

Tunable photocathode two-bunch mode for advanced accelerator application

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Facility for Advanced
Accelerator Experimental Tests

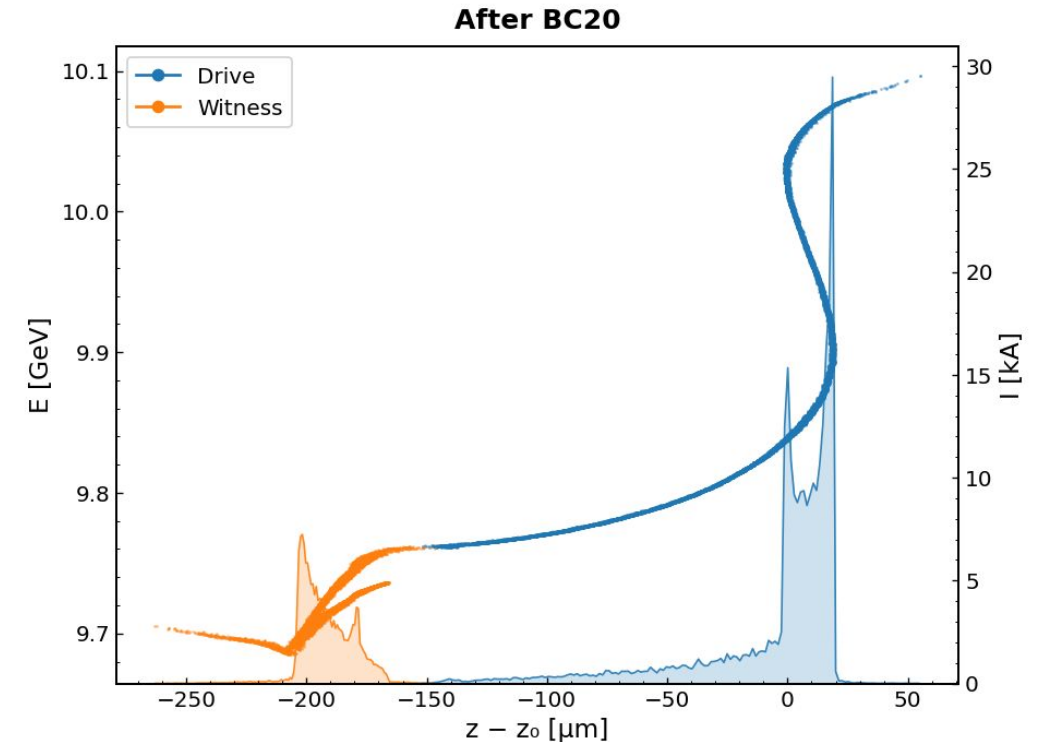


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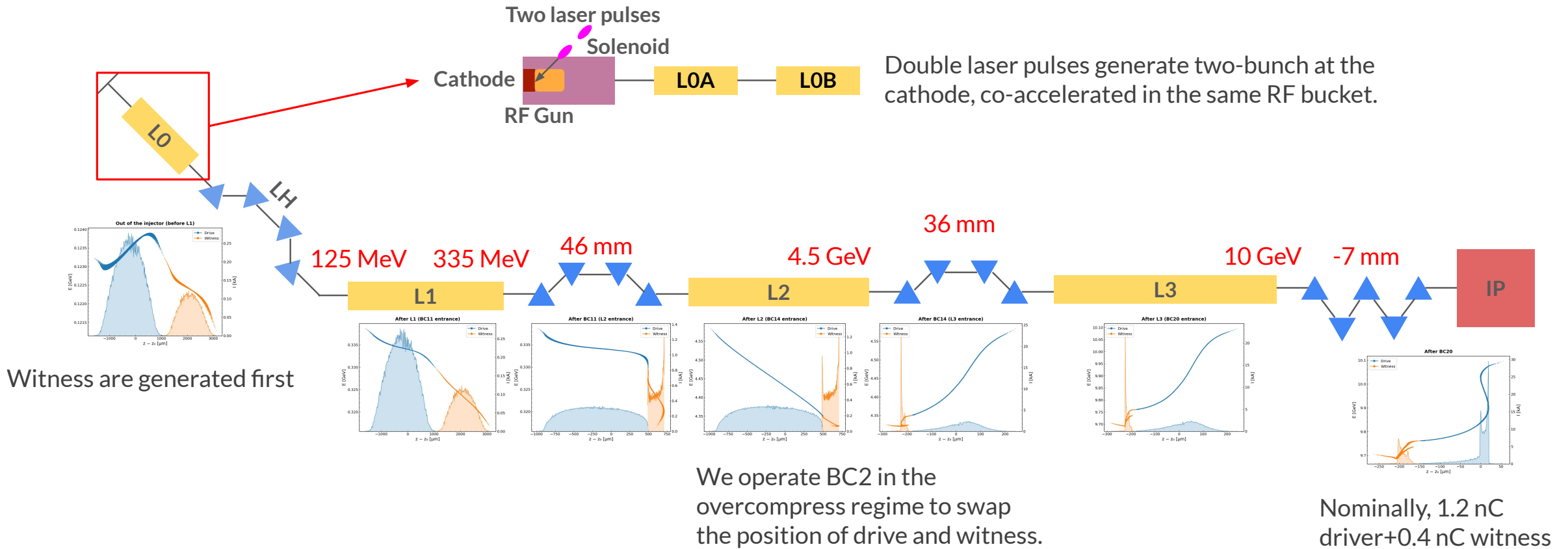
Two-bunch PWFA experiment at FACET-II

- One of the primary goals of PWFA at FACET-II (E300)
 - Demonstration of a single stage with the beam parameters required for a future plasma-based collider or light source
 - >30% energy transfer efficiency
 - multi-GeV/m energy gain (10+ GeV)
 - maintaining <1% energy spread
 - minimal emittance growth
- Drive bunch requirements
 - High current
 - Good transverse properties
- Witness bunch requirements
 - Correct spacing behind the drive
 - Correct current profile to beam-load the wake
 - Matched spot size to the plasma



High-quality drive-witness pair with the right longitudinal and transverse properties

Two-bunch from the photocathode



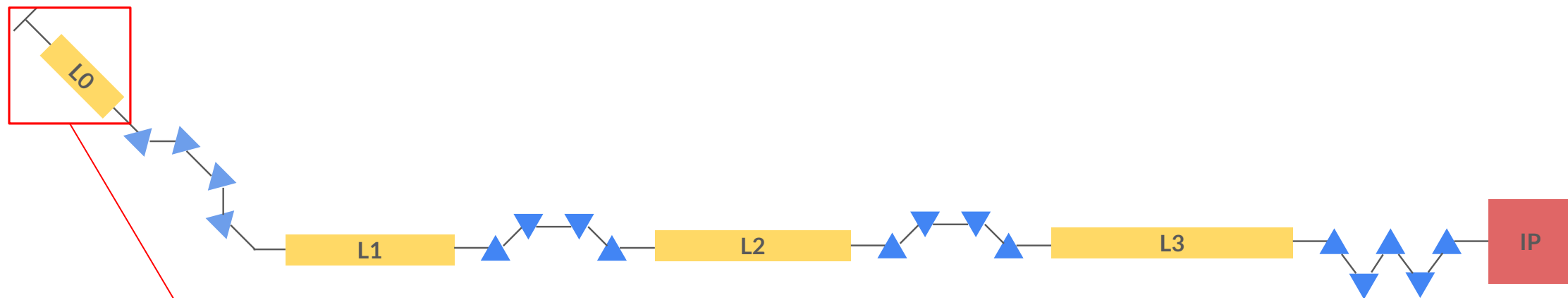
Longitudinal dynamics of two-bunch with multi-stage compression is complicated

Longitudinal dynamics of two-bunch mode

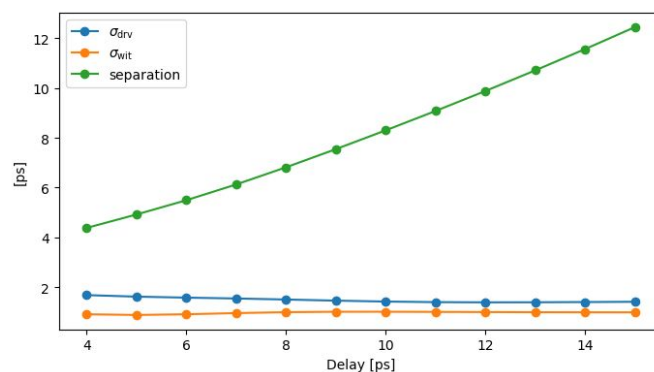
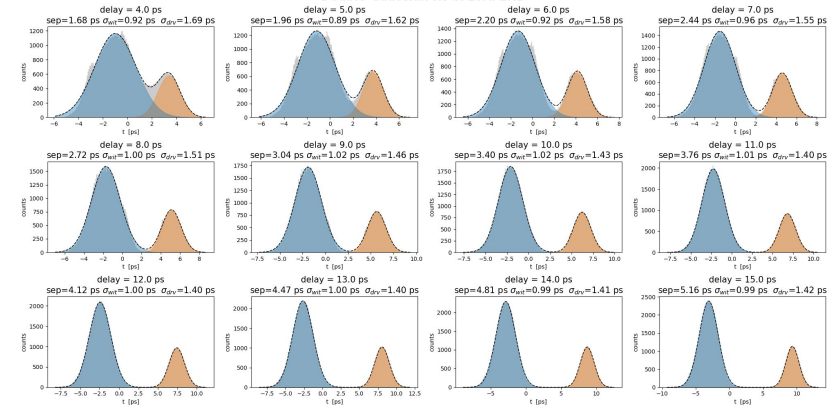
- Different experiments demand different beam
 - PWFA at different plasma density (100-250 μm)
 - Plasma-based compression needs short separation to sample the wake (50-100 μm)
 - How do we deliver two-bunch mode for various experiments?
- Longitudinal control knobs
 - Photocathode laser two-pulse separation (controlled by a pulse stacker)
 - L1 and L2 phase (we keep the chicane R56 fixed)
 - L3 operated on crest

Understanding the longitudinal dynamics is the key for beam delivery

Injector dynamics



Double-Gaussian fit at LOAFEND



- Injector dynamics dominated by velocity bunching + space-charge
- Bunch separation out of the injector roughly grows linearly as initial pulse stacker delay
- Detailed dynamics to be understood

We will treat two-bunch out of the injector as a boundary condition and understand the dynamic downstream

Longitudinal dynamics with compression

- Things we want to track

- Bunch separation
- Energy offset
- Individual bunch length
 - This is extremely important for PWFA

We adapt the formalism in Z. Zhang et. al. for analytic tracking

- Main difference from LCLS two-color mode

- Asymmetric charge
 - We typically operate at 3:1 charge ratio
- Bunch charge an order of magnitude higher
 - Much stronger collective effect e.g. longitudinal wakefield
- Targeting larger bunch separation
 - Different bunch experience very different RF phase

RF phase tracking and longitudinal wakefield is the key

Article | [Open access](#) | Published: 06 March 2015

High-intensity double-pulse X-ray free-electron laser

A. Marinelli , D. Ratner, A.A. Lutman, J. Turner, J. Welch, F.-J. Decker, H. Loos, C. Behrens, S. Gilevich, A.A. Miahnahri, S. Vetter, T.J. Maxwell, Y. Ding, R. Coffee, S. Wakatsuki & Z. Huang

Nature Communications 6, Article number: 6369 (2015) | [Cite this article](#)

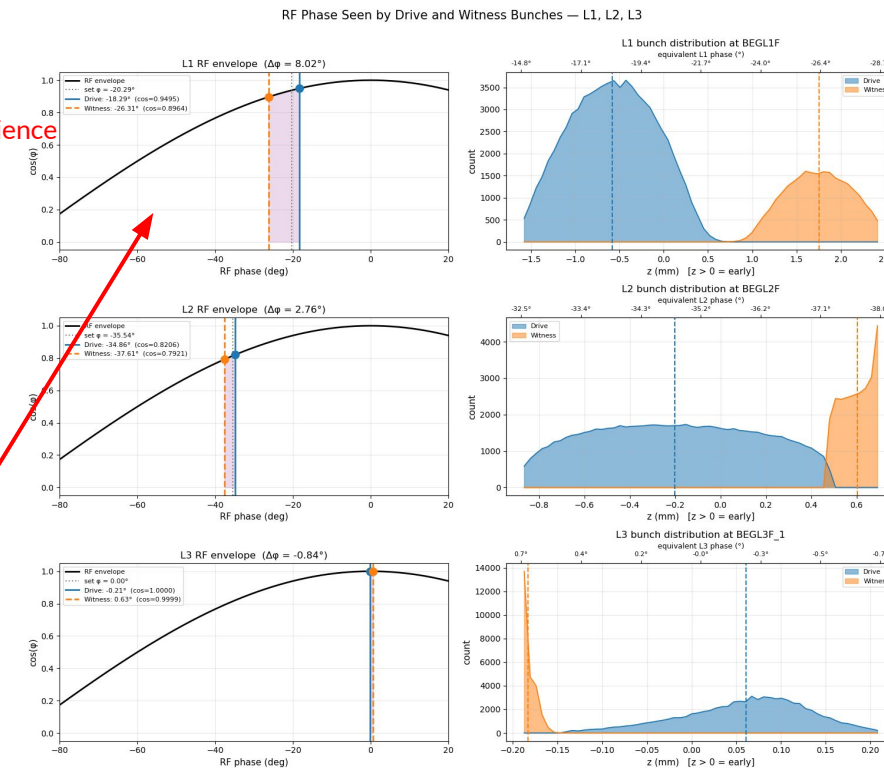
Longitudinal dynamics of twin electron bunches in the Linac Coherent Light Source

Zhen Zhang,^{1,2} Yuantao Ding,¹ Agostino Marinelli,¹ and Zhirong Huang¹

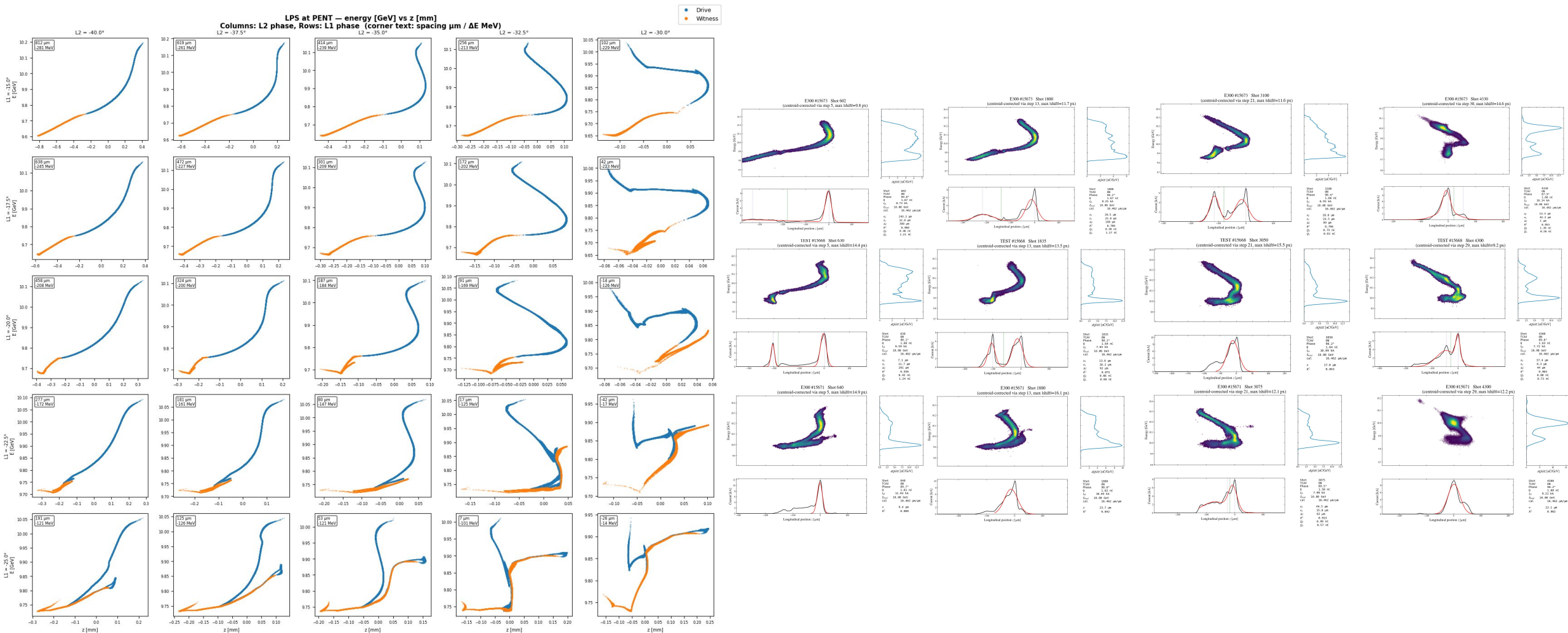
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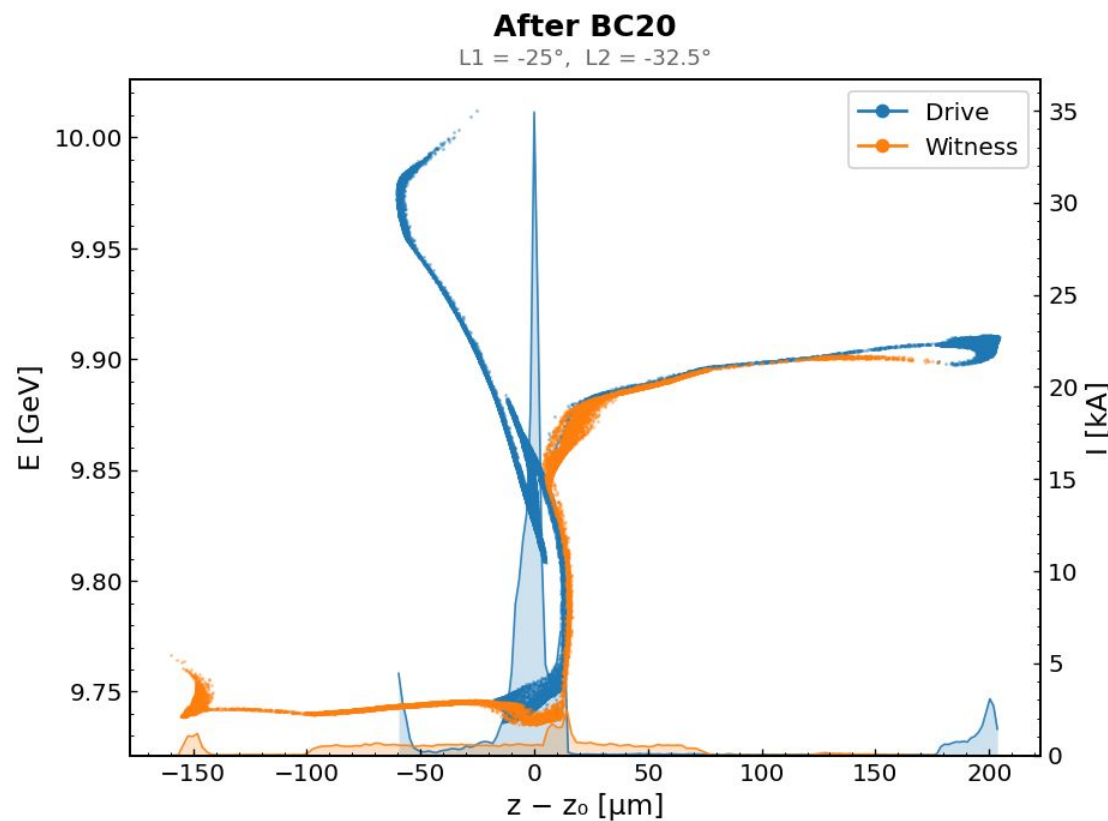


Measurement of LPS using XTCaV

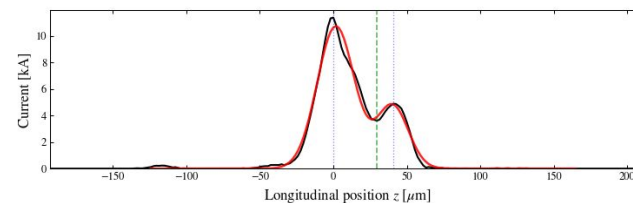
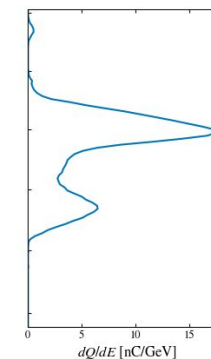
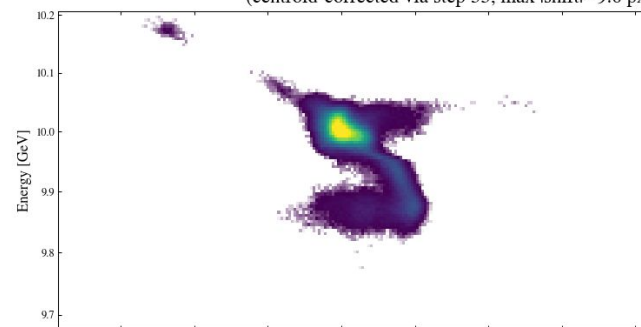


Excellent agreement between simulation and experiment!

Measurement of LPS with XTCAV



E300 #15671 Shot 4850
(centroid-corrected via step 33, max lshift=9.6 px)



Shot	4850
TCAV	ON
Phase	90.3°
Q	1.57 nC
I_{pk}	11.37 kA
E_{end}	10.00 GeV
cal	16.462 $\mu\text{m}/\mu\text{m}$
σ_d	12.7 μm
σ_v	10.8 μm
Δz	38 μm
R^2	0.990
Q_d	1.21 nC
Q_v	0.34 nC

...even for very wild configuration

Analytic tracking

- Main idea:

- Assume uniform current profile
- Track the chirp to the linear order at bunch centroid
- Linear compression

- Collective effect

- We mainly track longitudinal wakefield
 - Short-range geometric wakefield using BNC formula for SLAC s-band acceleration structure
 - Each bunches only chirp itself
 - Leading bunch gives an approximately constant energy kick to the trailing bunch

$$W(s) = W_0 e^{-\sqrt{s/s_0}}, \quad W_0 = \frac{Z_0 c}{\pi a^2}, \quad a = 11.6 \text{ mm}, \quad s_0 = 1.5 \text{ mm}$$
$$B \equiv e^2 W_0 = \frac{4 r_e m c^2}{a^2}$$

Chirp tracking

- We track the chirp at the centroid of each bunches assuming a uniform current profile

$$g_i^{(n)} = \underbrace{\frac{E_{n-1}}{E_n} \frac{g_i^{(n-1)}}{C_i^{(n-1)}}}_{\text{inherited}} + \underbrace{k \left(1 - \frac{E_{n-1}}{E_n} \right) \frac{\sin \varphi_i^{(n)}}{\cos \varphi_n}}_{\text{RF}} + \underbrace{\frac{B \ell_n}{E_n} \frac{N_i}{L_i^{(n-1)}} e^{-\sqrt{L_i^{(n-1)} / 2s_0}}}_{\text{self-wake}}$$

$\varphi_i^{(n)} = \varphi_n - k z_{c,i}^{(n-1)}$


Chirp inherited from a previous linac+compressor stage, diluted by acceleration

RF phase chirp for individual bunches at a given bunch separation and centroid RF phase

Chirp evaluated at the bunch centroid using BNC wake for uniform current profile and SLAC S-band acceleration structure

Energy offset tracking

$$\Delta E^{(n)} = \underbrace{\Delta E^{(n-1)}}_{\text{Inherited energy offset}} + \underbrace{(E_n - E_{n-1}) k \Delta z^{(n-1)} \tan \varphi_n}_{\text{RF phase energy offset}} + \underbrace{\Delta E_w^{(n)}}_{\text{Wake-induced energy offset}}$$

$$\Delta E_w^{(n)} = \underbrace{\text{sgn}(\Delta z) B \ell_n N_L e^{-\sqrt{|\Delta z|/s_0}}}_{\text{cross kick}} - \underbrace{B \ell_n (N_d \Lambda_d - N_w \Lambda_w)}_{\text{loss differential}}$$

$\Delta E_i^{\text{self}} = -B \ell_n N_i \Lambda_i, \quad \Lambda(\sigma) \simeq \frac{1}{2} - \frac{1}{2} \sqrt{\sigma/s_0}$

Centroid energy kick due to leading bunch's wake (point-source approximated, evaluated at trailing bunch centroid)

Centroid energy kick due to self-wake

Bunch compressor tracking

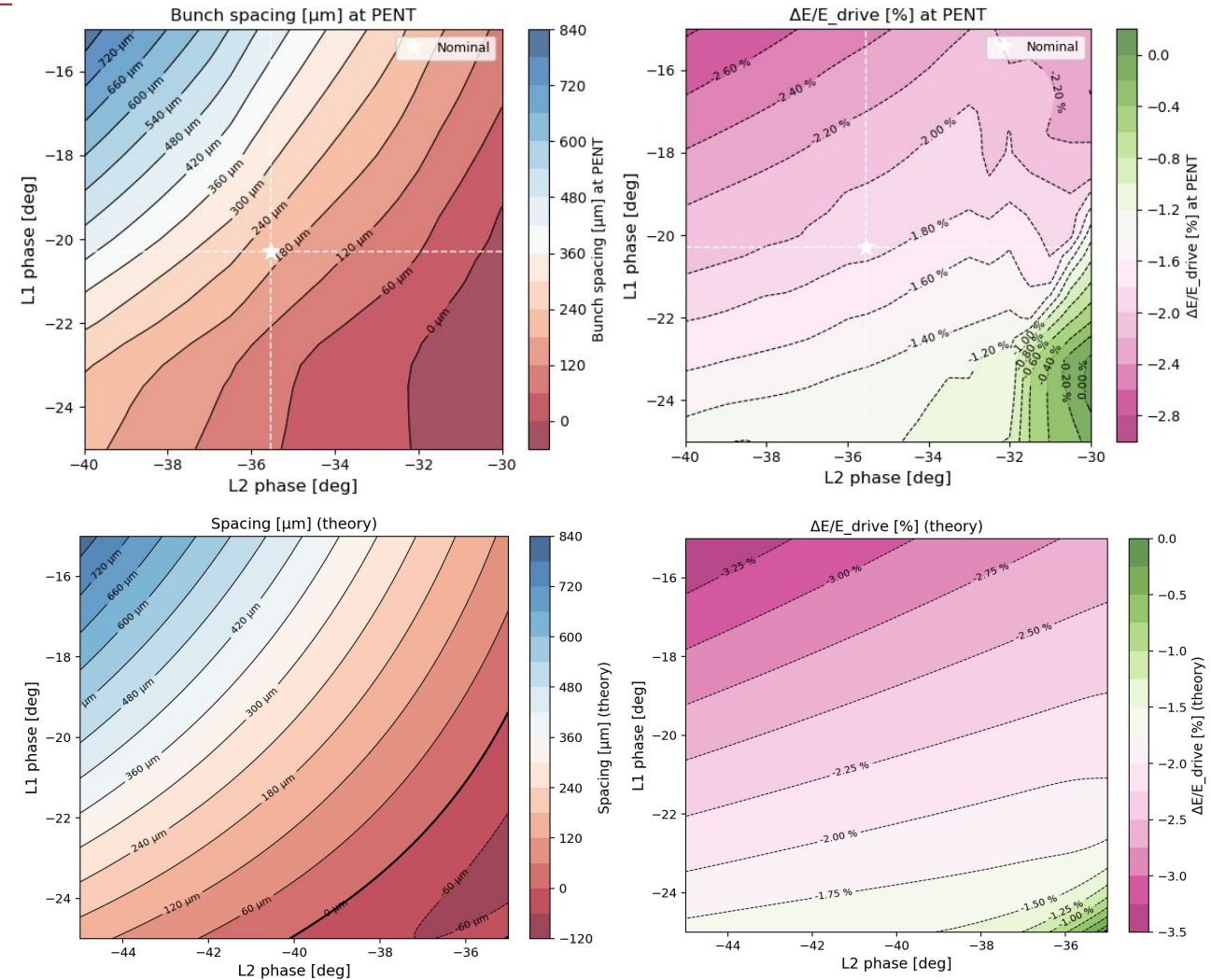
- Bunch compressor translate chirp into bunch length compression, and translate energy difference into spacing difference
 - Entirely 1st order tracking; non-linear effect completely ignored.

$$C_i^{(n)} = 1 + g_i^{(n)} R_{56}^{(n)}, \quad \sigma_i^{(n)} = |C_i^{(n)}| \sigma_i^{(n-1)}$$

$$\Delta z^{(n)} = \Delta z^{(n-1)} + \frac{R_{56}^{(n)}}{E_n} \Delta E^{(n)}$$

Bunch separation and energy offset

- Bunch spacing and energy offset analytic tracking exhibit good agreement with simulation
- Note that since we operate BC2 in the overcompress regime, the bunch spacing is a fine cancelation of large initial spacing and strong compression; even a few percent of error in chirp tracking will lead to large difference in spacing



Both L1 and L2 are strong knobs to changes final bunch spacing

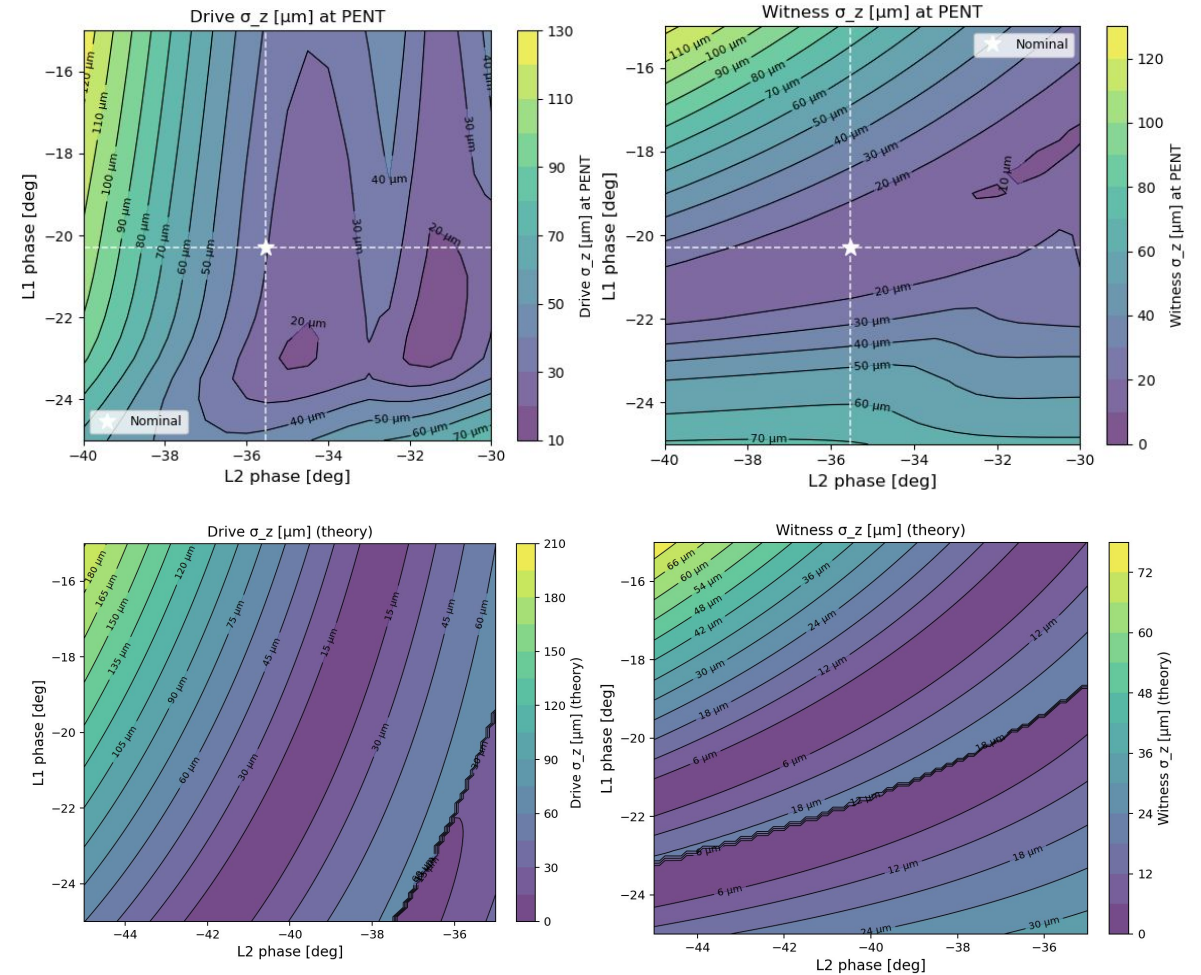
Individual bunch length

- Quasi-orthogonal control
 - In L1, drive chirp is almost cancelled out by much closer-to-crest RF chirp and wakefield; it is therefore barely compressed in BC1, and thus almost entirely controlled by L2

$$g_d^{(1)} = \underbrace{+2.1}_{\text{inherited}} \underbrace{-12.8}_{\text{RF}} \underbrace{+6.2}_{\text{self-wake}} = -4.5 \text{ m}^{-1} \quad (\text{tracked } -4.5)$$

$$g_w^{(1)} = \underbrace{-1.3}_{\text{inherited}} \underbrace{-18.0}_{\text{RF}} \underbrace{+3.0}_{\text{self-wake}} = -16.4 \text{ m}^{-1} \quad (\text{tracked } -16.3).$$

- Witness length therefore controlled by L1 in closed loop
- At a fixed bunch separation, wide range of current ratio can be achieved via wiggling linac phases



Understanding individual bunch length control

$$\kappa_j \equiv k \left(1 - \frac{E_{j-1}}{E_j} \right) \sec^2 \varphi_j \quad \left(k = \frac{2\pi f_{\text{rf}}}{c} \right) \quad \varepsilon \equiv \frac{E_1}{E_2}, \quad \rho \equiv \frac{R_{56}^{(2)}}{R_{56}^{(1)}}$$

$$\boxed{\frac{\partial \ln \sigma_i}{\partial \varphi_1} = \frac{R_{56}^{(1)} \kappa_1}{C_i^{(1)}} \left[1 + \frac{\rho \varepsilon}{C_i^{(1)} C_i^{(2)}} \right], \quad \frac{\partial \ln \sigma_i}{\partial \varphi_2} = \frac{R_{56}^{(2)} \kappa_2}{C_i^{(2)}}} \quad \text{Bunch length sensitivity}$$

$$\varepsilon = \frac{E_1}{E_2} \ll 1 \quad (\text{L2 gain} \gg \text{L1 energy; } 0.073), \quad \rho, \frac{\kappa_2}{\kappa_1}, R_{56}^{(j)} \kappa_j = O(1)$$

$$C_d^{(1)} = O(1), \quad |C_d^{(2)}| \ll 1, \quad C_d^{(2)} < 0; \quad C_w^{(1)} \ll 1, \quad C_w^{(2)} = O(1) \quad \text{Near operating point}$$

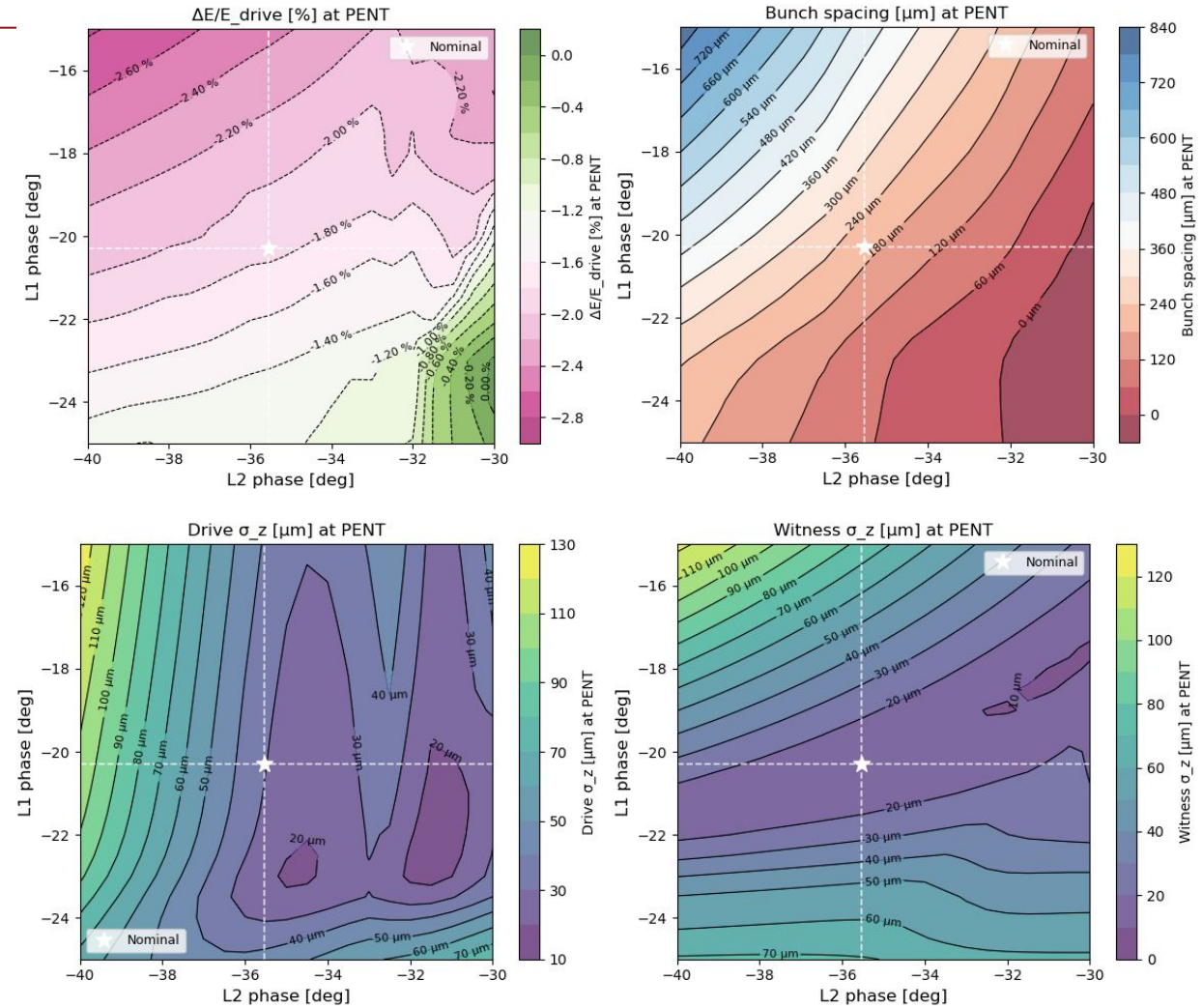
$$r_d \equiv \left| \frac{\partial_{\varphi_1} \ln \sigma_d}{\partial_{\varphi_2} \ln \sigma_d} \right| \sim |C_d^{(2)}|,$$

$$r_w \equiv \left| \frac{\partial_{\varphi_2} \ln \sigma_w}{\partial_{\varphi_1} \ln \sigma_w} \right| \sim O(1) \frac{(C_w^{(1)})^2}{\varepsilon}. \quad \text{Clean drive orthogonality; subtle witness orthogonality}$$

Drive entirely gated by L2; witness controlled by L1 in closed loop

Tunability of two-bunch mode

- The combination of the bunch spacing control and quasi-orthogonal bunch length control enables fine tuning of two-bunch current ratio at a fixed final bunch spacing
- For a given current requirement (e.g. drive and witness both at peak compression), the bunch spacing is uniquely set by injector bunch spacing



Understanding two-bunch dynamic enables delivery of such mode with the required individual current profile and bunch spacing

Summary

- We demonstrate the quasi-independent tunability of drive-witness pair in photocathode two-bunch mode with nano-Coulomb, asymmetric bunch charge
- We use analytic theory to understand the RF chirp offset+wakefield dominated longitudinal dynamics

Collaboration/Acknowledgements

SLAC AD AARD & APBO group: Zack Buschmann¹, Claudio Emma¹, Spencer Gessner¹, Mark Hogan¹, Alexander Knetsch¹, Ryan Loney¹, Nathan Majernik¹, Brendan O'Shea¹, Marcellus Parker¹, Sharon Perez¹, Ivan Rajkovic¹, Doug Storey¹, Kelly Swanson¹, Junzhi Wang¹, Gerald Yocky¹

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