



Searching for Axions with Magnetic Resonance Force Microscopes

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Axion Dark Matter

- Axions are a cosmologically well-motivated dark matter candidate
 - In particular, QCD axion offers a solution of the strong CP problem
- Axions are generically wave-like with frequency $\omega_a = \frac{m_a c^2}{\hbar}$

$$a(t) \simeq \frac{\sqrt{\rho_{\text{DM}}}}{\omega_a} \cos(\omega_a t)$$

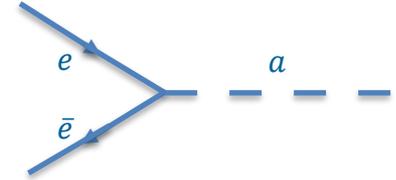
- Most of theoretically motivated QCD axion mass range corresponds to radio frequencies: 3 kHz – 300 GHz



Axions as a Background Magnetic Field

- Axion-electron coupling

$$\mathcal{L}_{ae} = g_{ae} \frac{\sqrt{\hbar^3 c}}{2m_e} (\partial_\mu a) (\bar{\psi}_e \gamma^\mu \gamma_5 \psi_e)$$



- This coupling can be rewritten as Zeeman Hamiltonian inducing an effective magnetic field on electron spins

$$H_{ae} = -\gamma_e \vec{S}_e \cdot \vec{B}_{ae}$$

- The effective magnetic field is

$$|\vec{B}_{ae}| = 2 \times 10^{-8} \text{ T} \times g_{ae} \sin(\omega_a t)$$

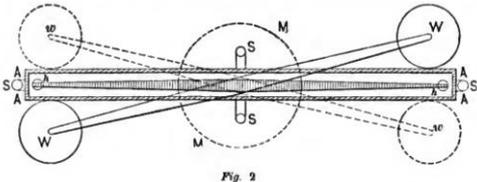
Axion Wind



Other spin magnetometry based axion searches: QUAX, CASPEr, ...

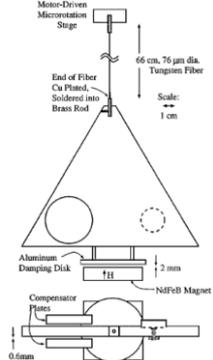


Mechanical Detection for Fundamental Physics



Cavendish
Gravitational Force

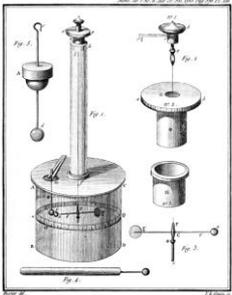
1798



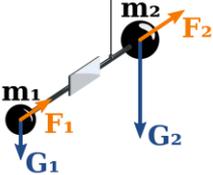
Casimir Force

1997

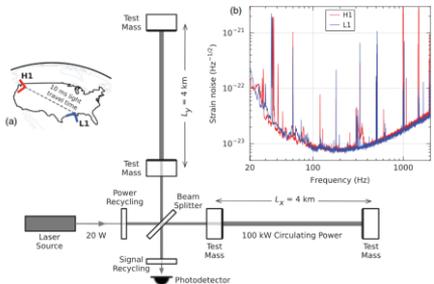
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Coulomb Force



1885
Eötvös
EP Test

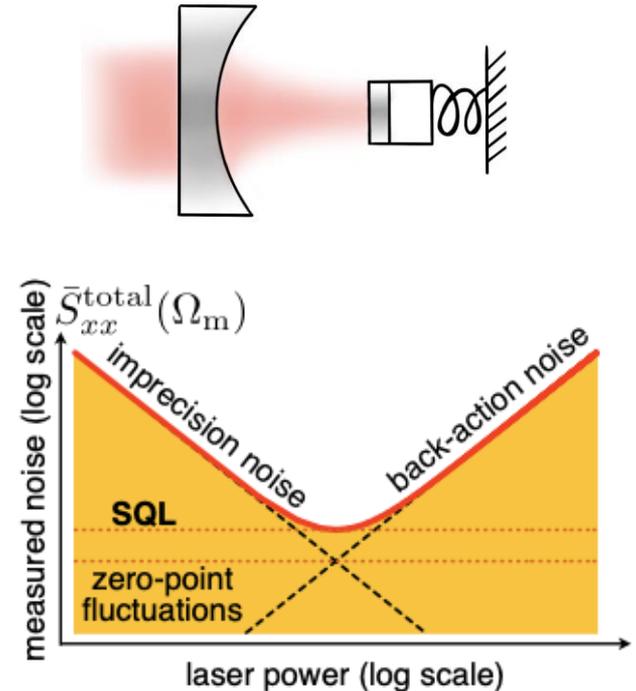


2015
Gravitational
Waves (LIGO)



Mechanical Detection at SQL

- Modern state-of-the-art mechanical detectors can operate at the standard quantum limit (SQL) or beyond
- Low photon count: higher imprecision/shot noise due to quantum fluctuations
- High photon count: higher back action noise from radiation pressure
- Minimum readout noise happens at SQL



Aspelmeyer, et al, Rev. Mod. Phys. 86, 1391 (2014)



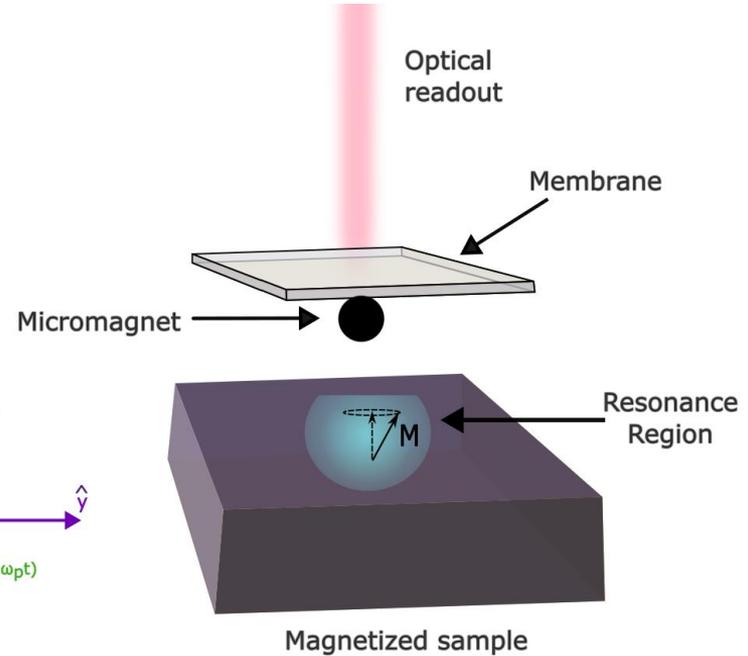
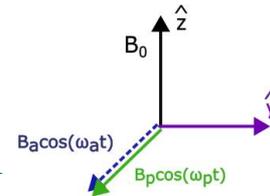
Magnetic Resonance Force Microscopy

- Force on mechanical resonator from magnetized sample:

$$F_z(t) = \int -[\vec{m}(\vec{r}, t) \cdot \vec{\nabla}] B_z(\vec{r}) dV$$

$$= -m_z(t) \int \frac{\partial B_z}{\partial z} dV$$

- We need:
 - Frequency link between mechanical ω_m and Larmor frequency ω_L
 - Low force noise at ω_m
 - Large number of spins resonating at ω_L

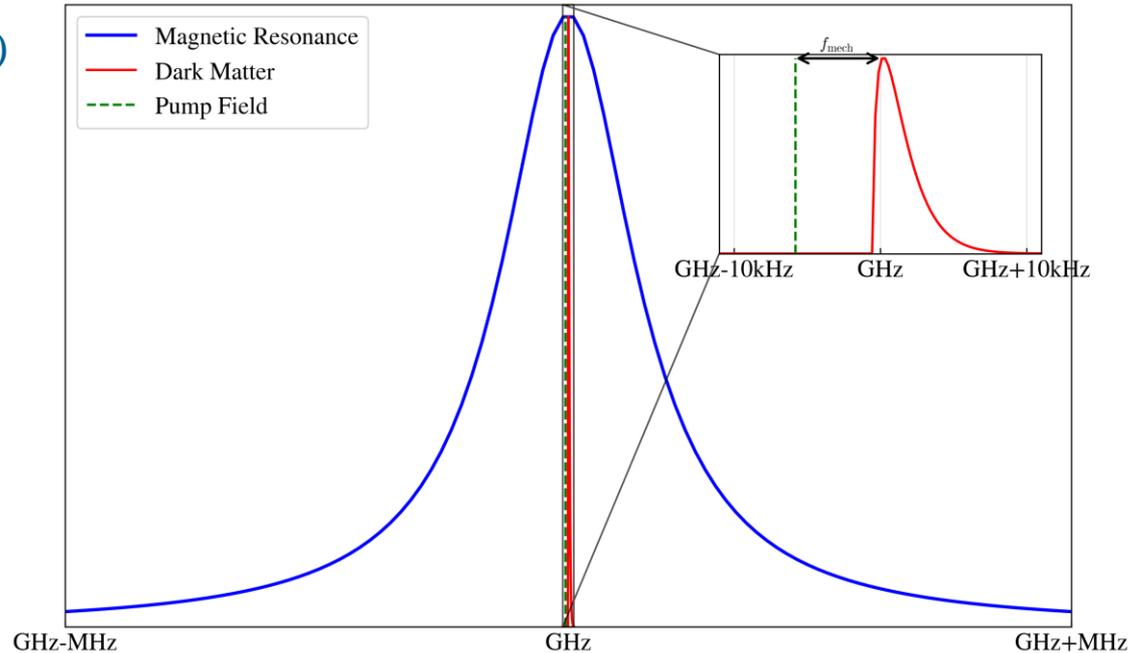


Sidles, et al, Rev. Mod. Phys., 67, 249 (1995)
 Scozzaro, et al, J. Mag. Res., 271, 15 (2016)
 Half, et al, Phys. Rev Appl., 15, L021001 (2021)



Frequency Down-Conversion Scheme

- Amplitude modulate (AM) axion signal to oscillate at ω_m
- Pump field: effective AM of axion signal
- Detection frequency:
$$\omega_D = \omega_a - \omega_p$$
- At mechanical resonance:
$$\omega_D = \omega_m$$



Inspired by: QUAX Proposal 2015 [J. Phys.: Conf. Ser. 718 042051]



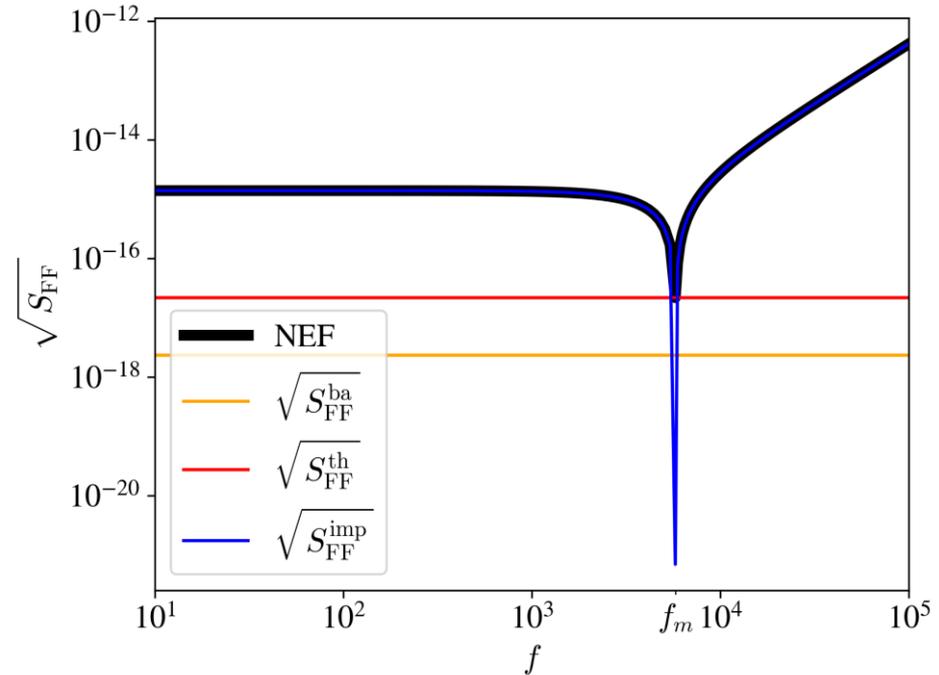
Force Noise

- Noise equivalent force:

$$F = \left(\frac{3}{\sqrt{T_{\text{int}}}} + \frac{1}{(T_{\text{coh}} T_{\text{int}})^{1/4}} \right) \sqrt{S_{\text{FF}}^{\text{noise}}}$$

- At mechanical resonance ($\omega = \omega_m$), thermal noise dominates:

$$S_{\text{FF}}^{\text{th}} = \frac{4k_B T m_{\text{eff}} \omega_m}{Q}$$

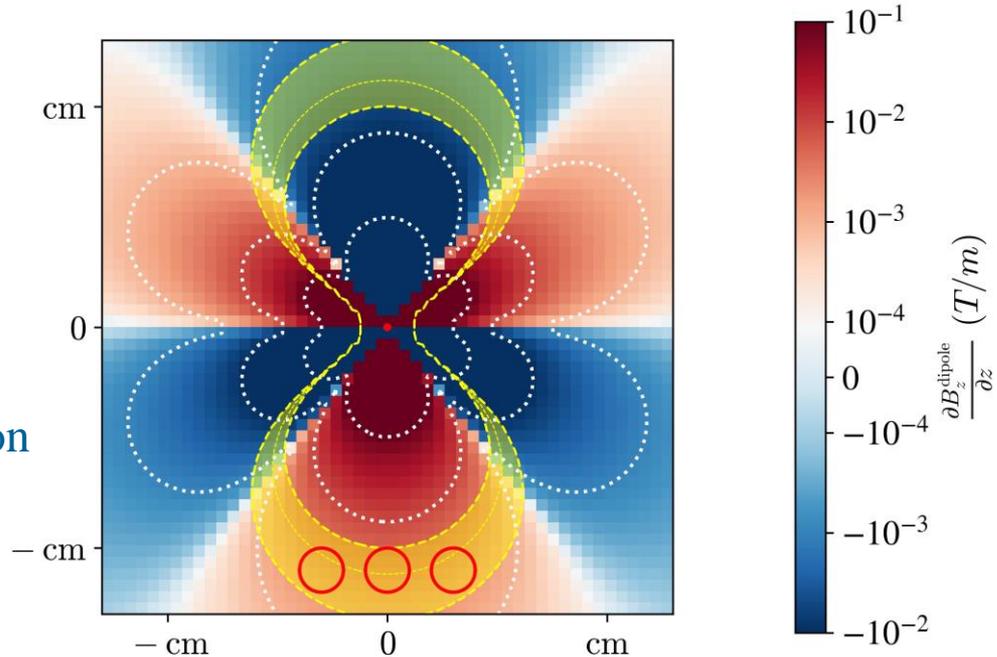


Maximizing Number of Resonating Spins

- Magnetic resonance condition:

$$\frac{\omega_L}{\gamma} = \sqrt{B_0^2 + B_z^2}$$

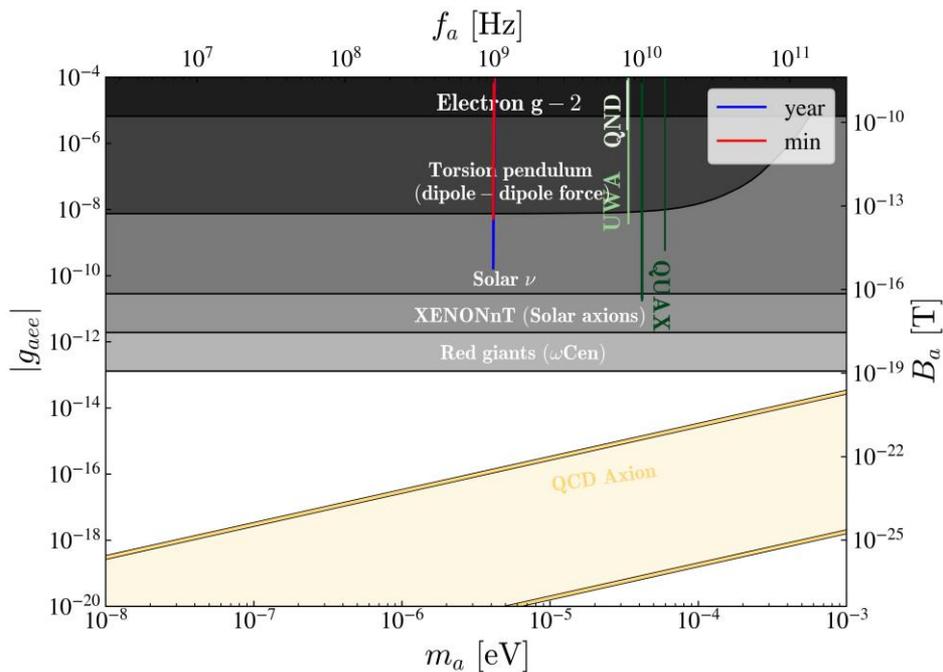
- If $B_0 = 0$, small resonance slice near the micromagnet
 - Too few spins in resonance
- If $B_0 = \frac{\omega_L}{\gamma}$, large resonance region
 - Far away from micromagnet → smaller force
- Tune B_0 to find optimal value



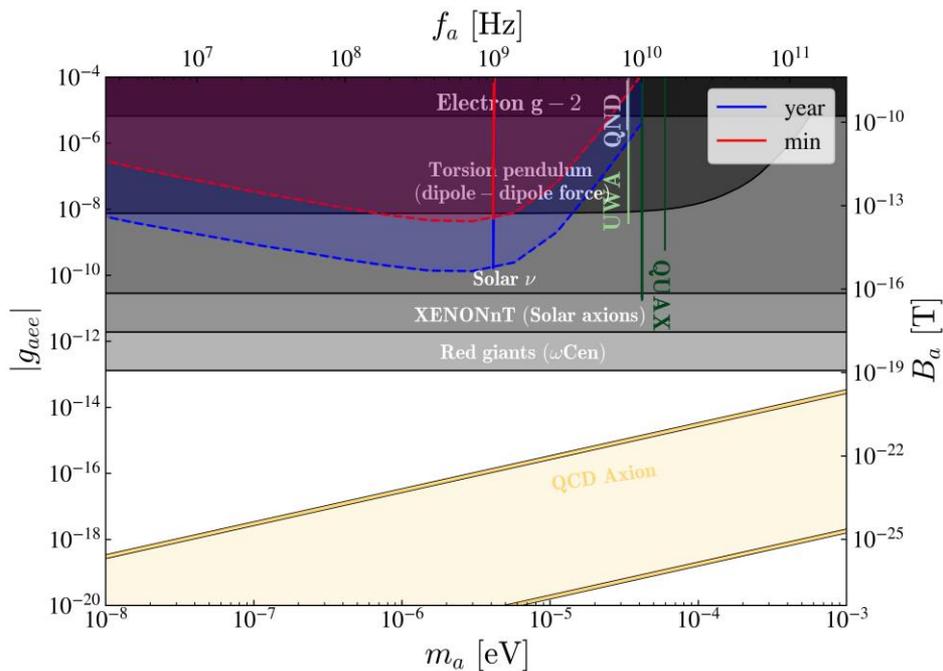
10 YIG spheres: Crescini, et al. Phys. Rev. Lett. 124, 171801 (2020)



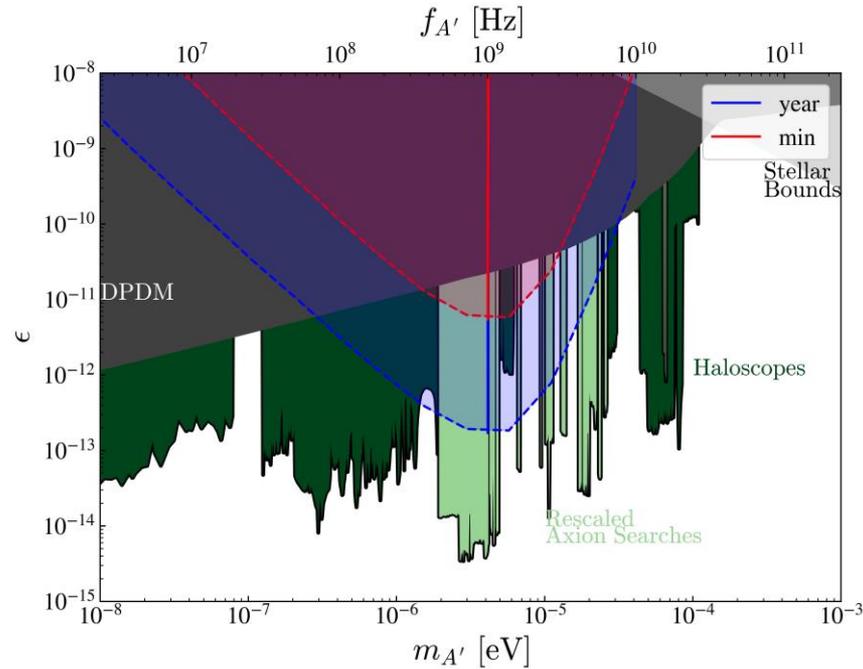
Axion-Electron Coupling



Axion-Electron Coupling



Dark Photon Kinetic Mixing Parameter



Conclusion

- Axion detection can be formulated as a magnetometry problem
 - This approach complements conventional axion-photon searches
 - Ex: Axions induce effective magnetic field on fermions
- Mechanical detection for axion searches
 - MRFM based axion search beyond lab constraints with current technology
- Target axion mass/frequency can be tuned by scanning pump frequency ω_p
- Manuscript coming out soon!

