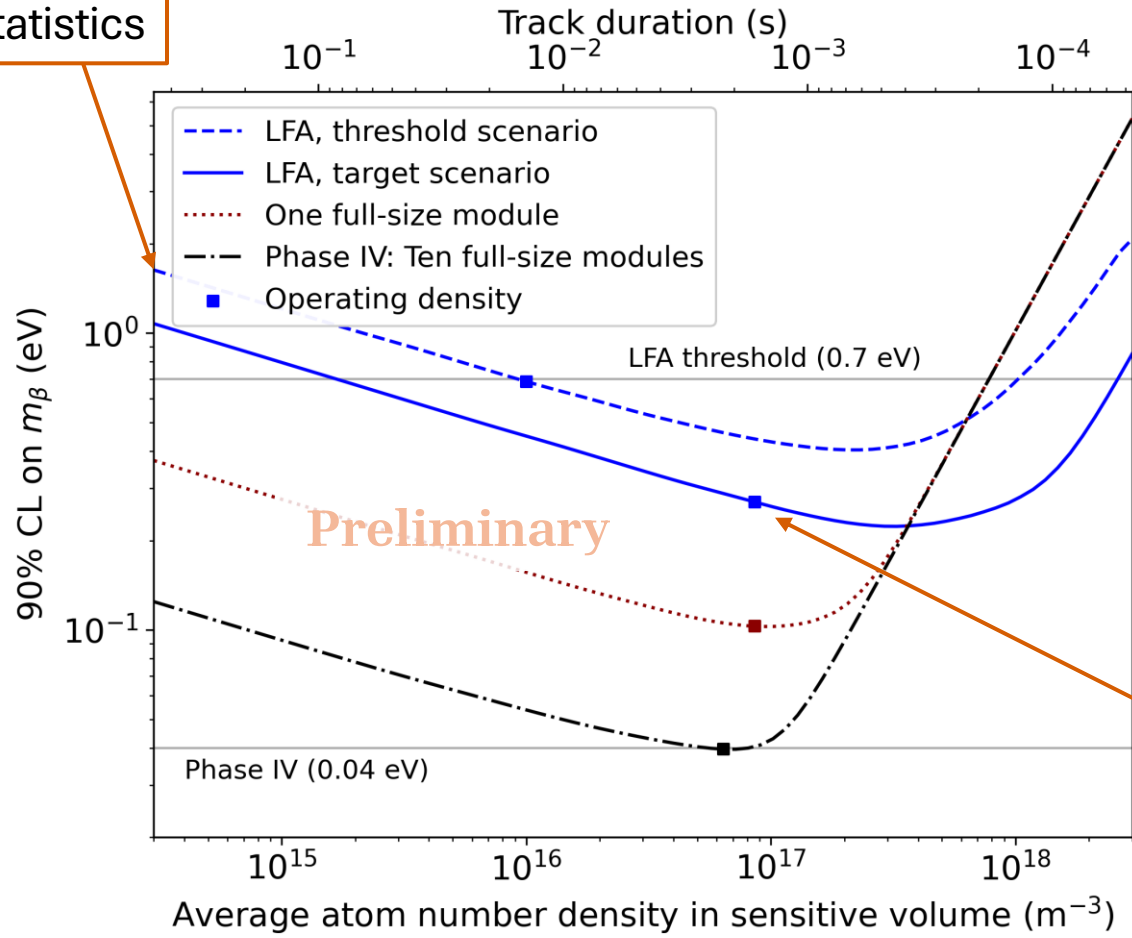
- Total cavity volume = ~ 1000 m³
- TE011 mode at 150 MHz
- Livetime = 8 yrs
- Background field = 5.5 mT
- Trap length = 17.5 m
- Cavity temperature = 2 K
- Resolution contribution from magnetic field variation and reconstruction = 85 meV

Current R&D effort at cavity design on improving energy resolution!

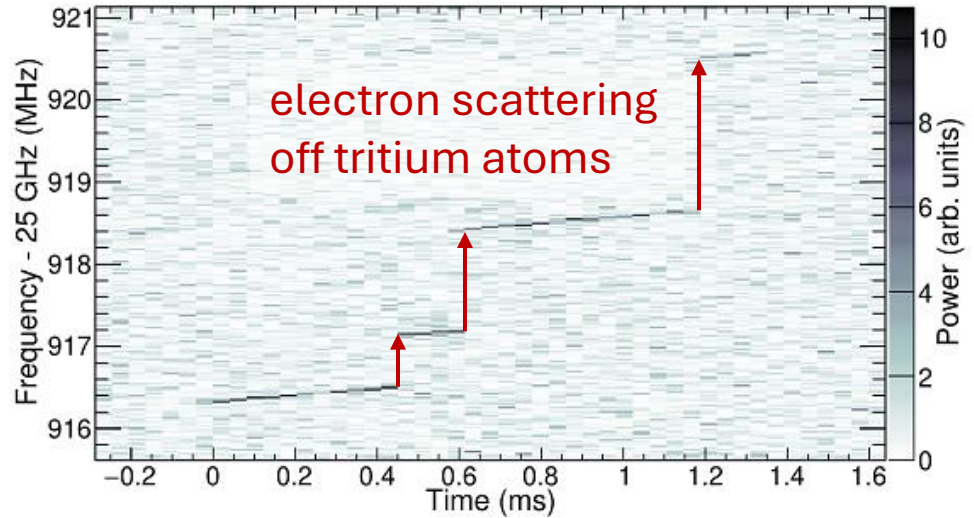
Example parameter optimization: source gas density (n)

Low density
 ⇒ few decays
 ⇒ poor statistics

High density
 ⇒ frequent collisions
 ⇒ short CRES tracks
 ⇒ poor resolution and detection efficiency



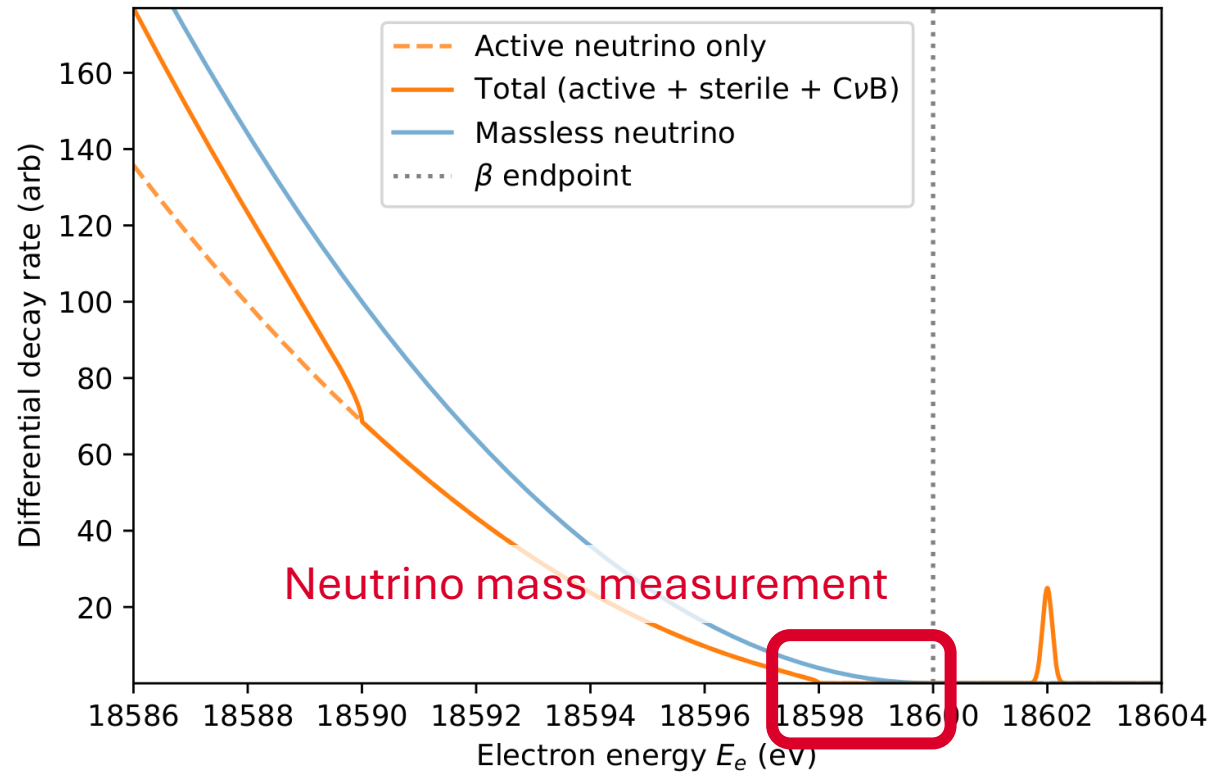
Preliminary



Operating densities are below optima, to reduce atom current flow requirements

Secondary physics at Project 8

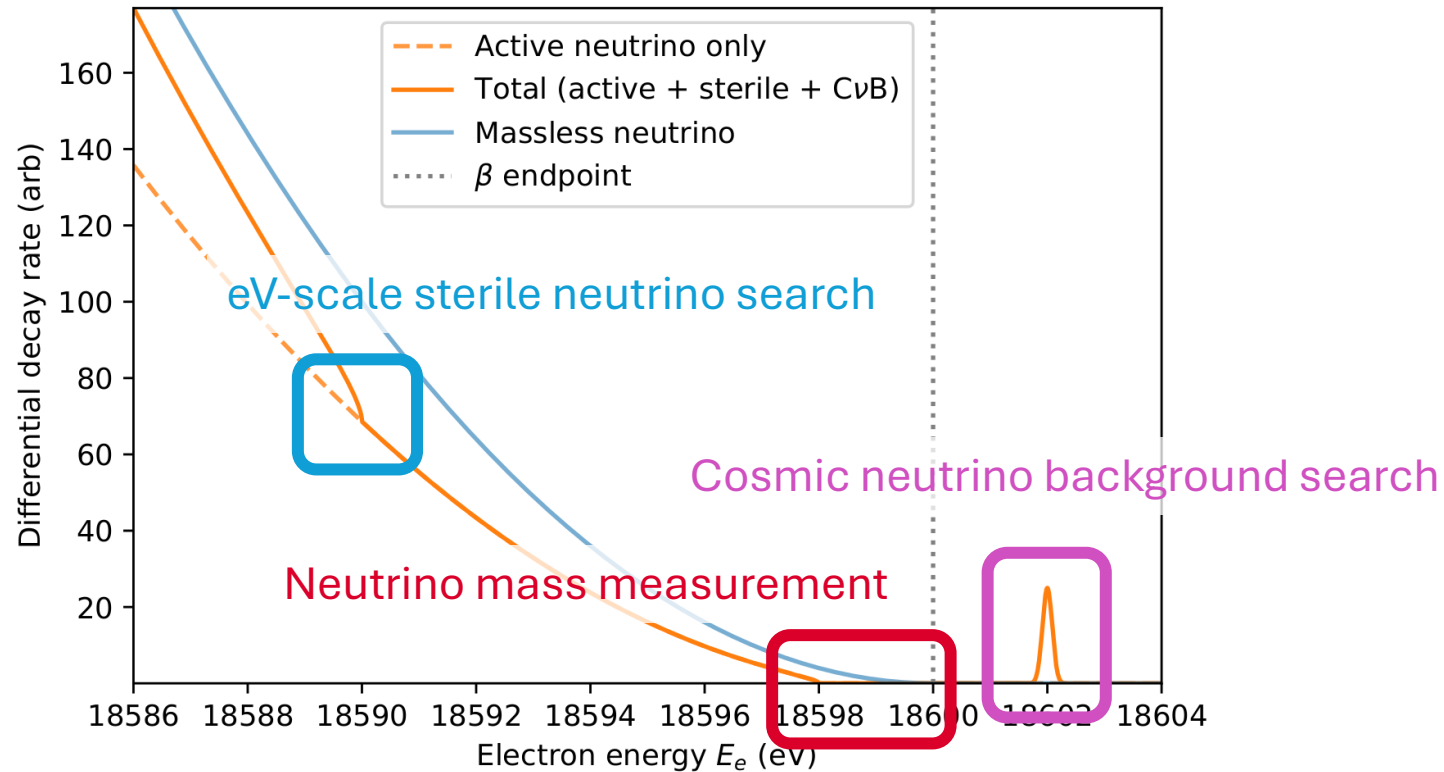
- With the low background, good resolution, and high event rate targeted by Project 8 Phase IV, we can explore more than just neutrino mass



- Side quests that also make use of the differential beta decay spectrum as observable

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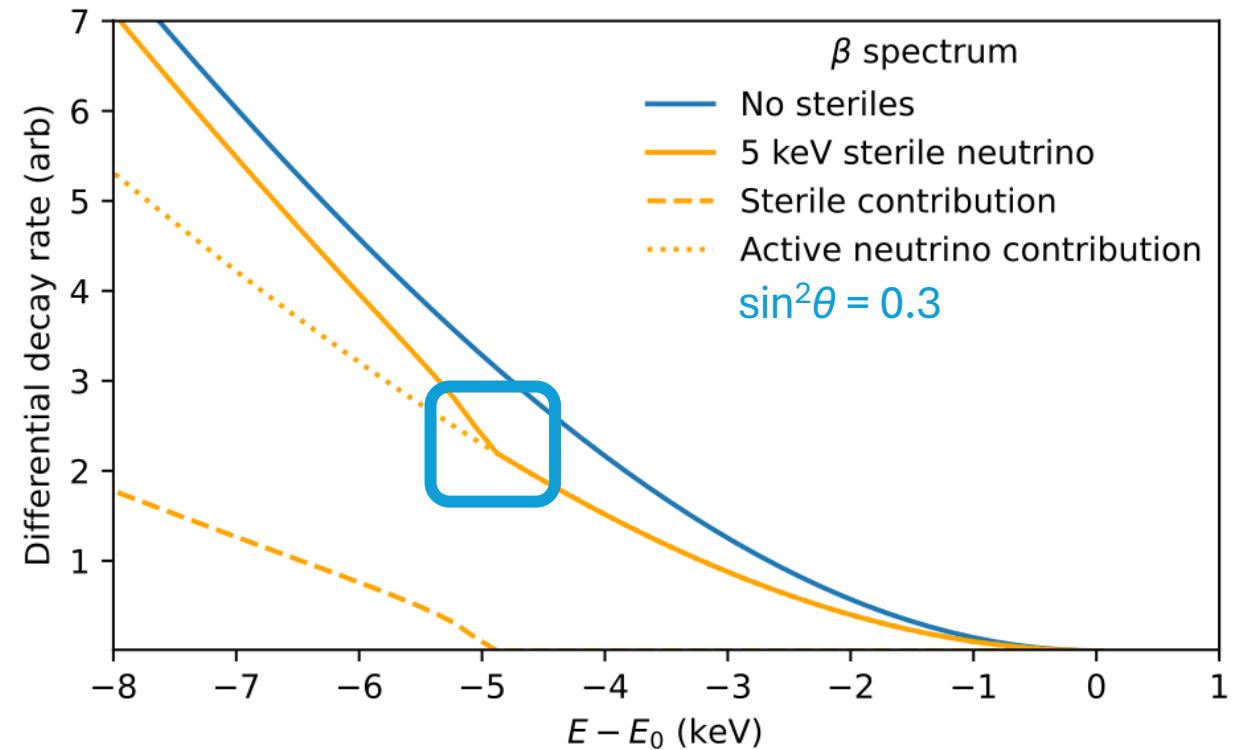
- Side quests that also make use of the differential beta decay spectrum as observable

eV-scale sterile neutrino

- Additional sterile neutrino state mixes with the active flavors with a small mixing angle θ
- Appears as a **distortion/kink** in β -spectrum
- Location depends on mass of sterile state m_4
- Amplitude proportional to the mixing element

$$|U_{e4}|^2 = \sin^2 \theta$$

$$\frac{d\Gamma}{dE_e} \propto p_e E_e \left[\overset{\text{active}}{(1 - |U_{e4}|^2) F(E_e, m_\beta)} + \overset{\text{sterile}}{|U_{e4}|^2 f(E_e, m_4)} \right]$$



Cosmic neutrino background (CνB)

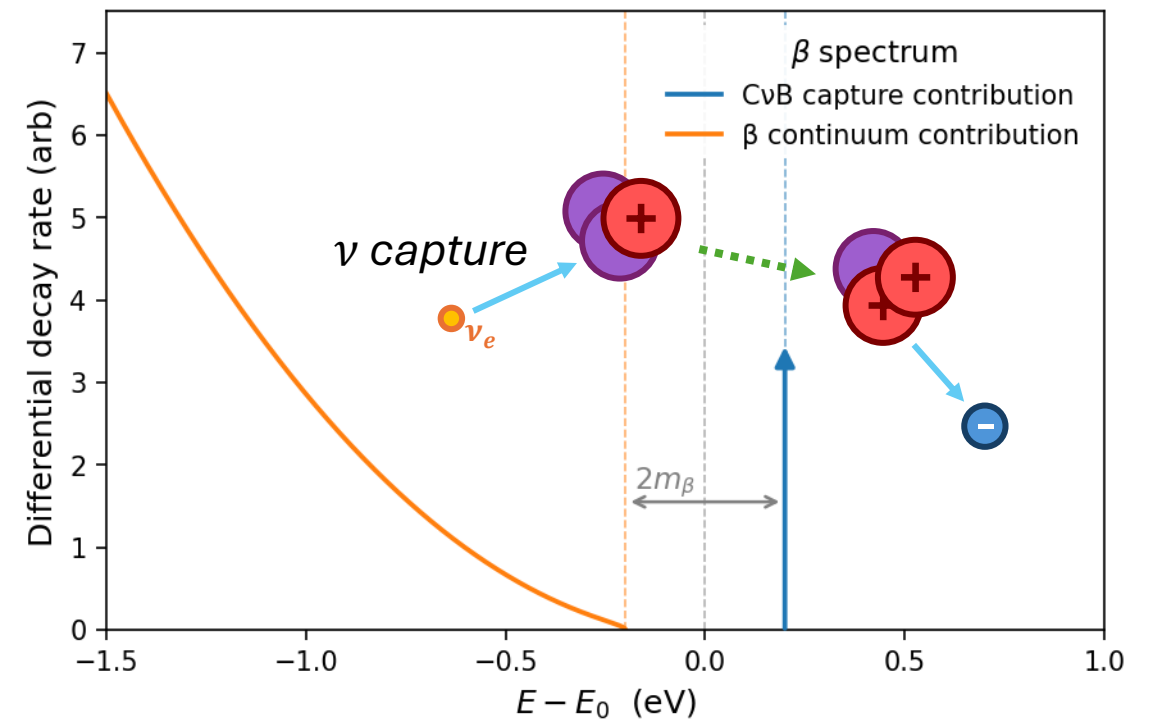
- Relics from neutrino decoupling as the universe cools down after the Big Bang
- Define overdensity $\eta = \frac{n_{\text{loc}}}{n_0}$
 - Average density $n_0 = 56/\text{cm}^3$
 - Gravitational clustering with local density n_{loc}
- (Very rarely) via ν capture: $\nu_e + {}^3\text{H} \rightarrow {}^3\text{He} + e^-$
- Appears as **monoenergetic peaks** at $2m_i$ above maximum beta energy for each eigenstate
- Capture rate proportional to η

$$\Gamma_{\text{cap}} = n_{\text{loc}} \bar{\sigma} v_{\text{rel}} = n_0 \eta \bar{\sigma} v_{\text{rel}}$$

$$\frac{d\Gamma}{dE_e} \propto p_e E_e (E_0 - E_e) \sqrt{(E_0 - E_e)^2 - m_\beta^2} + \Gamma_{\text{cap}} \delta(E_e - E_0 - m_\beta)$$

β decay

CνB capture



Spectral shape simplified

Hypothesis testing

	Null hypothesis H_0	Alternative hypothesis H_1
Sterile neutrino	$(m_4^2, U_{e4} ^2 = 0)$	$(m_4^2, U_{e4} ^2)$
CνB	$(m_{\text{lightest}}, \eta = 1)$	$(m_{\text{lightest}}, \eta)$

- **Model**

$$\mu_i(\vec{\theta}) = A_\beta \cdot N_T \cdot S_i(\delta E_0, \sigma_E) + A_b \cdot \Gamma_b \cdot t \cdot \Delta E$$

Smeared electron energy spectrum

where $\vec{\theta} = (\vec{\mu}_{\text{sig}}, \vec{\eta})$

Parameters of interest

Nuisance parameters

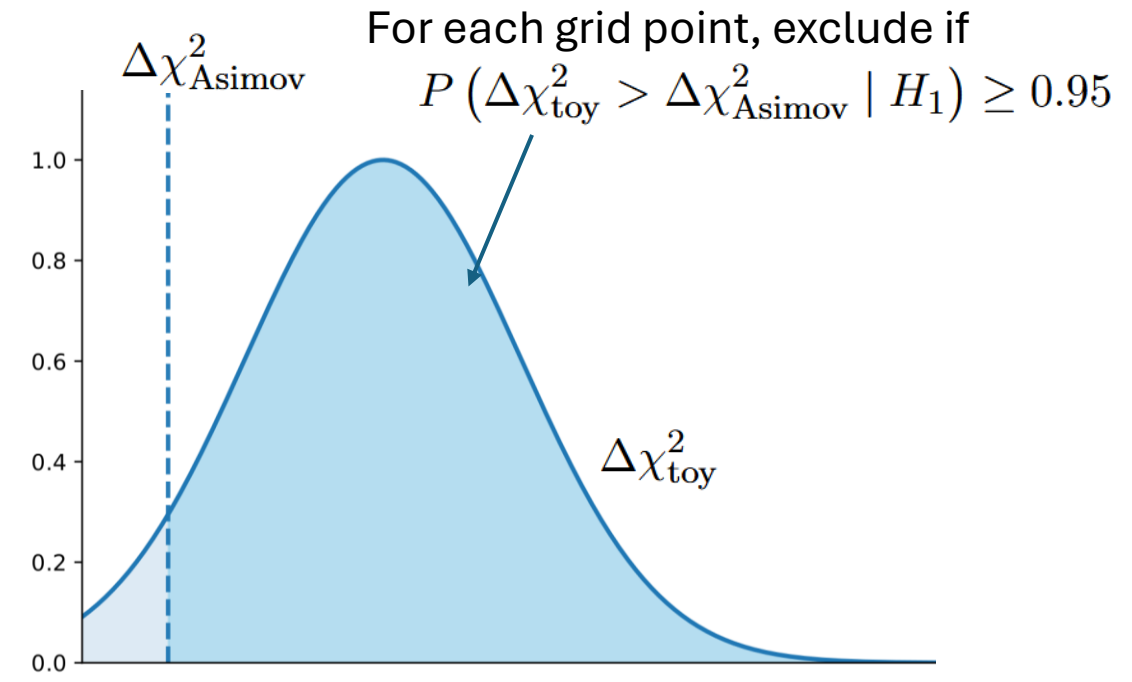
$$\vec{\eta} = (A_\beta, A_{\text{bkgd}}, \sigma_E, \delta E_0)$$

- **Profiled test statistic**

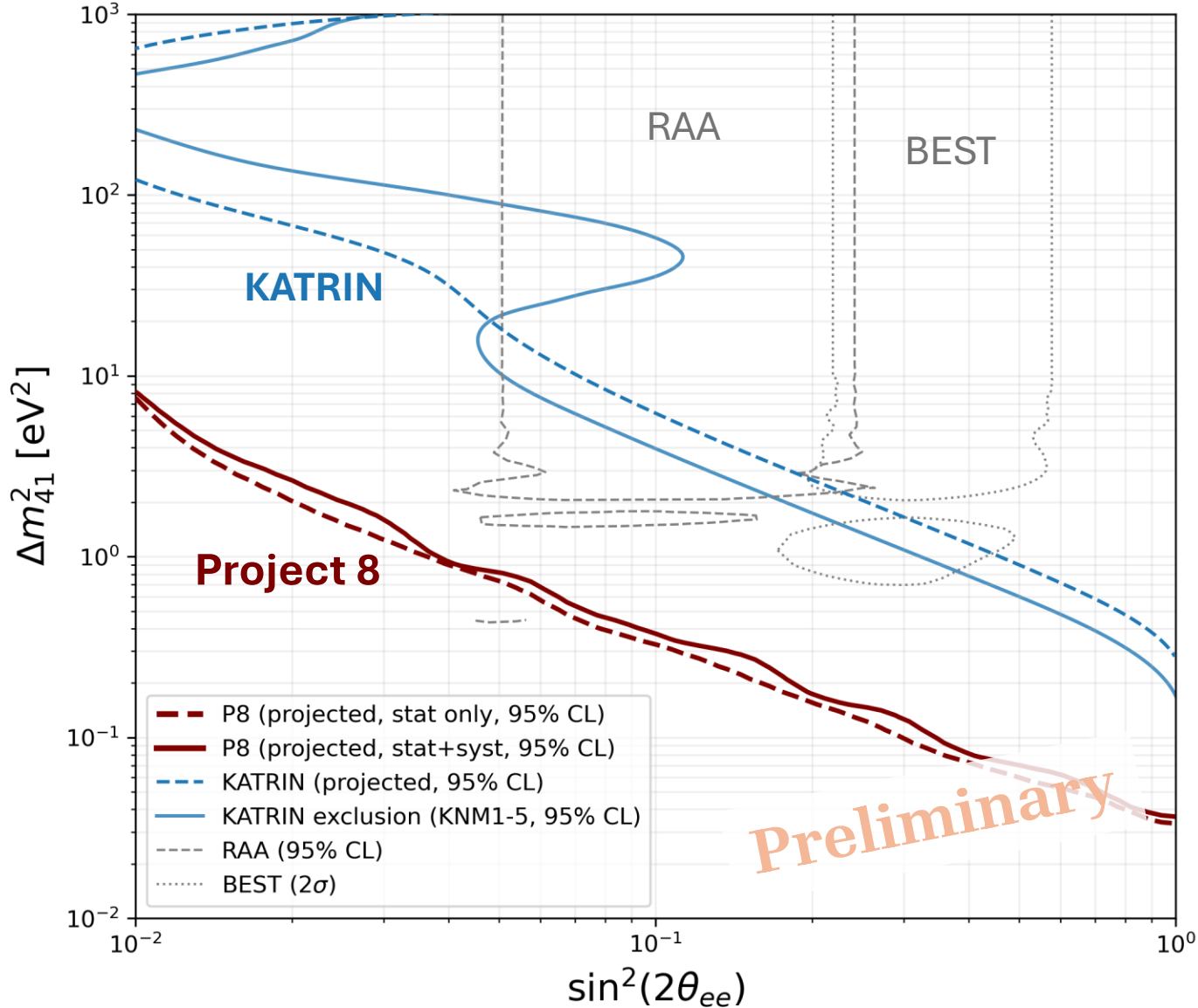
$$\Delta\chi_{\text{prof}}^2 = \chi_{\text{BC}}^2(H_0, \hat{\vec{\eta}}_{H_0}) - \chi_{\text{BC}}^2(H_1, \hat{\vec{\eta}}_{H_1})$$

- Scan over parameter space using

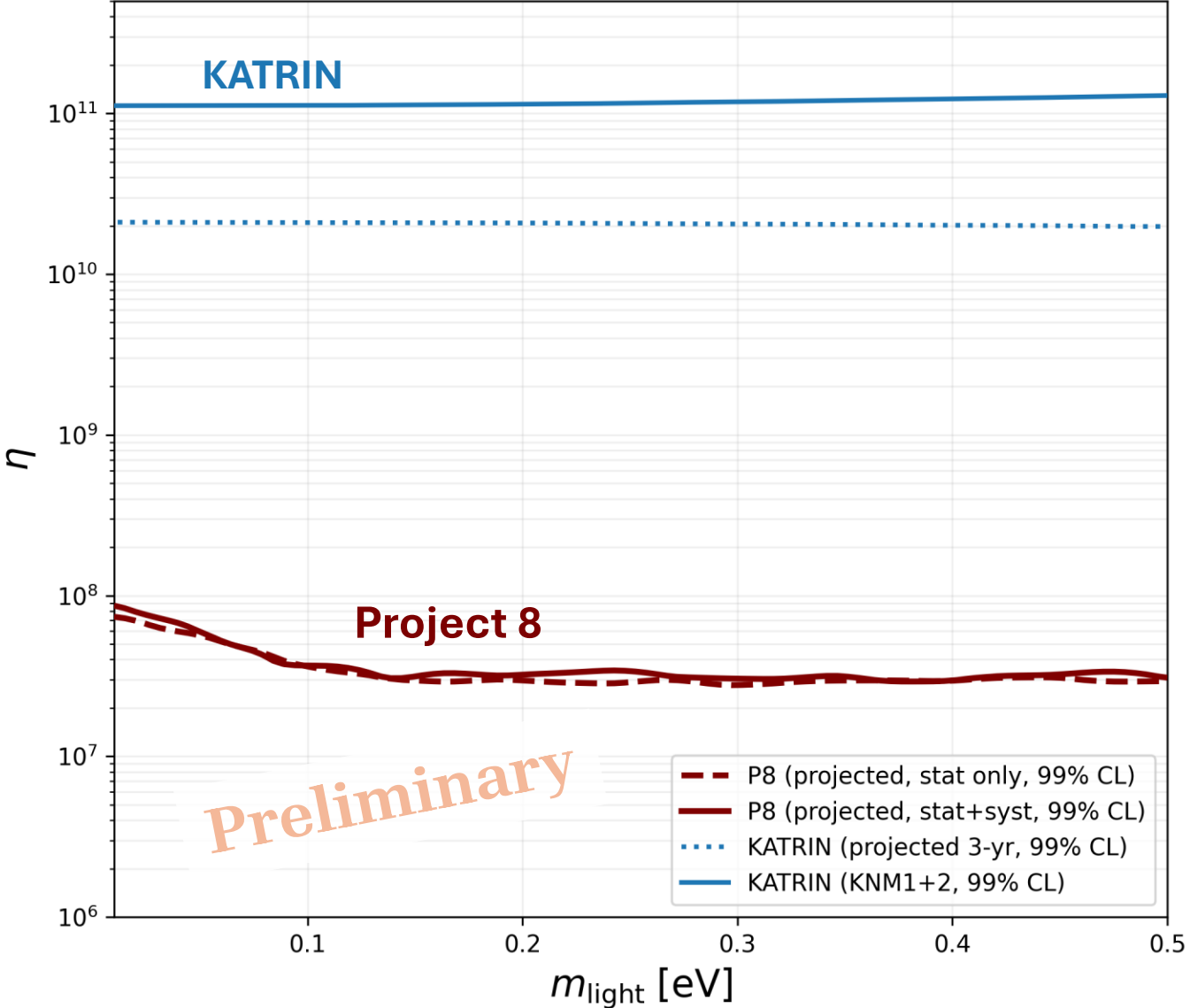
- **Asimov dataset** under null hypothesis
- **MC datasets** under alternative hypothesis with sampled nuisance parameters



eV-scale sterile neutrino

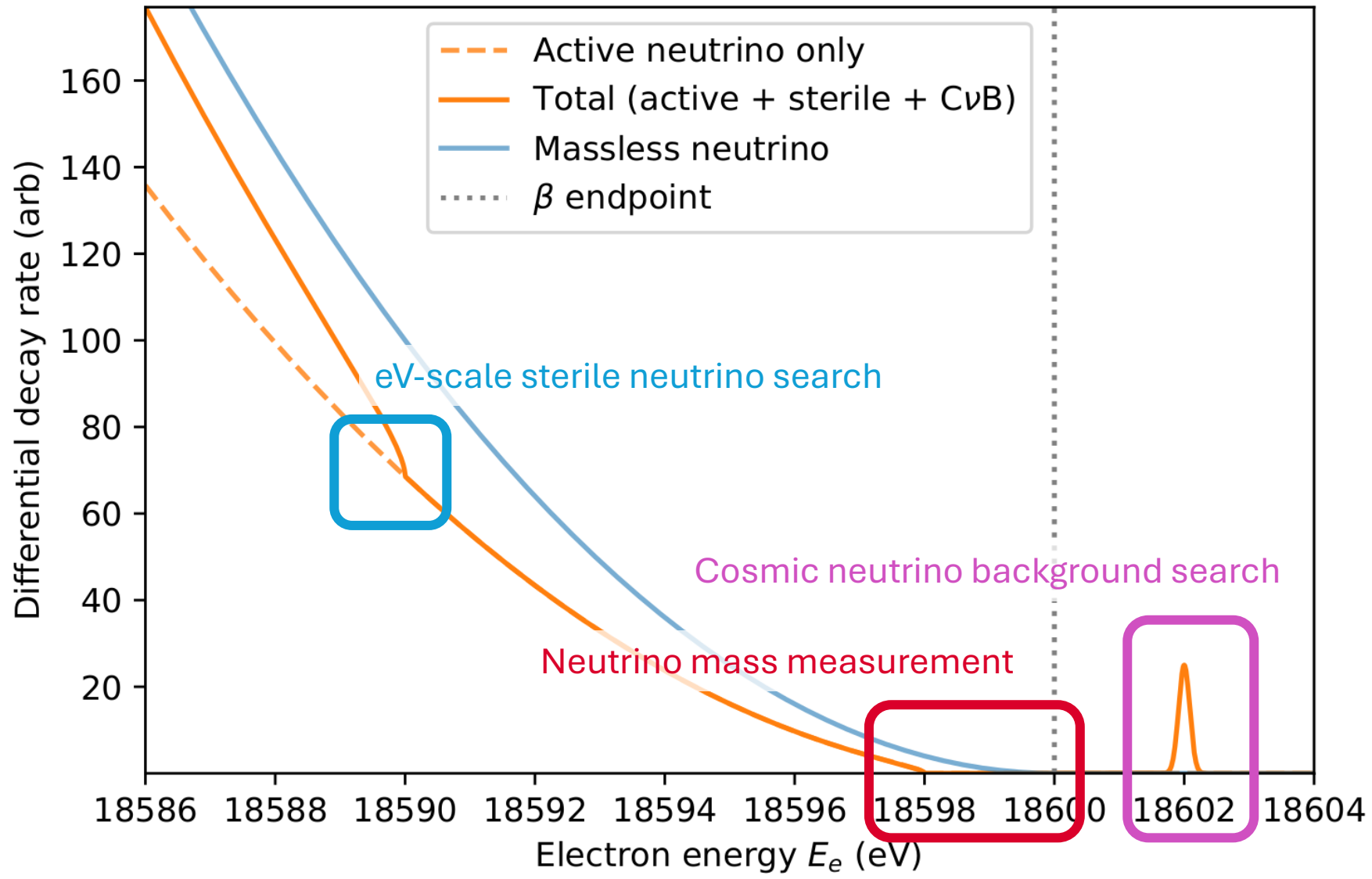


Cosmic neutrino background (CνB)



One β -spectrum to rule them all

Scale exaggerated for illustrative purposes



Summary

- Project 8 is targeted to reach a neutrino mass sensitivity of $m_\beta < 40 \text{ meV}$ (90% C.L.) with tritium β -spectrum using CRES.
- Sensitivity depends on factors including the **field uniformity, atomic T current** etc. that we should optimize for **low background, good resolution, and high event rate.**
- We use an **analytic sensitivity model**, accounting for features of CRES signal detection in a **resonant cavity with trapped electrons.**
- We can inform the **objectives for R&D** for Phase IV to find a path to the ultimate sensitivity.
- With the scale expected for Phase IV, Project 8 is expected to push limits in secondary physics as well, such as **sterile neutrino** and **cosmic neutrino background.**

Thank you!



PROJECT 8



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