



Modeling the CMS High-Granularity Calorimeter with Generative AI

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On behalf of the CMS collaboration

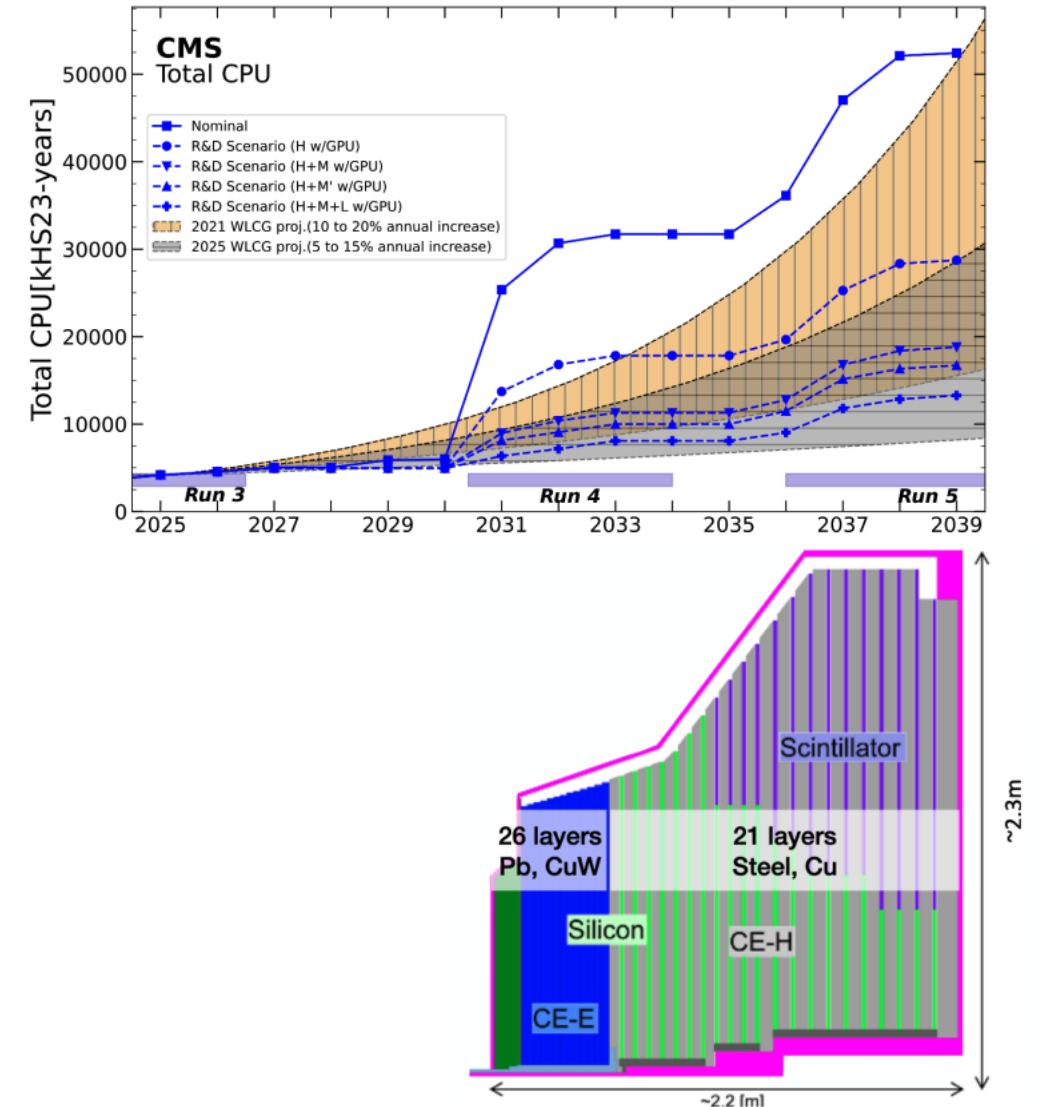
ML4Jets 2026

Based on [CMS-DP-2026-049](#)



Why simulate HGCal Fast with Generative Models?

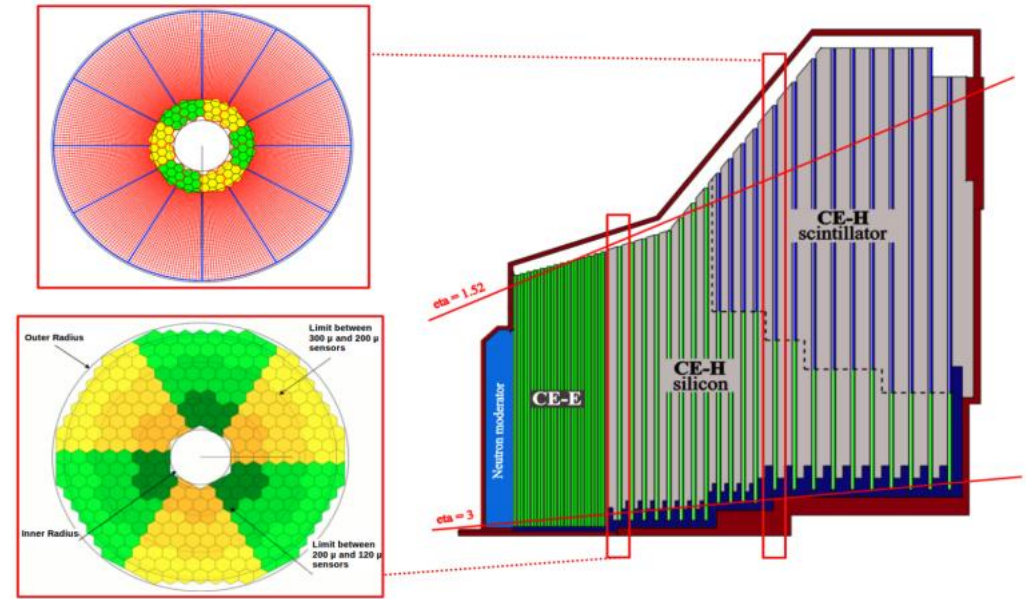
- **HL-LHC raises major computing challenge**
 - $\langle \text{PU} \rangle \sim 200$ post great challenge
- **For CMS the challenge is unprecedented**
 - End Cap calorimetry done with a high granularity calorimeter (HGCal):
 - 47 layers, ~ 6 M Si channels, irregular hex geometry as per very recent design geometry
 - Full simulation with Geant4 will have a sharp growth of cost for HGCal due to such design choice
- **The dimensionality of HGCal posts a need of sophisticated generative models**
 - And for CMS a careful choice must be made
 - This talk: *benchmark generative AI as a fast-sim surrogate for CMS HGCal simulation*



Datasets

➤ One sentence summary: *Single particle showers simulated with Geant4*

- Shower types:
 - EM shower: Photons (γ)
 - Hadronic shower: Charged pions (π)
 - No pileup considered
- Angular position:
 - Fixed incident angle: $\eta = 2.0$, $\phi = \pi/2$
- Energy distribution:
 - Sampled from [1, 1000] GeV
 - Subject to log-uniform distribution
- Statistics: 1M showers per particle species
 - 700K for training, 300K for evaluation
- Showers are with huge dimensionality!
 - Truncate each shower with **Region of Interest**



➤ Region of Interest (ROI) per shower

- Per lay definition a radius, such that $> 99.5\%$ shower energy being retained
- γ : $r = 25$ cm (fixed)
 - # of cells per layer: min: 206 vs max: 2,076
- π : r grows $42 \rightarrow 127$ cm with depth
 - # of cells per layer: min: 4,016 vs max: 22,268
- **O(M) cells per shower $\rightarrow$ 20x increase w.r.t. Calochallenge**

Evaluation Metrics

➤ Per shower features:

- Pre-process: $E_{\min} = 10$ keV cut-off
- Per layer: **fractional E (a measure of longitudinal profile)**, $\langle x \rangle$, $\langle y \rangle$, widths, occupancy
- Transverse profile in hex-neighbour rings
- Global:
 - $E_{\text{tot}} / E_{\text{inc}}$
- Feature counts:
 - γ : 231 features / shower
 - π : 358 features / shower

➤ Metrics:

- 1D separation power s :
 - $s := \sum_i ((d_i - d_i')^2 / (d_i + d_i'))$
- 1D Kolmogorov–Smirnov (unbinned)
- Multivariate FPD, KPD
- Classifier AUC (2×2048 MLP)
- All the metrics are supplied with GEANT–GEANT bootstrap:
 - Perfect-model floor

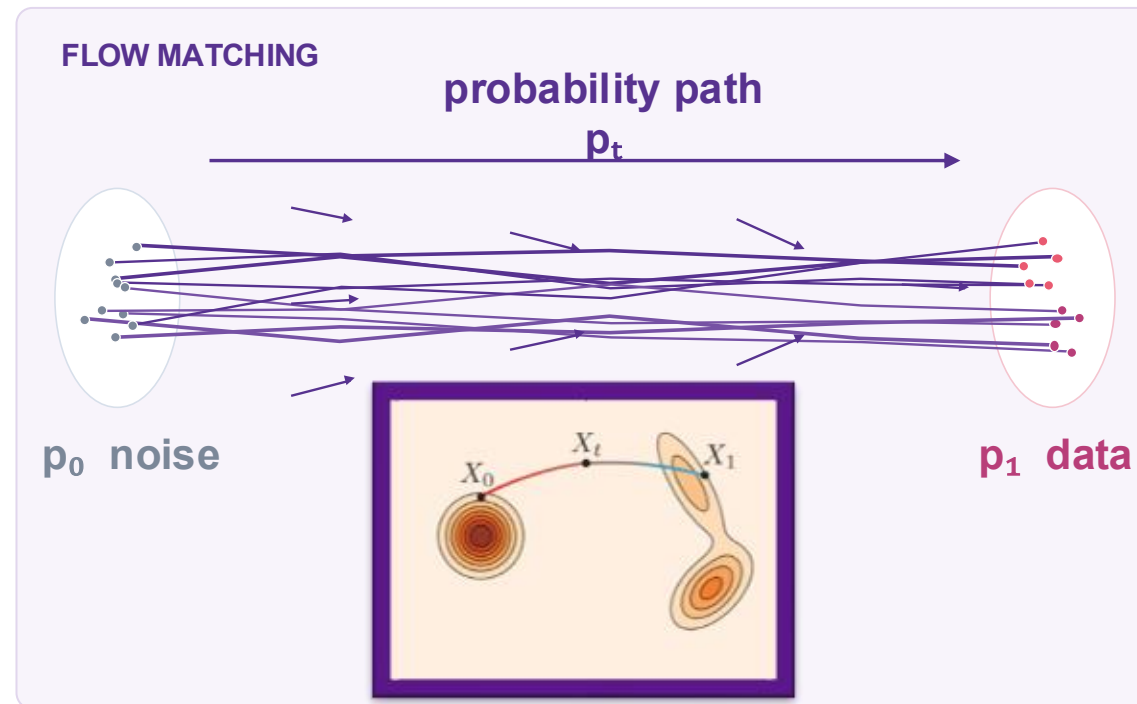
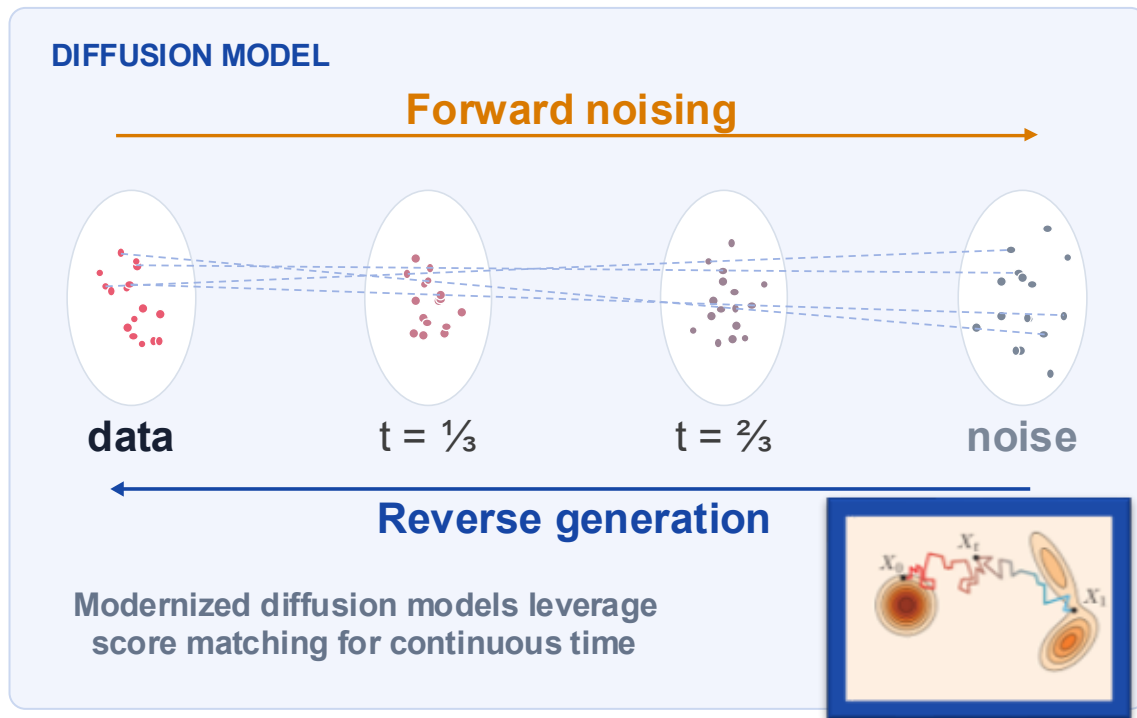
Largely following the CaloChallenge setup, with features fitting HGCAL physics target

No models currently reach GEANT–GEANT indistinguishability
hence only report metric values, not p-values



Generative Paradigms

- Major participating models choose **Diffusion Models** or **Flow Matching**
 - Fits the overall trend in ML community for continuous data generation



Shared formulation

A time dependent vector field carries a simple prior into the data distribution

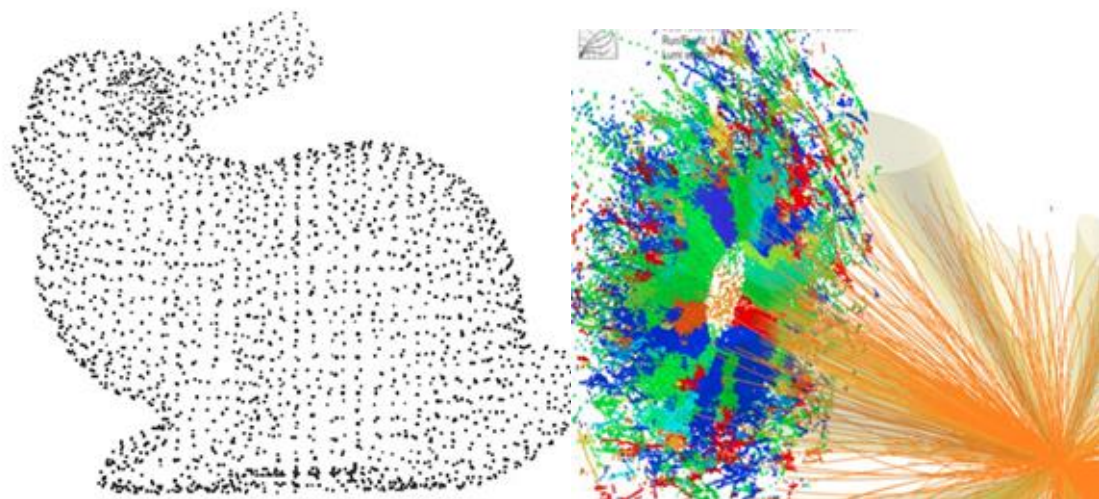
$$\partial_t p_t + \nabla \cdot (p_t v_t) = 0$$

score $\rightarrow$ **velocity**
path $\rightarrow$ **velocity**

Backbones and Representations

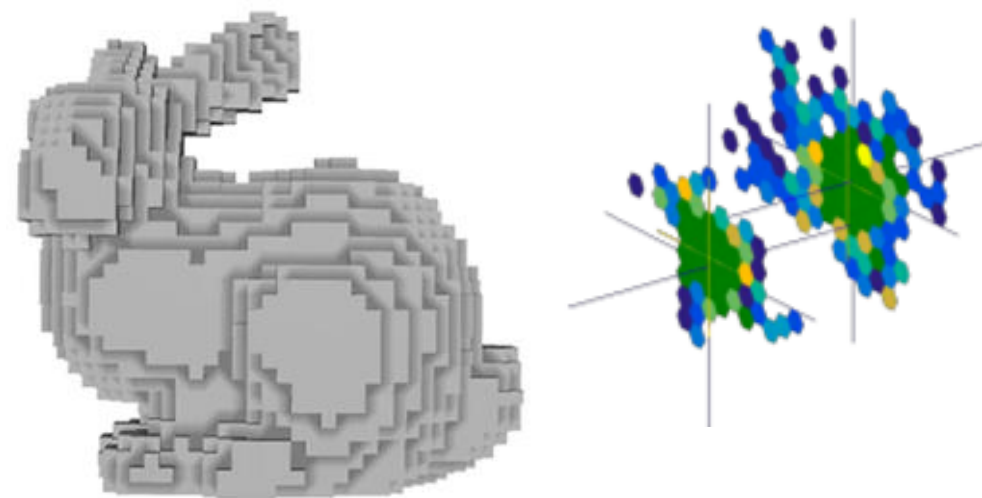
- Participating models also span over different backbones motivated by different shower representation choices

Point Cloud/"Hits"



Can be further represented as a graph

Voxels/"Clusters"



The clustering could be learnable, or modernly termed as "Patchification"



Overview of Participants

GLaM = Geometry Latent Mapping
embedding method developed for CaloDiffusion

Model	Paradigm	Backbone	Representation
HGCaloDiffusion	Diffusion (EDM/DDIM)	Cyl.-conv U-Net + attention	Voxel (GLaM)
HGCaloTrilogy	MeanFlow + GMM prior	Shared with HGCaloDiffusion	Voxel (GLaM)
HGCaloDREAM	Flow matching	Vision Transformer (DiT)	Voxel (patched)
AllShowers (*)	Flow matching	PointCountFM + CNF-Transf.	Point cloud of hits
GraphCNF (**)	Riemannian flow	Graph NF + Riemannian FM	Graph (per cell)

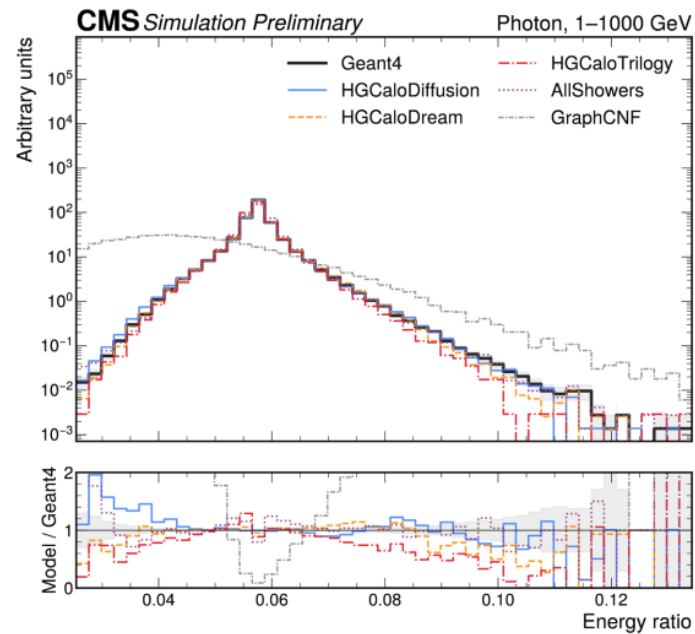
(*) AllShowers introduce particle species as a condition → one trained model handle both showers!

(**) GraphCNF has photon (EM shower) only

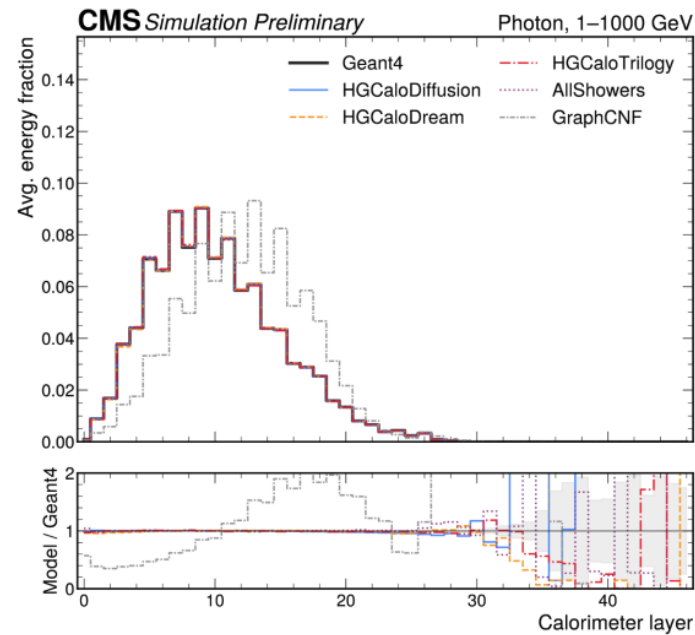


Performance: Photon (EM Shower)

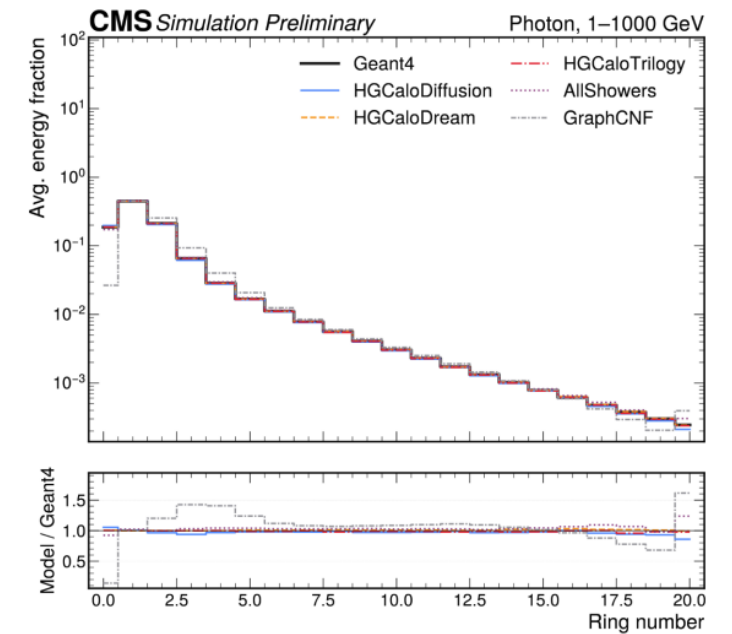
$E_{\text{tot}} / E_{\text{inc}}$



Longitudinal profile



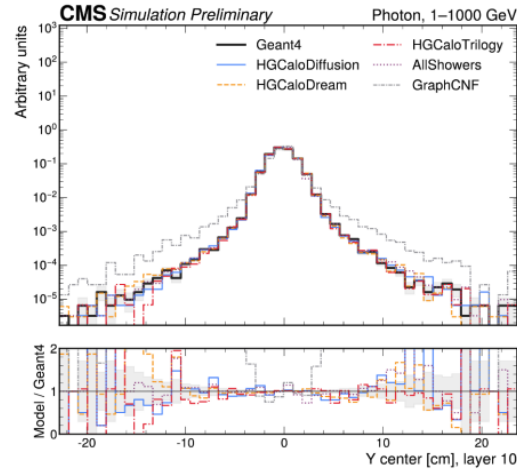
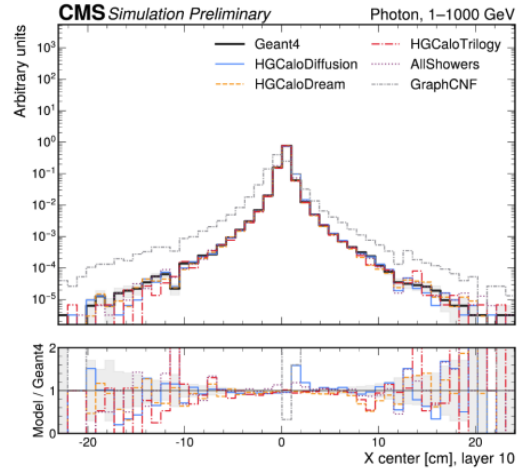
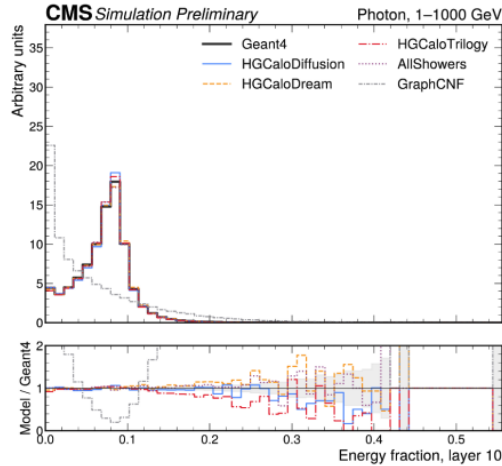
Transverse profile



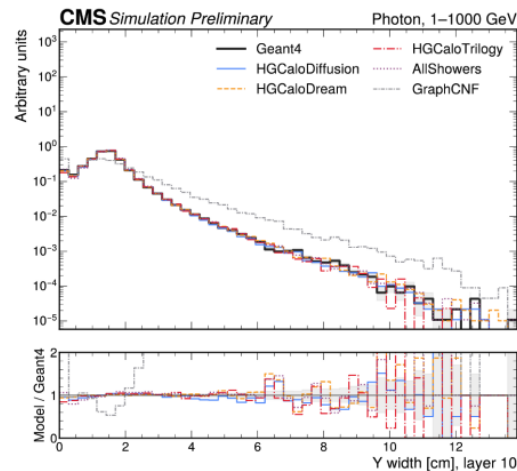
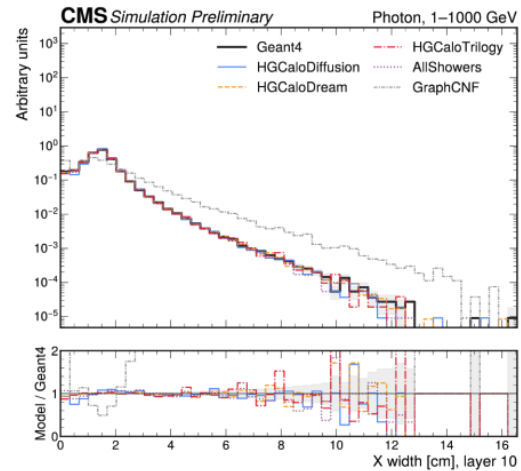
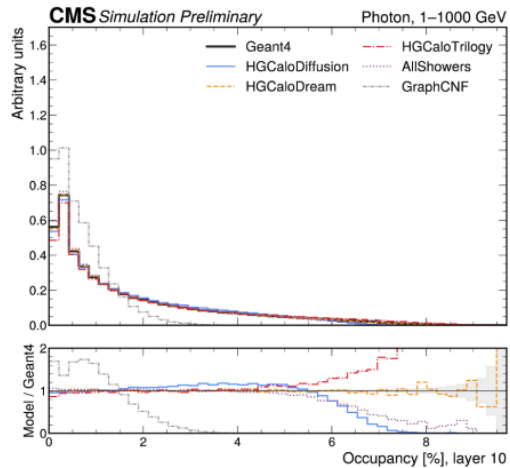
Most models reproduce these global features over several orders of magnitude; transverse tails are the hardest.



Performance: Photon (EM Shower), Layer 10

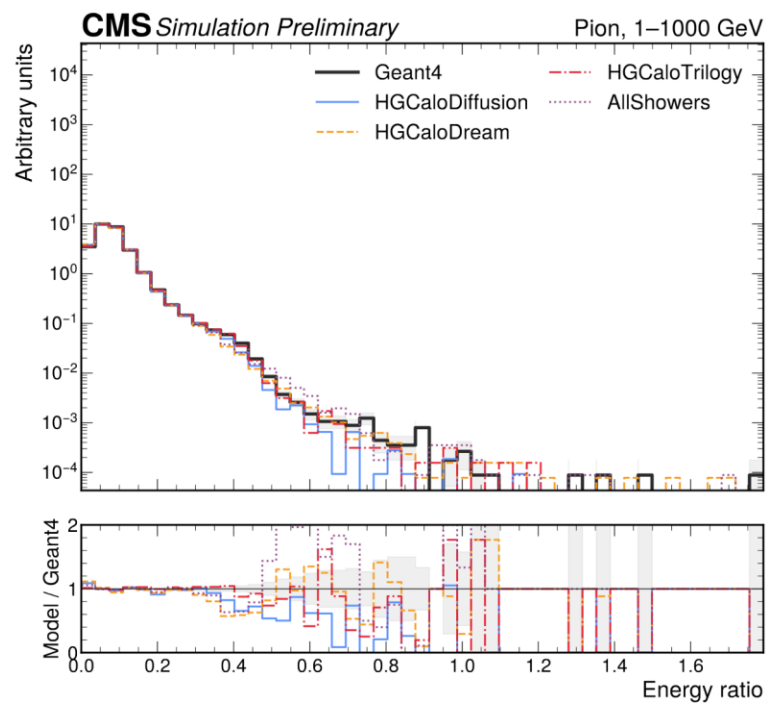


- Good modeling of key features, including most tails
- Occupancy is hardest, only HGCaloDream captures it well

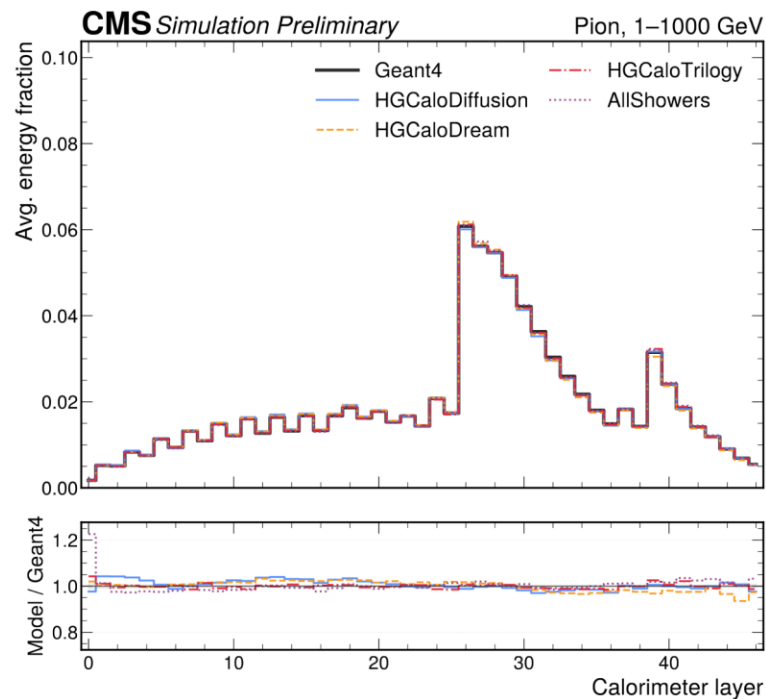


Performance: Pion (Hadronic Shower)

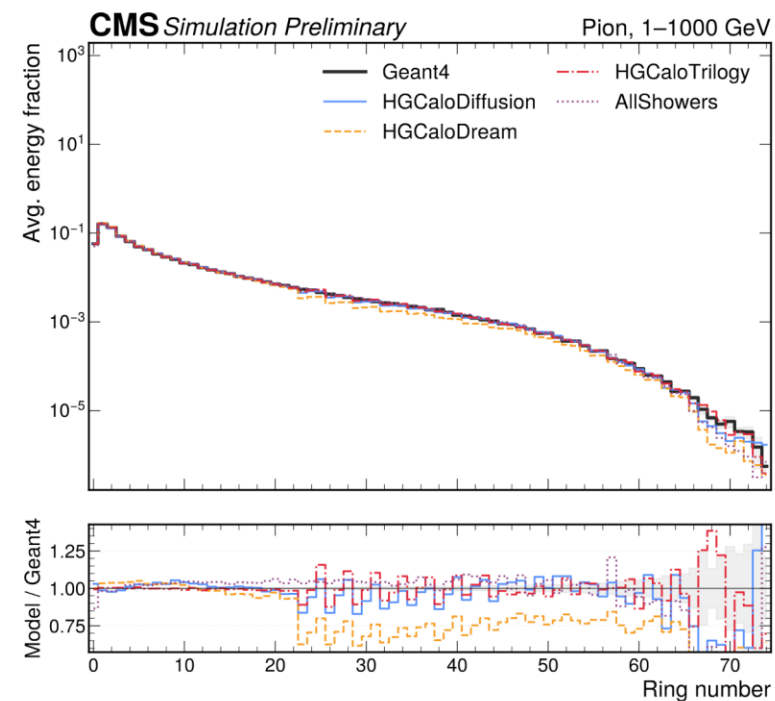
$E_{\text{tot}} / E_{\text{inc}}$



Longitudinal profile



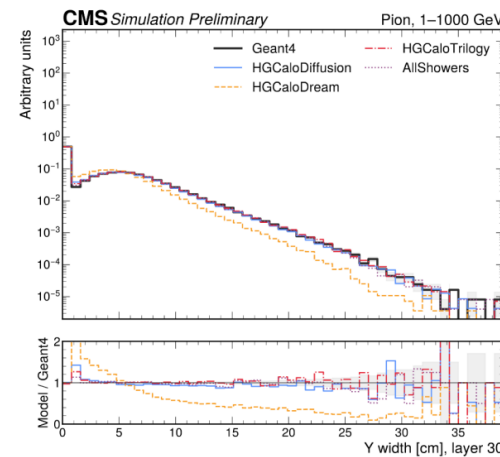
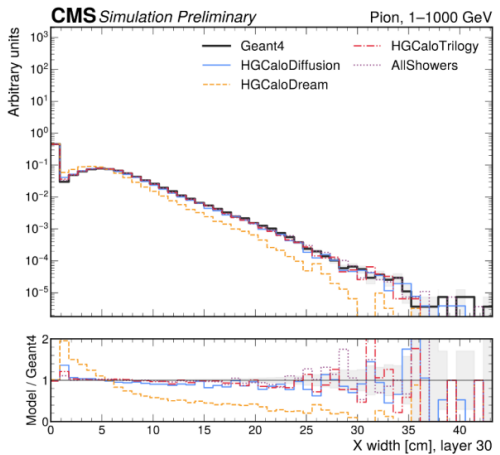
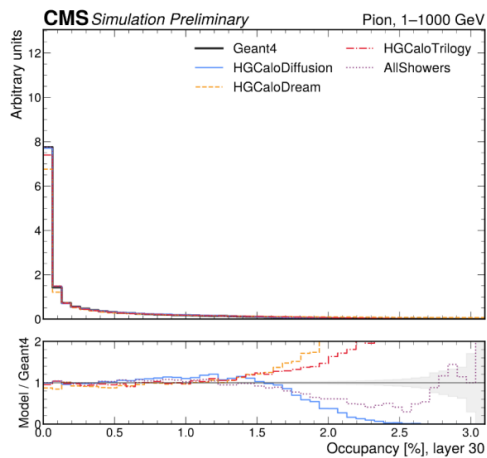
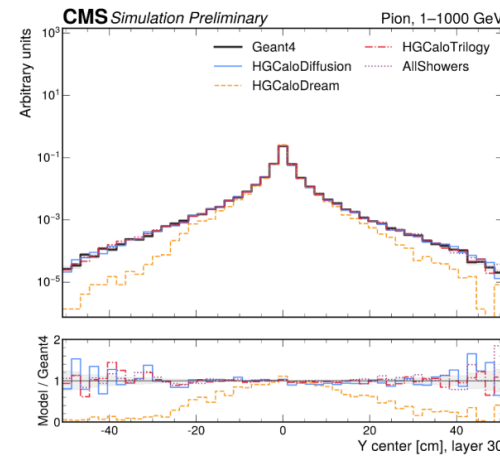
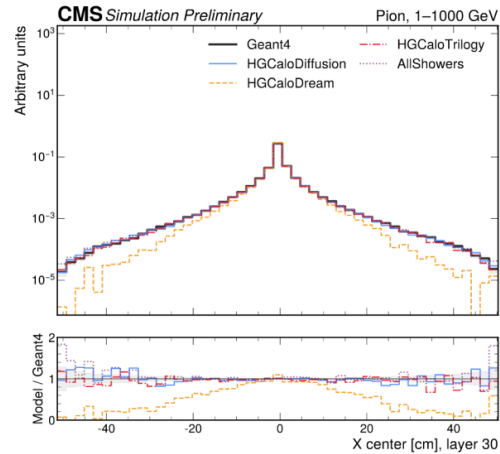
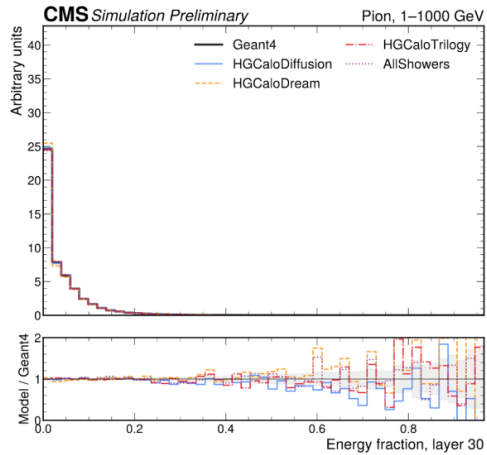
Transverse profile



Hadronic showers spread over many more cells per layer; transverse profile and tails are noticeably harder.



Performance: Pion (Hadronic Shower), Layer 30



- Good modeling of key features, including most tails
- Pion showers found to be more difficult than photons

Quantitative metrics : Photons

First 5 columns displaying both separation power and KS ($\times 10^{-3}$), FPD and KPD ($\times 10^{-3}$)

Model	Energy	Transv.	Center	Width	Occ.	AUC	FPD	KPD
GEANT	0.06 / 1.73	0.07 / 2.15	0.07 / 1.60	0.07 / 1.62	0.06 / 1.71	0.497	0.3 ± 0.1	-0.003
HGCaloDiffusion	0.17 / 7.77	0.55 / 17.9	0.71 / 11.3	0.54 / 27.0	6.54 / 22.4	0.757	18 ± 2	0.030
HGCaloDREAM	0.15 / 5.26	0.12 / 3.36	0.22 / 5.21	0.21 / 5.97	0.10 / 3.46	0.562	30 ± 28	0.004
HGCaloTrilogy	0.43 / 7.54	0.18 / 6.09	0.34 / 6.49	0.60 / 12.8	2.10 / 19.8	0.735	13 ± 0.3	0.099
GraphCNF	120 / 238	63.7 / 186	63.5 / 151	69.4 / 180	102 / 204	0.997	1067 ± 3	5.76
AllShowers	0.40 / 6.67	7.02 / 33.1	1.05 / 18.3	0.58 / 12.4	2.54 / 15.8	0.839	20 ± 4	0.059

- GEANT row = bootstrap floor a perfect model could reach
- HGCaloDREAM best on most photon metrics (highlighted)
- Leading 1D separations reach $< 10^{-3}$ on most features



Quantitative metrics : Pions

First 5 columns displaying both separation power and KS ($\times 10^{-3}$), FPD and KPD ($\times 10^{-3}$)

Model	Energy	Transv.	Center	Width	Occ.	AUC	FPD	KPD
GEANT	0.07 / 1.84	0.06 / 1.43	0.08 / 1.82	0.07 / 2.88	0.07 / 1.18	0.499	1.0 ± 0.1	-0.002
HGCaloDiffusion	0.15 / 10.8	0.49 / 19.7	0.88 / 20.5	1.03 / 79.4	1.90 / 13.8	0.756	16.1 ± 0.4	0.019
HGCaloDREAM	0.27 / 28.6	0.51 / 64.8	7.40 / 35.7	17.6 / 82.0	29.9 / 113	0.944	2519 ± 11	7.10
HGCaloTrilogy	0.12 / 4.73	0.13 / 11.3	0.21 / 10.3	0.46 / 23.7	1.87 / 31.3	0.660	15.6 ± 0.5	0.060
AllShowers	0.13 / 5.30	0.30 / 6.22	0.39 / 12.1	0.14 / 5.94	0.95 / 9.33	0.649	9.0 ± 0.2	0.011

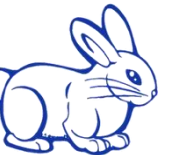
- **HGCaloTrilogy leads bulk shape; AllShowers leads width / occupancy**
 - Best π model $\neq$ best γ model
- **Hadronic showers uniformly harder than electromagnetic**



Summary and Outlook

- **Convergence and Diversity shown in participant models:**
 - Five models — diffusion, flow matching, continuous NFs
 - Voxel, patch, point-cloud, and graph representations
 - × 20 complexity over CaloChallenge : ~1 M cells, irregular hex, 47 layers
 - Many shower features reproduced with high fidelity
 - *Leading metrics reach CaloChallenge-level performance*
 - No single model dominates:
 - Hardest observable: cell occupancy, worsens with energy
 - Best γ model $\neq$ best π model; universal surrogate is open work
- **More results/datasets/models to be published shortly, stay tuned!**

***First comprehensive study of
generative AI on the CMS HGCaI***

Thank you! 



Reference

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Jiang et al., "CaloTrilogy", arXiv: 2606.06145 (2026)



Backup

Everything else



HGCaloDiffusion

Backbone

- EDM diffusion, DDIM sampling (200 steps)
- U-Net: 3 ResNet blocks down + 3 up
- Cylindrical convolutions + linear attention
- Channels 32 / 32 / 64 / 96 with skip connections
- Adam, $\text{lr} = 5 \times 10^{-4}$, up to 1000 epochs (ES patience 20)

Geometry & decoding

- Voxelised cylindrical embedding (fixed embedding, not learnable GLaM)
- 12 angular $\times$ 21 (γ) / 48 (π) radial bins
- LayerDiffusion MLP : total E + per-layer fractions
- Sparsity-preserving decoding (cell $p \propto 1/N^{\text{cells}}/\text{voxel}$)
 - Improves occupancy mismodelling



HGCaloTrilogy

- Built as a branch of HGCaloDiffusion
 - Shares preprocessing, GLaM cylindrical embedding, sparsity-preserving decoding
 - The generative core is what changes

Three modifications

- MeanFlow transport — average-velocity formulation over coarser time intervals
 - → robust 1- and few-step sampling without fidelity collapse
- Learned conditional GMM prior instead of isotropic Gaussian
 - → initialises closer to the shower manifold
- Physics-guided loss on high-level observables (layer-wise E, ...)
 - → no post-processing needed at inference



HGCaloDream

Two-stage factorisation

- $u \sim p(u \mid E_{\text{inc}}) \rightarrow$ layer-energy ratios
- $x \sim p(x \mid E_{\text{inc}}, u) \rightarrow$ normalised voxels
- Trained independently, combined at generation

Energy network

- Transformer encoder-decoder, MLP head
- ~ 800 k params, 250 k iters

Shape network (ViT / DiT)

- Voxels grouped into non-overlapping patches
- Flexible patch shape (P_x, P_y, P_z) for irregular geometry
- 8 blocks $\times$ 6 heads, embed 480, ~ 35 M params
- Adaptive conditioning $(a, b, c) = g(E_{\text{inc}}, u, t)$
- γ : 1199 patches of 60 voxels, 3 M iters, batch 16
- π : GLaM $\rightarrow (47, 12, 48)$, patches (2, 4, 4), 1 M iters



AllShowers

Point-cloud representation

- Each point = active cell (layer, x, y, E)
- Variable-length, permutation-invariant
- Post-hoc: each point $\rightarrow$ nearest cell, E summed

Single model for both species

- Conditioned on particle type
- No retraining to switch $\gamma \leftrightarrow \pi$

Two-stage CNFs

- PointCountFM: $p(n_i \mid l_{\text{inc}}, e_{\text{inc}})$ — points per layer
- CNF-Transformer: positions + E
 - OT pairing
 - Layer-index attention mask $|\Delta \ell| \leq 2$

Energy calibration (γ)

- Monotonic cubic spline (256 knots) on $E_{\text{tot}} / E_{\text{inc}}$
- Narrows the too-wide energy-ratio peak



AllShowers

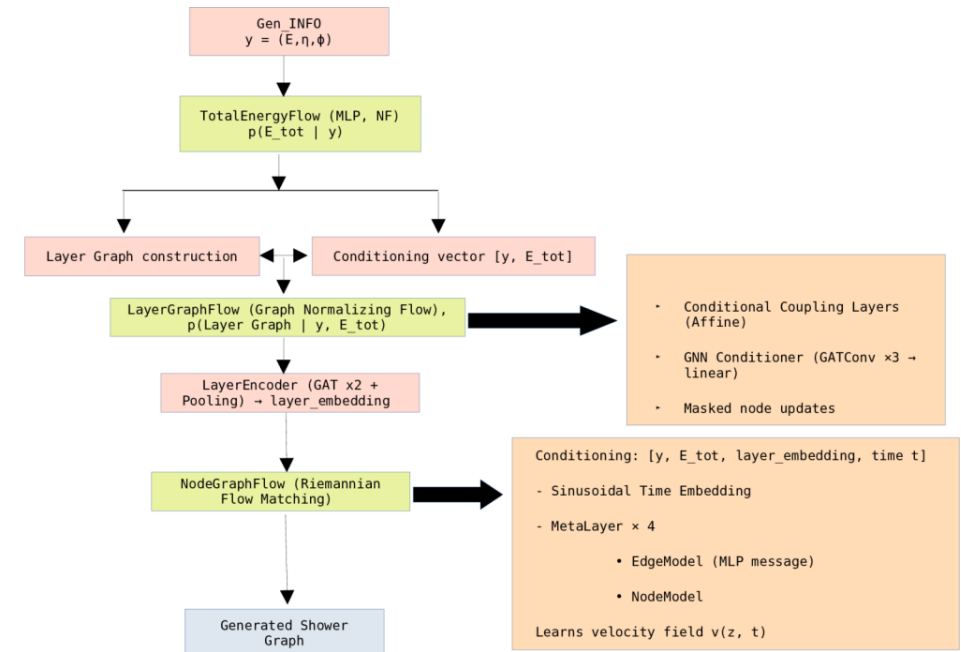
CNF — ODE-defined transport

$$dz(t) / dt = f(z(t), t; \theta), \quad z(t_0) \sim \mathcal{N}(0, I)$$

Trained by maximum likelihood (trace-Jacobian)

Three chained flow blocks

- TotalEnergyFlow: $(E, \eta, \varphi) \rightarrow E_{\text{tot}}$
- LayerGraphFlow: per-layer Graph NF,
 - conditioned on particle + E_{tot}
- NodeGraphFlow: Riemannian FM $\rightarrow$ per-cell node energies



Standard FM (energy, layer) + Riemannian FM (nodes)

Photons only in this round — pions = future work