

# Accidentally Stable Dark Matter in a Parity Symmetric Theory

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University of Chicago

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Based on: 2606.xxxxx M. Baldwin, K. Harigaya, I. Wang,  
*Accidentally Stable Dark Matter in a Parity Solution to  
the Strong CP Problem*



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# Parity Symmetric Left-Right Models



**Left-right models** are extensions of the SM gauge group with an additional  $SU(2)_R$

$$SU(3)_c \times SU(2)_L \times SU(2)_R \times U(1)_X$$



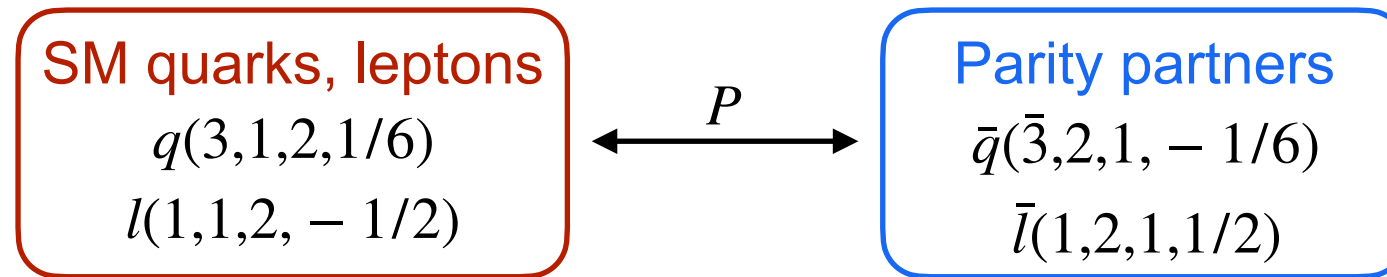
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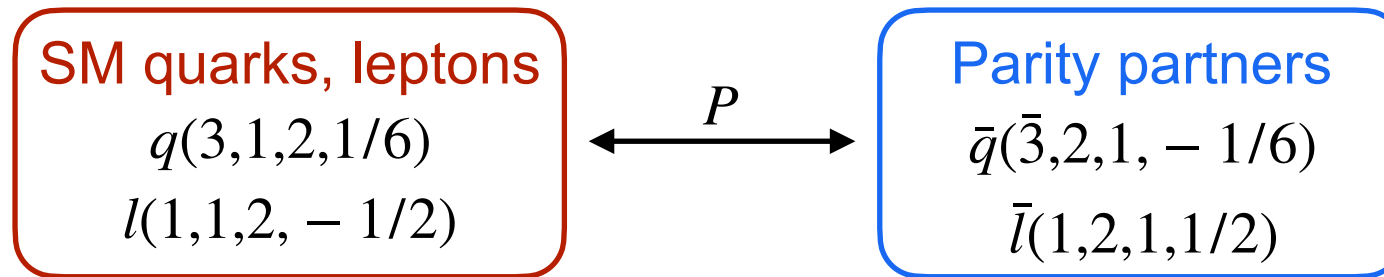
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Left-right models with Parity symmetry can provide **solutions to BSM problems:**

- 1) Solution to the strong CP problem
- 2) Connection to scale of Higgs quartic coupling vanishing [1]
- 3) Neutrino masses
- 4) Possible to unify into GUT gauge groups, e.g.  $SO(10)$  [2]
- 5) **WIMP dark matter** models can be constructed— this talk

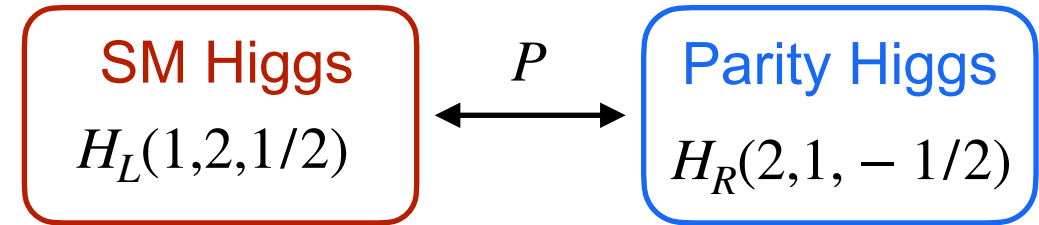


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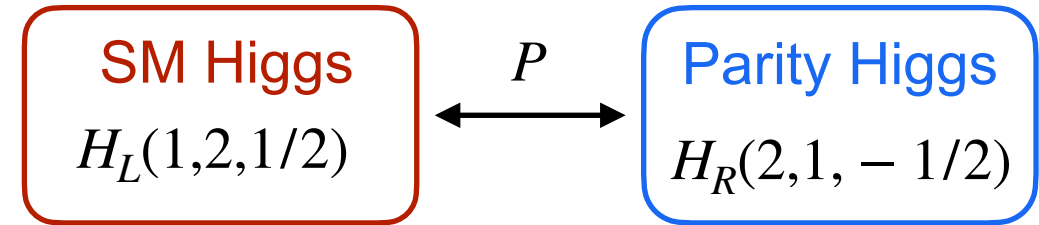


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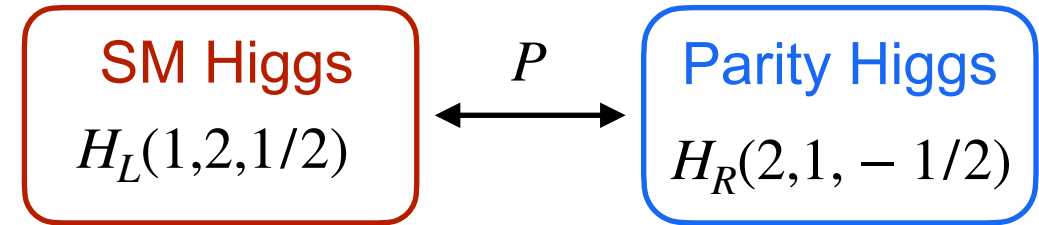


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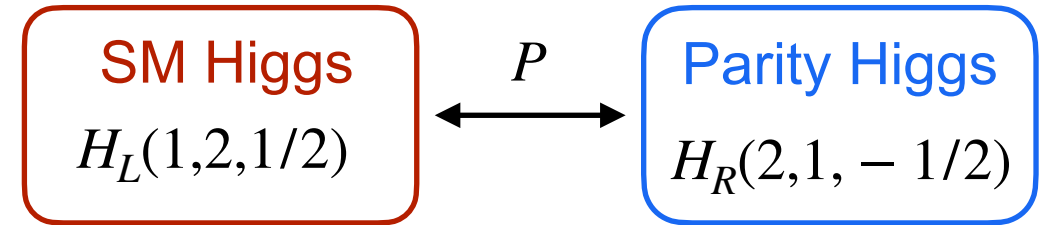
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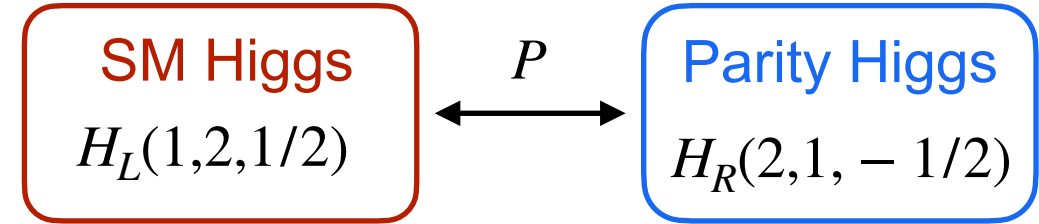
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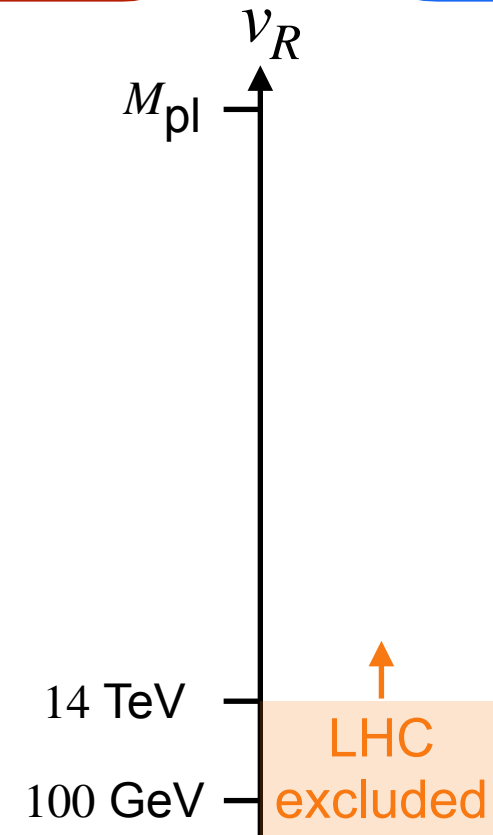
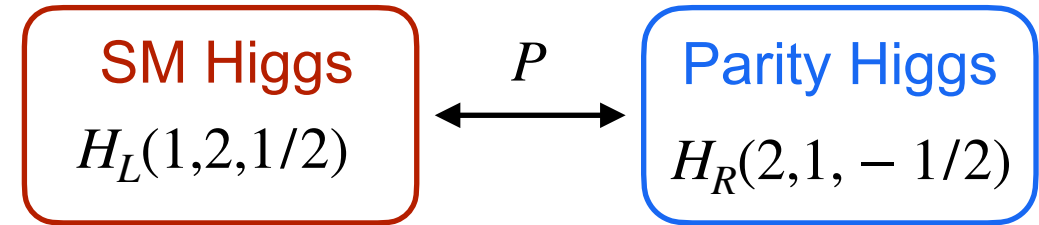
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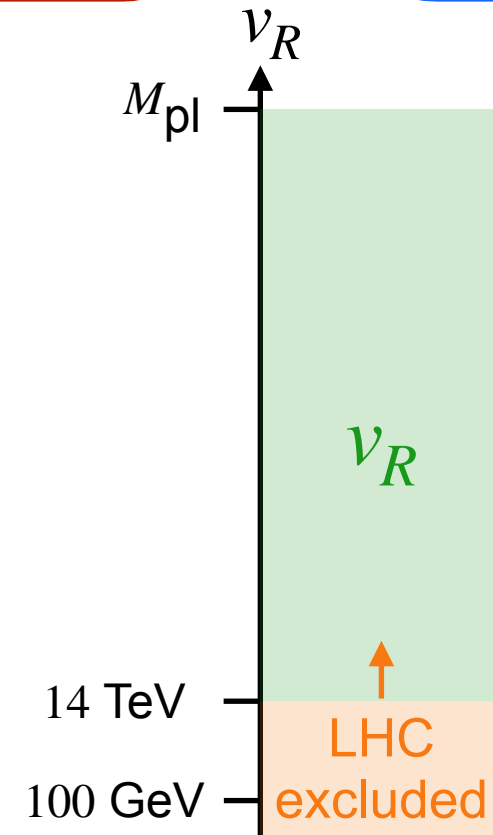
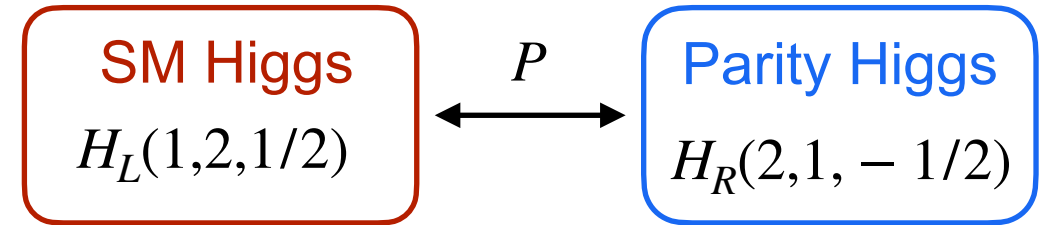
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[3] ATLAS Collaboration, G. Aad et al., Search for a heavy charged boson in events with a charged lepton and missing transverse momentum from pp collisions at  $\sqrt{s} = 13$  TeV with the ATLAS detector (2019)



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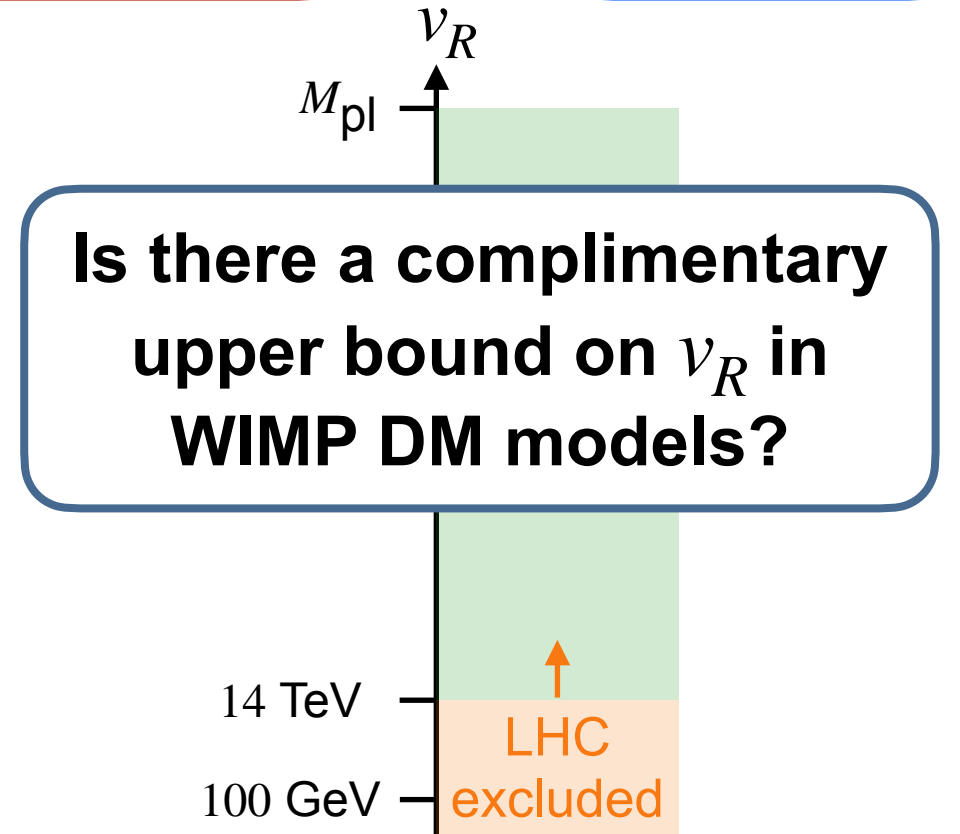
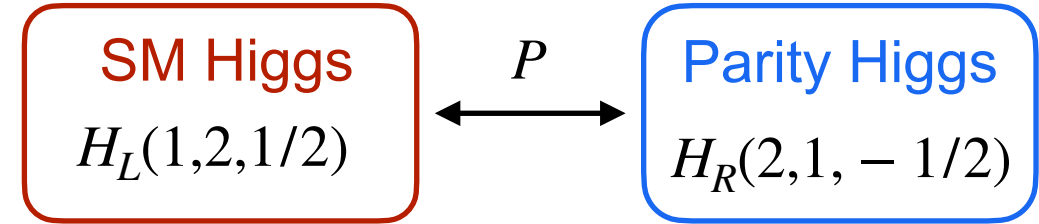
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WIMP dark matter embeds into Parity symmetric Left-right models

**Doublet pair**

$$\psi_r(1,2,1, -1/2)$$

$$\psi_l(1,1,2, -1/2)$$

**Smallest  
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**Bi-doublet**

$$\psi(1,2,2,0)$$

**Excluded in  
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Upper bounds on  $\nu_R$  in these  
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**Accidental stability**

- Goal:** 1) Compute DM mass  $M_{\chi^0}$  and parity breaking scale  $v_R$  that give correct **relic abundance**
- 2) Obtain **constraints** on the  $(M_{\chi^0}, v_R)$  parameter space



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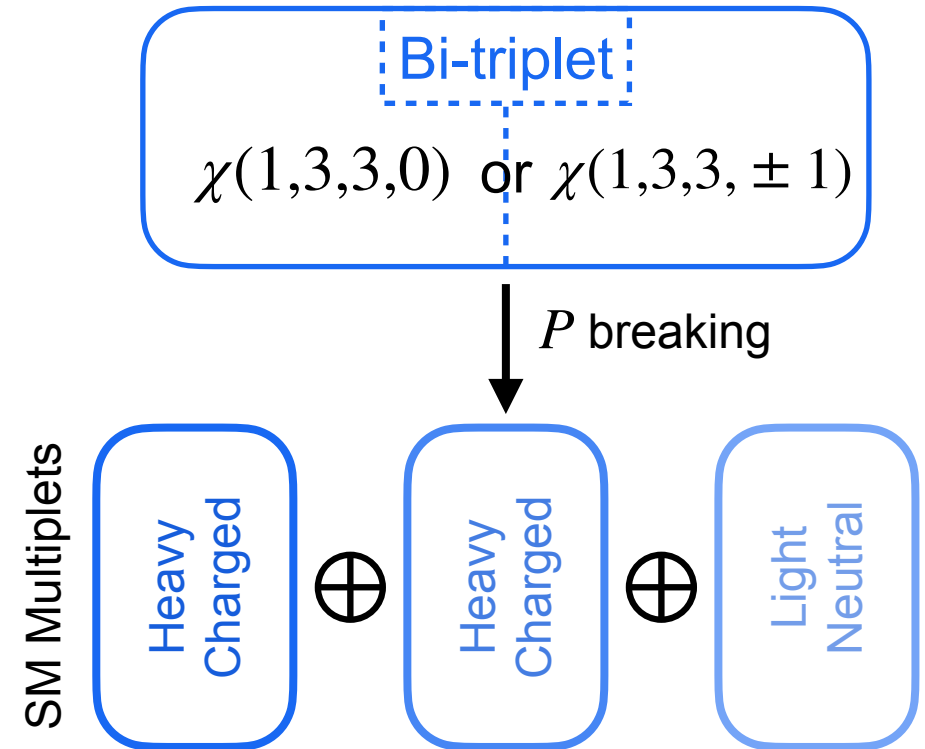


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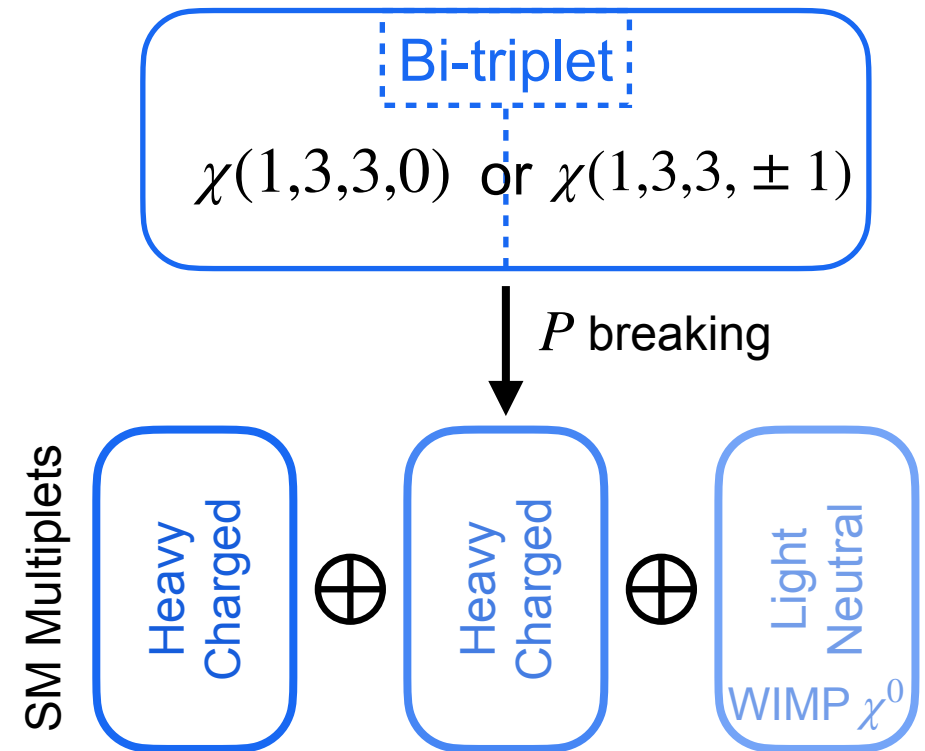


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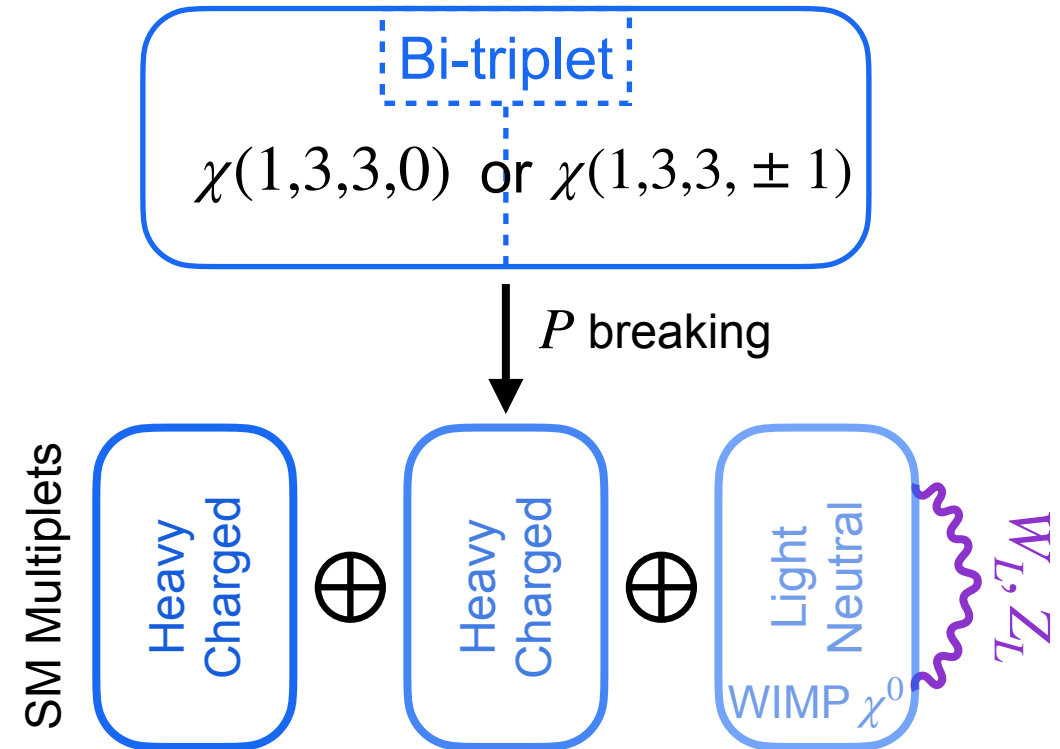


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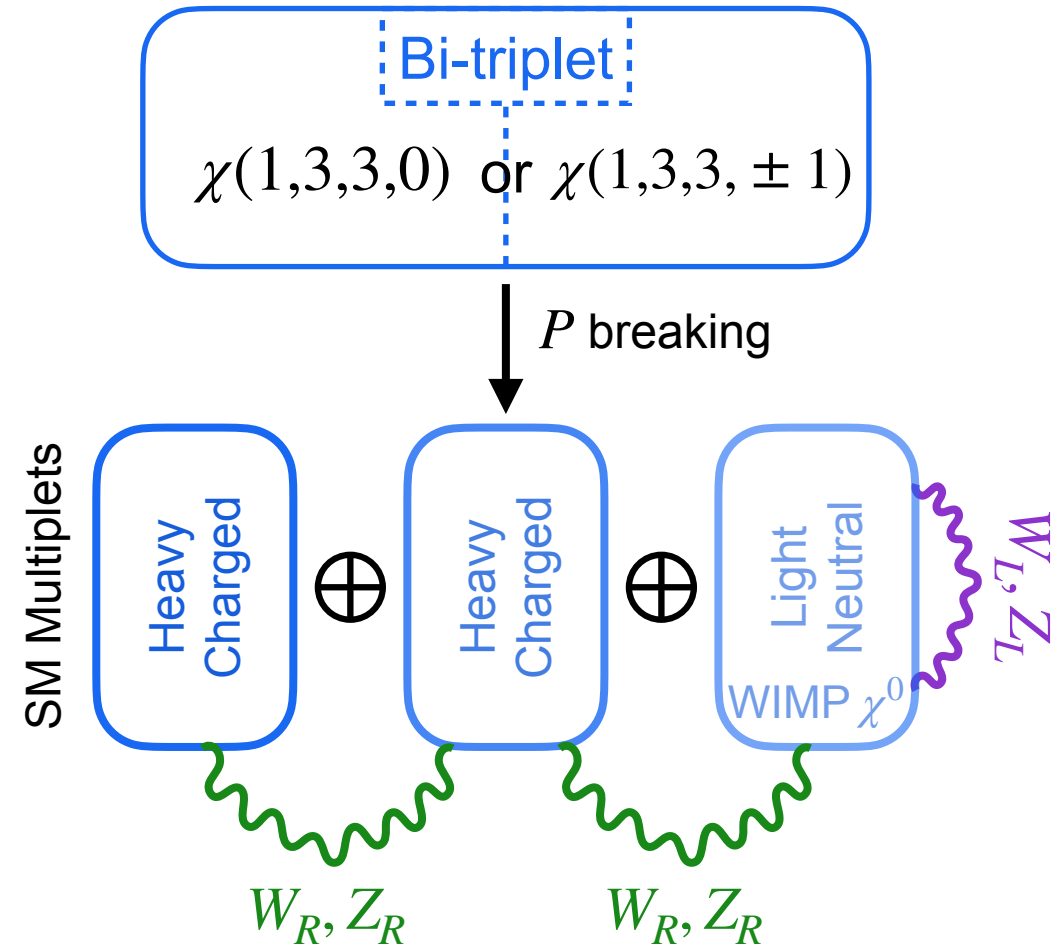


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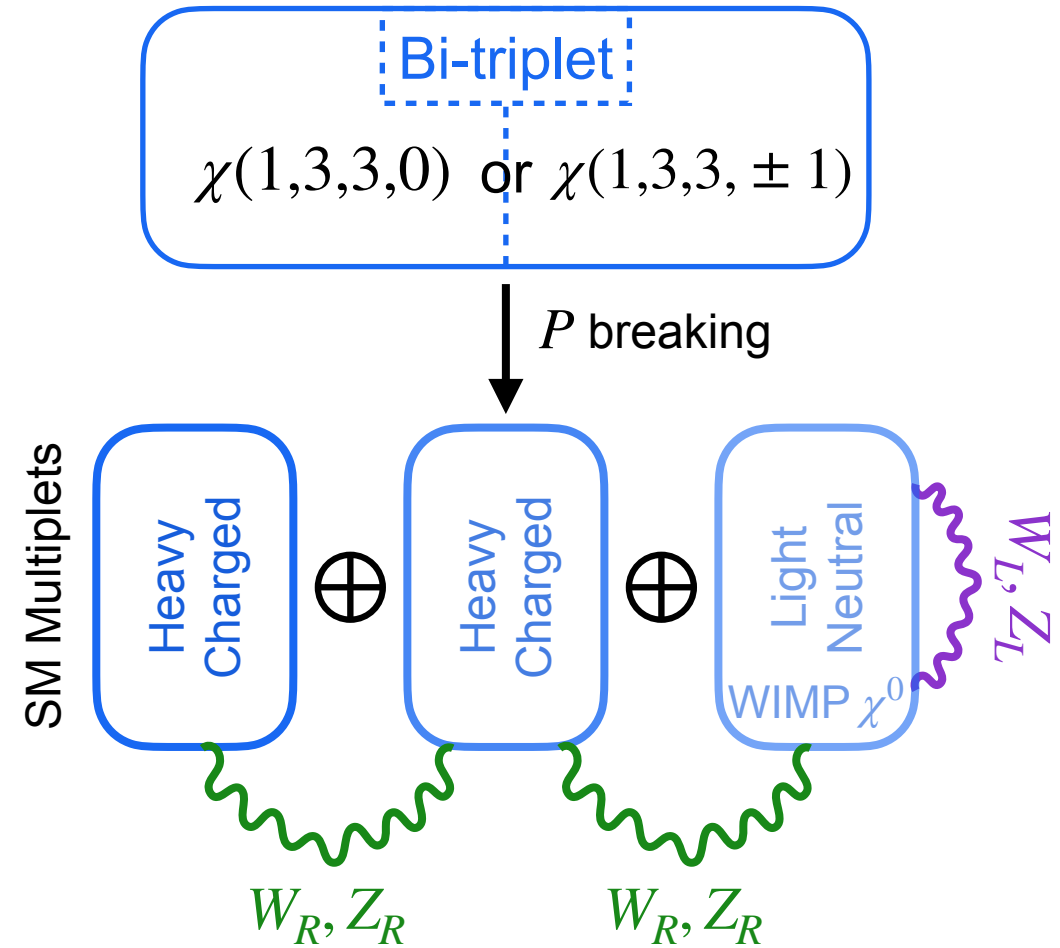
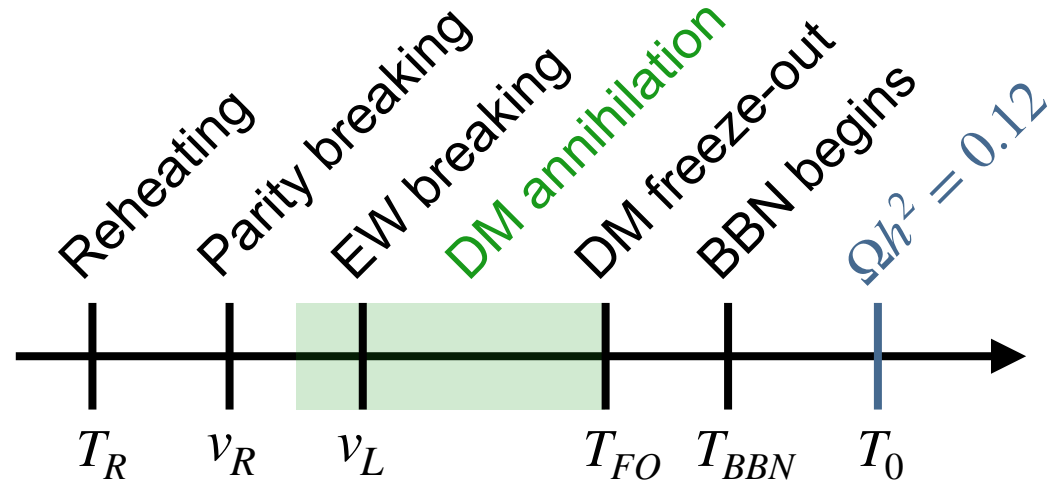




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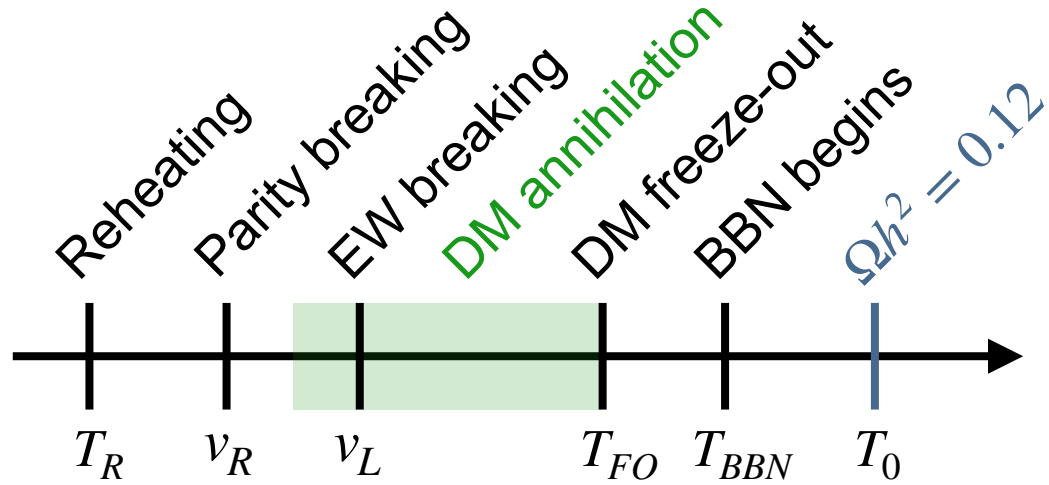




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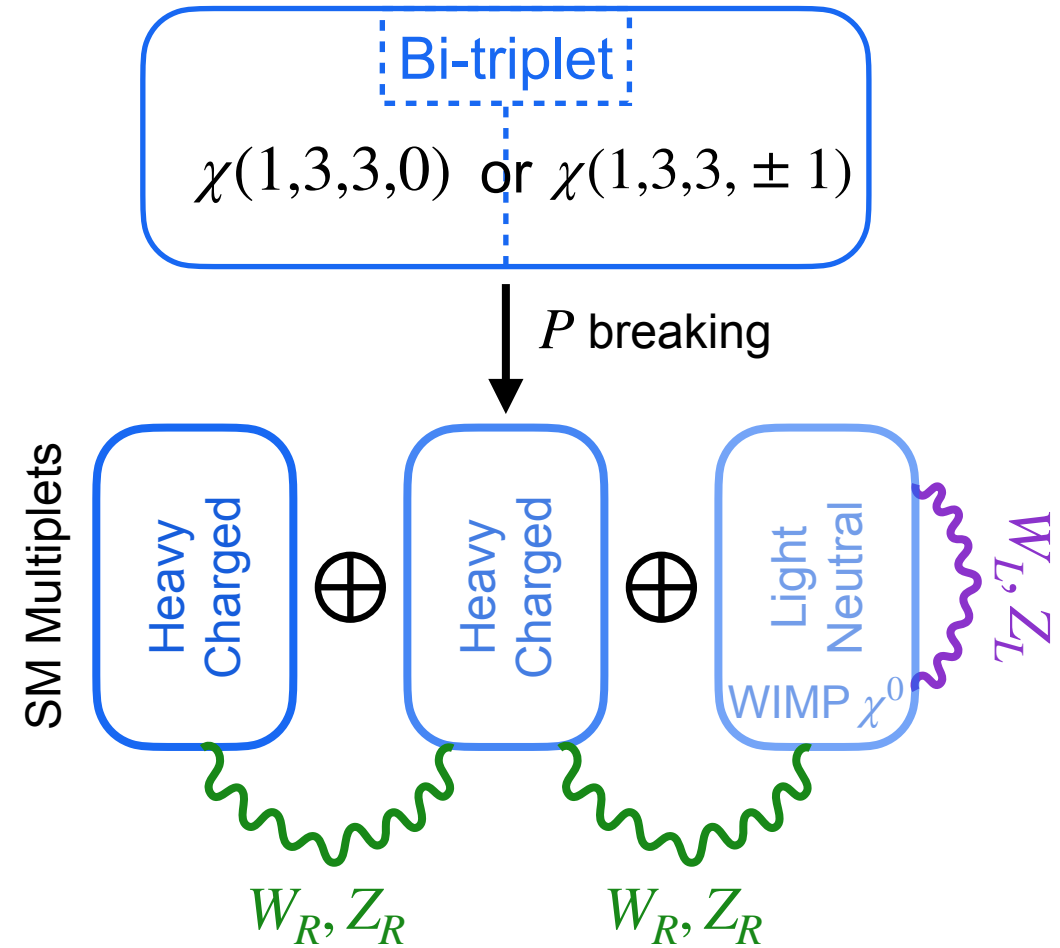
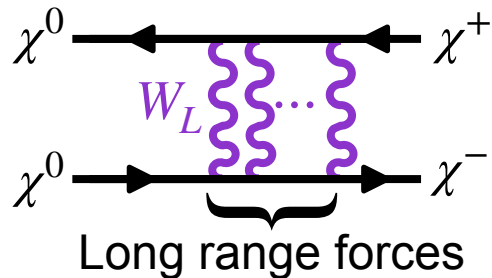


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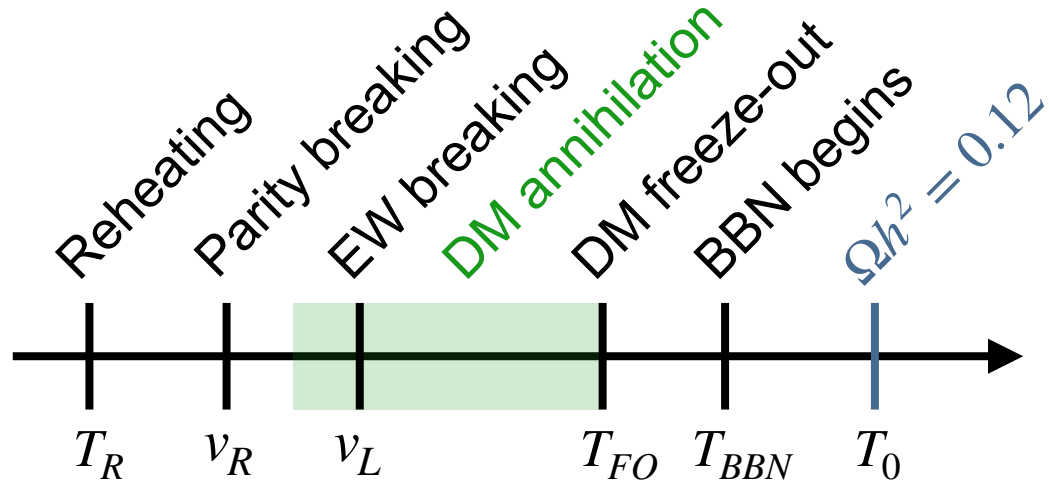


Abundance computed from Boltzmann equation using annihilation cross-sections modified by

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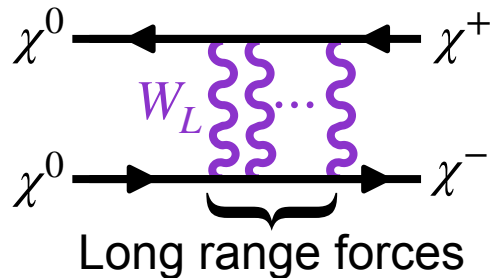


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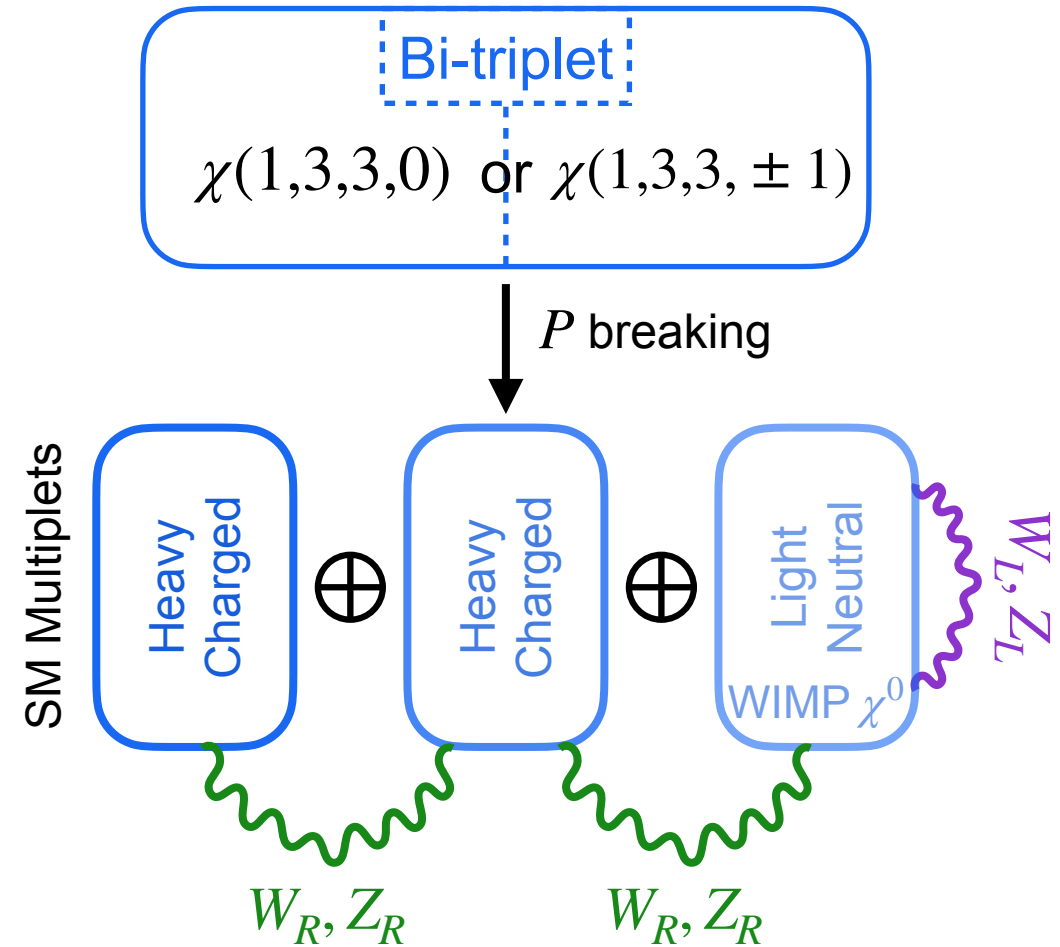
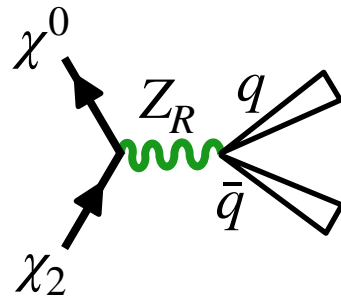


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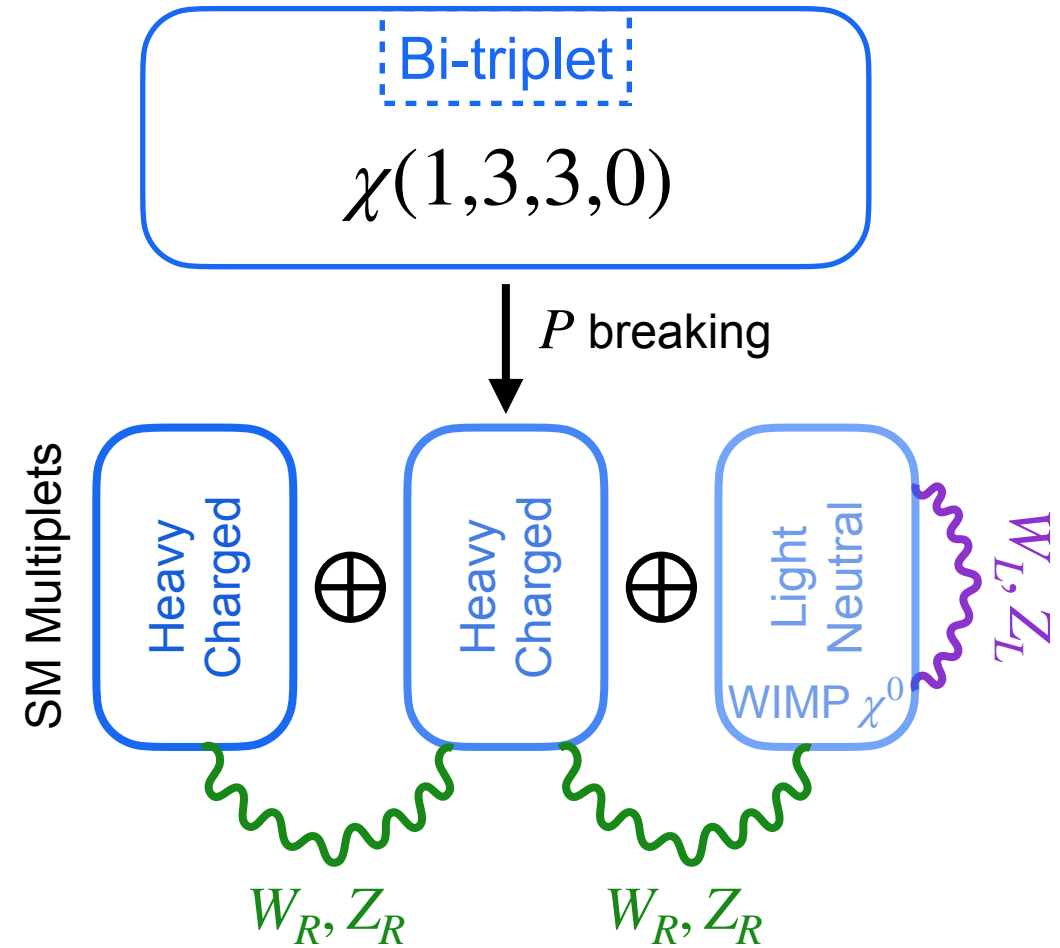




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Example:  $(1,3,3,0)$ ,  $v_R = 40$  TeV

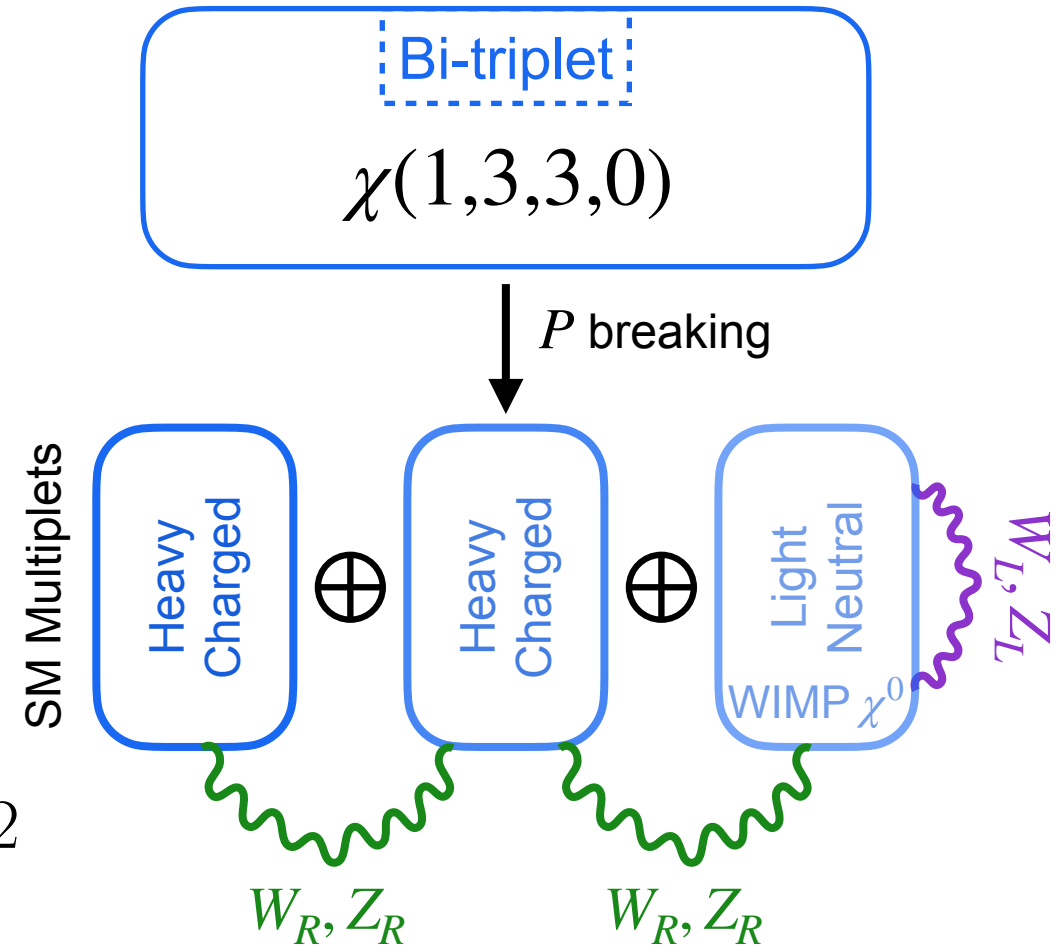
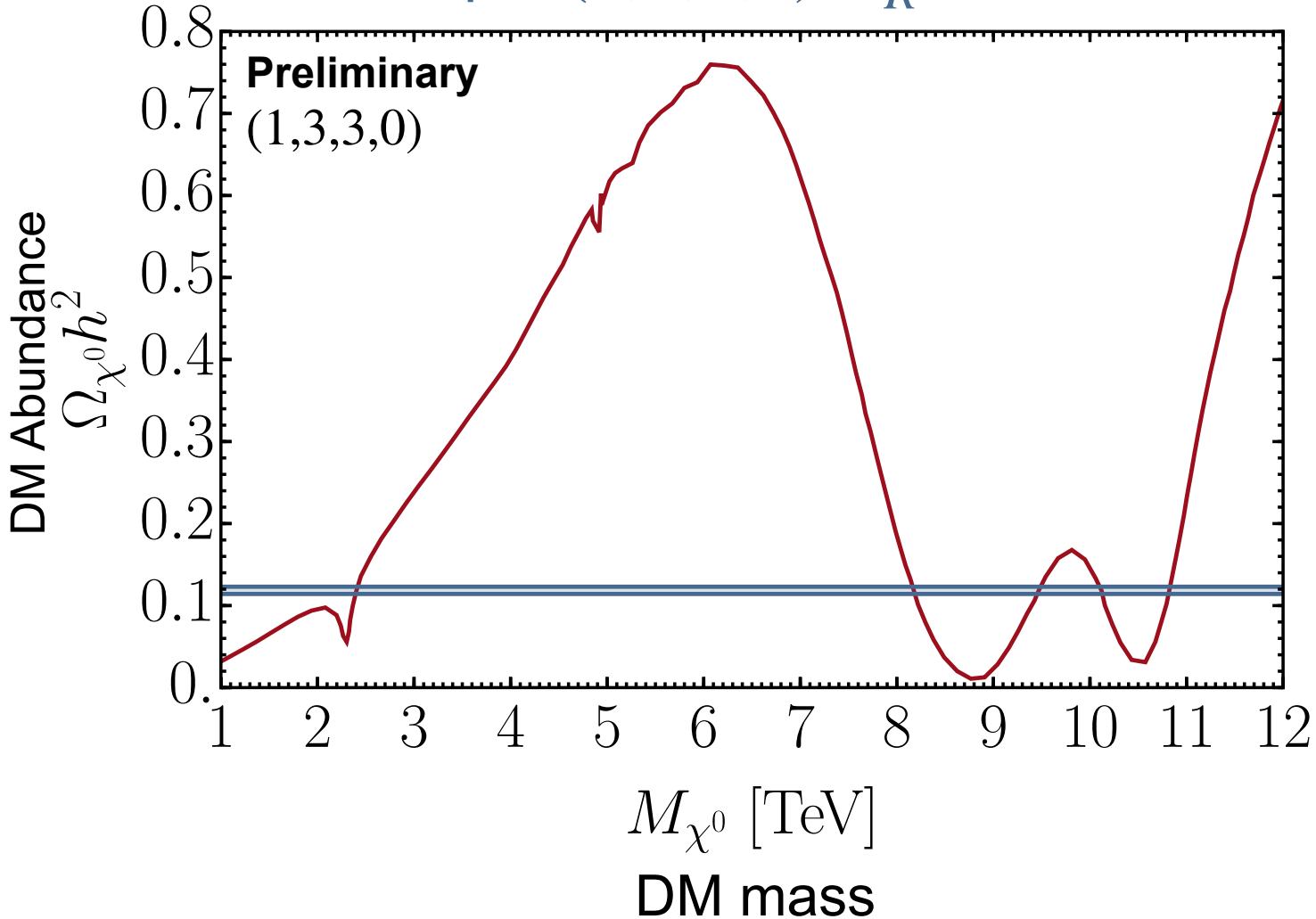




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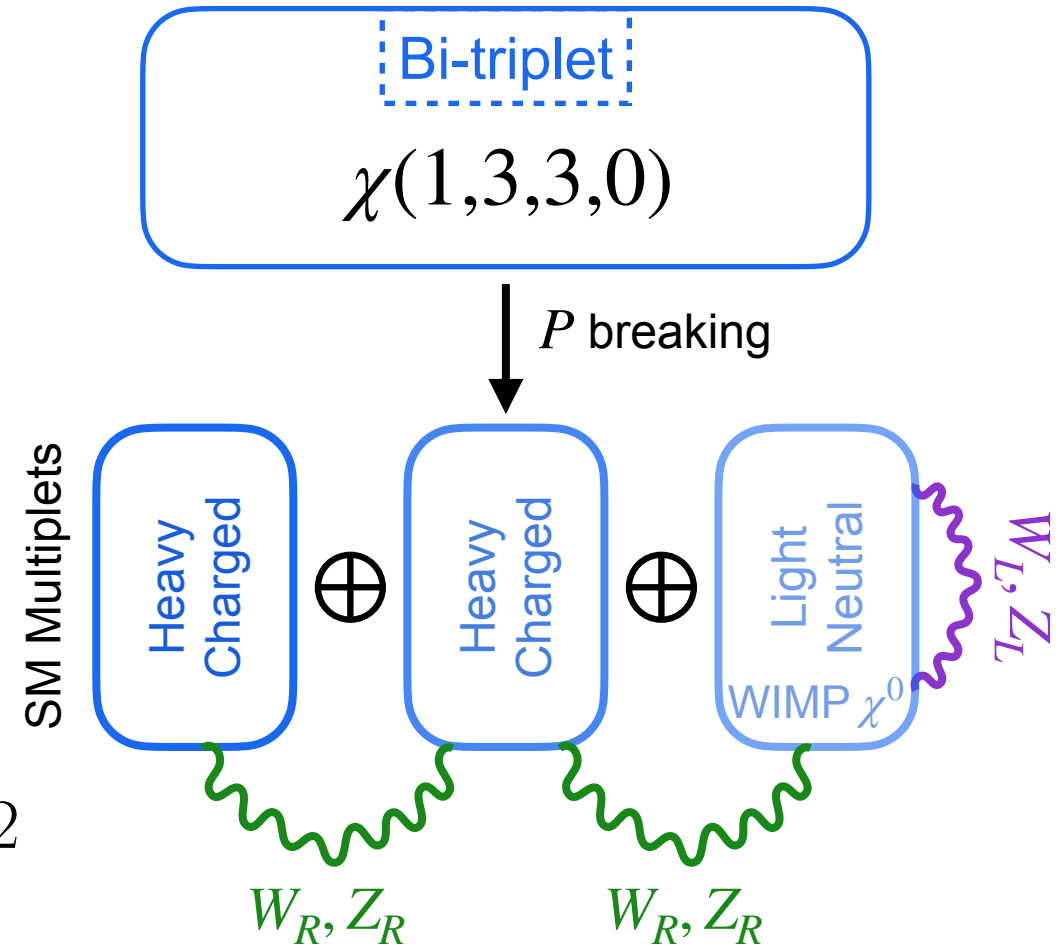
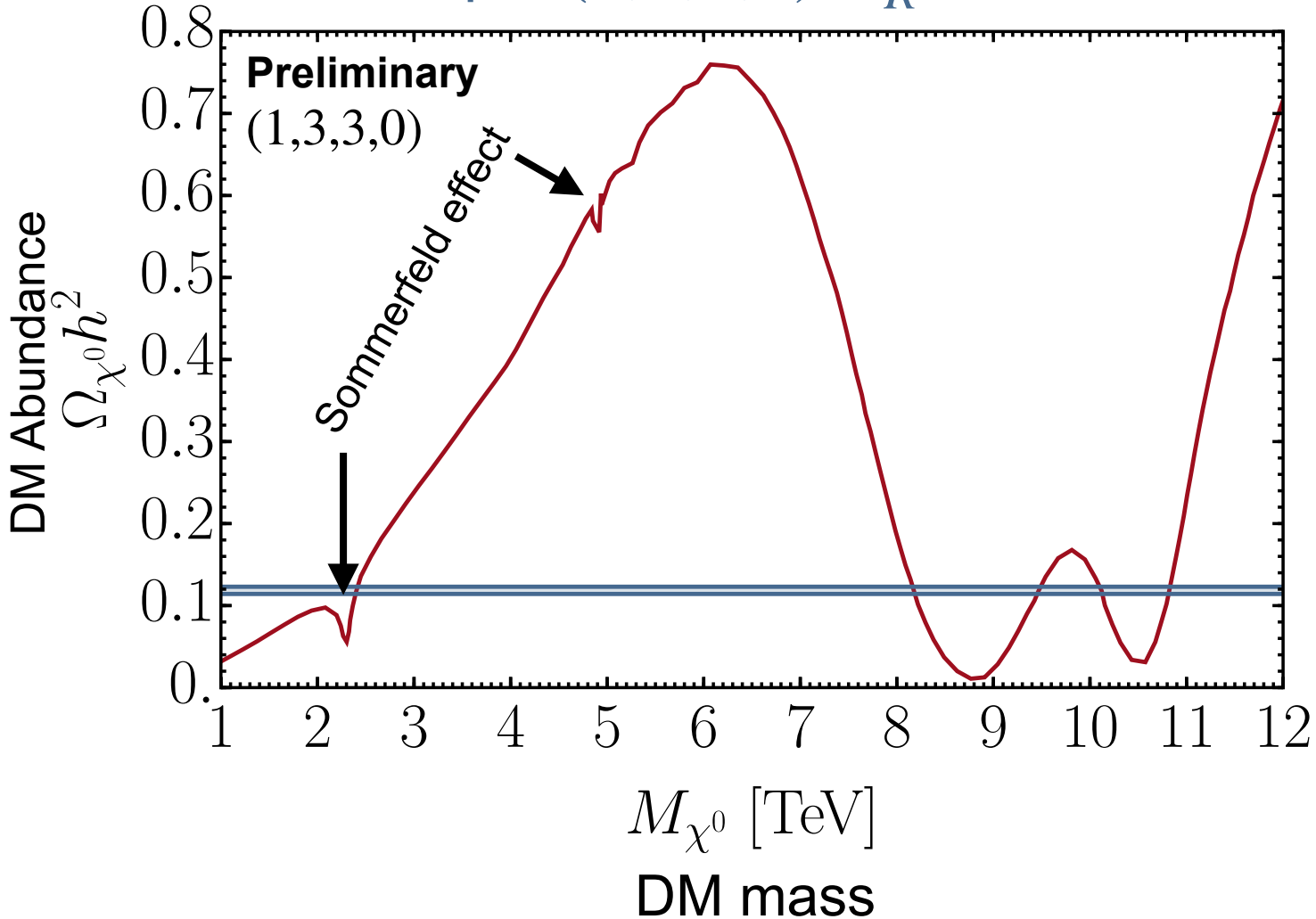




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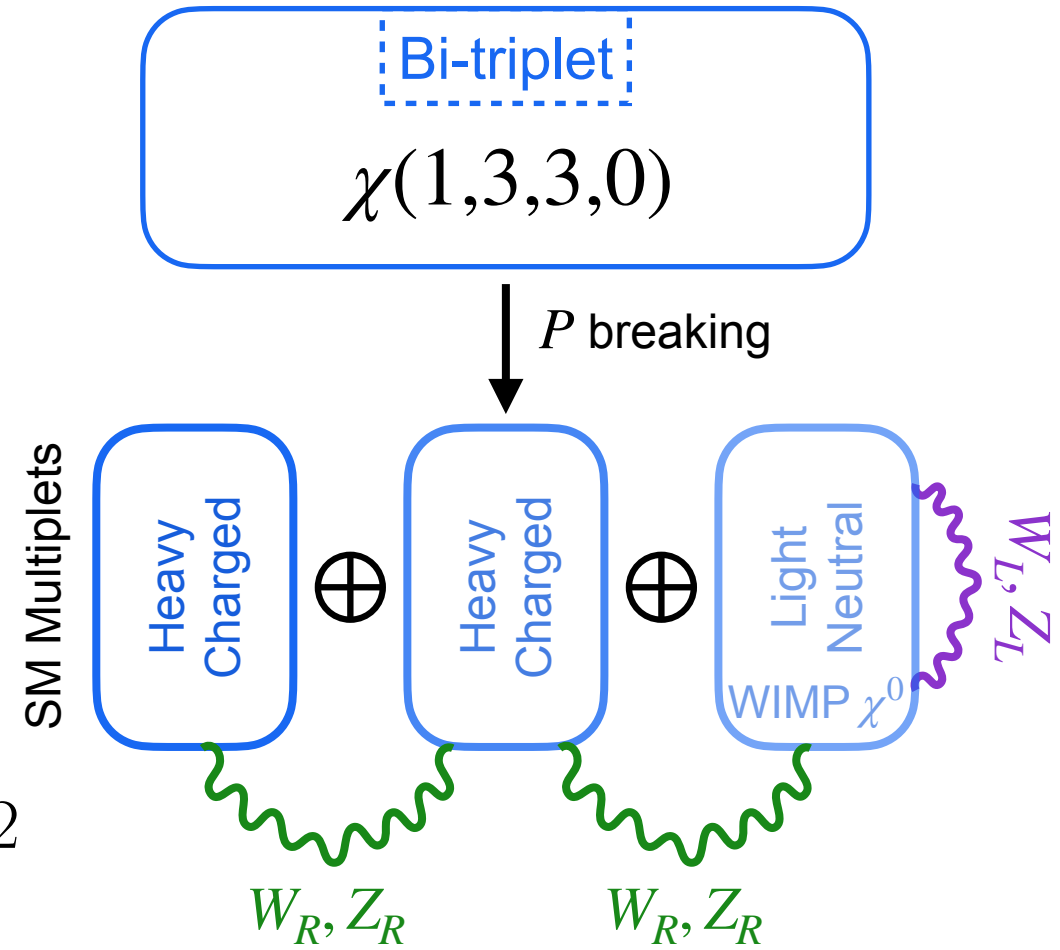
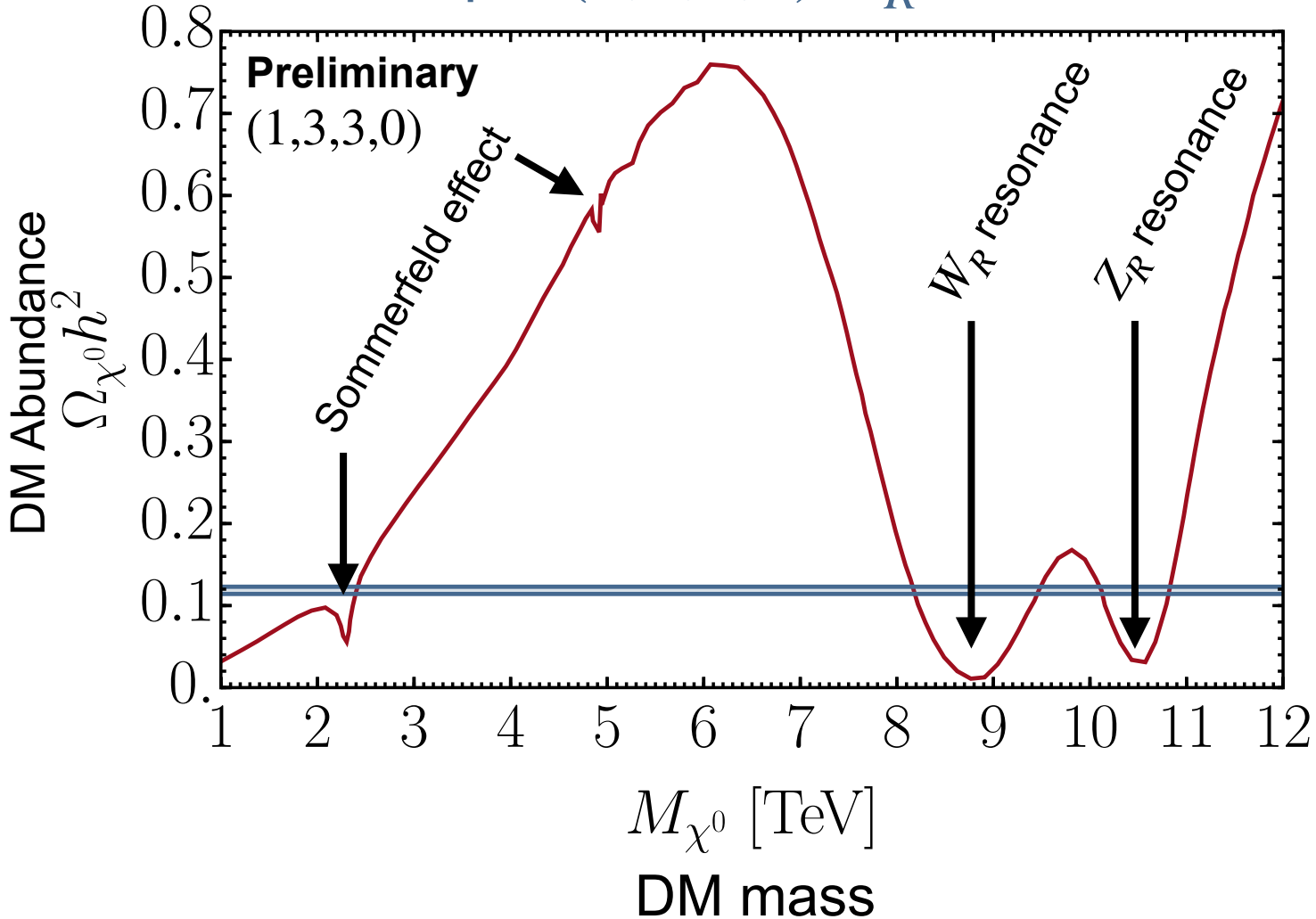




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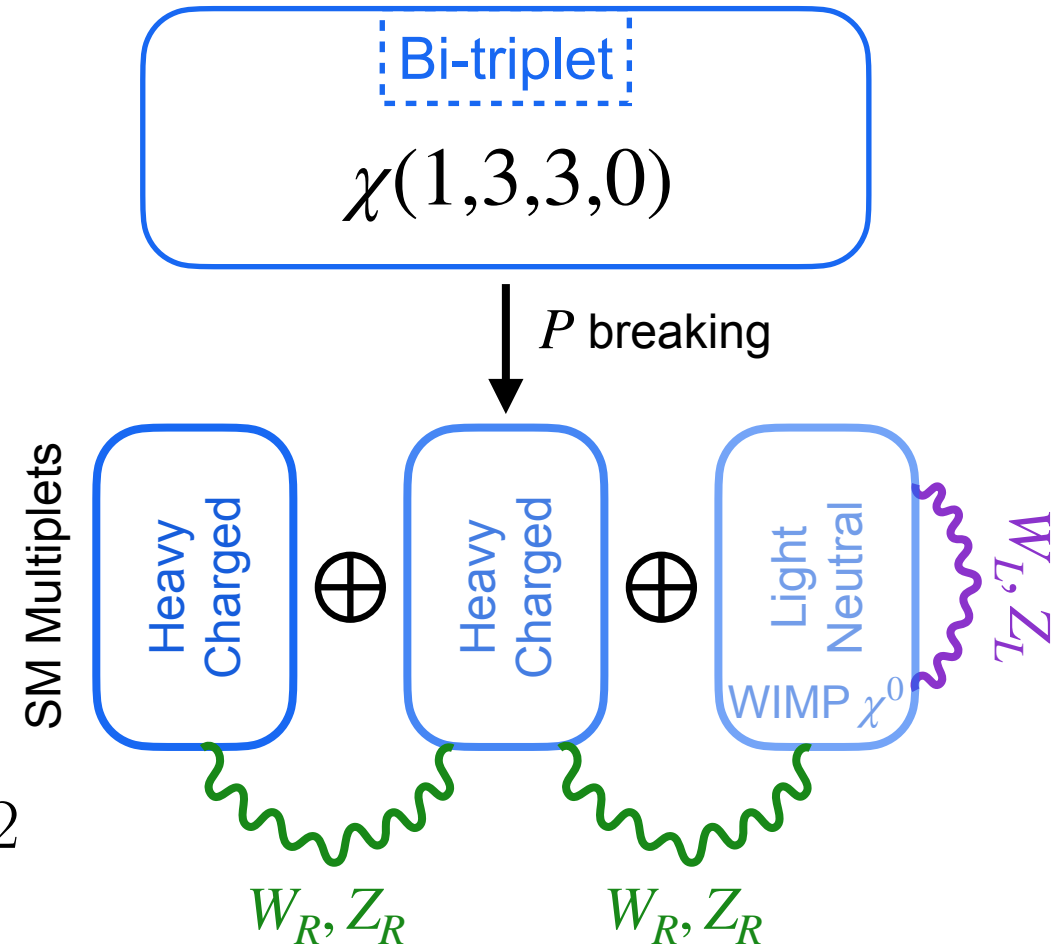
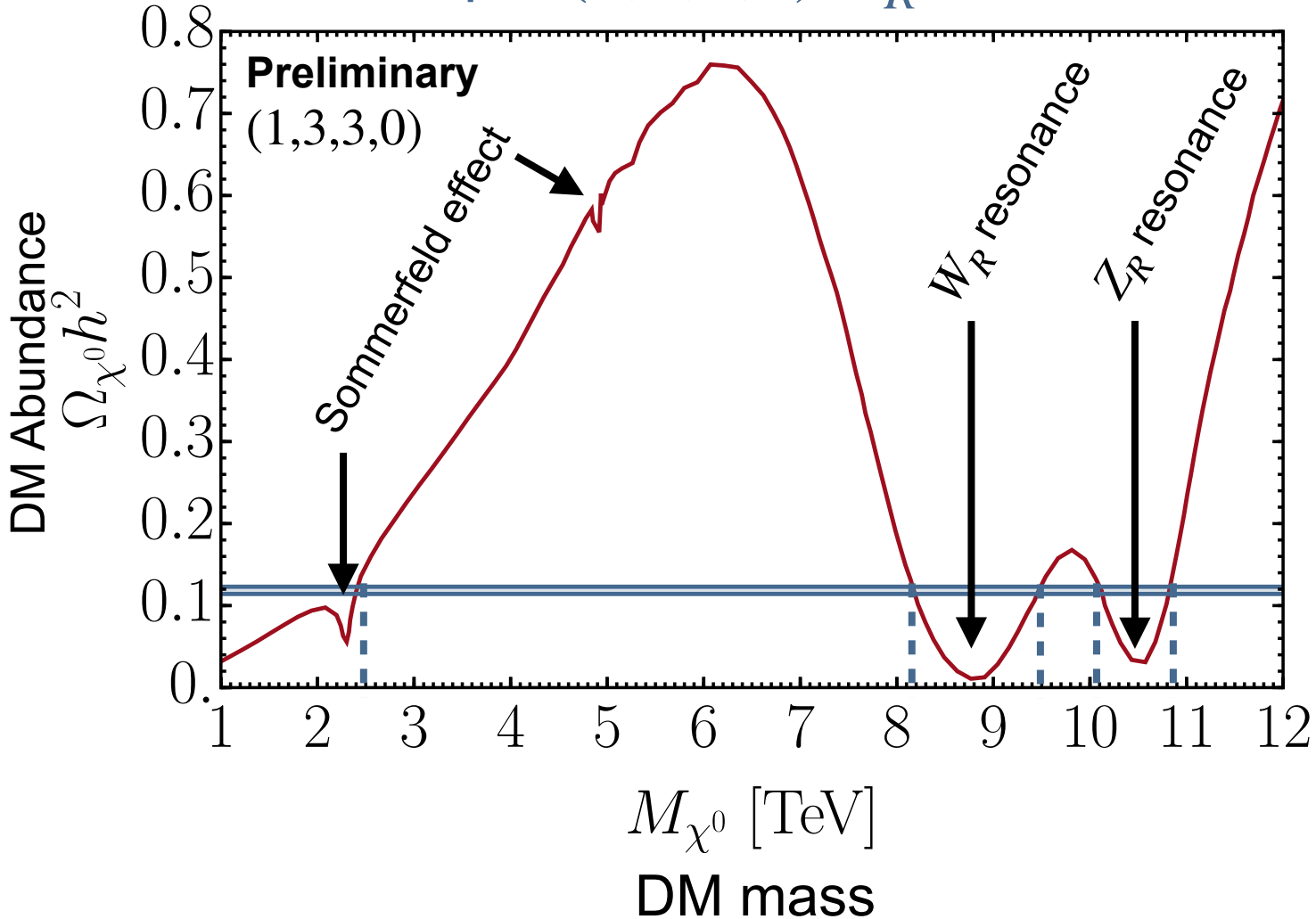




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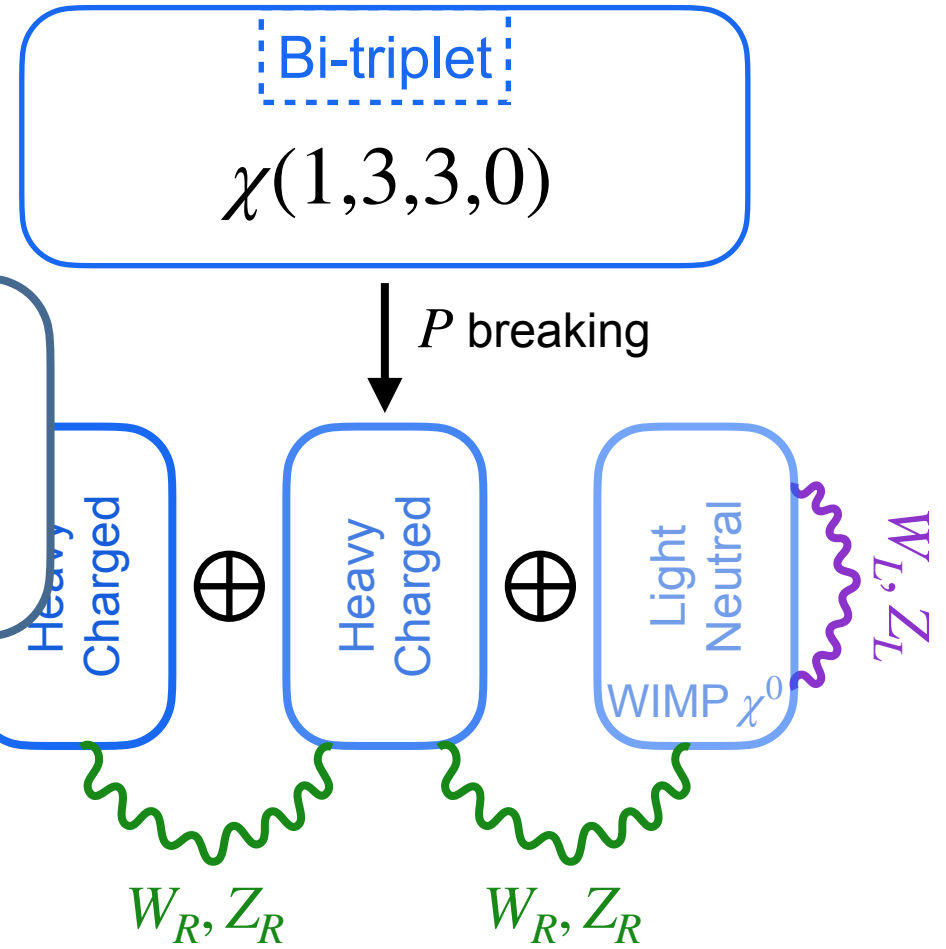
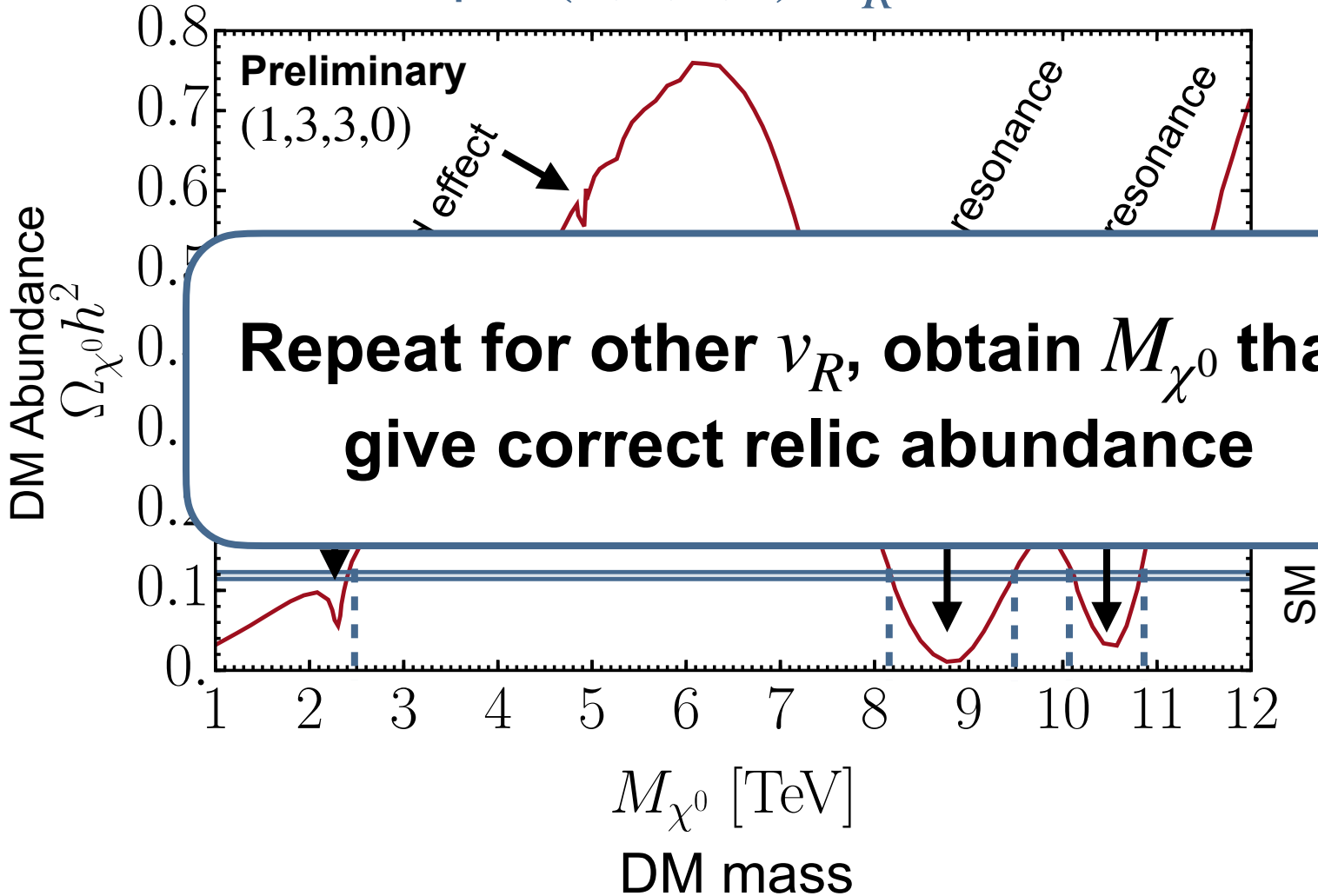




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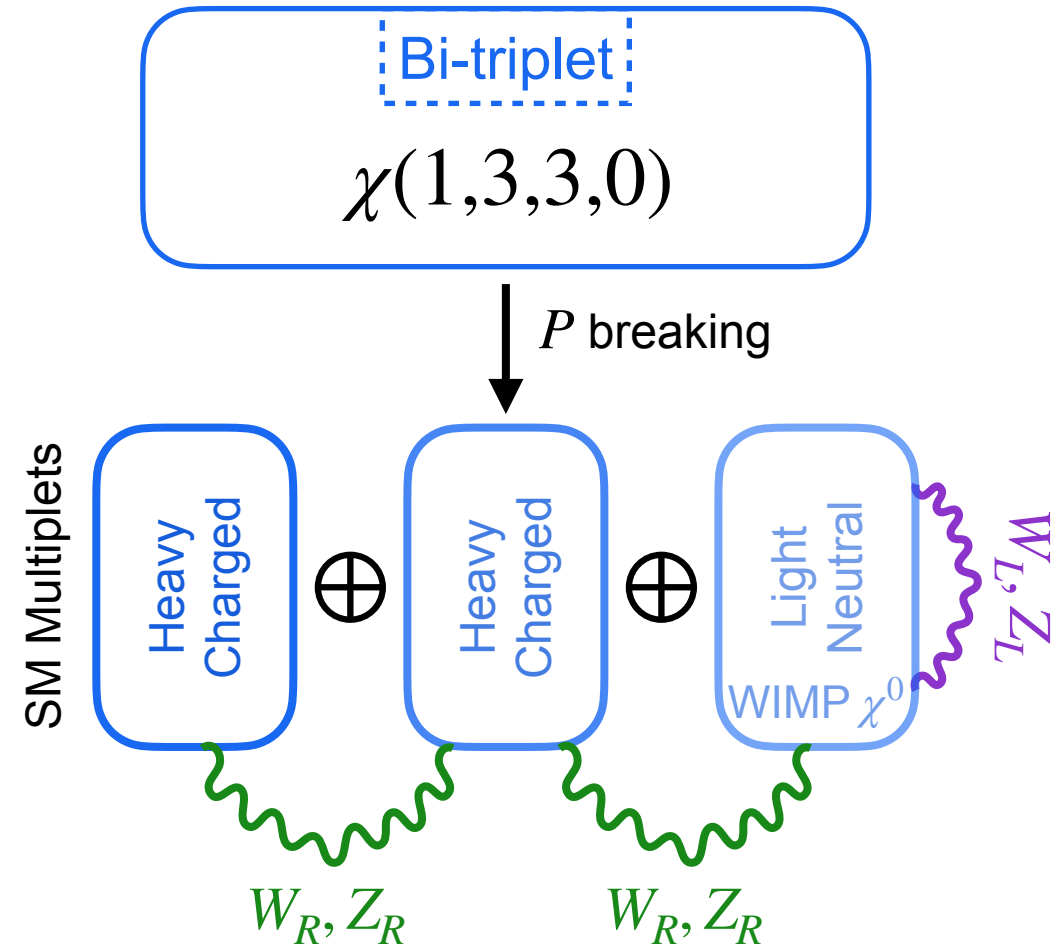
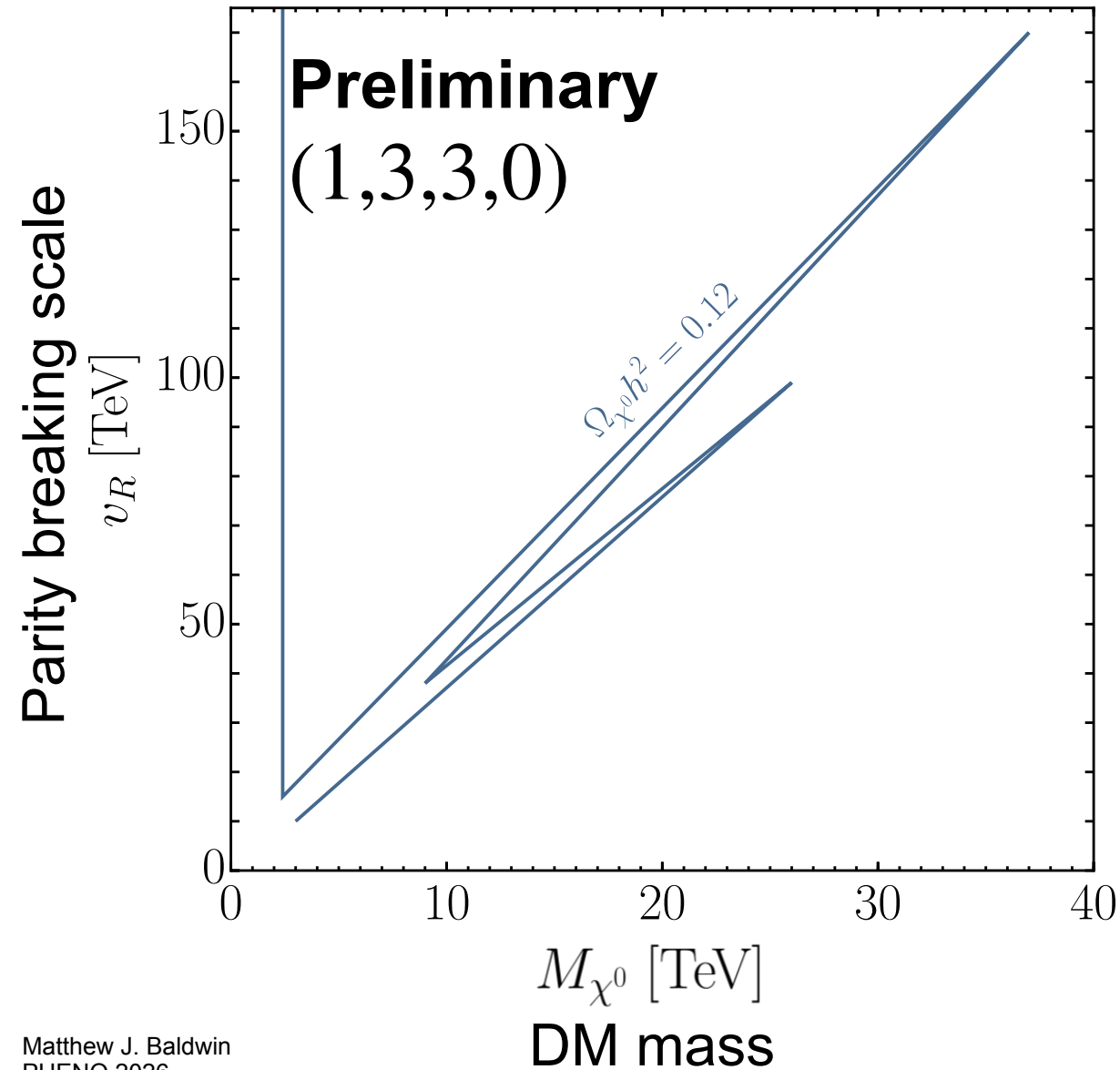


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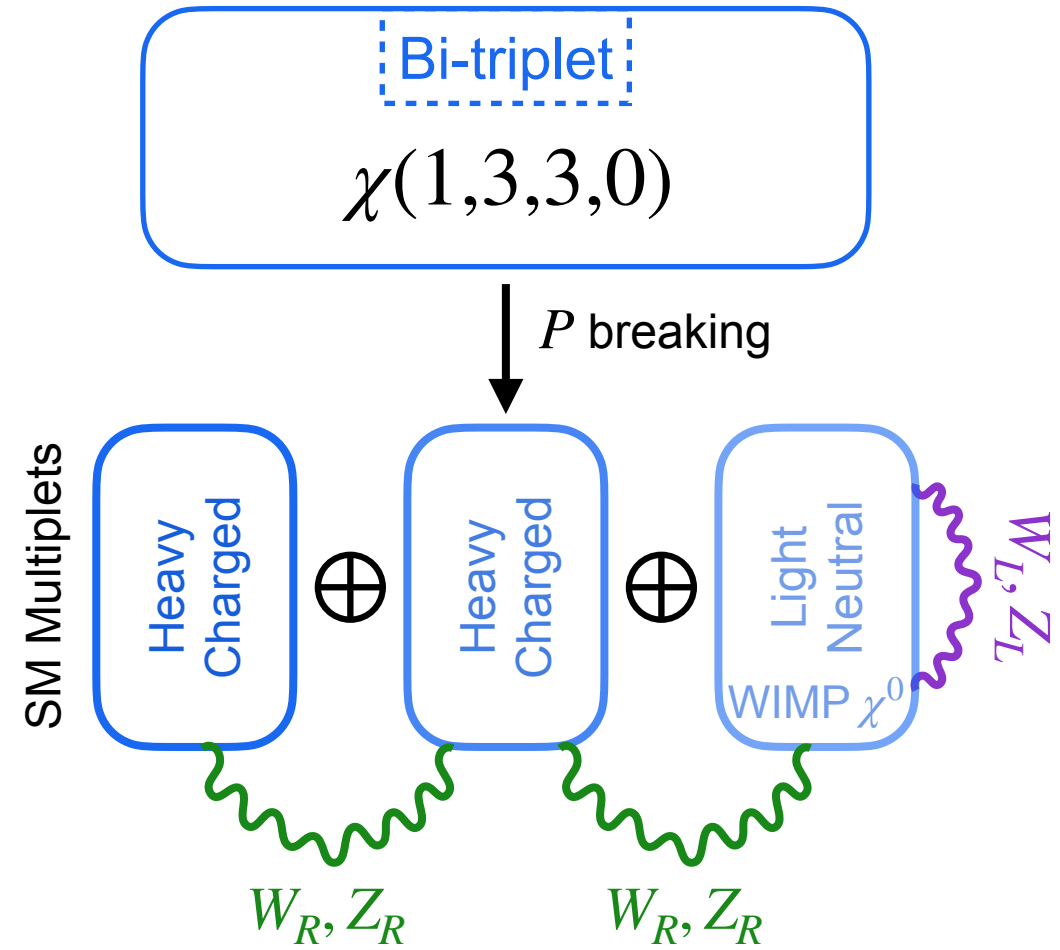
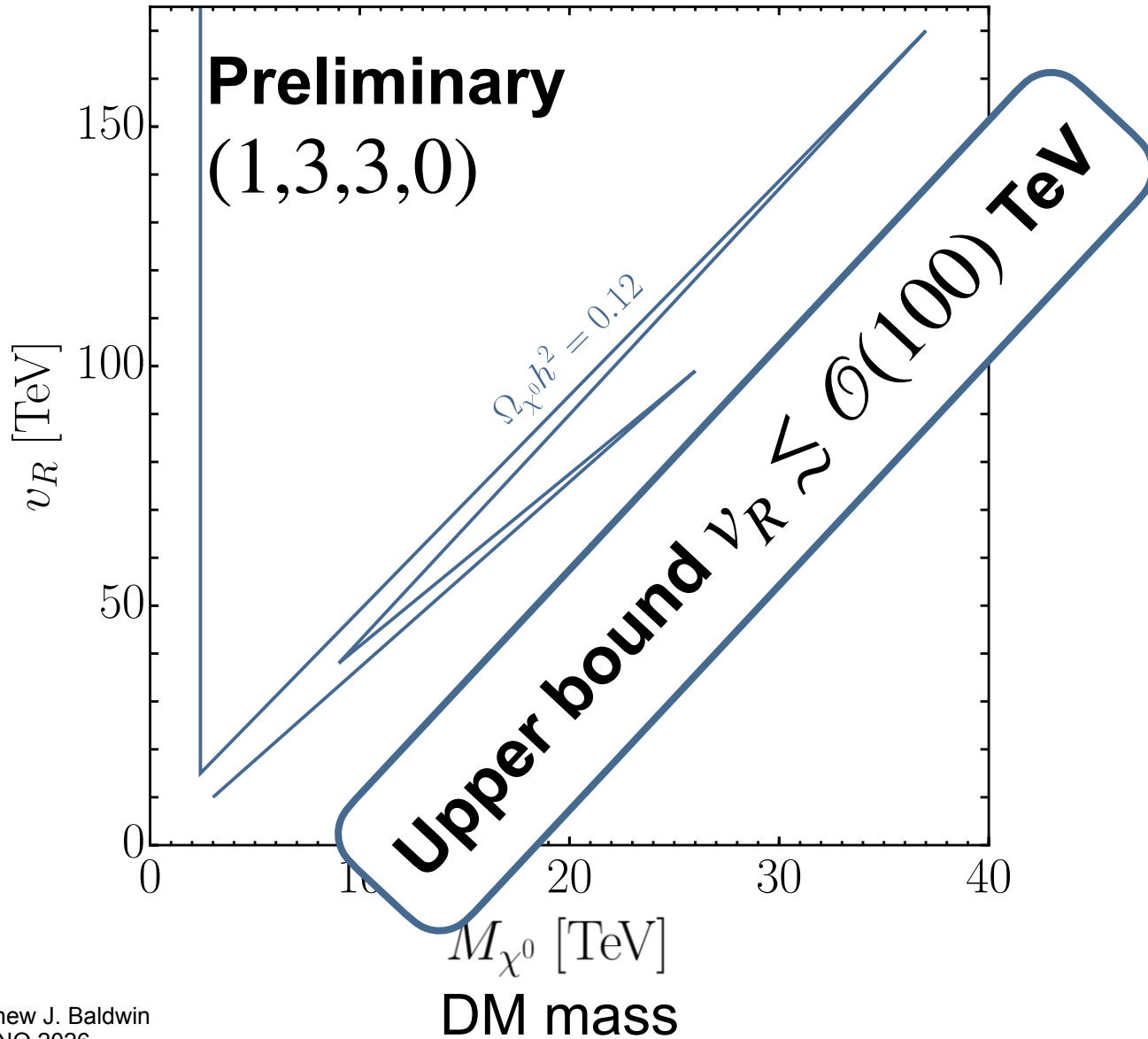




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Parity breaking scale

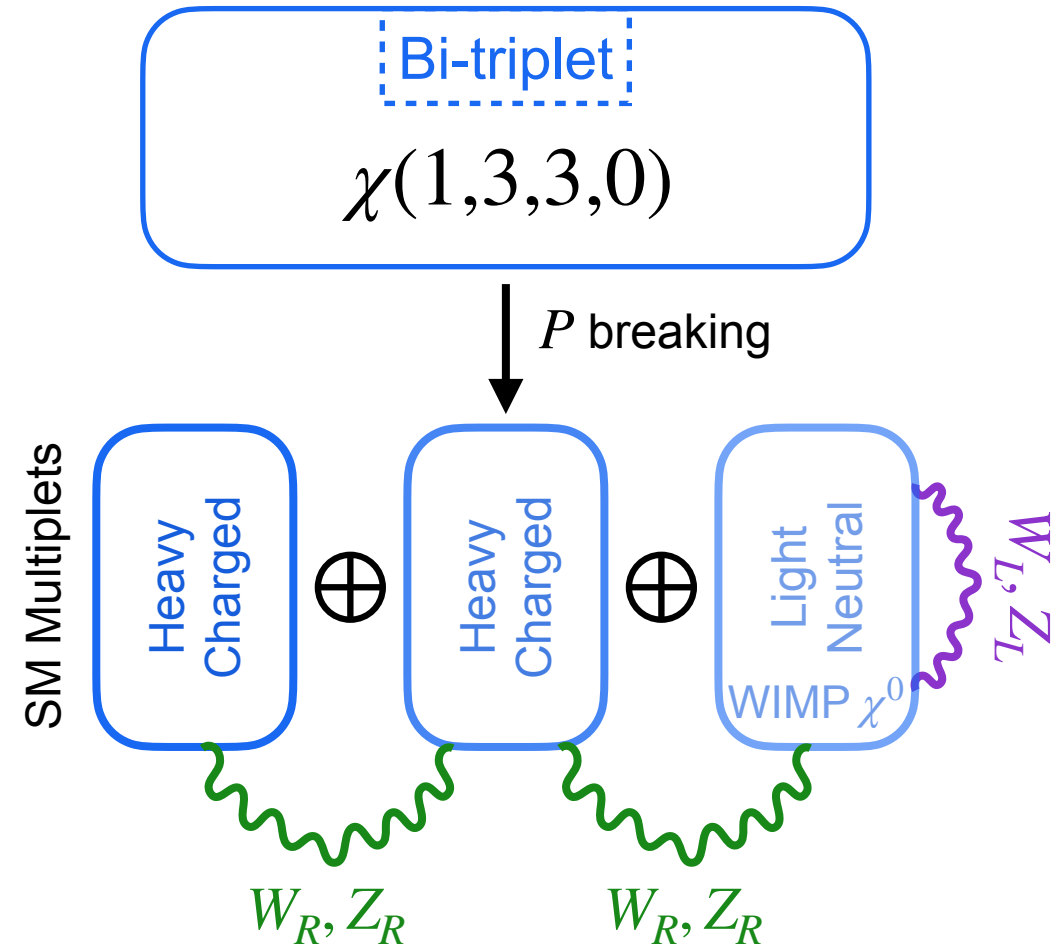
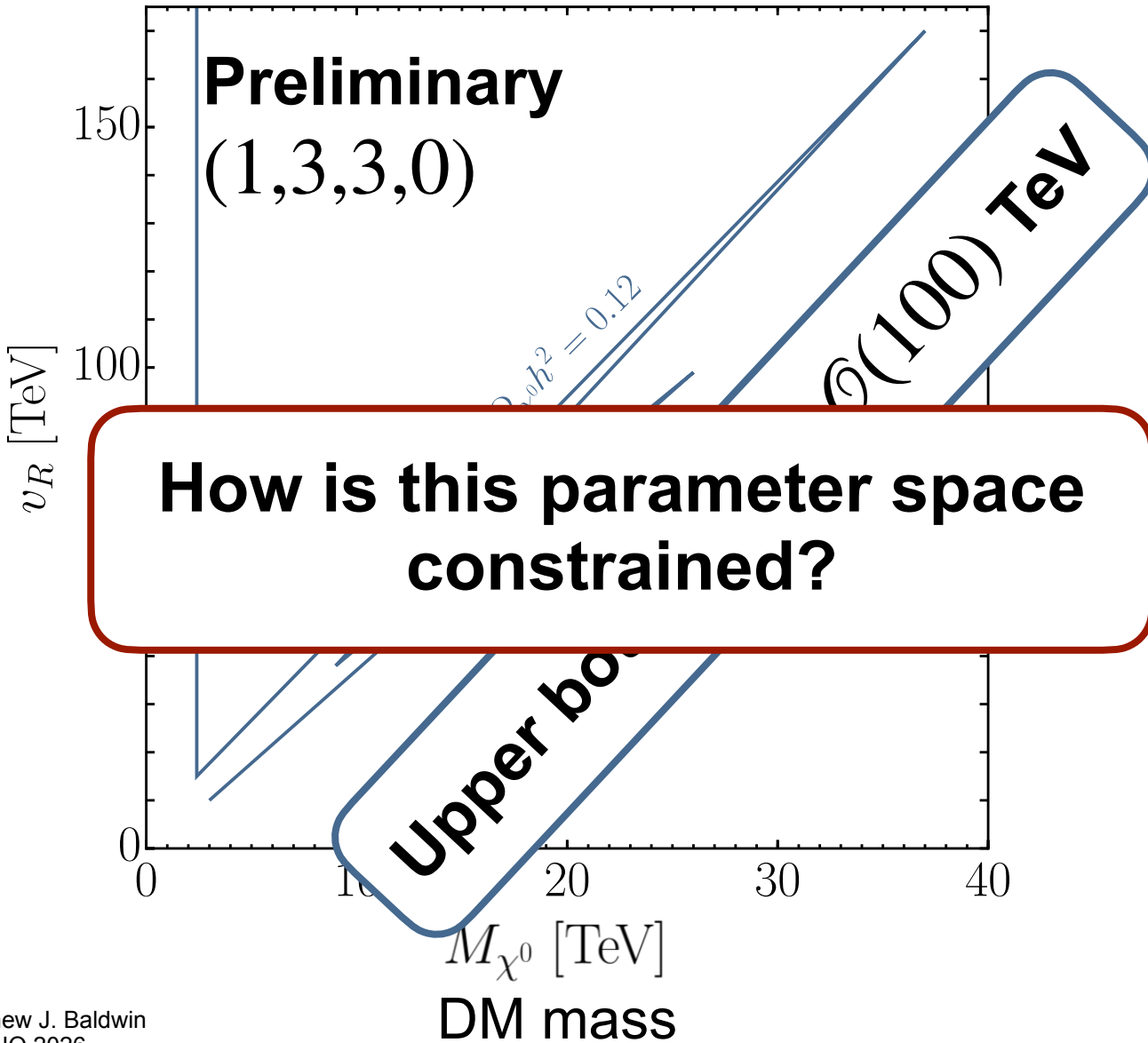


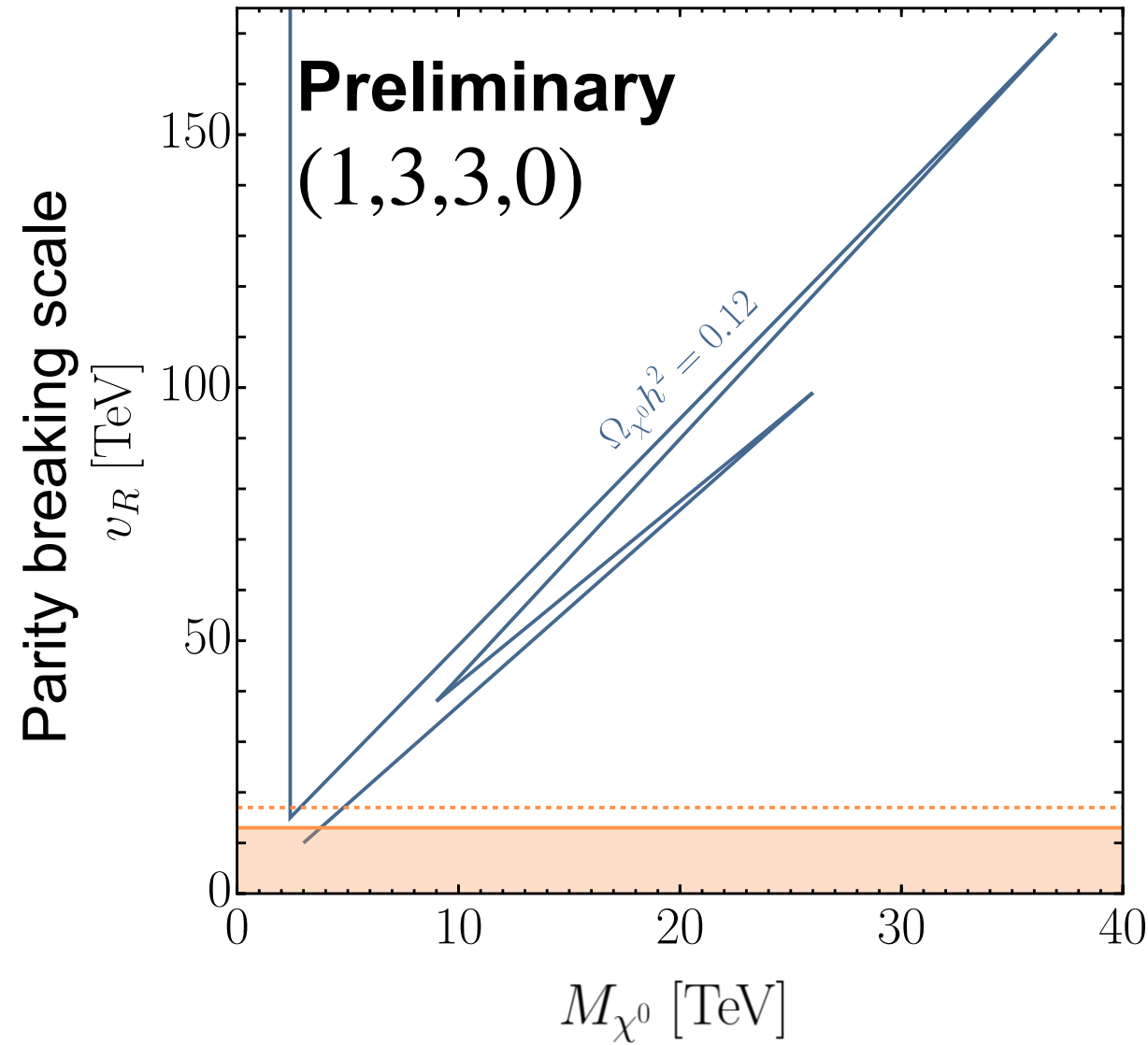


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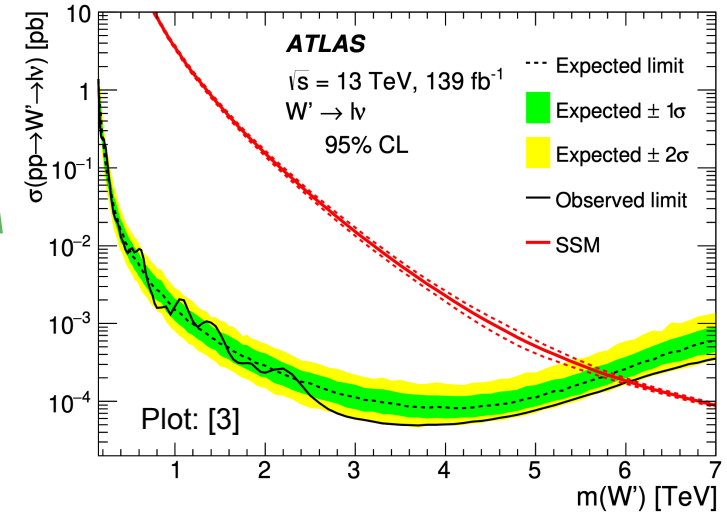
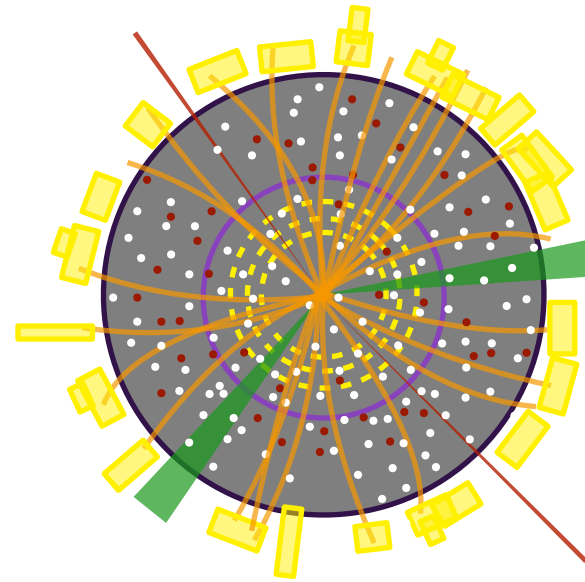
Parity breaking scale





Collider searches for  $W_R^\pm$  provide lower bound on

$$m_{W_R} \propto v_R$$



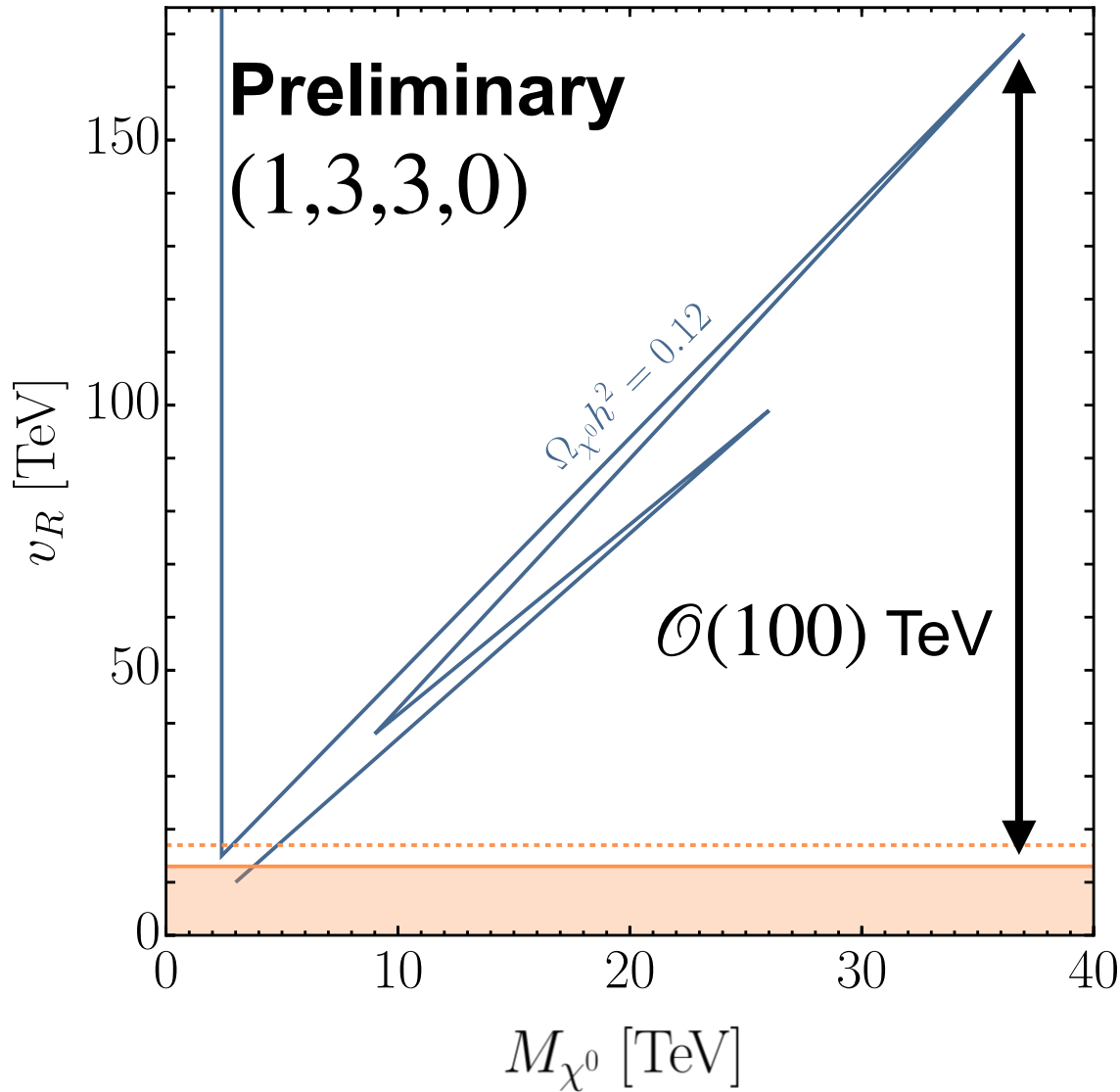
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# Collider Constraints

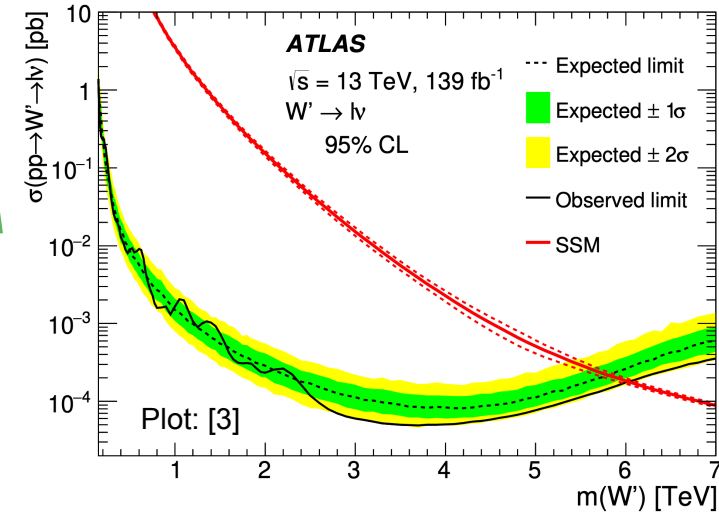
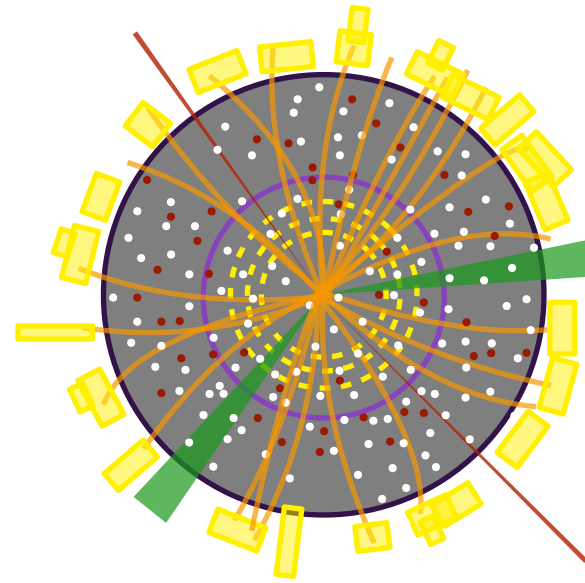


Parity breaking scale



**Collider** searches for  $W_R^\pm$  provide **lower bound** on

$$m_{W_R} \propto v_R$$



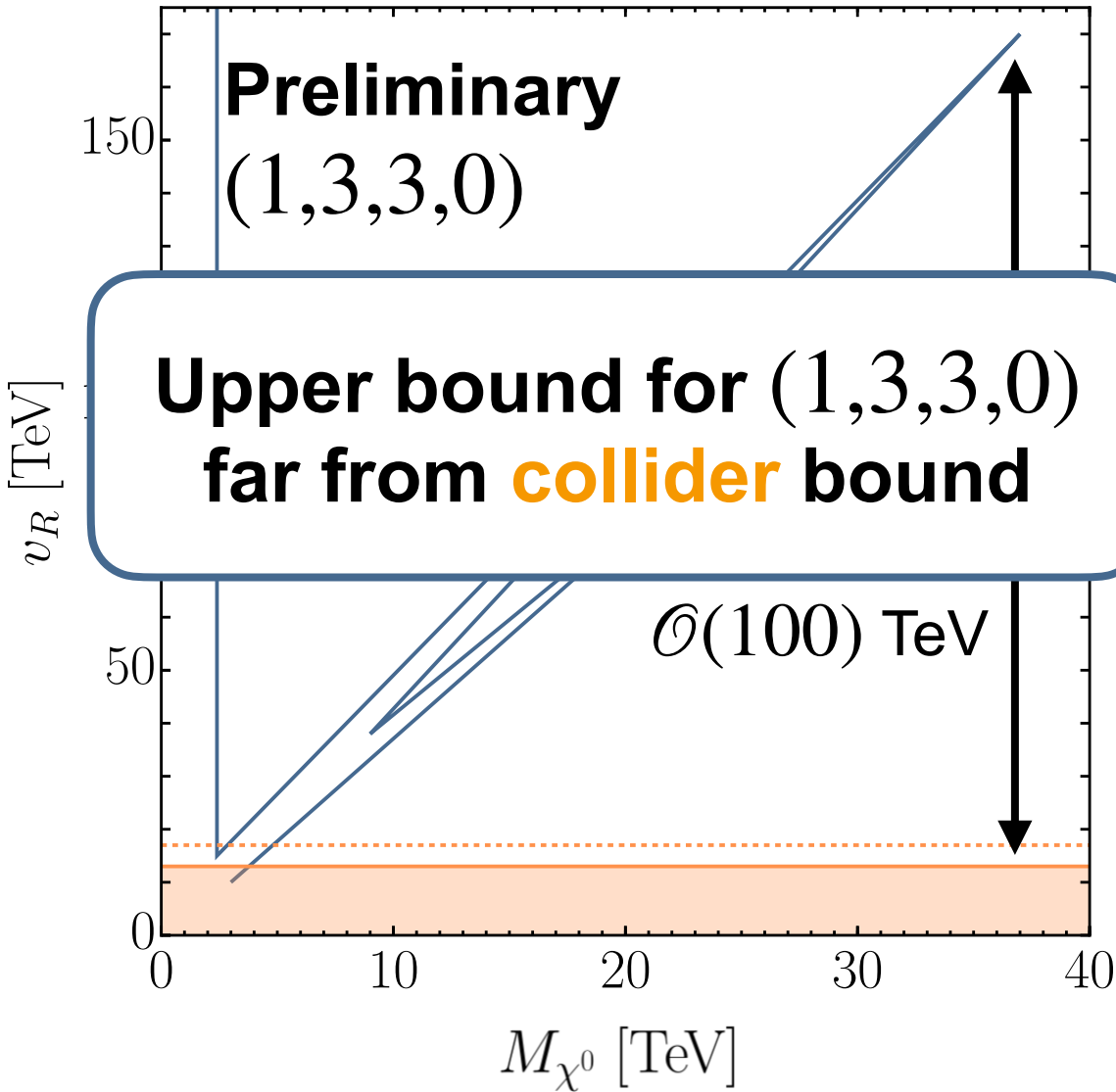
$$6 \text{ TeV} \lesssim M_{W_R} = \frac{1}{\sqrt{2}} g v_R \longrightarrow v_R \gtrsim 14 \text{ TeV}$$



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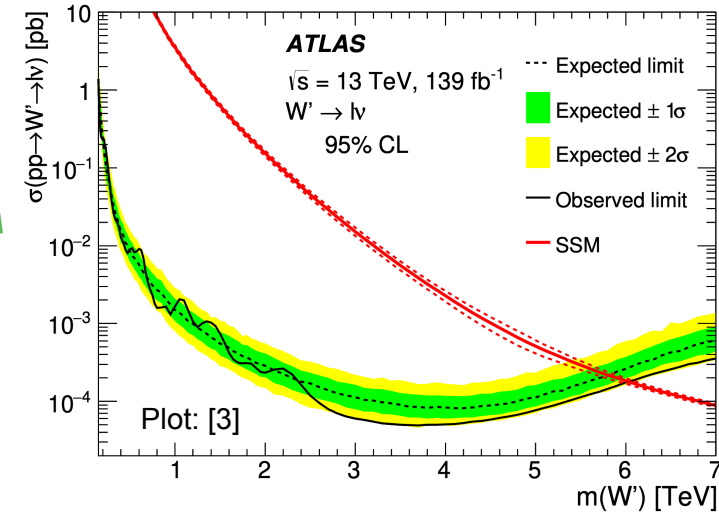
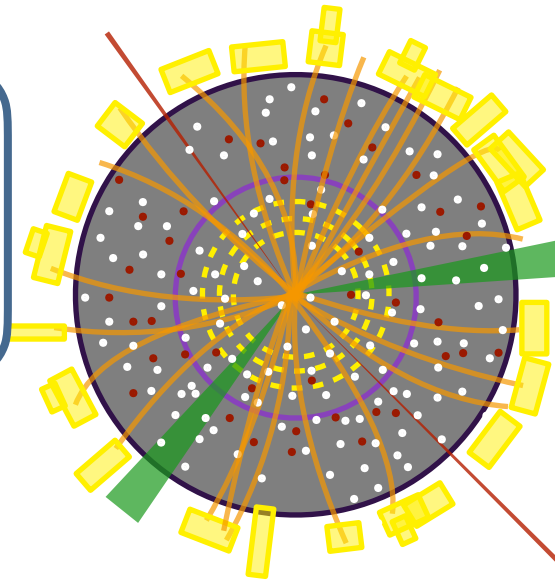


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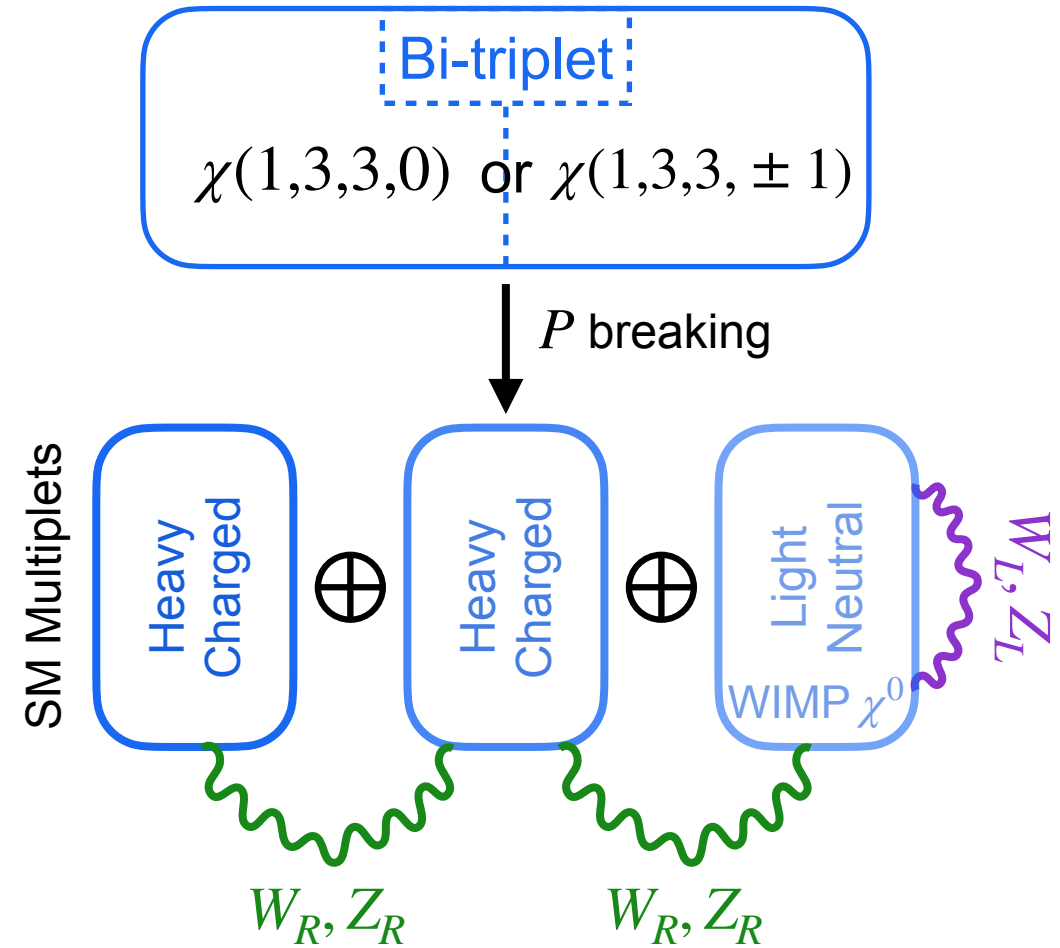
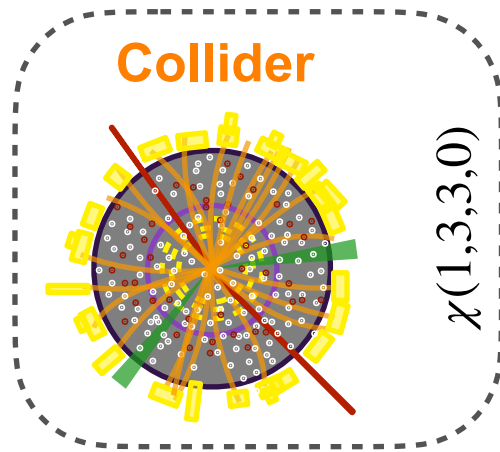
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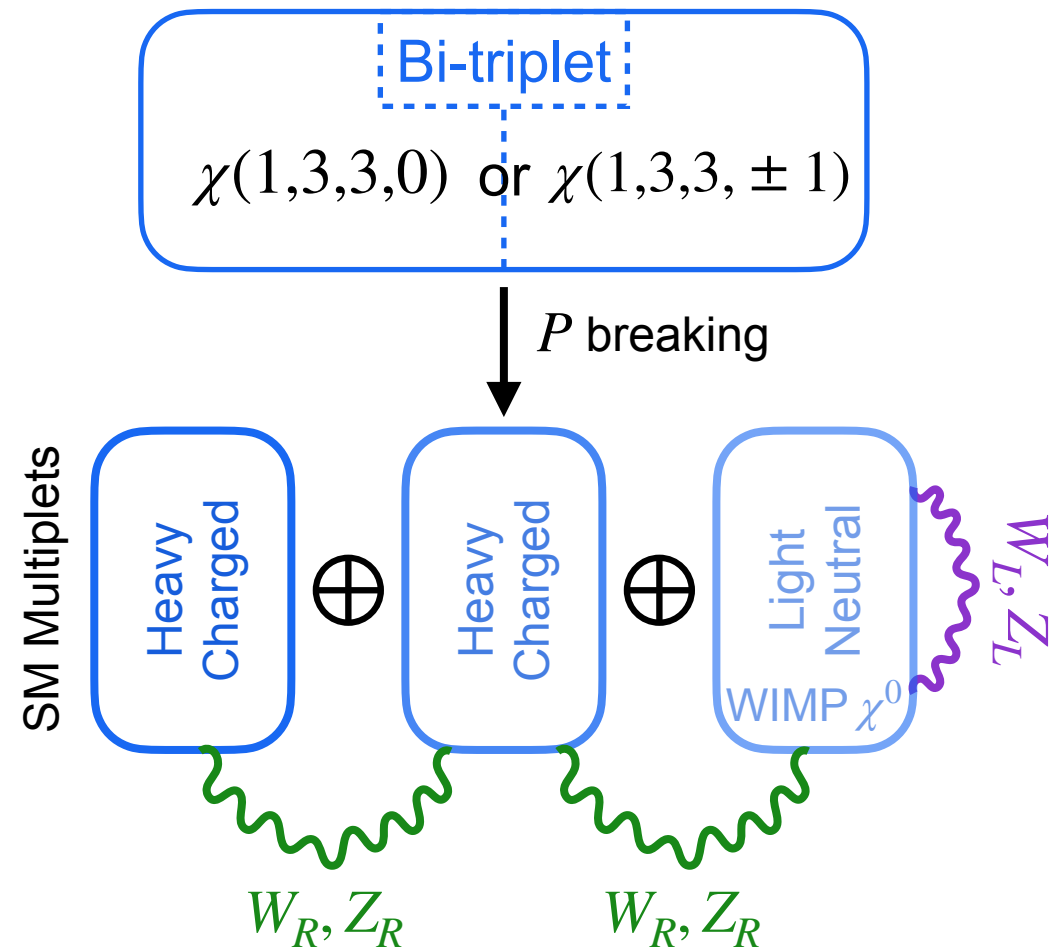
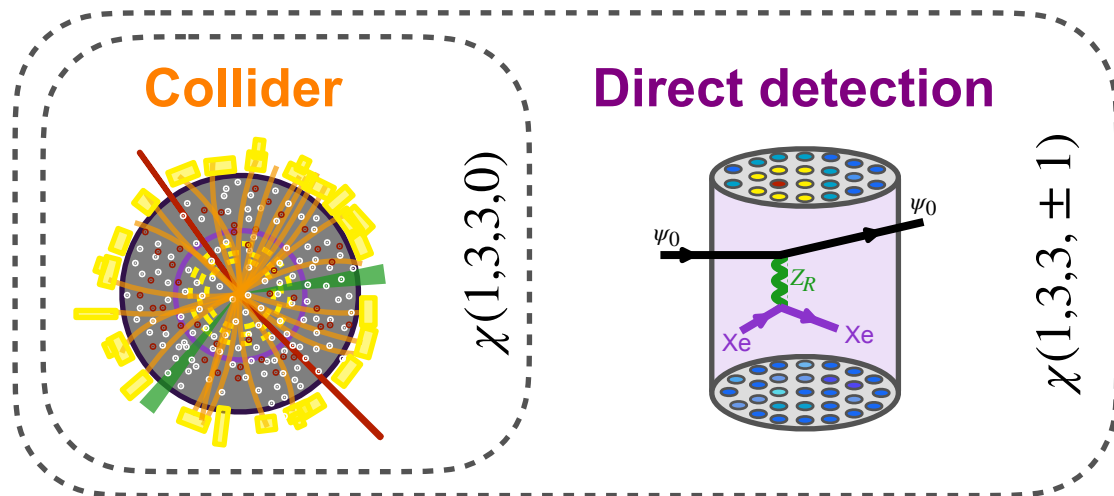


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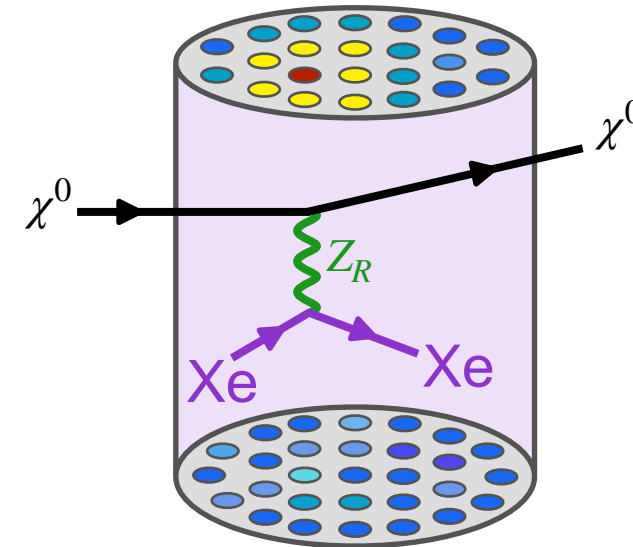
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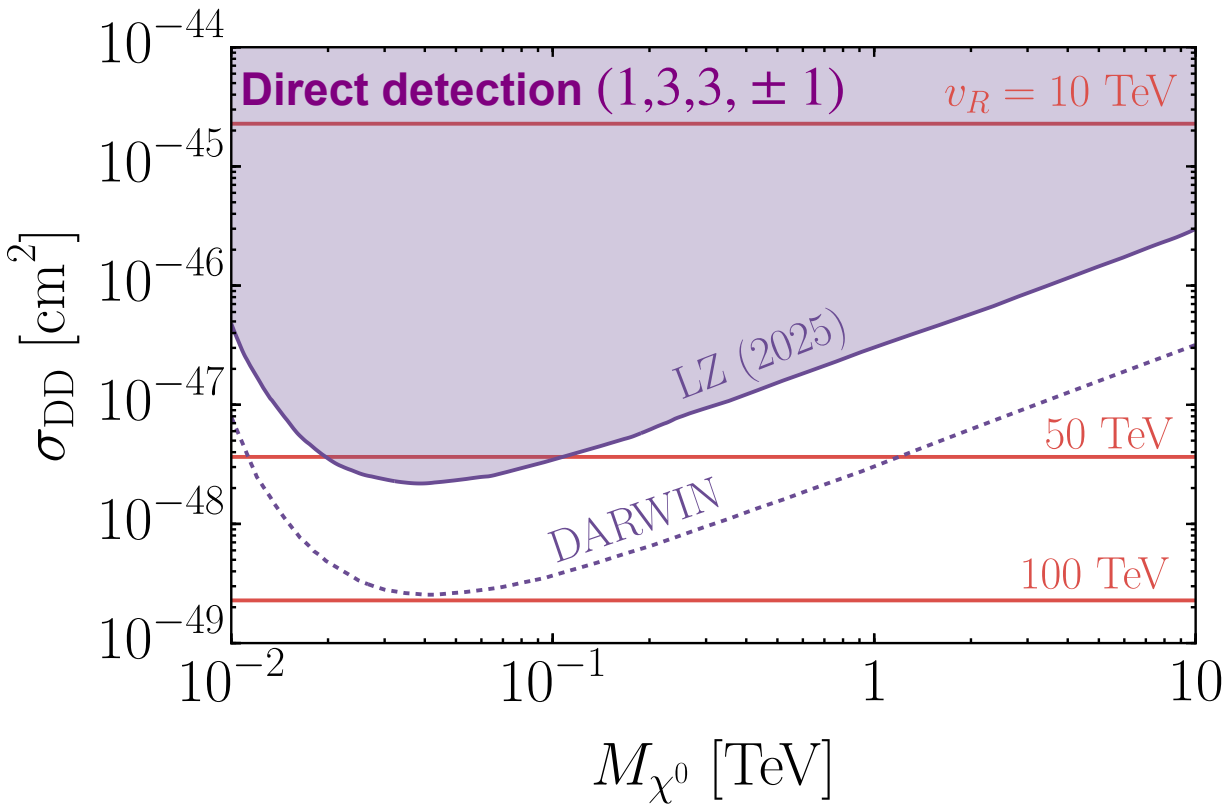


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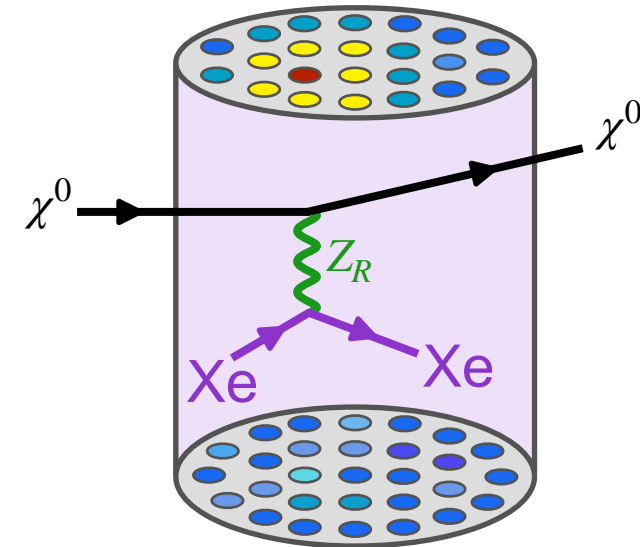


**Direct detection** of WIMP-nucleon scattering in  $(1,3,3, \pm 1)$  places lower bound on  $v_R$





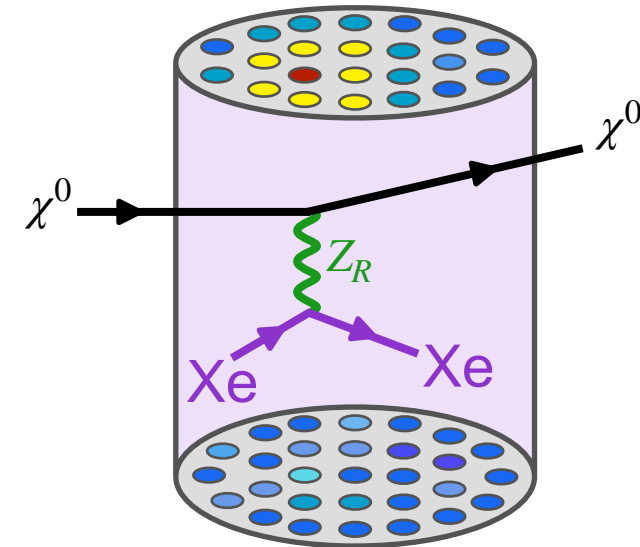
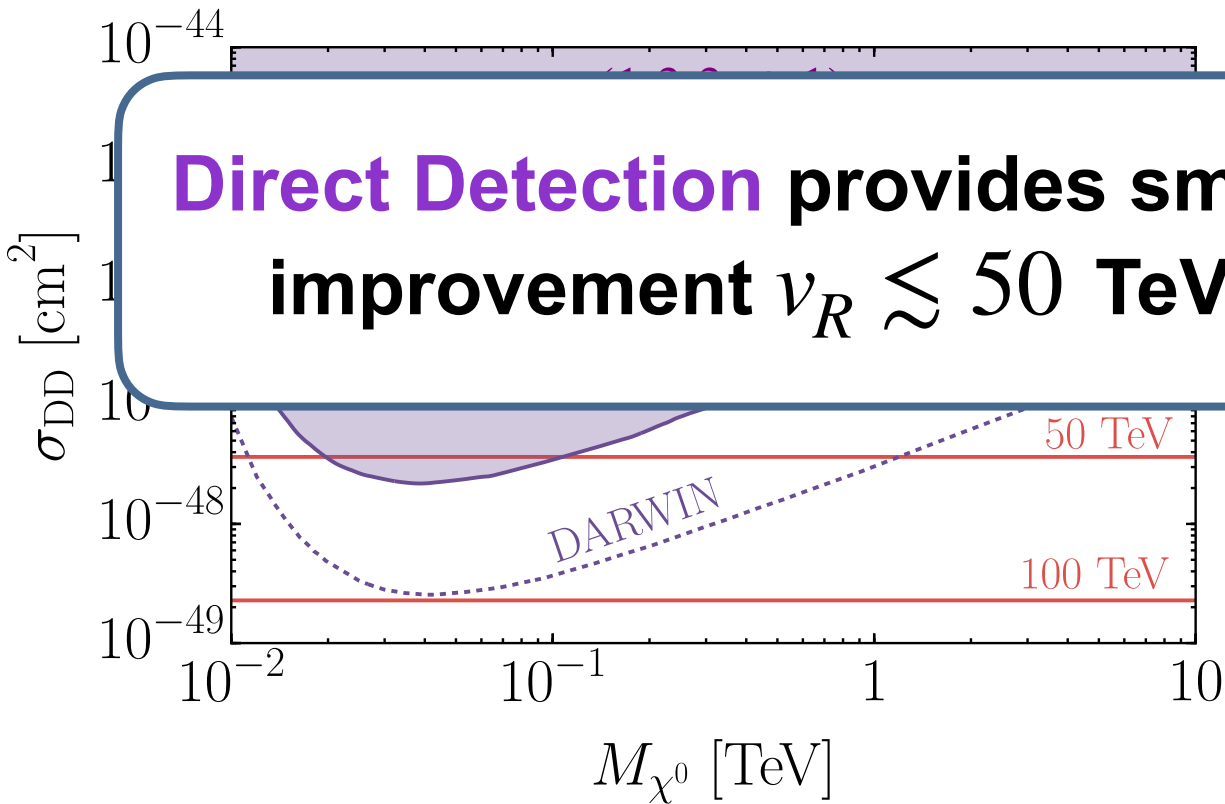
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**LZ**— liquid Xe direct detection experiment searching for nucleon-DM scattering [5]

**DARWIN**— proposed liquid Xe direct detection experiment [6]

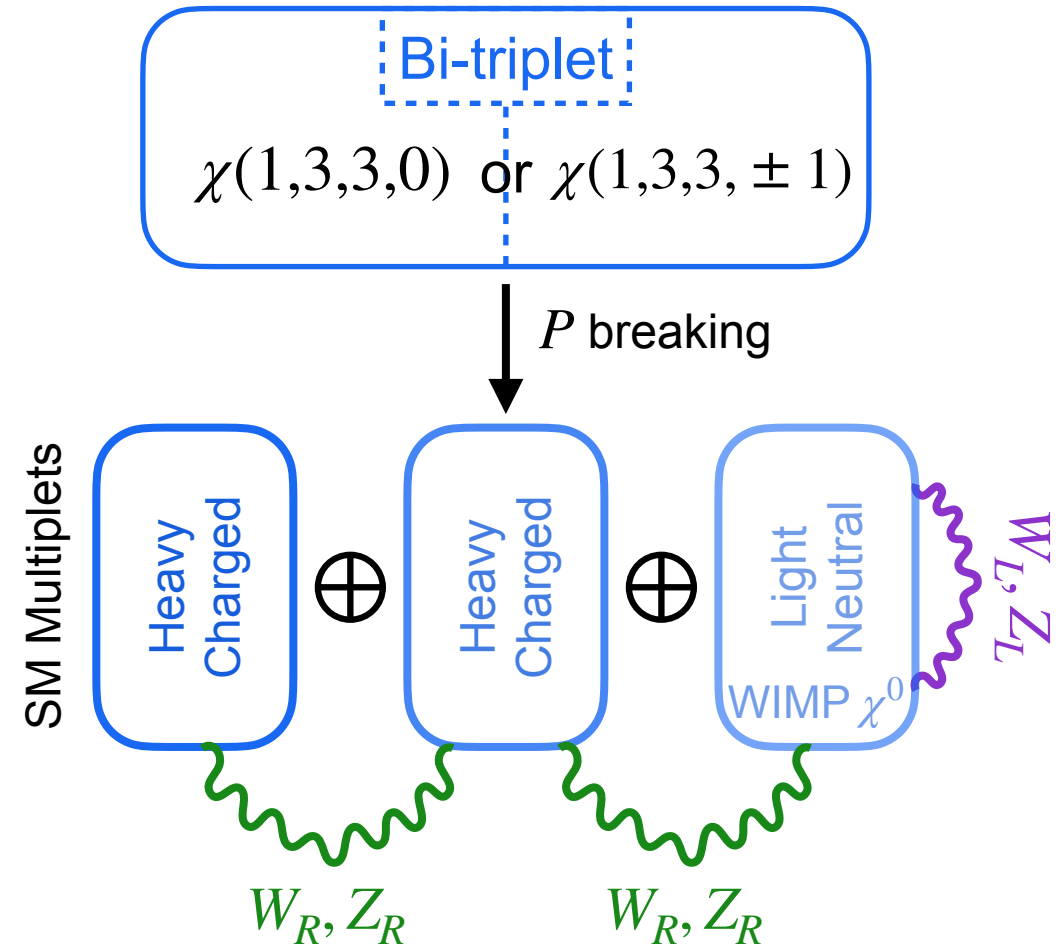
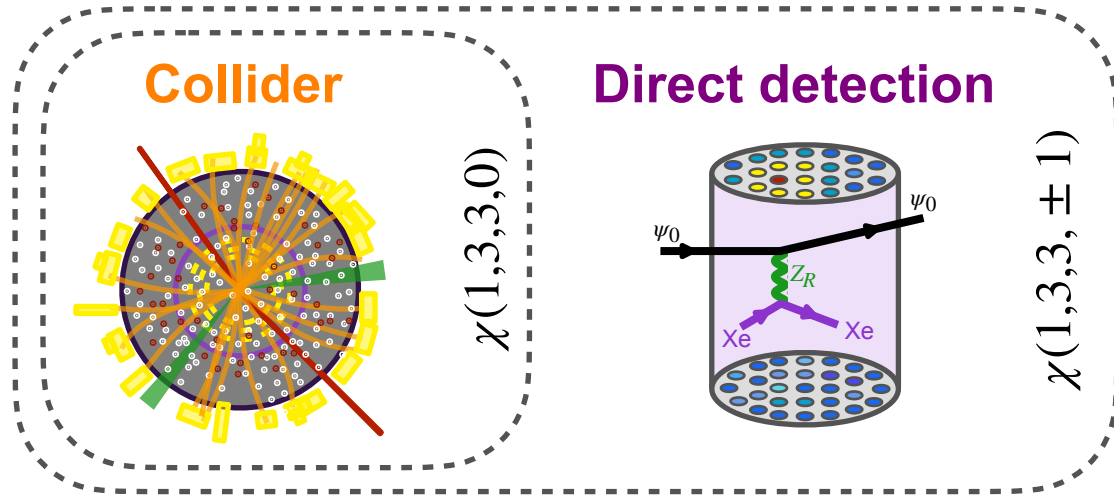
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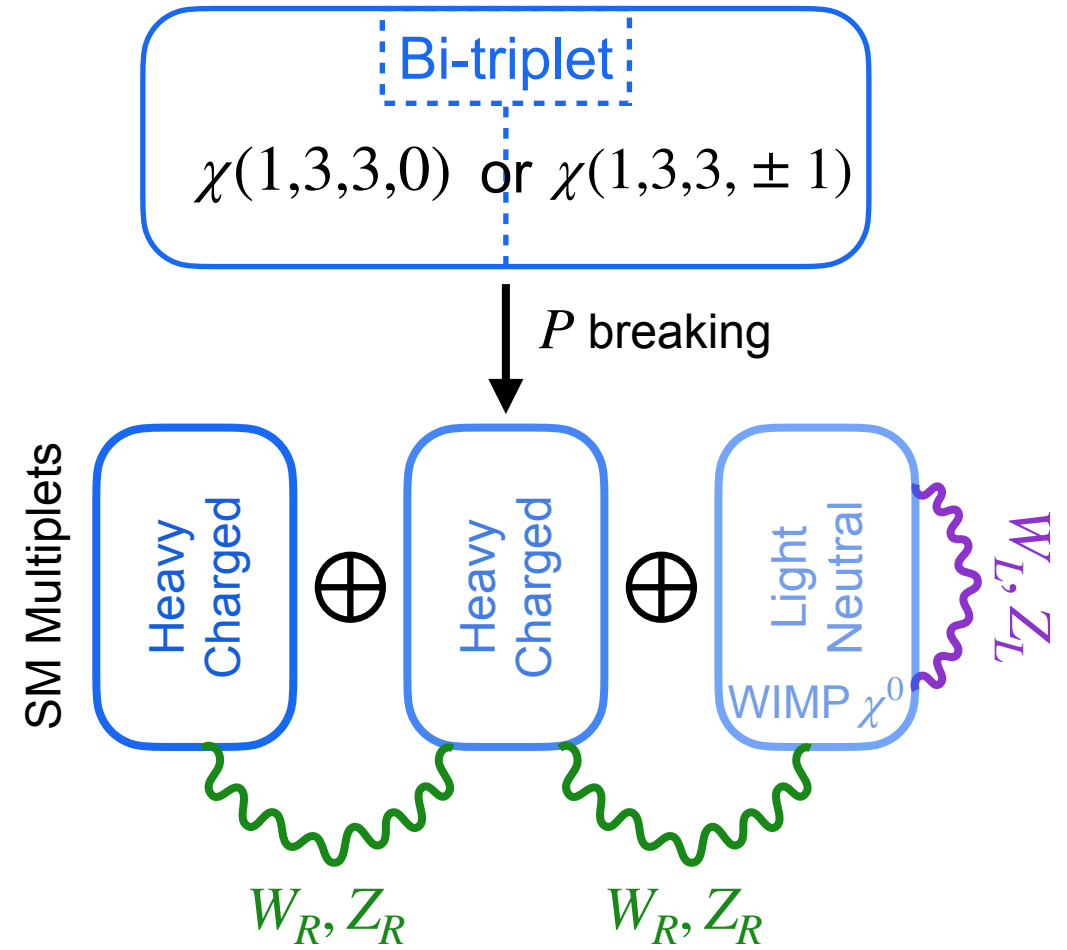
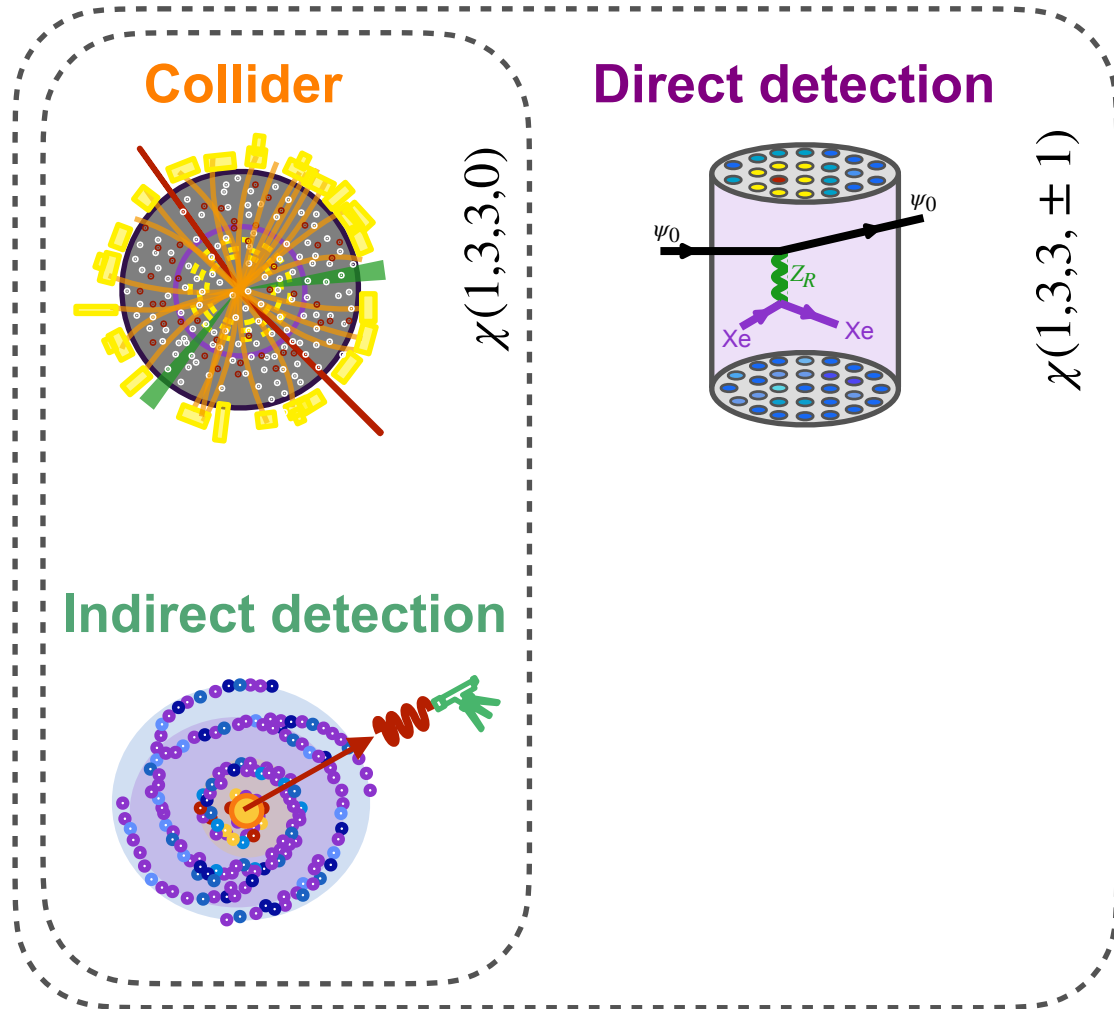
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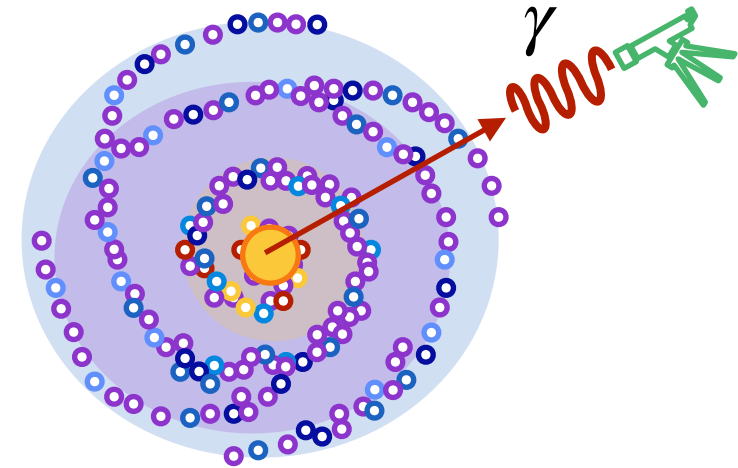
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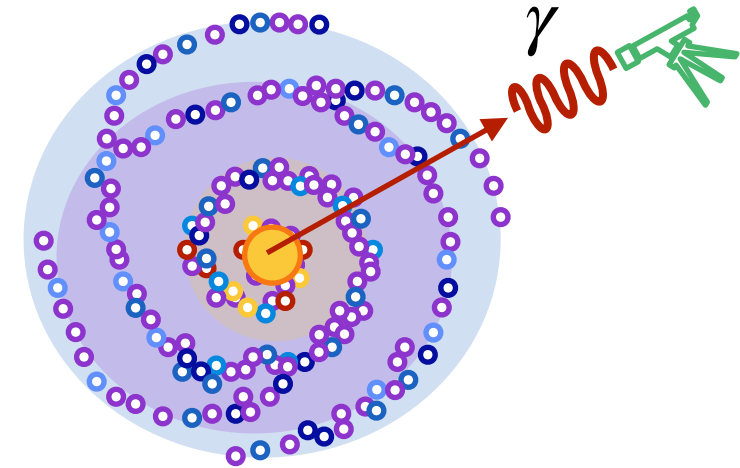
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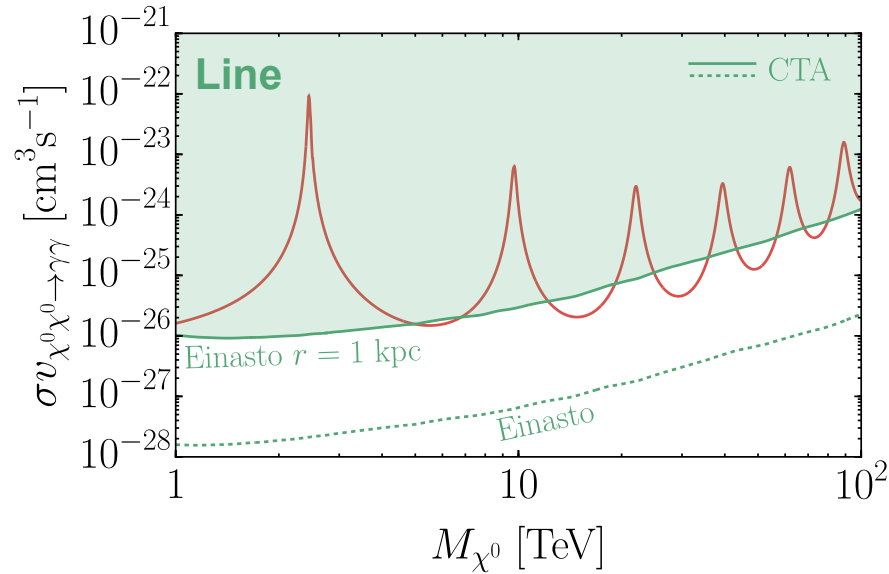
**Indirect detection** [4] constrains photons from DM annihilation in galactic centre



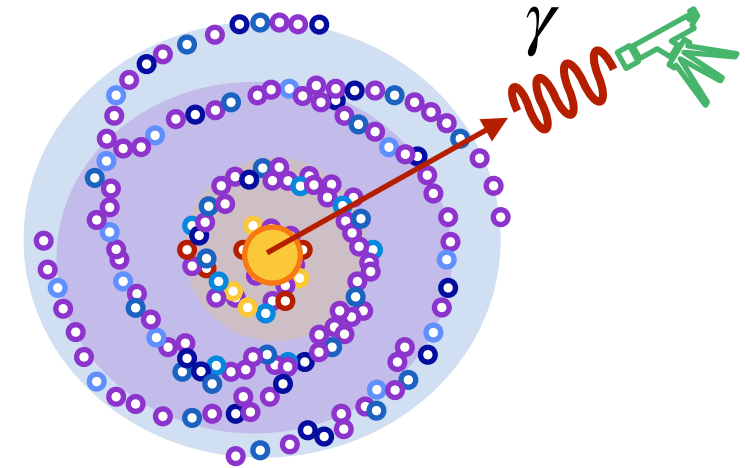
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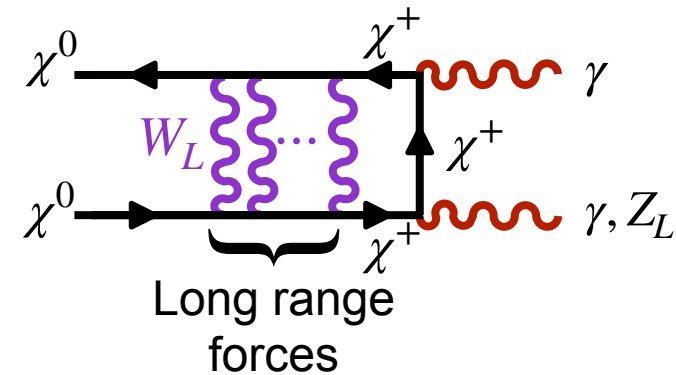
Annihilation via **Sommerfeld effect** produces:

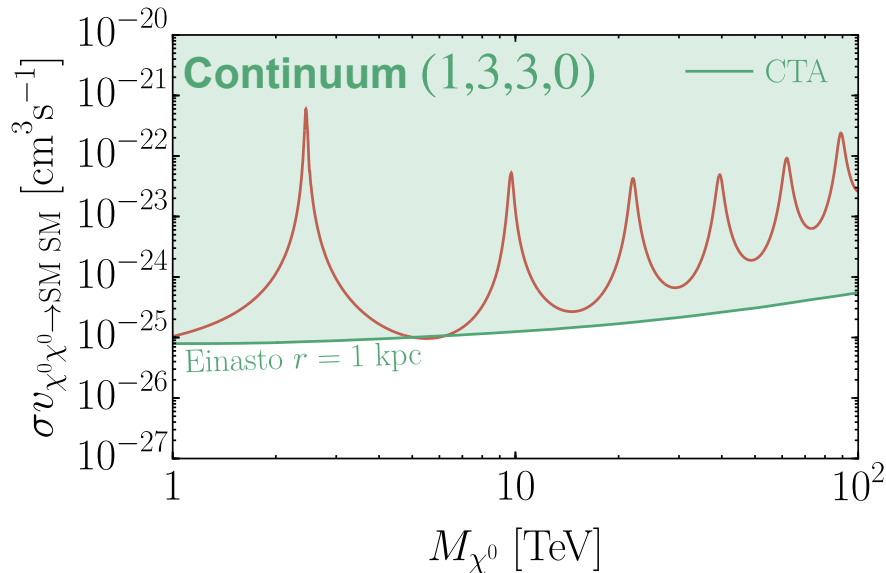
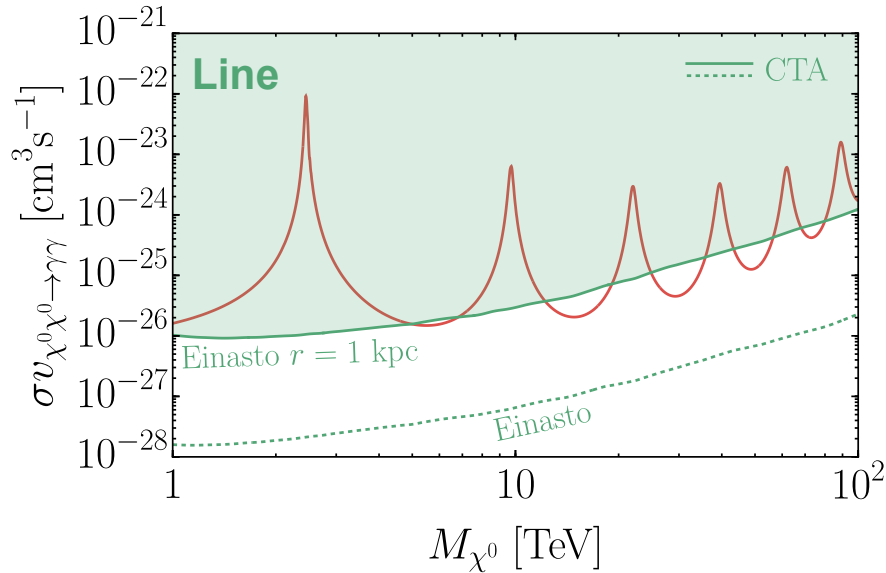


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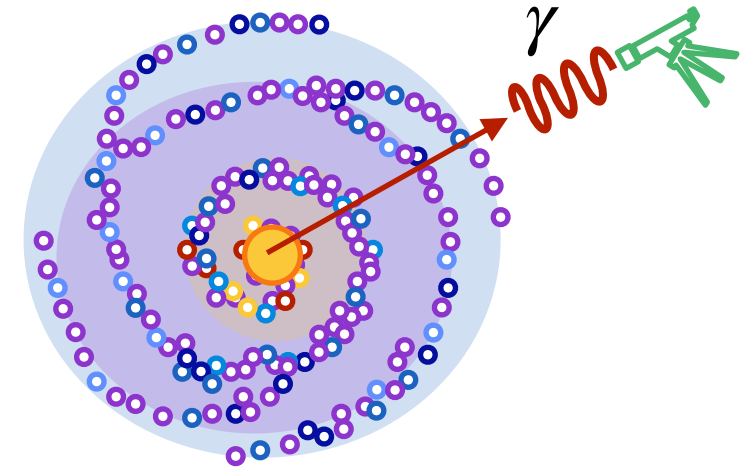


Annihilation via **Sommerfeld effect** produces:  
1) **Lines** from photon final states



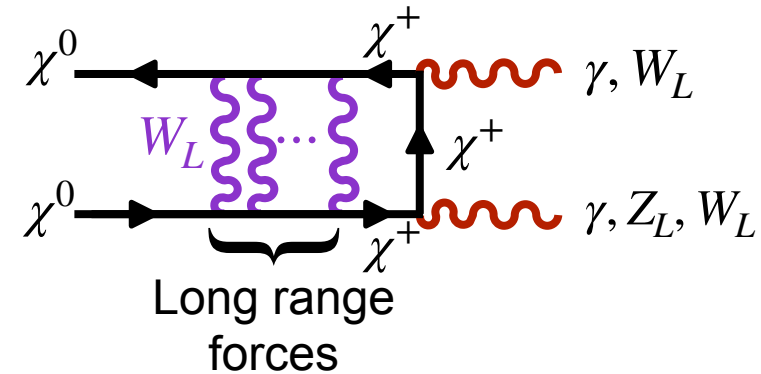


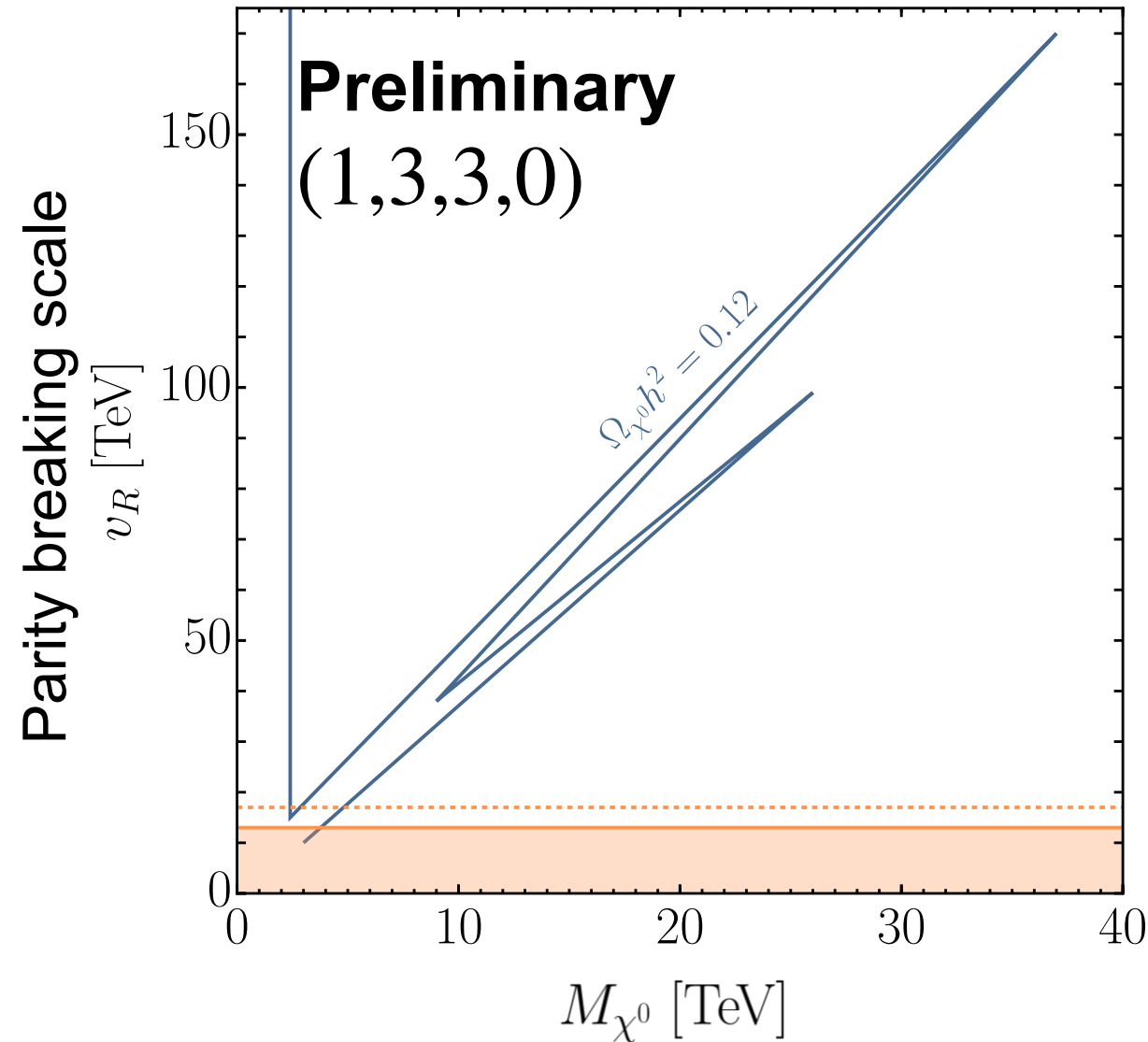
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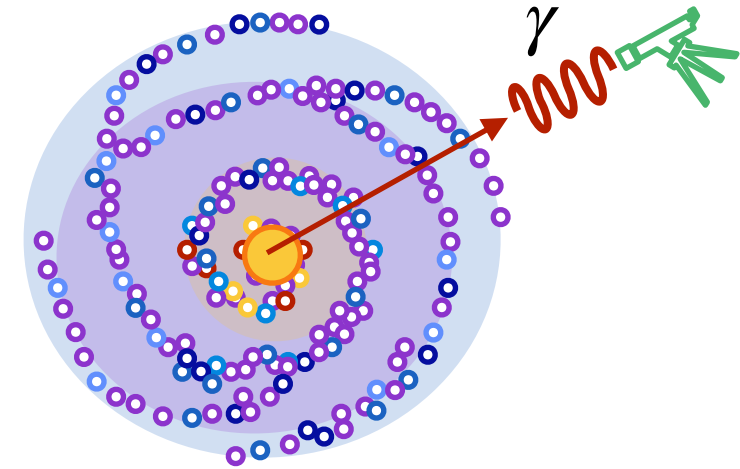
Annihilation via **Sommerfeld effect** produces:

- 1) **Lines** from photon final states
- 2) **Continuum** from other SM final states

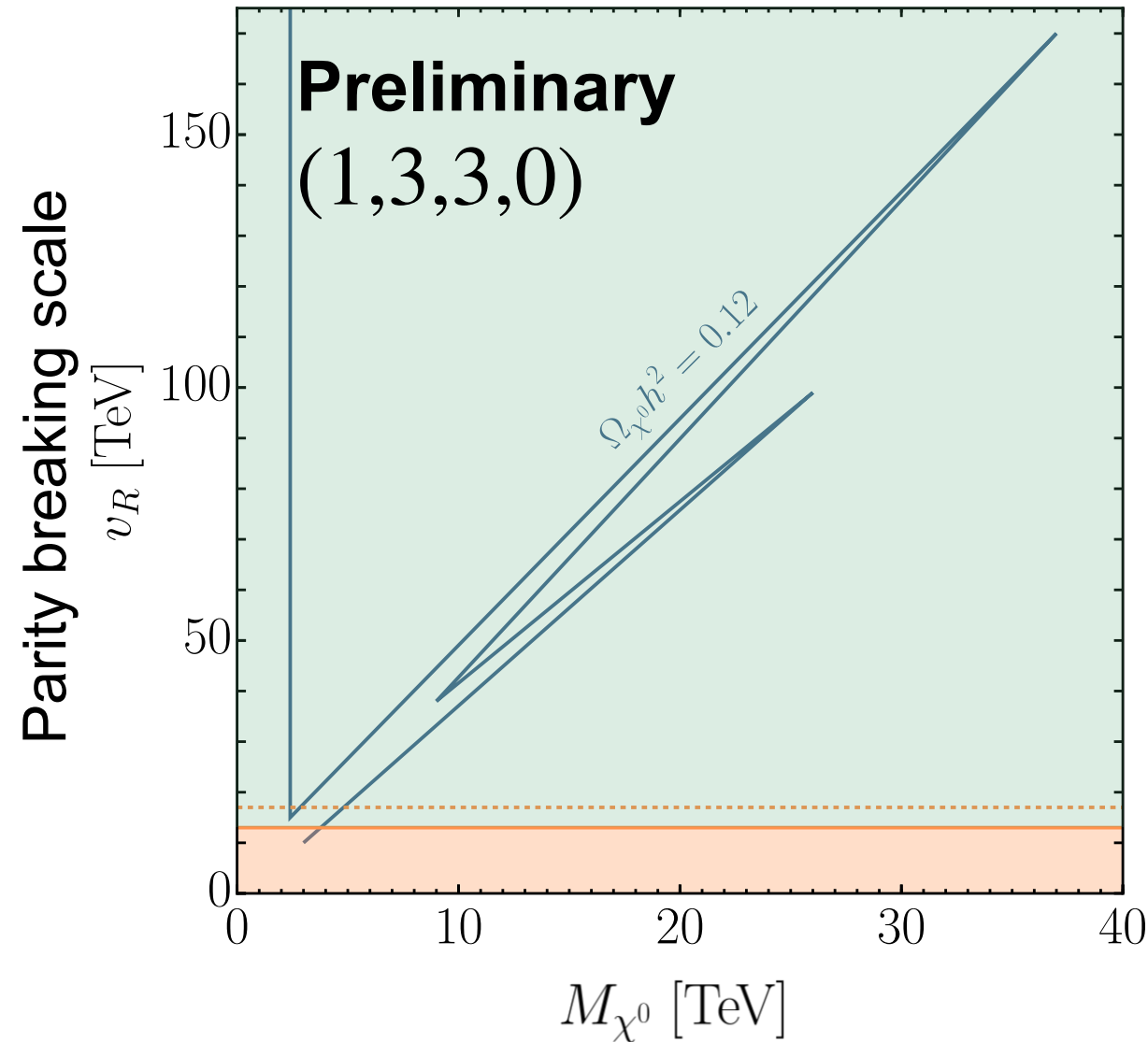




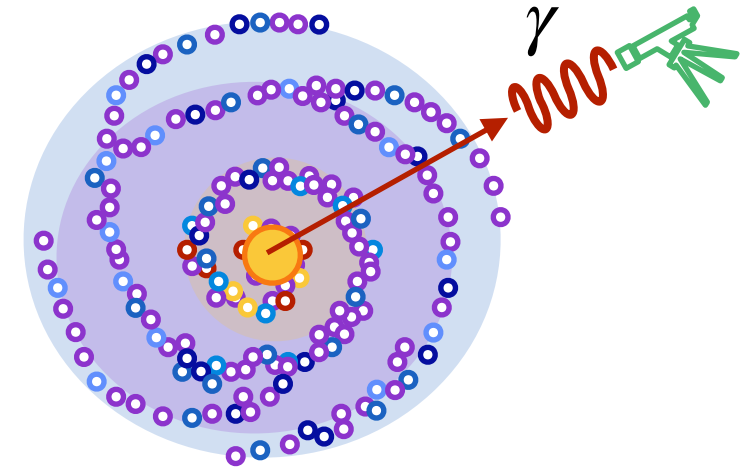
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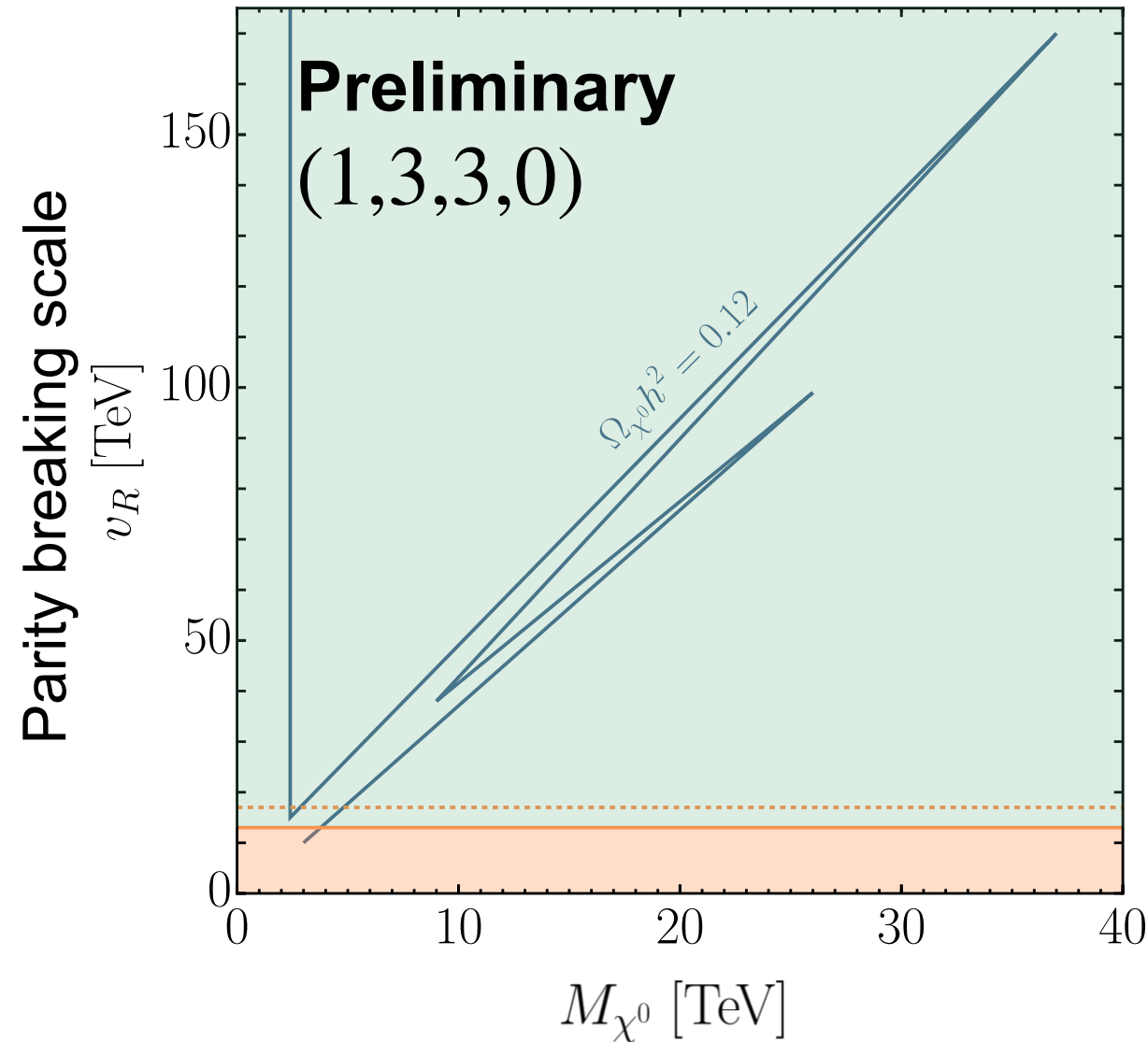
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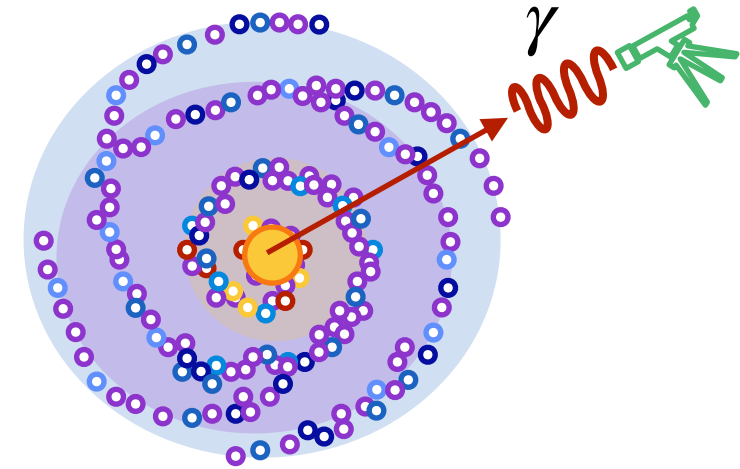
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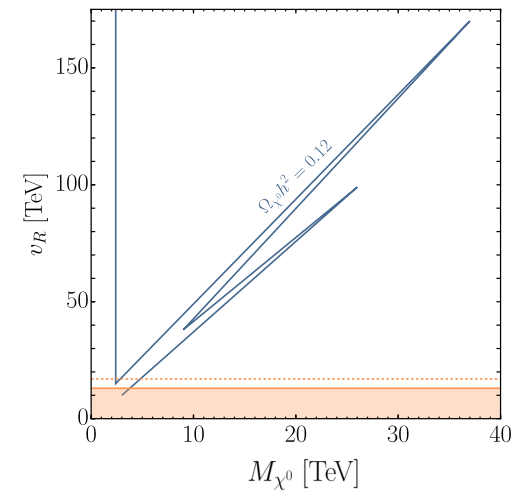
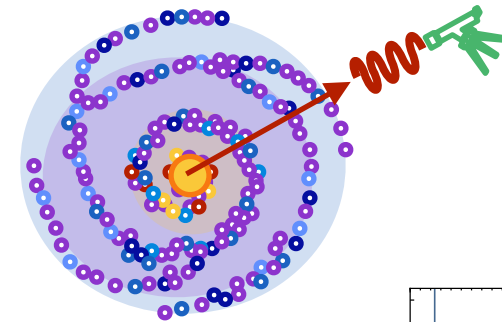
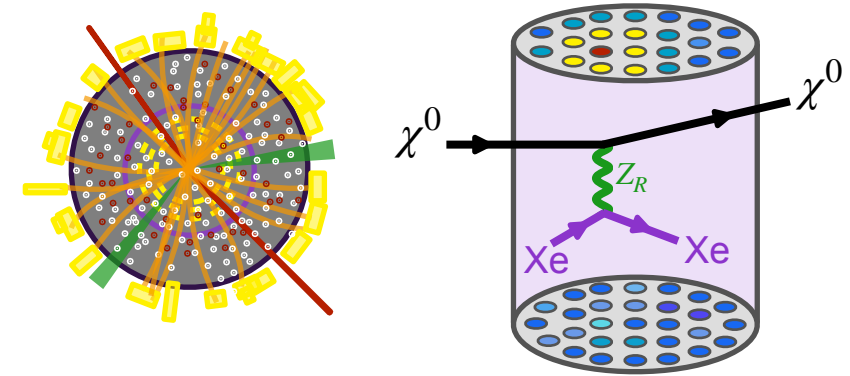
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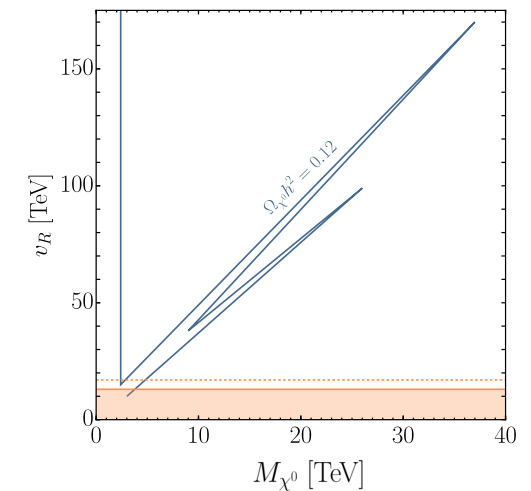
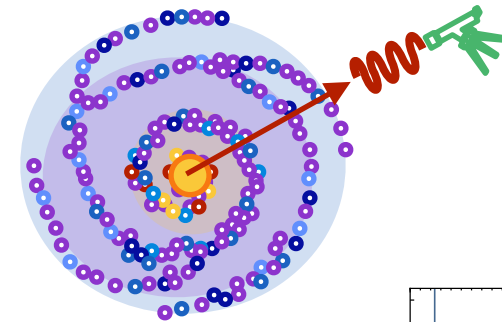
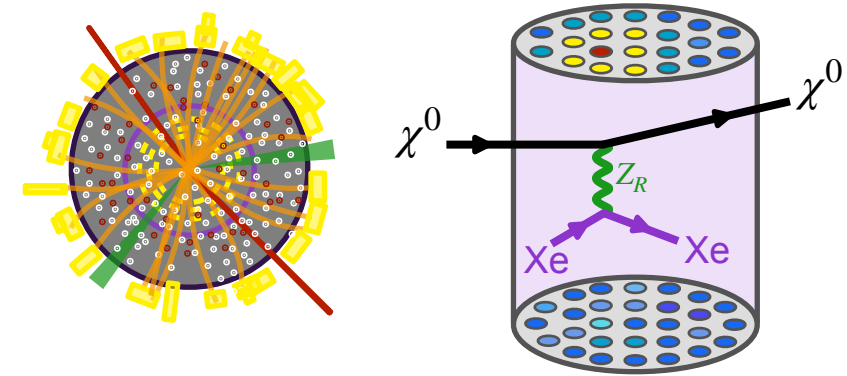
**C.T.A.** constraint evaded by assuming different DM profile

**Parity** symmetric Left-right models can solve many BSM problems



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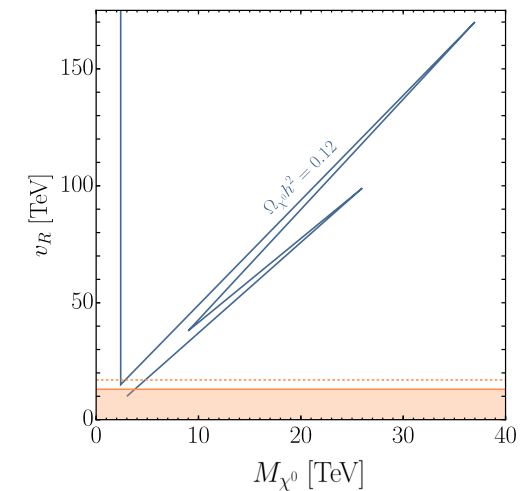
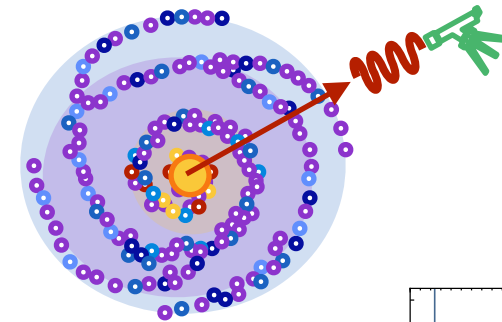
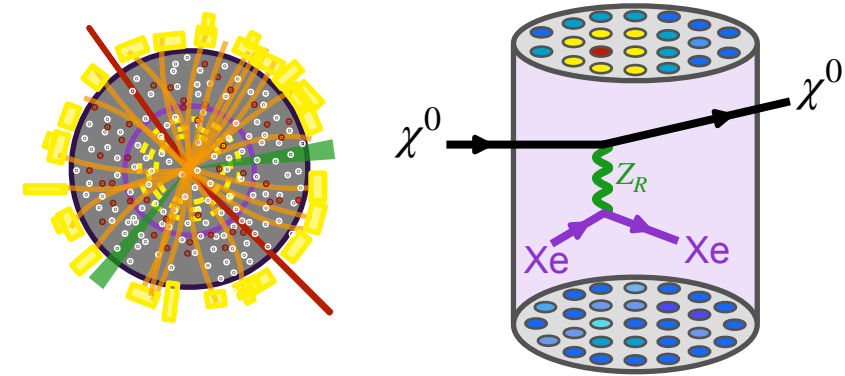
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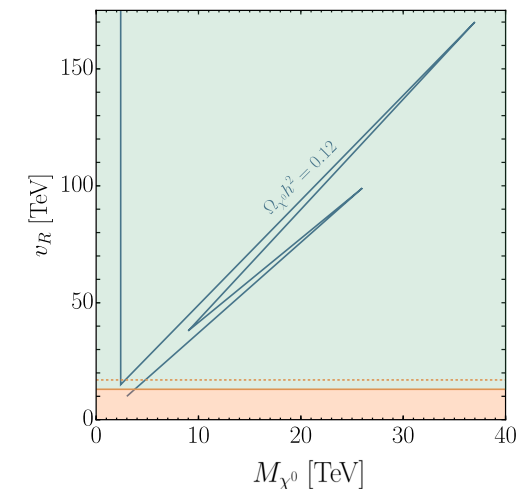
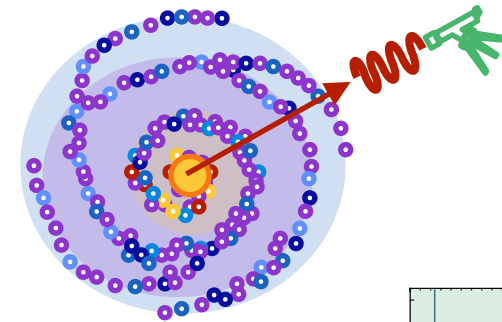
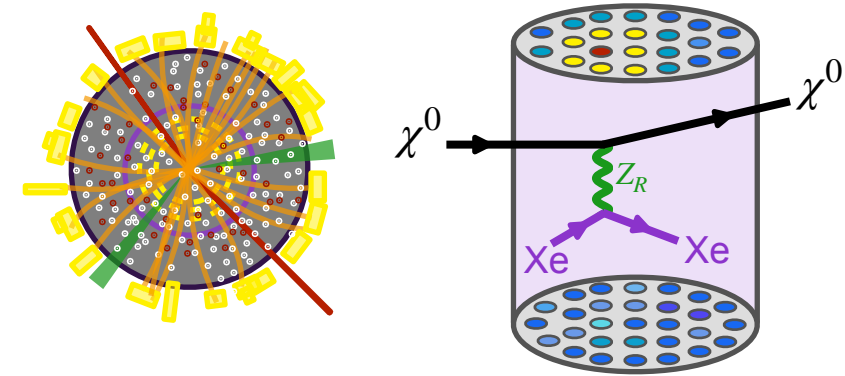


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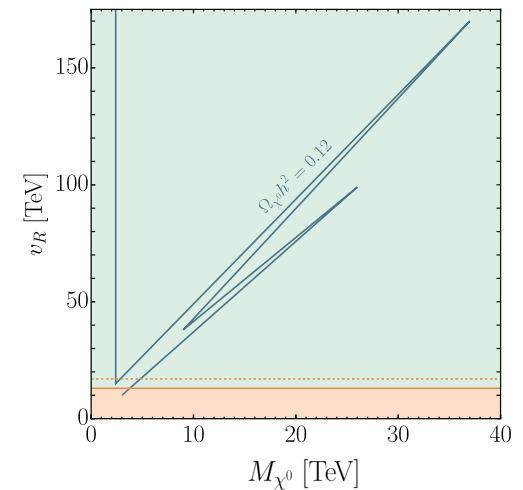
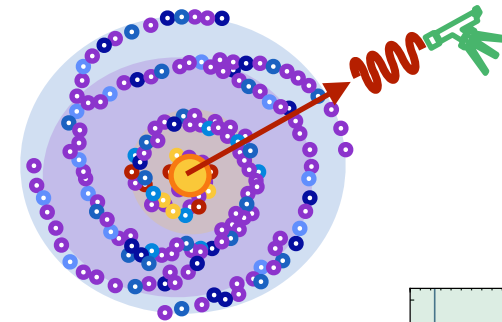
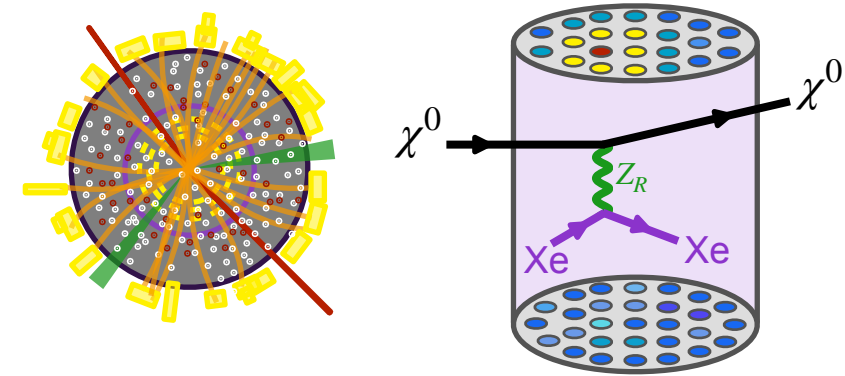
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**Next**— rare processes e.g.  $\mu \rightarrow e + \gamma$  probes of parity breaking scale.





# Backup Slides



# Lifetime of Accidentally Stable Dark Matter



For  $(1,3,3,0)$  and  $(1,3,3, \pm 1)$  lowest dimension operator generating DM decays are dim-6

$$\chi(1,3,3,0) : \chi H_R H_R^* l H_L^*$$

$$\chi(1,3,3, \pm 1) : \chi H_R^* H_R^* l H_L^*$$

If these operators are generated from scale  $\Lambda$ , these lead to a DM lifetime

$$\tau_\chi \sim 10^{28} \text{ sec} \left( \frac{10 \text{ TeV}}{m_\chi} \right) \left( \frac{40 \text{ TeV}}{v_R} \right)^4 \left( \frac{\Lambda}{M_{Pl}} \right)^4$$

Current  $\Lambda$ CMD large scale structure constraints require  $\tau_\chi > 10^{19}$  sec



# Quark Yukawa Generation in Next-to-minimal Model



Generating SM Yukawas requires additional fermions to be introduced in the Left-Right model

$$\mathcal{L}_y = \underbrace{x_Q q \bar{Q} H_R + x_Q \bar{q} Q H_L}_{\text{u-type Yukawas}} + \underbrace{x_D q \bar{D} H_L + x_D \bar{q} D H_R}_{\text{d-type Yukawas}}$$

We use a next-to-minimal model in order to generate  $W_L$ — $W_R$  mixing at 1-loop

$$\mathcal{L} = \mathcal{L}_y + \underbrace{x_U q \bar{U} H_L + x_U \bar{q} U H_R}_{\text{u-type Yukawas}}$$

Charge lepton Yukawas can be generated by  $\Delta(\mathbf{1}, \mathbf{2}, \mathbf{2}, 0)$ , but this generates dim-6 bi-triplet decays with UV scale  $\Lambda \ll M_{Pl}$ . We assume  $\Delta(\mathbf{1}, \mathbf{2}, \mathbf{2}, 0)$  doesn't generate charged lepton Yukawas



# Neutrino Sector



Neutrino masses can be generated via Radiative Singlet Model [8] by introduction of singlet  $S$

$$\mathcal{L} = x_S S (lH_L + \bar{l}H_R) + \frac{1}{2}m_S S^2$$

Correlations between couplings of Left-right model Weinberg operators lead to zero mass at tree-level

Non-zero masses are generated at 1-loop level

Majorana or Pseudo-Dirac neutrinos possible for certain parameter choices in the model



# Indirect Detection and Galactic Centre DM Profile

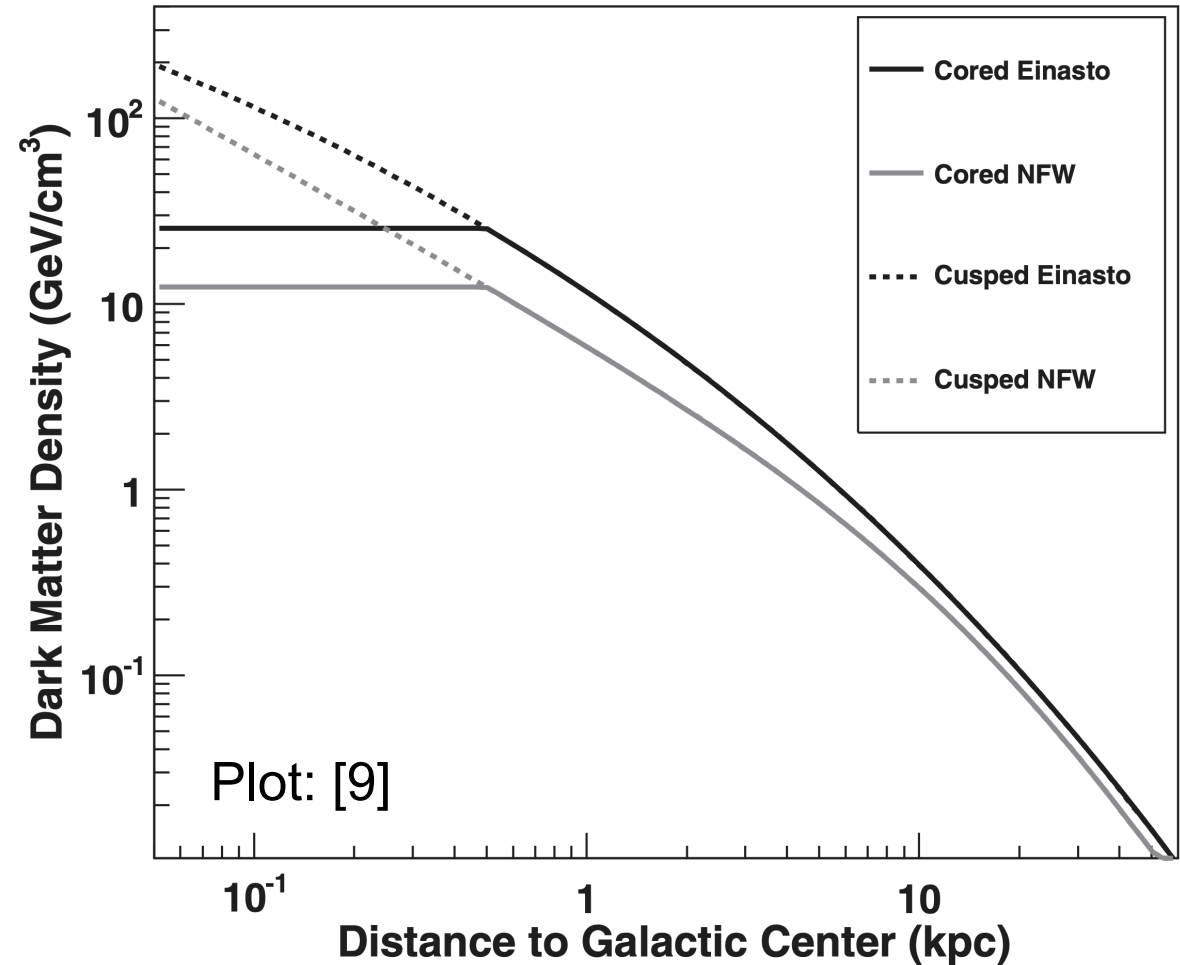


Indirect detection differential gamma flux [9]:

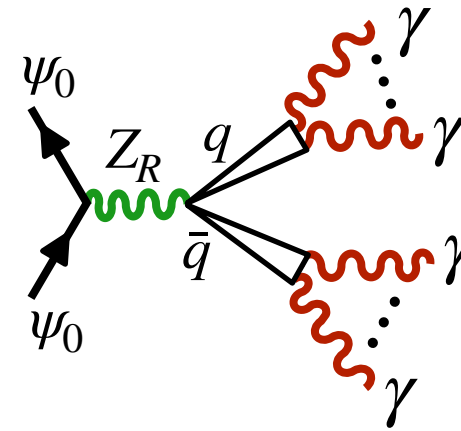
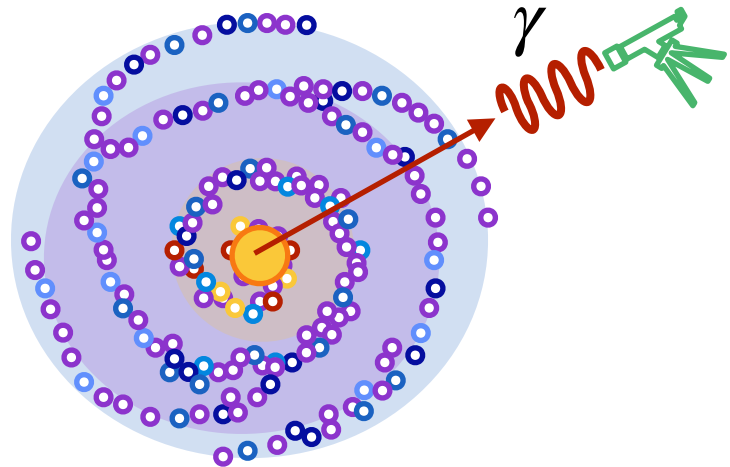
$$\frac{d\Phi}{d\Omega dE} = \underbrace{\frac{\sigma v}{8\pi m_{DM}^2}}_{\text{Annihilation cross section}} \times \underbrace{\frac{dN}{dE}}_{\text{Energy spectrum}} \times \underbrace{\int ds \rho_{DM}^2}_{\text{Integral over line of sight DM density}}$$

Uncertainty in DM profile near galactic centre makes line of sight DM integral uncertain

Cored profiles can predict smaller fluxes compared to cuspy profiles



Continuum **indirect detection** signal can also be produced for  $(1,3,3, \pm 1)$  from  $Z_R$  resonance



This signal allows **C.T.A.** [4] to probe the  $Z_R$  resonant branch



# Upper Bound on $v_R$ From Higher Dimensional Operators



Higher dimensional Parity symmetric operators can contribute a tree-level  $\theta$  term, for example

$$\frac{1}{\Lambda^2} \left( |H_L|^2 - |H_R|^2 \right) G\tilde{G}$$

After Parity breaking, to ensure the  $\theta$  term is sufficiently small,  $v_R$  is bounded from above

$$v_R \lesssim 10^{13} \text{ GeV} \left( \frac{\Lambda}{10^{18} \text{ GeV}} \right)$$

This still leaves a large possible range for  $v_R$  if no other upper bounds constrain  $v_R$



# Domain Walls From Parity Breaking

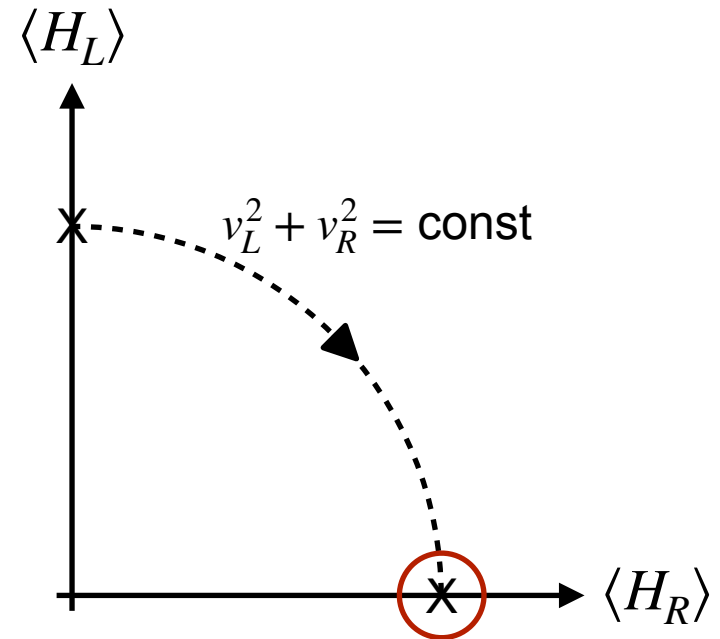


To avoid a domain wall problem, Parity can be spontaneously broken via an additional  $SU(N)$  pure Yang Mills sector with  $\theta = \pi$ .

$$\frac{G\tilde{G}}{M_{pl}^2} \left( |H_L|^2 - |H_R|^2 \right)$$

$$\langle G\tilde{G} \rangle \sim \Lambda^4 \sim v_R^2 M_{pl}^2 \implies \Lambda \sim \sqrt{v_R M_{pl}} \approx 10^{11} \text{ GeV}$$

If temperature does not return above  $10^{11}$  GeV after reheating, domain walls from Parity breaking inflated away



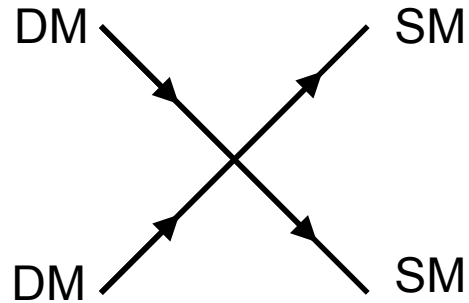


# Cross-sections for Fixed Initial Spin



WIMP must obtain correct relic abundance to be dark matter

Abundance calculated with Boltzmann equation from annihilation cross-sections

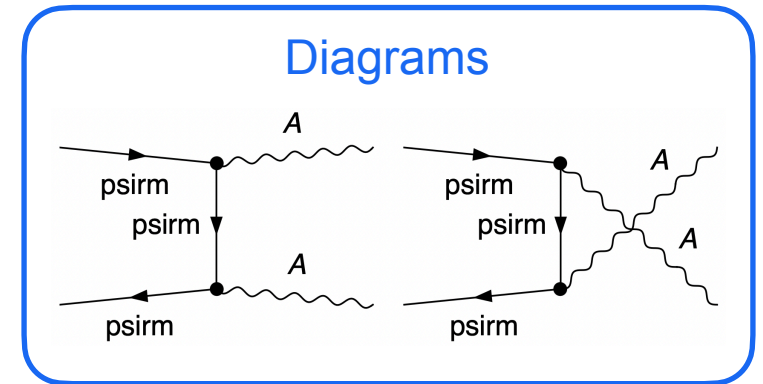


Cross-sections are modified due to long range force effects—Sommerfeld effect

Spin-dependent cross-sections needed to compute this effect

Computation can be automated— automated code for  $2 \rightarrow 2$  cross-sections has been developed

```
Function
getCrossSection(0,  $\psi_r$ ,  $\bar{\psi}_r$ ,  $\gamma$ ,  $\gamma$ , doublets);
                Spin  Particles  Model
```



Cross section

Spin-0  $\sigma$  for  $\psi_r^- \bar{\psi}_r^- \rightarrow \gamma\gamma$

$$\frac{4 \pi \alpha_2^2 g_Y^4}{M_{\psi_r^-}^2 (g^2 + g_Y^2)^2}$$

Computation time  $\mathcal{O}(1)$  sec per process