

Optimizing Laser Parameters For Blowout Regime: From Petawatt NIR to LWIR Wakefield Drivers

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The Collaboration

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SEAWULF @ Stony Brook University

What laser parameters underly the blowout formation and wakefield strength?

Consider two realistic laser systems

	LWIR @ ATF	Ti:Sapph @ ZEUS
P [TW]	15	2500
λ_0 [μm]	9.2	0.8
τ_0 [fs]	500	25
$k_p c \tau_0$	3.98	0.199
w_0 [μm]	75	75
$k_p w_0$	1.99	1.99
a_0	3.26	3.66
$a_0 / k_p w_0$	1.64	1.84

Similar
Different

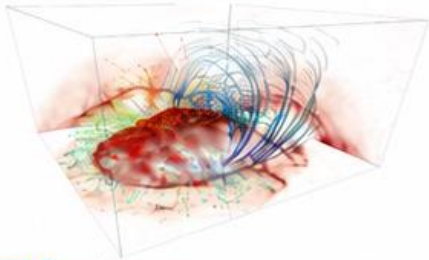
$$n = 2 \times 10^{16}; \frac{1}{k_p} = 37.6 \mu m$$

OSIRIS and FBPIC codes are used throughout this work



osiris framework

Massively Parallel, Fully Relativistic
Particle-in-Cell (PIC) Code
Visualization and Data Analysis
Infrastructure
Developed by the osiris.consortium
⇒ UCLA + IST



UCLA

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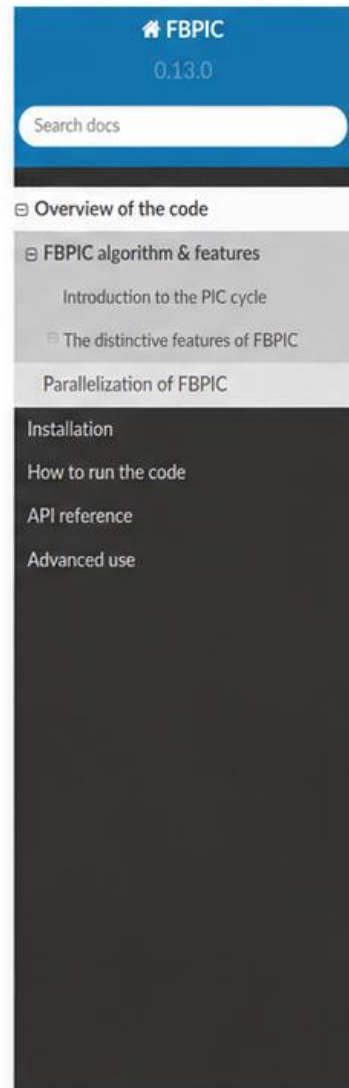
<http://plasmasim.physics.ucla.edu/>



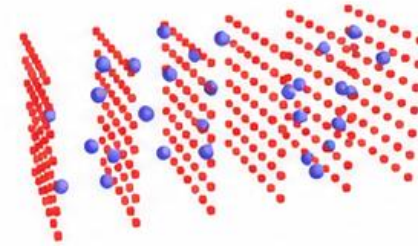
code features

Scalability to ~ 1.6 M cores
SIMD hardware optimized
Parallel I/O
Dynamic Load Balancing
QED module
Particle merging
GPGPU support
Xeon Phi Support

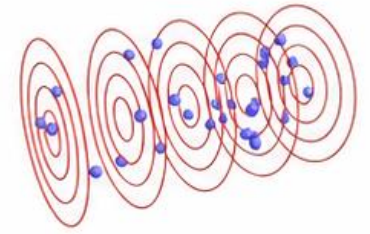
<https://fbpic.github.io/>



FBPIC (Fourier-Bessel Particle-In-Cell) code:

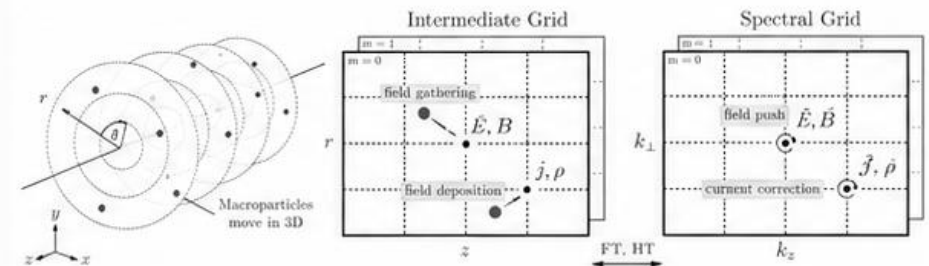


3D Cartesian grid



Cylindrical grid (schematic)

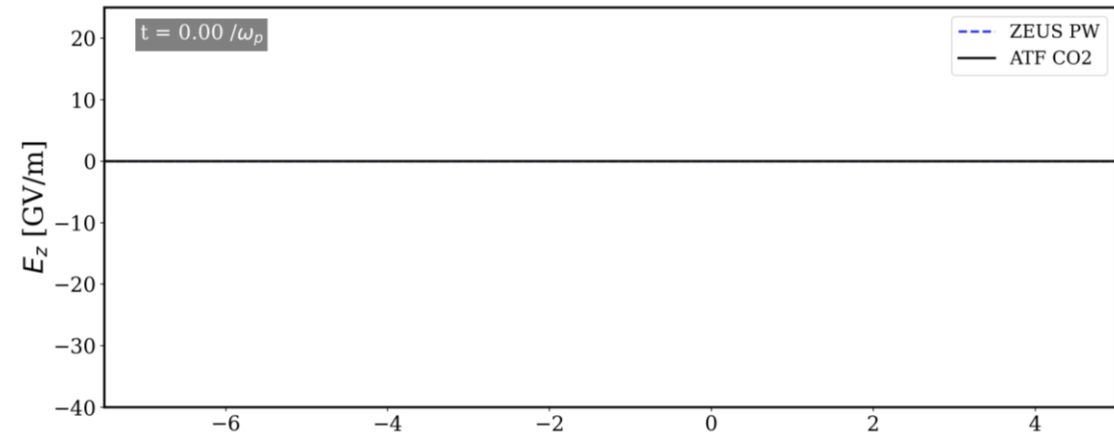
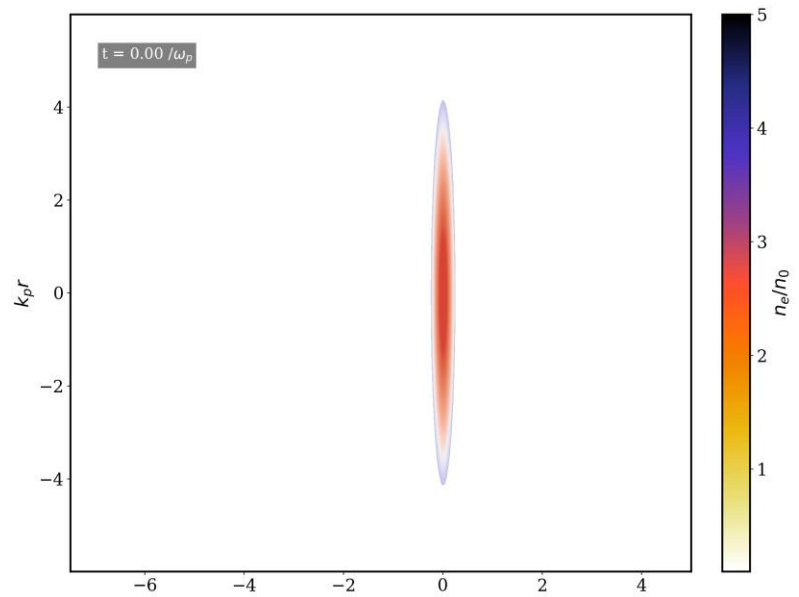
The above image is only a schematic view. In fact, instead of using a 3D Cartesian grid, FBPIC (and other PIC codes such as *Calder Circ*) use a set of 2D radial grids, as represented below. Each 2D radial grid represents an azimuthal mode (labeled by an integer m):



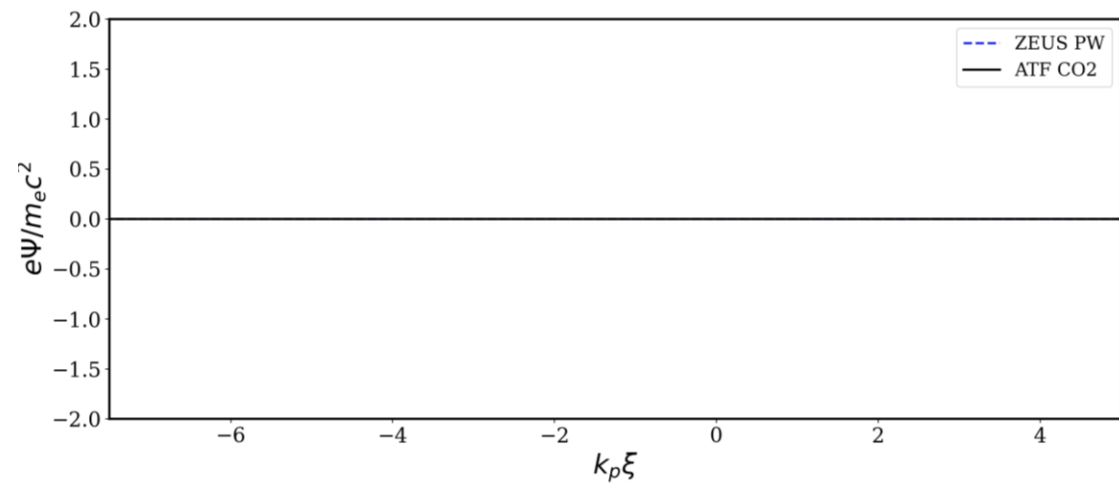
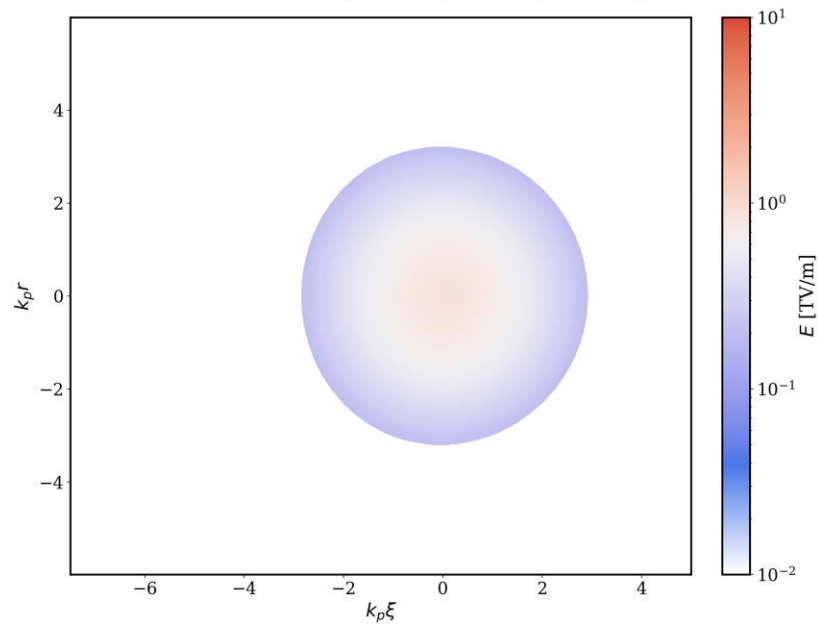
- The grid for $m = 0$ represents the fields that are **independent of θ** . (In idealized laser-wakefield acceleration, this is for instance the case for the wakefield.)
- The grid for $m = 1$ represents the fields that **vary proportionally to $\cos(\theta)$ and $\sin(\theta)$** . (In idealized laser-wakefield acceleration, this is the case of a linearly-polarized laser field, when expressed in cylindrical coordinates, as E_r and E_θ .)
- The grids for higher values of m represent the fields that **vary proportionally to $\cos(m\theta)$ and $\sin(m\theta)$** . These modes take into account further departures from the cylindrical symmetry.

For more details on the cylindrical representation with azimuthal decomposition, see the [original paper](#) of the PIC code *Calder Circ*.

ZEUS
Ti:Sapph



ATF
LWIR



Value of the laser a_0 is not a sufficient predictor of the blowout strength

This conclusion is contrary to the conventional view of this interaction

“... for sufficiently intense and ultrashort lasers, $a_0 > 4$, the resulting electron density structure will resemble a spherical cavity and it was shown that the laser spot size needed to be matched to the maximum blowout (bubble) radius in order to achieve the most ideal wakes. It is worth noting for $2 < a_0 < 4$ electron blowout still occurs with the cavity slightly deviating from a spherical shape.”

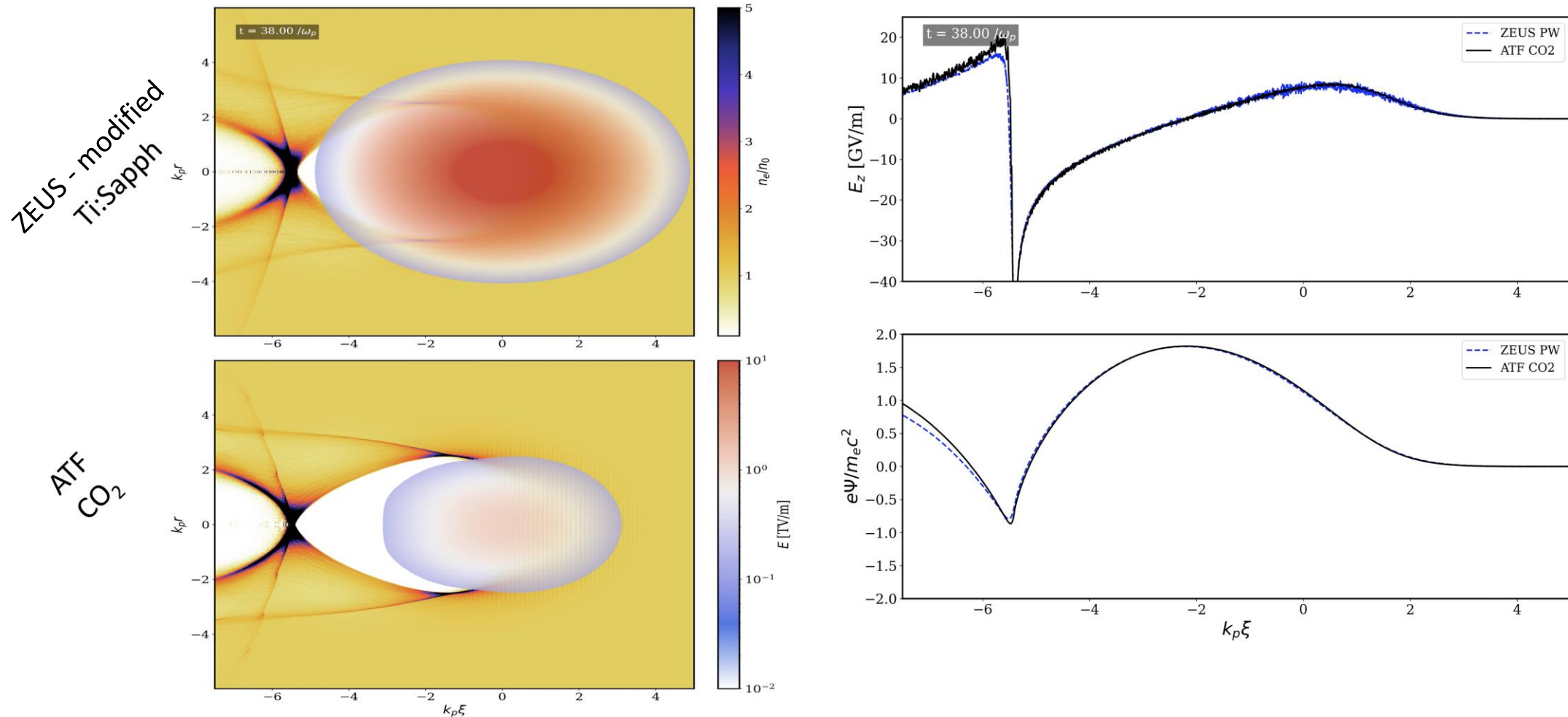
W. Lu, et al., “Generating multi-GeV electron bunches using single stage laser wakefield acceleration in a 3D nonlinear regime,” *Phys. Rev. ST Accel. Beams* **10**, 061301 (2007).

Synthesis

- Large blowout radius is important for a number of applications, including staging, multi-beam experiments like seeding ionization injection, or colliding beam experiments such as inverse Compton scattering.
- Both spot size and pulse length play essential roles in reaching blowout. Laser wavelength has no independent effect when normalized strength, size, and duration are matched.
- Across simulations, the onset of blowout is described by an integrated-force criterion
- LWIR lasers are naturally well suited to driving ‘petawatt-class’ plasma wakefields

Laser wavelength does not control blowout when normalized size and strength are equal

For a direct comparison, Ti:Sapphire parameters are adjusted so that a_0 , $k_p w_0$, and $k_p c\tau$ match the LWIR case



Let's return to basics...

- The normalized ponderomotive force (in linear limit)

$$F_p = -\nabla(a^2/2)$$

- Consider vector potential envelope of a form

$$a = a_0 \exp\left(-\frac{r^2}{w_0^2}\right) \exp\left(-\frac{\xi^2}{(c\tau)^2}\right)$$

- The role of transverse spot size is clear:

$$F_{\perp} \propto a_0^2/w_0^2$$

- The role of pulse length is more ambiguous

(1) It can act like a plow
(smaller τ is better)

$$F_{\parallel} \propto a_0^2/(c\tau)^2$$

(2) It can reinforce transverse
push (larger τ is better)

$$p_{\perp} = \int F_{\perp} d\tau$$

Performed a pulse length scan to isolate its role

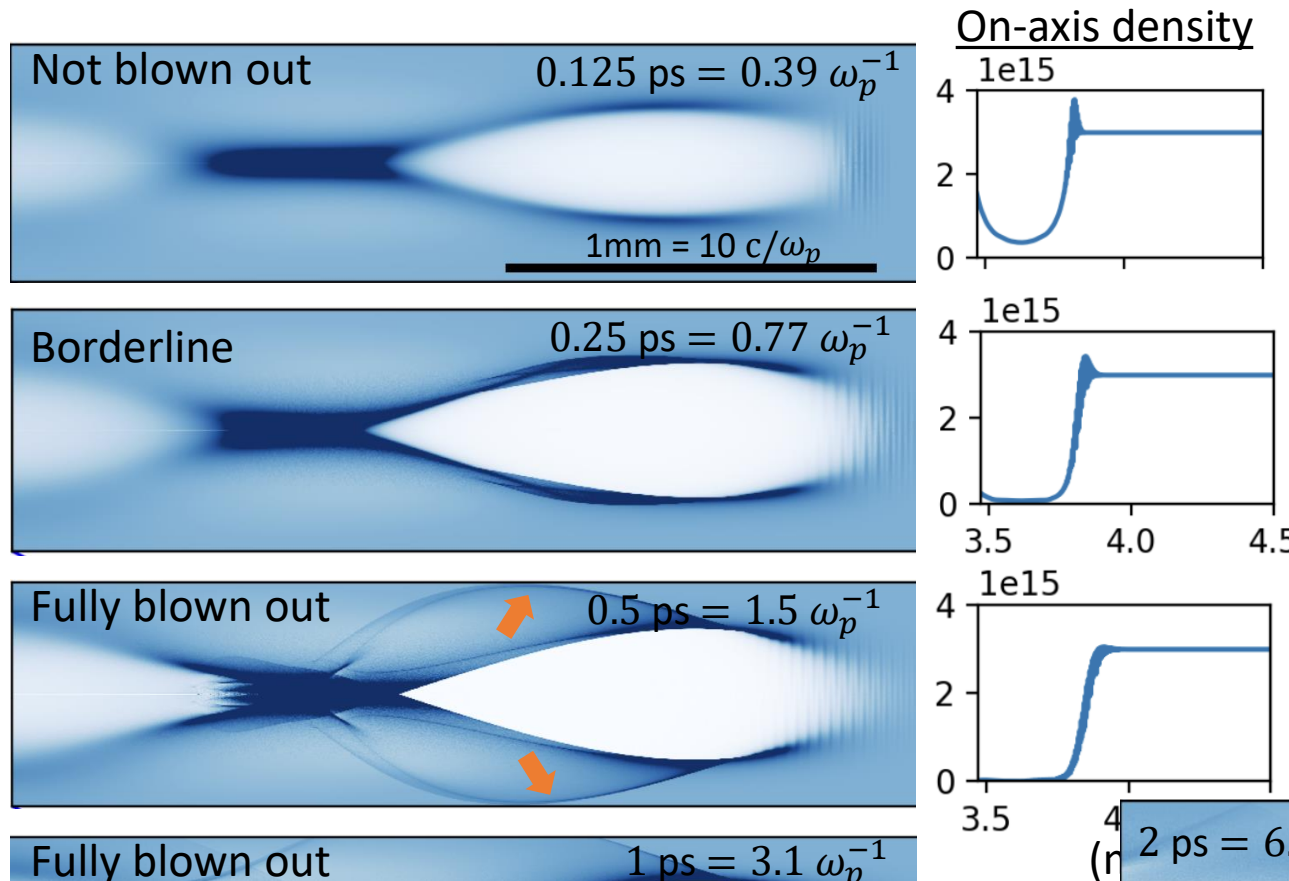
Fixed Conditions

	Physical Input	Normalized Parameters
Plasma density	$3 \times 10^{15} \text{ cm}^{-3}$	$c/\omega_p = 97 \mu\text{m}$
Laser strength (a_0)	1.0	
Spot size	$40 \mu\text{m}$	$k_p w_0 = 0.41$
Laser wavelength	$9.2 \mu\text{m}$	
Focus position	3.7 mm	$k_p z_f = 38$

Pulse Length Scan

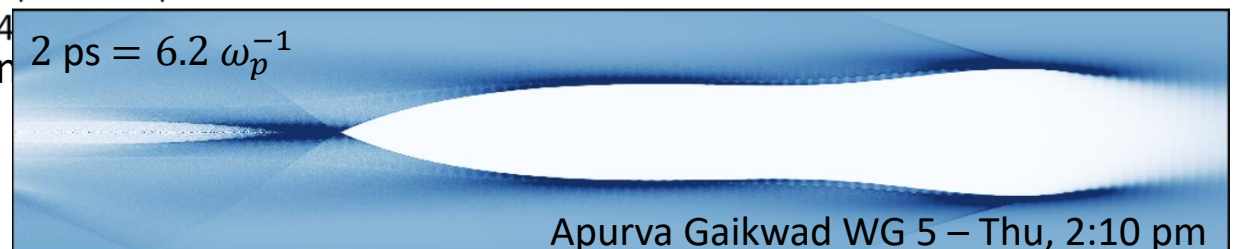
τ_{FWHM}	2 ps	1 ps	0.5 ps	0.25 ps	0.125 ps
$k_p c \tau$	6.2	3.1	1.5	0.77	0.39

For a fixed a_0/w_0 , reducing pulse length only reduces the degree of nonlinearity



- Increasing pulse length primarily manifests in the transverse momentum of electrons in “outer sheath” defining wakefield boundary
- The “inner sheath” is formed by a population of electrons starting from laser edge and are only modestly affected by laser fields
- Therefore, past a threshold, increasing pulse length does not affect the blowout region

 This case is the exception!

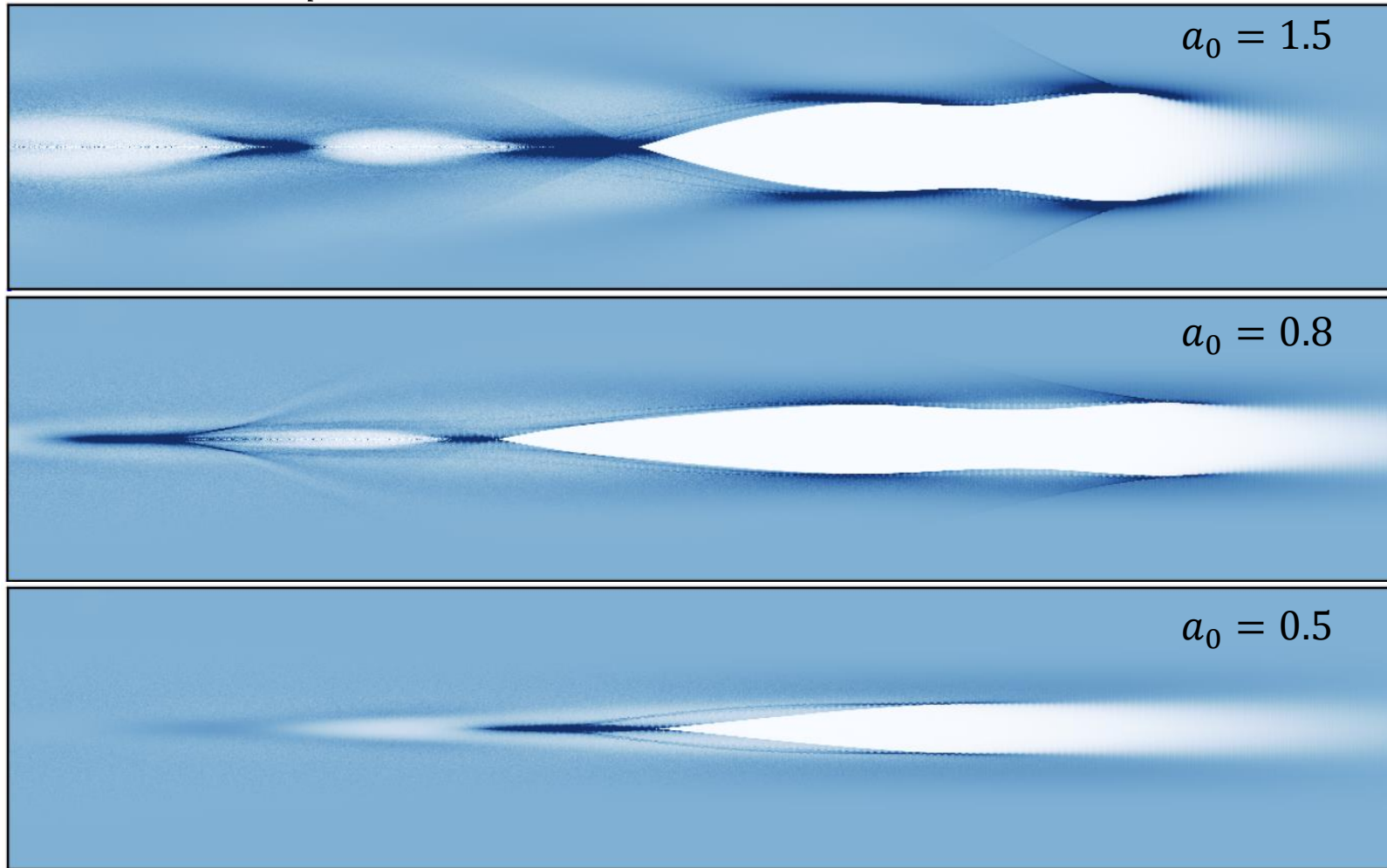


Conversely, full blowout persists at low a_0 if the pulse is long enough

$$w_0 = 60 \mu m, k_p w_0 = 0.62$$

$$n_e = 3 \times 10^{15} \text{cm}^{-3}$$

$$\tau = 2 \text{ps}, k_p c \tau = 6.2$$



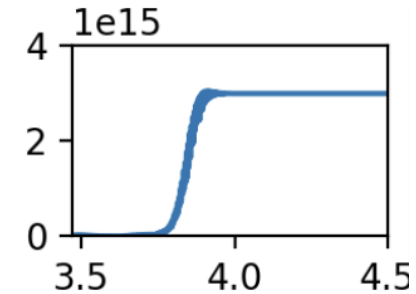
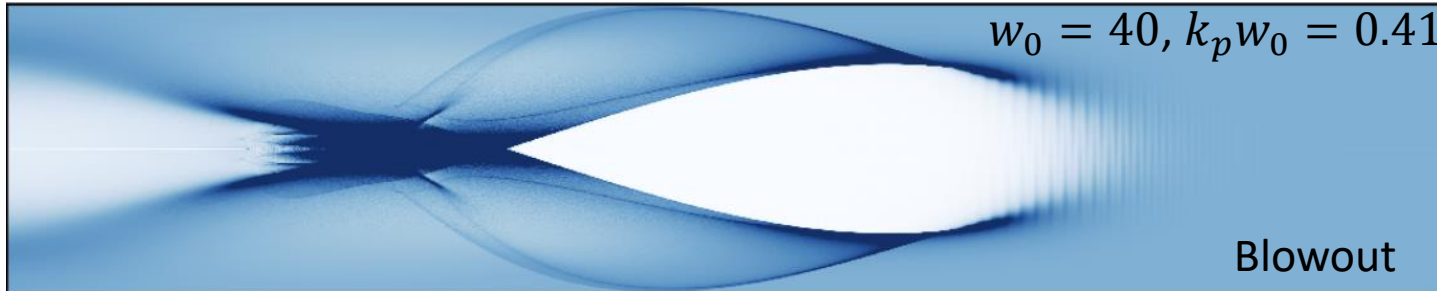
Spot size governs the strength and the size of the wake

$$a_0 = 1$$

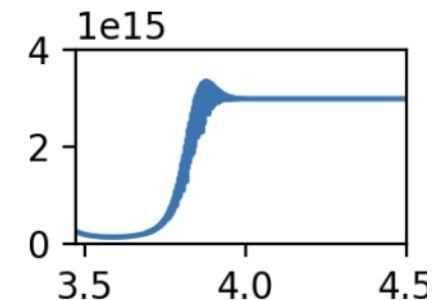
$$n_e = 3 \times 10^{15} \text{ cm}^{-3}$$

$$\tau = 0.5 \text{ ps}, k_p c \tau = 1.5$$

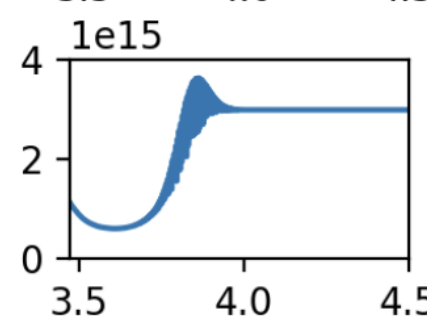
$$w_0 = 40, k_p w_0 = 0.41$$



$$w_0 = 80, k_p w_0 = 0.82$$



$$w_0 = 120, k_p w_0 = 1.2$$

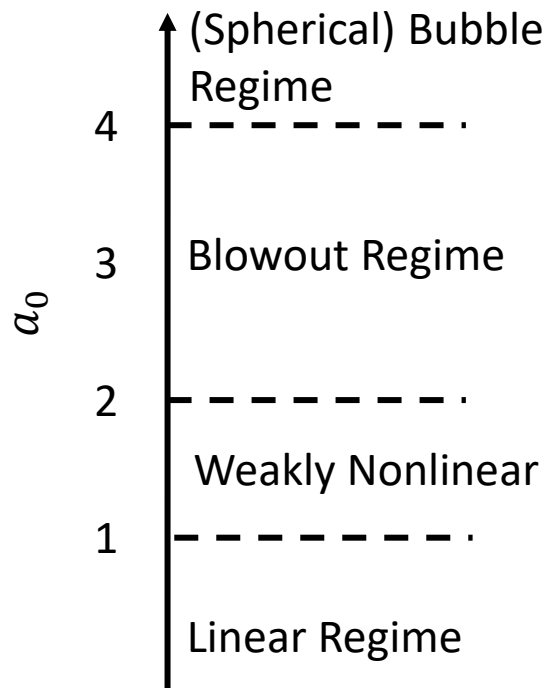


(1) $F_{\perp} \propto a_0^2 / w_0^2$

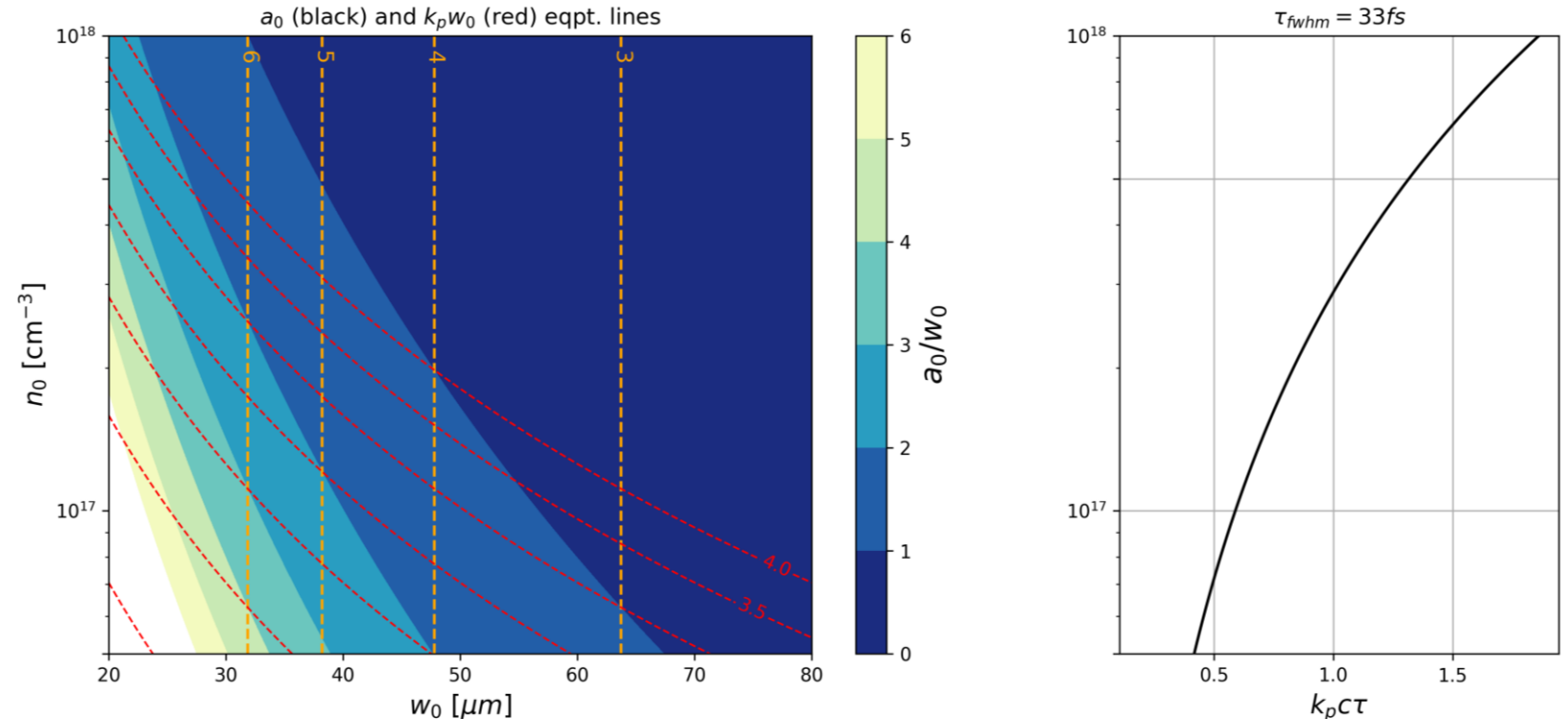
(2) Electrons forming the “inner sheath” comes from the outer edge of laser

A multi-dimensional view is needed for optimizing wake strength towards blowout

Conventional view

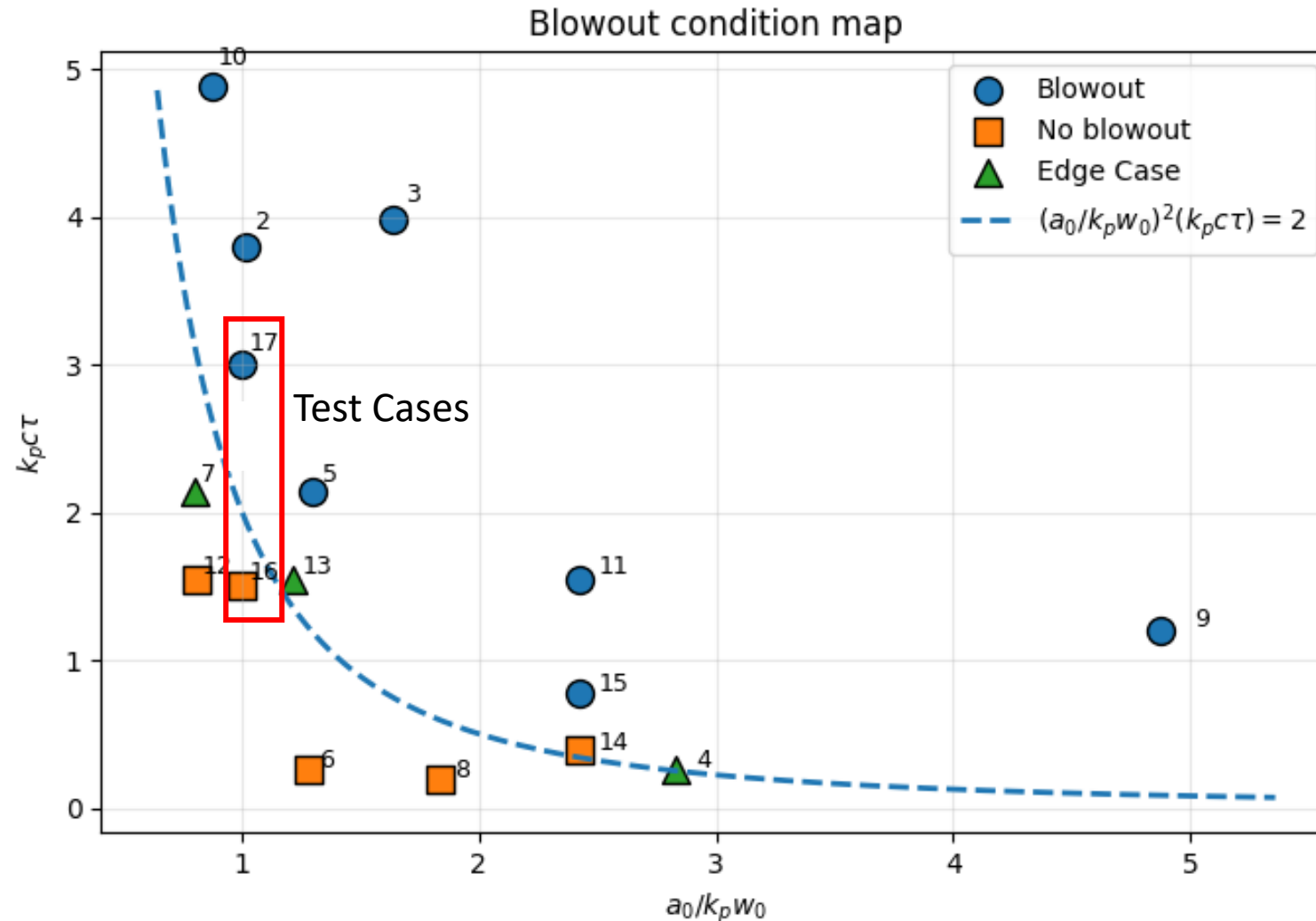


Multi-dimensional view – 1 PW example (~ 40 J, 33fs)

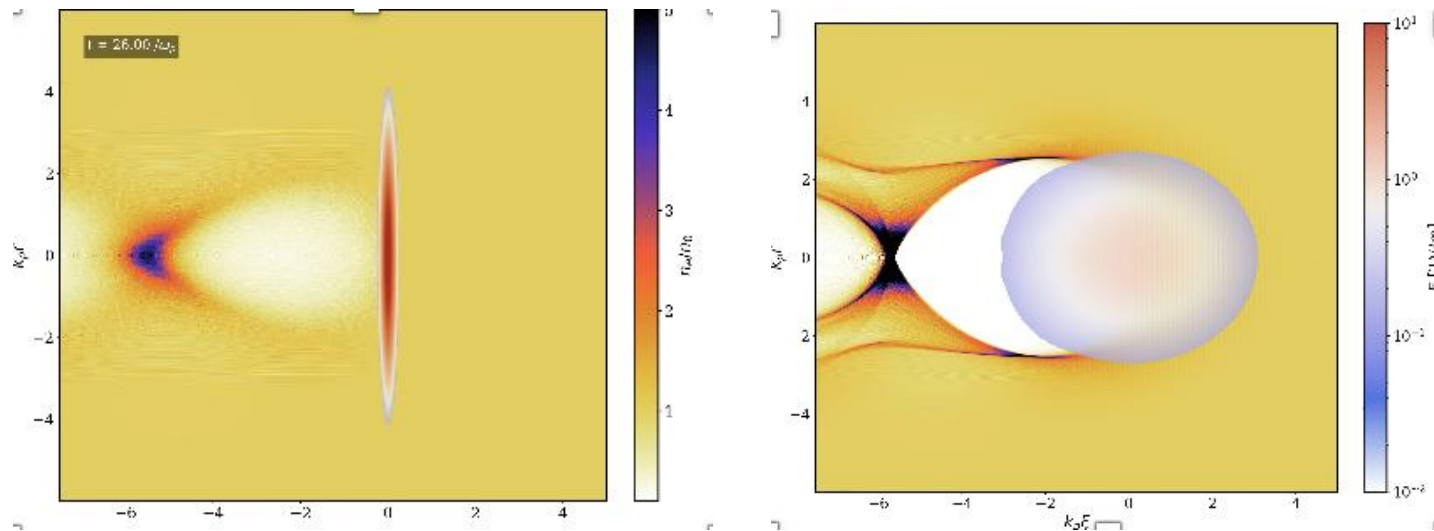


The smaller a_0/w_0 , the longer $k_p c\tau$ is needed to reach blowout

Looking across simulations, we can come to a (preliminary) criteria for ‘integrated ponderomotive force’



Long-wave-infrared lasers ($\lambda \sim 10\mu m$) have a natural advantage in generating large, high-amplitude wakes

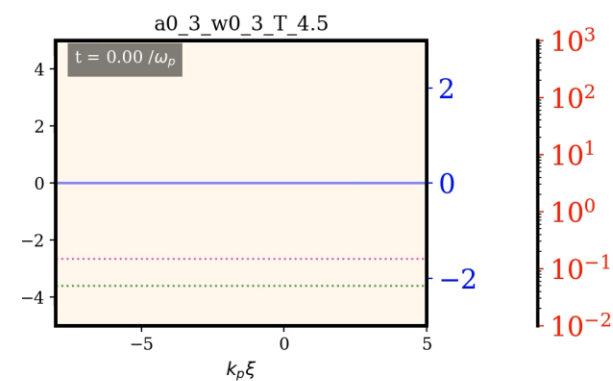
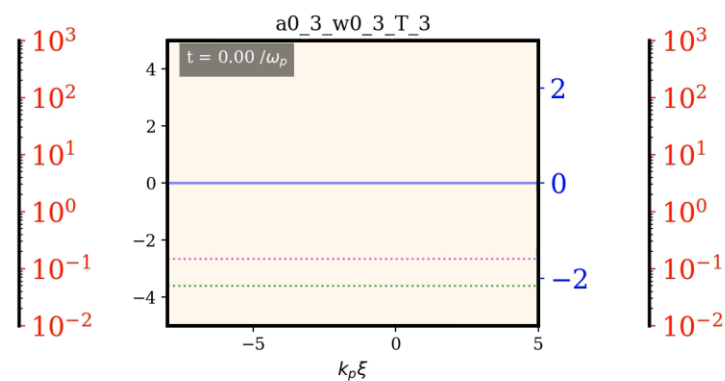
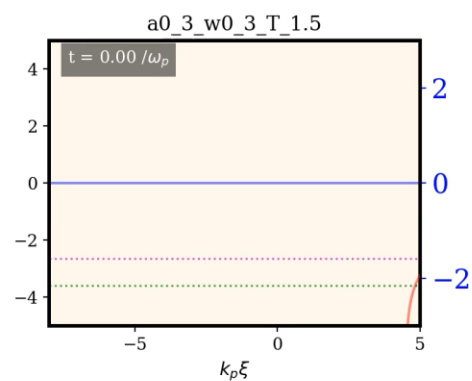
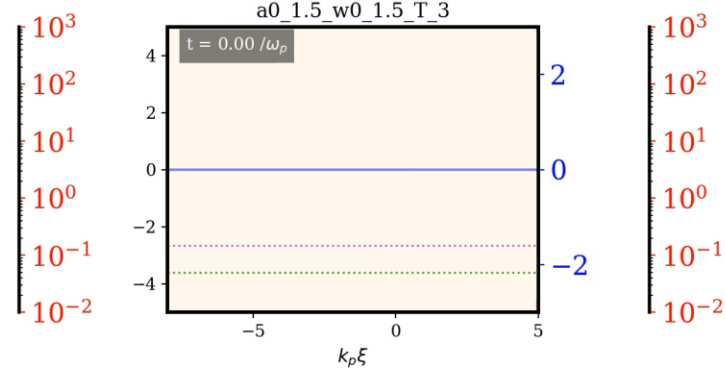
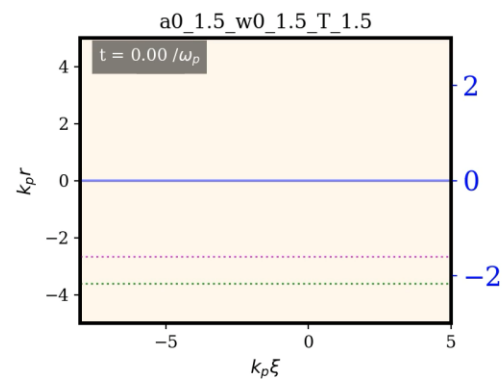
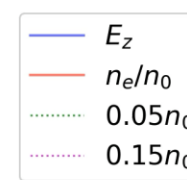


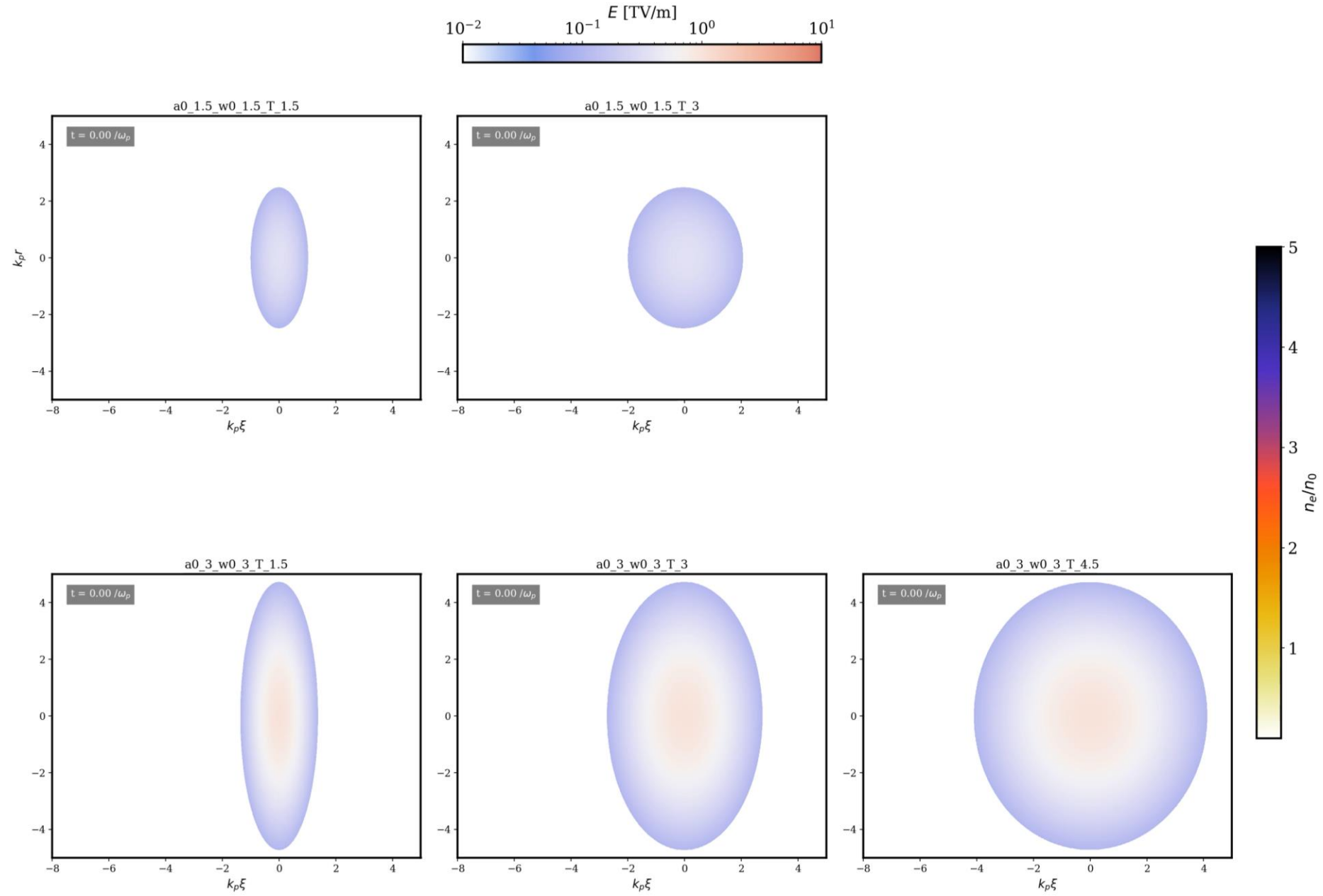
- (1) $a_0 = 0.86 \times 10^{-9} \sqrt{I[Wcm^{-2}]\lambda_0^2[\mu m]}$ makes a 15 TW LWIR laser equivalent to > 1 PW near IR
- (2) Small bandwidth of amplifying medium (such as CO_2) produces a naturally long pulse
- (3) $w_0 \propto F_{\#}\lambda$ allows LWIR lasers to make a naturally large wakefield at small $F_{\#}$

Conclusions

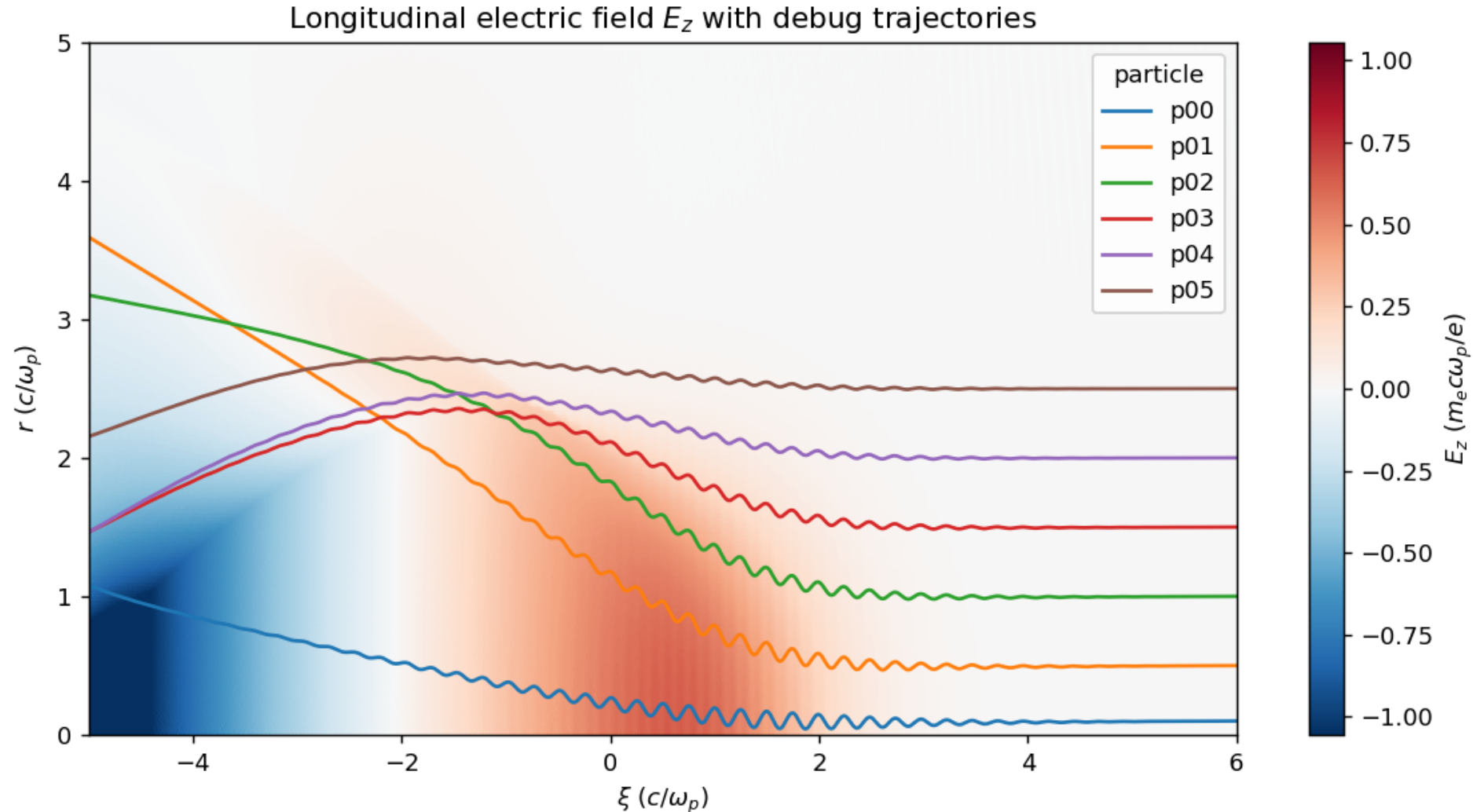
- Both spot size and pulse length play essential roles in reaching blowout: spot size controls the wake size and transverse force, while pulse length determines the accumulated transverse momentum. A sufficiently long pulse can sustain full blowout even at low a_0 .
- Across simulations, the onset of blowout is described by the integrated-force criterion $(a_0/k_p w_0)^2 (k_p c \tau) \gtrsim 2$ (preliminary). Laser wavelength has no independent effect when normalized strength, size, and duration are matched.
- LWIR lasers are naturally well suited to this regime: their long wavelength provides high a_0 at modest power, CO₂ amplifiers produce naturally long pulses, and diffraction produces large spots—and therefore large wakes—at practical f-numbers.

The End





Example single particle trajectory show the role of electrons at different points

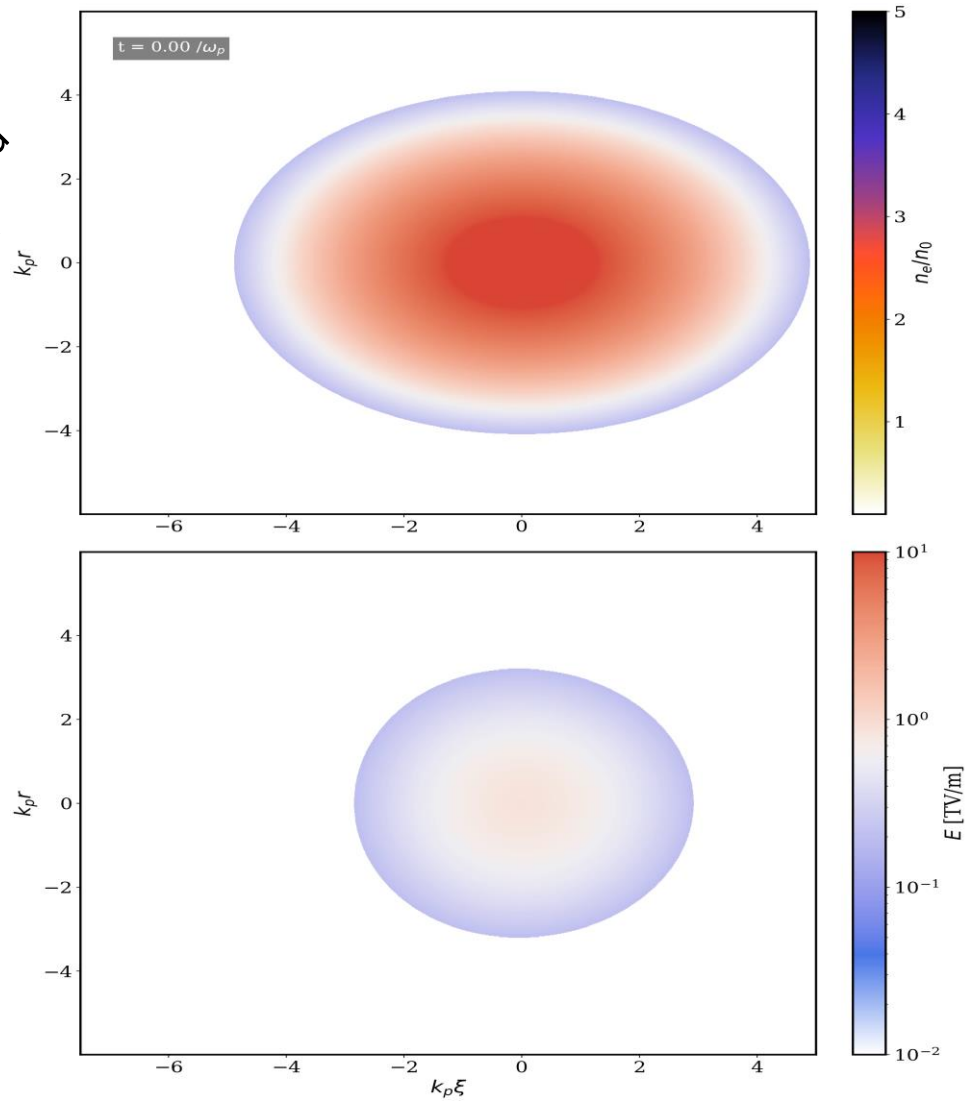


Comparing TS vs CO2 with same properties

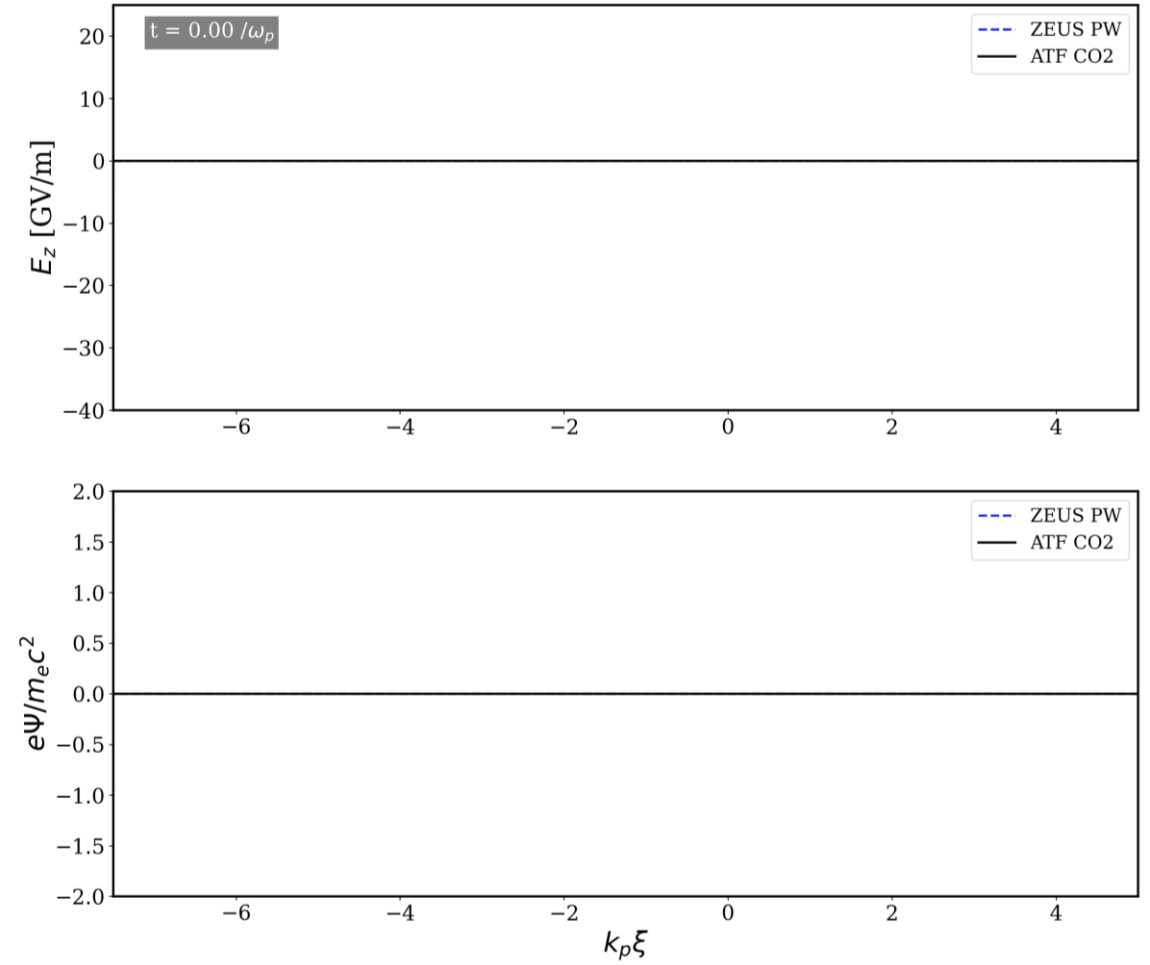
	CO ₂ @ ATF	(Fictional) Ti:Sapph@ ZEUS
P [TW]	15	1980
$\mathcal{E}$ [J]	7.5	992
λ_0 [μm]	9.2	0.8
τ_0 [fs]	500	500
$k_p c \tau_0$	3.98	3.98
w_0 [μm]	75	75
$k_p w_0$	1.99	1.99
a_0	3.26	3.26
$a_0 / k_p w_0$	1.64	1.64

$$n = 2 \times 10^{16}; \frac{1}{k_p} = 37.6 \mu m$$

ZEUS - modified
Ti:Sapph



ATF
CO₂



Spot size directly impacts the blowout length

