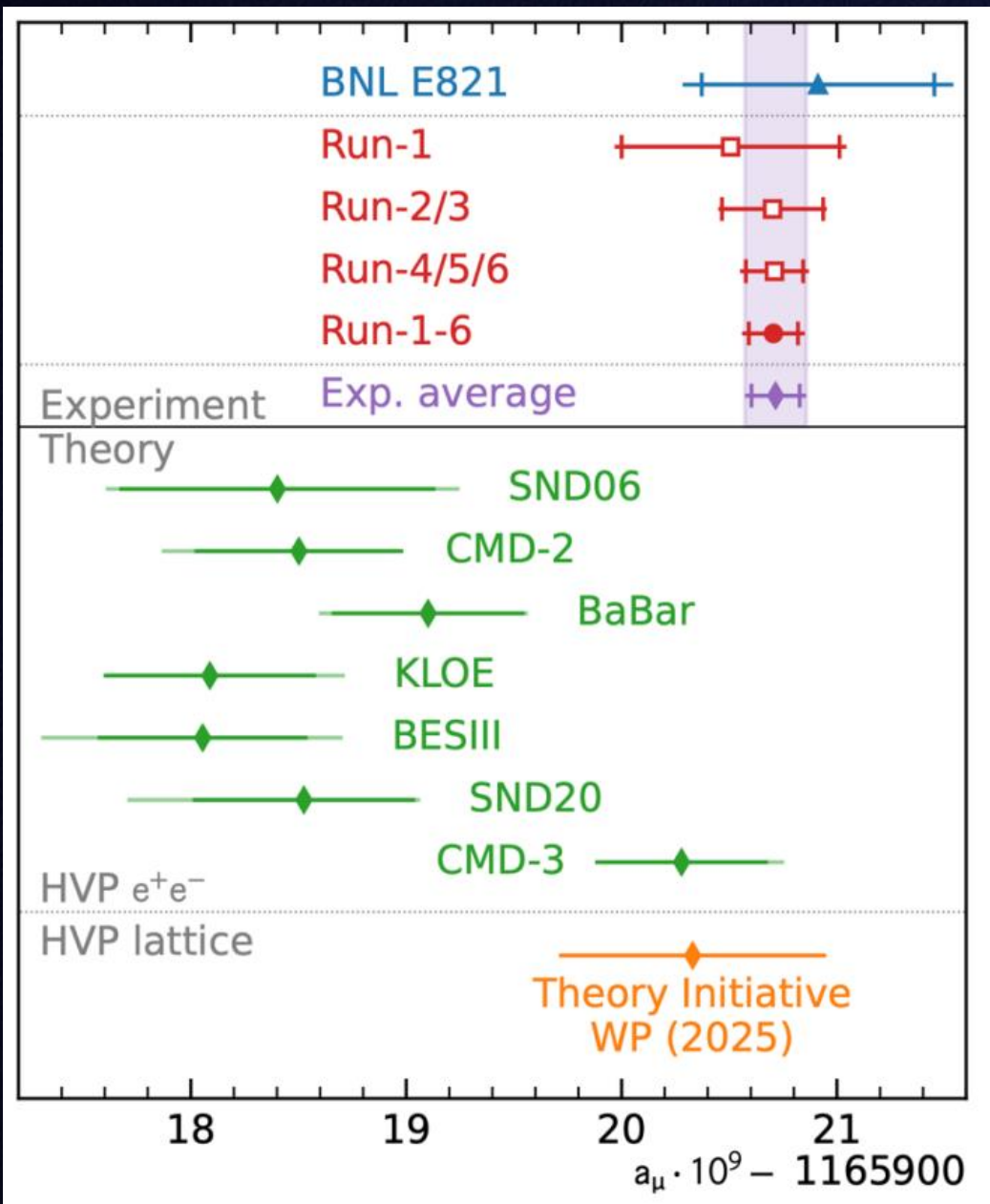


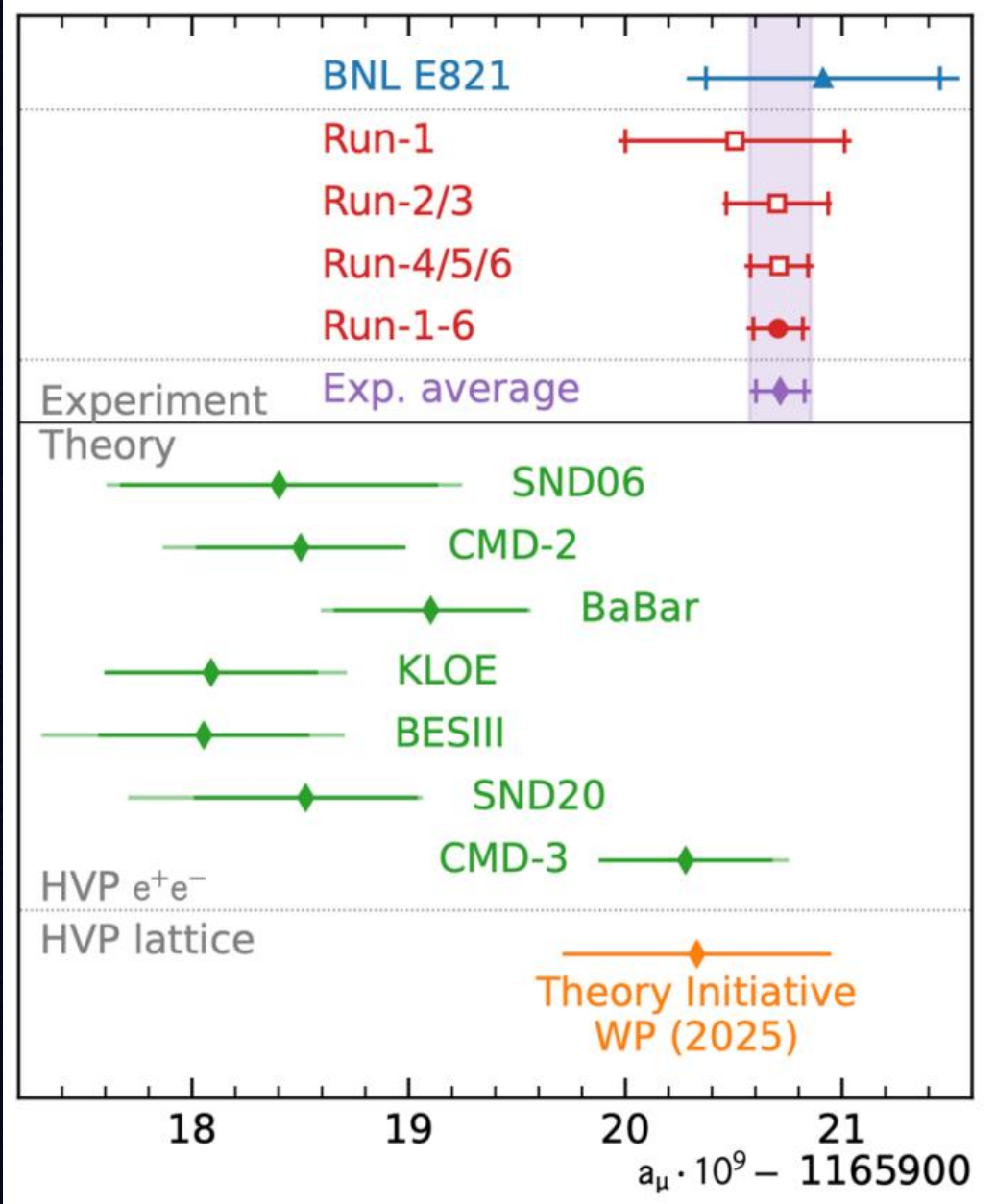
# *MUonE - 2025 run*

## Status of the experiment

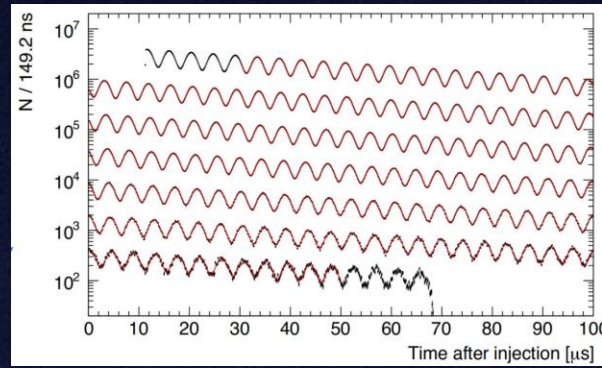
# $a_\mu^{\text{HLO}}$ : Status



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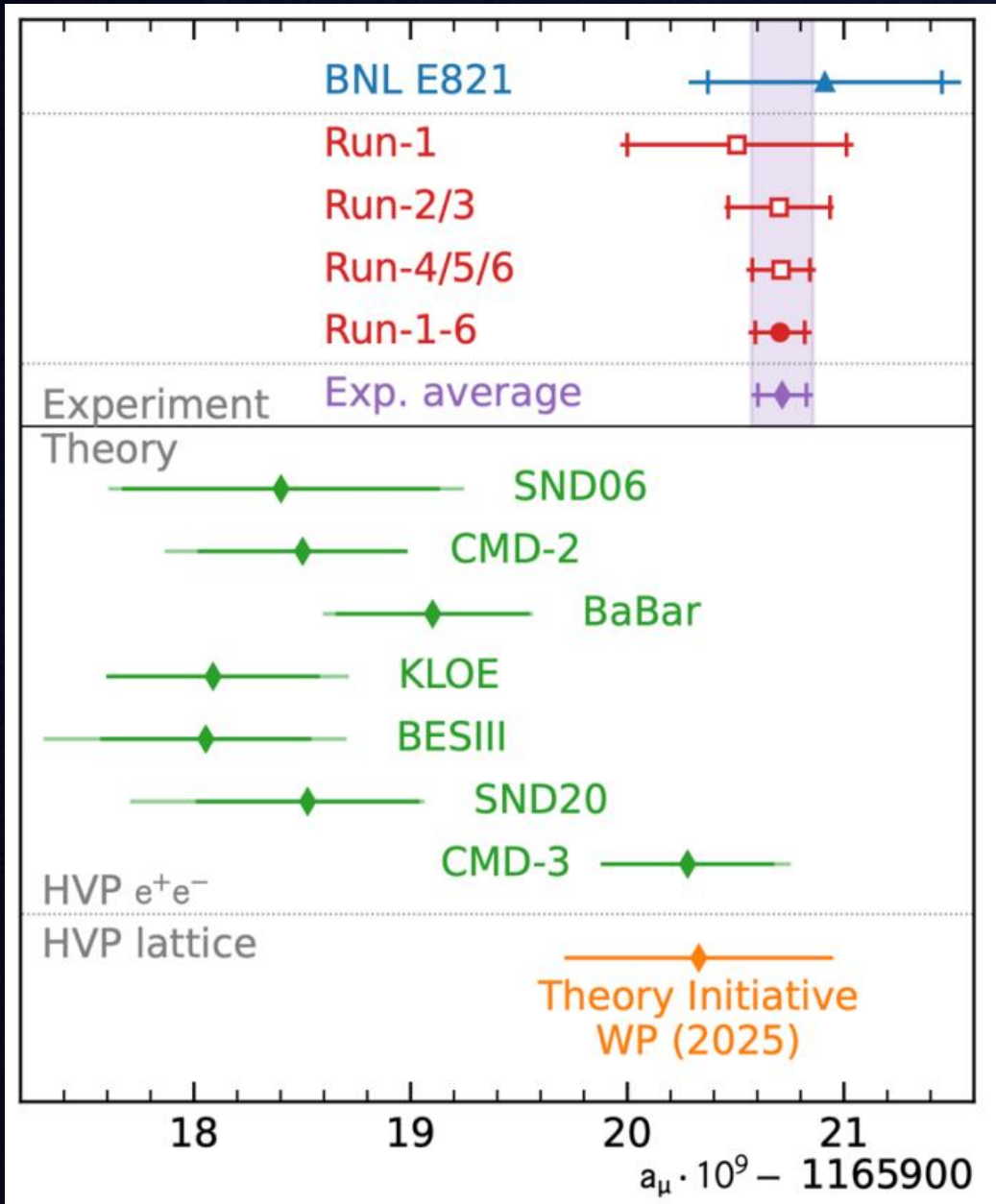
## g-2 experiment



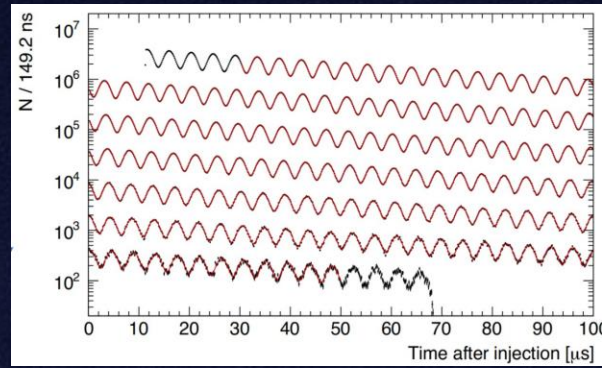
$$a_\mu \equiv \frac{g_\mu - 2}{2} \quad a_\mu^{\text{SM}} = a_\mu^{\text{QED}} + a_\mu^{\text{EW}} + a_\mu^{\text{had}}$$

$$\vec{\omega}_a = \frac{e}{m} \left[ a_\mu \vec{B} - \left( a_\mu - \frac{1}{\gamma^2 - 1} \right) (\vec{\beta} \times \vec{E}) \right]$$

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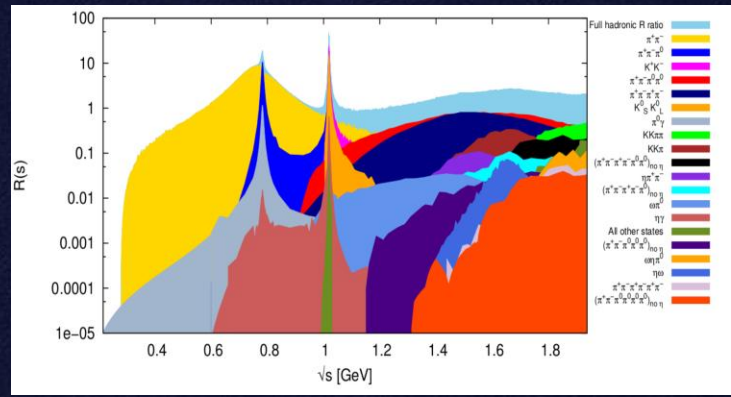
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## Dispersive approach

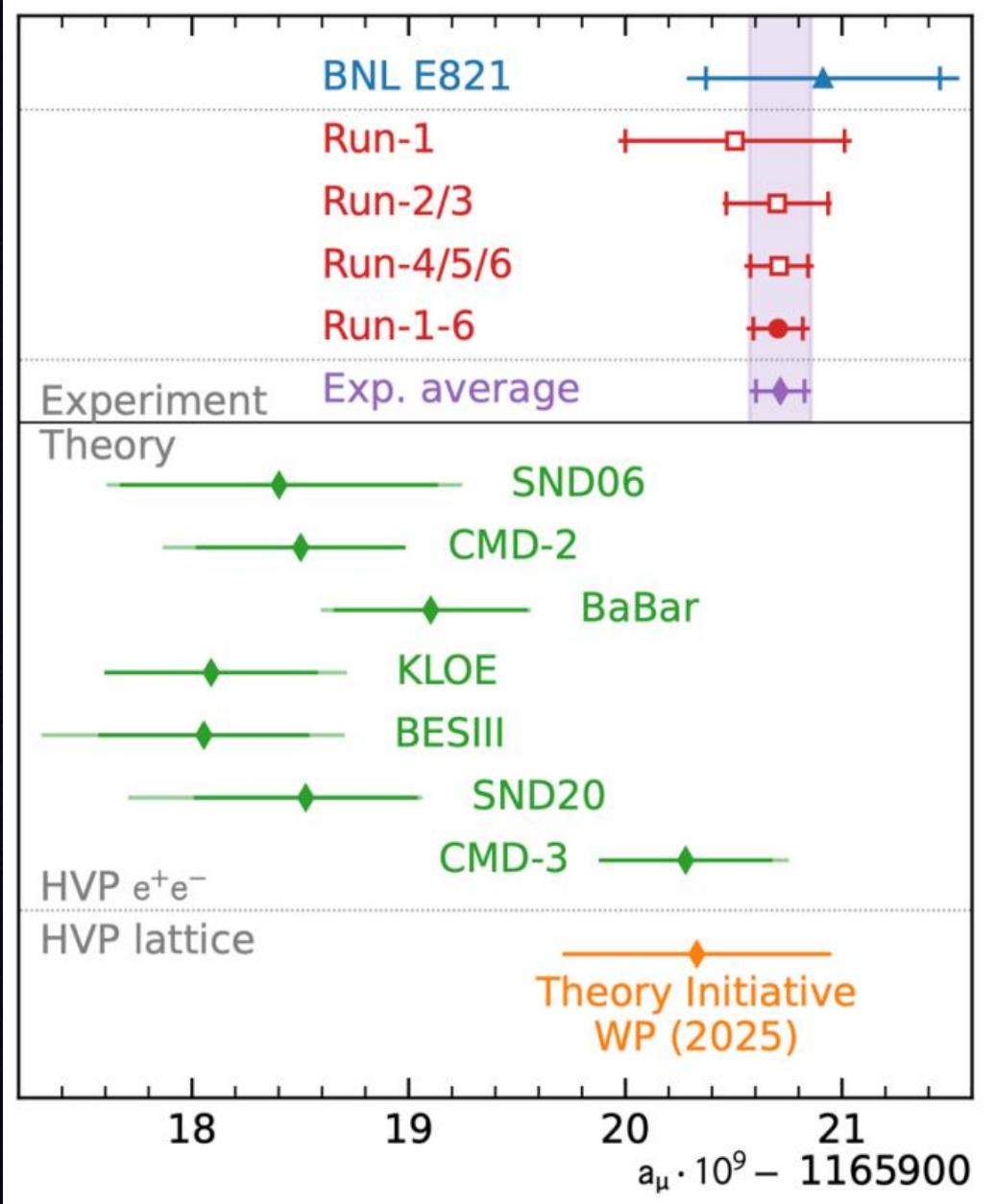


$$a_\mu^{\text{HLO}} = \frac{\alpha^2}{3\pi^2} \int_{m_{\pi^0}^2}^{\infty} ds \frac{K(s)}{s} R(s)$$

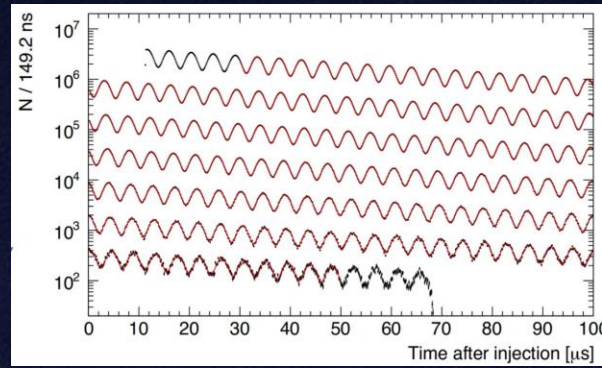
$$R(s) = \frac{\sigma(e^+e^- \rightarrow \text{hadrons})}{\sigma(e^+e^- \rightarrow \mu^+\mu^-)}$$

- Merges different measurements
- Resonances
- Tension between CMD-3 and others

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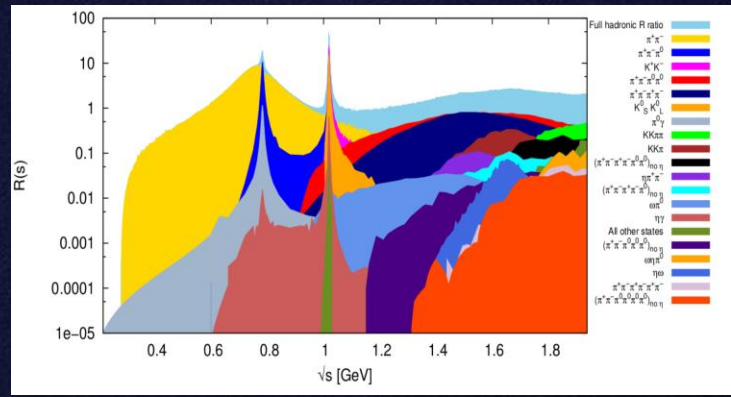
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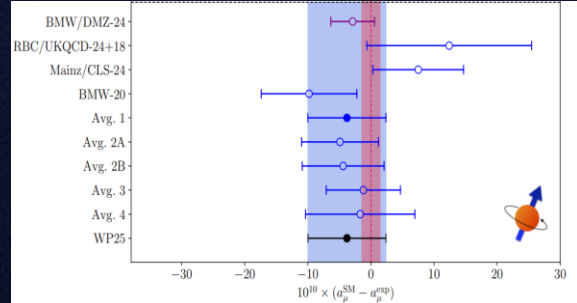


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## Lattice QCD



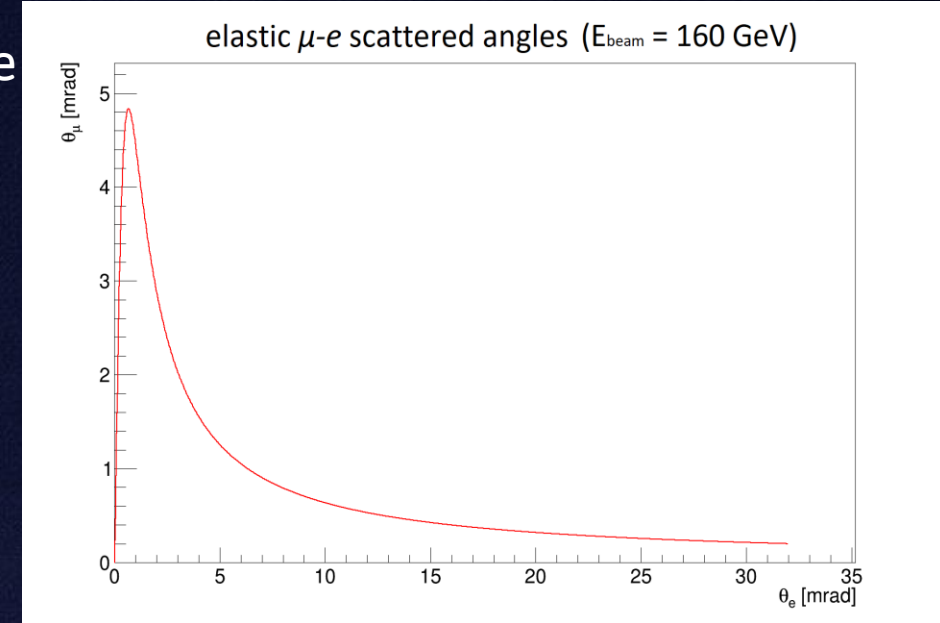
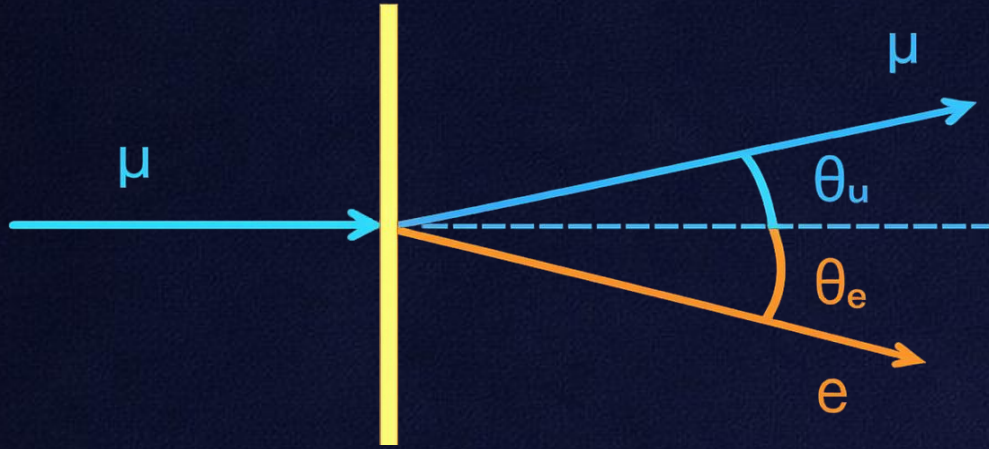
$$a_\mu^{\text{HVP,LO}} = 4\alpha_{\text{em}}^2 \int_0^\infty dQ^2 \frac{1}{Q^2} f\left(\frac{Q^2}{m_\mu^2}\right) [\Pi(Q^2) - \Pi(0)]$$

$$a_\mu^{\text{HVP,LO}} = 4\alpha_{\text{em}}^2 \int_0^\infty dt \tilde{f}(t) V(t)$$

- Discretize spacetime
- QCD path integral numerically

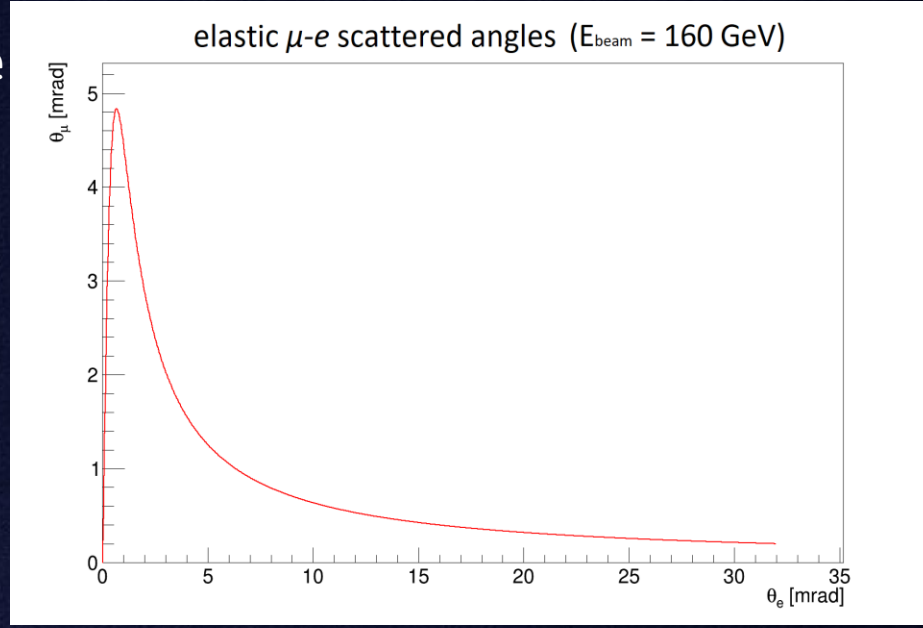
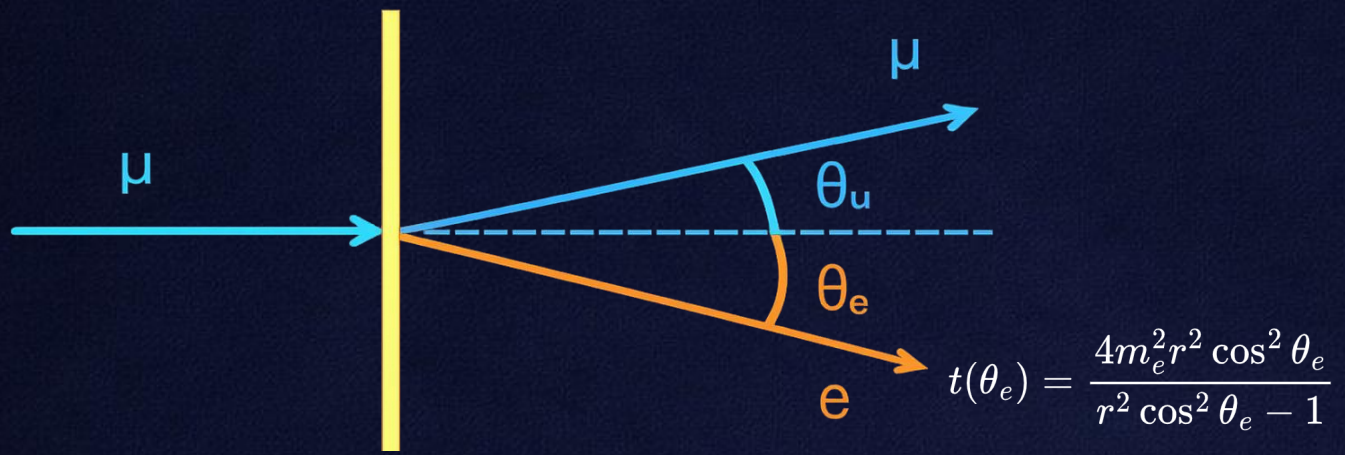
# $a_\mu^{\text{HLO}} : \text{MUonE}$

Measure the differential cross-section of the elastic process  $\mu e \rightarrow \mu e$



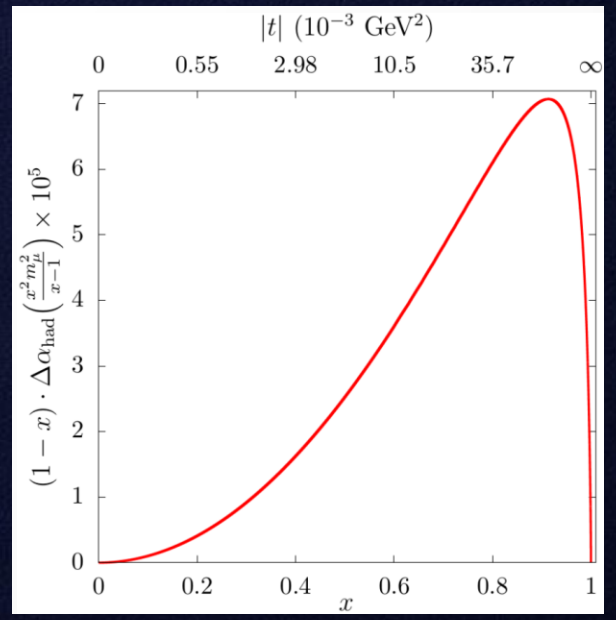
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The experiment directly probes the hadronic contribution to the running of  $\alpha$

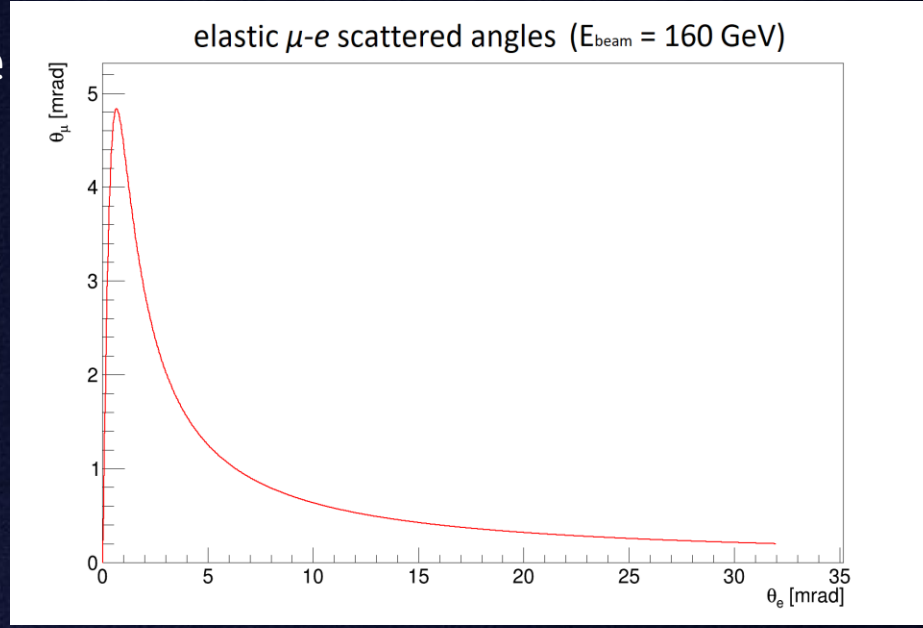
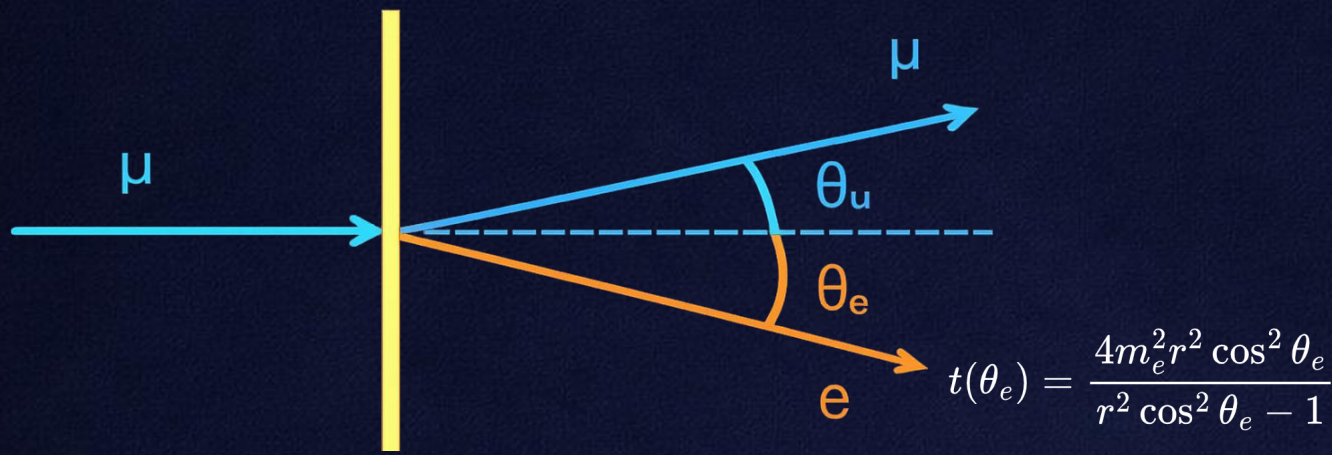
$$R_{\text{had}}(t) = \frac{d\sigma_{\text{data}}(\Delta\alpha_{\text{had}} \neq 0)}{d\sigma_{\text{MC}}(\Delta\alpha_{\text{had}} = 0)} \approx 1 + 2 \Delta\alpha_{\text{had}}(t)$$



$\Delta\alpha$  is a smooth function free of resonances

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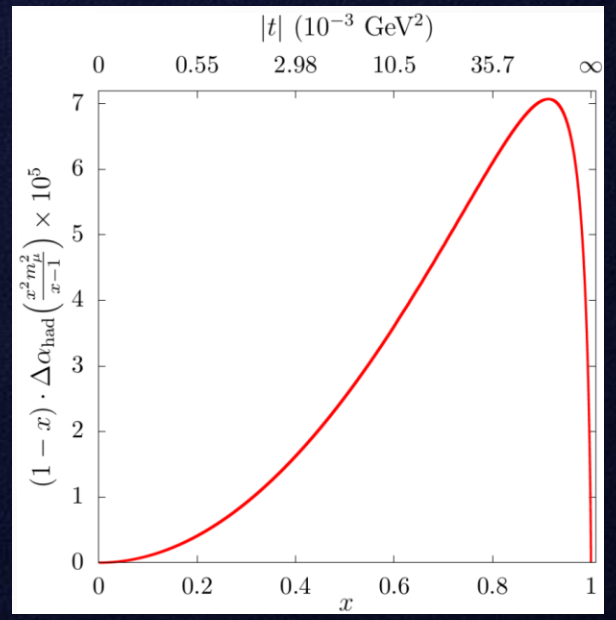


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We can therefore extract

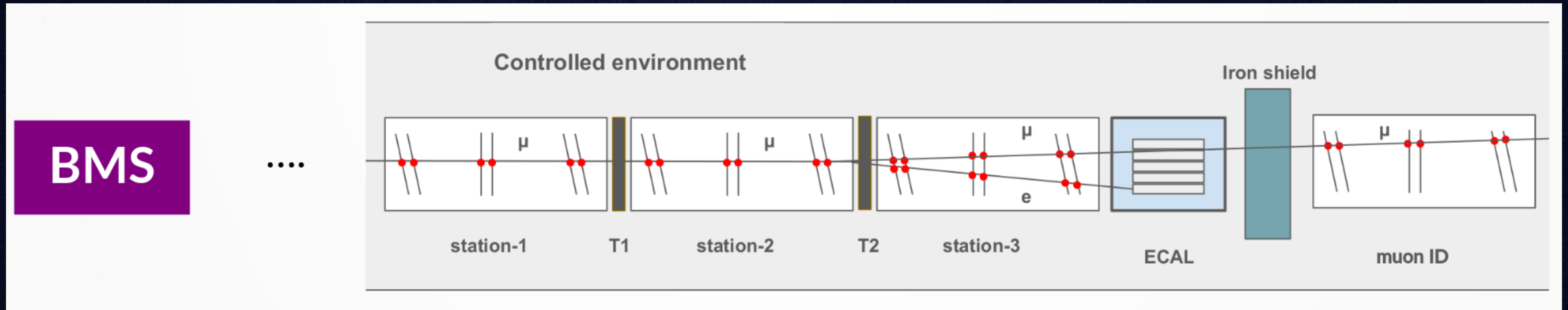
$$a_\mu^{\text{HLO}} = \frac{\alpha_0}{\pi} \int_0^1 dx (1-x) \Delta\alpha_{\text{had}}[t(x)]$$



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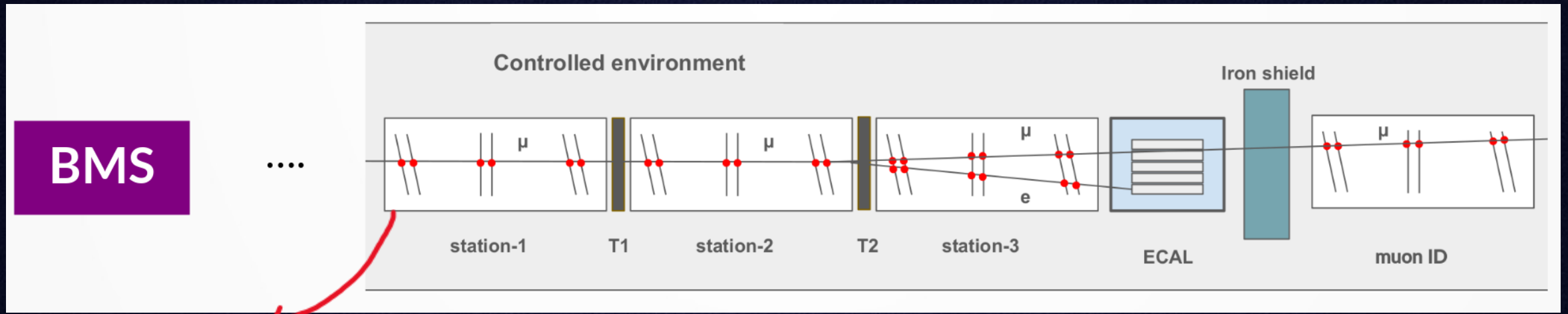
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We aim to measure the angular differential cross section, using the scattered muon and electron angles



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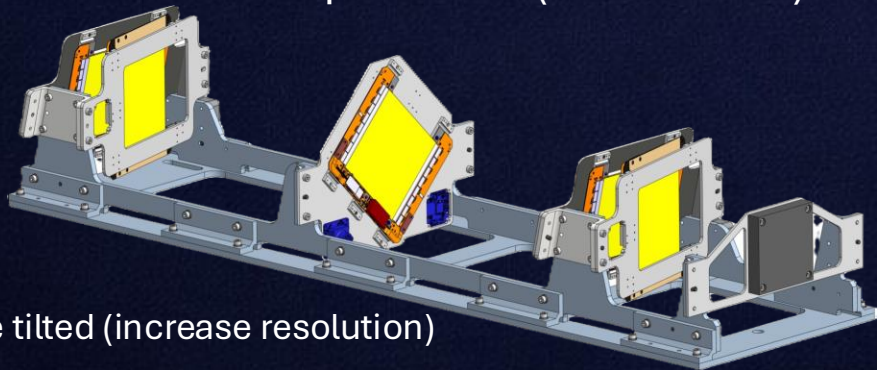


## Tracking station:

- Telescope made of 6 silicon strip sensors (2S modules)

- XY - U V - XY

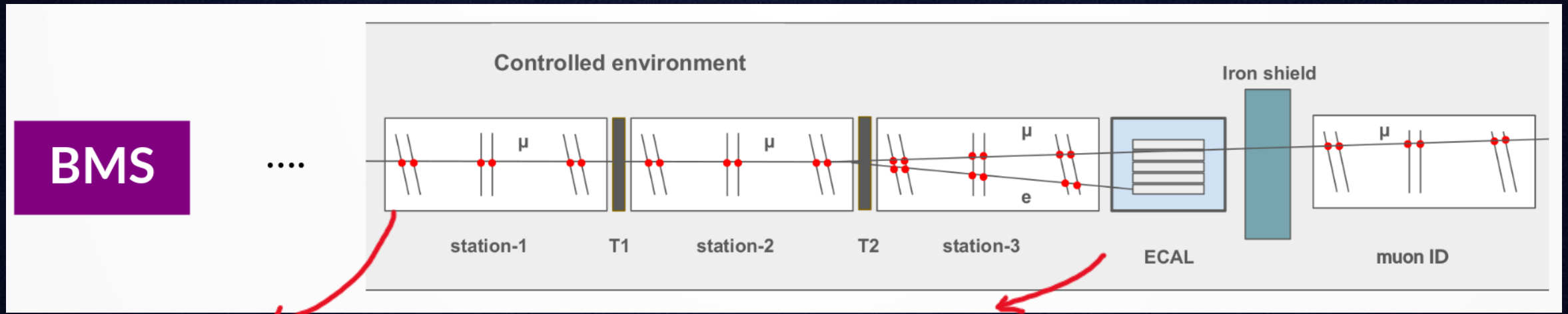
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**Final experiment will have ~40 stations**

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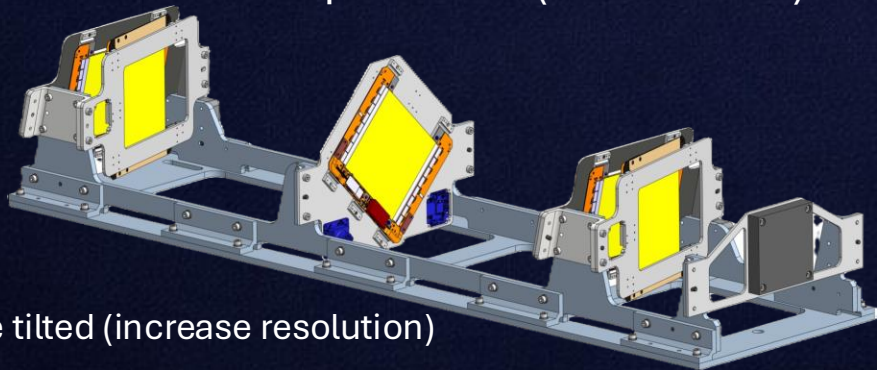


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## ECAL

- 5x5 array of  $\text{PbWO}_4$  crystals
- improved PID
- Remove possible hadronic particle contamination
- Independent measurement of cross section ?

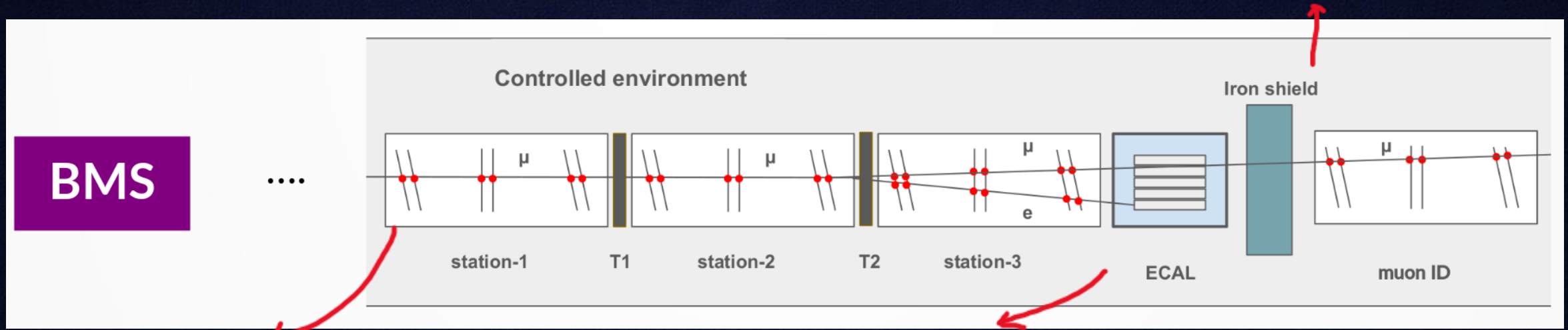
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## Muon filter:

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- Consists of 1 tracking station\*

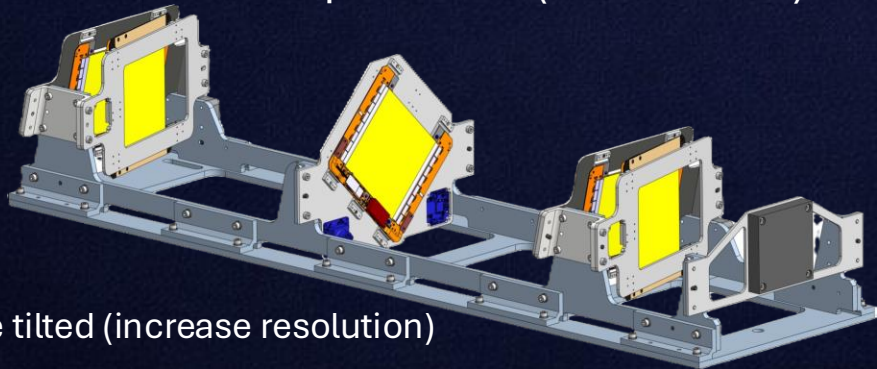


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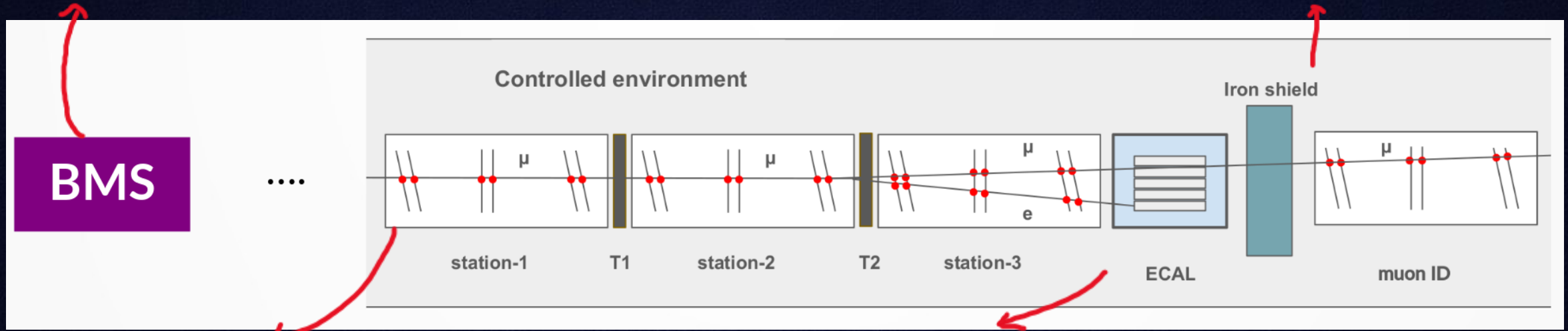
We aim to measure the angular differential cross section, using the scattered muon and electron angles

## BMS:

- upstream measurement of beam energy scale
- Consists of 2 tracking station\*

## Muon filter:

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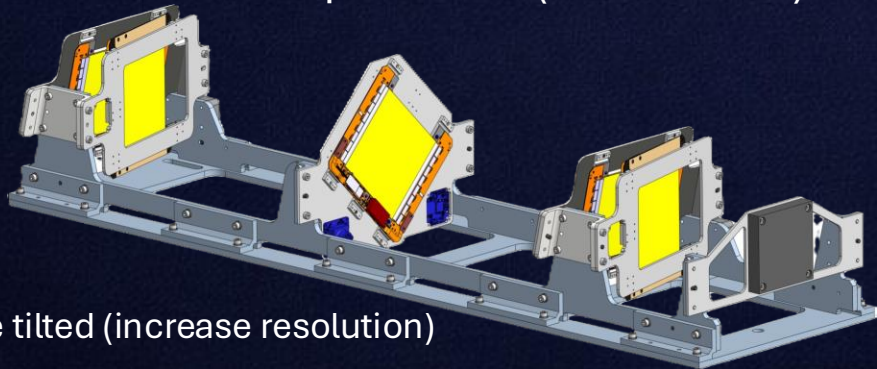


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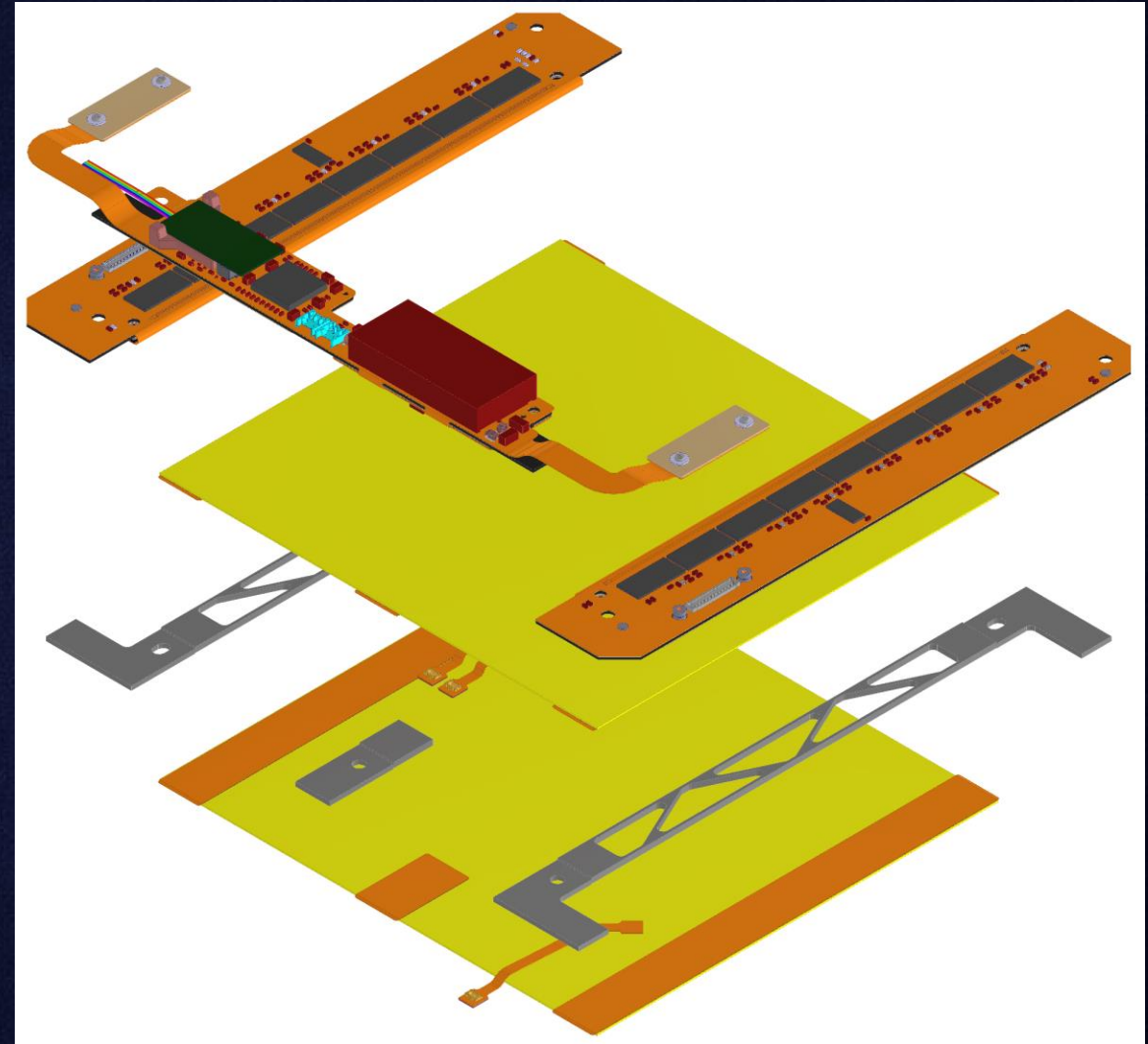
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# Key detector – 2S modules

The MUonE detector is based on 2S modules developed by CMS for the upgrade of its tracker

- Two close-by strip reading the same coordinate
  - Suppress background of single sensor hits
  - Reject large angle tracks
- 2 x 320 $\mu$ m
- Pitch 90 $\mu$ m
- Digital readout
- Readout rate at 40MHz
- 10x10cm<sup>2</sup>

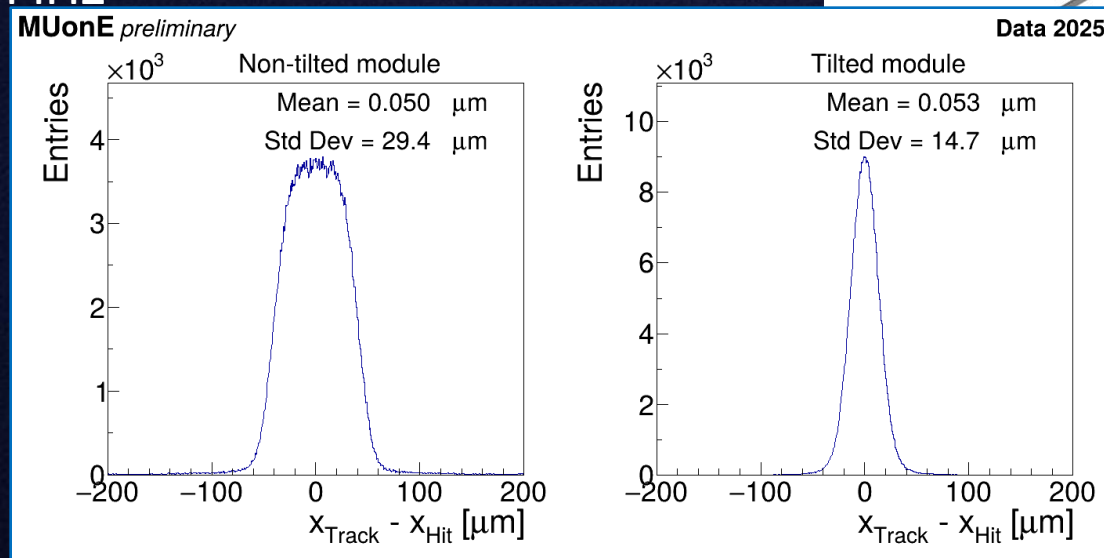
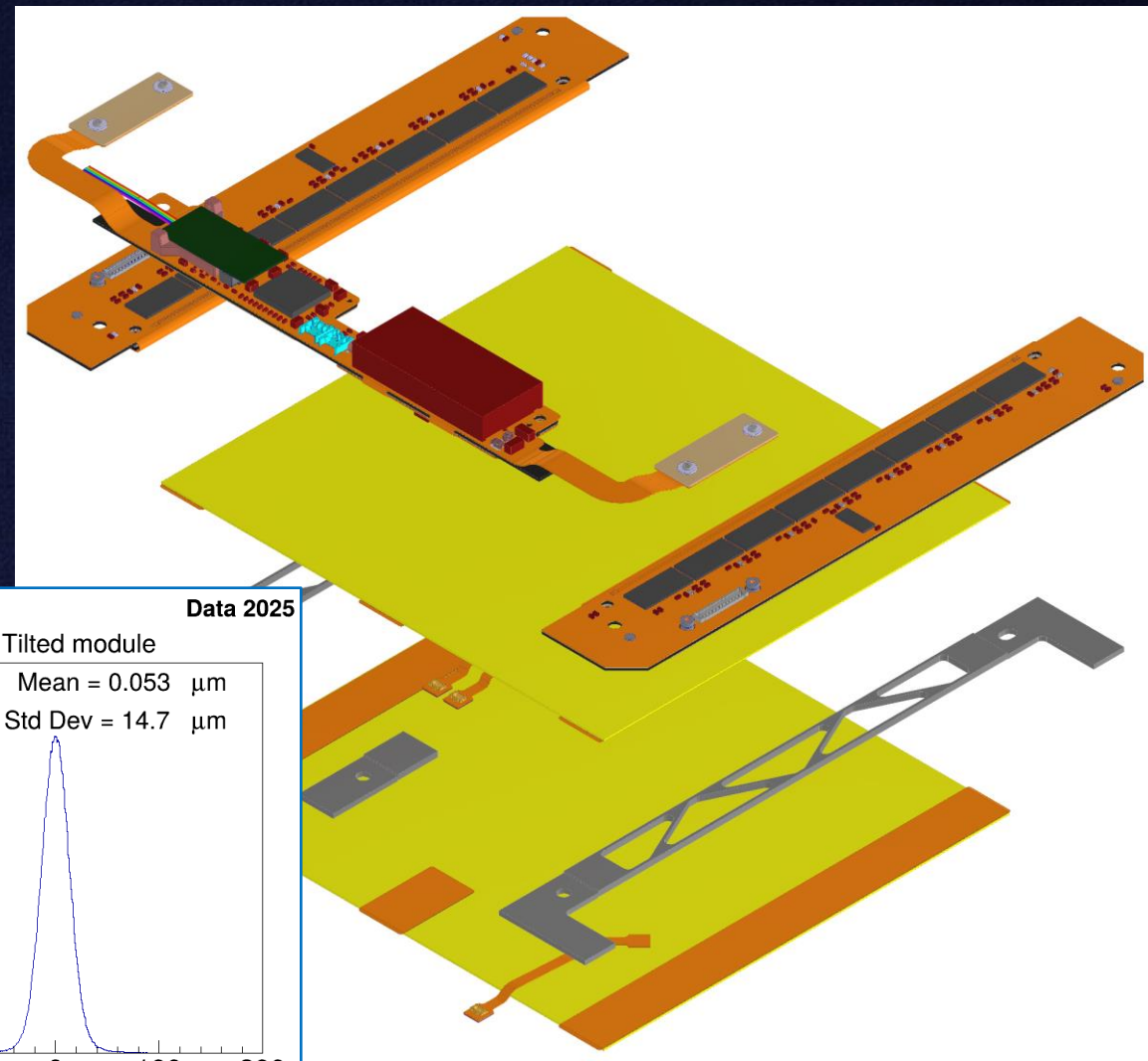


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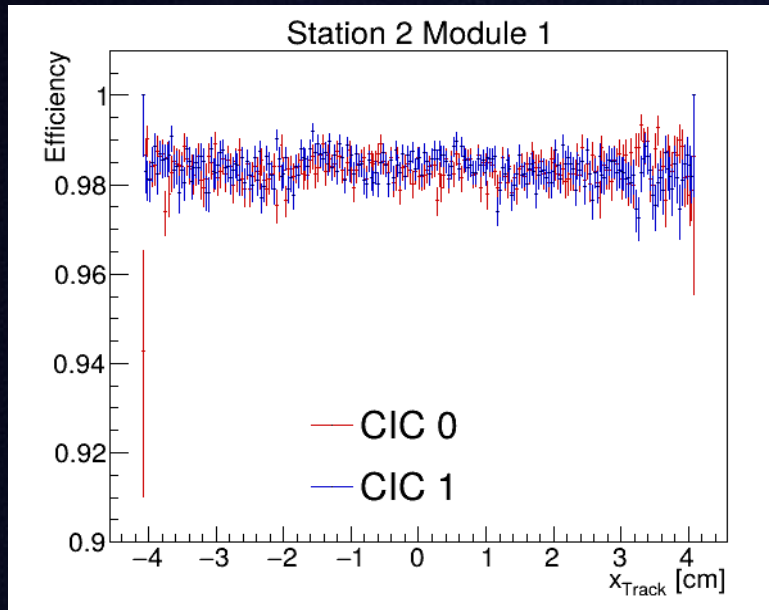
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Some modules are *tilted* to improve the resolution



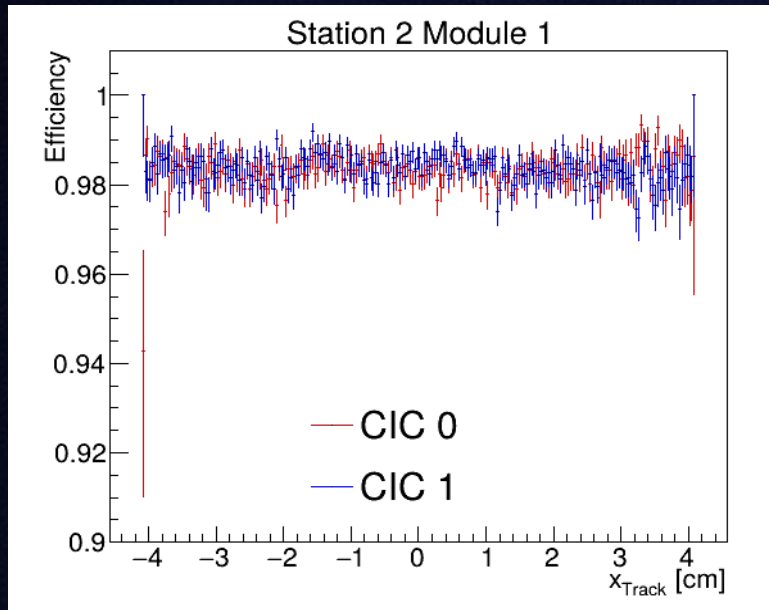
# 2S modules and tracking station - efficiency



Depending on the module, the efficiency is between 98-99%

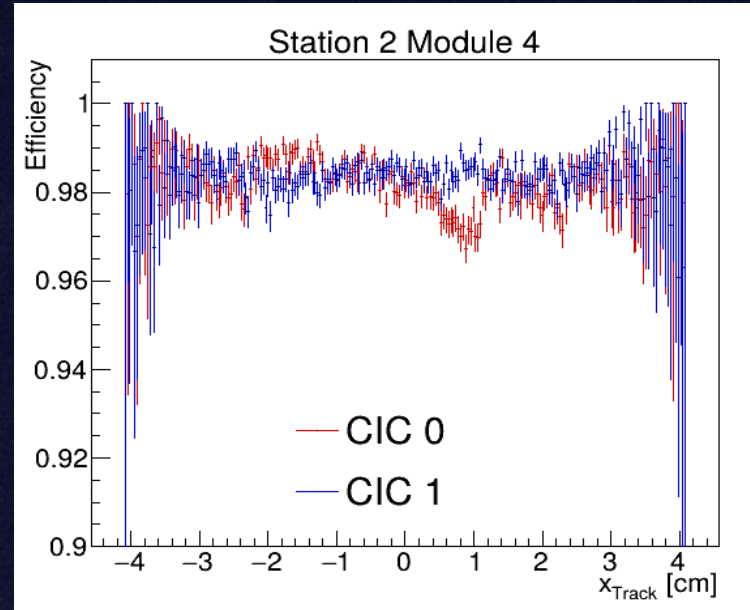
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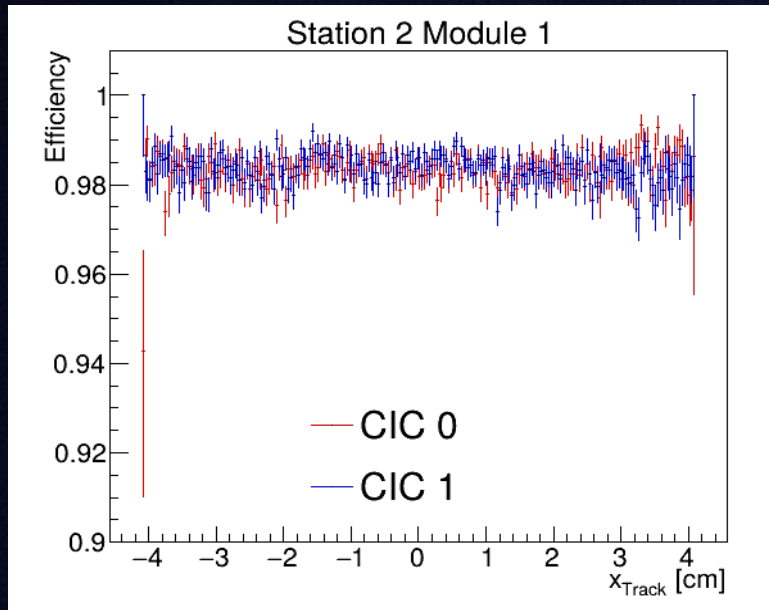
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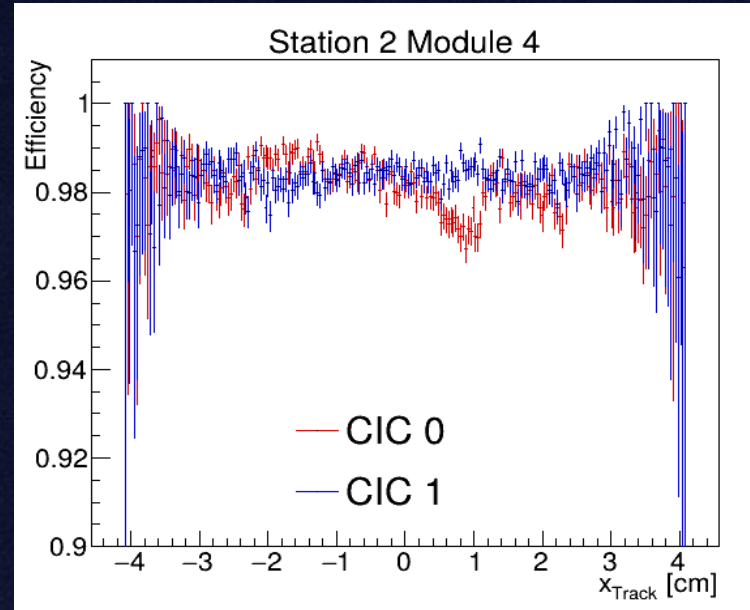
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*These non-uniformities on the efficiency for each module will be added to the simulation*

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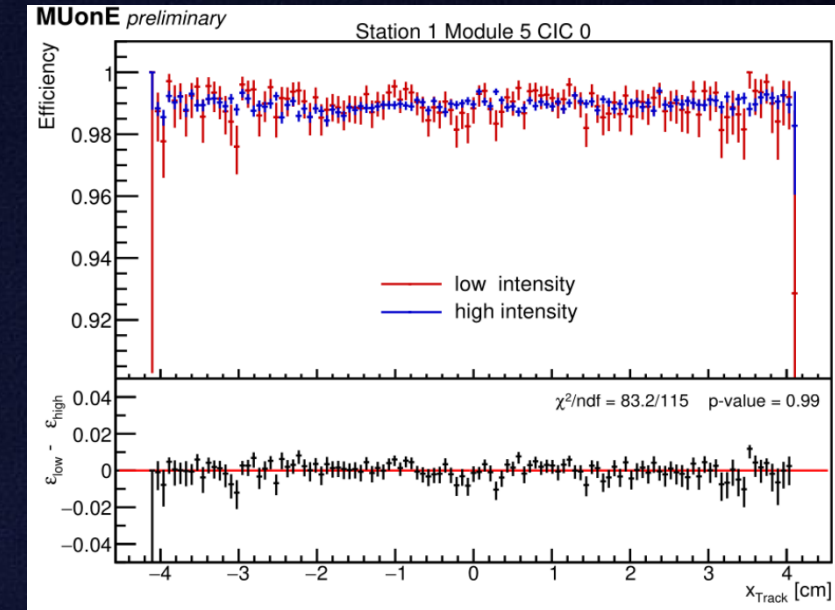


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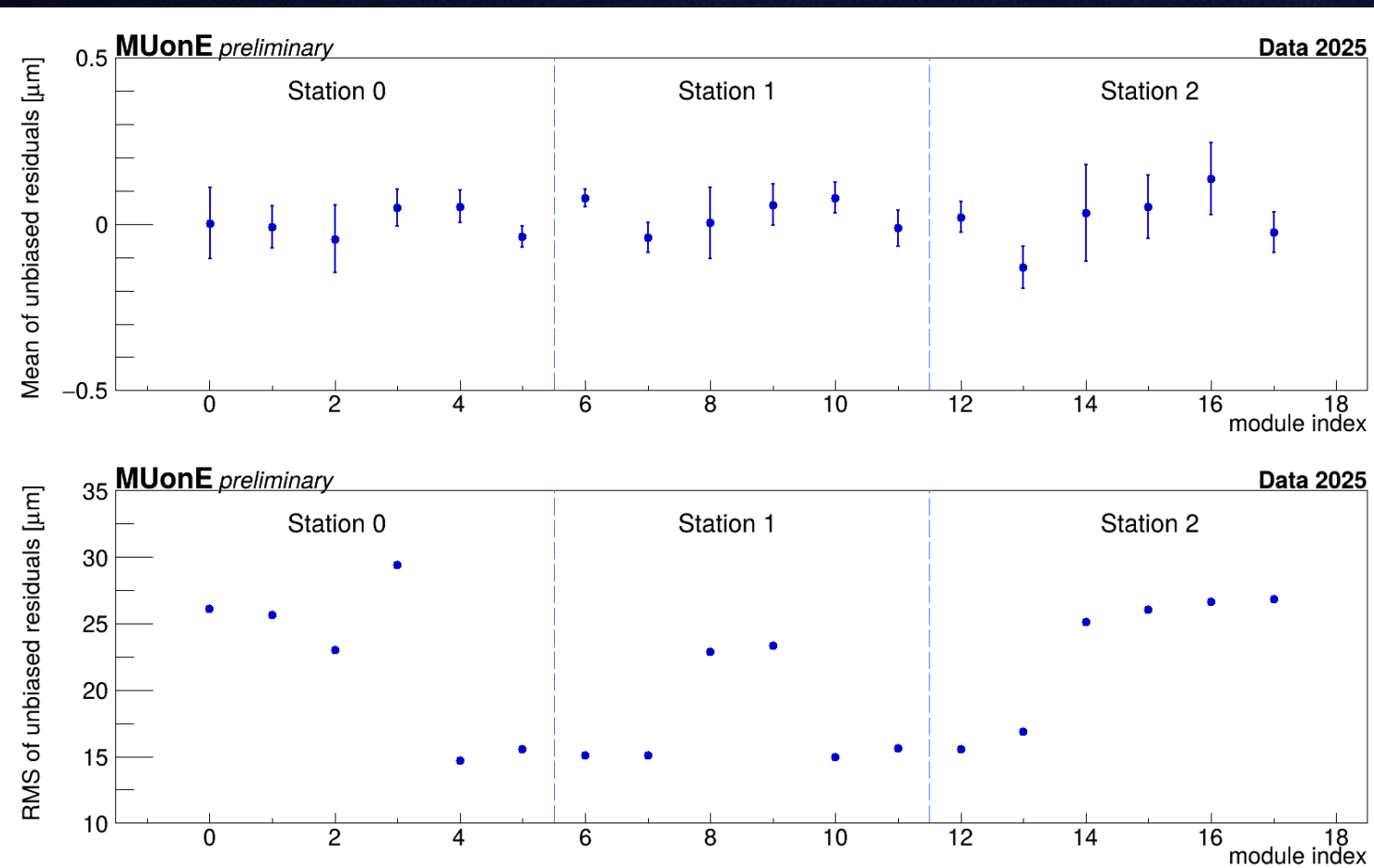
Module performances is stable at different beam intensity

- We measure the cross section only with the scattered angles → our physics is directly affected  
*These non-uniformities on the efficiency for each module will be added to the simulation*
- Efficiency over time has been studied and is stable within a run <0.1% (limited by the available statistics)

# 2S modules and tracking station - resolution

Good control of the geometry:

- The alignment procedure shows good results ( $\mu_{\text{res}} < 0.1\mu\text{m}$ )



Module resolution is computed subtracting the track error:

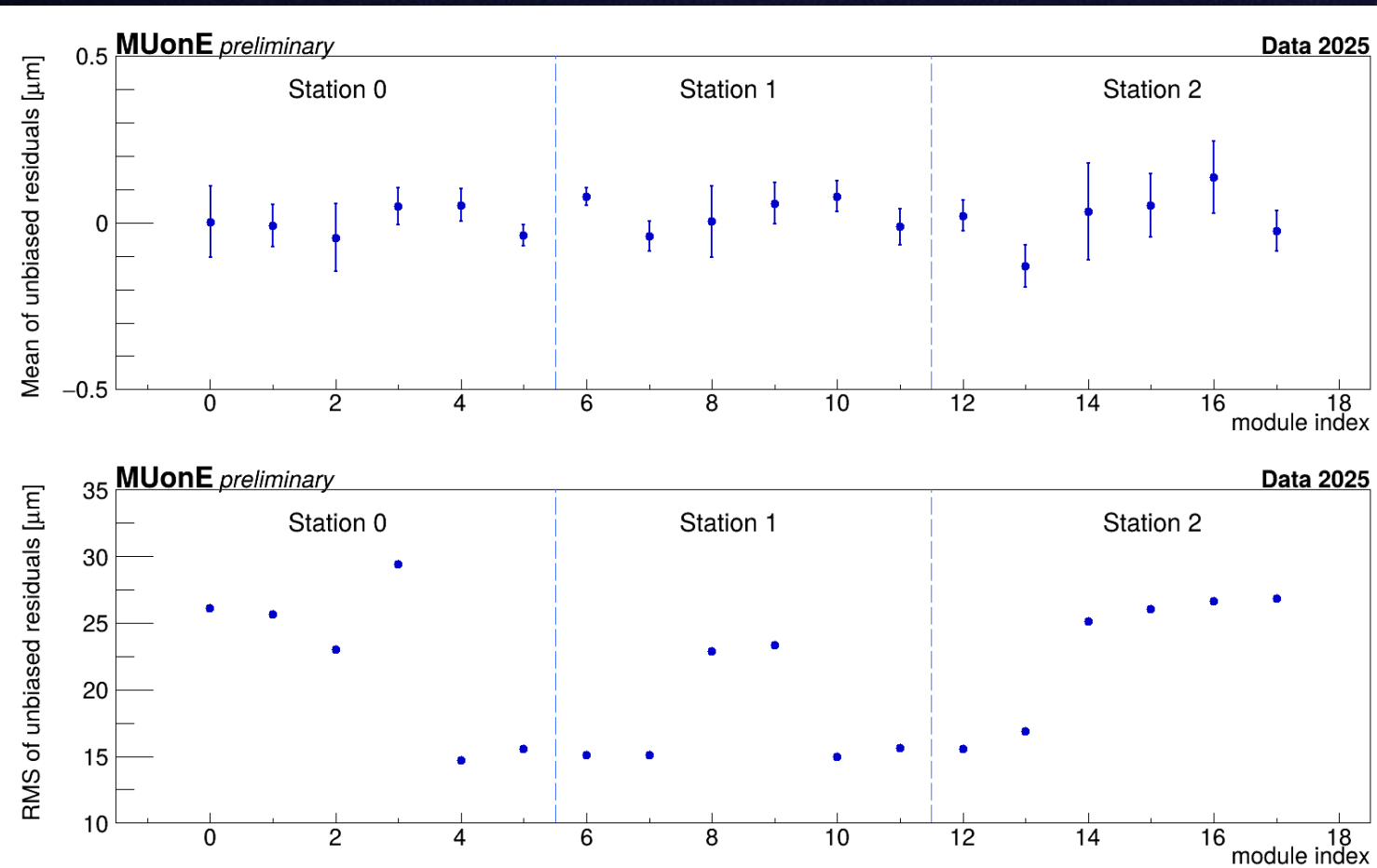
~12μm for tilted module

~26μm for non-tilted

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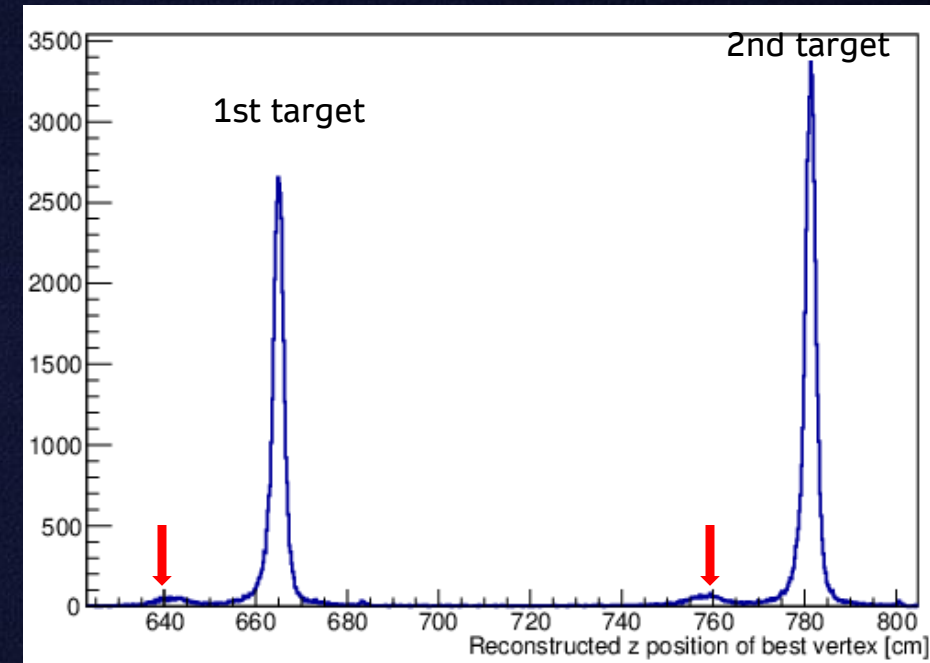
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Module resolution is computed subtracting the track error:  
~12 $\mu\text{m}$  for tilted module  
~26 $\mu\text{m}$  for non-tilted

Vertex reconstruction successfully reconstruct event at the target position

Vertex resolution ~8mm



Small peak correspond to interaction happening in the last module of the previous station

# Online event selection and statistics

- We trigger on potential interaction events by counting the number of hits (stubs) in each station

- We keep 1-2 % of recorded events

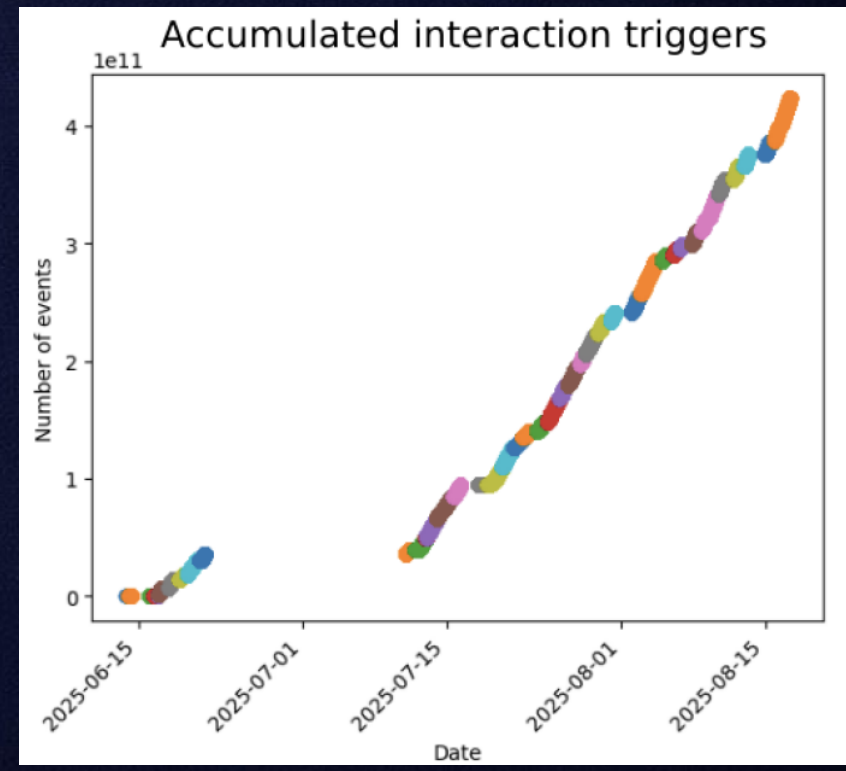
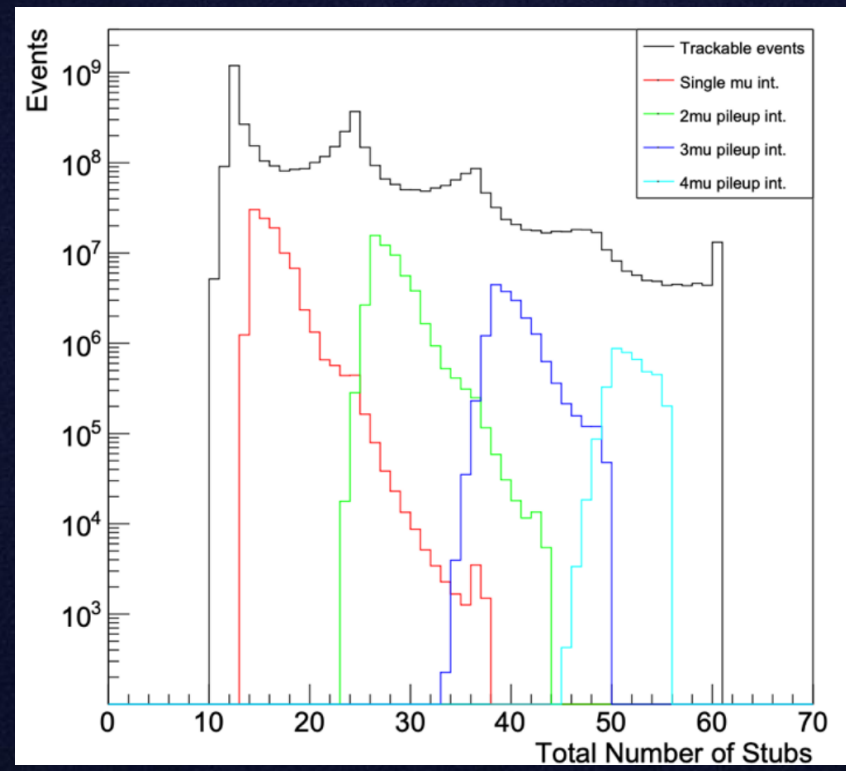
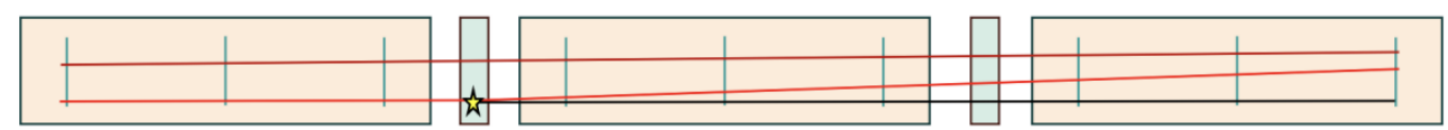
With 2025 statistics, we aim for the extraction of

- $\Delta\alpha_{lep}$  [ $\sim 1\%$ ] (proof-of-principle)
- $\Delta\alpha_{had}$  [ $\sim 20\%$ ]

- Single muon interaction first (in the example) /second target

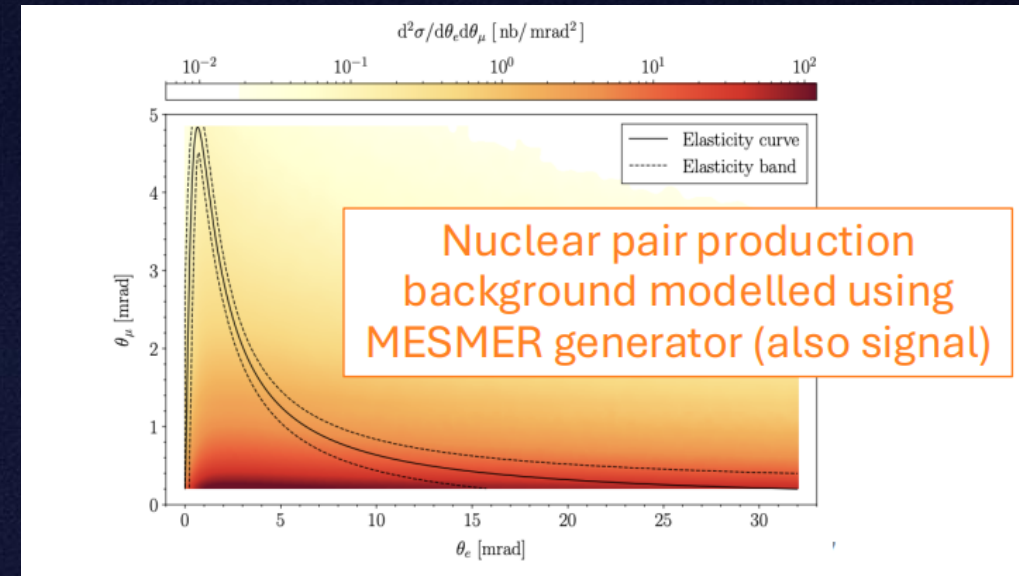
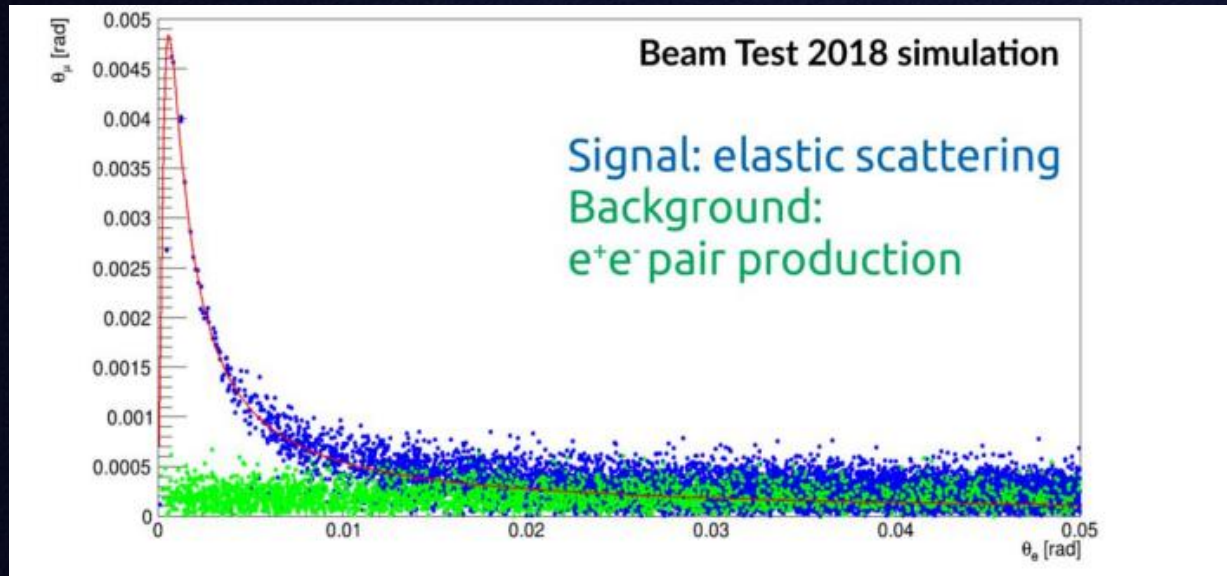


- Pileup muon interaction first (in the example) /second target



# Offline selection and background

The main background comes from nuclear pair production

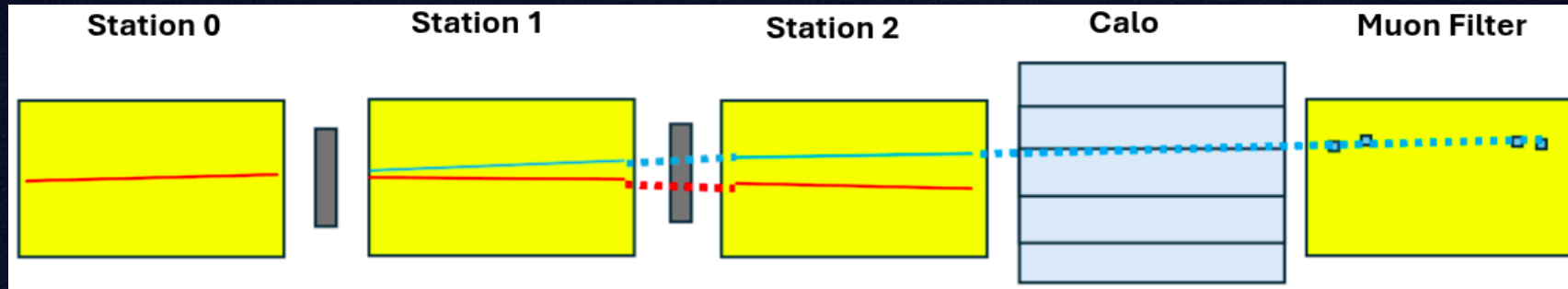


A combination of cut keep a large fraction of the signal event and remove most of the background

- Acoplanarity (*elastic events are coplanar*)
- Elastic cut (*they must be close the elastic curves*)

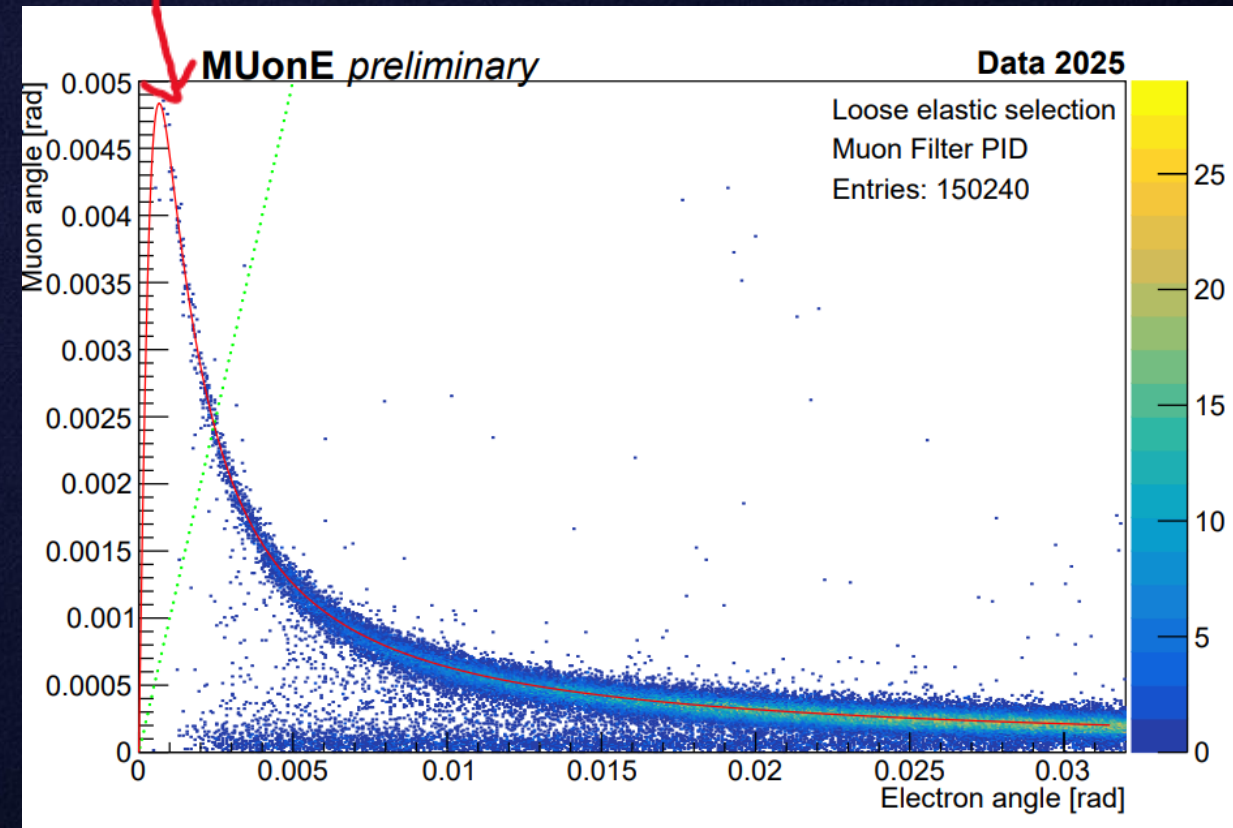
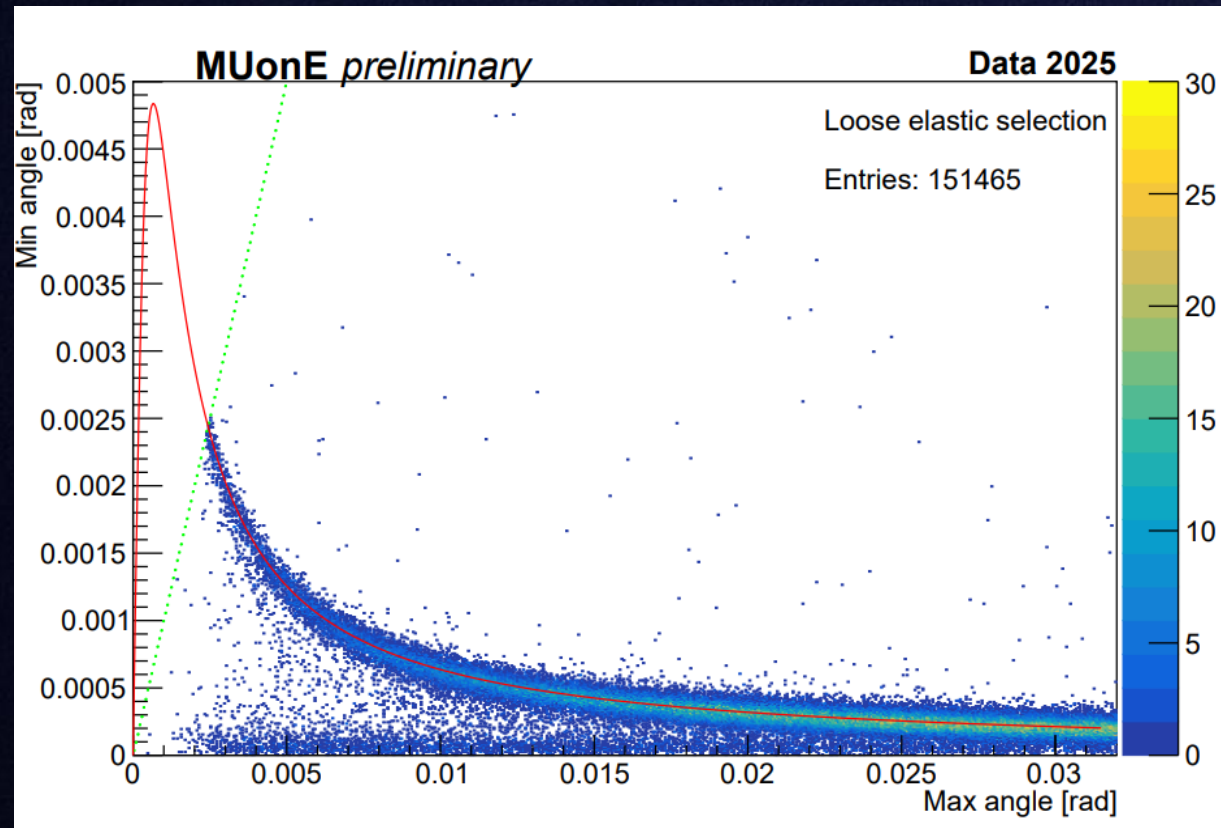
# Muon filter

- The muon filter provides PID in the ambiguity region: angles  $< 5\text{mrad}$



Without PID

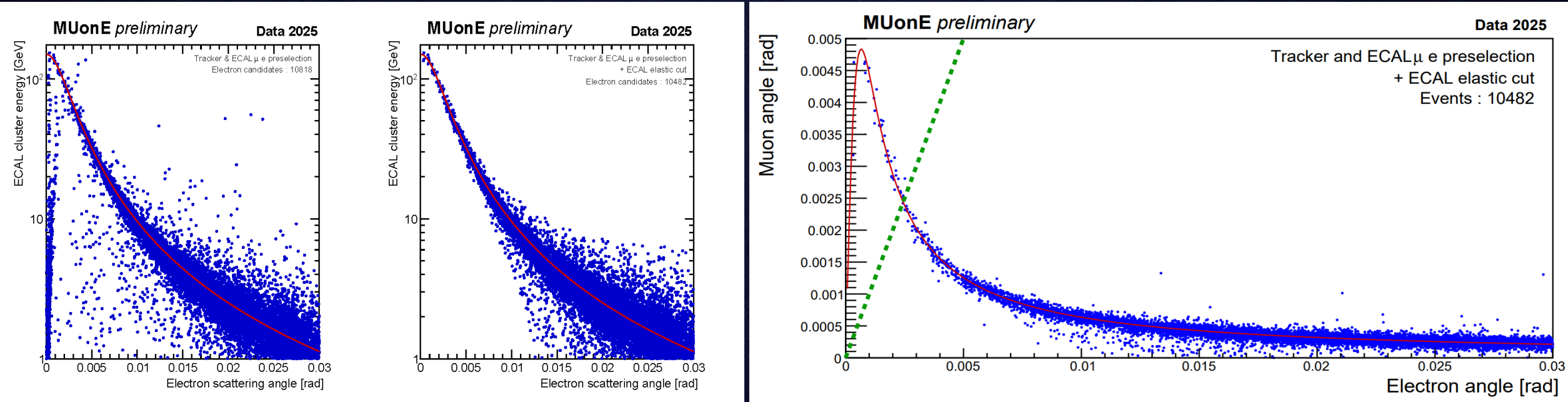
Events identified in ambiguity region With PID



ECAL can be used on last stations to study systematics and verify our control of the experiment

## Cross-check/improve PID performances

- We extrapolate outgoing tracks and see if one matches the position of the cluster in the calorimeter
- Check that the event is on the elastic region



## Monte Carlo: Procedure towards - $\Delta\alpha^{\text{lep}}$

Extracting  $\Delta\alpha^{\text{lep}}$  with the 2025 test run aims to demonstrate that we control the experiment and can reliably work towards extraction of  $\Delta\alpha^{\text{had}}$

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## Procedure:

- We generate MC events samples with and without the running of alpha, and compute  $t$
- From the scattered angles we can recover the squared four-momentum transfer  $t$

$$t(\theta_e) = \frac{4m_e^2 r^2 \cos^2 \theta_e}{r^2 \cos^2 \theta_e - 1}$$

- The ratio gives direct sensitivity to  $\Delta\alpha_{\text{Lep}}(t)$

$$\frac{d\sigma/dt}{d\sigma_0/dt} = \frac{1}{|1 - \Delta\alpha(t)|^2} \simeq 1 + 2\Delta\alpha(t)$$

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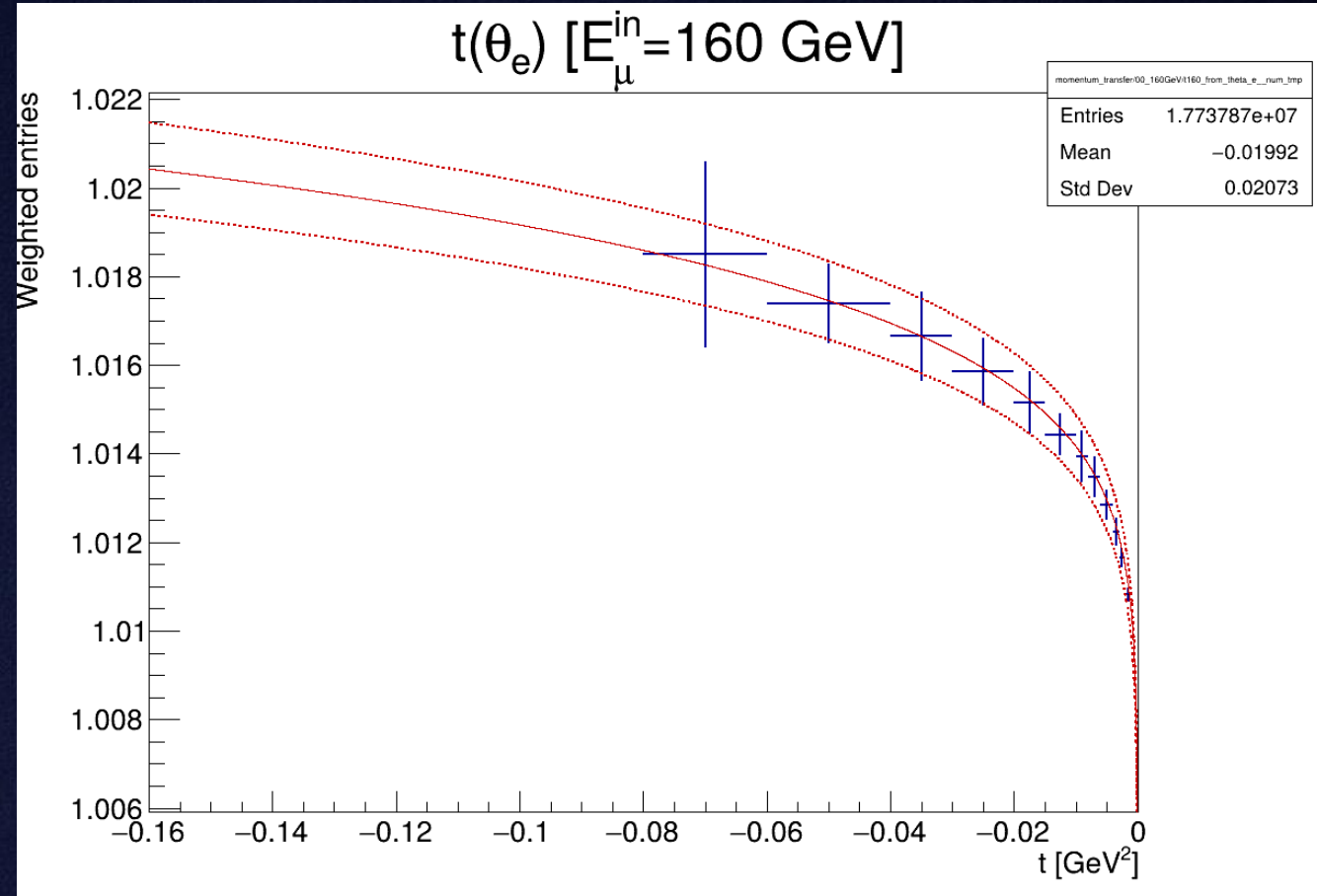
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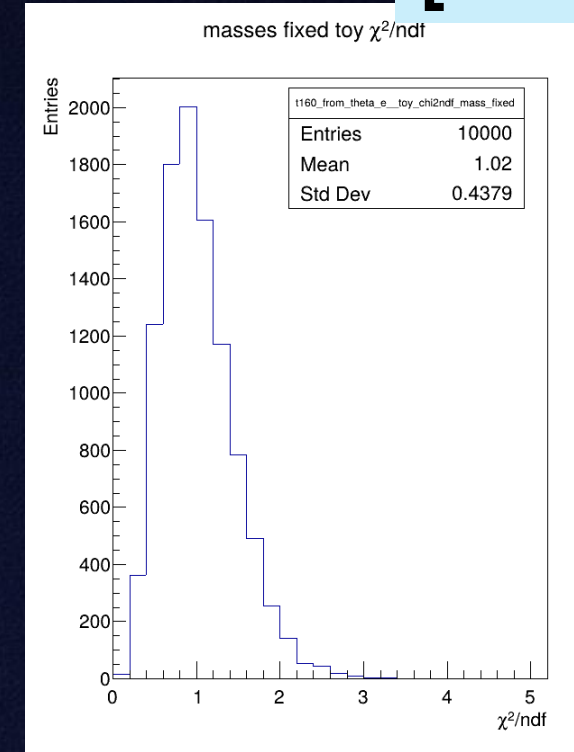
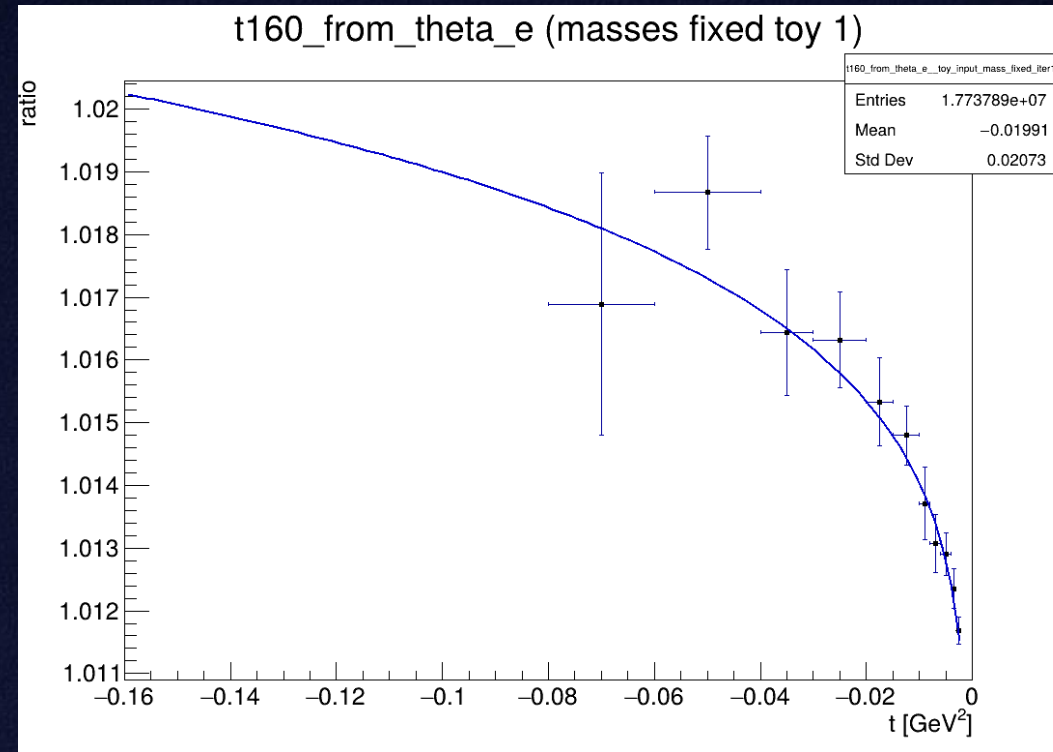


- MC samples are fully correlated
- Statistics match the dataset **run32** (~30M elastic events)
- The red curves show the leptonic running of  $\alpha$  from theory at  $\pm 5\%$

# Monte Carlo: Procedure towards - $\Delta\alpha^{\text{lep}}$

Toy MC: we smear each point randomly according to its error bars

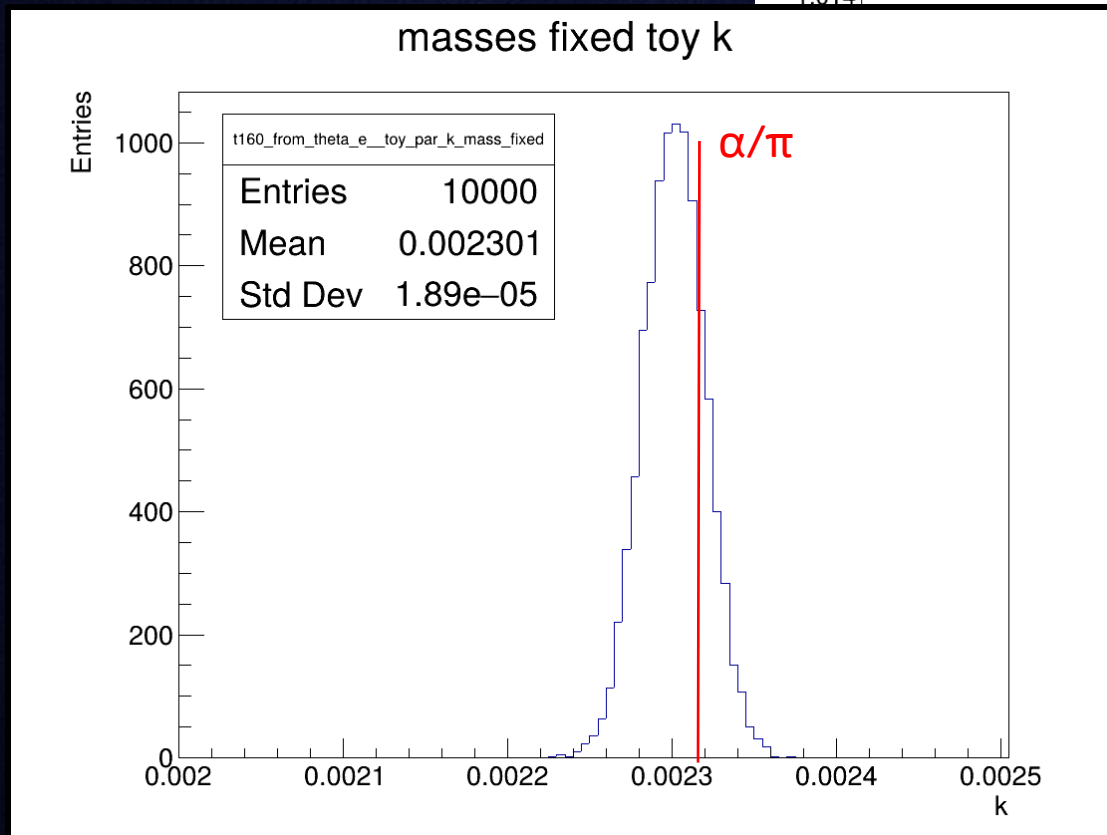
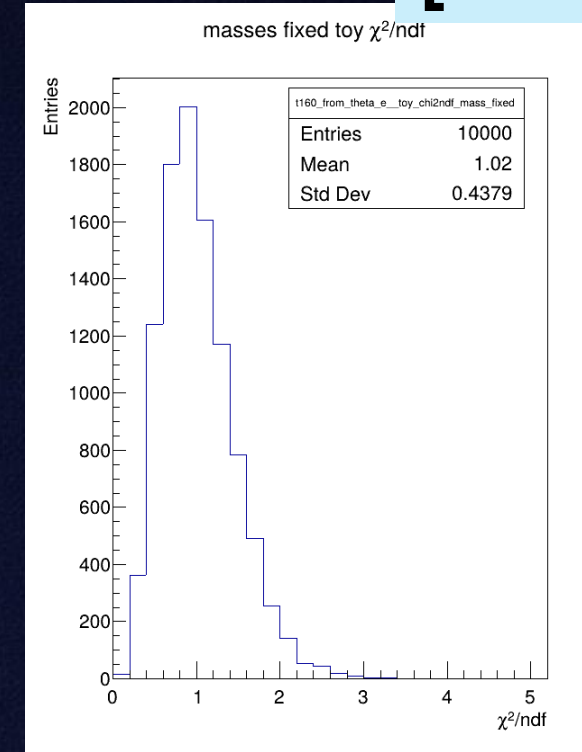
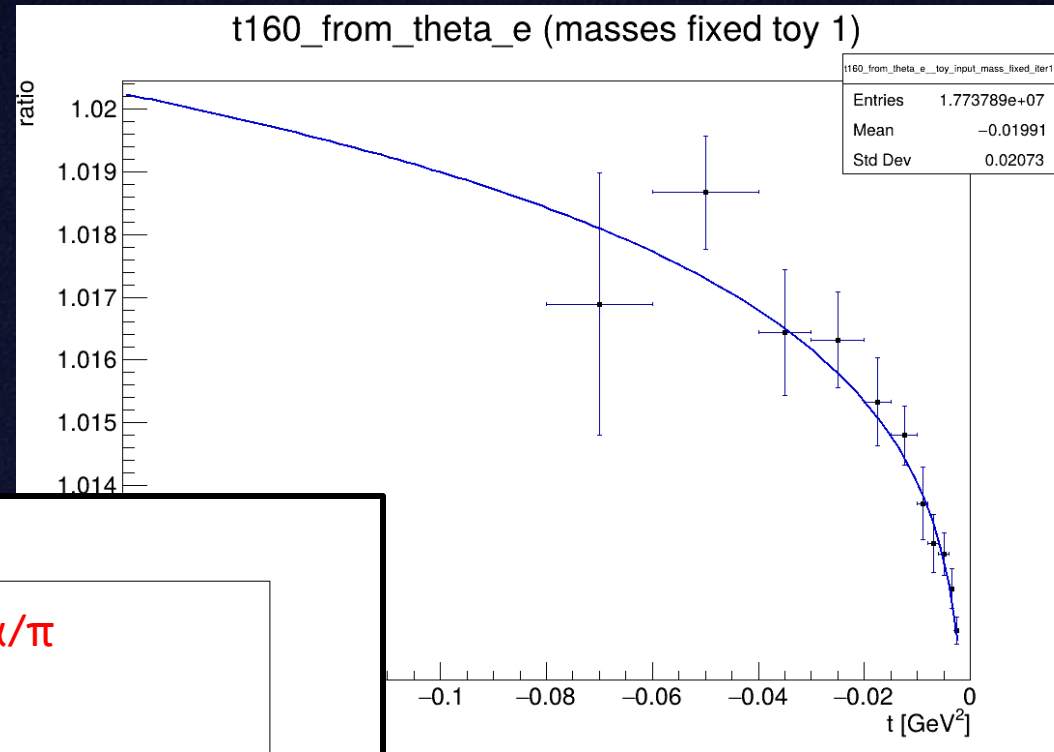
Perform a fit on the leptonic function (masses fixed, one free parameter  $k$ )



# Monte Carlo: Procedure towards - $\Delta\alpha^{\text{lep}}$

Toy MC: we smear each point randomly according to its error bars

Perform a fit on the leptonic function (masses fixed, one free parameter k)



Precision at 1%

Real value  $k = \alpha/\pi \sim 0.002323$

Systematic bias to underestimate the parameter k  $\sim 1\%$   
*Could be effect from hadronic contribution not included in analysis but simulated*

Successful 3 months running with full apparatus

- 3 stations (2 targets) + ECAL + BMS + Muon Filter
- Online DQM and Trigger tested
- Stable DAQ at 40 MHz

Analysis campaign underway

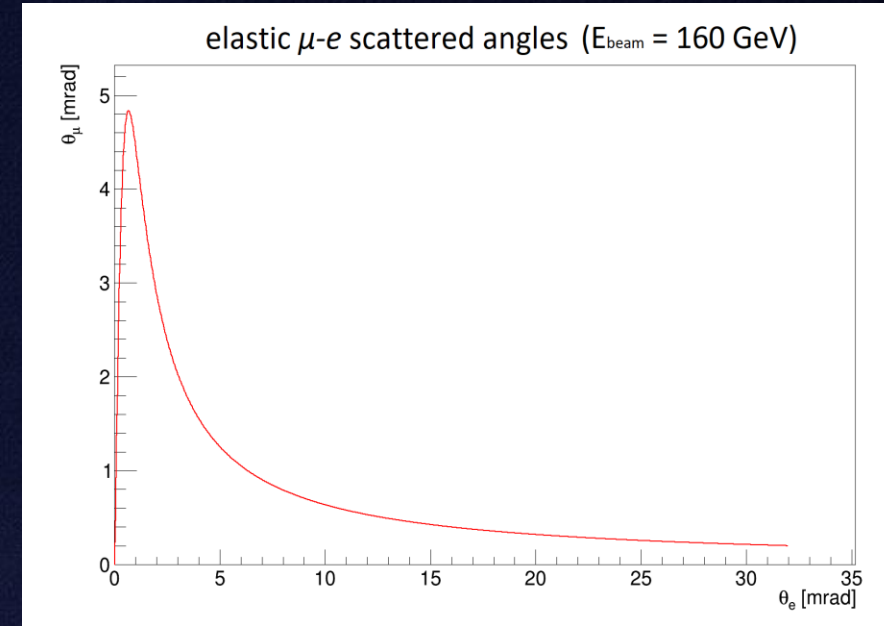
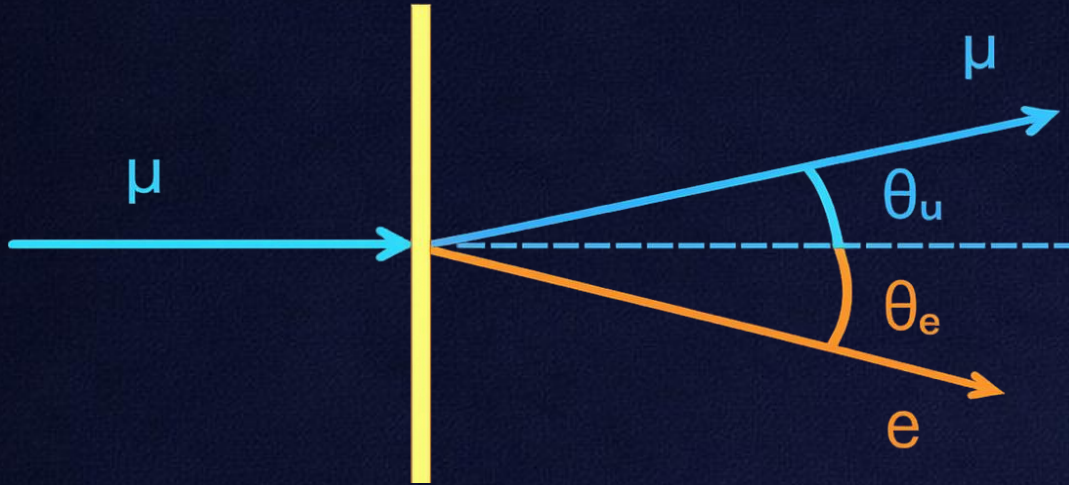
- Upgrading MC for good data/MC
- Measure  $\Delta\alpha^{\text{lep}}$  for proof-of-principle
- Preliminary measurement of  $\Delta\alpha^{\text{had}}$

# *Backup*

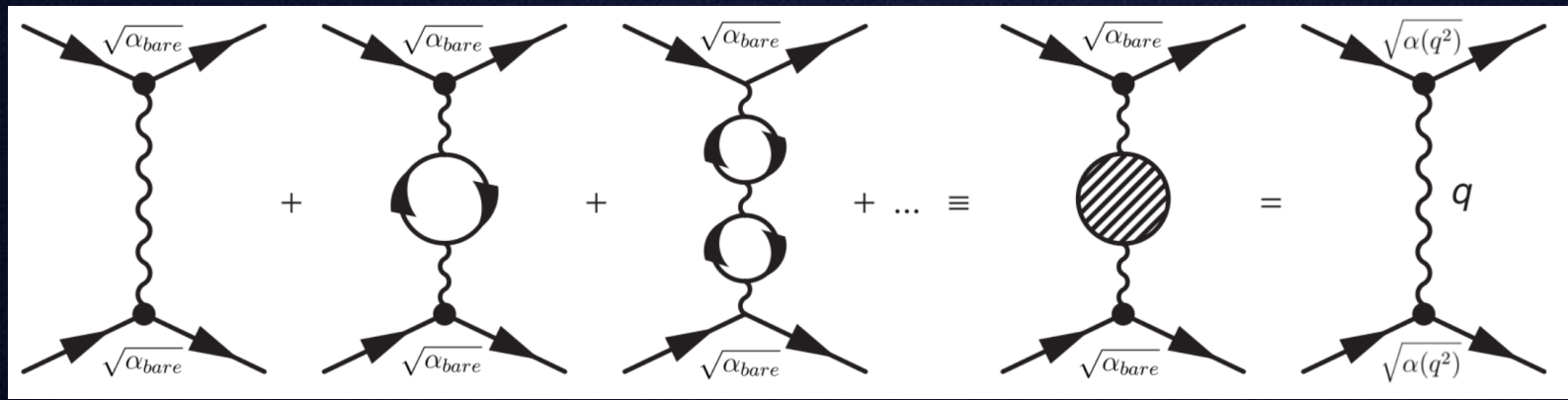
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# $a_\mu^{\text{HLO}} : \text{MUonE}$

Measure the differential cross-section of the elastic process  $\mu e \rightarrow \mu e$



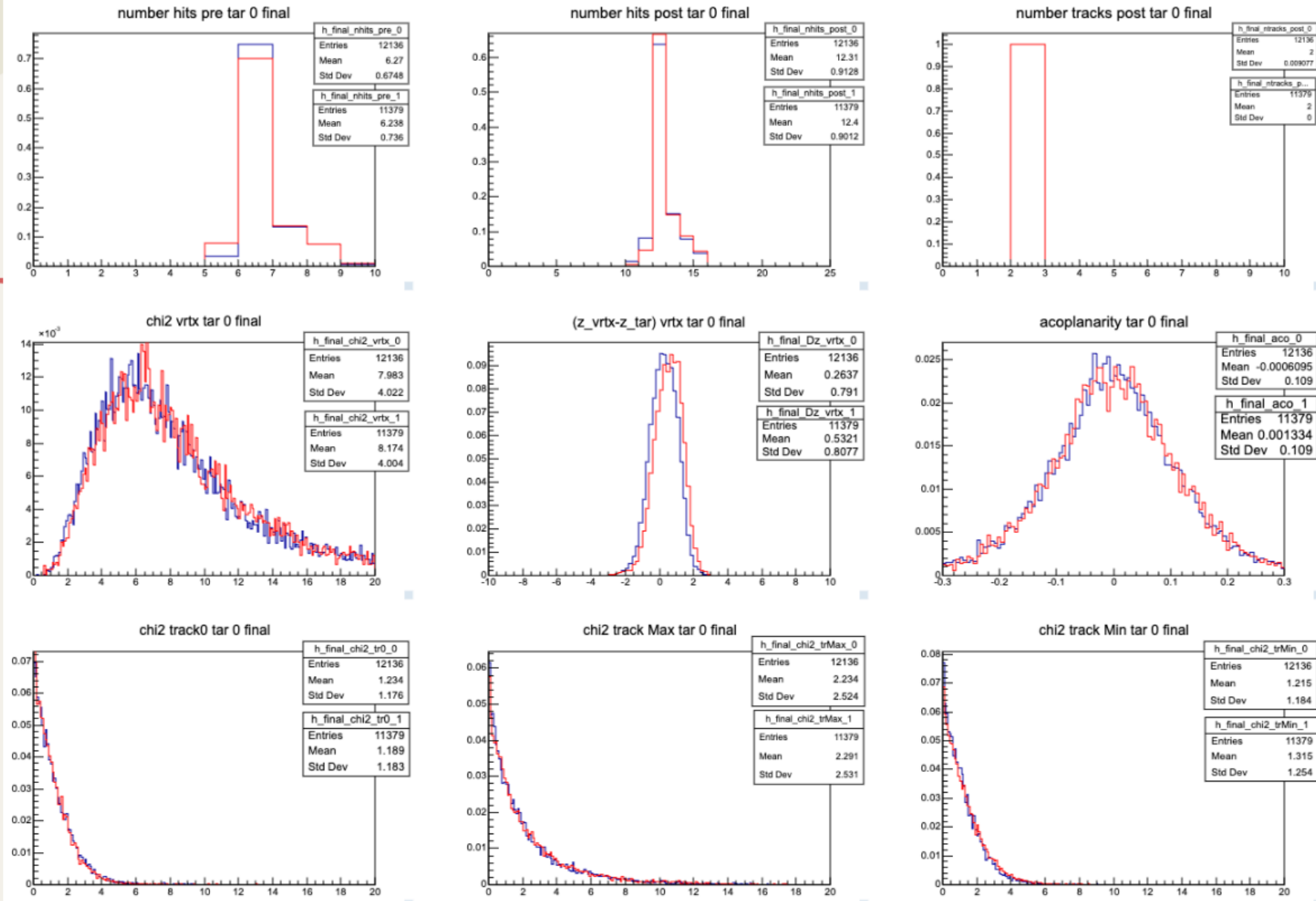
The result of the loop insertions can be absorbed in a redefinition of the coupling constant



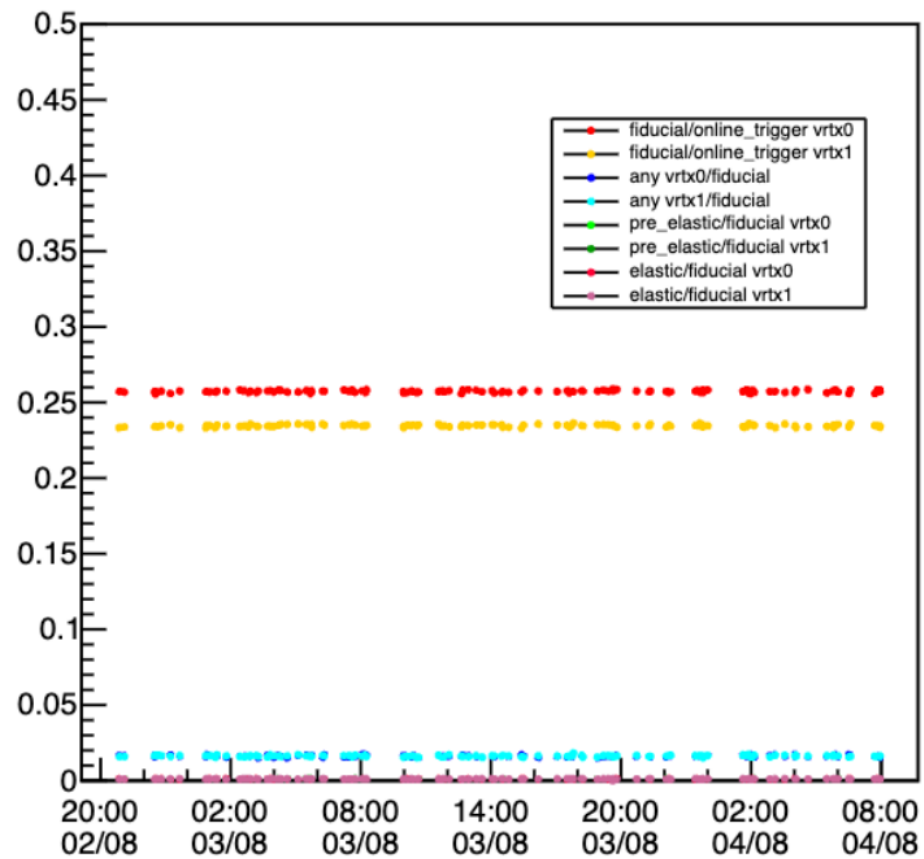
$$\alpha(t) = \frac{\alpha}{1 - \Delta\alpha(t)}$$

$$\Delta\alpha(t) = \Delta\alpha_{\text{lep}}(t) + \boxed{\Delta\alpha_{\text{had}}(t)} + \Delta\alpha_{\text{top}}(t) + \Delta\alpha_{\text{weak}}(t) ; \text{ All terms except hadronic are well known}$$

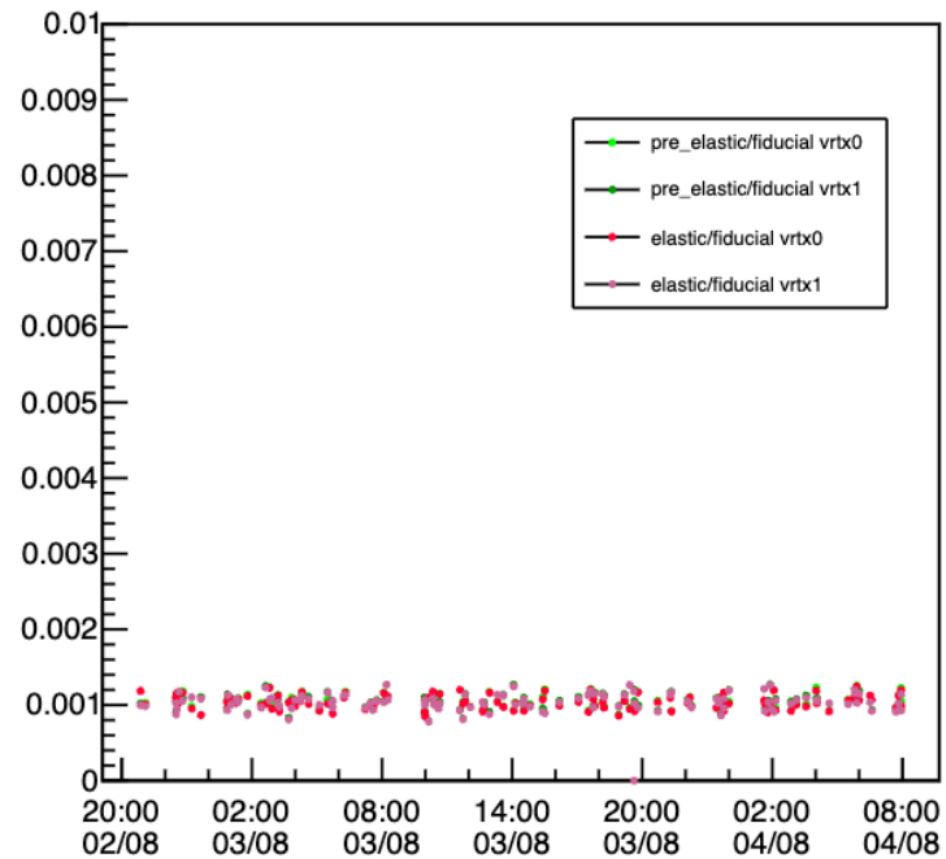
Tar0  
Tar1

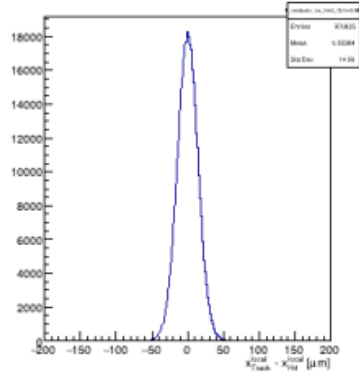
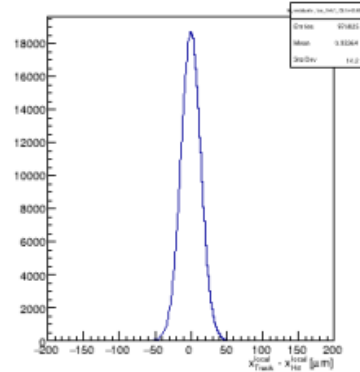
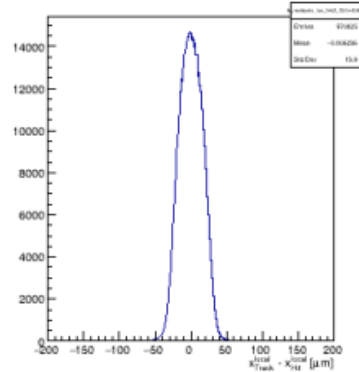
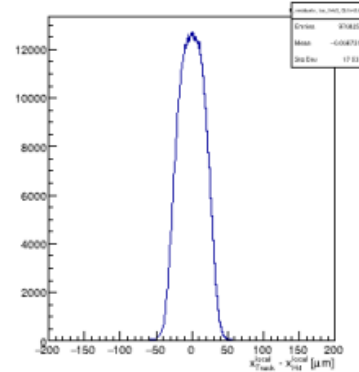
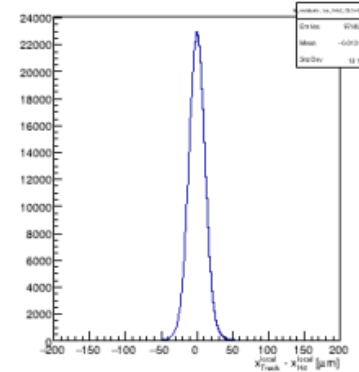
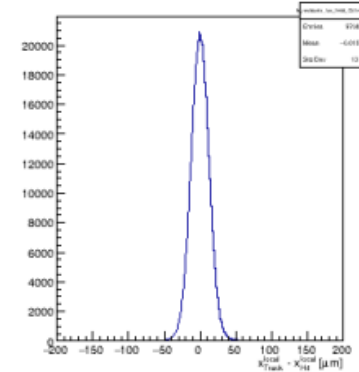
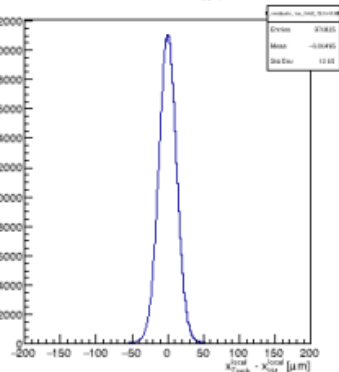
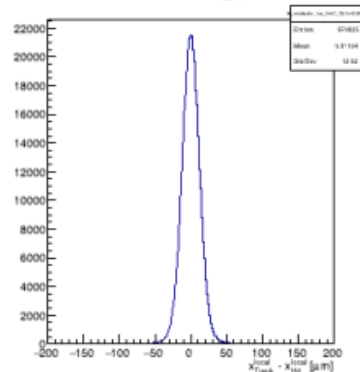
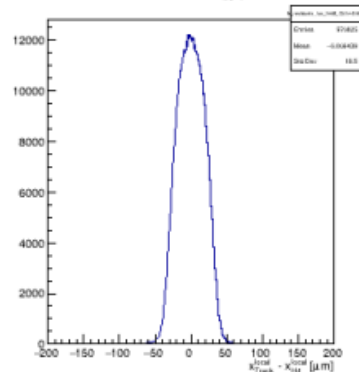
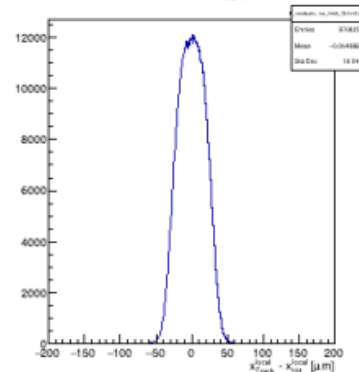
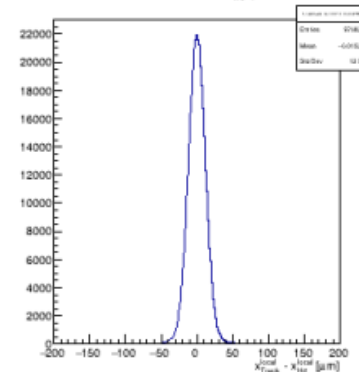
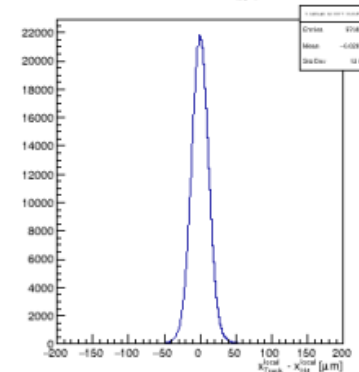
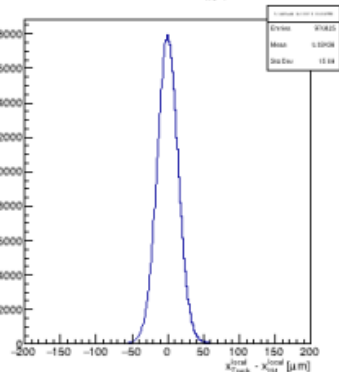
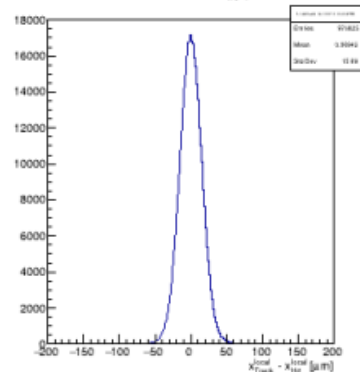
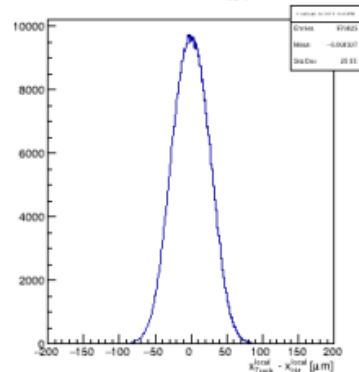
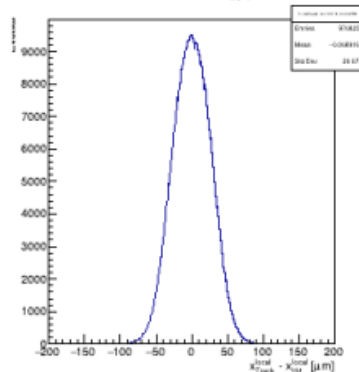
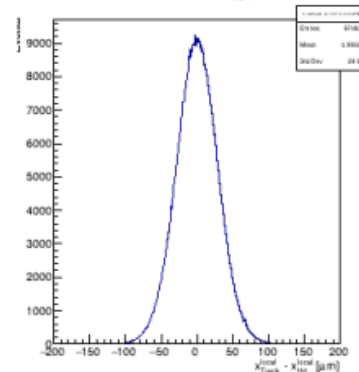
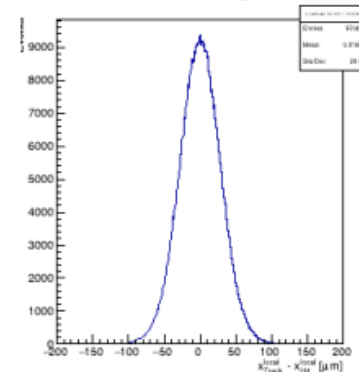


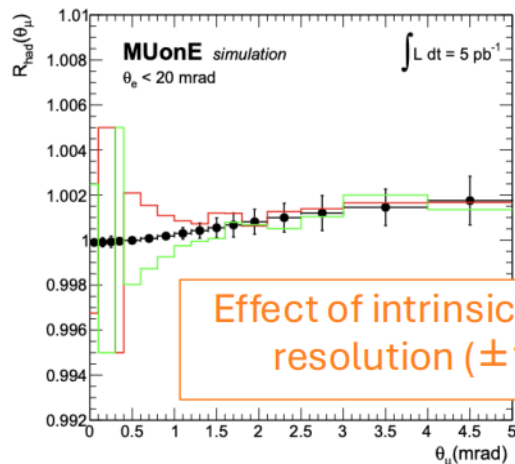
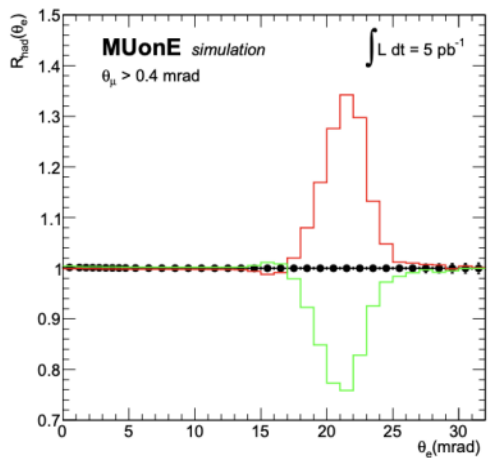
### Rates vs time



### Rates vs time (zoom)

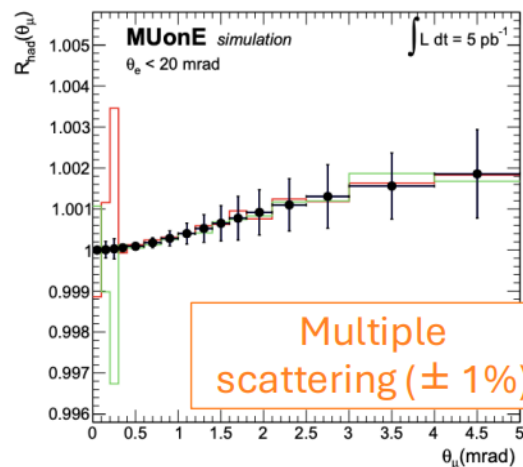
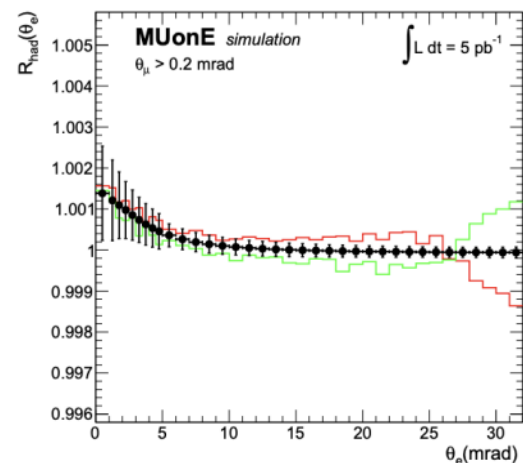
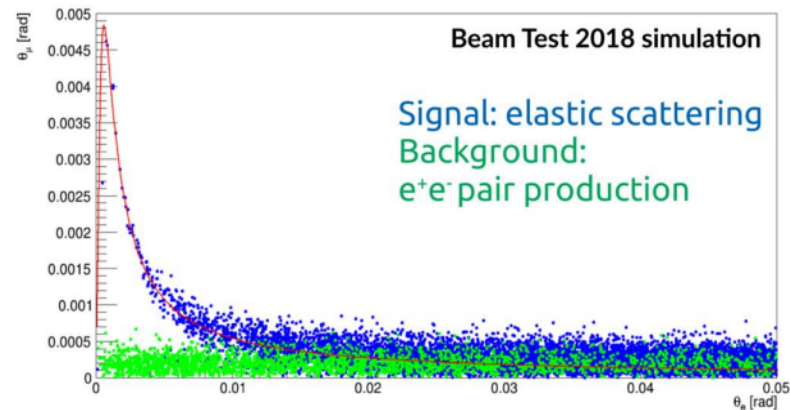


LinkID 0. Track C.L.( $\chi^2$ ) = 0.99LinkID 1. Track C.L.( $\chi^2$ ) = 0.99LinkID 2. Track C.L.( $\chi^2$ ) = 0.99LinkID 3. Track C.L.( $\chi^2$ ) = 0.99LinkID 4. Track C.L.( $\chi^2$ ) = 0.99LinkID 5. Track C.L.( $\chi^2$ ) = 0.99LinkID 6. Track C.L.( $\chi^2$ ) = 0.99LinkID 7. Track C.L.( $\chi^2$ ) = 0.99LinkID 8. Track C.L.( $\chi^2$ ) = 0.99LinkID 9. Track C.L.( $\chi^2$ ) = 0.99LinkID 10. Track C.L.( $\chi^2$ ) = 0.99LinkID 11. Track C.L.( $\chi^2$ ) = 0.99LinkID 12. Track C.L.( $\chi^2$ ) = 0.99LinkID 13. Track C.L.( $\chi^2$ ) = 0.99LinkID 14. Track C.L.( $\chi^2$ ) = 0.99LinkID 15. Track C.L.( $\chi^2$ ) = 0.99LinkID 16. Track C.L.( $\chi^2$ ) = 0.99LinkID 17. Track C.L.( $\chi^2$ ) = 0.99

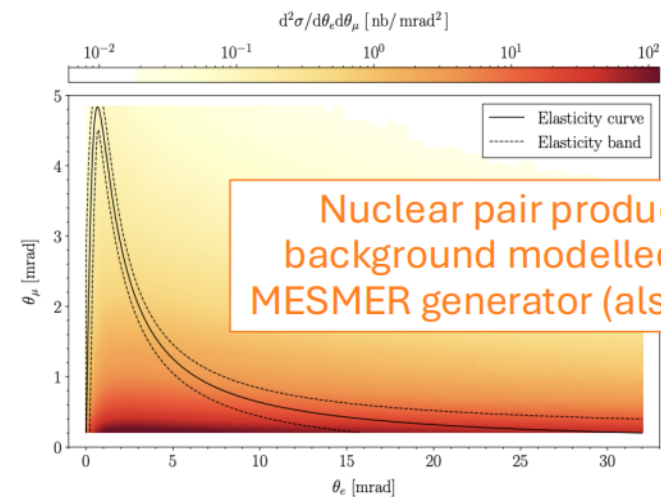


Effect of intrinsic angular resolution ( $\pm 10\%$ )

Dominant background: nuclear pair production



Multiple scattering ( $\pm 1\%$ )



Nuclear pair production background modelled using MESMER generator (also signal)