



Fermion (non)reheating in a Quartic Inflaton Potential

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Based on hep-ph 2512.16203 (Accepted in JCAP): NB^o, E. Chavez*, M. A. G. Garcia*, A. Menkara^o, M. Pierre^o

GOALS

- Determine the range of perturbative validity
- Perform a complete non-perturbative analysis to comment on whether reheating is realistically achievable before fragmentation
- Discuss post-fragmentation particle production in this setup

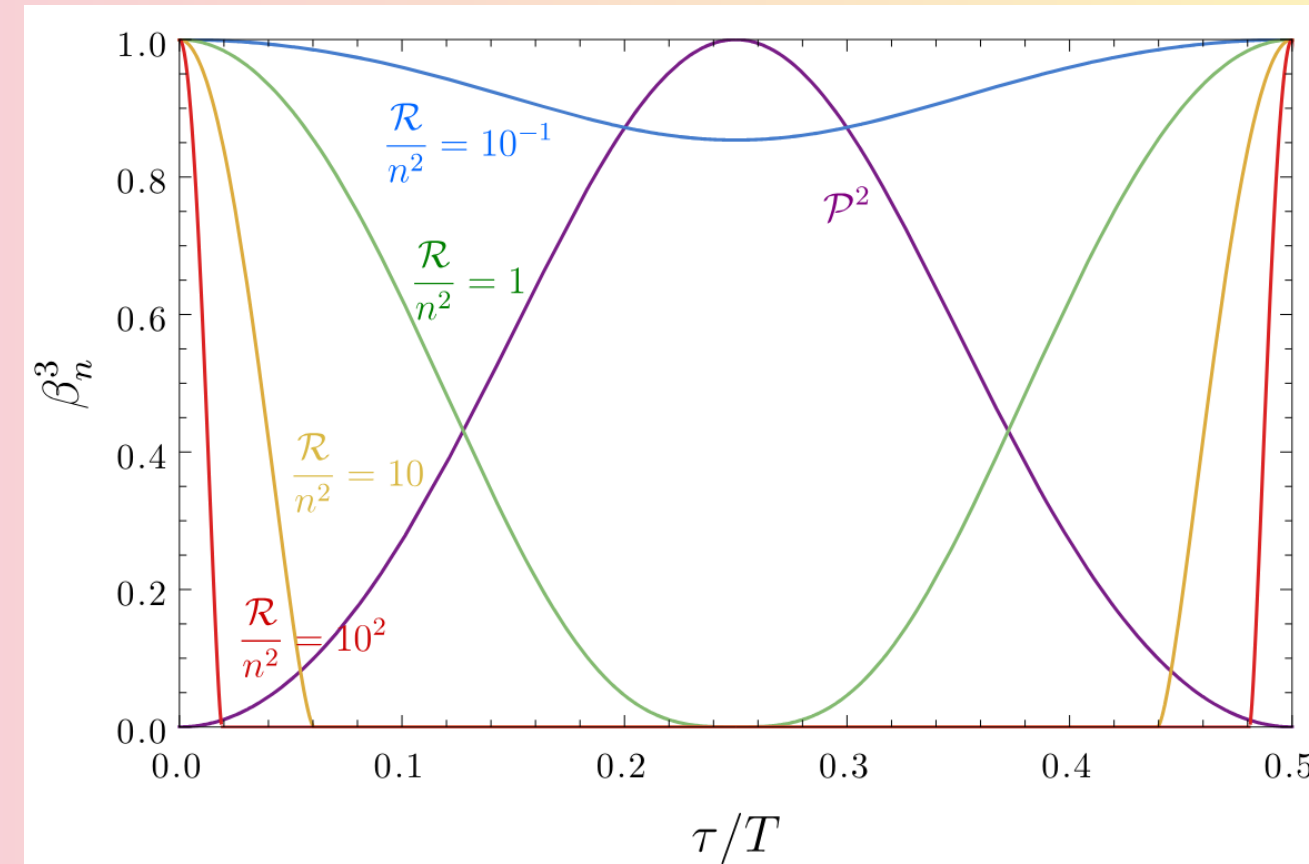
Reheating: A post-inflationary period where the Universe exits inflation and bridges to a stage of radiation domination.

Our setup: We consider an inflaton potential with a **quartic minimum** $V(\phi) = \lambda M_P^4 \left(\sqrt{6} \tanh \left(\frac{\phi}{\sqrt{6} M_P} \right) \right)^k$, with $k=4$, and a Yukawa coupling y , between inflaton and fermion $\mathcal{L}_{\text{int}} = y\phi\bar{\psi}\psi$.

Perturbative

Inflaton condensate decay via: $|\overline{\mathcal{M}}_n|^2 = \frac{2n^2\omega_\phi^2}{g_\psi} \bar{y}_n^2 \beta_n^2 \phi_0^2 |\mathcal{P}_n|^2$

- Includes kinematic blocking
- NO PAULI-BLOCKING
- Only sub-horizon modes
- Solve Boltzmann equations



Non-perturbative

Energy density: $\rho_\psi = \frac{1}{(2\pi)^3 a^4} \int d^3p \omega_p n_p$

where the occupation number is $n_p = \frac{1}{2} \left| \left(1 + \frac{am_\psi}{\omega_p} \right)^{1/2} U_2 - \left(1 - \frac{am_\psi}{\omega_p} \right)^{1/2} U_1 \right|^2$

and the spinor mode equations can be recast as: $U_1'(\eta) = -ipU_2(\eta) + iam_\psi U_1(\eta)$, $U_2'(\eta) = -ipU_1(\eta) - iam_\psi U_2(\eta)$.

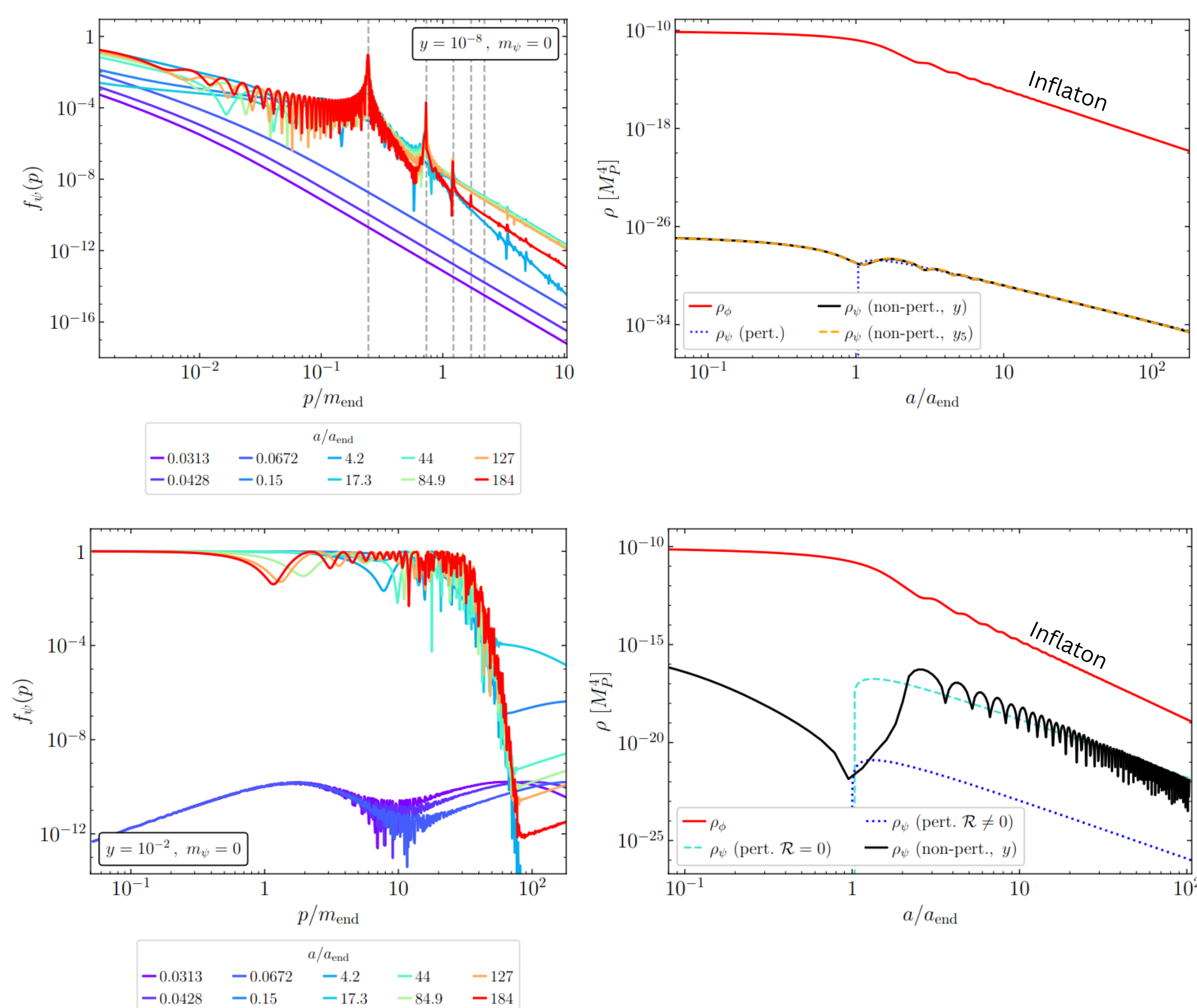
Includes all effects and modes of all wavelengths (even superhorizon)

Inflaton fragmentation

- Break down of the homogeneous inflaton condensate
- Occurs at $\sim 180 a/a_{\text{end}}$ for quartic inflation [See JCAP 11 (2024) 004]
- Quantum fluctuations are enhanced by quartic self coupling
- Dominant fermion production channel changes

Pre-Fragmentation

Phase-Space Distribution (PSD) and energy densities



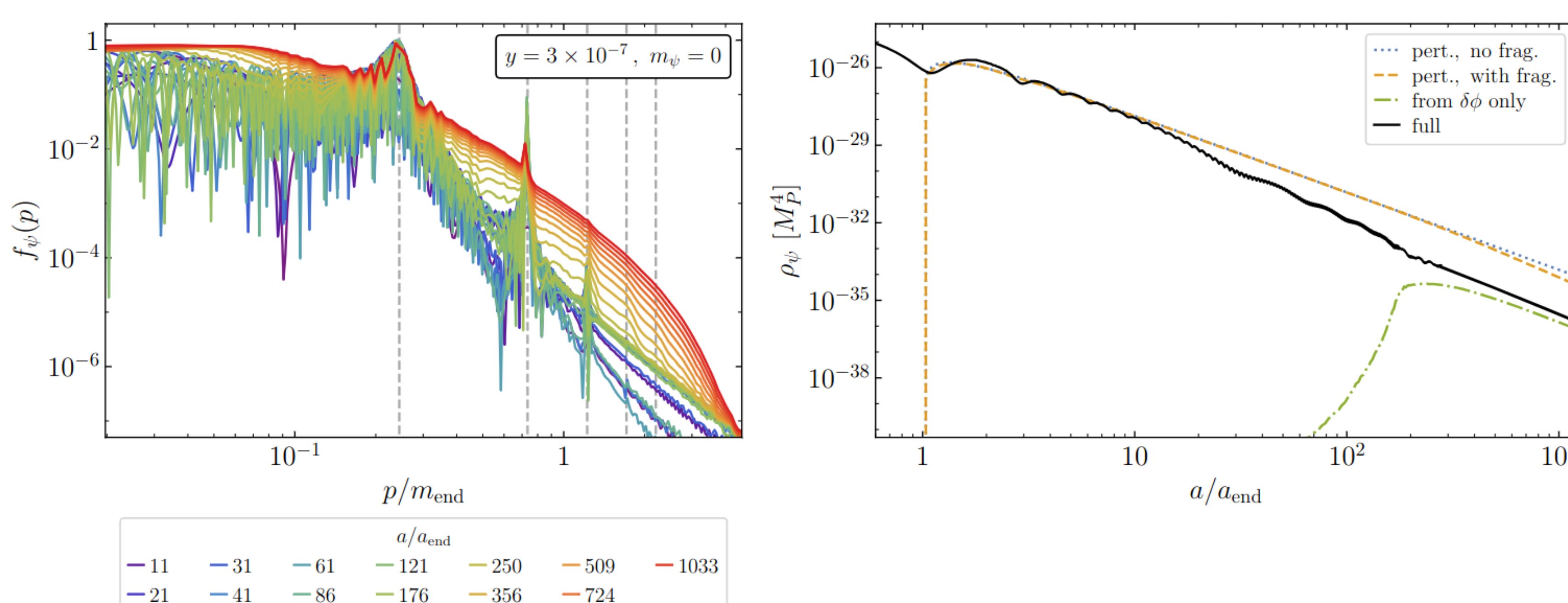
Prior to fragmentation:

- Perturbative particle production or the ‘Boltzmann approach’ is valid for very small couplings [$y \lesssim 10^{-8}$].
→ These couplings do **NOT** lead to reheating (BBN bounds).
- Necessary to be in the ‘**non-perturbative**’ or large Yukawa limit.
→ Deviation from perturbative estimate.
→ Radiative corrections kill flatness for $y \gtrsim 10^{-2}$.

NEED TO CONSIDER POST-FRAGMENTATION PRODUCTION

Post-Fragmentation

Phase-Space Distribution (PSD) and energy densities



Post-fragmentation:

- Condensate replaced by inflaton quanta
→ Treated as perturbative decays to fermions
→ Includes kinematic effects and Pauli-Blocking
- PSD inherited from Pre-fragmentation, non-perturbative production
→ Occupation numbers are already approaching 1 which leads to blocking soon after fragmentation
- Energy density is suppressed and extrapolation leads to lower reheating temperature than quoted in the literature

TAKEAWAYS

1. Fermions have to be treated non-perturbatively (considering Pauli-blocking) from couplings as small as 10^{-7}
2. Reheating to purely fermions in **quartic** inflaton potentials is HARD!
3. Need mechanism to de-saturate PSD to maybe achieve reheating



My Inspire



This work