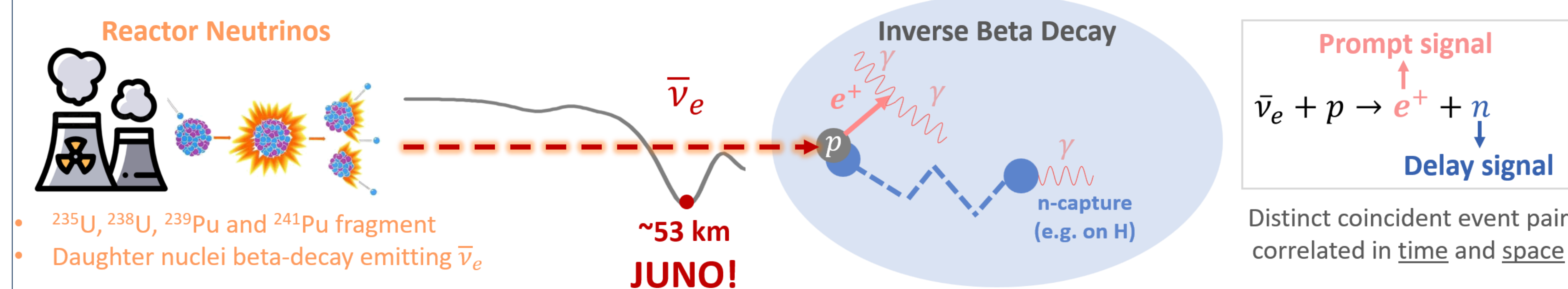


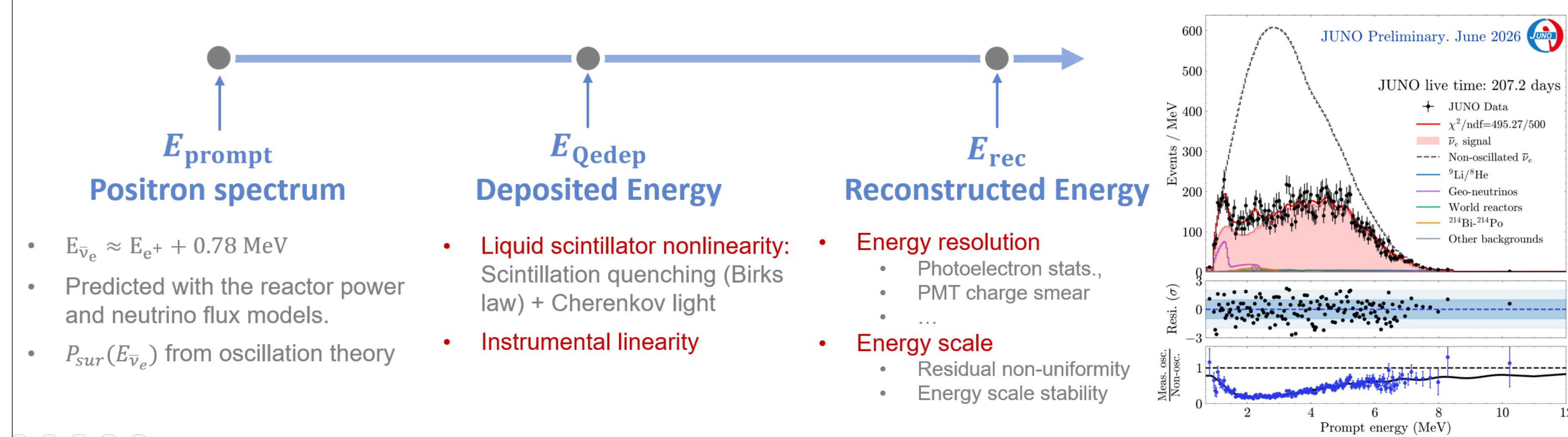


Introduction

Antineutrino Detection



What is the detector response function in JUNO?



Energy Reconstruction

- A comprehensive calibration system monitors energy nonlinearity and the energy response (see poster #248)
- Likelihood-based reconstruction **OMILREC**: A data-driven likelihood-based algorithm to fit vertex R and E_{vis} jointly from large PMT charge, and the time. (see Energy Reco. Poster #272)

Combined charge + time likelihood

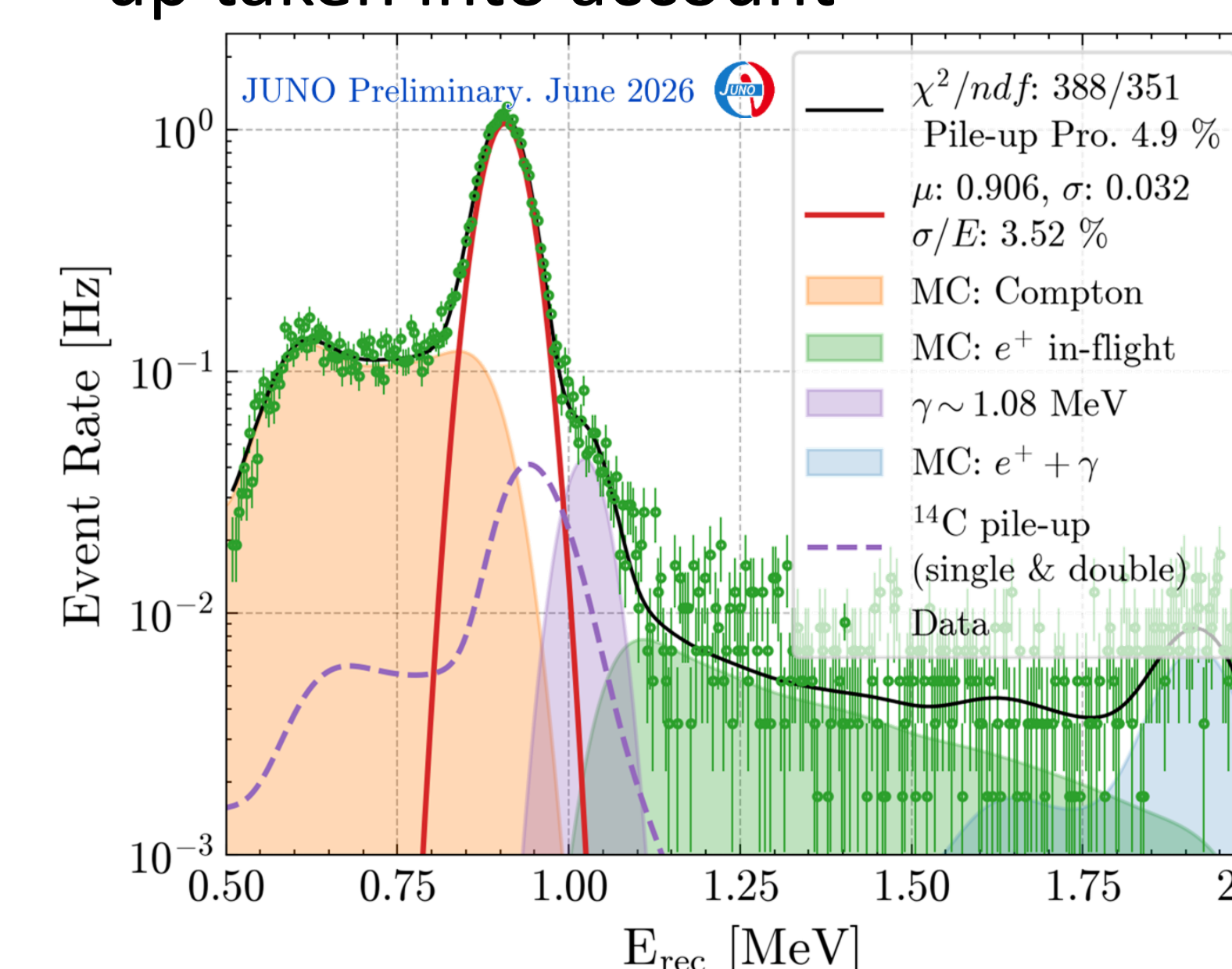
$$\mathcal{L} = \prod_{j \in \mathcal{U}} e^{-\mu_j} \prod_{i \in \mathcal{F}} \left(\sum_{k \geq 1} P_{\alpha}(q_i | k) P(k | \mu_i) \right) \prod_{i \in \mathcal{T}} P_T(t_{i,r} | r, d_i, \mu_i)$$

Expected light at PMT_i

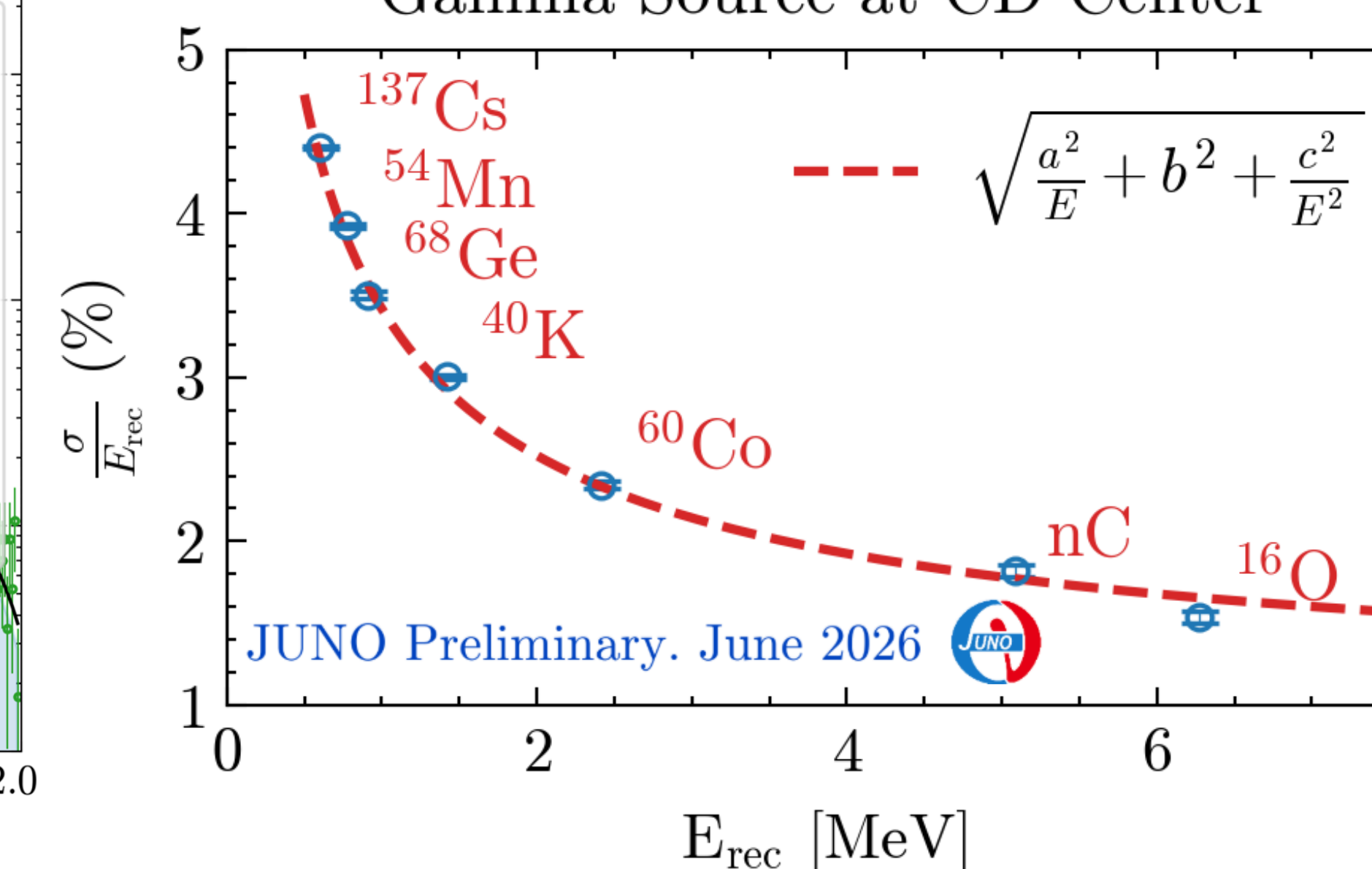
$$\mu_i(\mathbf{r}, E_{\text{vis}}) = E_{\text{vis}} \hat{\mu}_i^L(\mathbf{r}) c_i + \mu_i^D$$

- OMILREC Constructs nPE map from ACU ⁶⁸Ge (along Z axis) source and full-detector sample ²¹⁴Po**

- Energy spectra from γ sources at CD center are fit with the energy loss in the source enclosure, and ¹⁴C pile-up taken into account



Gamma Source at CD Center



The energy resolution parameters (abc model) is evaluated with gamma calibration sources

- RMS of stability $\approx 0.35\%$ \leftarrow nH capture from $\bar{\nu}_e$ and cosmogenic ⁹Li

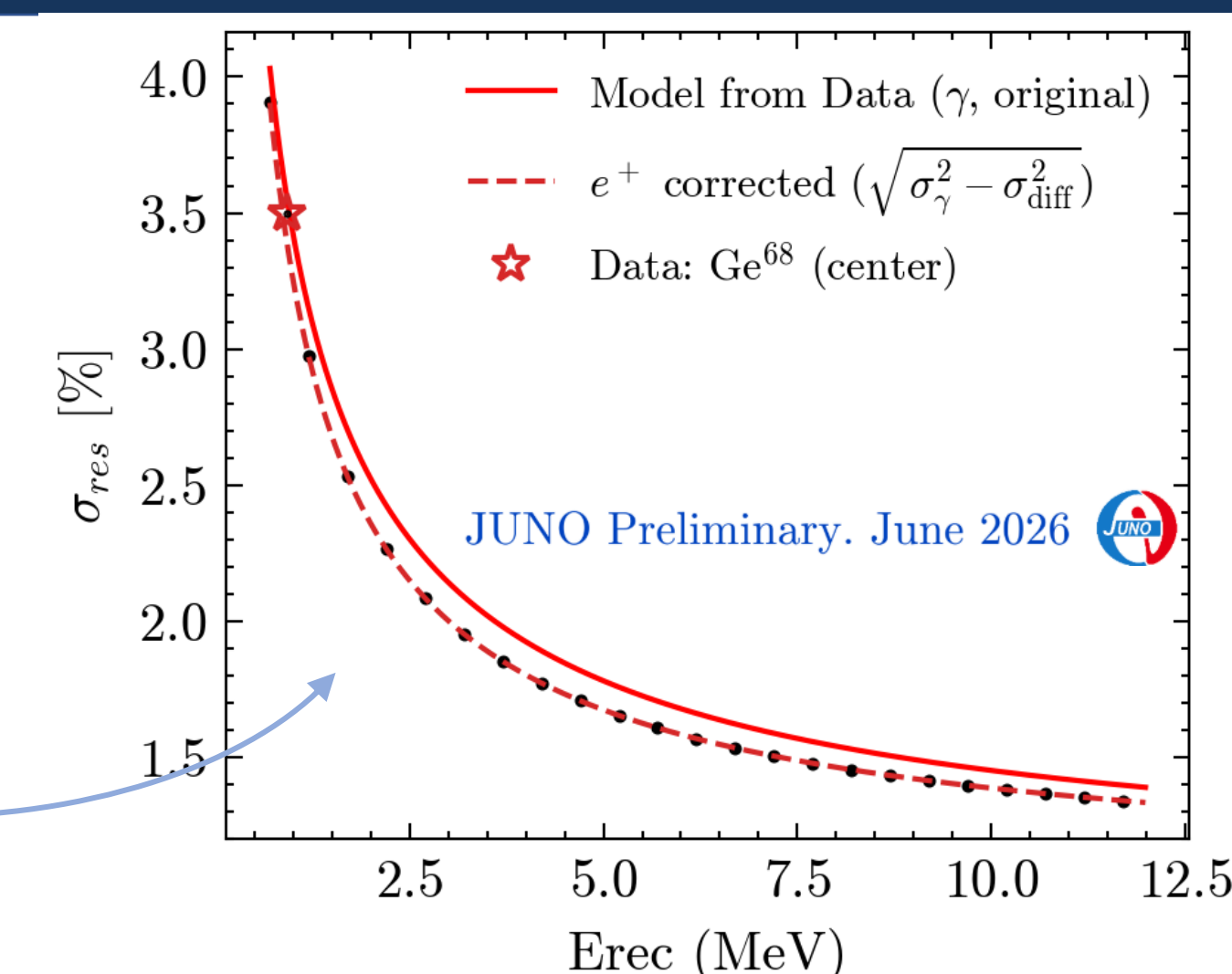
From Resolution to Oscillation Analysis

Step 1: $\gamma \rightarrow e^+$ at Detector Center

- Particle-dependent energy resolution has been studied previously through simulation and is now well understood among γ , e^- and e^+ .
- Geant4 predicted correction was applied on γ curve by

$$\sigma_{\text{diff}}^2 = \sigma_{\gamma, \text{MC}}^2 - \sigma_{e^+, \text{MC}}^2$$

$$\sigma_{e^+} = \sqrt{\sigma_{\gamma}^2 - \sigma_{\text{diff}}^2}$$



Step 2: Energy Response Matrix ($E_{\text{dep}} \rightarrow E_{\text{rec}}$) Construction

radius-dependent prediction

- Energy response matrix for each equal r^3 volumes per shell

$$R_{ji} = \int_{E_{\text{rec}, \text{low}}^{E_{\text{rec}, \text{high}}}} \mathcal{N}(E_{\text{rec}}; E_{\text{vis}, 0}(E_{\text{dep}, i}), \sigma(E_{\text{vis}, 0})) dE_{\text{rec}}$$

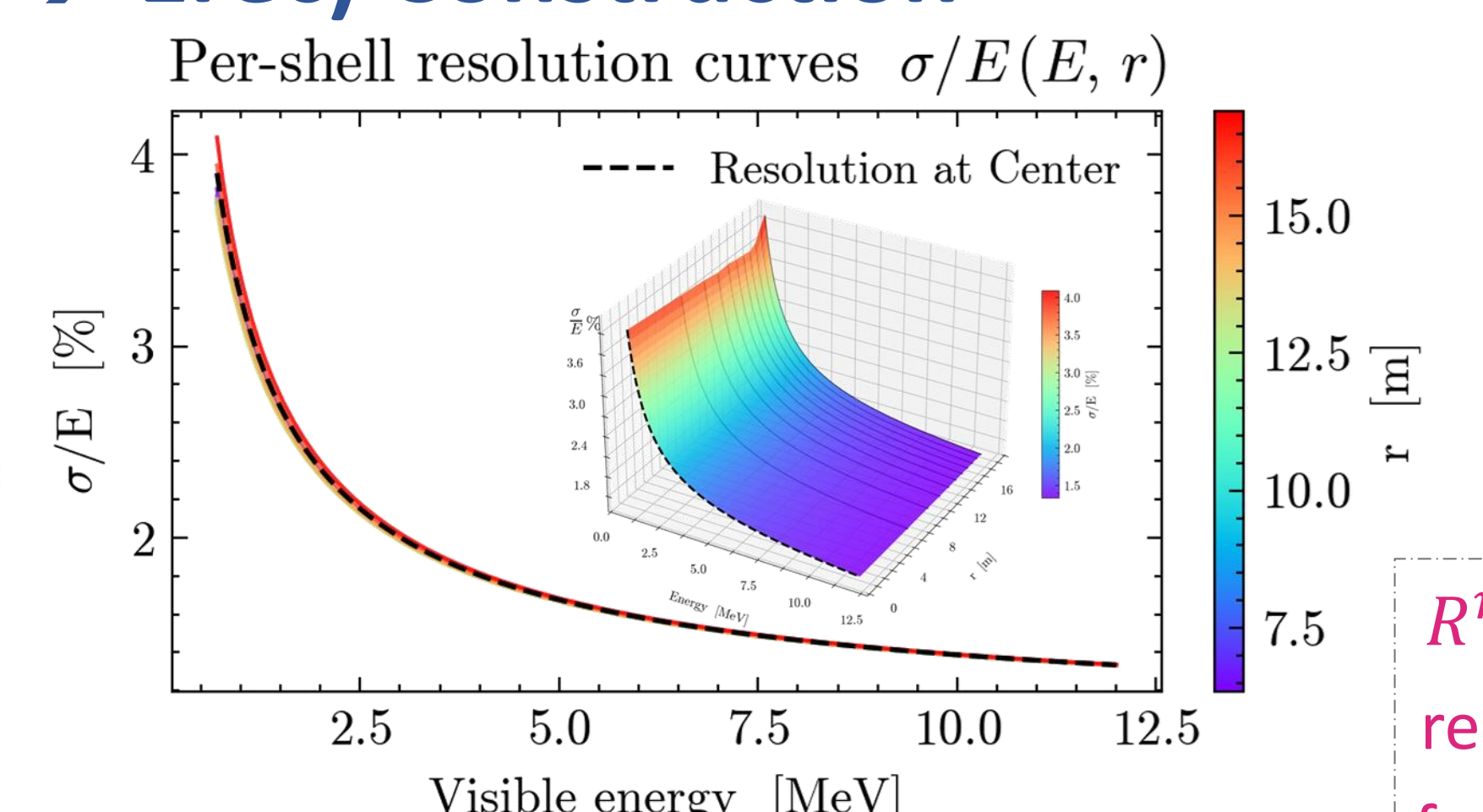
$$E_{\text{vis}, 0} = E_{\text{dep}} \cdot f_{\text{NL}}(E_{\text{dep}}) \cdot (1 + \alpha_{\text{escape}})$$

(i : E_{dep} , j : E_{rec})

Use Po214 and energy curve at center to extrapolate the 3D energy resolution map

- Add all shell by volume-weights

For uniform IBD distribution, this gives a volume-averaged detector response



model the ¹⁴C pile-up

$$R^{C14} = (1 - \varepsilon - \varepsilon^2 - \varepsilon^3)R + \varepsilon R^{1p} + \varepsilon^2 R^{2p} + \varepsilon^3 R^{3p}$$

Fold the with ¹⁴C pile-up ($\varepsilon \approx 4.7\%$ see poster #323)
Measured from JUNO periodic data and calibration data
Consider the effect until 3 pile-up

R^{np} : convolve the energy response matrix inherited from last step with the ¹⁴C pile-up spectrum

Systematic and Fit strategy

- The uncertainty of response-related parameters are introduced by covariance matrix obtained by toy MC

$$V_{ij}^{\text{resp}} = \frac{1}{M-1} \sum_{m=1}^M (N_i^{(m)} - \bar{N}_i) (N_j^{(m)} - \bar{N}_j)$$

$$\theta = \{a, b, c, \varepsilon, \alpha_{\text{escape}}, \alpha_{\text{NL}}^{(0)}, \alpha_{\text{NL}}^{(1)}, \alpha_{\text{NL}}^{(2)}, \alpha_{\text{NL}}^{(3)}\} \quad \chi_{\text{CNP}}^2 = \Delta \mathbf{N}^T (V^{\text{stat}} + V^{\text{resp}})^{-1} \Delta \mathbf{N}$$

This method is adopted by JUNO's latest results