



Understanding the Performance Gains of a Full-Event $HH \rightarrow 4b$ Search

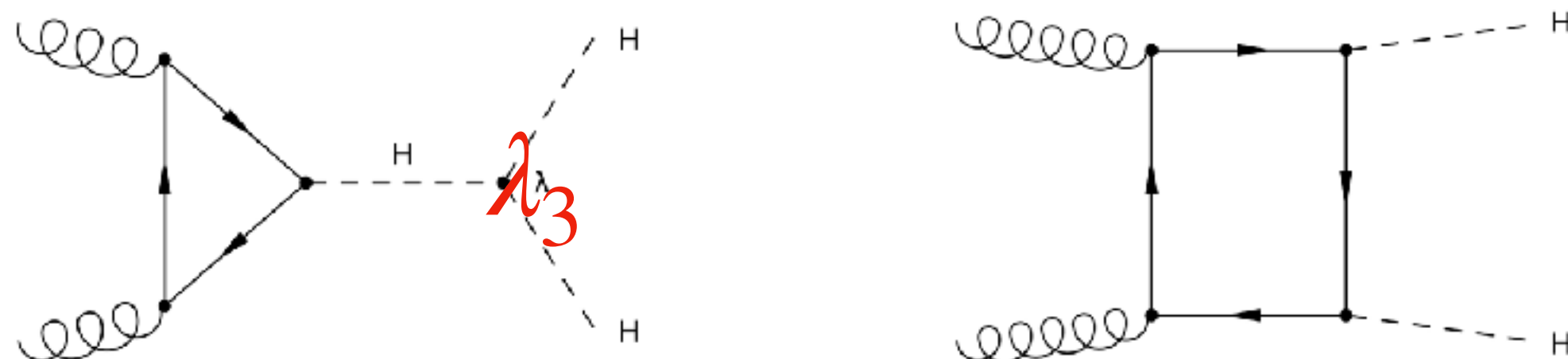
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Step 14, 2026

Motivation

Higgs discovered in 2012 – self-interaction still unexplored

$$V(h) = V_0 + \frac{1}{2} \underbrace{m_h^2}_{\text{Higgs mass}} h^2 + \underbrace{\kappa_\lambda \lambda_3^{SM}}_{\text{HH production, } \kappa_\lambda = \lambda_3 / \lambda_3^{SM}} h^3 + \frac{\lambda_4^{SM}}{4} h^4 \quad \text{HHH production}$$



$$\sigma(ggHH) = \sigma_{SM}(A\kappa_\lambda^2 + B\kappa_\lambda + C)$$

HH production probes the Higgs self-coupling

Current LHC Sensitivity

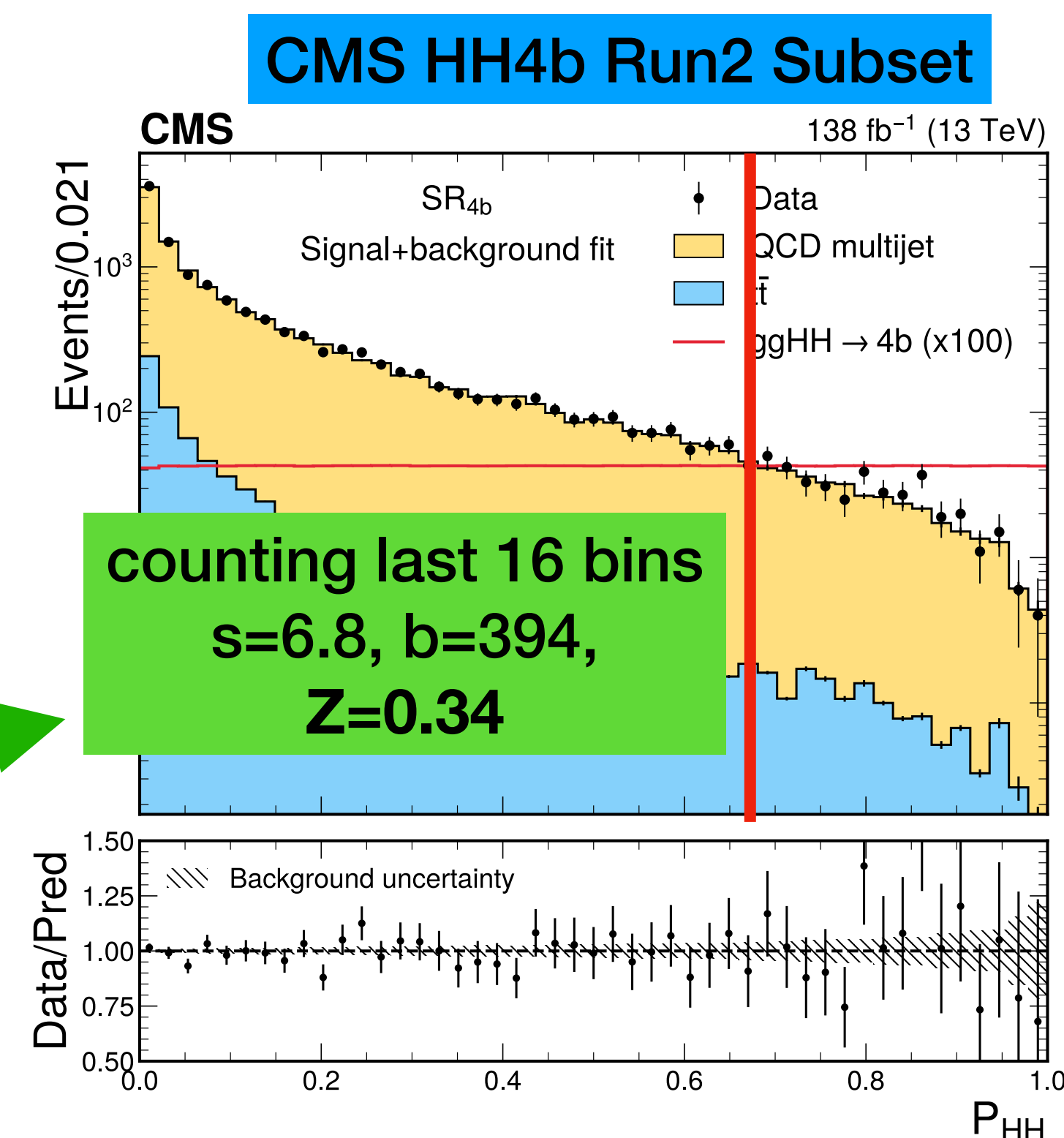
Run2 ATLAS and CMS HH Search Combination ([arXiv:2602.23991](https://arxiv.org/abs/2602.23991)):

- Observed significance: 1.1σ
- 95% CL: $-0.71 < \kappa\lambda < 6.1$

CMS HH → 4b Analysis ([arXiv:2604.27044](https://arxiv.org/abs/2604.27044)):

- Run2 subset: simple event-counting estimate gives $Z \approx 0.34$

Current HH→4b sensitivity remains limited
Can more powerful ML methods do better?



Full-Event HH→4b Search

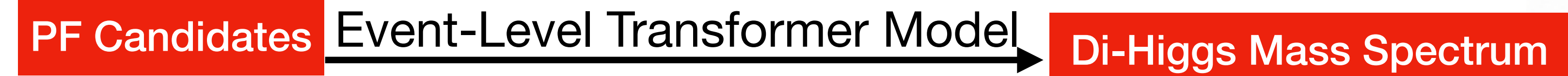
ML4Jets 2025: A new phenomenological projection for HH→4b using an event-level Transformer (Yang & Li (PKU); [Indico](#); [arxiv: 2508.15048](#)):

Conventional approach:



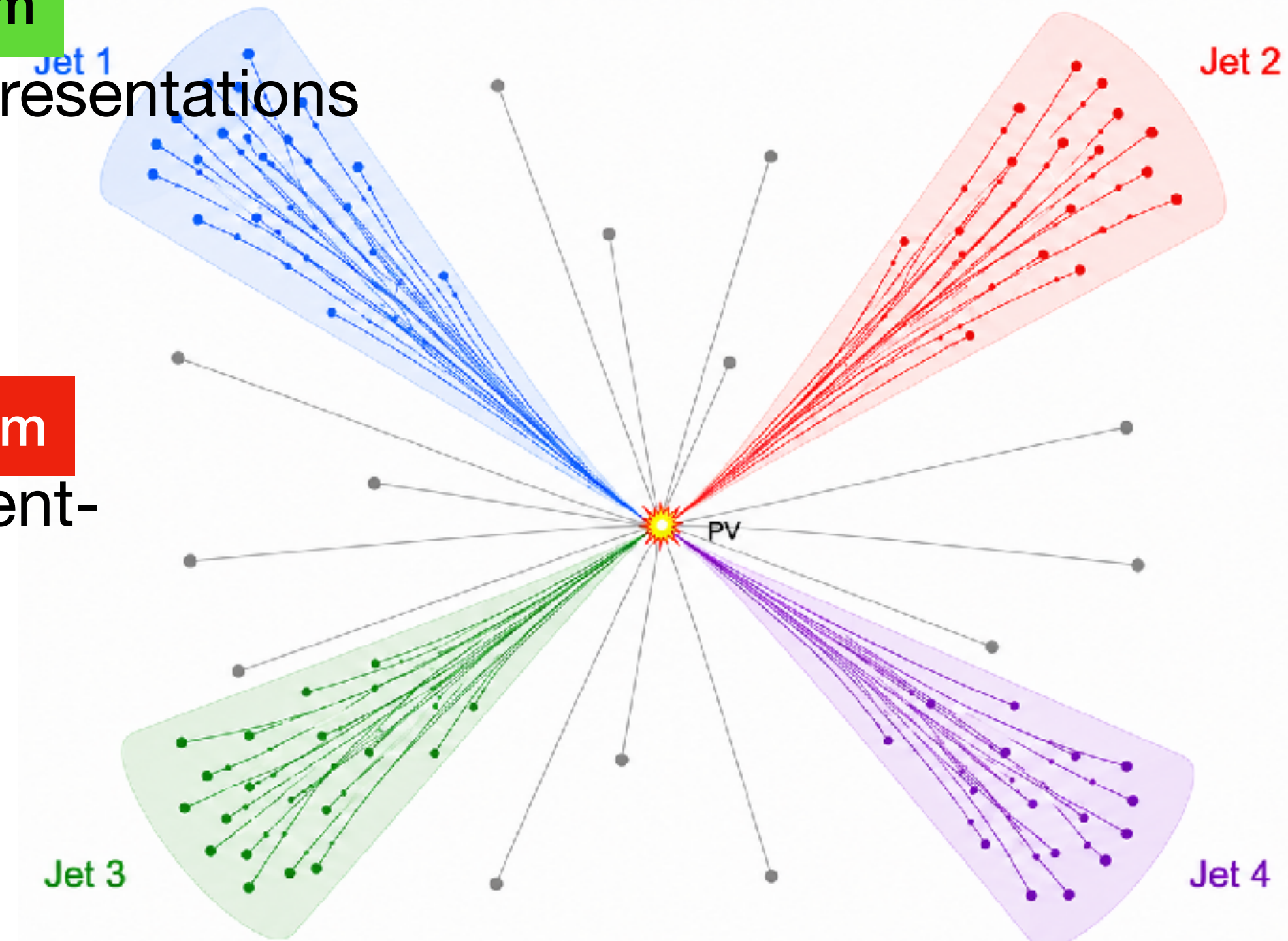
Drawback: particle-level information is compressed into jet-level representations

New approach:



Advantage: retains particle-level information and directly models event-wide correlations, achieves O(10) background suppression.

450 fb⁻¹ projection: 2.8σ, $-0.81 < \kappa\lambda < 8.7$



The gain is striking — but where does it come from? → Let's disentangle it step by step

Analysis Setup

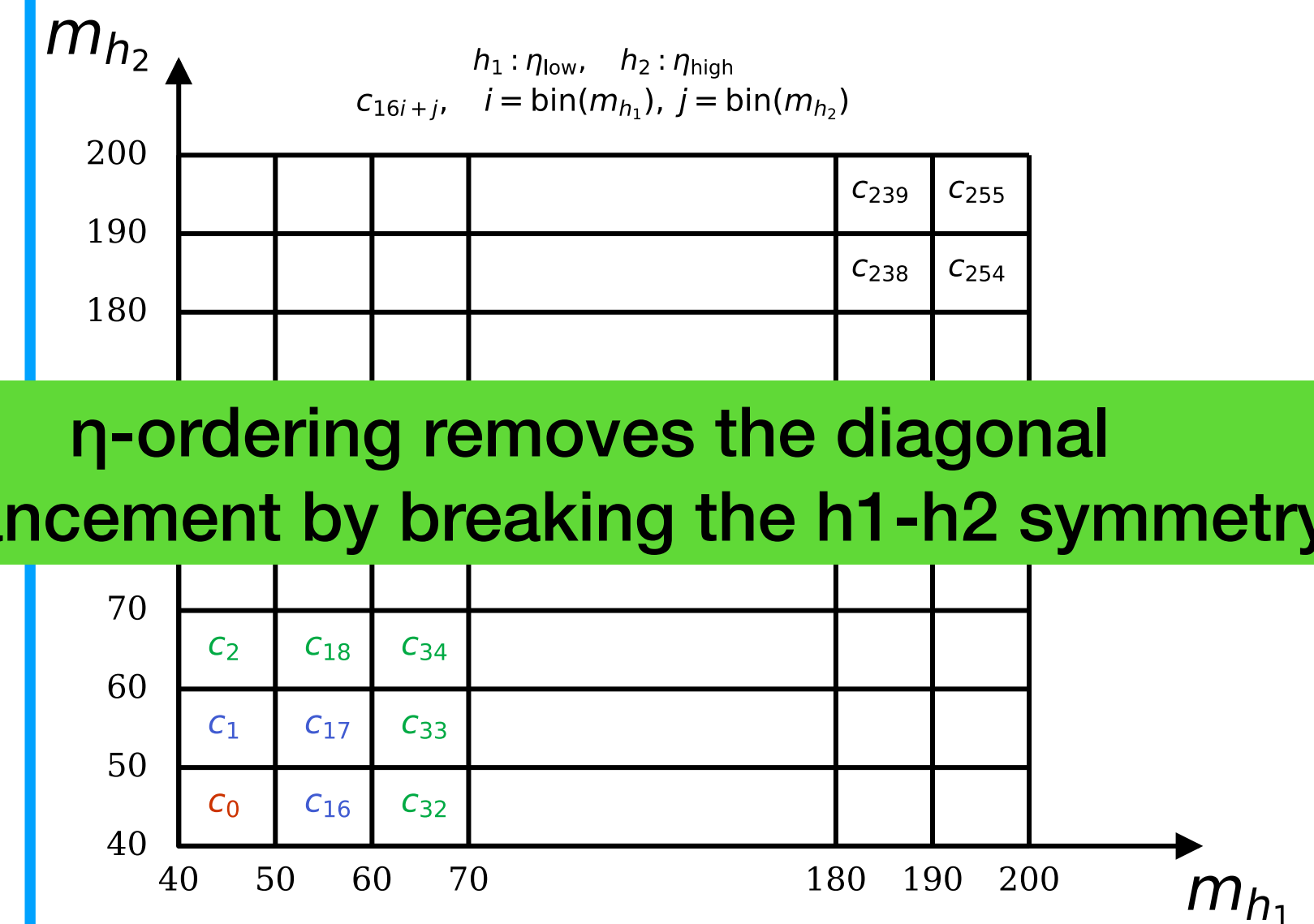
Training:

- Dataset: $X \rightarrow Y_1 Y_2 \rightarrow 4b$ (Signal Proxy, 50M), QCD(50M) and $T\bar{T}$ bar
- Model: Transformer (~9M parameters)
- Class: 256 signal score + QCD score + $t\bar{t}$ score
- Input Variables:
 - PF features: kinematics, particle ID, and track variables
 - PF four-vectors to build pairwise features:
Inkt, Inz, In ΔR , Inm2, Inds2, $\cos\theta$, Δy , $\Delta\phi$

Score Usage:

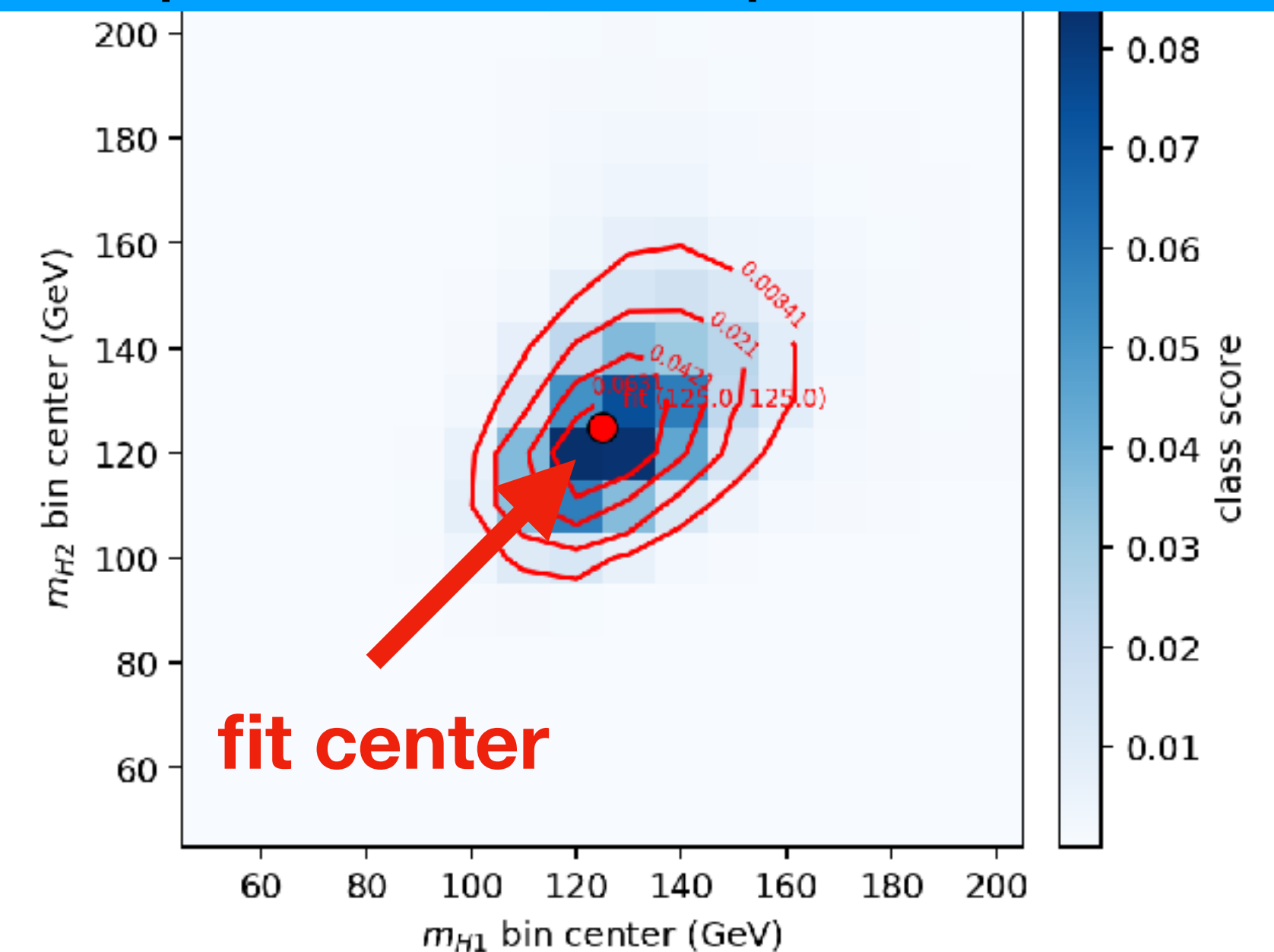
- Event selection: cut on Disc =
$$\frac{\sum_{i=1}^{256} S_i}{\sum_{i=1}^{256} S_i + QCD + t\bar{t}}$$
- Mass reconstruction: fit the 256 signal scores with a 2D Gaussian
- Results: 1-bin counting with S and B yields in the signal region.

Signal-class definition in (m_{h1} , m_{h2})



η -ordering removes the diagonal enhancement by breaking the $h1$ - $h2$ symmetry

Example event: score map + 2D Gaussian fit



Projected Sensitivity of the Full-Event Model

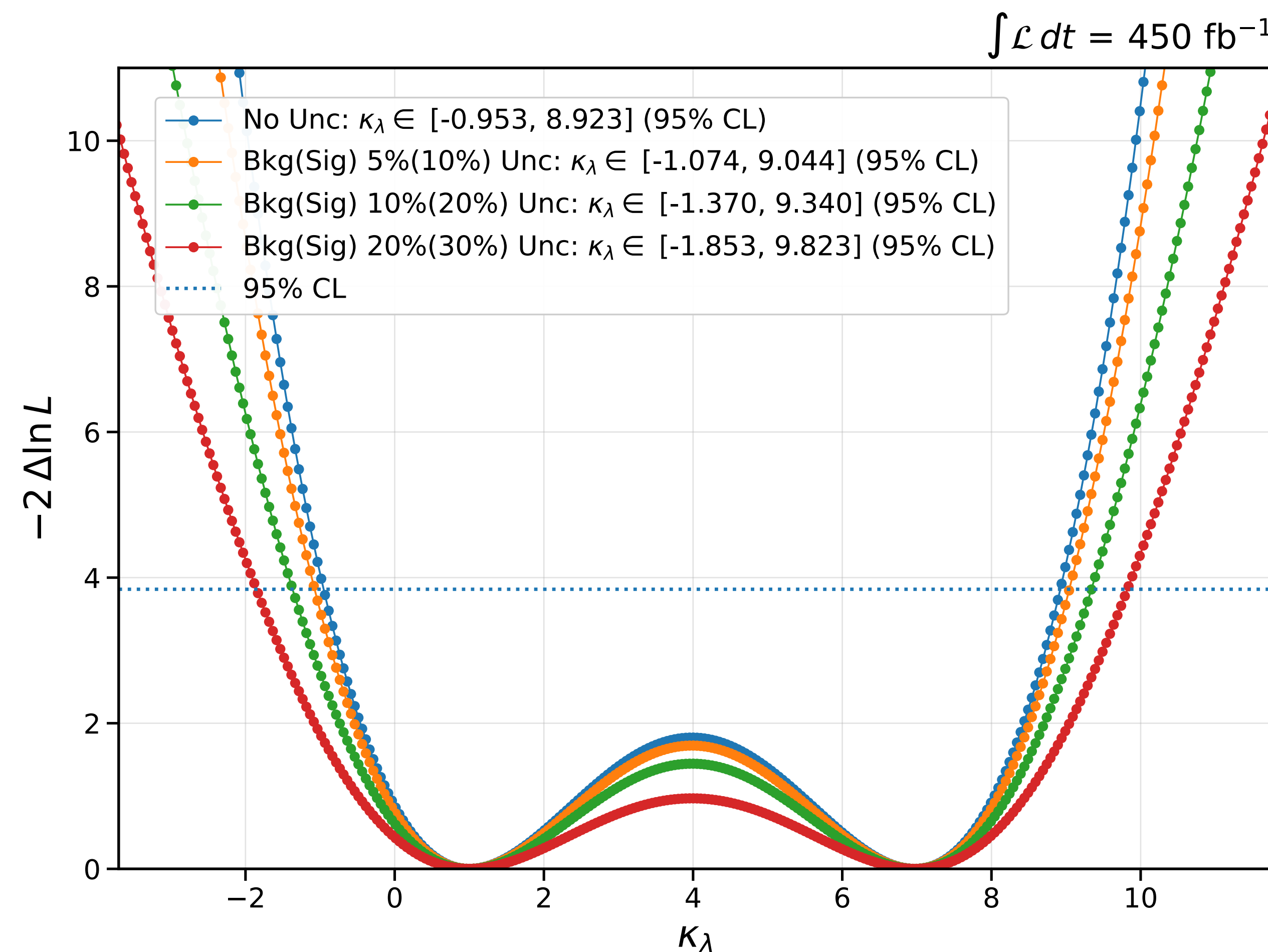
Working point: $D > 0.9998760252$

Backgrounds: QCD + top/electroweak/Higgs backgrounds.

$$Z_A = \sqrt{2 \left[(s+b) \ln \left(\frac{(s+b)(b+\sigma_b^2)}{b^2 + (s+b)\sigma_b^2} \right) - \frac{b^2}{\sigma_b^2} \ln \left(1 + \frac{\sigma_b^2 s}{b(b+\sigma_b^2)} \right) \right]}$$

Process	Expected Yield
ggHH, $\kappa_\lambda = 0$	19.728
ggHH, $\kappa_\lambda = 1$ (SM)	13.818
ggHH, $\kappa_\lambda = 5$	5.797
qqHH	0.0713
QCD	24.169
Total Background	25.579

Background Uncertainty	Asimov Significance
0%	2.5414σ
10%	2.2307σ
20%	1.7182σ



The ML2025 sensitivity was partly enhanced by an unphysical diagonal feature; removing it in the 256-class model gives slightly lower but more reliable sensitivity

Understanding Performance Gains of a Full-Event HH→4b

Progressive Ablation From the Full Model

Question: Where does the performance gain of the full-event approach come from?

Strategy: Start from the full model and progressively remove information or modeling capability, while keeping the same training and evaluation framework

Step	Model / Representation	What it isolates
Reference	Full-event PF — Large / 100M	Full-model performance
Step 1	Full-event PF — Small / 10M	Training scale
Step 2	In-Jet PF	PF candidates outside reconstructed jets
Step 3	Trainable Jet Embedding	Cross-jet PF correlations
Step 4	Frozen Jet Embedding	HH→4b-specific in-jet optimization
Step 5	Jet features	Conventional jet-level baseline / validation against CMS Latest HH4b Results arXiv:2604.27044

Each step isolates a different source of performance gain

Understanding Performance Gains of a Full-Event $HH \rightarrow 4b$

Step 1: How Much Does Training Scale Matter?

Reduced Training:

- Goal: separate the gain from training scale from the gain due to the input representation, using a training scale closer to typical analyses ($O(10M)$ events)

Changes from the full size model:

- Training samples: 100M $\rightarrow$ 10M events
- Model parameters: $\sim 9M$ (Large) $\rightarrow$ $\sim 1M$ parameters (Small)

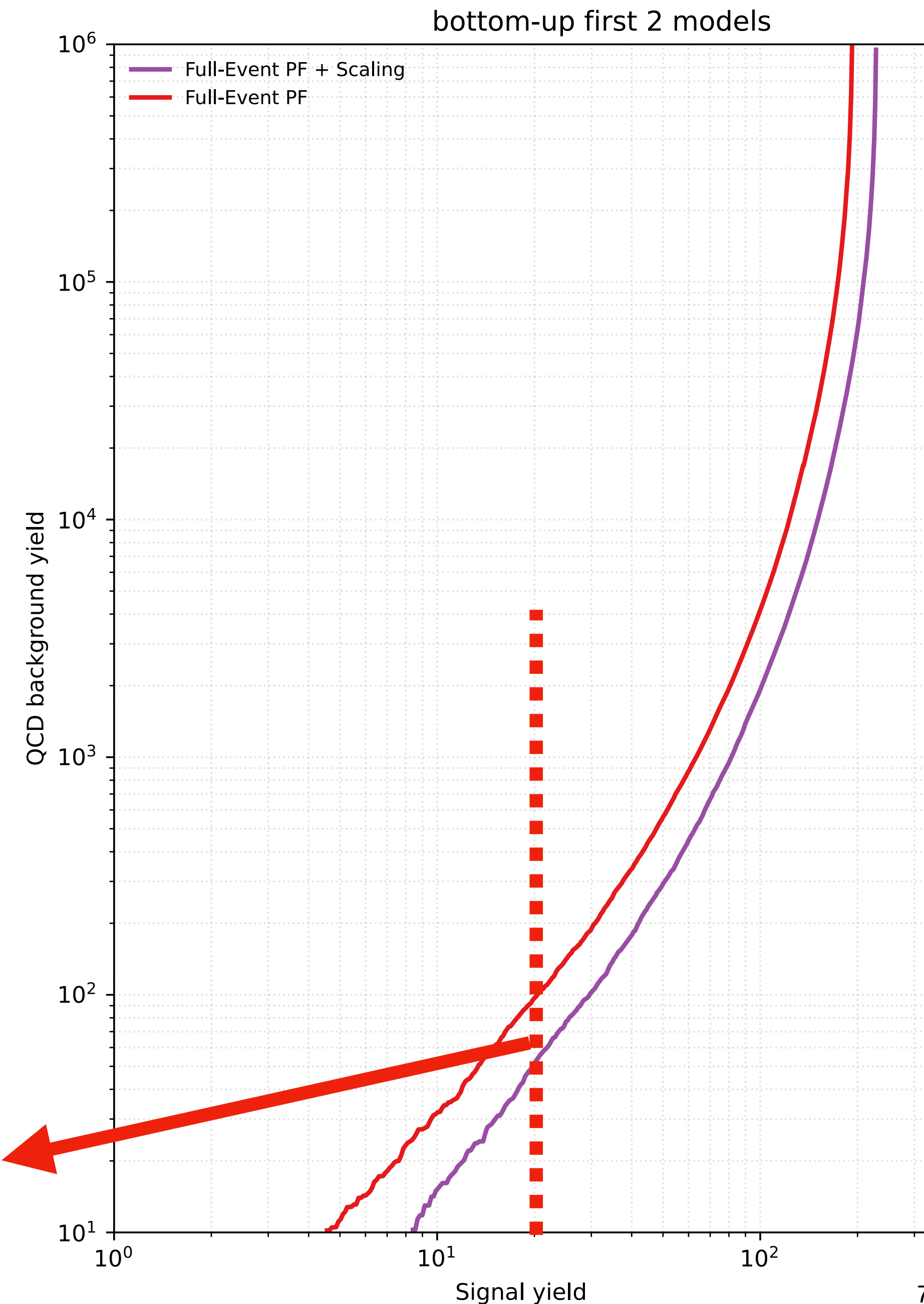
Model	Transformer	Particle embedding	Pairwise embedding	FC head
Large	8 layers $\times$ 16 heads	256 $\rightarrow$ 1024 $\rightarrow$ 256	64 $\rightarrow$ 64 $\rightarrow$ 64	1024
Small	6 layers $\times$ 8 heads	96 $\rightarrow$ 384 $\rightarrow$ 96	32 $\rightarrow$ 32 $\rightarrow$ 32	256

Full-Event PF candidates
(10M training events)



Small event-level Transformer

$\sim 2\times$ stronger background rejection from the larger training scale



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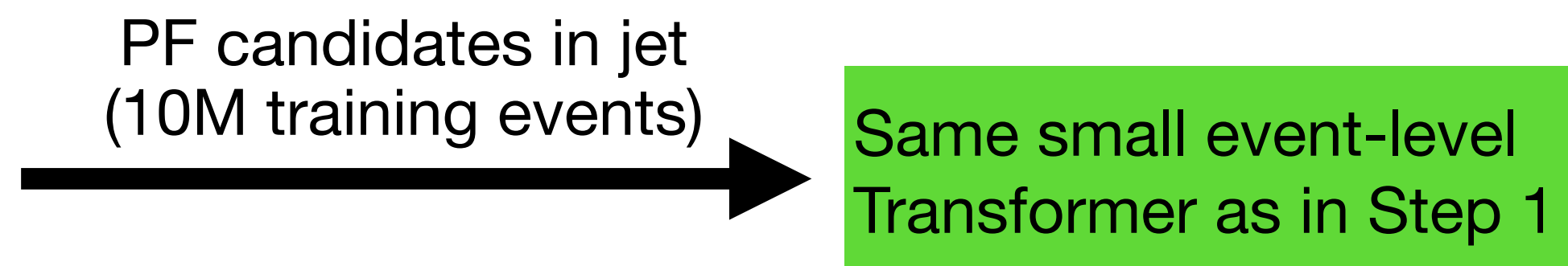
Step 2: What Do PF Candidates Outside Jets Add?

Restricting PF Candidates to Reconstructed Jets

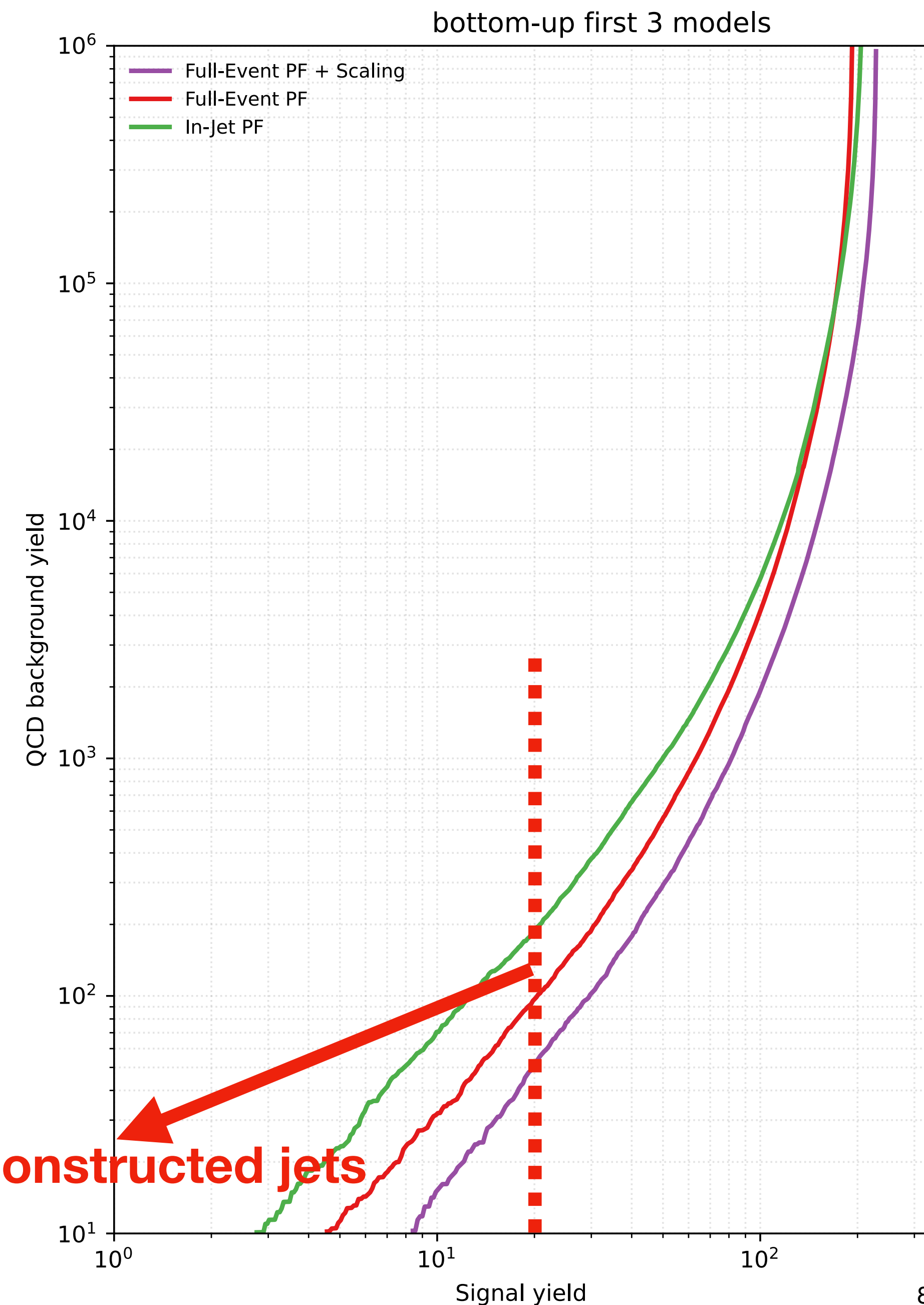
- Goal: quantify the contribution from PF candidates outside the selected reconstructed jets

Change from Step 1:

- Full-event PF $\rightarrow$ PF candidates inside jets



~2x stronger background rejection from PF candidates outside reconstructed jets



Understanding Performance Gains of a Full-Event $HH \rightarrow 4b$

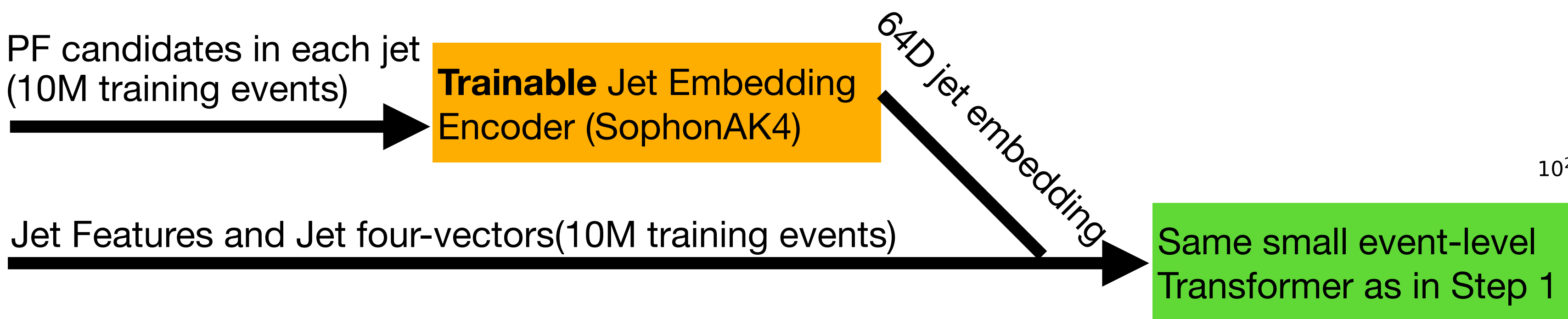
Step 3: How Much Do Cross-Jet PF Correlations Help?

Per-Jet PF Encoding: Removing Direct Cross-Jet PF Correlations

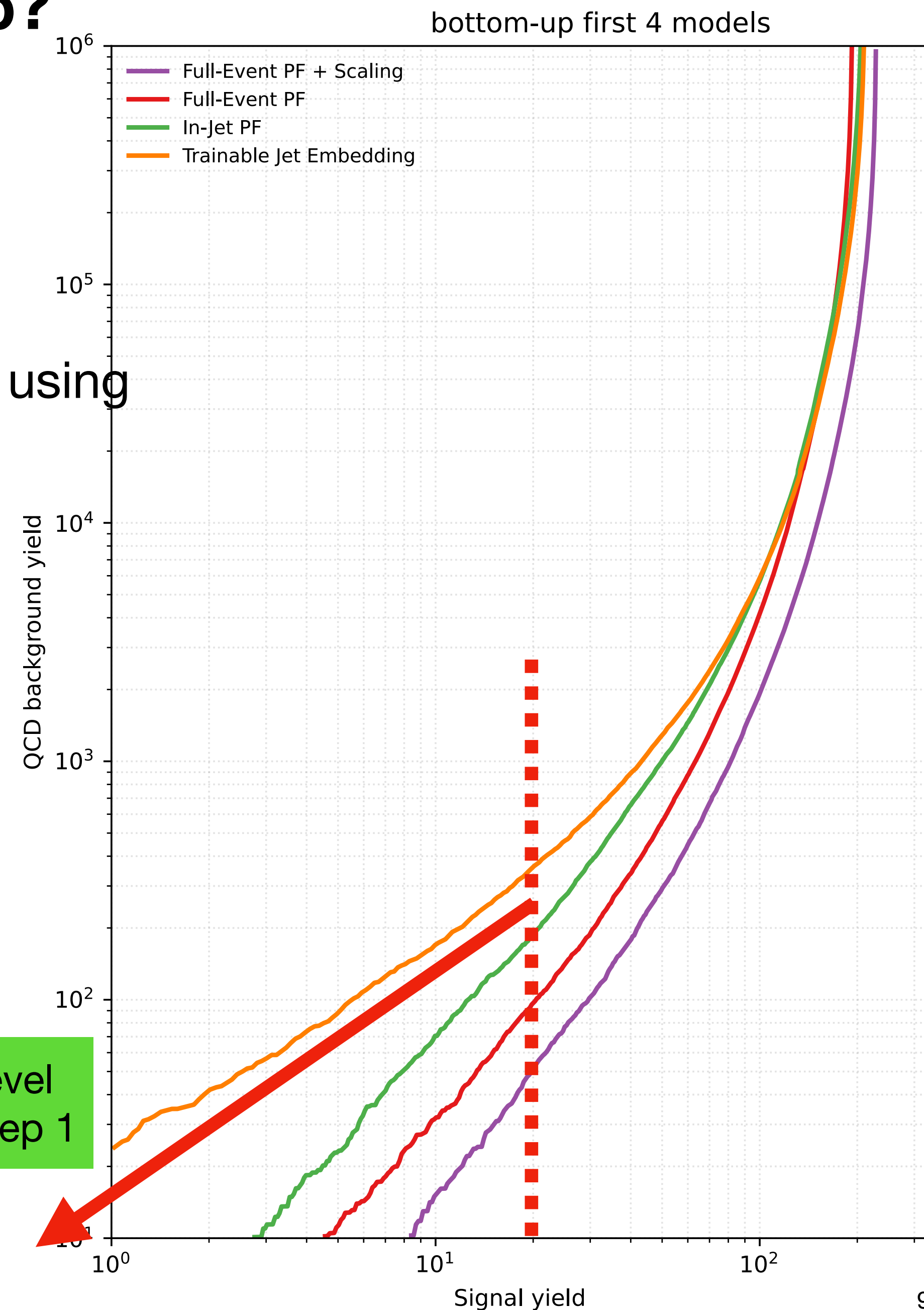
- **Goal:** quantify the gain from directly modeling pairwise correlations between PF candidates across different jets.

Training Setup:

- Extract a 64D learned embedding from PF candidates inside each jet using a pretrained and Trainable jet model (SophonAK4 tagger) as encoder
- Input Variables:
 - Jet Features: kinematics, jet tagger scores (B,QCD)
 - Jet embedding: 64D output from the jet encoder
 - Jet four-vectors to build 8D pairwise features
- Size: 10M Training samples and 1M parameters Model



~2× stronger background rejection from cross-jet PF correlations



Understanding Performance Gains of a Full-Event $HH \rightarrow 4b$

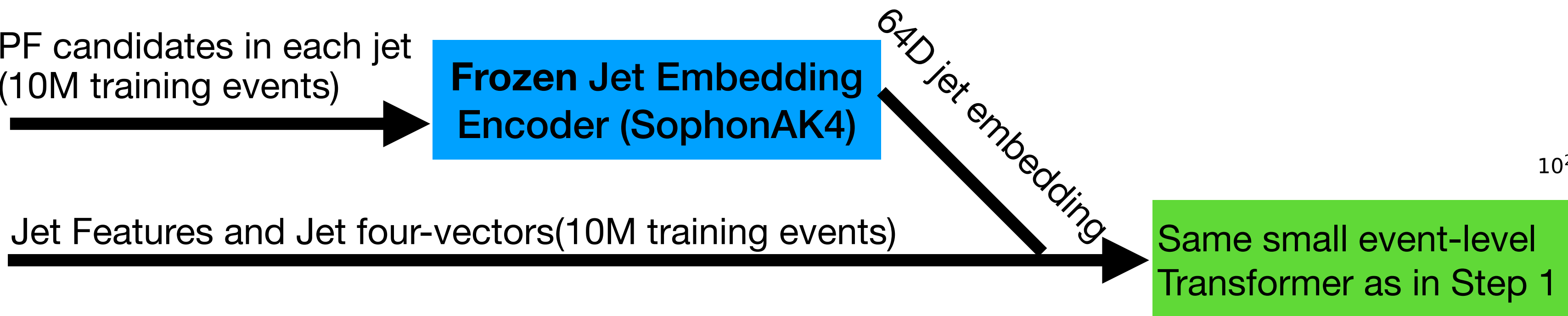
Step 4: How Much Does $HH \rightarrow 4b$ -Specific In-Jet Optimization Help?

Frozen Jet Embedding: Removing $HH \rightarrow 4b$ -Specific Optimization

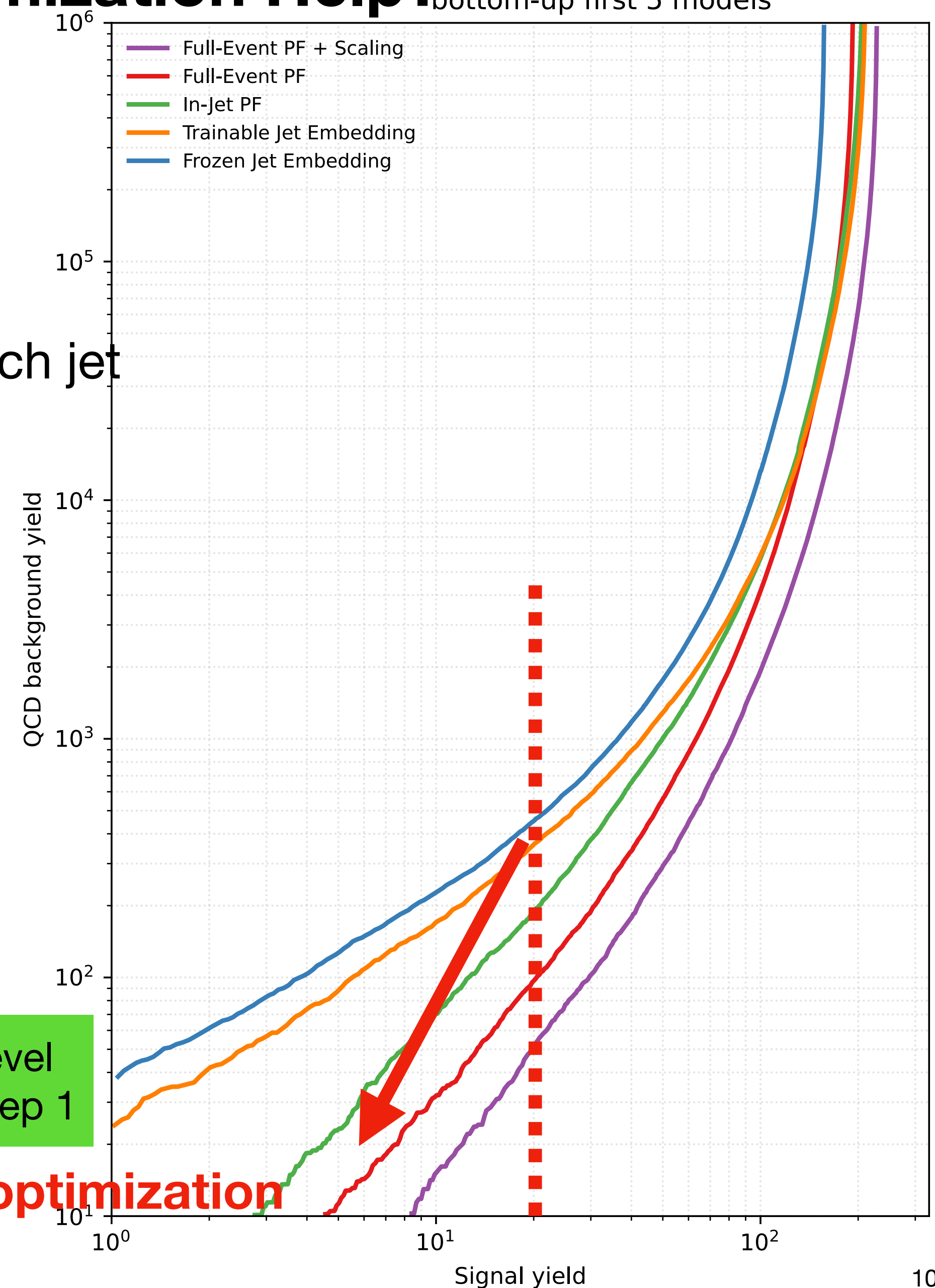
- **Goal:** isolate the gain from $HH \rightarrow 4b$ -specific optimization within each jet

Change from Step3:

- SophonAK4 encoder: Trainable $\rightarrow$ Frozen



$\sim 1.25\times$ stronger background rejection from $HH \rightarrow 4b$ -specific in-jet optimization



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Step 5: Can We Reproduce the CMS Jet-Level Baseline?

Jet-Level Baseline Validation and Benchmark

- **Goal:** validate our training framework by reproducing the performance of the CMS jet-level $HH4b$ analysis, and then quantify the improvement from a richer jet-level representation over conventional jet features.

Changes from step4:

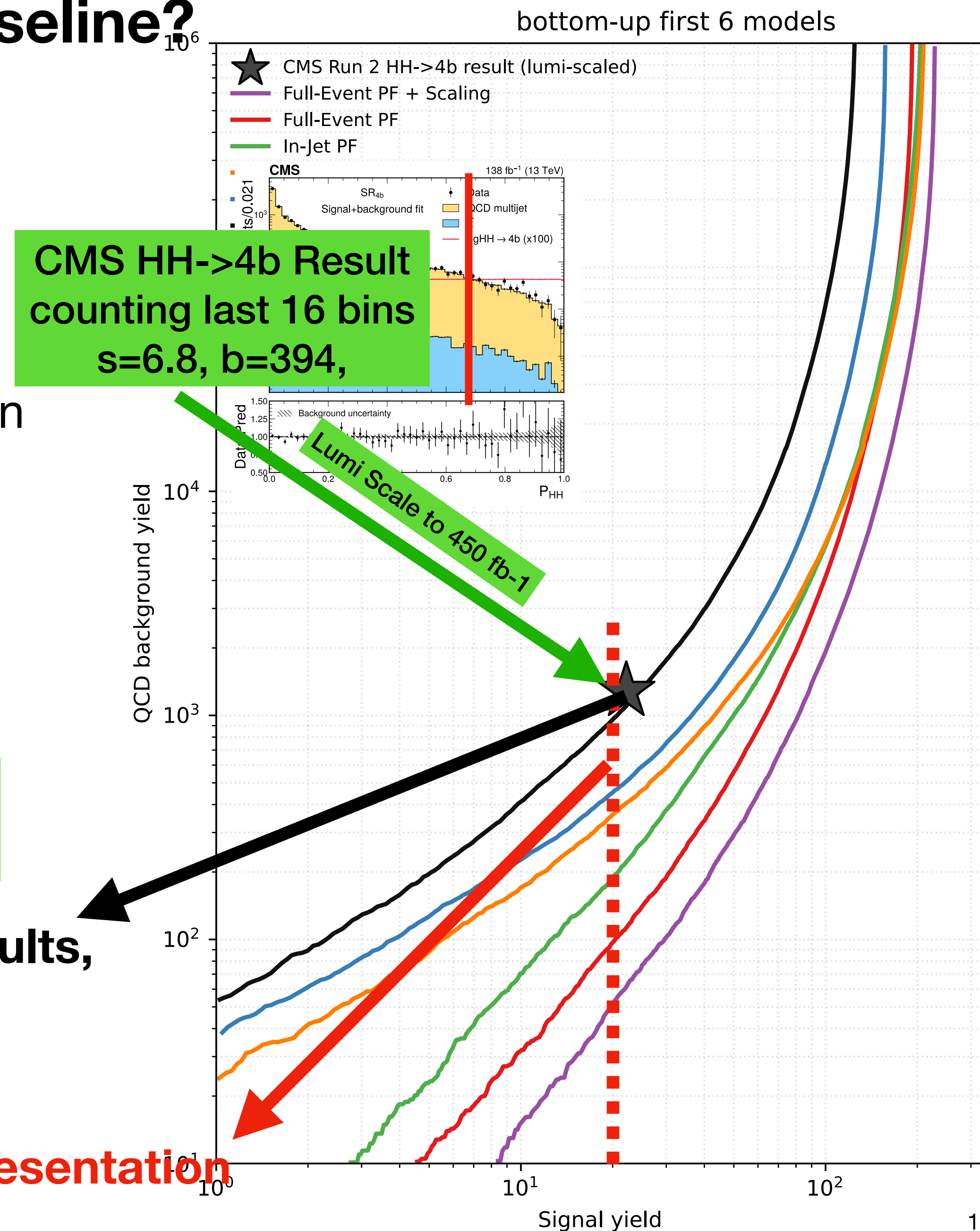
- Remove Jet embedding Encoder
- Keep jet tagger score in jet feature

Jet Features and Jet four-vectors(10M training events)

Same small event-level Transformer as in Step 1

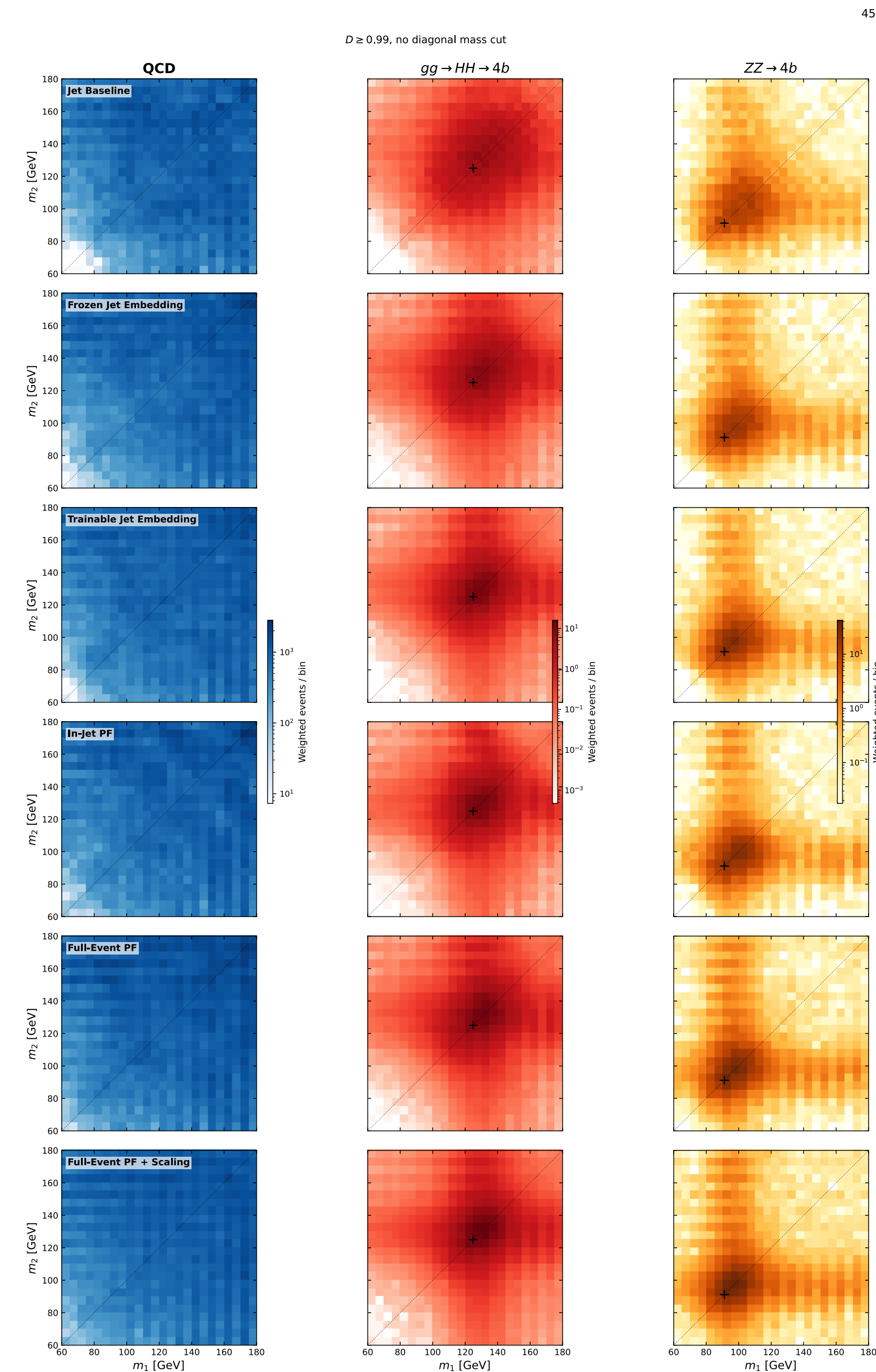
The conventional jet baseline reproduces CMS $HH4b$ results, validating our training framework

~2× stronger background rejection from a richer jet-level representation



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Mass Plot Evolution Across the Ablation Steps

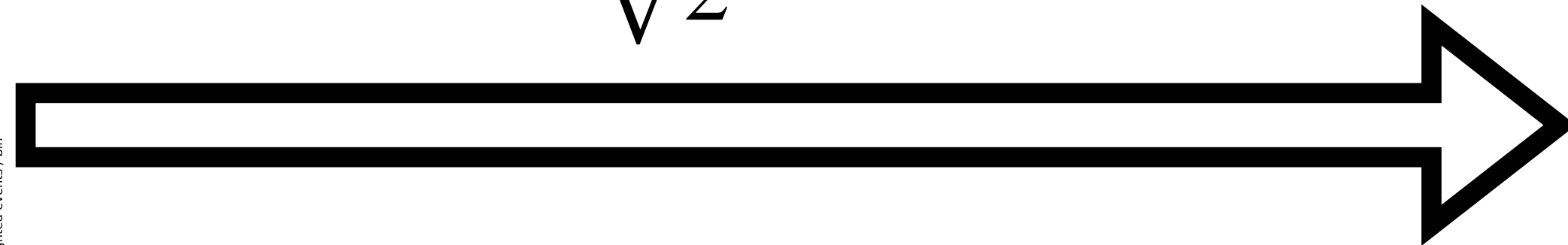


Common working point: $D > 0.99$

Left: 2D mass distributions in (m_1 , m_2)

Right: diagonal projection, $m_{\text{avg}} = \frac{m_1 + m_2}{2}$

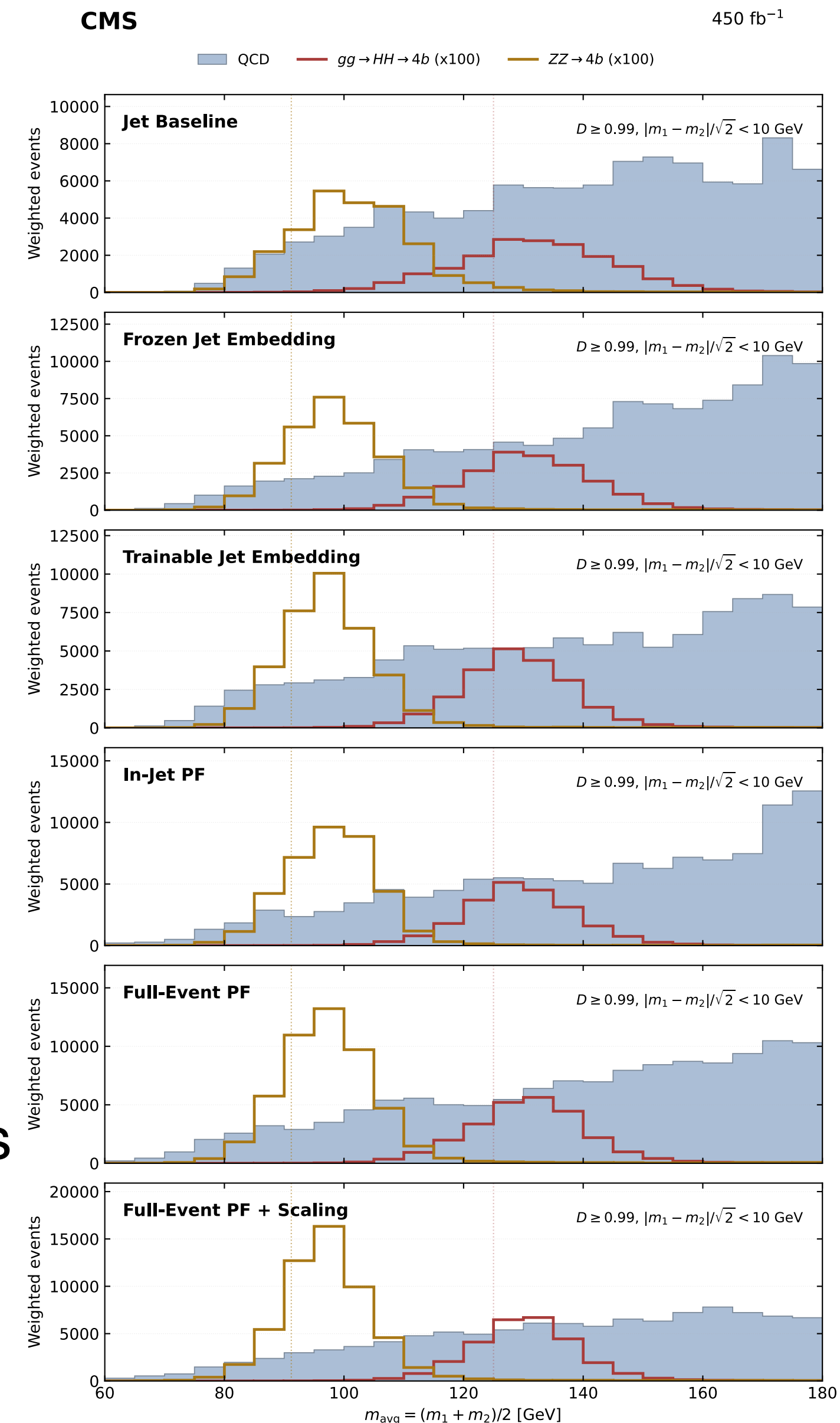
Selection: $\frac{|m_1 - m_2|}{\sqrt{2}} < 10 \text{ GeV}$



Step-by-step improvements:

- Smoother QCD mass distributions
- Narrower and more pronounced signal peaks

**Step by step, better mass resolution,
better QCD suppression**



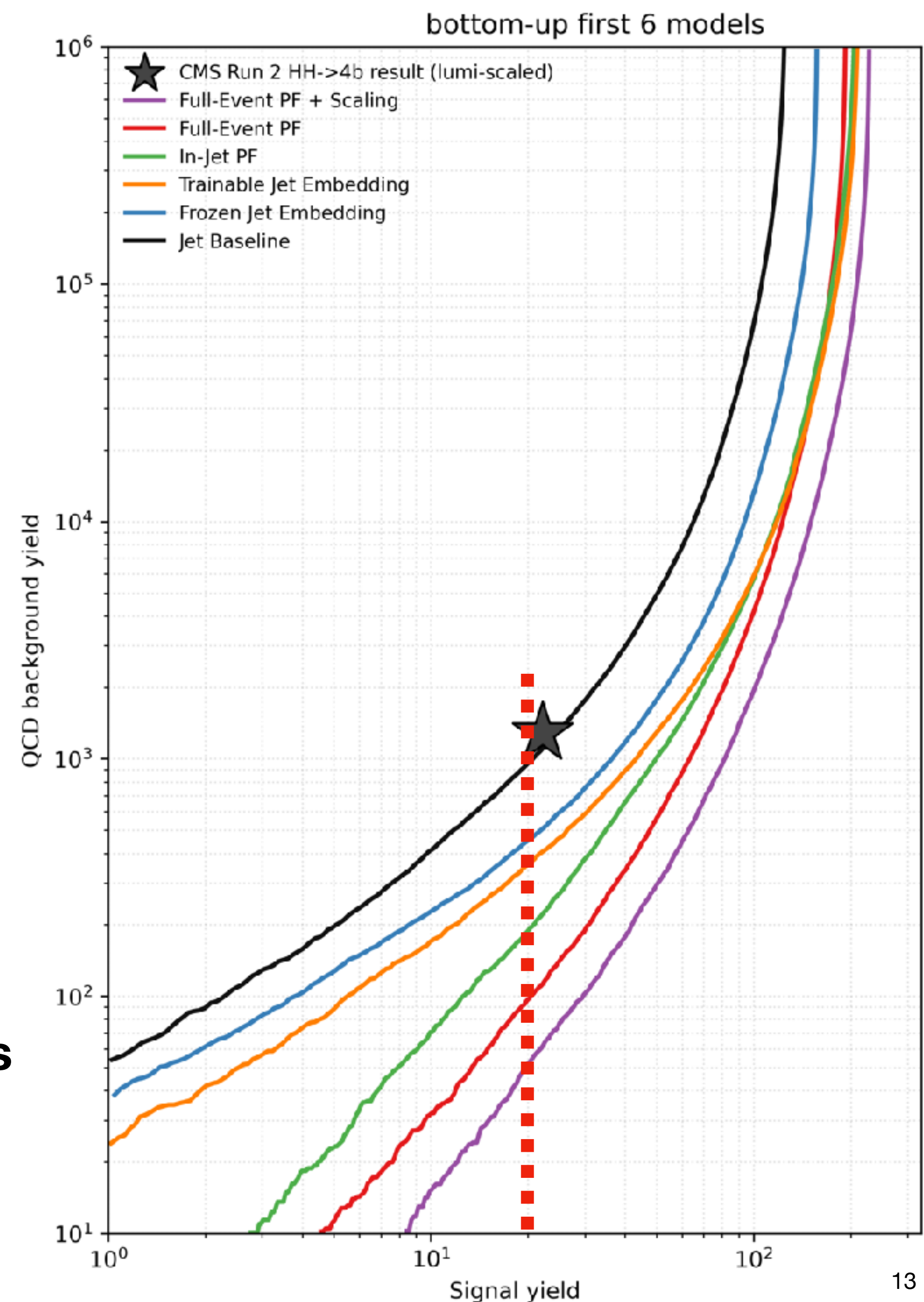
Summary

Full-event particle-level modeling

- Full-event particle-level modeling preserves more information and captures event-wide correlations

Model	Source of Gain	Rejection Gain
Full-Event PF + Scaling	Training scale	~2×
Full-Event PF	PF candidates outside reconstructed jets	~2×
In-Jet PF	Cross-jet PF correlations	~2×
Trainable Jet Embedding	HH→4b-specific in-jet optimization	~1.25×
Frozen Jet Embedding	Richer jet-level representation	~2×
Jet Baseline	Conventional jet-level baseline / validation against CMS Latest HH4b Results arXiv:2604.27044	Reference

~20× stronger QCD background rejection at ~20 signal events

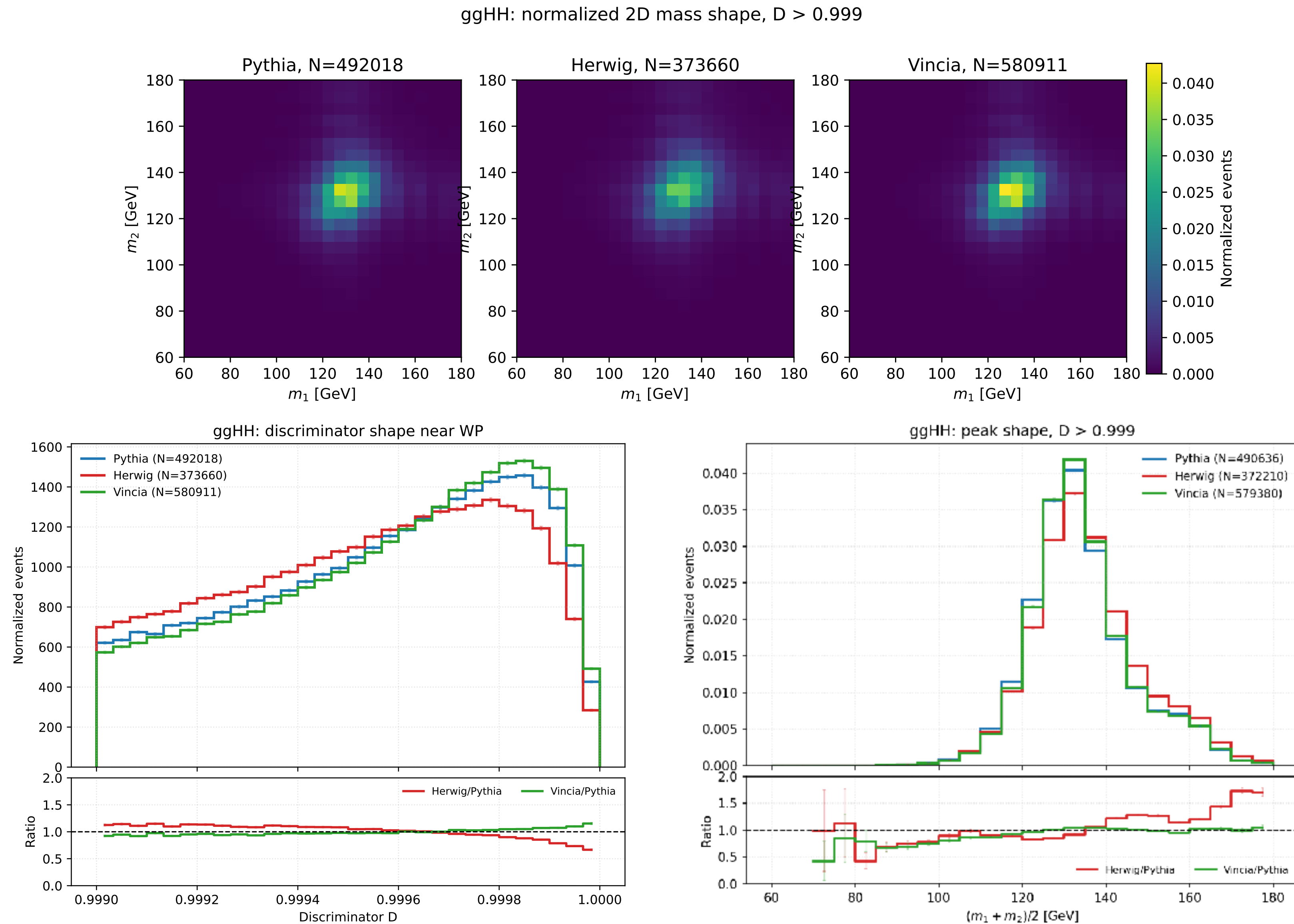


THANK YOU

Back up

Generator Dependence

How sensitive is the model to generator/shower modeling?



Training Sample

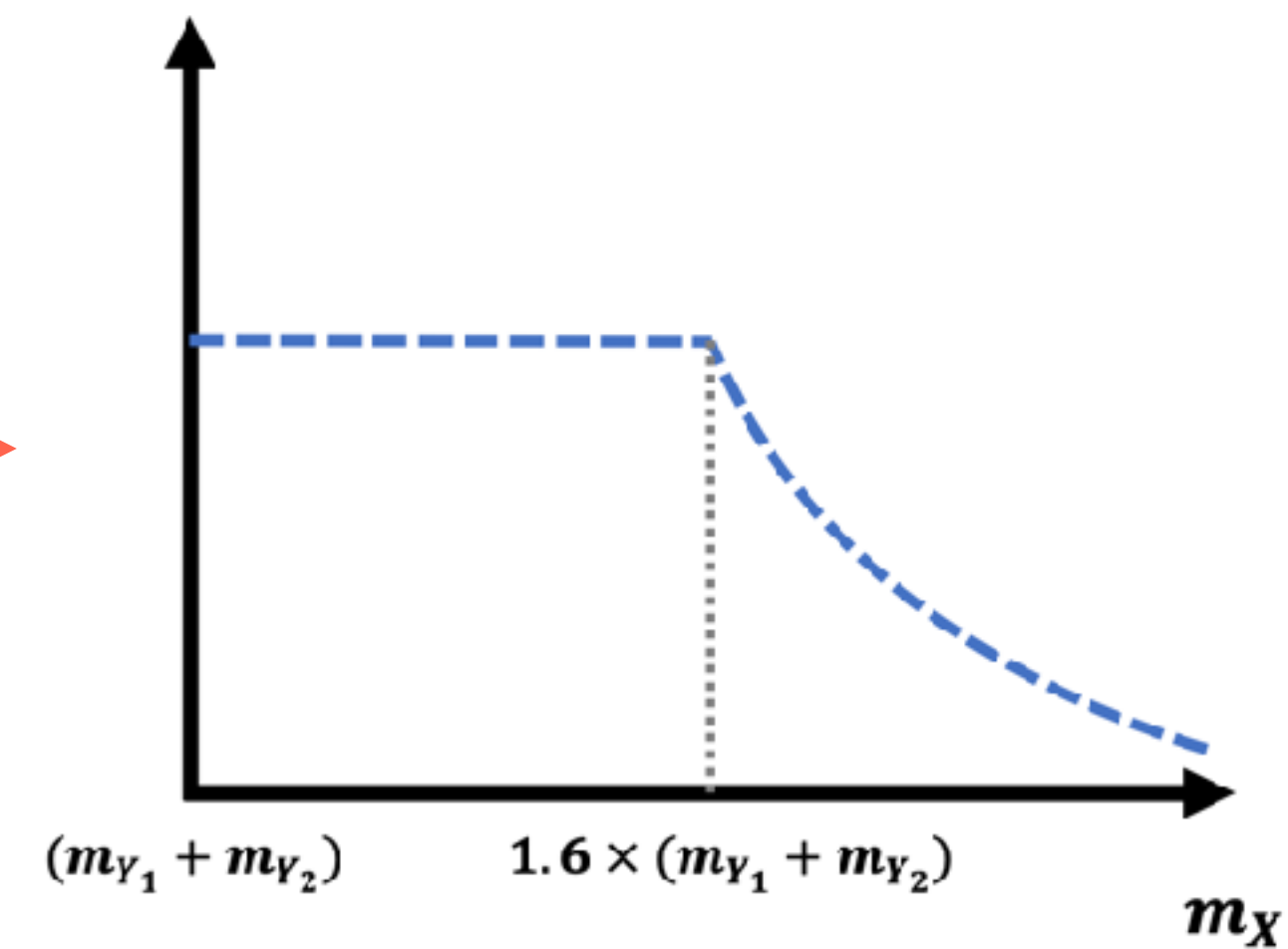
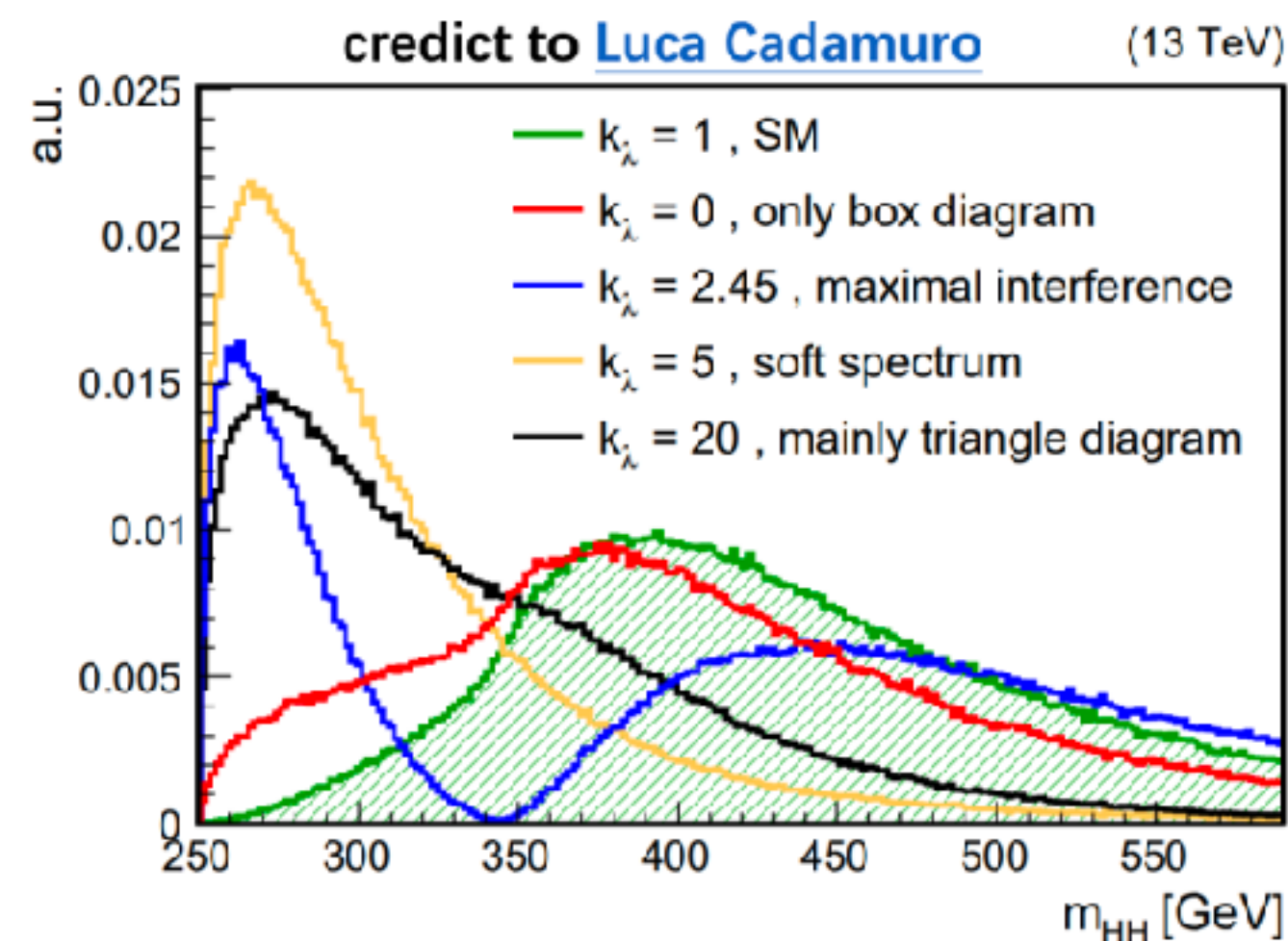
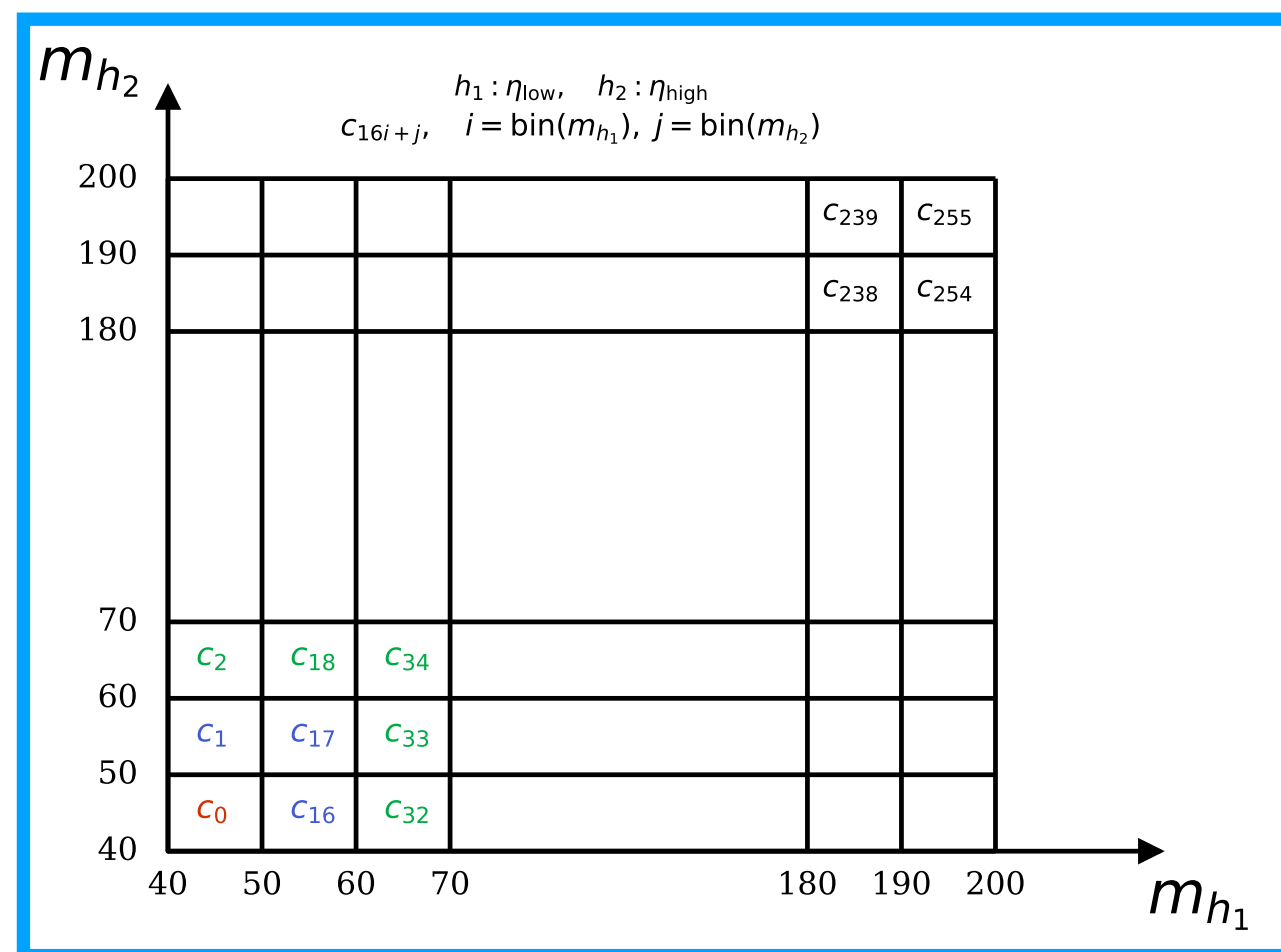


Three-process training: $X \rightarrow Y_1 Y_2 \rightarrow 4b$ (Signal Proxy), QCD and $T\bar{T}$ (BKG)

- Events are required pass resolved “4j3b” trigger preselection
- Main dataset Size: $X \rightarrow Y_1 Y_2 \rightarrow 4b$ (50M); QCD (50M)

$X \rightarrow Y_1 Y_2 \rightarrow 4b$ as a variable-mass proxy for the $HH \rightarrow 4b$ signal:

- Y_1 and Y_2 masses: uniformly distributed in [40, 200] GeV
- X mass used for m_{HH} spectrum control: taking various $HH \rightarrow 4b$ topologies as a reference





Training Setup

Preselection:

- Events Passing Resolved “4j3b” Trigger (100M events pass preselection)

Framework & Architecture

- Softwork: [Weaver](#)—a streamlined PyTorch-based ML framework for HEP training and inference
- Trasfomer Parameter:

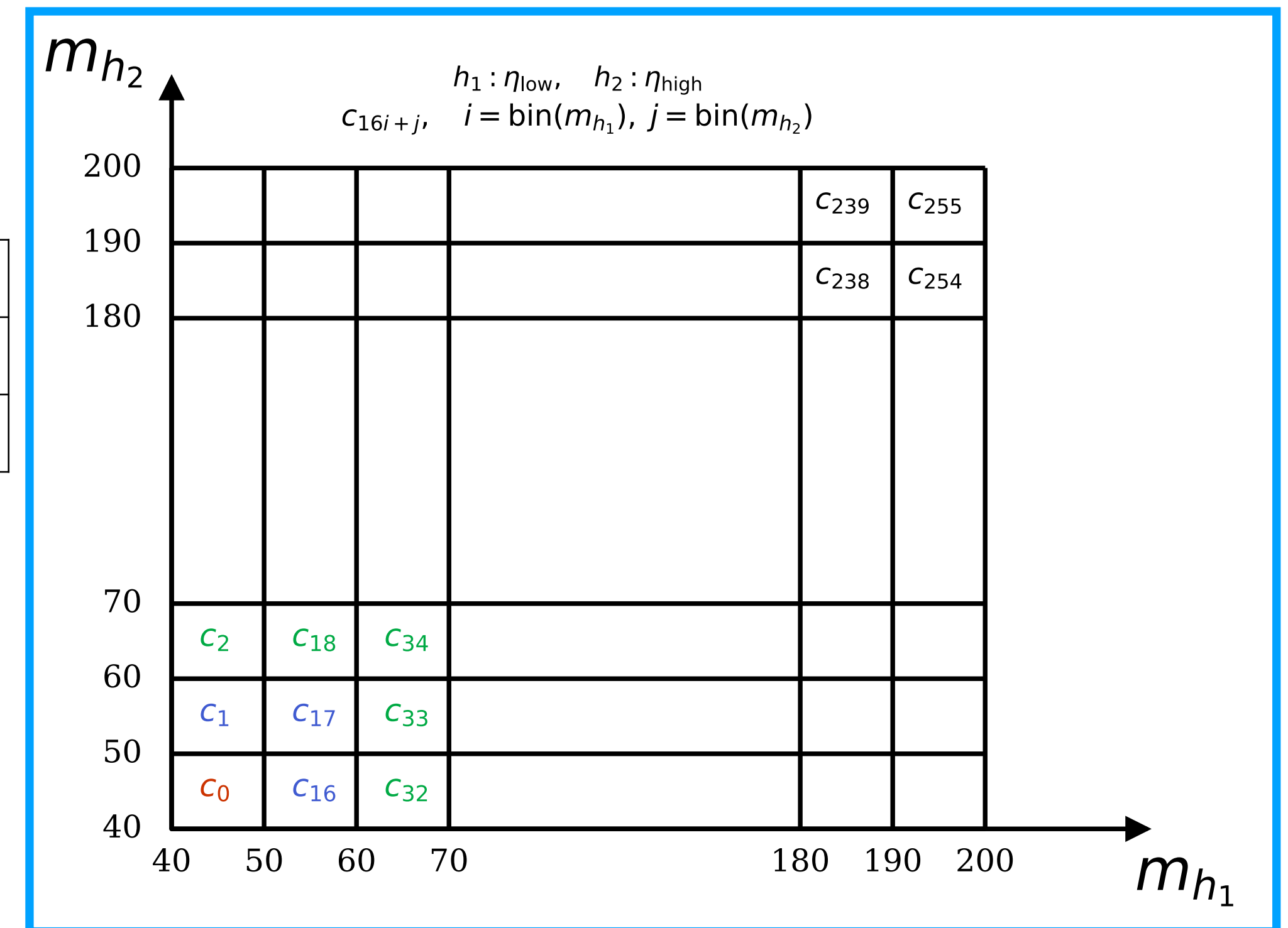
Model	Transformer	Particle embedding	Pairwise embedding	FC head
Large	8 layers × 16 heads	256 → 1024 → 256	64 → 64 → 64	1024
Small	6 layers × 8 heads	96 → 384 → 96	32 → 32 → 32	256

Training Class:

- Signal: 16×16 (m_{h1} , m_{h2}) mass classes
- Backgrounds: QCD and $T\bar{T}$

Input Variables:

- PF features: kinematics, particle ID, and track variables
- PF four-vectors to build pairwise features: $\ln k_t$, $\ln z$, $\ln \Delta R$, $\ln m_2$, $\ln s_2$, $\cos \theta$, Δy , $\Delta \phi$



Background Yield Estimation for ROC

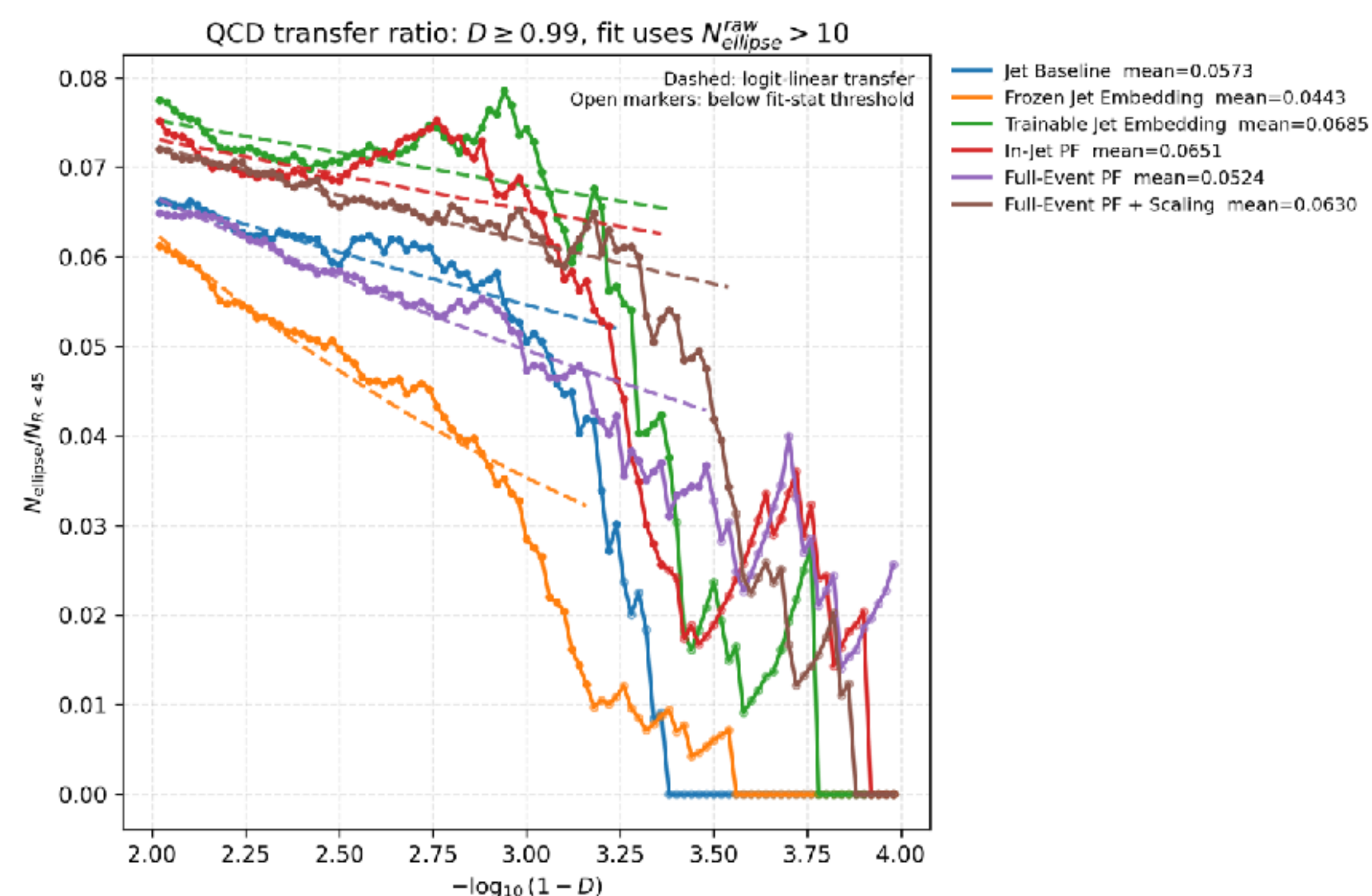
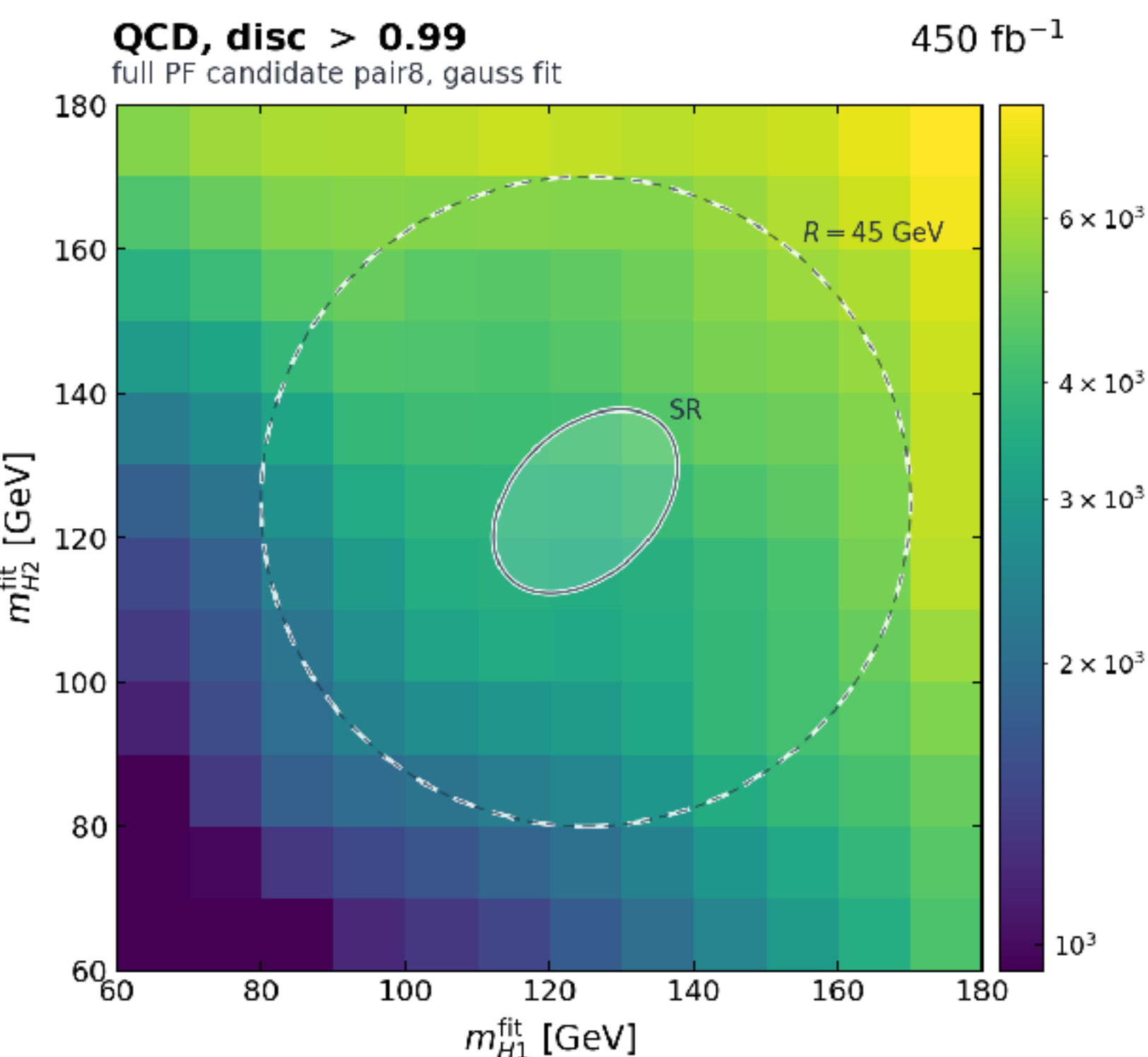
Signal Region: Elliptical region with semi-axes 10 and 15 GeV

Issue at the ROC Tail

- limited background statistics lead to large fluctuations in the estimated background yield

Background Proxy

- Estimate the background yield in a larger **45 GeV proxy region**
- Scale it back to the nominal SR using a **transfer factor**



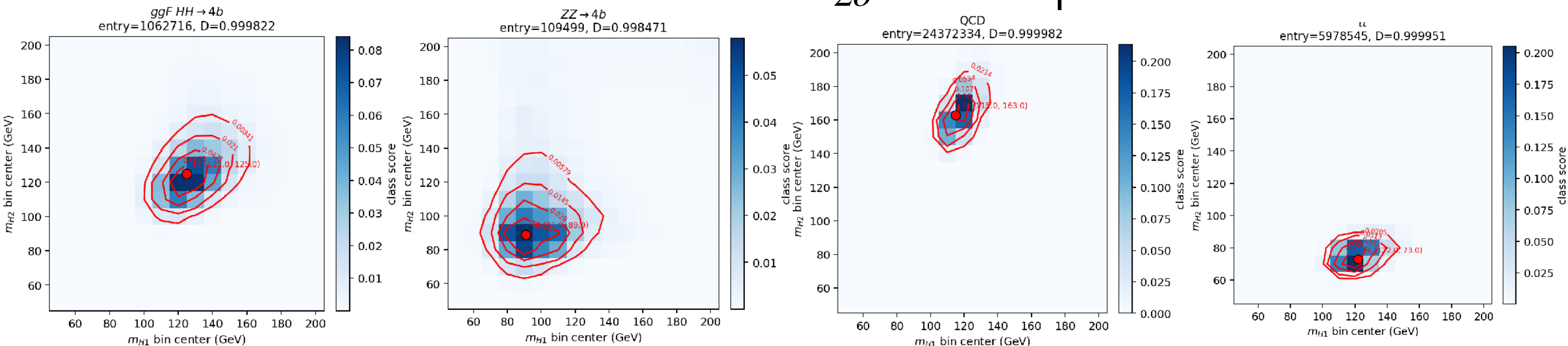
Model Score Usage Strategy

Output Scores: **256 signal score** + **QCD score** + **$t\bar{t}$ score**

$$\text{Disc} = \frac{\sum_{i=1}^{256} S_i}{\sum_{i=1}^{256} S_i + \sum_{j \in \text{BKG}} B_j \sigma_j \epsilon_j^{\text{trig}}}$$

For selected events, derive m_1 and m_2 from a Gaussian fit to the 256 signal scores

$$S(m_1, m_2) \propto \exp \left[-\frac{(m_1 - \mu_1)^2 + (m_2 - \mu_2)^2}{2\sigma^2} \right]$$



Gaussian fitting reduces score fluctuations and provides smoother mass estimates