

PASCOS 2026

PROBING THE NEUTRINO CHEMICAL POTENTIAL WITH COSMOLOGICAL OBSERVATIONS

In preparation, 2606.xxxx

Pietro Ghedini [IFIC, CSIC-UV - pietro.ghedini@ific.uv.es] (*he/him*)

with R. Impavido [University of Ferrara], S. Gariazzo [IFIC, CSIC-UV - University of Torino], O. Mena [IFIC, CSIC-UV], D. Wang [IFIC, CSIC-UV]

This work has received funding from the European Union's Horizon Europe programme under Marie Skłodowska-Curie Actions - Staff Exchanges (SE) grant agreement No 101086085 -ASYMMETRY.

This work is based upon work from the COST Action CA21136 - "Addressing observational tensions in cosmology with systematics and fundamental physics (CosmoVerse)", supported by COST - "European Cooperation in Science and Technology"

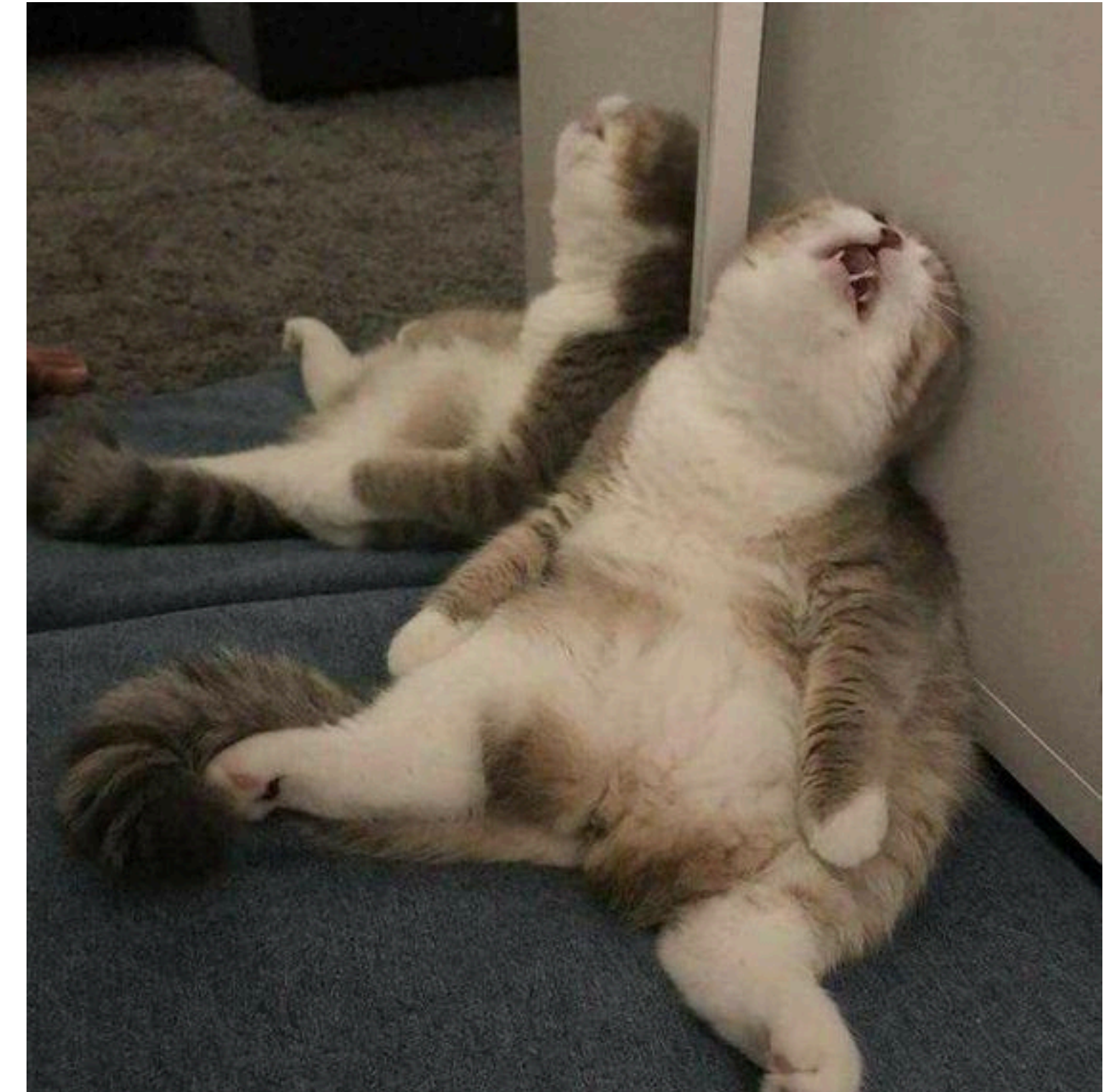


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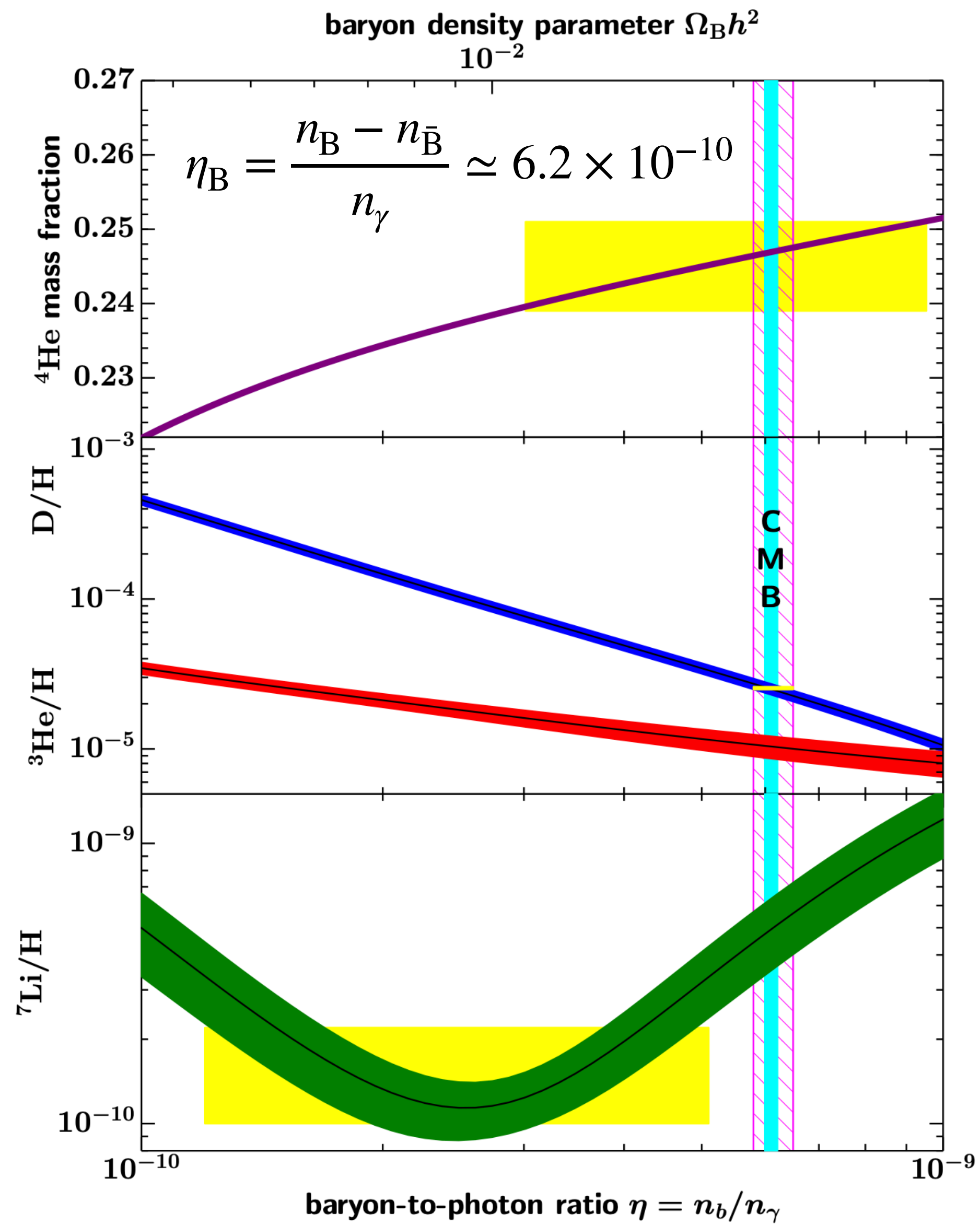


OUTLINE

- Introduction
- Phenomenology
- Methodology
- Results
- Conclusions

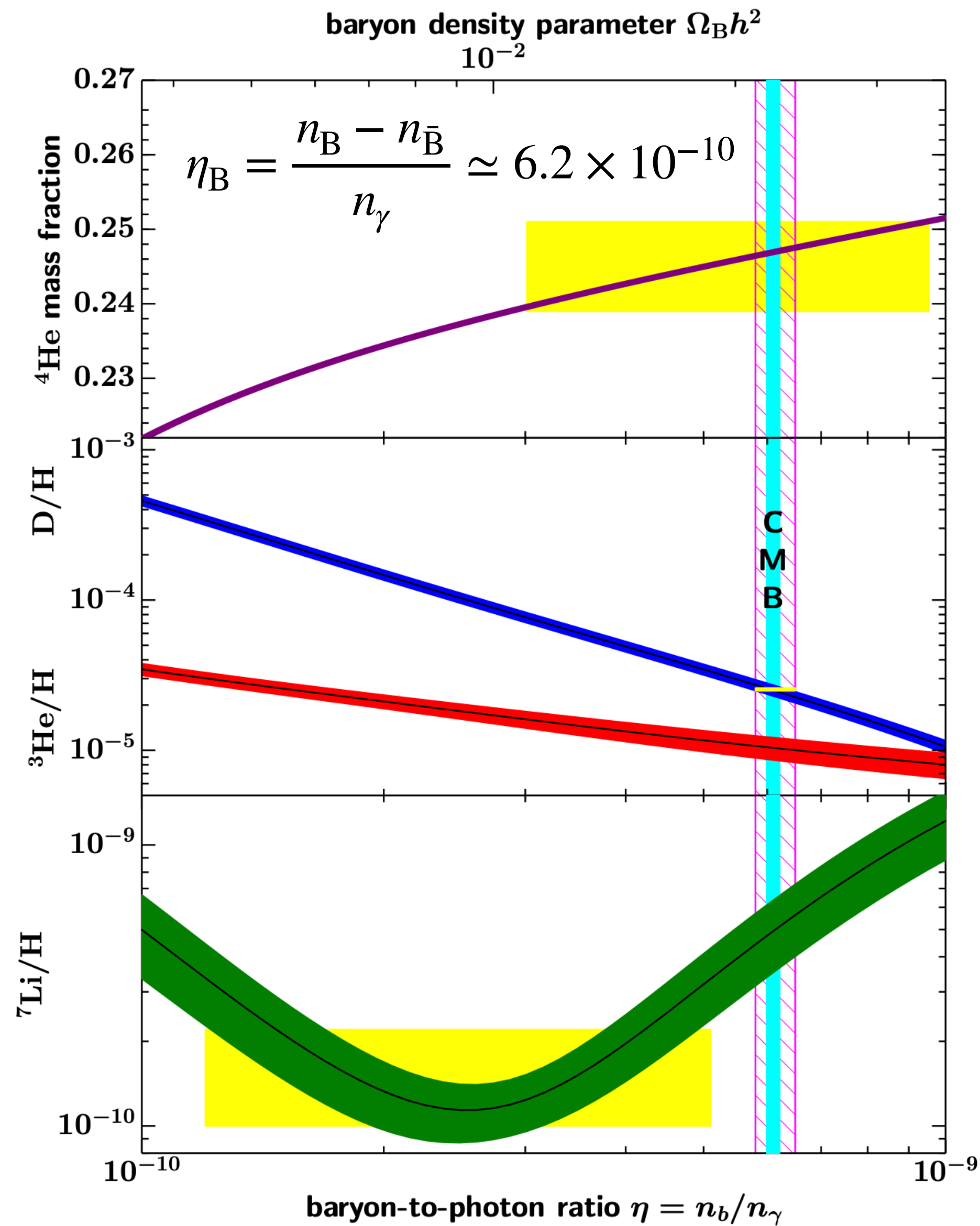


THEORY



Credits: PDG

THEORY



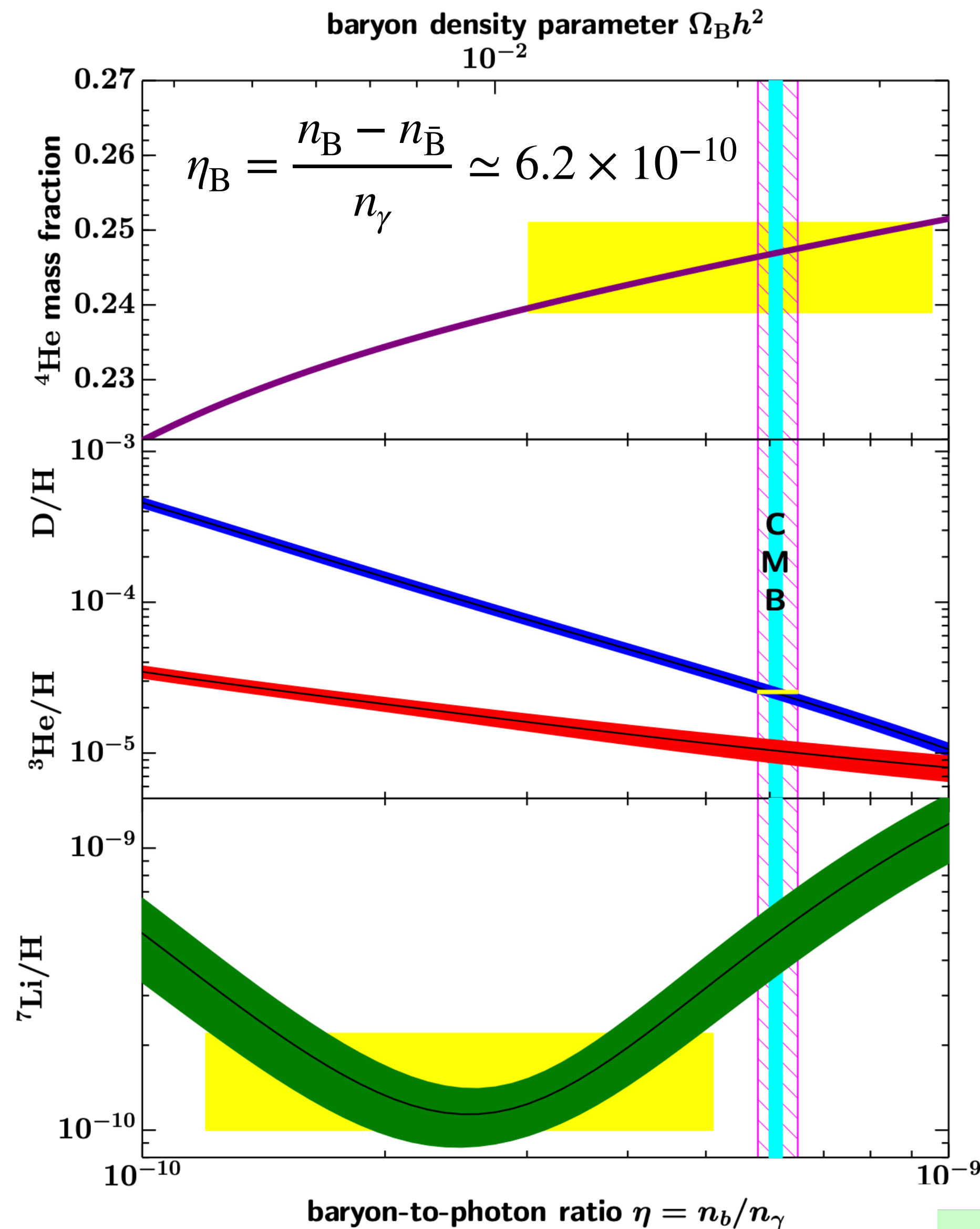
Credits: PDG

The lepton asymmetry can be expressed in terms of the dimensionless chemical potential of neutrinos, $\xi_\nu = \mu_\nu/T$, also known as degeneracy parameter.

[F. Iocco et al., 0809.0631]

$$\eta_\nu = \frac{1}{n_\gamma} \sum_{\alpha=e,\mu,\tau} (n_{\nu_\alpha} - n_{\bar{\nu}_\alpha}) = \frac{1}{12\zeta(3)} \sum_{\alpha=e,\mu,\tau} \left[\frac{T_{\nu_\alpha}}{T_\gamma} \right]^3 \left(\pi^2 \xi_{\nu_\alpha} + \xi_{\nu_\alpha}^3 \right)$$

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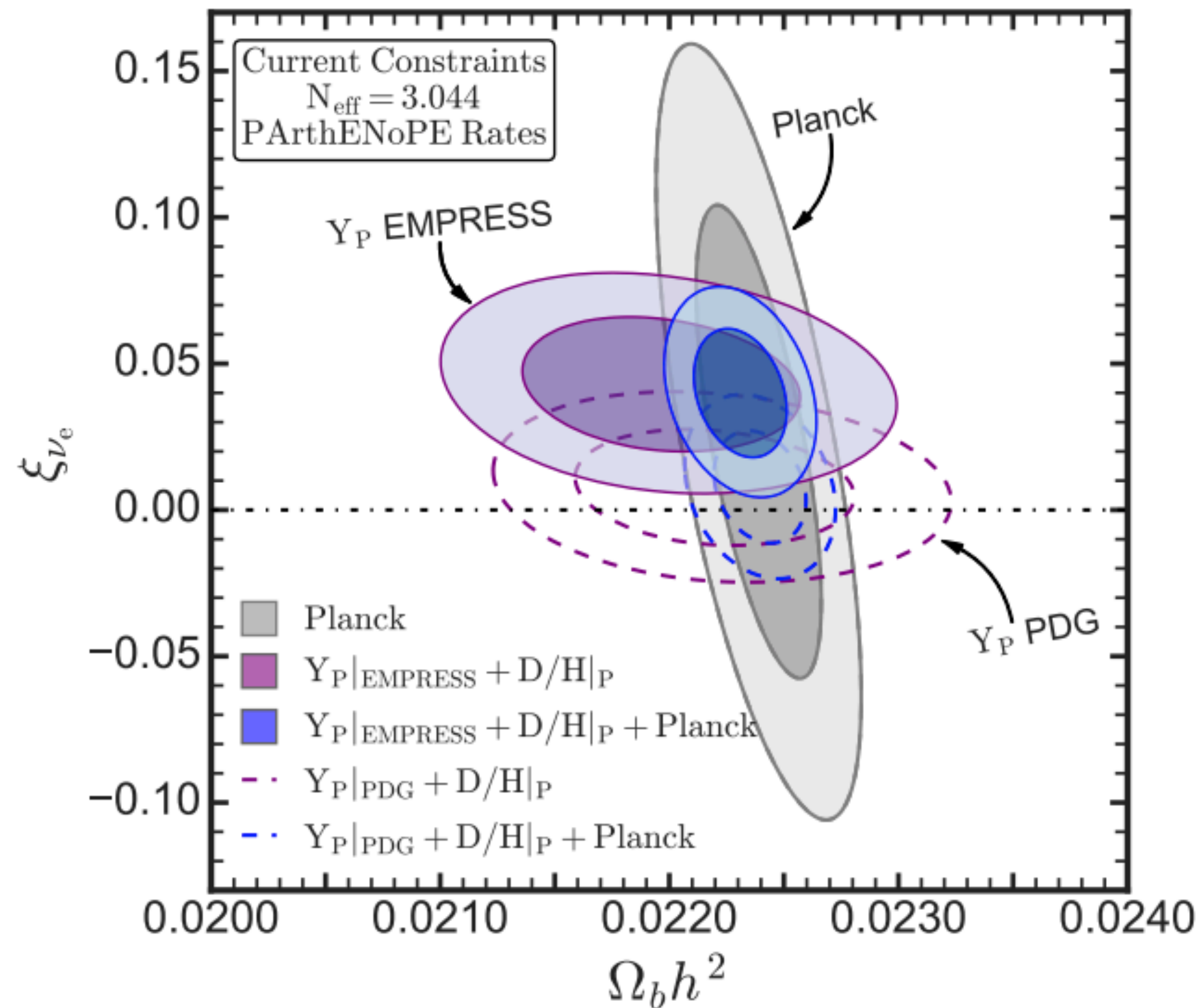
A non-zero neutrino chemical potential impacts the early Universe physics, by changing the value of N_{eff}

$$\Delta N_{\text{eff}}(\xi_\nu) = N_{\text{eff}}^{\text{tot}}(\xi_\nu) - N_{\text{eff}}^{\text{std}} \simeq \sum_{\alpha=e,\mu,\tau} \left[\frac{30}{7} \left(\frac{\xi_{\nu_\alpha}}{\pi} \right)^2 + \frac{15}{7} \left(\frac{\xi_{\nu_\alpha}}{\pi} \right)^4 \right]$$

[C. Pitrou et al., 1801.08023]

NOTE: we always assume a constant $N_{\text{eff}}^{\text{std}} = 3.044$, but $N_{\text{eff}}^{\text{tot}}(\xi_\nu)$ will vary.

THEORY



[M. Escudero et al., 2208.03201]

Weak interaction rates:

$$n + \nu_e \leftrightarrow p + e^-$$

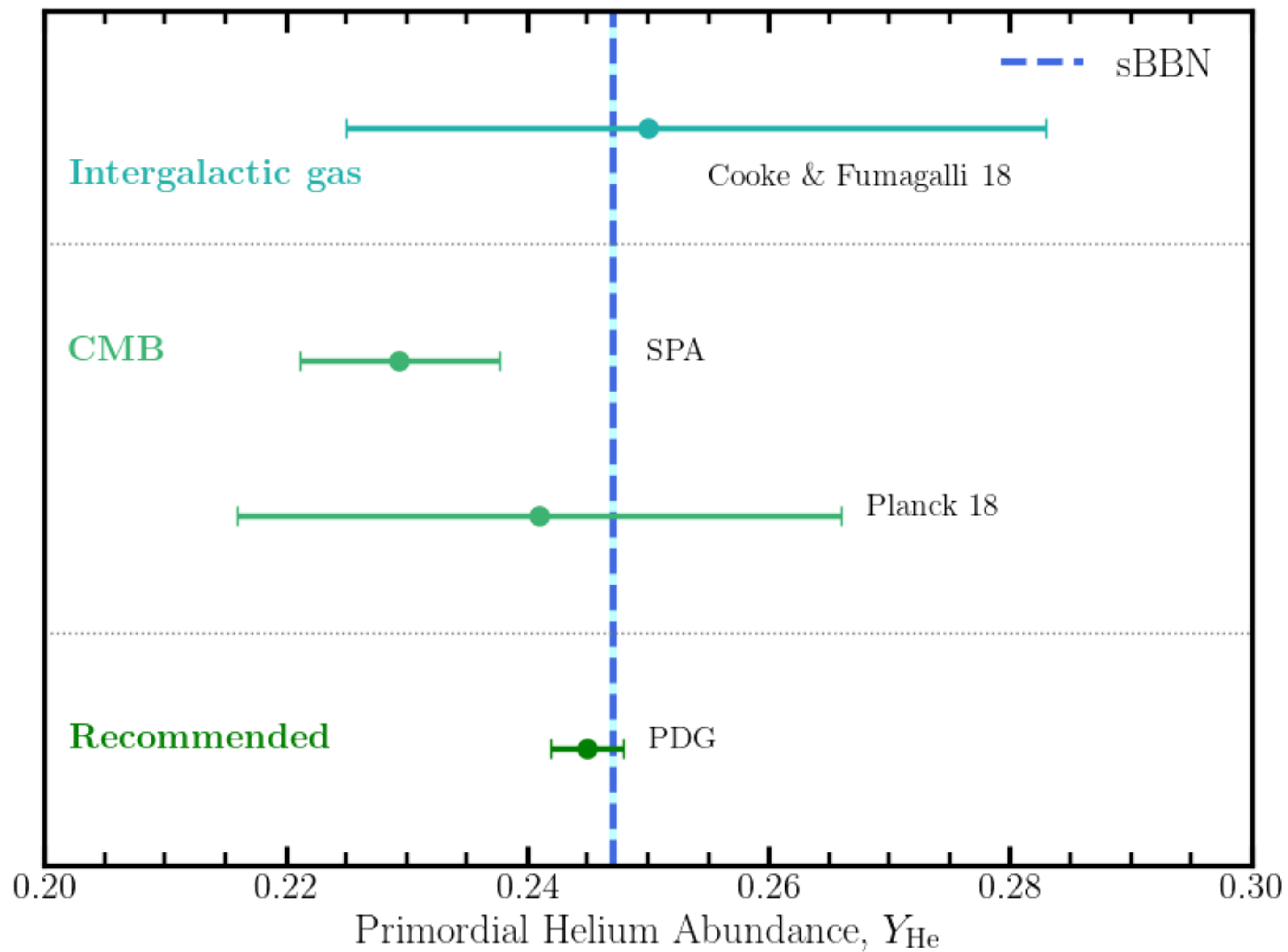
$$n \leftrightarrow p + e^- + \bar{\nu}_e$$

$$n + e^+ \leftrightarrow p + \bar{\nu}_e$$

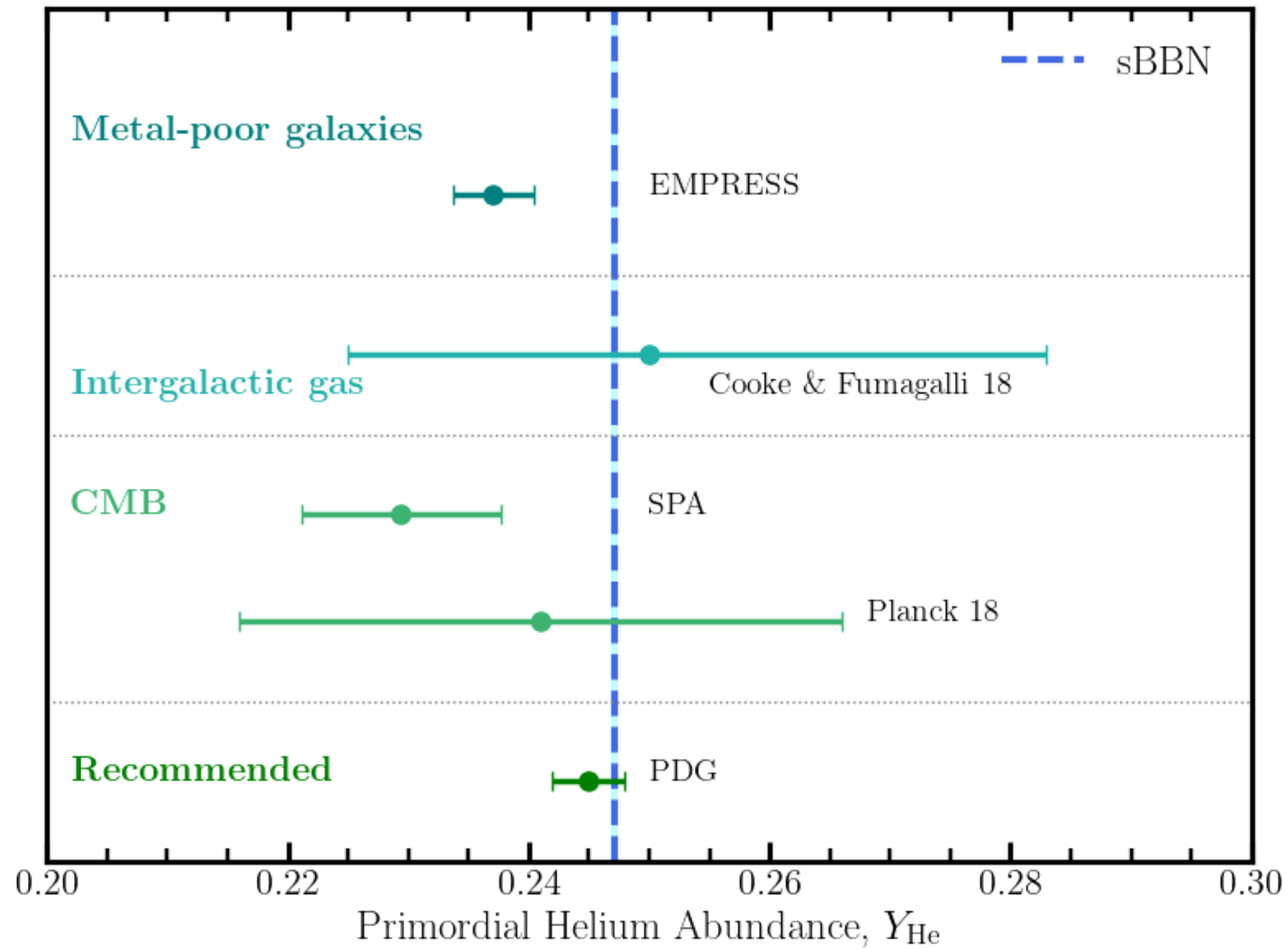
$$Y_{\text{He}} \simeq Y_{\text{He}}^{\text{sBBN}} e^{-0.96\xi_{\nu_e}}$$

[C. Pitrou et al., 1801.08023]

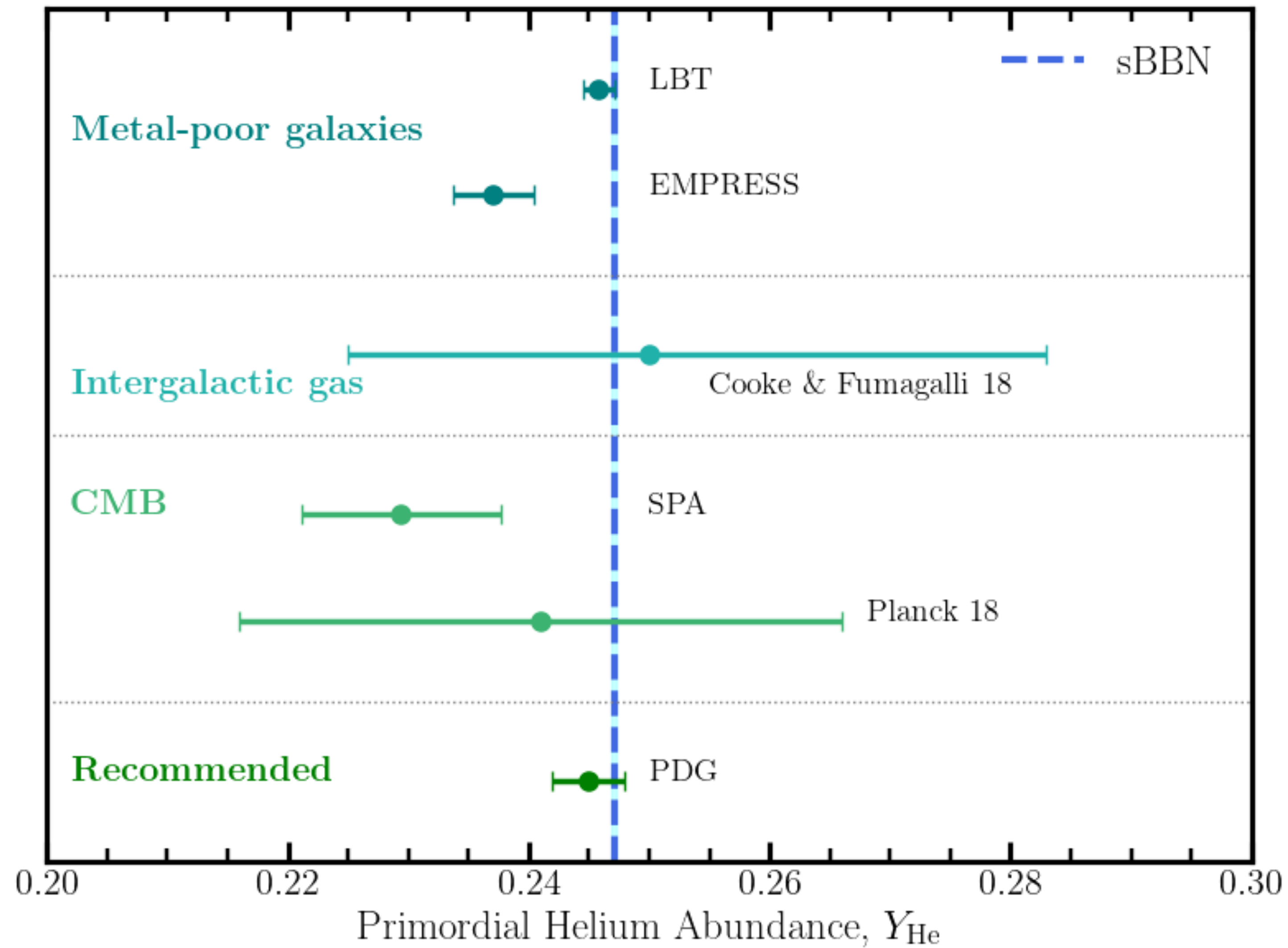
THEORY



THEORY



THEORY

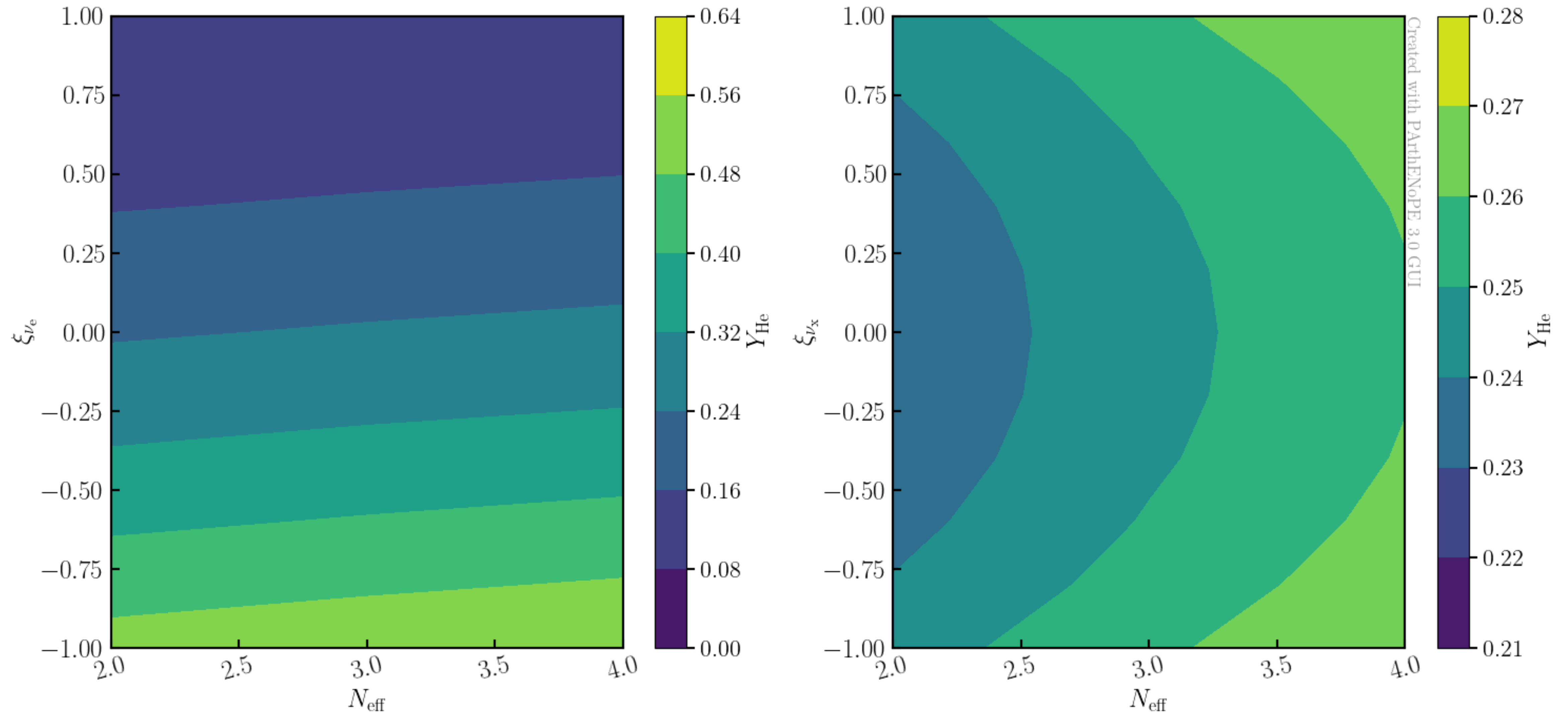


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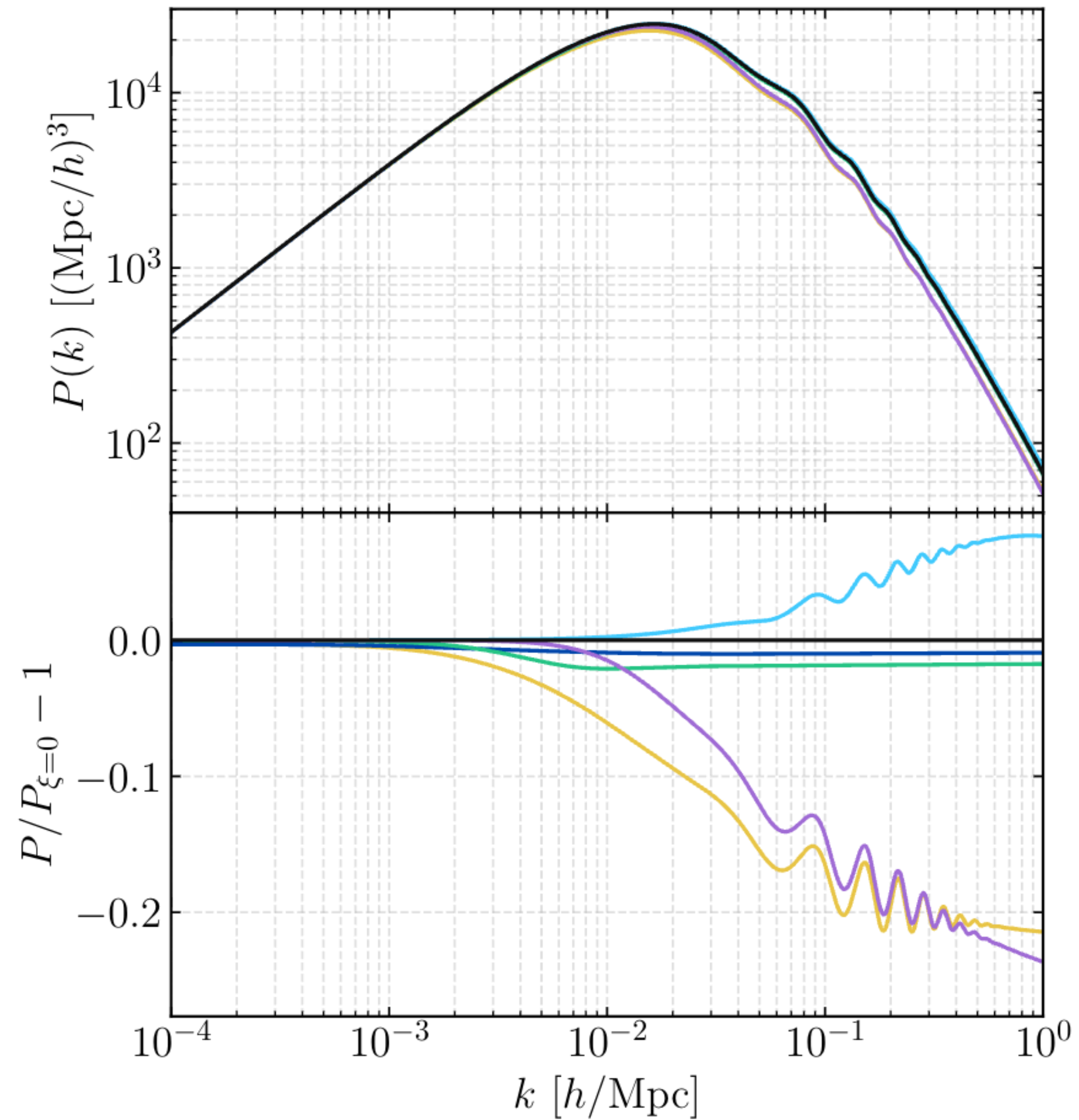
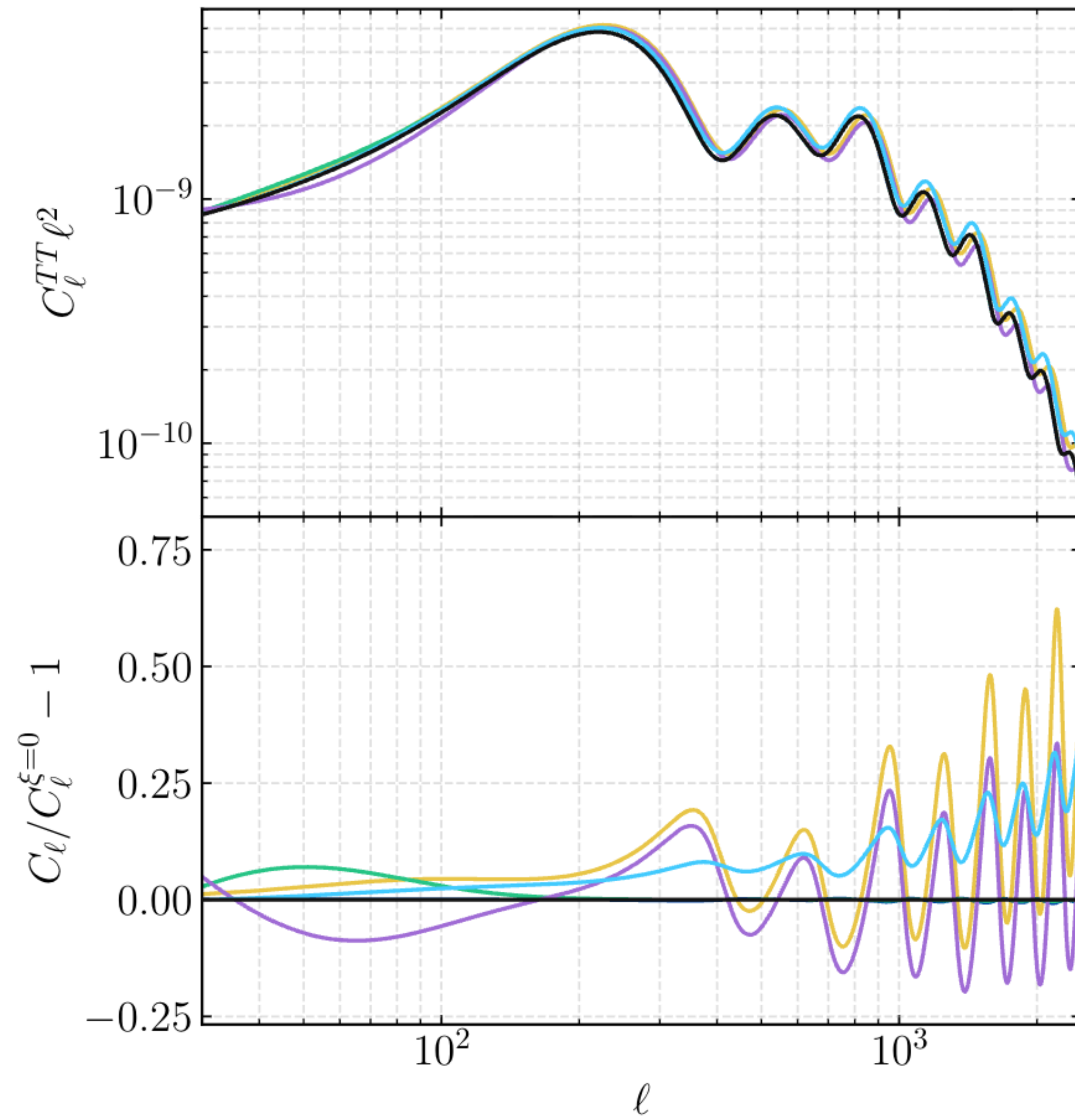


BBN



Obtained with **ParthENoPE 3.0 GUI** [S. Gariazzo et al., 2103.05027]

CMB



- $\xi_\nu = 0$
- $\xi_\nu = 1$
- $\xi_{\nu, \text{late}}$
- $\xi_{\nu, 115}$
- $\xi_{\nu, \text{rec}}$
- $\xi_{\nu, \text{BBN}}$

[P. Ghedini et al., 2006.xxxx]

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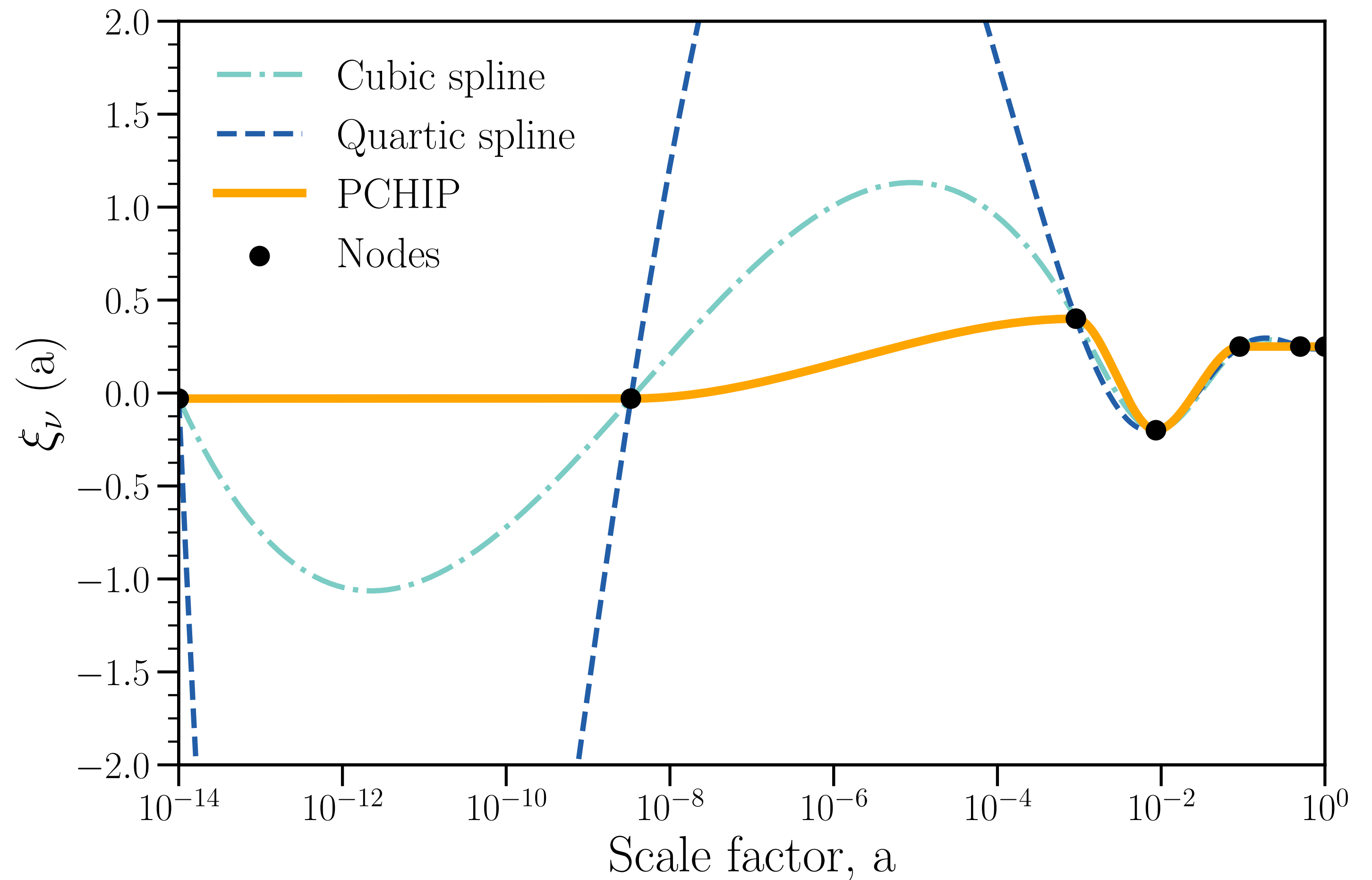


PCHIP FORMALISM

[Fritsch et al., 1980; S. Gariazzo et al., 1412.7405]

Piecewise
Cubic
Hermite
Interpolating
Polynomial

- ✓ Preserves the shape of the interpolated data points
- ✗ Depends on the number of nodes



[Adapted from P. Ghedini et al., 2512.16781]

COSMOLOGICAL SCENARIOS

We consider two different neutrino scenarios:

* **Case 3ν** : three degenerate neutrinos with $\sum m_\nu = 0.06 \text{ eV}$

* **Case $(1+2)\nu$** : one light neutrino, $m_{\nu_e} \sim \mathcal{O}(10^{-5}) \text{ eV}$, and two degenerate neutrinos, $\sum m_{\text{degenerate}} = 0.06 \text{ eV}$

COSMOLOGICAL SCENARIOS

We consider two different neutrino scenarios:

* **Case 3ν** : three degenerate neutrinos with $\sum m_\nu = 0.06$ eV

* **Case $(1+2)\nu$** : one light neutrino, $m_{\nu_e} \sim \mathcal{O}(10^{-5})$ eV, and two degenerate neutrinos, $\sum m_{\text{degenerate}} = 0.06$ eV

For each case, we assume:

* $\xi_{\nu, \text{constant}}$: we consider it as a free constant parameter

* $\xi_{\nu, \text{PCHIP}}$: we assume it to be time-varying and we reconstruct it with the PCHIP method

DATA

BASELINE (SPA + DESI)

- * **CMB**: we consider temperature, polarisation and lensing measurements from **Planck18**, **ACT DR6** and **SPT-3G D1**

[N. Aghanim et al., 1807.06205; L. Pagano et al., 1908.09856;
T. Louis et al., 2503.14452; E. Camphuis et al., 2506.20707;
F. J. Qu et al., 2304.05202; F. Ge et al., 2411.06000]

- * **BAO**: we consider BAO measurements from **DESI DR2**

[M. Abdul Karim et al., 2503.14738]

DATA

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- * **CMB**: we consider temperature, polarisation and lensing measurements from **Planck18**, **ACT DR6** and **SPT-3G D1**

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- * **BAO**: we consider BAO measurements from **DESI DR2**

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BBN POST PROCESSING†

[A. Matsumoto et al., 2203.09617; E. Aver et al., 2601.22238; PDG]

- * **EMPRESS**: a $\sim 3\sigma$ lower value for Y_{He} is reported
 $Y_{\text{He}} = 0.2370^{+0.0034}_{-0.0033}$ with respect to the standard value,
 $Y_{\text{He}}^{\text{sBBN}} = 0.24709 \pm 0.00017$

or

- * **LBT**: the newest and most precise measurement of Y_{He} to date, $Y_{\text{He}} = 0.2458 \pm 0.0013$



- * **PDG**: we use the Deuterium value reported by the PDG, $D/H = (25.08 \pm 0.29) \times 10^{-6}$

† We also include the theoretical errors of **PArthENoPE**

INFERENCE

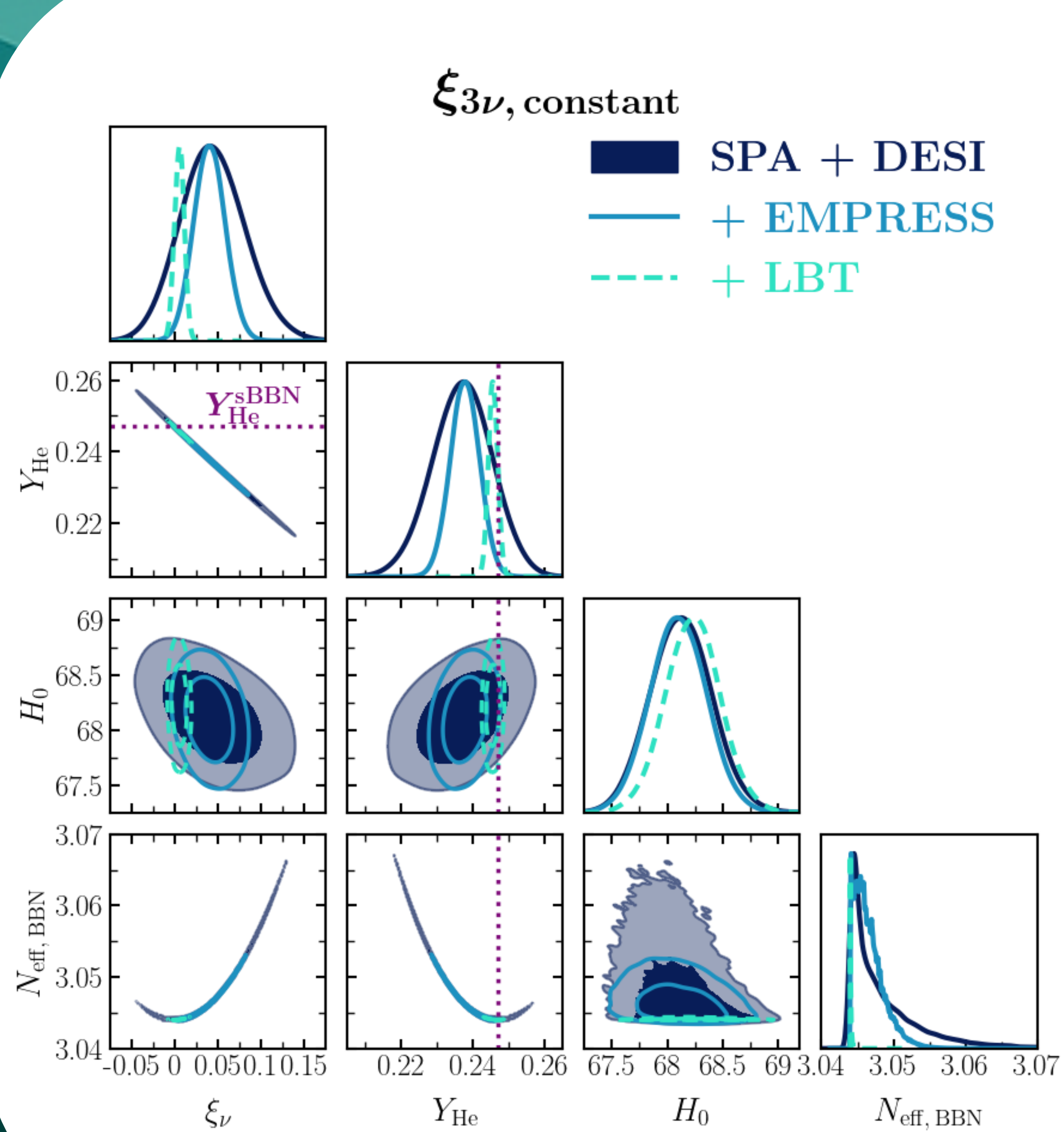
- * Modified version of **CLASS**[†] as Boltzmann solver [D. Blas et al., 1104.2933]
- * **Cobaya** for the MCMC analysis [J. Torrado et al., 2005.05290]
- * **getdist** for plotting and statistical analysis [A. Lewis, 1910.13970]
- * **PARthENoPE 3.0** for BBN predictions and tables [S. Gariazzo et al., 2103.05027]
- * **MCEvidence** for computing the (log) Bayes factor [A. Heavens et al., 1704.03472]

[†] Available upon reasonable request.

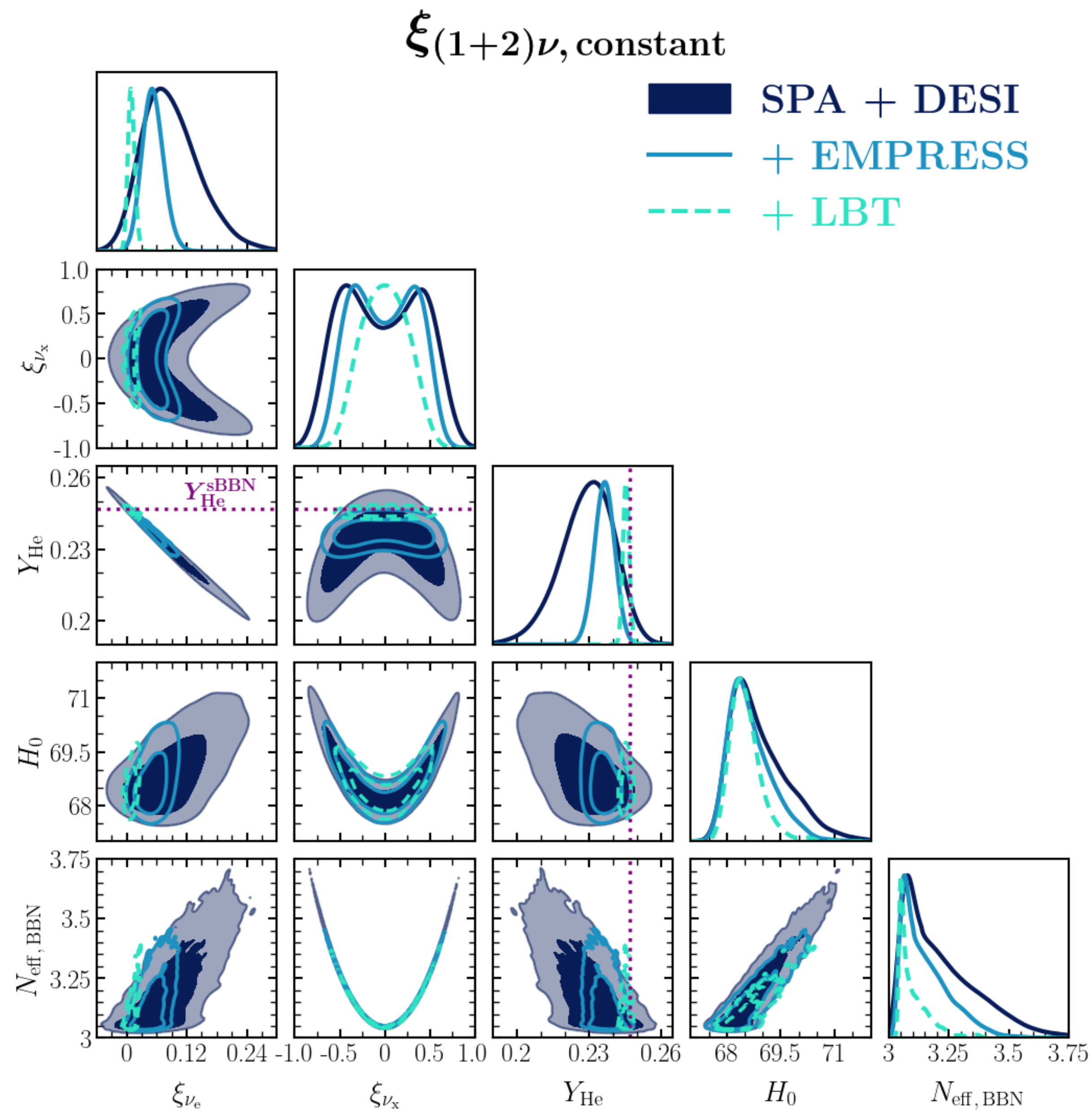
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[P. Ghedini et al., 2606.xxxx]



■ SPA + DESI
 — + EMPRESS
 - - - + LBT

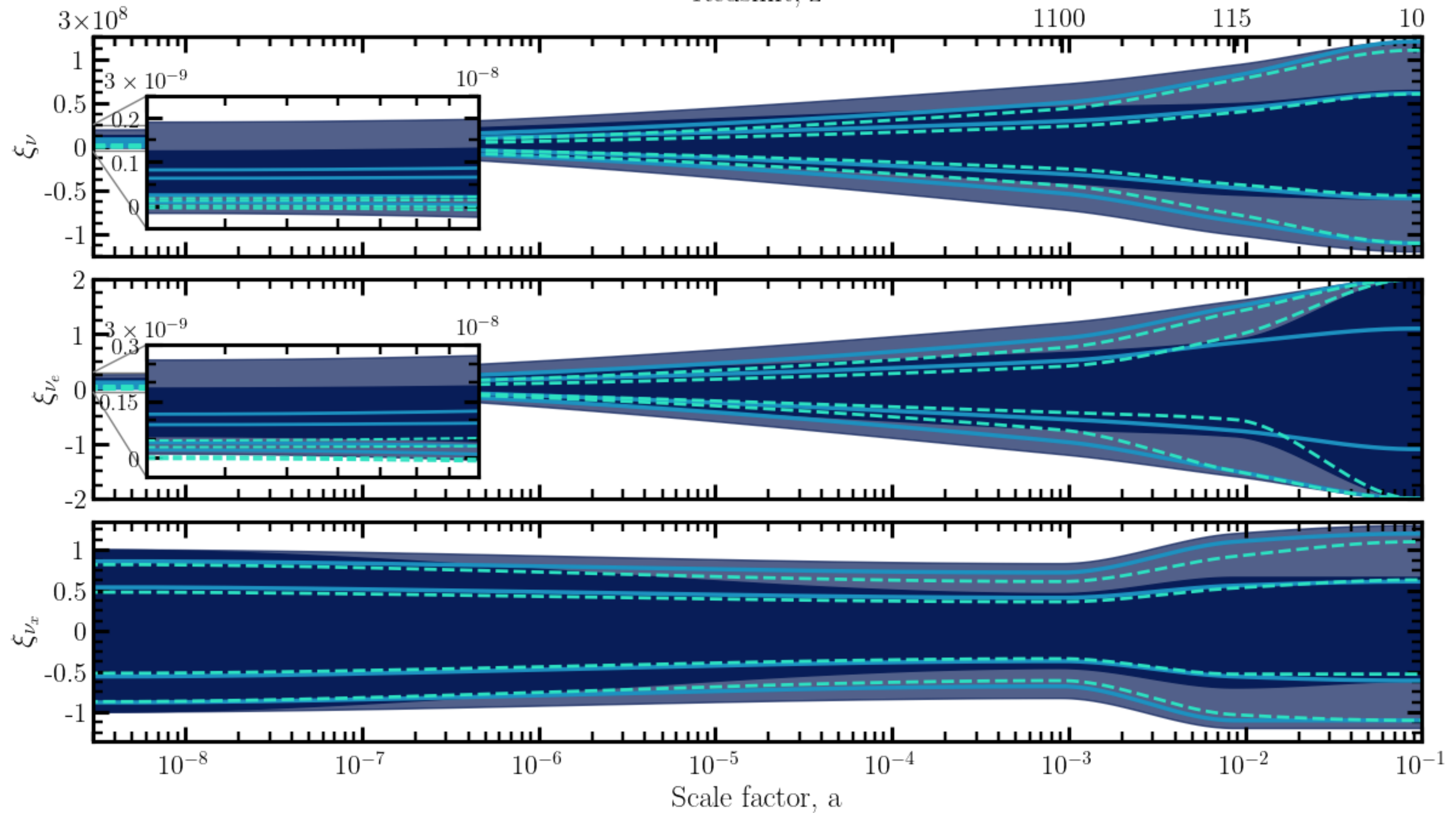
[P. Ghedini et al., 2606.xxxx]

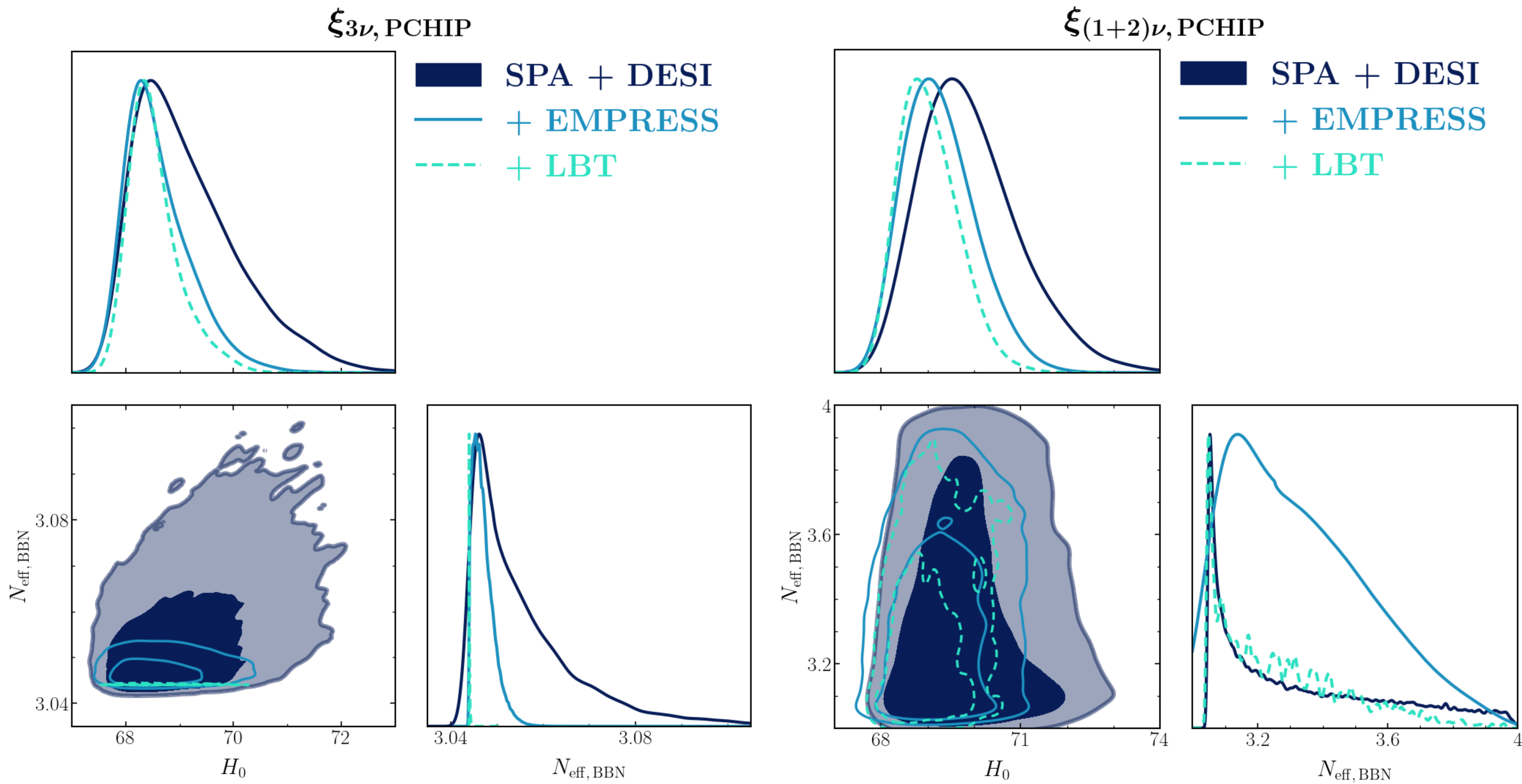
Redshift, z

1100

115

10





[P. Ghedini et al., 2606.xxxx]

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TAKE HOME MESSAGES

- * Current data are not able to place tight constraints on ξ_{ν_x} as they can do on ξ_{ν_e}
- * A higher value of H_0 is allowed since we get an increase in N_{eff}
- * We confirmed that BBN epoch is the time providing tightest constraints on ξ_ν

THANK YOU FOR THE ATTENTION!

Questions?

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Ayuda CEX2023-001292-S financiada por:



BACK UP

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PCHIP FORMALISM

[Fritsch et al., 1980; S. Gariazzo et al., 1412.7405]

$$f(x; y_1, \dots, y_N) = \frac{(h_j + 2t)(h_j - t)^2}{h_j^3} y_j + \frac{(3h_j - 2t)t^2}{h_j^3} y_{j+1} + \frac{t(h_j - t)^2}{h_j^2} d_j + \frac{t^2(h_j - t)}{h_j^2} d_{j+1}$$

$h_j = x_{j+1} - x_j$ $t = x - x_j$

$$\delta_j = \frac{y_{j+1} - y_j}{x_{j+1} - x_j}$$

For the first and last ($1 \rightarrow N-1$; $2 \rightarrow N-2$) nodes:

$$d(h_1, h_2, \delta_1, \delta_2) = \frac{(2h_1 + h_2)\delta_1 - h_1\delta_2}{h_1 + h_2}$$

if $\delta_1 \times d(h_1, h_2, \delta_1, \delta_2) < 0 \rightarrow d_1 = 0$;

if $\delta_1 \times \delta_2 < 0$ & $|d(h_1, h_2, \delta_1, \delta_2)| > 3|\delta_1| \rightarrow d_1 = 3\delta_1$;

else $d_1 = d(h_1, h_2, \delta_1, \delta_2)$

if $\delta_{j-1} \times \delta_j < 0 \rightarrow d_j = 0$;

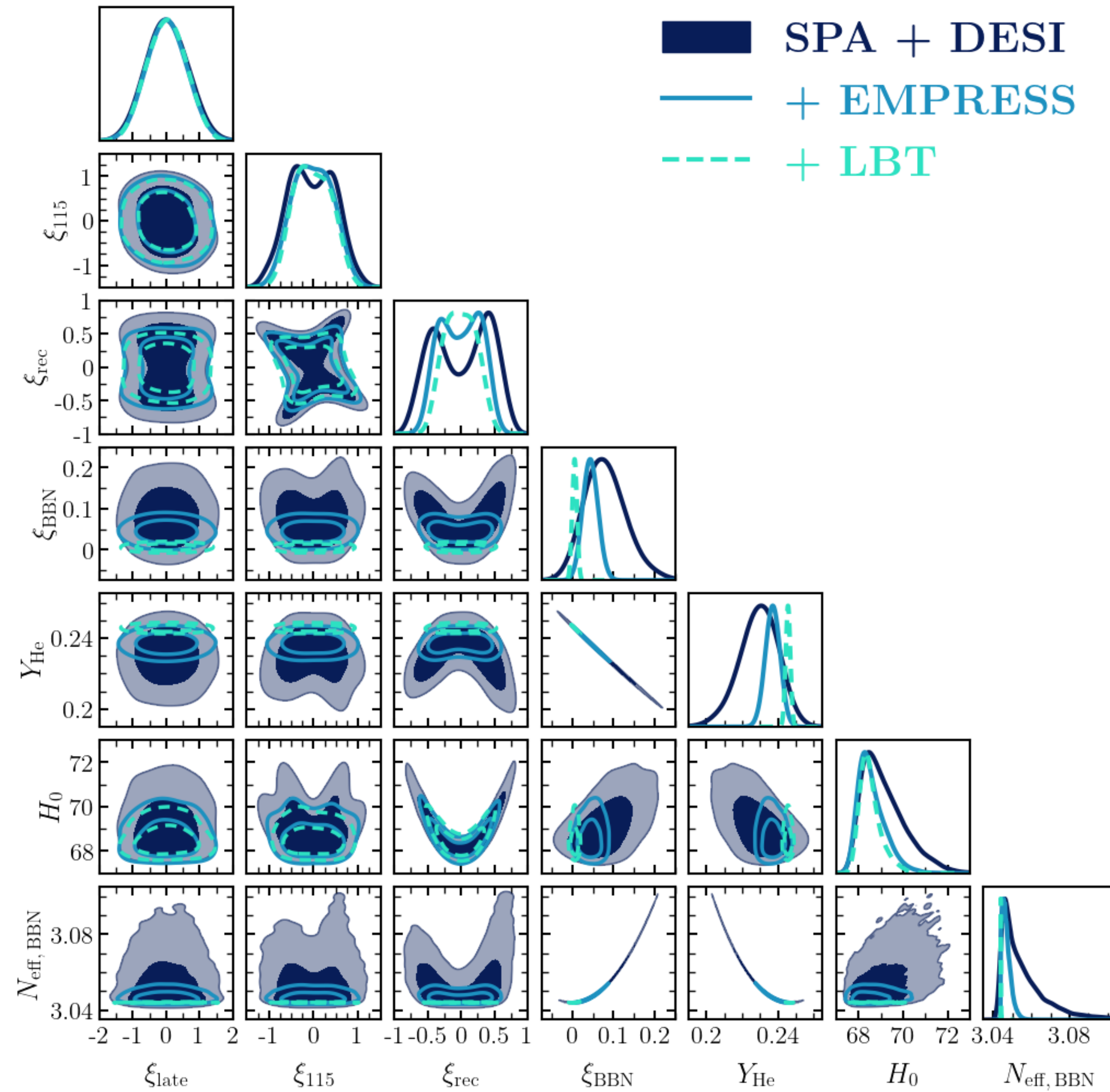
if $\delta_{j-1} \times \delta_j > 0$:

$$\frac{\omega_1 + \omega_2}{d_j} = \frac{\omega_1}{\delta_{j-1}} + \frac{\omega_2}{\delta_j}$$

$$\omega_1 = 2h_j + h_{j+1}$$

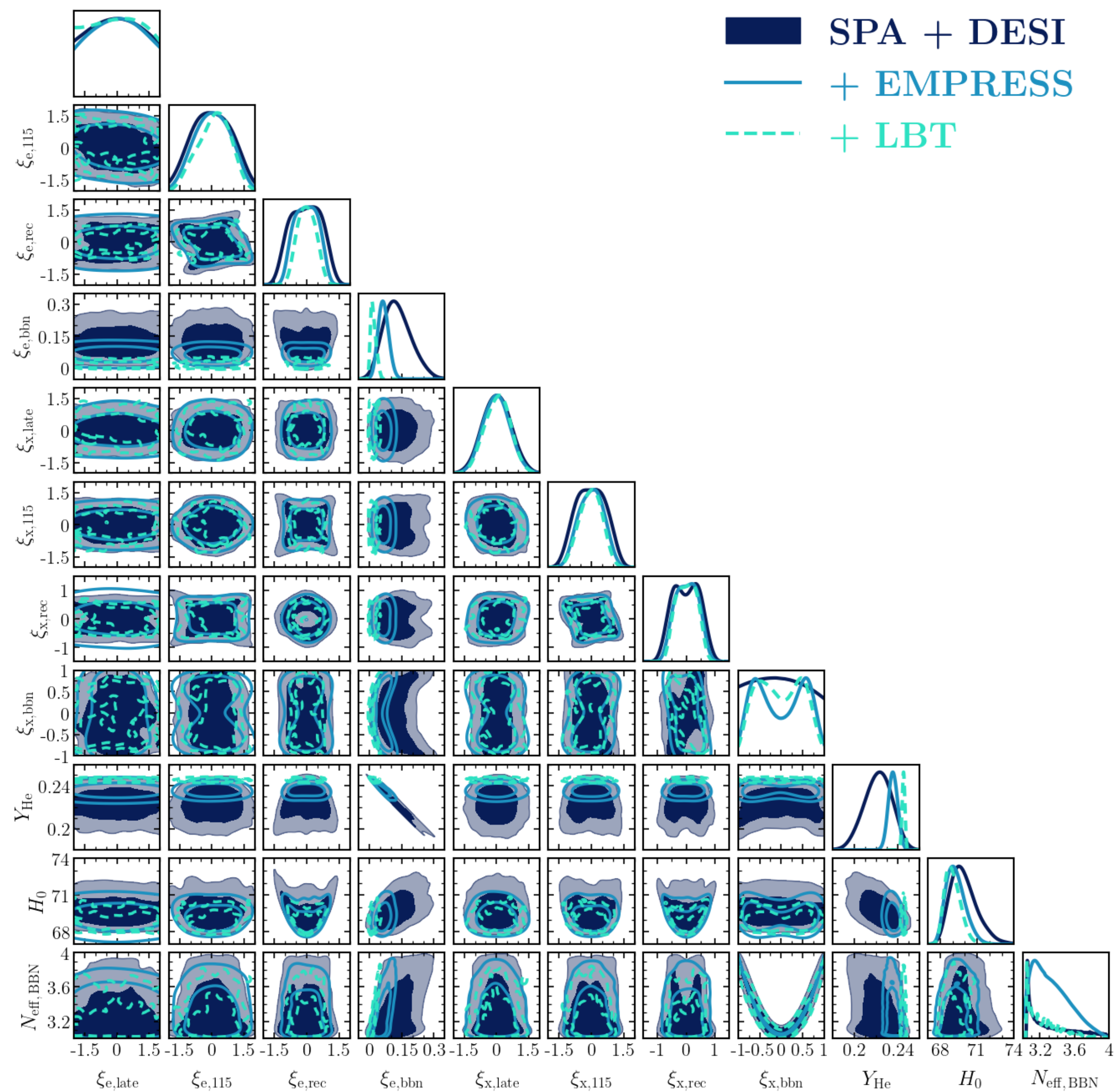
$$\omega_2 = h_j + 2h_{j+1}$$

$\xi_{3\nu}$, PCHIP



[P. Ghedini et al., 2606.xxxx]

$\xi_{(1+2)\nu, \text{PCHIP}}$



[P. Ghedini et al., 2606.xxxx]

$\xi_{3\nu, \text{constant}}$			
	SPA + DESI	+ EMPRESS	+ LBT
$100\theta_s$	$1.04170^{+0.00048}_{-0.00047}$	$1.04171^{+0.00046}_{-0.00045}$	1.04178 ± 0.00044
τ_{reio}	$0.066^{+0.012}_{-0.011}$	$0.066^{+0.012}_{-0.011}$	$0.066^{+0.012}_{-0.011}$
$\log(10^{10} A_s)$	$3.064^{+0.023}_{-0.021}$	$3.064^{+0.022}_{-0.020}$	$3.067^{+0.022}_{-0.021}$
n_s	0.9692 ± 0.0098	0.9696 ± 0.0068	$0.9735^{+0.0057}_{-0.0058}$
$\Omega_c h^2$	0.1179 ± 0.0012	0.1179 ± 0.0012	0.1179 ± 0.0012
$\Omega_b h^2$	0.02240 ± 0.00025	0.02238 ± 0.00020	0.02247 ± 0.00018
ξ_ν	$0.044^{+0.077}_{-0.071}$	$0.041^{+0.036}_{-0.035}$	0.006 ± 0.011
Y_{He}	$0.237^{+0.016}_{-0.017}$	$0.2378^{+0.0079}_{-0.0080}$	0.2456 ± 0.0025
H_0	$68.13^{+0.56}_{-0.54}$	$68.10^{+0.51}_{-0.50}$	68.23 ± 0.49
$N_{\text{eff, BBN}}$	$3.048^{+0.011}_{-0.005}$	$3.0466^{+0.0042}_{-0.0027}$	$3.04409^{+0.00021}_{-0.00010}$
$\ln \mathcal{B}$	1.683 ± 0.017	0.285 ± 0.026	2.844 ± 0.069

$\xi_{3\nu, \text{PCHIP}}$			
$100\theta_s$	$1.04126^{+0.00080}_{-0.00093}$	$1.04152^{+0.00056}_{-0.00059}$	$1.04168^{+0.00050}_{-0.00052}$
τ_{reio}	$0.065^{+0.013}_{-0.011}$	0.066 ± 0.012	$0.067^{+0.013}_{-0.012}$
$\log(10^{10} A_s)$	$3.072^{+0.026}_{-0.024}$	$3.070^{+0.025}_{-0.023}$	3.072 ± 0.023
n_s	$0.973^{+0.013}_{-0.011}$	$0.9727^{+0.0096}_{-0.0091}$	$0.9759^{+0.0081}_{-0.0075}$
$\Omega_c h^2$	$0.1213^{+0.0067}_{-0.0045}$	$0.1195^{+0.0037}_{-0.0027}$	$0.1189^{+0.0028}_{-0.0022}$
$\Omega_b h^2$	0.02243 ± 0.00025	$0.02242^{+0.00022}_{-0.00021}$	$0.02250^{+0.00021}_{-0.00020}$
$\xi_{\nu, \text{late}}$	0.0 ± 1.2	$0.0^{+1.2}_{-1.1}$	0.0 ± 1.1
$\xi_{\nu, 115}$	$-0.03^{+0.96}_{-0.98}$	-0.02 ± 0.83	$-0.02^{+0.78}_{-0.75}$
$\xi_{\nu, \text{rec}}$	$0.02^{+0.69}_{-0.74}$	$-0.01^{+0.051}_{-0.052}$	$-0.01^{+0.44}_{-0.43}$
$\xi_{\nu, \text{BBN}}$	$0.081^{+0.11}_{-0.098}$	$0.044^{+0.038}_{-0.036}$	0.006 ± 0.011
Y_{He}	$0.229^{+0.021}_{-0.022}$	$0.2370^{+0.0081}_{-0.0082}$	0.2456 ± 0.0026
H_0	$69.1^{+2.1}_{-1.5}$	$68.8^{+1.5}_{-1.2}$	$68.6^{+1.2}_{-0.88}$
$N_{\text{eff, BBN}}$	$3.056^{+0.028}_{-0.015}$	$3.0471^{+0.0046}_{-0.0032}$	$3.04410^{+0.00023}_{-0.00010}$
$\ln \mathcal{B}$	-0.877 ± 0.046	-1.734 ± 0.070	2.086 ± 0.053

[P. Ghedini et al., 2606.xxxx]

	$\xi_{(1+2)\nu}$, constant		
	SPA + DESI	+ EMPRESS	+ LBT
$100\theta_s$	$1.04129^{+0.00080}_{-0.00092}$	$1.04148^{+0.00058}_{-0.00061}$	$1.04167^{+0.00049}_{-0.00055}$
τ_{reio}	$0.065^{+0.012}_{-0.011}$	$0.066^{+0.012}_{-0.011}$	$0.067^{+0.012}_{-0.011}$
$\log(10^{10} A_s)$	$3.067^{+0.023}_{-0.021}$	$3.067^{+0.022}_{-0.021}$	$3.069^{+0.021}_{-0.020}$
n_s	0.971 ± 0.010	$0.9725^{+0.0089}_{-0.0082}$	$0.9752^{+0.0072}_{-0.0066}$
$\Omega_c h^2$	$0.1205^{+0.0053}_{-0.0037}$	$0.1196^{+0.0036}_{-0.0027}$	$0.1188^{+0.0025}_{-0.0021}$
$\Omega_b h^2$	0.02242 ± 0.00025	$0.02244^{+0.00024}_{-0.00021}$	$0.02251^{+0.00020}_{-0.00019}$
ξ_{ν_e}	$0.09^{+0.12}_{-0.11}$	$0.052^{+0.045}_{-0.040}$	$0.009^{+0.015}_{-0.013}$
ξ_{ν_x}	$-0.02^{+0.73}_{-0.71}$	$-0.01^{+0.58}_{-0.59}$	$0.00^{+0.46}_{-0.45}$
Y_{He}	$0.229^{+0.021}_{-0.023}$	$0.2365^{+0.0082}_{-0.0084}$	0.2455 ± 0.0025
H_0	$68.9^{+1.7}_{-1.3}$	$68.7^{+1.3}_{-1.0}$	$68.52^{+0.90}_{-0.78}$
$N_{\text{eff, BBN}}$	$3.22^{+0.33}_{-0.21}$	$3.15^{+0.21}_{-0.13}$	$3.10^{+0.13}_{-0.07}$
$\ln \mathcal{B}$	0.034 ± 0.031	-1.379 ± 0.052	2.707 ± 0.033

	$\xi_{(1+2)\nu}$, PCHIP		
	$100\theta_s$	$1.04125^{+0.00065}_{-0.00068}$	$1.04148^{+0.00058}_{-0.00061}$
τ_{reio}	0.064 ± 0.012	0.066 ± 0.012	0.068 ± 0.012
$\log(10^{10} A_s)$	$3.076^{+0.030}_{-0.027}$	$3.077^{+0.027}_{-0.025}$	$3.079^{+0.024}_{-0.023}$
n_s	$0.974^{+0.014}_{-0.012}$	$0.976^{+0.011}_{-0.010}$	$0.9784^{+0.0092}_{-0.0086}$
$\Omega_c h^2$	$0.1238^{+0.0073}_{-0.0061}$	$0.1215^{+0.0047}_{-0.0040}$	$0.1203^{+0.0036}_{-0.0031}$
$\Omega_b h^2$	$0.02244^{+0.00024}_{-0.00025}$	0.02248 ± 0.00022	$0.02255^{+0.00020}_{-0.00018}$
$\xi_{\nu_e, \text{late}}$	—	—	—
$\xi_{\nu_e, 115}$	0.0 ± 1.6	0.0 ± 1.5	$0.1^{+1.3}_{-1.4}$
$\xi_{\nu_e, \text{rec}}$	0.0 ± 1.2	-0.02 ± 0.94	$-0.01^{+0.76}_{-0.74}$
$\xi_{\nu_e, \text{BBN}}$	$0.13^{+0.13}_{-0.12}$	$0.066^{+0.050}_{-0.045}$	$0.019^{+0.027}_{-0.022}$
$\xi_{\nu_x, \text{late}}$	$0.0^{+1.3}_{-1.2}$	$0.0^{+1.2}_{-1.1}$	0.0 ± 1.1
$\xi_{\nu_x, 115}$	0.0 ± 1.2	0.0 ± 1.1	$-0.03^{+0.95}_{-1.0}$
$\xi_{\nu_x, \text{rec}}$	0.00 ± 0.83	0.02 ± 0.70	0.01 ± 0.60
$\xi_{\nu_x, \text{BBN}}$	—	-0.01 ± 0.87	$-0.02^{+0.84}_{-0.85}$
Y_{He}	$0.222^{+0.023}_{-0.026}$	$0.2357^{+0.0083}_{-0.0084}$	$0.2455^{+0.0025}_{-0.0026}$
H_0	$69.9^{+2.2}_{-1.9}$	$69.3^{+1.6}_{-1.4}$	$69.0^{+1.3}_{-1.1}$
$N_{\text{eff, BBN}}$	$3.33^{+0.60}_{-0.29}$	$3.32^{+0.45}_{-0.34}$	$3.27^{+0.44}_{-0.23}$
$\ln \mathcal{B}$	-4.799 ± 0.129	-5.621 ± 0.155	-2.854 ± 0.157

[P. Ghedini et al., 2606.xxxx]