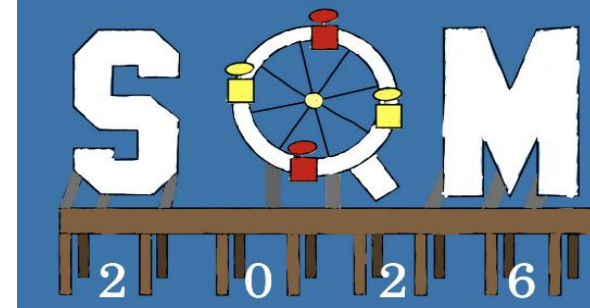




中国科学院大学
University of Chinese Academy of Sciences



Production of Unstable Light Nuclei in Au+Au Collisions at $\sqrt{s_{NN}} = 3$ GeV with the STAR Detector

Chenlu Hu (胡晨露) for the STAR Collaboration
Original presentation by Junlin Wu (吴俊霖)

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University of Chinese Academy of Sciences
2026.03.24



中国博士后科学基金



国家自然科学基金委员会
National Natural Science Foundation of China

The 22nd Strangeness in Quark Matter





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ENERGY

Motivation

1. Present systematic studies of light nuclei production at $\sqrt{s_{NN}} = 3$ GeV, extending published results on stable light nuclei (*STAR Collaboration, Physical Review C 110, 054911 (2024)*).
2. To further understand the production mechanisms of light nuclei.
Thermal production v.s. coalescence v.s. other possible mechanisms.
3. Unstable light nuclei will decay, which allows us to measure their polarization.
This analysis will be the basis of polarization measurement.

Lithium-4

4  2-

3 

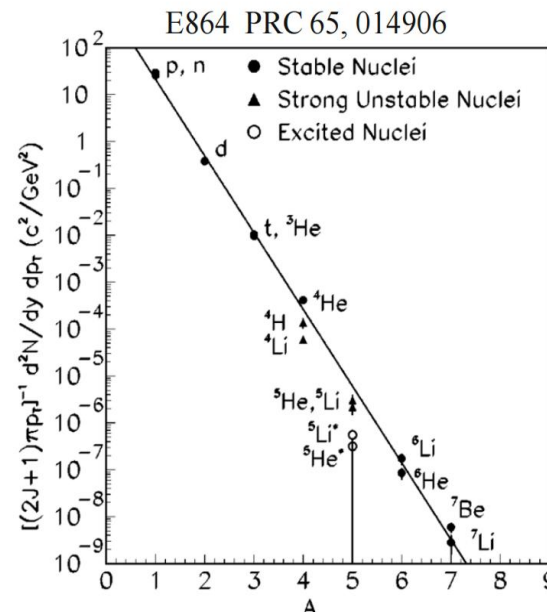
4.02719(23) μ
 $T_{1/2} = 91$ yoctoseconds

Lithium-5

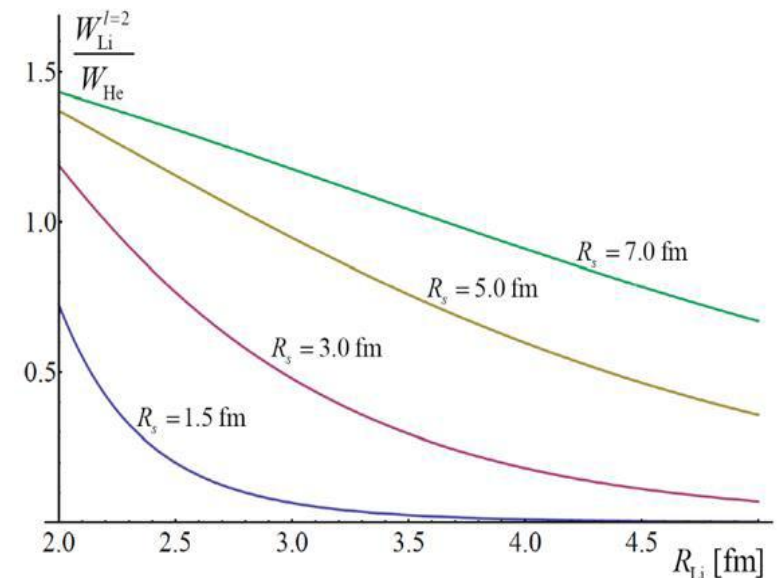
5  3/2-

3 

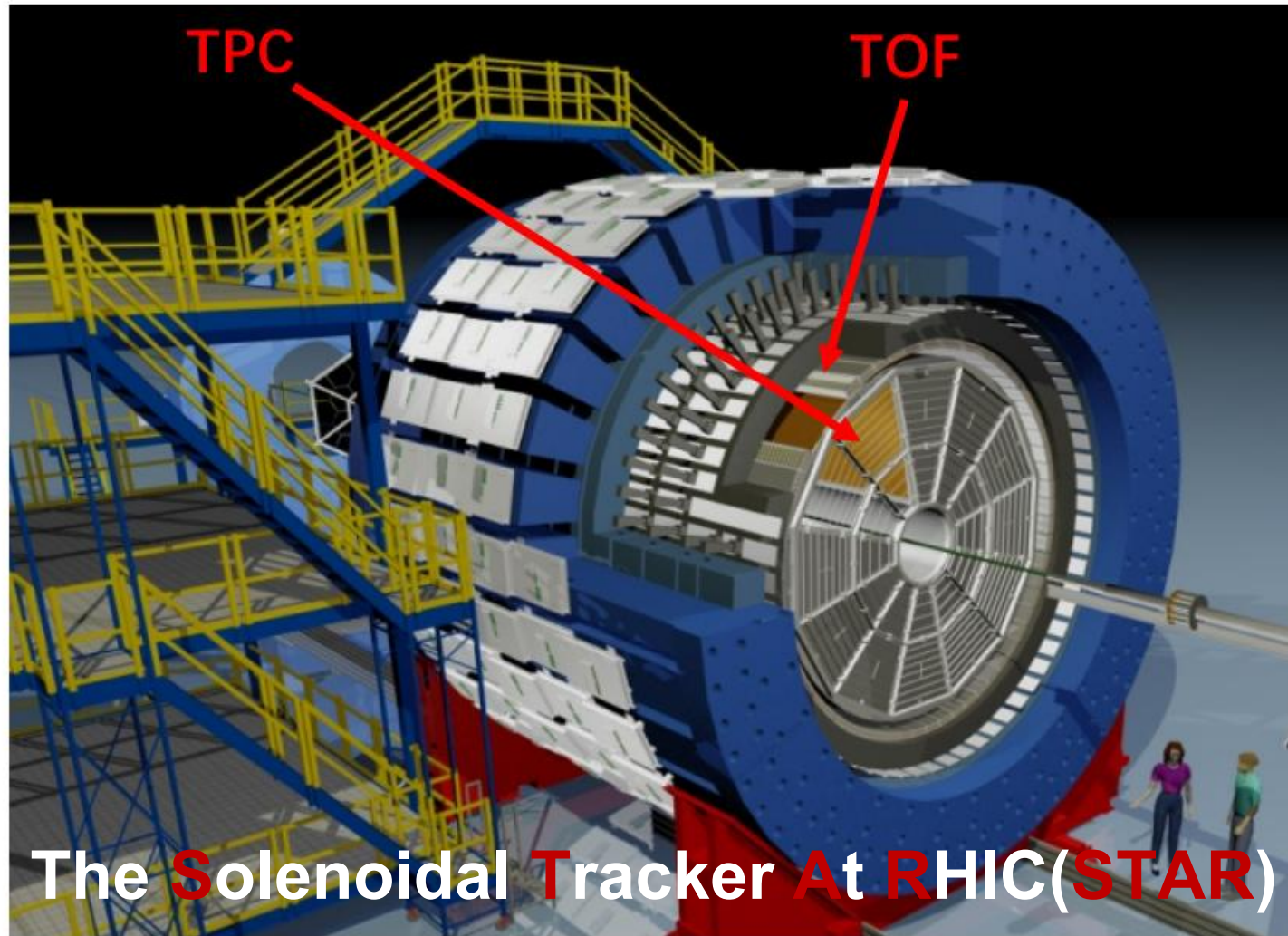
5.01254(5) μ
 $T_{1/2} = 370$ yoctoseconds



E864 Collaboration, *PHYSICAL REVIEW C* 65, 014906



Sylvia Bazak et al., *Mod. Phys. Lett. A* (2018) 1850142



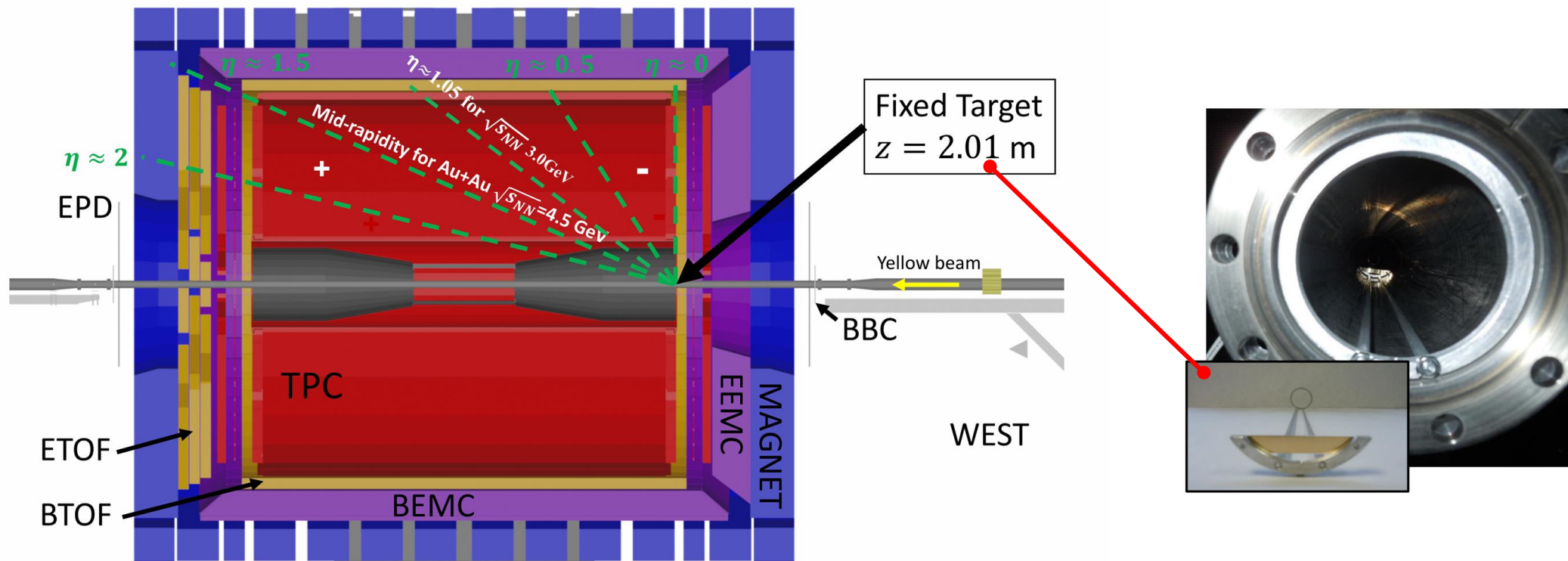
The Solenoidal Tracker At RHIC (STAR)

Time Projection Chamber (TPC)

- Charged particle tracking
- Momentum reconstruction
- Particle identification from energy loss (dE/dx vs. p/q)

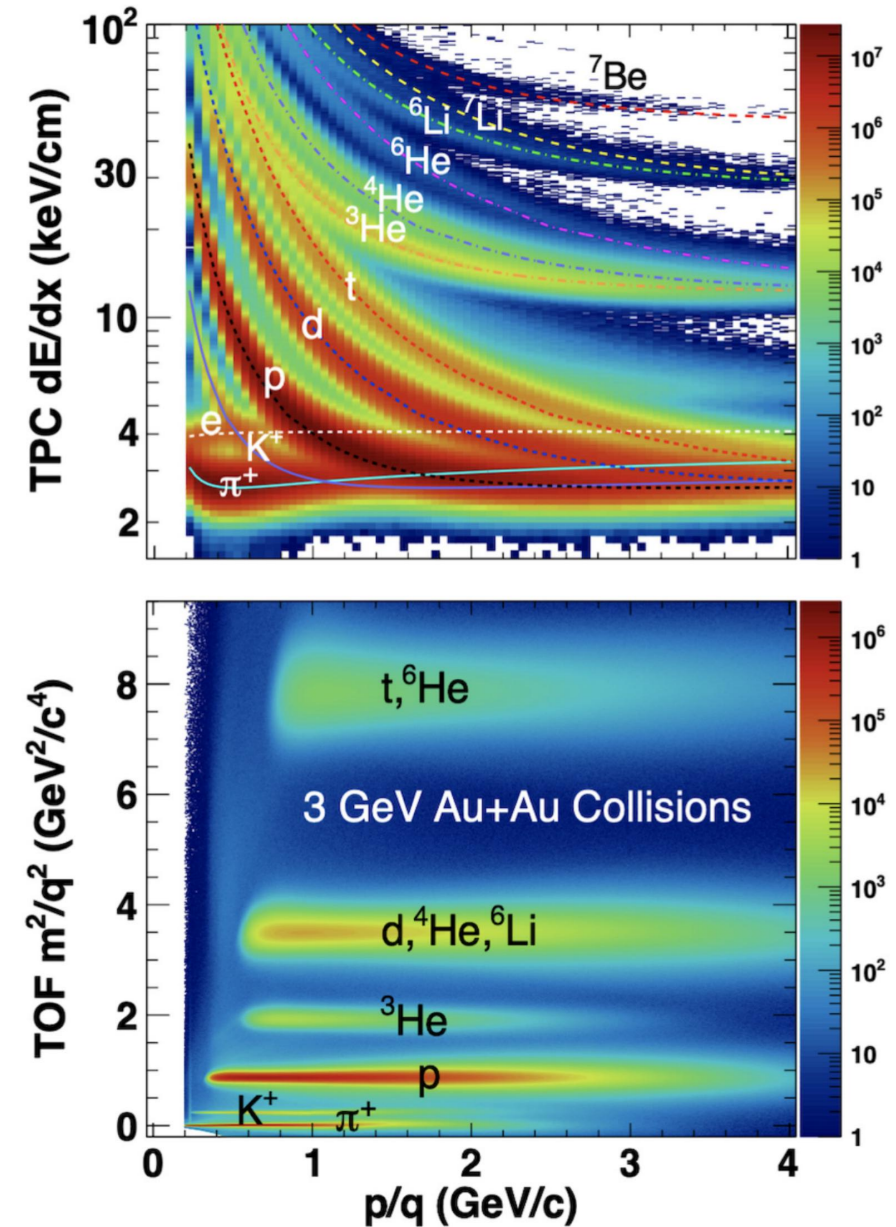
Time of Flight (TOF)

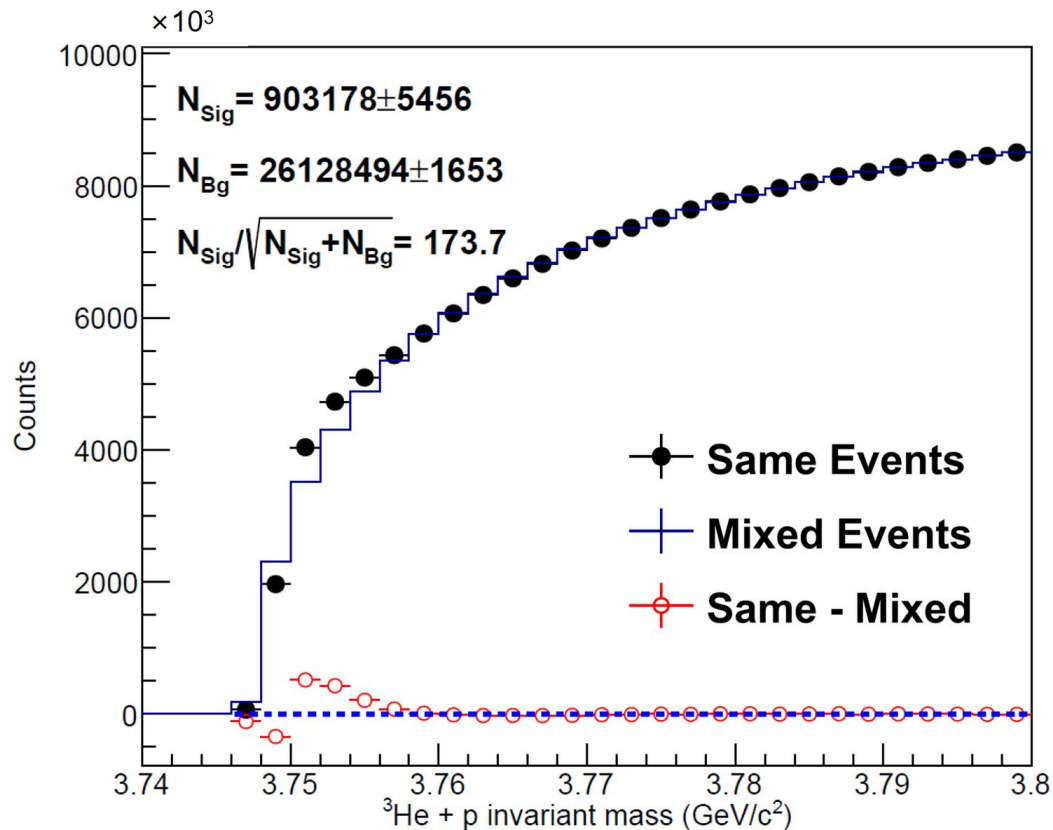
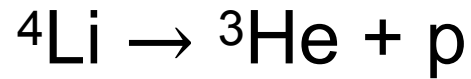
- Particle identification via m^2/q^2



- Fixed Target Setup at STAR
- Au + Au $\sqrt{s_{NN}} = 3$ GeV collected in 2018
- ~ 240M Events

- ${}^4\text{Li}$ and ${}^5\text{Li}$ Reconstruction channels:
 - ${}^4\text{Li} \rightarrow {}^3\text{He} + \text{p}$ (B.R. = 100%)
 - ${}^5\text{Li} \rightarrow {}^4\text{He} + \text{p}$ (B.R. = 100%)
- Good particle identification capability based on TPC (dE/dx) and TOF (m^2/q^2) for charged particles: p, ${}^3\text{He}$ and ${}^4\text{He}$.



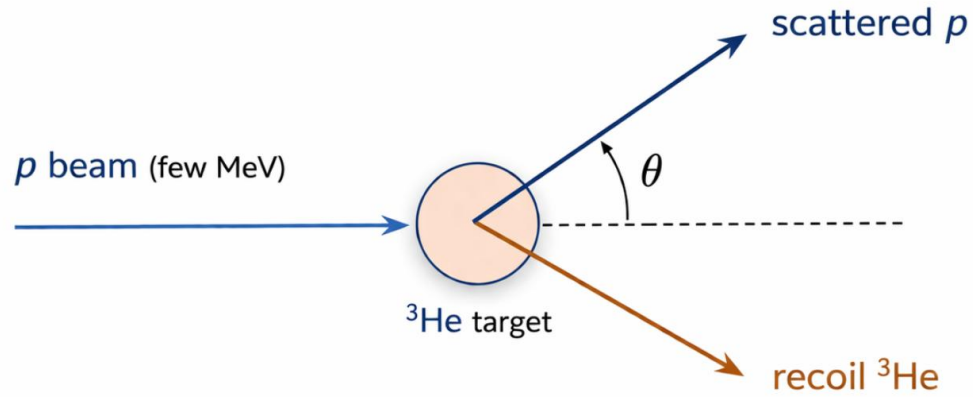


- The signal region is close to the threshold.
- Mixed-event (or rotation) background can lead to negative signal counts.
- The $\text{p}-{}^3\text{He}$ correlation is mixed with ${}^4\text{Li}$ signal region.
- **The correlated background needs to be accounted.**

What is ${}^4\text{Li}$? How was ${}^4\text{Li}$ first identified?



T. A. Tombrello, *Physical Review* Volume 138, Number 1B



Elastic scattering: $p + {}^3\text{He} \rightarrow p + {}^3\text{He}$

1. Measure the scattering cross-section, spin-related coefficients or polarization angle distribution. (Few MeV beam energy)

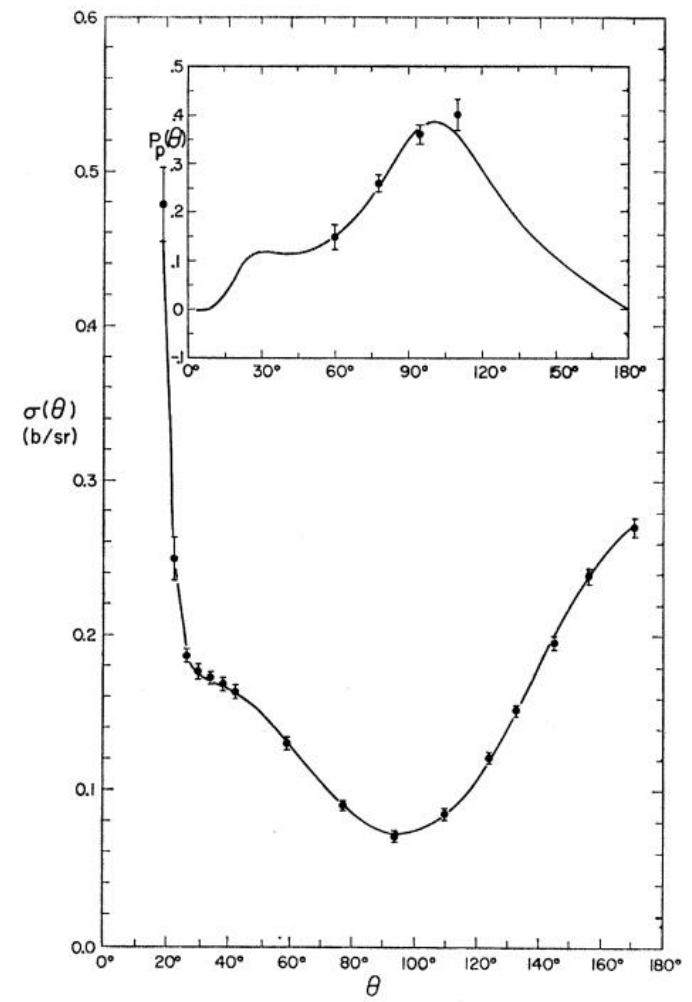
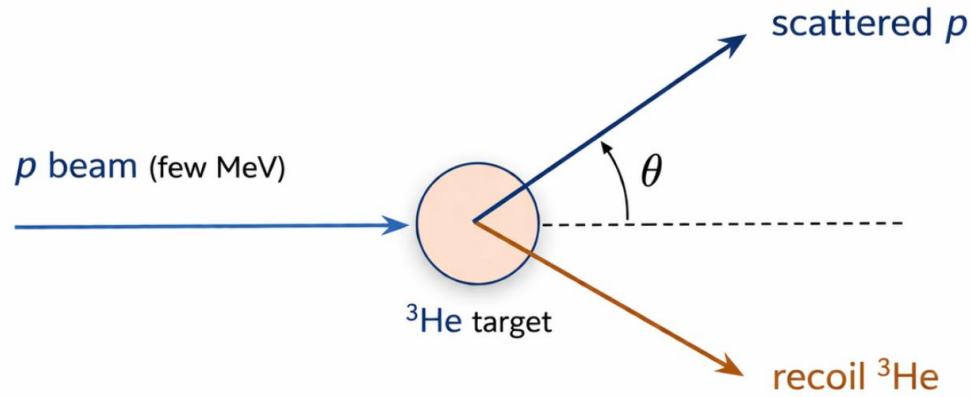


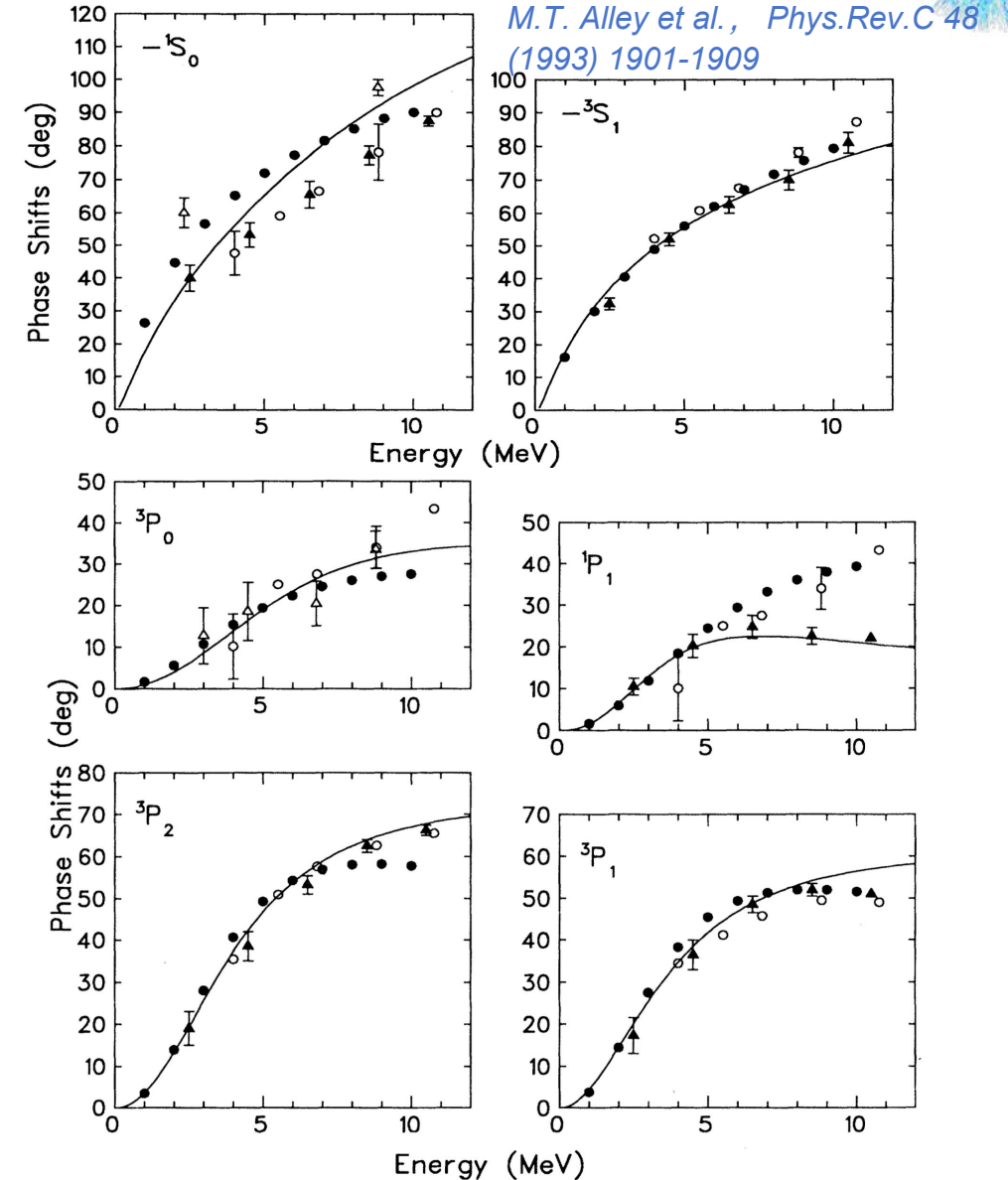
FIG. 5. The scattering and polarization data of Ref. 7 together with the fit corresponding to solution I at a proton energy of 4.00 MeV.

What is ${}^4\text{Li}$? How was ${}^4\text{Li}$ first identified?

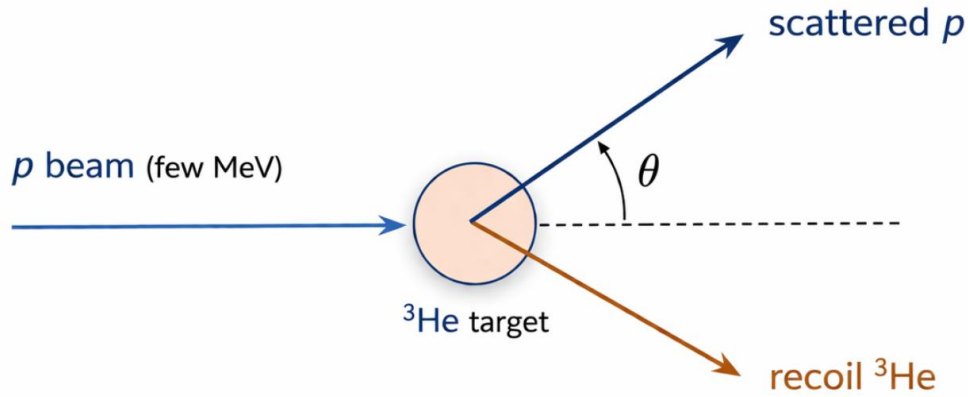


Elastic scattering: $p + {}^3\text{He} \rightarrow p + {}^3\text{He}$

1. Measure the scattering cross-section, spin-related coefficients or polarization angle distribution. (Few MeV beam energy)
2. Phase-Shift analysis for each partial wave.

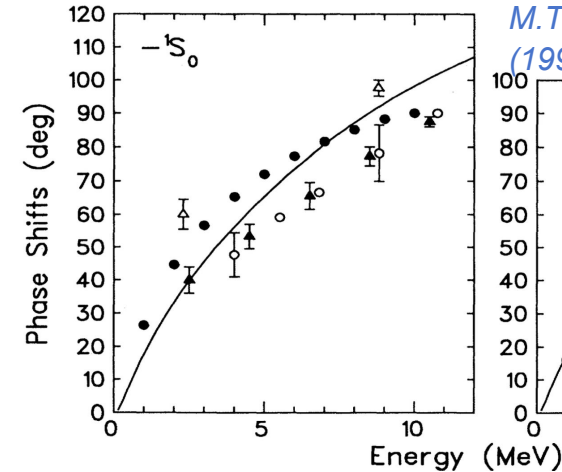


What is ${}^4\text{Li}$? How was ${}^4\text{Li}$ first identified?

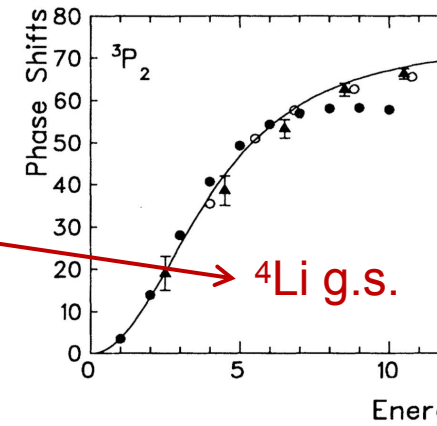
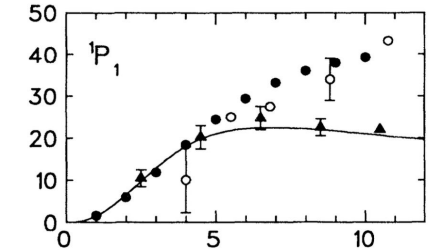
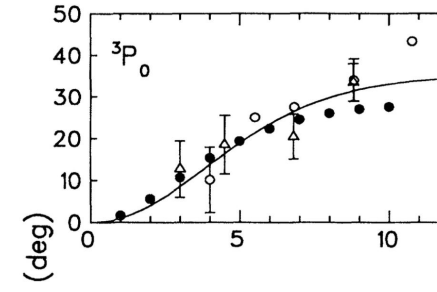
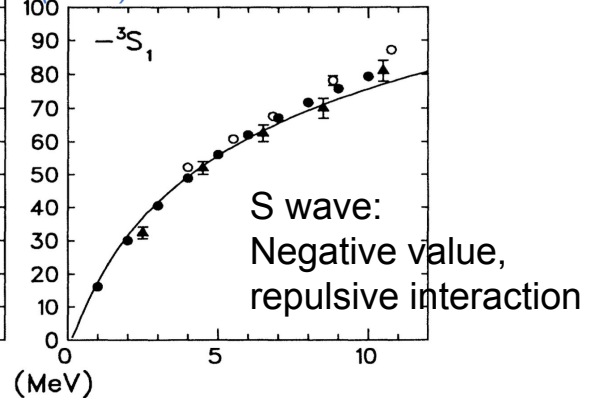


Elastic scattering: $p + {}^3\text{He} \rightarrow p + {}^3\text{He}$

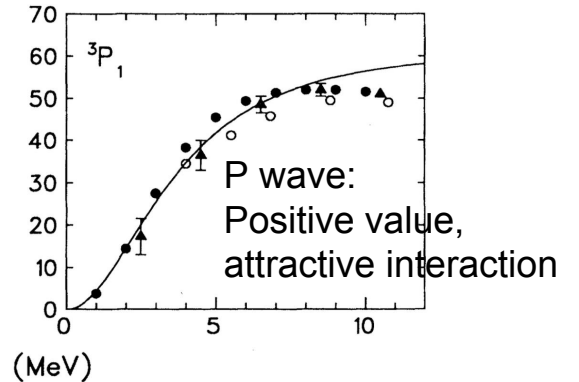
1. Measure the scattering cross-section, spin-related coefficients or polarization angle distribution. (Few MeV beam energy)
2. Phase-Shift analysis for each partial wave.
3. The phase shift of a specific partial wave shows a rapid change with energy, suggesting the existence of a resonance state here.



M.T. Alley et al., Phys.Rev.C 48 (1993) 1901-1909



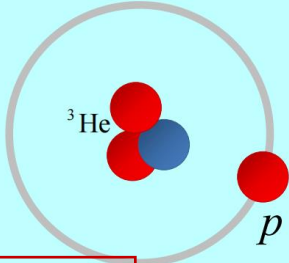
${}^4\text{Li g.s.}$





1. The final-state interaction (FSI) of nuclear in HIC, corresponds to the low-energy nuclear scattering!

${}^4\text{Li}$



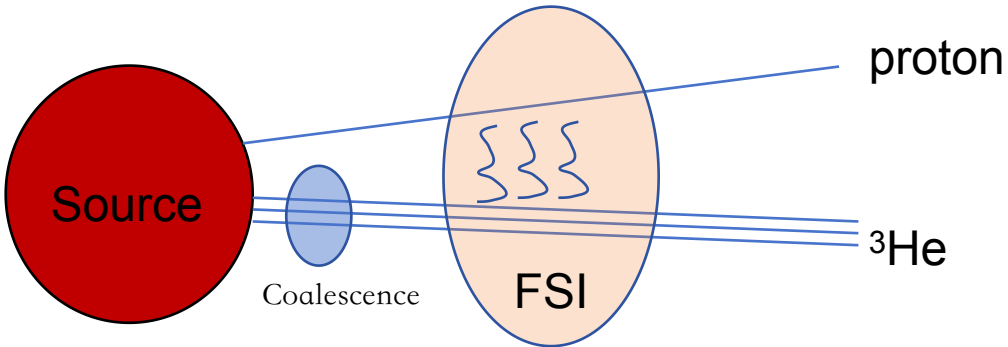
${}^4\text{Li} \rightarrow {}^3\text{He} + p$

$\Gamma = 6 \text{ MeV}$

$m = m_{{}^3\text{He}} + m_p + 4.1 \text{ MeV}$

$m = 3749.7 \text{ MeV}$

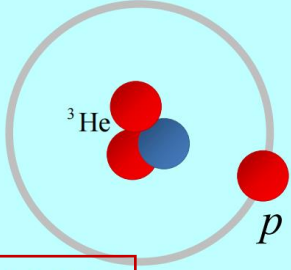
$s = 2$



Signal Extraction Technique

1. The final-state interaction (FSI) of nuclear in HIC, corresponds to the low-energy nuclear scattering!
2. 3P_2 wave of p - ${}^3\text{He}$ is ${}^4\text{Li}$. Other partial-waves (3P_1 , 3P_0 , 1P_1 , 1S_0 , 3S_1 ...) also contribute in the signal area.

${}^4\text{Li}$



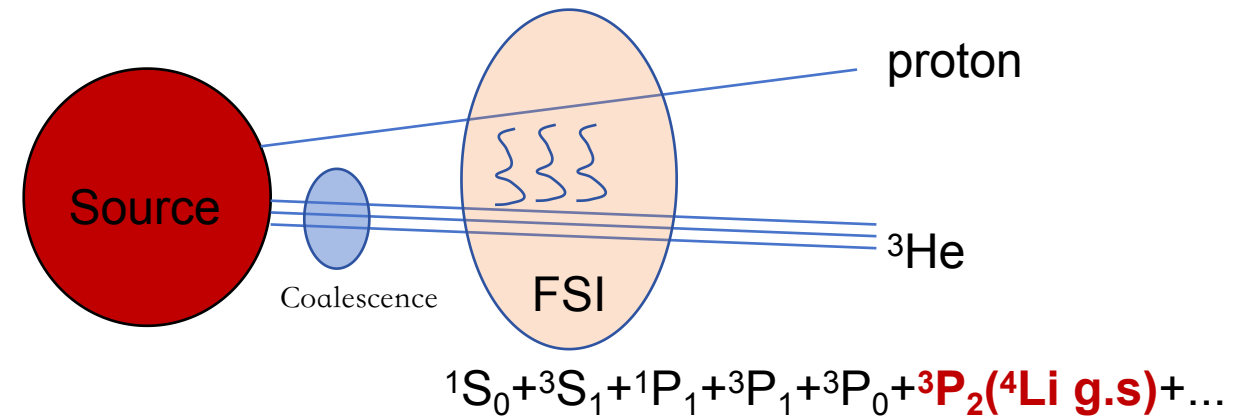
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Signal Extraction Technique

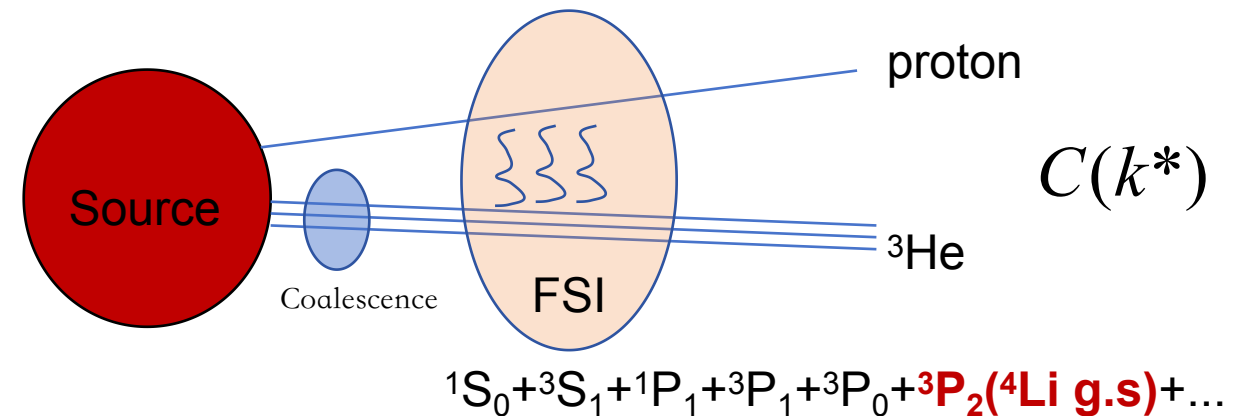
1. The final-state interaction (FSI) of nuclear in HIC, corresponds to the low-energy nuclear scattering!
2. 3P_2 wave of p- ${}^3\text{He}$ is ${}^4\text{Li}$. Other partial-waves (3P_1 , 3P_0 , 1P_1 , 1S_0 , 3S_1 ...) also contribute in the signal area.
3. Correlation function $C(k^*)$ can be used to describe this FSI.

Definition of the correlation function $C(k^*)$

$$C(k^*) = \frac{P(\vec{p}_1, \vec{p}_2)}{P(\vec{p}_1)P(\vec{p}_2)} = \frac{N_{\text{foreground}}(k^*)}{N_{\text{background}}(k^*)}$$

experimental

- P: The probability of observing particles with given momenta.
- k^* : Relative momentum of the daughter particles in rest frame of particle pair.

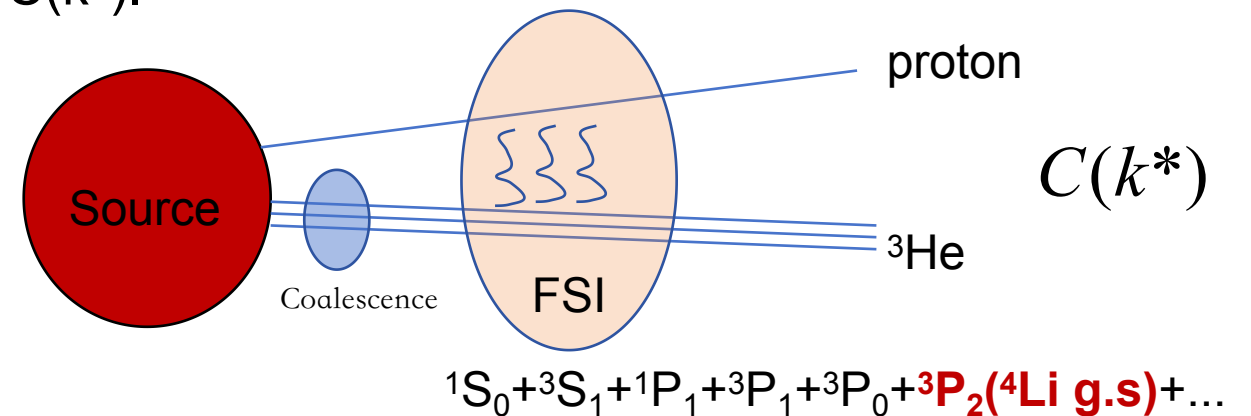


Signal Extraction Technique

1. The final-state interaction (FSI) of nuclear in HIC, corresponds to the low-energy nuclear scattering!
2. 3P_2 wave of p- ^3He is ^4Li . Other partial-waves ($^3P_1, ^3P_0, ^1P_1, ^1S_0, ^3S_1 \dots$) also contribute in the signal area.
3. Correlation function $C(k^*)$ can be used to describe this FSI.
4. Lednicky-Lyuboshitz(LL) model is used to fit $C(k^*)$.

LL model :

- Wave function: $\psi(\vec{k}^*, \vec{r}) = \psi_{\text{ingoing}} + f \cdot \psi_{\text{outgoing}}$
- Source function: $S(\vec{r})$
- Scattering amplitude: f
- Koonin-Pratt equation: $C(\vec{k}^*) = \int d^3r S(\vec{r}) |\psi(\vec{k}^*, \vec{r})|^2$





Signal Extraction Technique

Three assumptions of LL model:

1. Asymptotic wave function: Confluent Hypergeometric function+ f *Coulomb wave function
(The solution of the Schrödinger equation under the Coulomb potential)
2. Gaussian Source.
3. **Partial-wave scattering amplitude (f):**

Yu.V. Orlov, Nuclear Physics A 1004(2020) 122060

$$\tilde{f}_l^{NC}(k) = \frac{1}{C_l^2 k (\cot \delta_l - i)} \xrightarrow{\substack{l=0, \text{ even-order} \\ \text{Taylor expansion}}} \tilde{f}_0^{NC} = \left[\frac{1}{a_0} + \frac{1}{2} d_0 k^2 - 2k\eta H(\eta) - ikC_0^2(\eta) \right]^{-1}$$

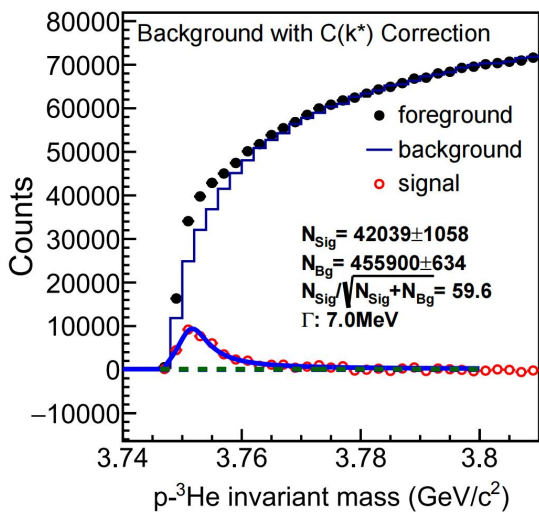
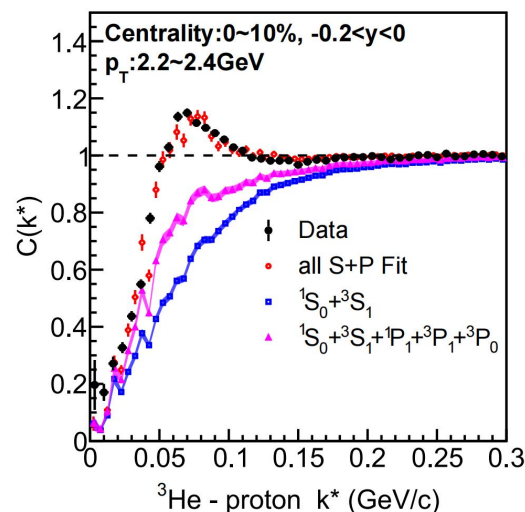
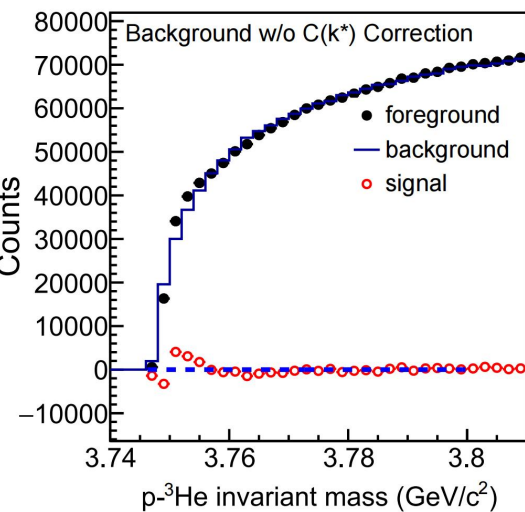
For any partial wave phase-shift data Only for S wave

$$\text{p-}^3\text{He: } C = n * \left(\frac{1}{4} C(^1S_0) + \frac{3}{4} C(^3S_1) \right) + (1-n) * \left(\frac{3}{12} C(^1P_1) + \frac{1}{12} C(^3P_0) + \frac{3}{12} C(^3P_1) + \frac{5}{12} C(^3P_2) \right)$$

$$\text{p-}^4\text{He: } C = n * C(S) + (1-n) * \left(\frac{1}{3} C(P_{1/2}) + \frac{2}{3} C(P_{3/2}) \right)$$

- n is fraction of the S wave, Gauss Source size R_g , both are determined by fitting the experimental data.
- Spin degeneracy factor $\frac{(2S+1)}{(2s_1+1)(2s_2+1)} \cdot \frac{(2J+1)}{(2L+1)(2S+1)}$

Signal Extraction Technique

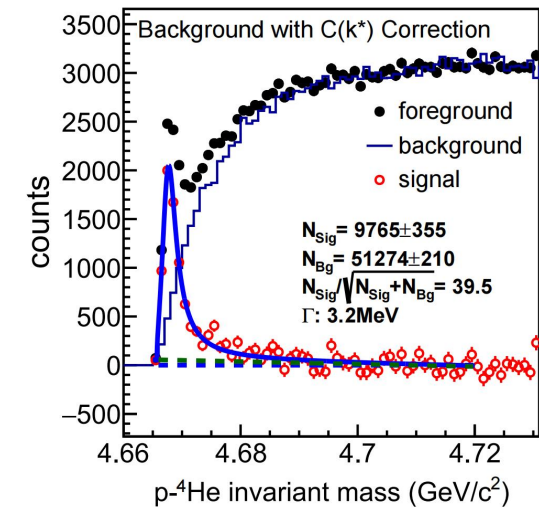
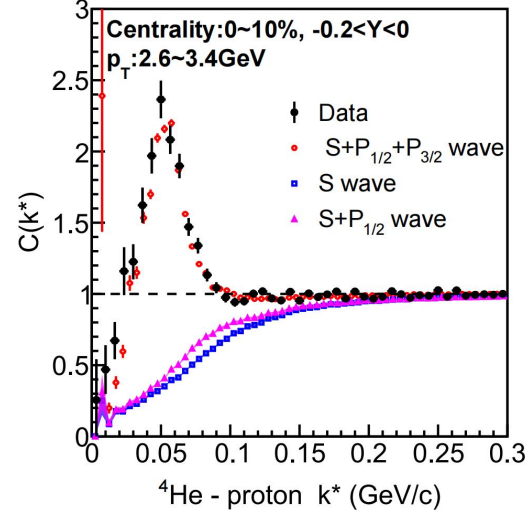
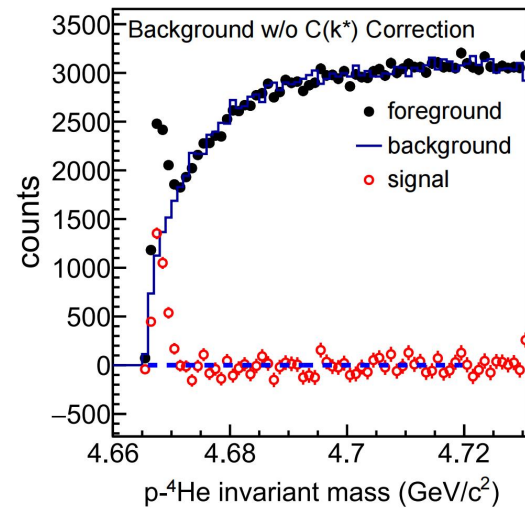


$$d^{sill}(E) = \frac{2E}{\pi} \frac{\sqrt{E^2 - E_{th}^2} \tilde{\Gamma}}{(E^2 - M^2)^2 + (E^2 - E_{th}^2) \tilde{\Gamma}^2} \theta(E - E_{th})$$

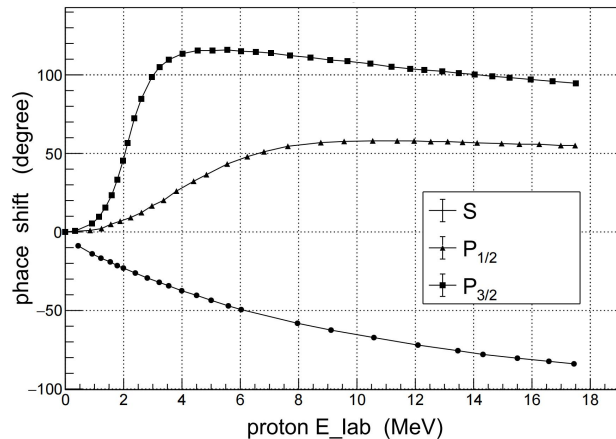
$$\tilde{\Gamma} = \frac{\Gamma M}{\sqrt{M^2 - E_{th}^2}}$$

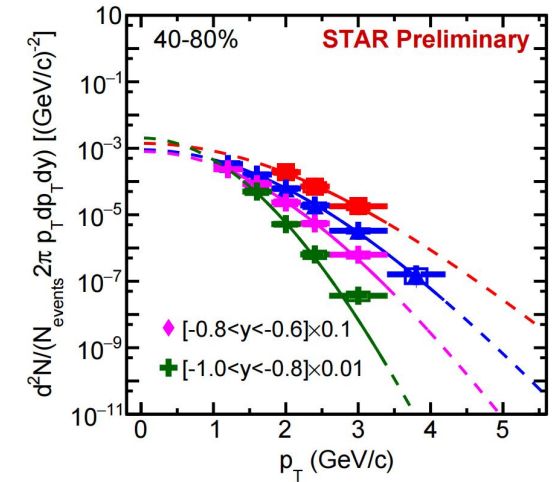
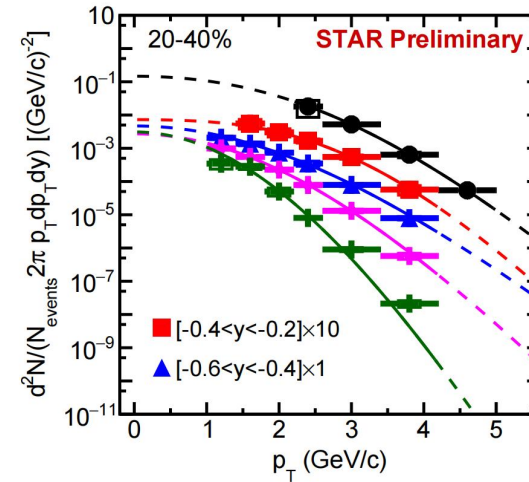
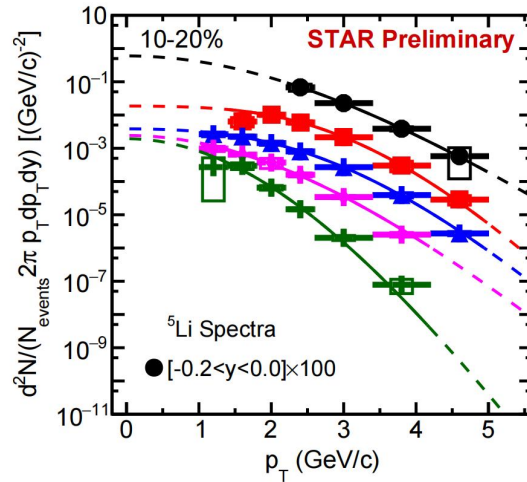
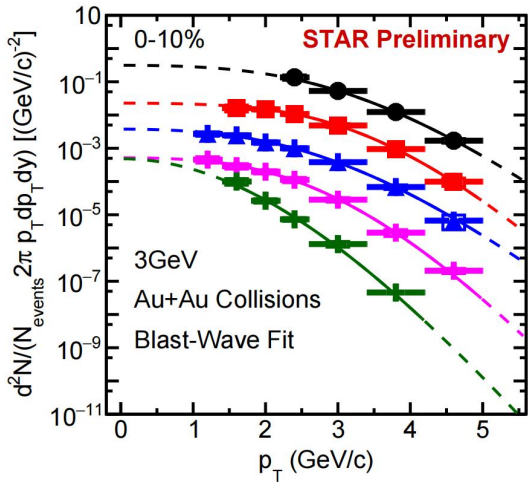
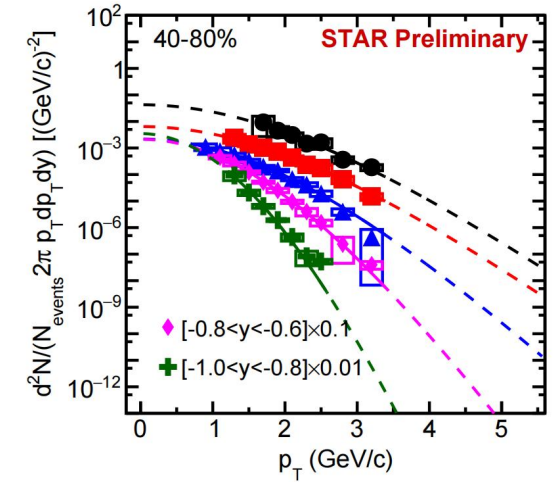
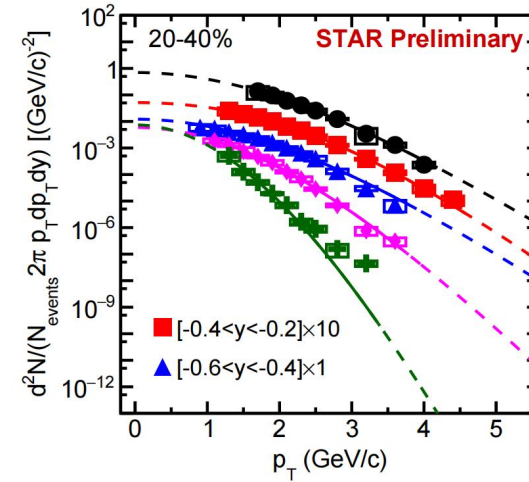
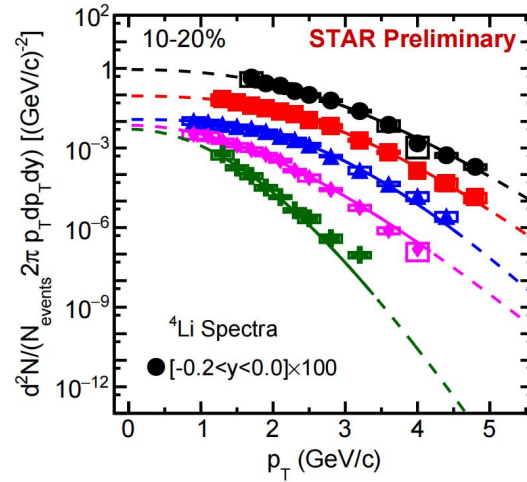
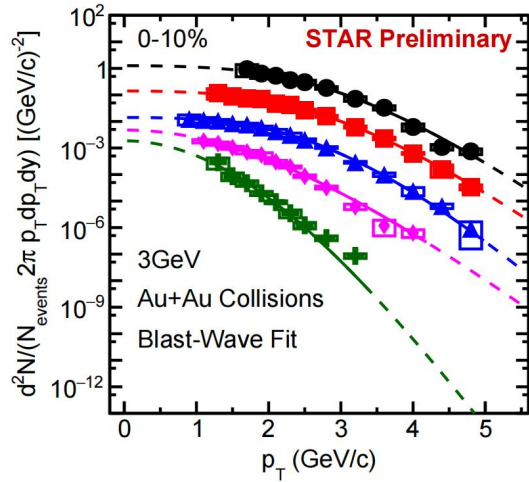
- The blue line shows the fit using the Sill function

Francesco Giacosa et al., Eur. Phys. J. A (2020) 56:193



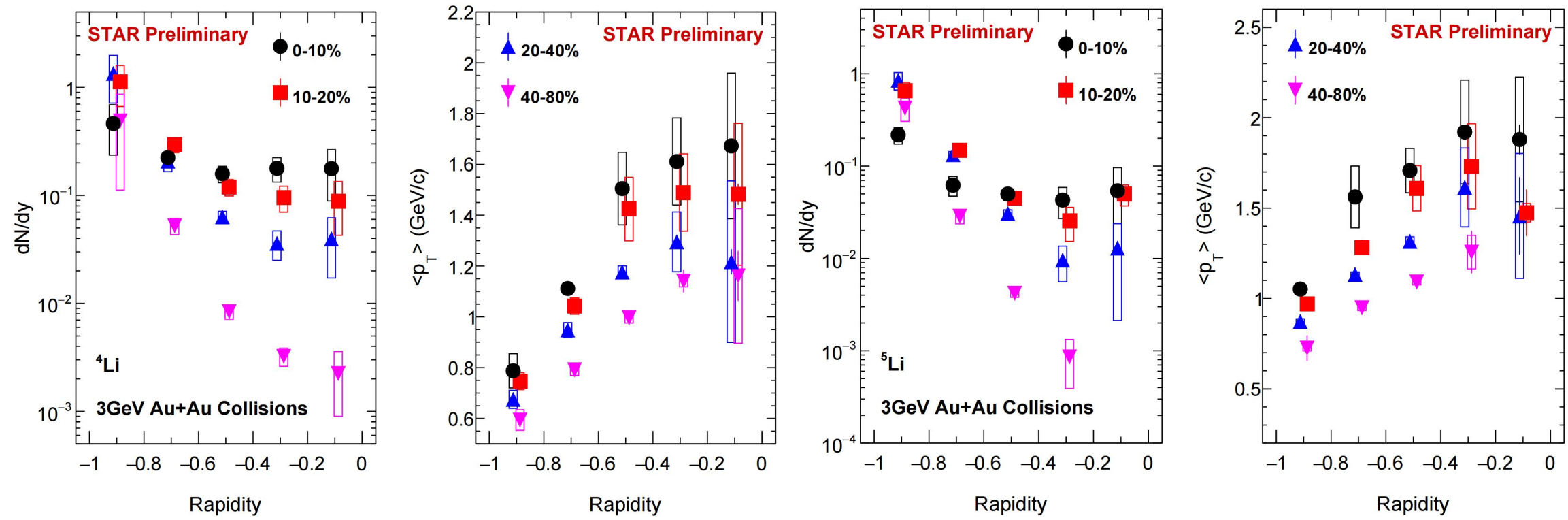
P. Schwandt et al., Nuclear Physics A163 (1971) 432-448





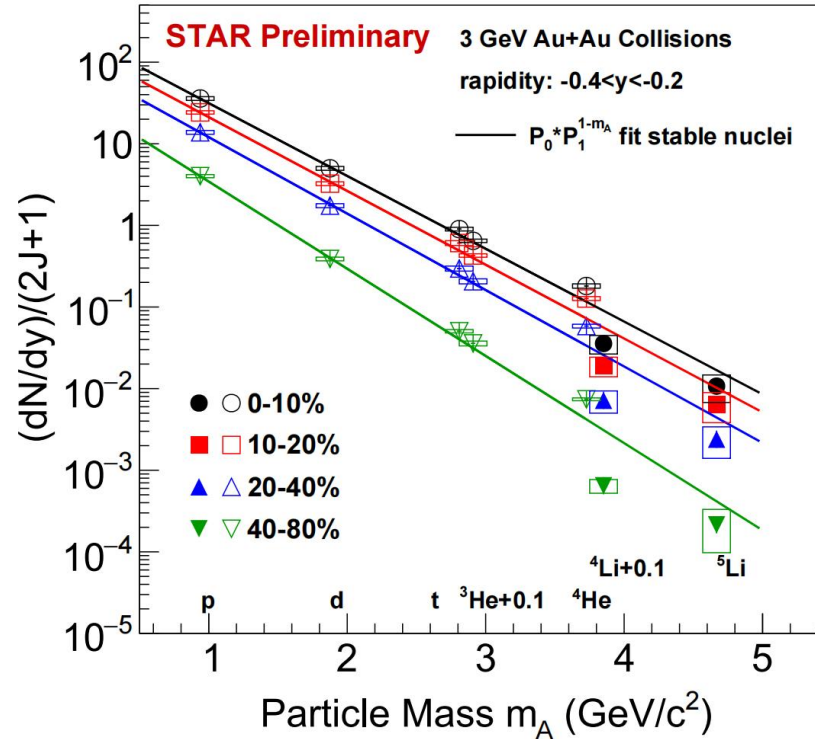
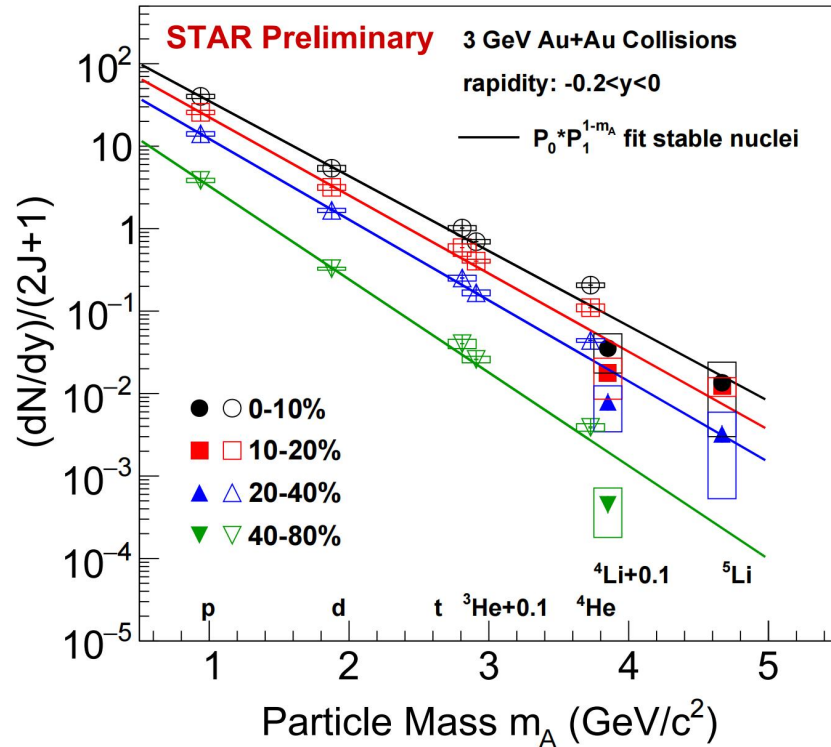
$$\frac{1}{2\pi p_T} \frac{d^2N}{dp_T dy} \propto \int_0^R r dr m_T I_0\left(\frac{p_T \sinh \rho}{T}\right) K_1\left(\frac{m_T \cosh \rho}{T}\right)$$

- Efficiencies are obtained using Monte Carlo simulations embedded to data.



- The trend of yield and mean p_T as function of rapidity is similar to that of stable light nuclei.

dN/dy Yield and mean p_T



- The baseline was obtained by fitting the stable light nucleus yields with an exponential function.
- The yield of ${}^4\text{Li}$ is significantly lower than the baseline in midrapidity.

stable light nuclei data: *STAR Collaboration, PHYSICAL REVIEW C 110, 054911 (2024)*

- Production mechanism of unstable light nuclei: **it is influenced not only by the mass number A , but also by the partial-wave scattering cross sections of its constituents.**

$$\sigma_l(E) = \frac{4\pi(2l+1)}{k^2} \sin^2(\delta_l(E))$$

$$p\text{-}{}^3\text{He} \quad \sigma({}^3P_2) < p\text{-}{}^4\text{He} \quad \sigma(P_{3/2})$$



Summary:

1. First measurement of unstable light nuclei (${}^4\text{Li}$ and ${}^5\text{Li}$) yield in Au+Au at $\sqrt{s_{NN}} = 3$ GeV with STAR.
2. A new method to extract near-threshold resonance signals. Partial wave method+phase-shift data + Lednicky–Lyuboshitz model.
3. ${}^4\text{Li}$ yield (over $2J+1$) is significantly lower than that of ${}^4\text{He}$, which implies that the production mechanisms may be different.

Outlook:

1. Systematic study of energy dependence.
2. Extension to flow and polarization measurements.

Thanks for your attention!