

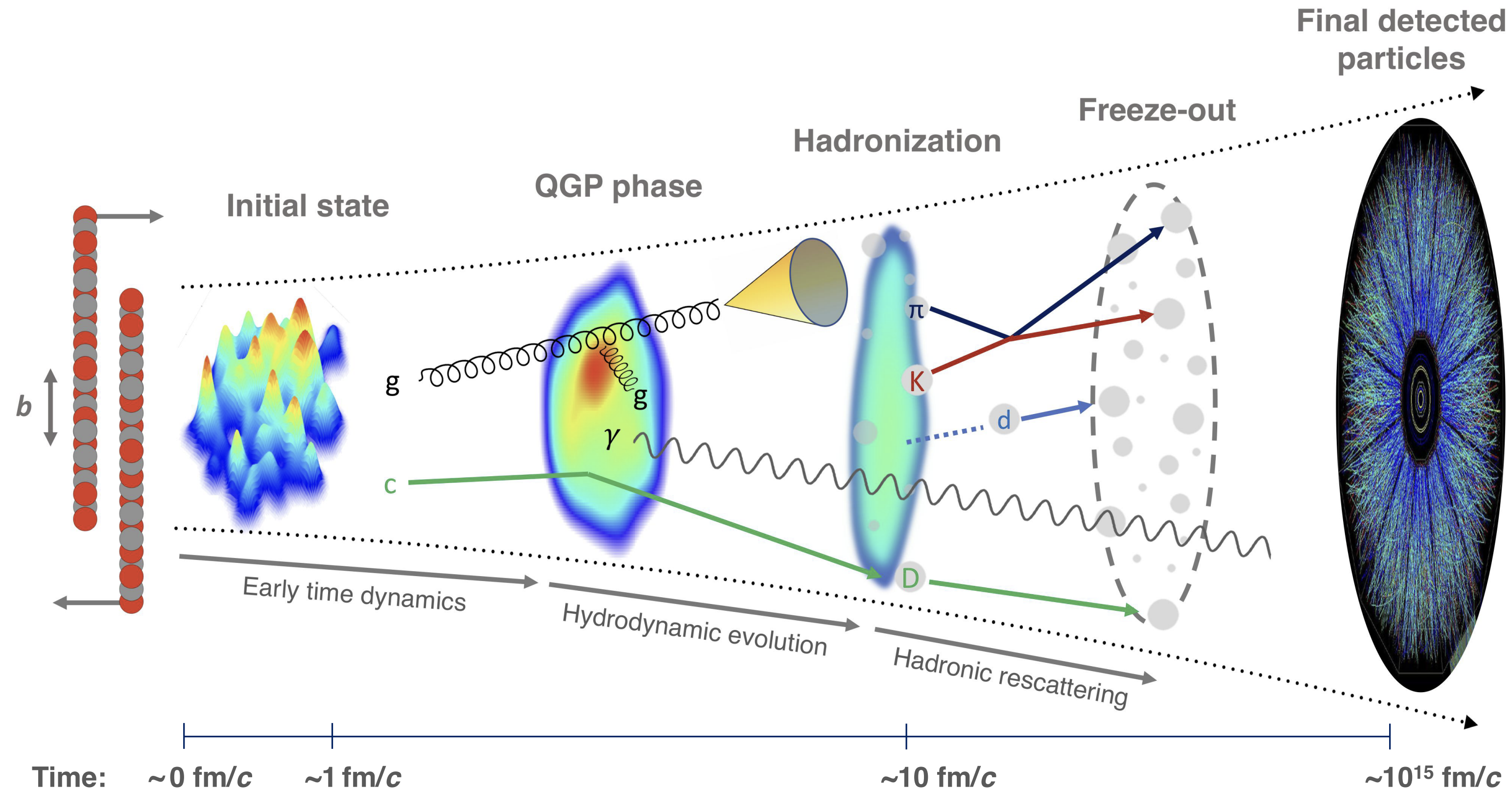
# Open heavy flavour in flowing QCD matter

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March 24th 2026, UCLA

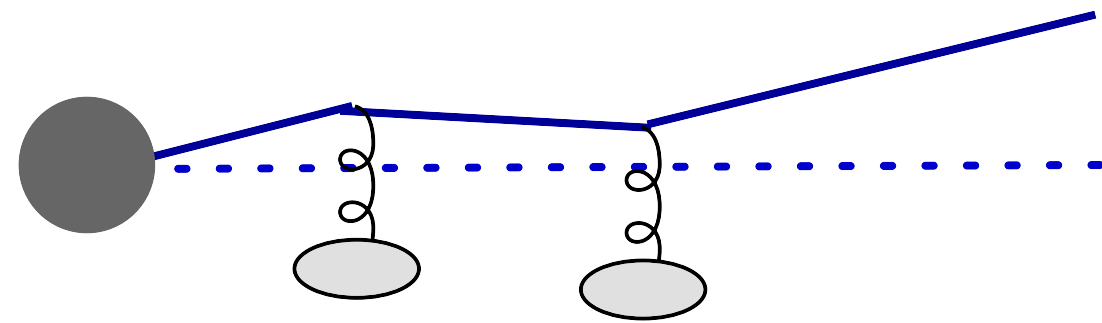
Based on [2512.11951](#) in collaboration with Barata, Kuzmin, Sadofyev, Salgado.



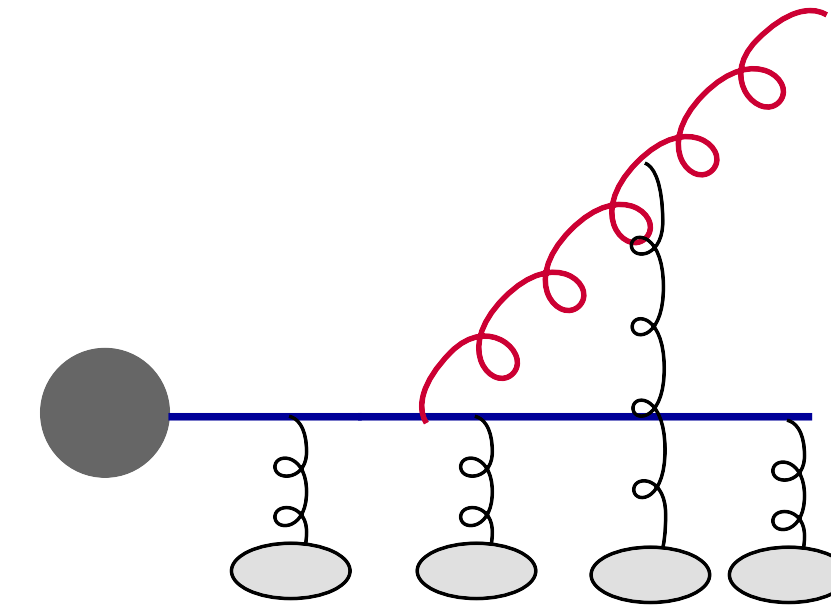
- Jet imaging: Jets as differential probes of the spatio-temporal structure of the thermal matter in HIC
- Modification of jet properties encodes information about the QGP characteristics and evolution

Focus on leading perturbative processes: Two processes that modify the evolution of HQ.

Transverse momentum broadening



Medium induced gluon radiation



Theoretical formulation requires a tractable description of the matter

- Matter treated as a classical background field
- The field is produced by an stochastic ensemble of charged particles
- Its statistical correlations are determined by the matter properties

See e.g.  
Casalderrey-Solana, Salgado 2007

Dead-cone effect present in vacuum radiation of a HQ

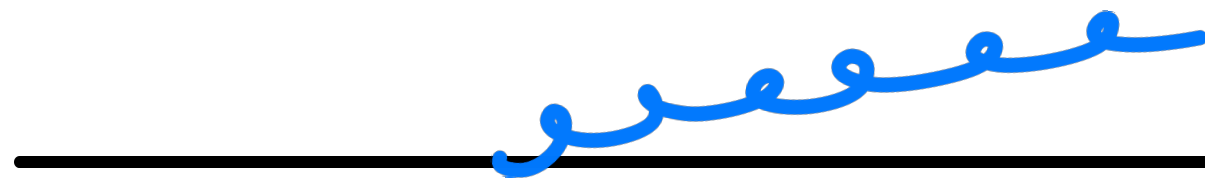
Radiation of a massless quark

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$$\frac{d\mathcal{I}}{d\omega d\theta} \simeq \frac{\alpha_s C_F}{\pi} \frac{1}{\omega} \frac{1}{\theta}$$

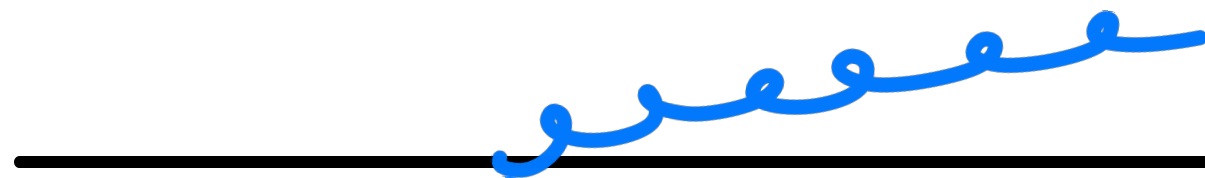


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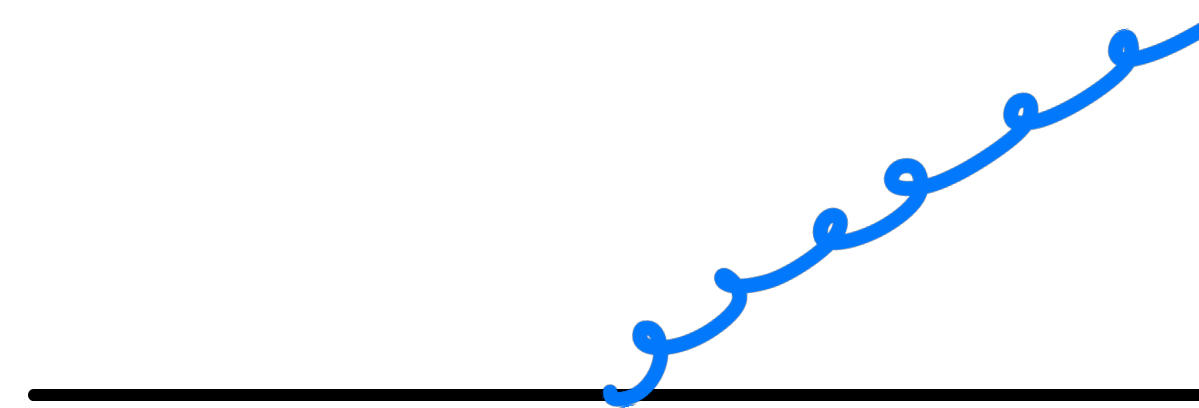
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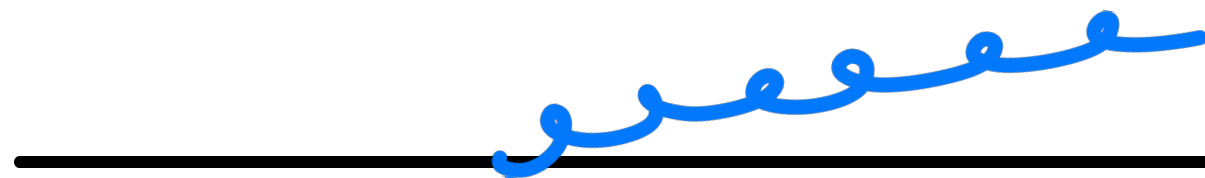
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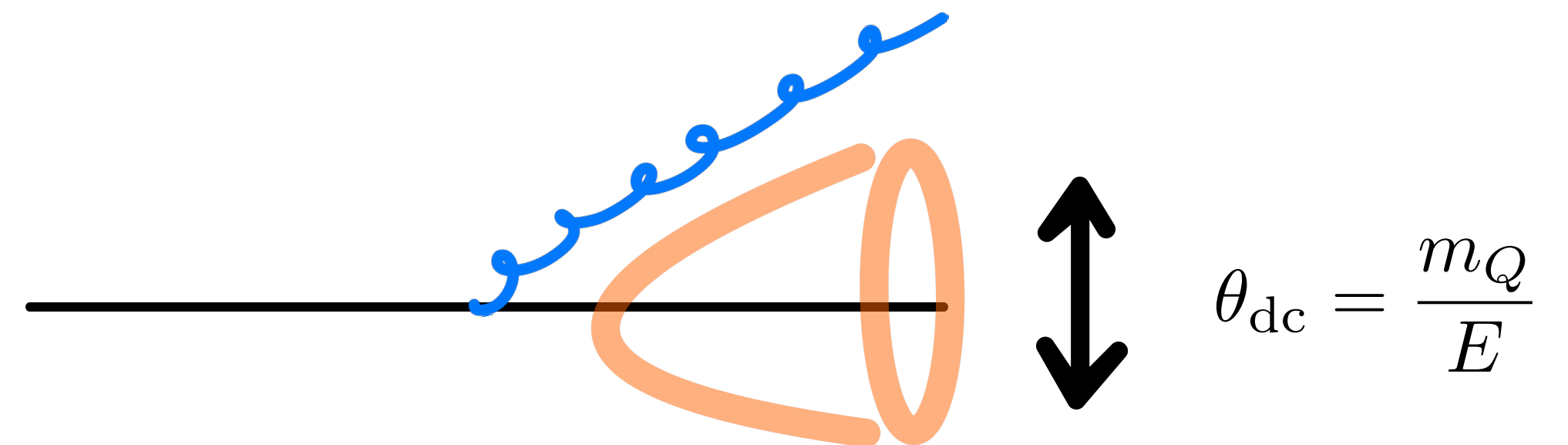
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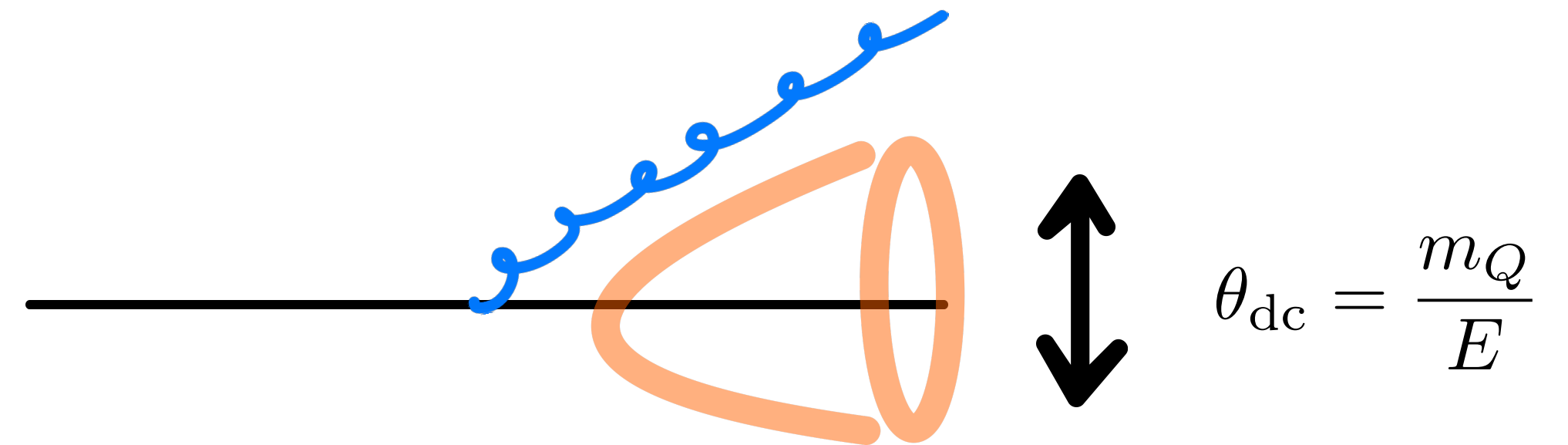
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Clean avenue to access medium induce radiation and extract information of the matter

See Armesto, Salgado, Wiedemann PRD 2004

Diagnostic tool of the bulk with the HQ mass coupling with the transverse dynamics of the bulk

Matter  $\longrightarrow$  field produced by an stochastic ensemble of  $SU(N_c)$  charged quasiparticles

Matter **flowing**

$$gA^{a\mu}(q) = \int_{\mathbf{x}, z} e^{-i(\mathbf{q}\cdot\mathbf{x} + q_z z)} u^\mu(\mathbf{x}, z) \hat{\rho}^a(\mathbf{x}, z) v(q; \mathbf{x}, z) (2\pi) \delta(q \cdot u)$$

- scattering potential
- density of color sources
- velocity of the sources

See e.g.

Sadofyev, Sievert, Vitev PRD 2021

Andres, Dominguez, Sadofyev, Salgado PRD 2022

Kuzmin, XML, Reiten, Sadofyev PRD 2024

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Stochastic field  $\longrightarrow$  need to specify the average over its configurations  $\longrightarrow$  determined by properties of matter

## Gaussian white noise statistics

$$\langle \hat{\rho}^a(\mathbf{x}, z_x) \hat{\rho}^b(\mathbf{y}, z_y) \rangle \propto \delta^{ab} \delta^{(2)}(\mathbf{x} - \mathbf{y}) \delta(z_x - z_y) \rho(\mathbf{x}, z_x)$$

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**Transversely homogeneous** matter

$$\rho(\mathbf{x}, z_x) \simeq \rho(z_x)$$

See e.g.  
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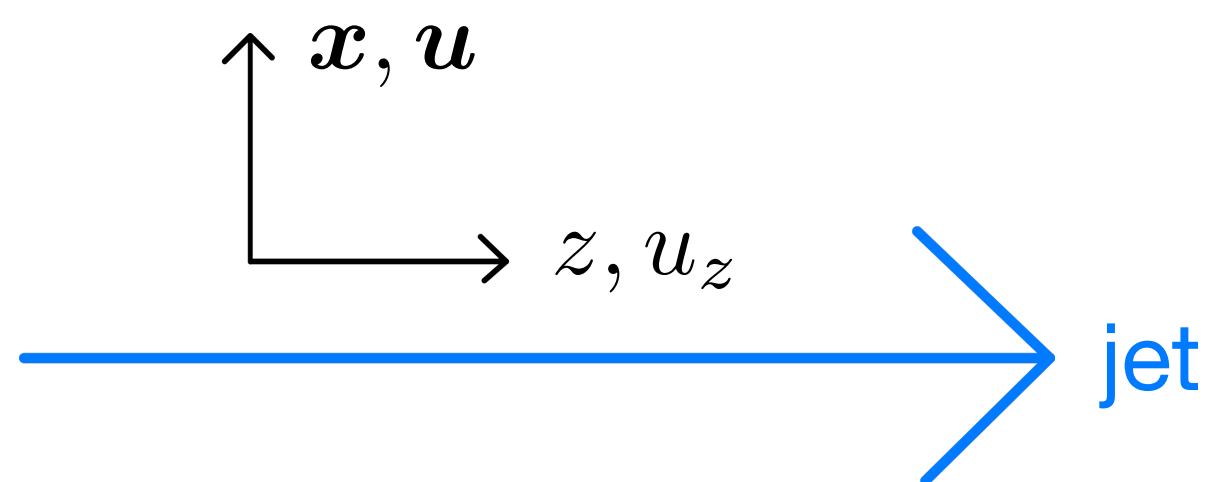
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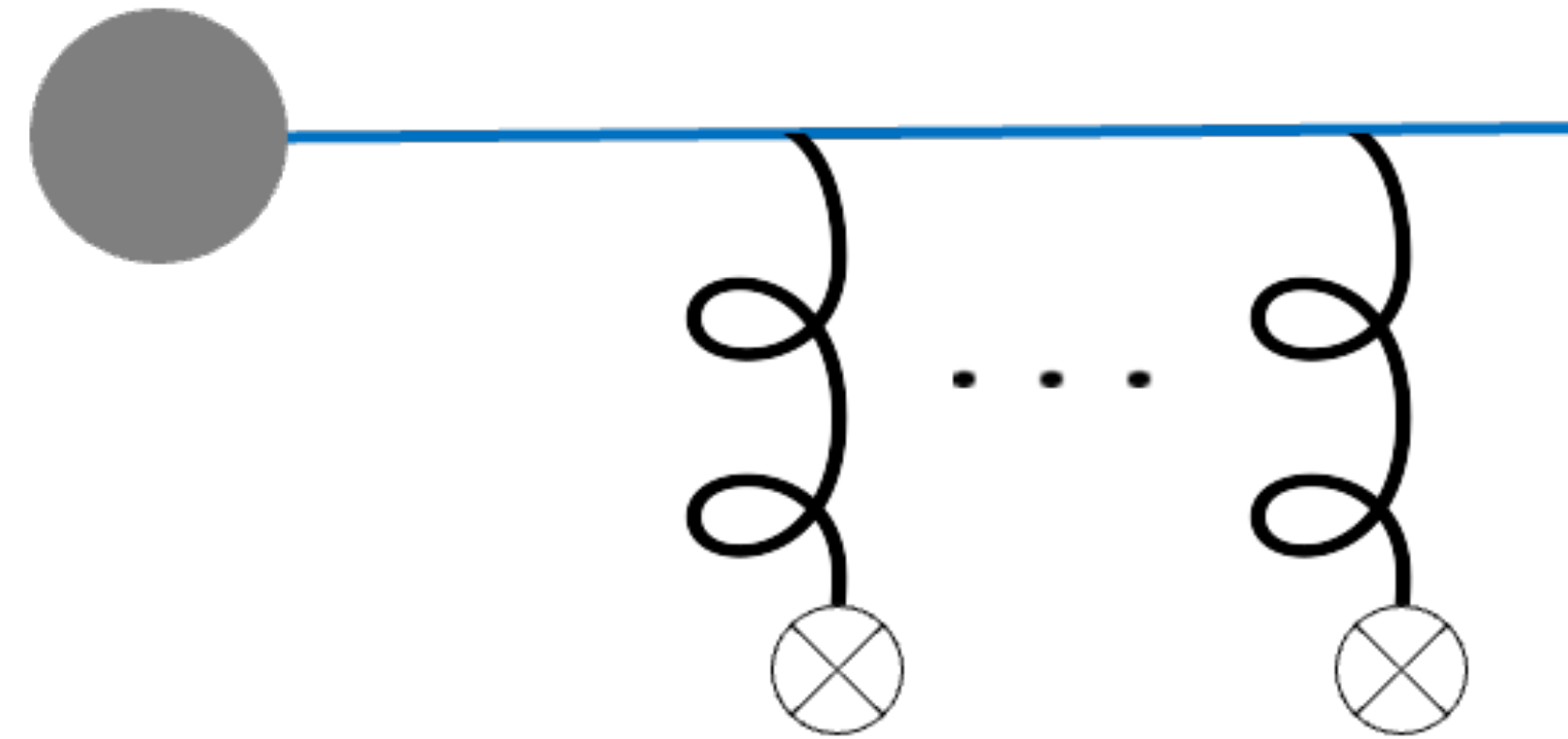
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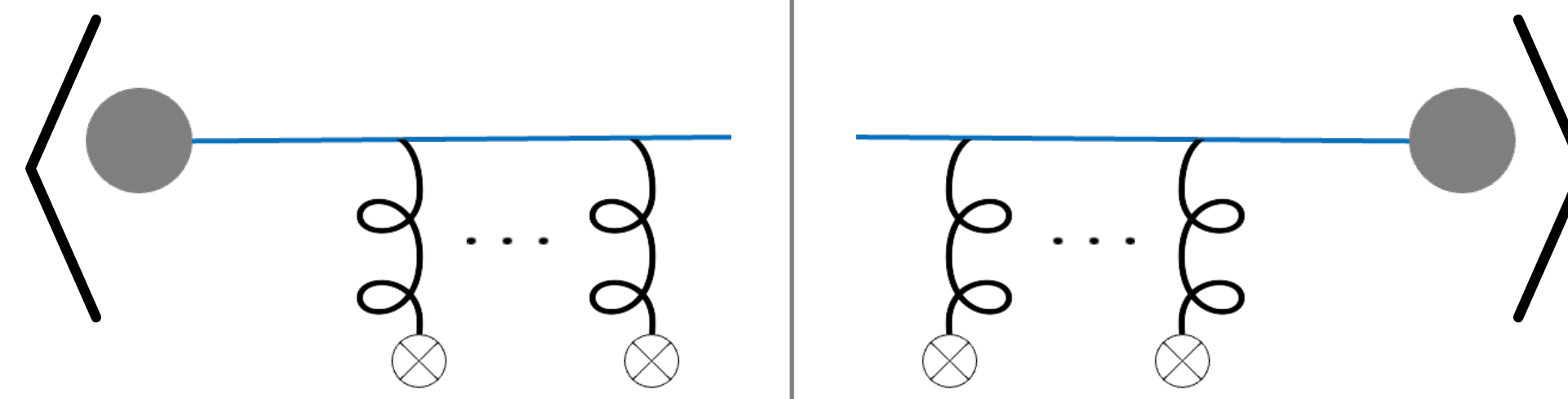
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# Broadening of a HQ in flowing matter

The relevant diagram



The relevant diagram

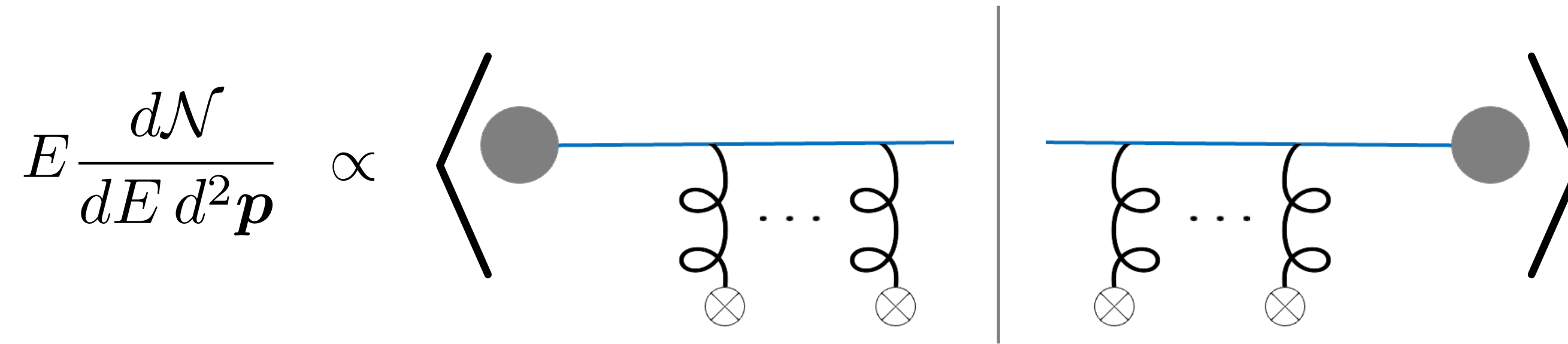
$$E \frac{d\mathcal{N}}{dE d^2\mathbf{p}} \propto \left\langle \begin{array}{c} \text{---} \bullet \text{---} \\ \text{---} \text{---} \text{---} \\ \text{---} \text{---} \text{---} \\ \text{---} \text{---} \text{---} \\ \text{---} \text{---} \text{---} \end{array} \right\rangle \left| \begin{array}{c} \text{---} \text{---} \text{---} \\ \text{---} \text{---} \text{---} \\ \text{---} \text{---} \text{---} \\ \text{---} \text{---} \text{---} \\ \text{---} \text{---} \text{---} \end{array} \right\rangle$$


The jet quenching parameter can be extracted as

$$\hat{q}_{ij} \equiv \frac{\partial}{\partial L} \langle \mathbf{p}_i \mathbf{p}_j \rangle$$



The relevant diagram



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$$\hat{q}_{ij} \equiv \frac{\partial}{\partial L} \langle \mathbf{p}_i \mathbf{p}_j \rangle = -\frac{\partial}{\partial L} \left[ \nabla_{(y-\bar{y})_i} \nabla_{(y-\bar{y})_j} \langle W^{[u]}(\mathbf{y}; L, 0) W^{[u]\dagger}(\bar{\mathbf{y}}; L, 0) \rangle \right]_{\bar{\mathbf{y}}=\mathbf{y}}$$

$$W^{[u]}(\mathbf{y}; L, 0) = \mathcal{P} \exp \left\{ i \int_0^L d\tau t^a \mathcal{A}^a \left( \mathbf{y} - \frac{1}{2} \frac{m_Q^2}{E^2} \frac{\mathbf{u}}{u^-} \tau, \tau \right) \right\}$$

See Barata, Kuzmin, XML, Sadofyev, Salgado 2025

The jet quenching parameter is

$$\hat{q}_{ij} = \frac{\hat{q}_0}{2} \left( 1 + \frac{u^+}{u^-} \frac{m_Q^2}{E^2} \right) \left[ \delta_{ij} - \frac{u_i u_j}{(u^-)^2} \frac{m_Q^2}{E^2} \right]$$

The flow induces anisotropic transverse momentum broadening

Interplay between the HQ mass and the flow generate a tensorial jet quenching parameter

See Barata, Kuzmin, XML, Sadofyev, Salgado 2025

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- Isotropic result
- Flow corrections

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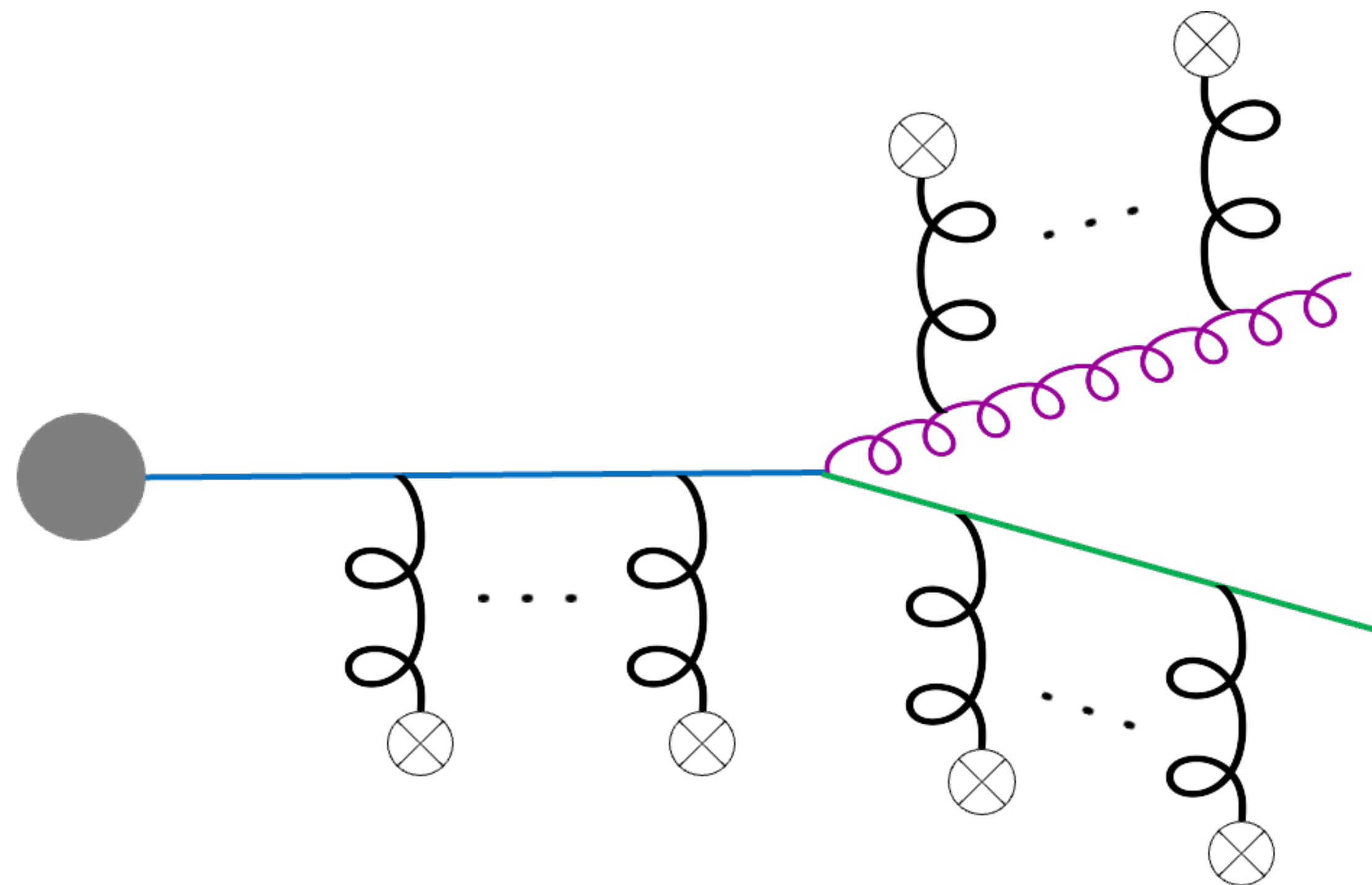
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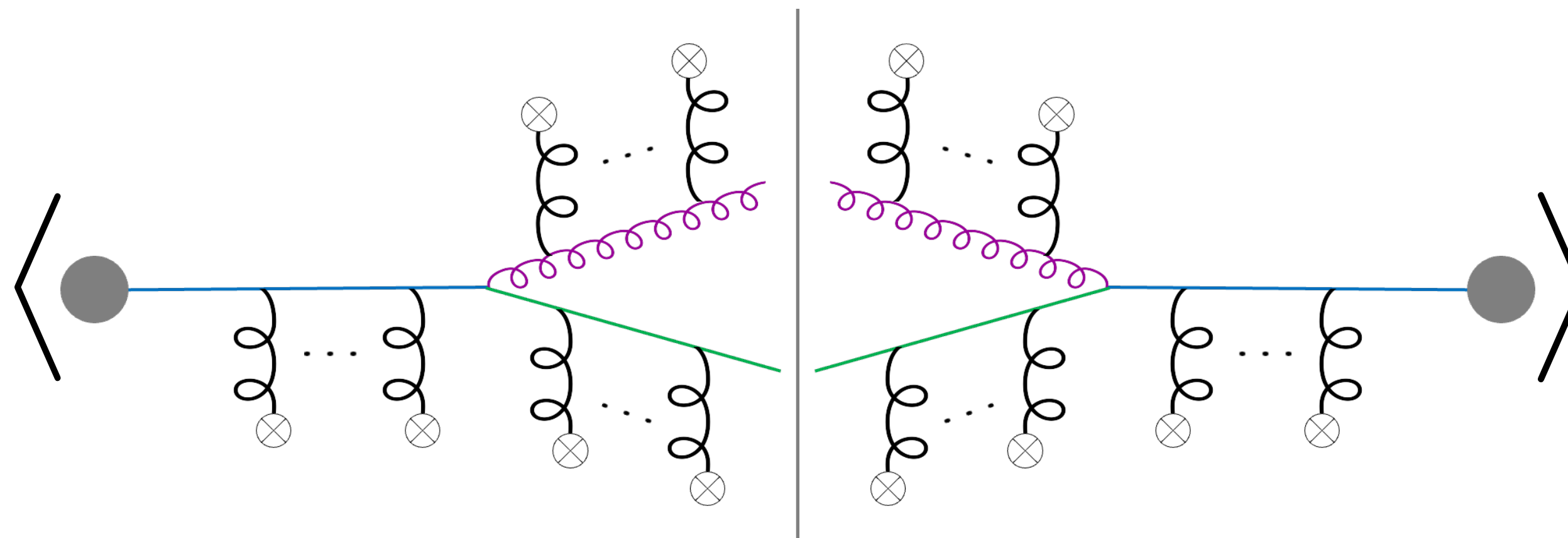
# Medium induced radiation off a HQ in flowing matter

The relevant diagram



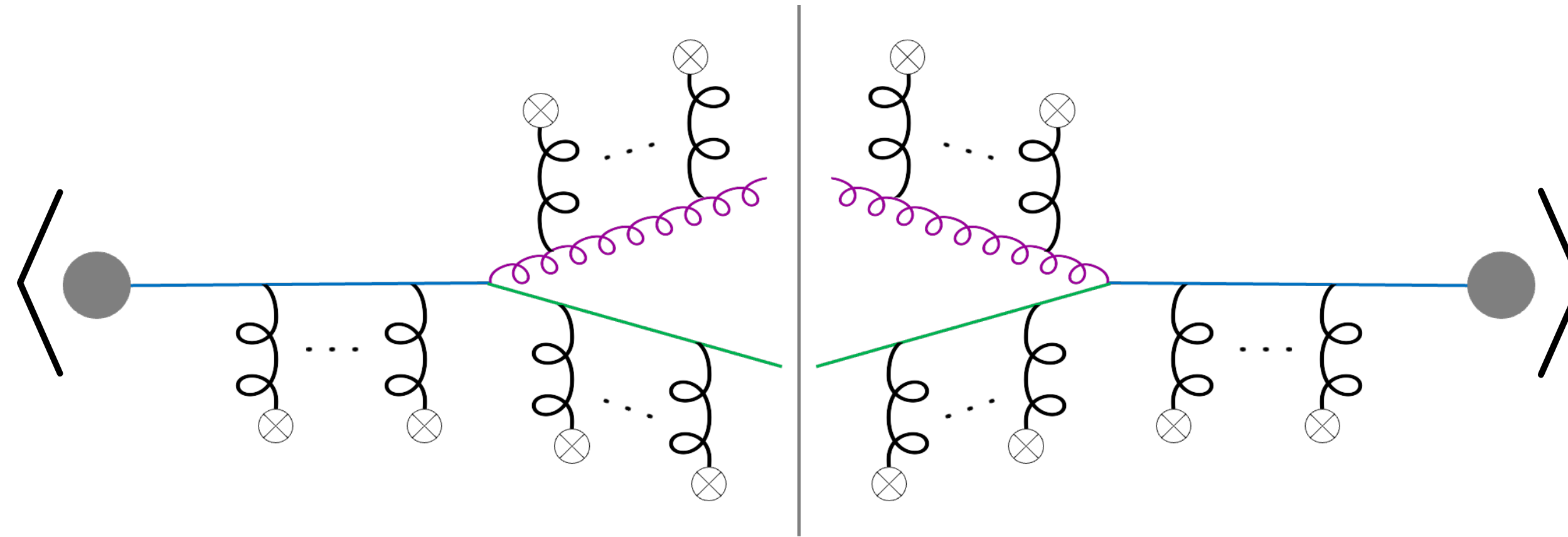
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$$(2\pi)^2 \omega \frac{dI}{d\omega d^2\mathbf{k}} \propto$$



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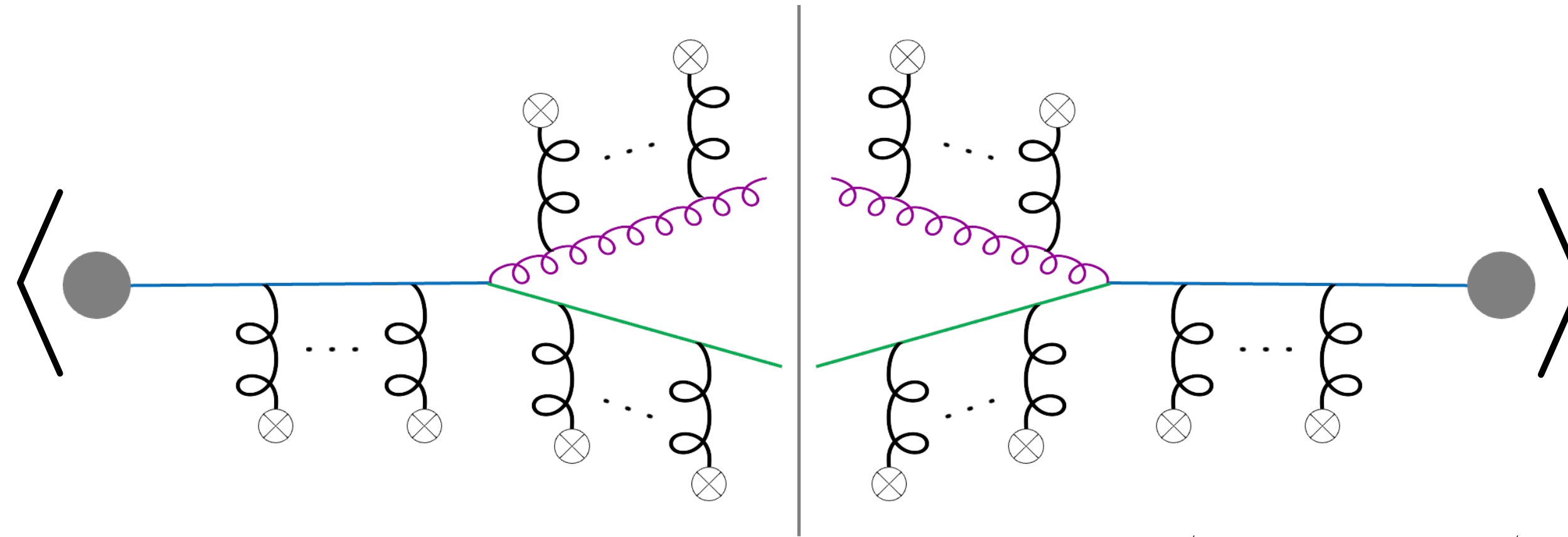
which can be written as

$$(2\pi)^2 \omega \frac{dI}{d\omega d^2\mathbf{k}} = \lim_{x_f^+ \rightarrow \infty} \frac{\alpha_s}{N_c \omega^2} \Re \int_0^\infty d\bar{x}_s^+ \int_0^{\bar{x}_s^+} dx_s^+ \int_{\mathbf{y}} e^{-i \frac{m_Q^2 x^2}{2\omega} \left( 1 - \frac{\mathbf{k} \cdot \mathbf{u}}{u^- \omega} - \frac{m_Q^2}{E^2} \frac{\mathbf{u}^2}{4u^- 2} \right) (\bar{x}_s^+ - x_s^+)} \\ \times e^{-i \frac{m_Q^2}{E^2} \omega \frac{\mathbf{y} \cdot \mathbf{u}}{2u^-}} S_2(\mathbf{k}, \mathbf{k}, x_f^+; \mathbf{y}, \mathbf{r}, \bar{x}_s^+) \nabla_{\mathbf{y}} \cdot \nabla_{\mathbf{x}} \mathcal{K}(\mathbf{y}, \bar{x}_s^+; \mathbf{x}, x_s^+) \Big|_{\mathbf{r}=\mathbf{x}=\mathbf{0}}$$

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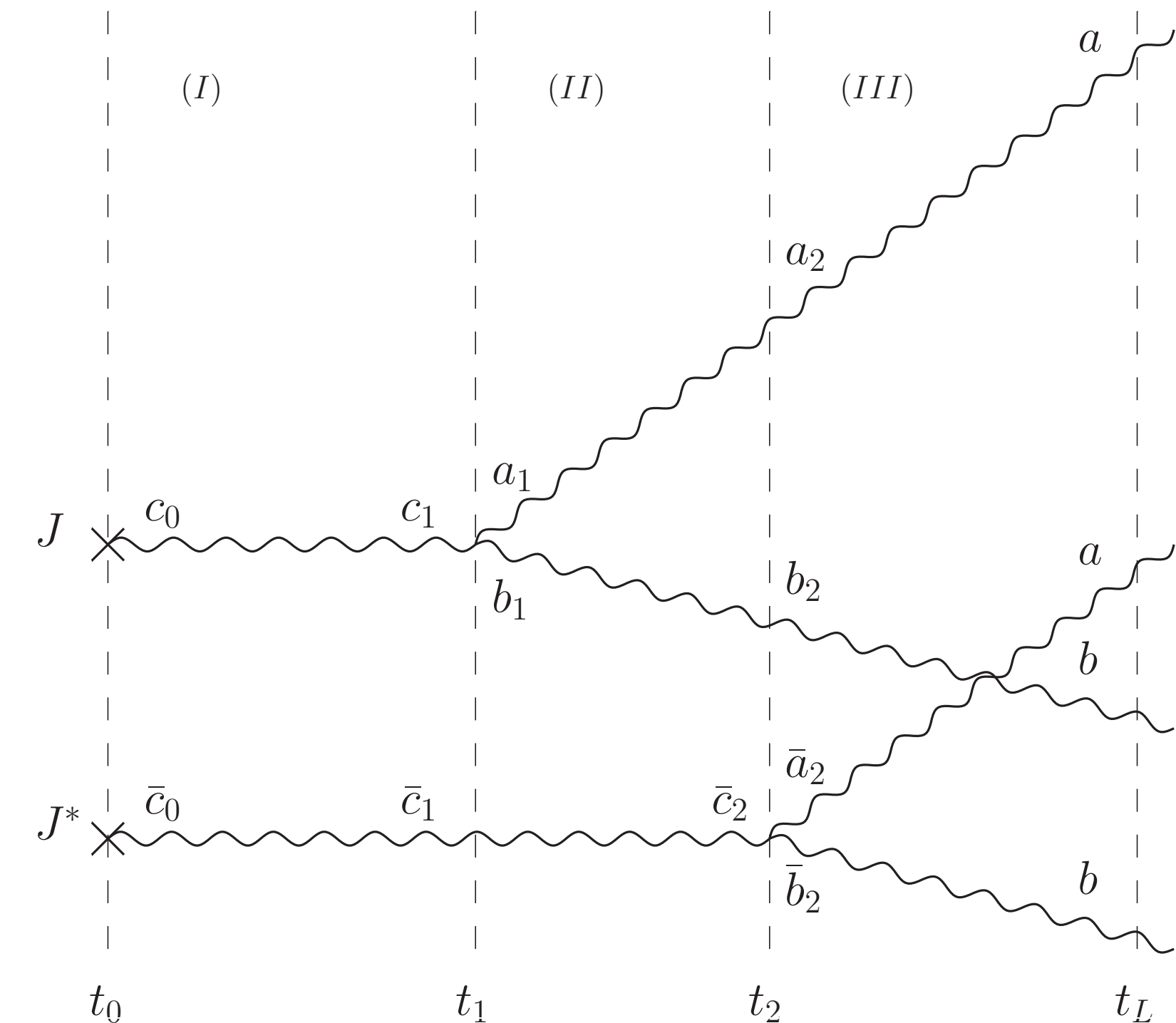
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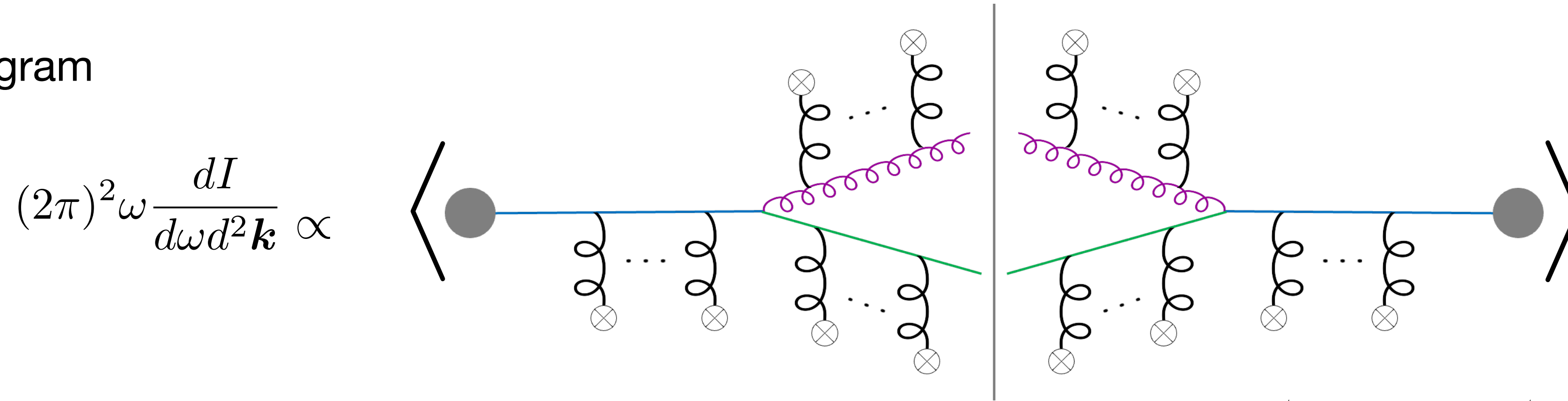
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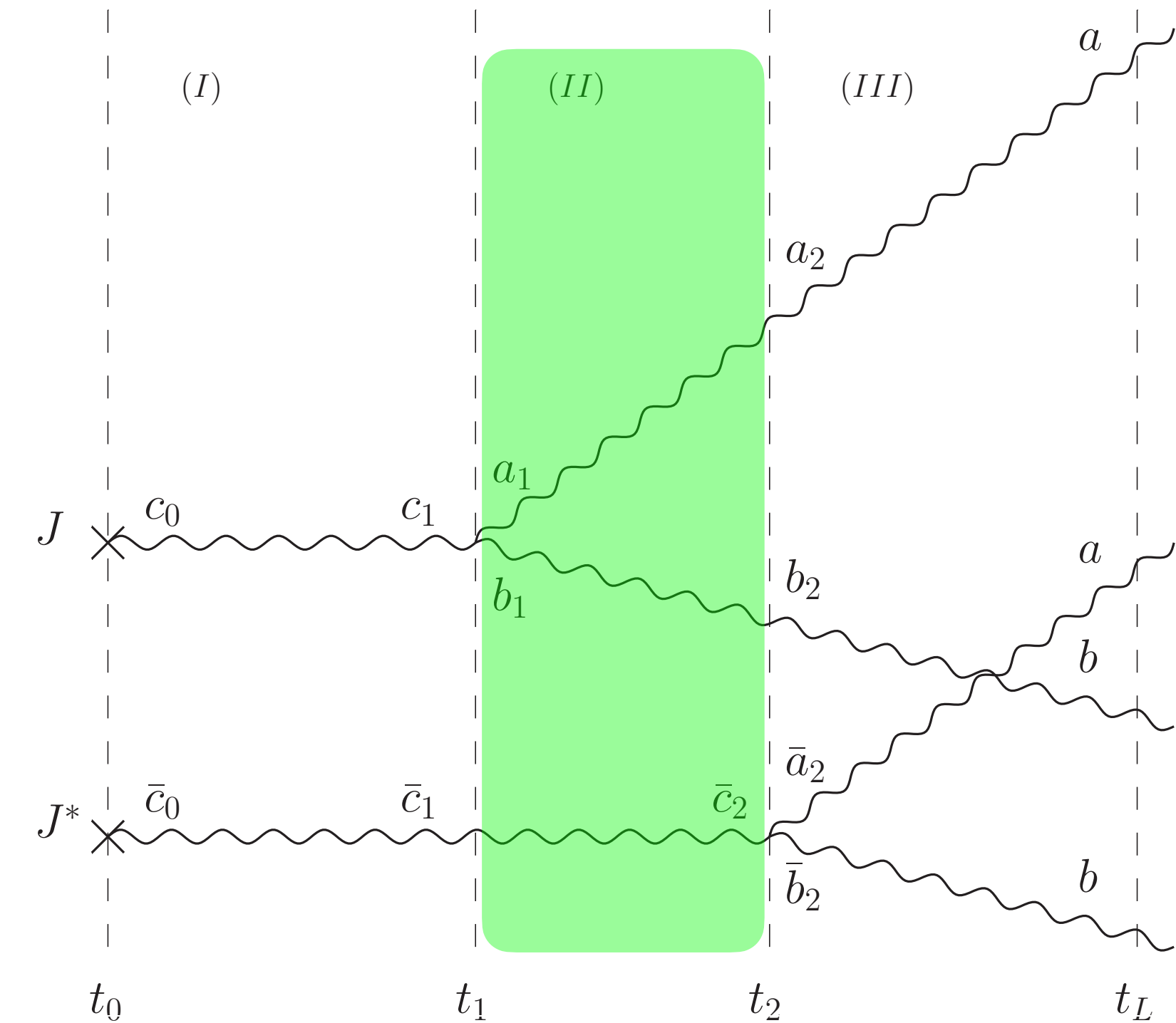
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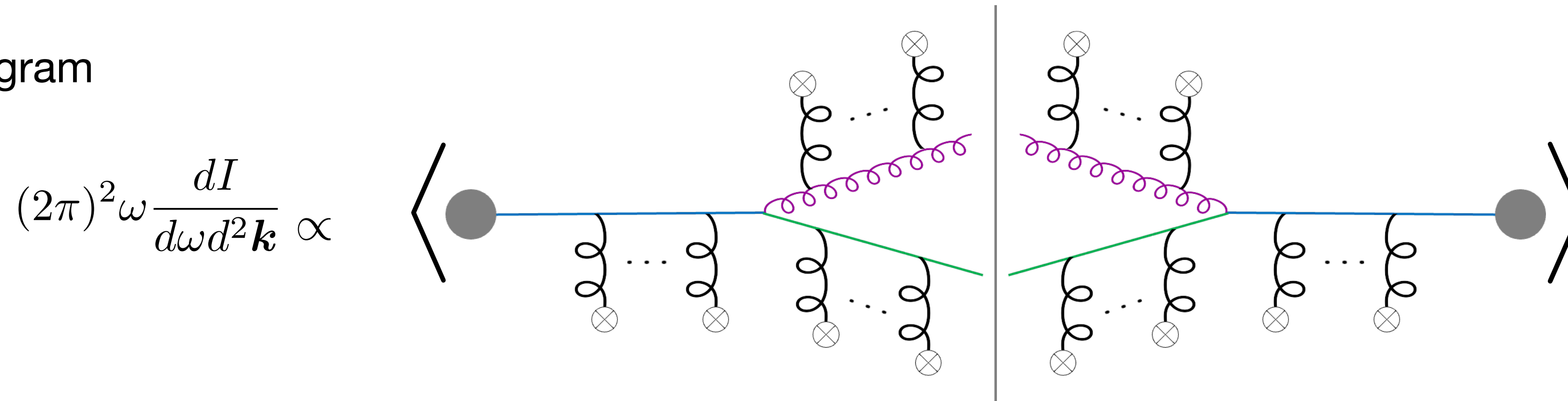
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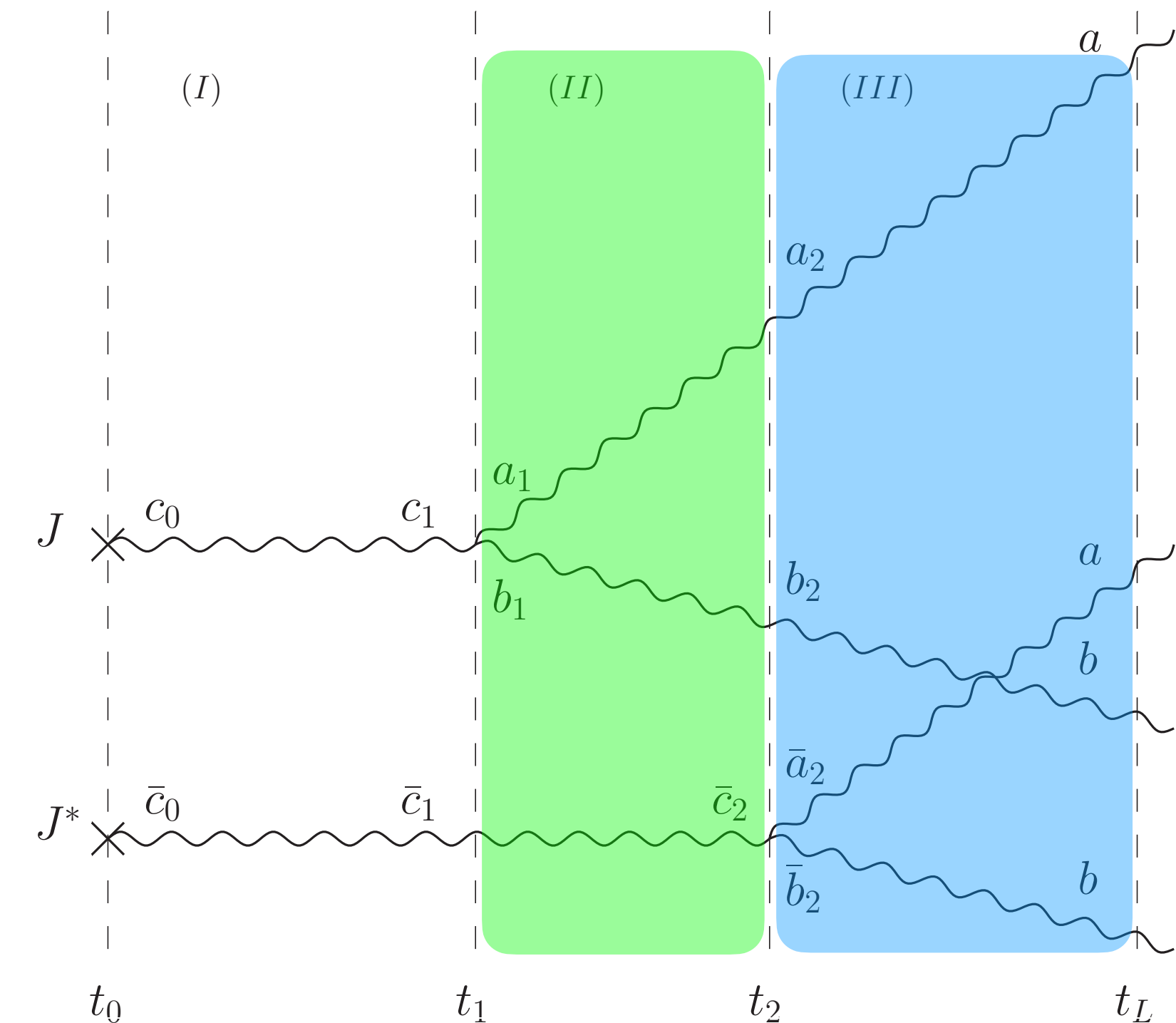
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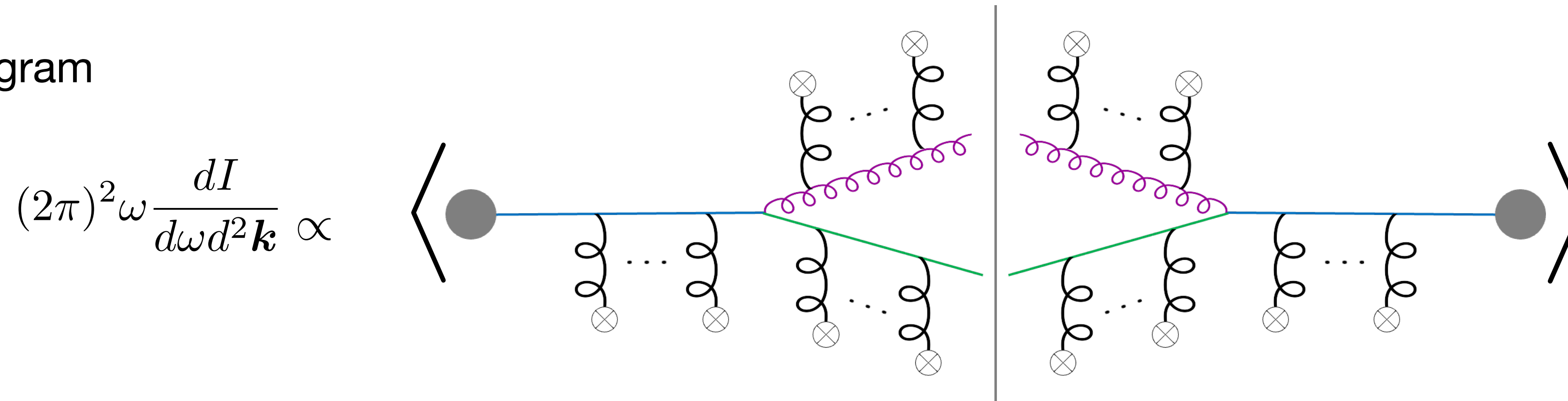
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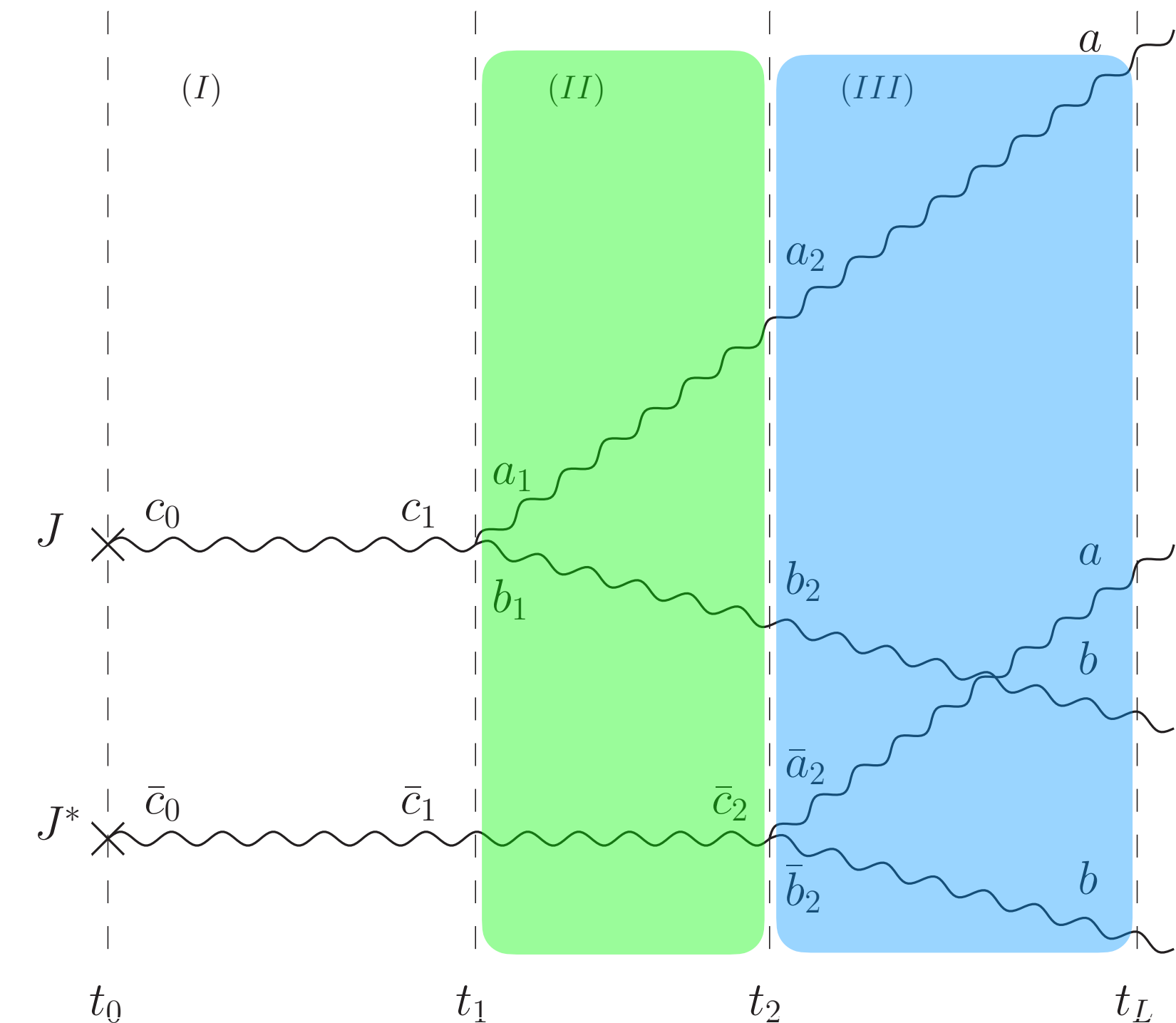
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encodes the DC dynamics



See Barata, Kuzmin, XML, Sadofyev, Salgado 2025

Directional dead-cone: mass dependent coupling of HQ and flow

$$\Theta_{\text{dc}}^2(\mathbf{k} \cdot \mathbf{u}) = \theta_{\text{dc}}^2 \left( 1 - \frac{\mathbf{k} \cdot \mathbf{u}}{u^- \omega} \right)$$

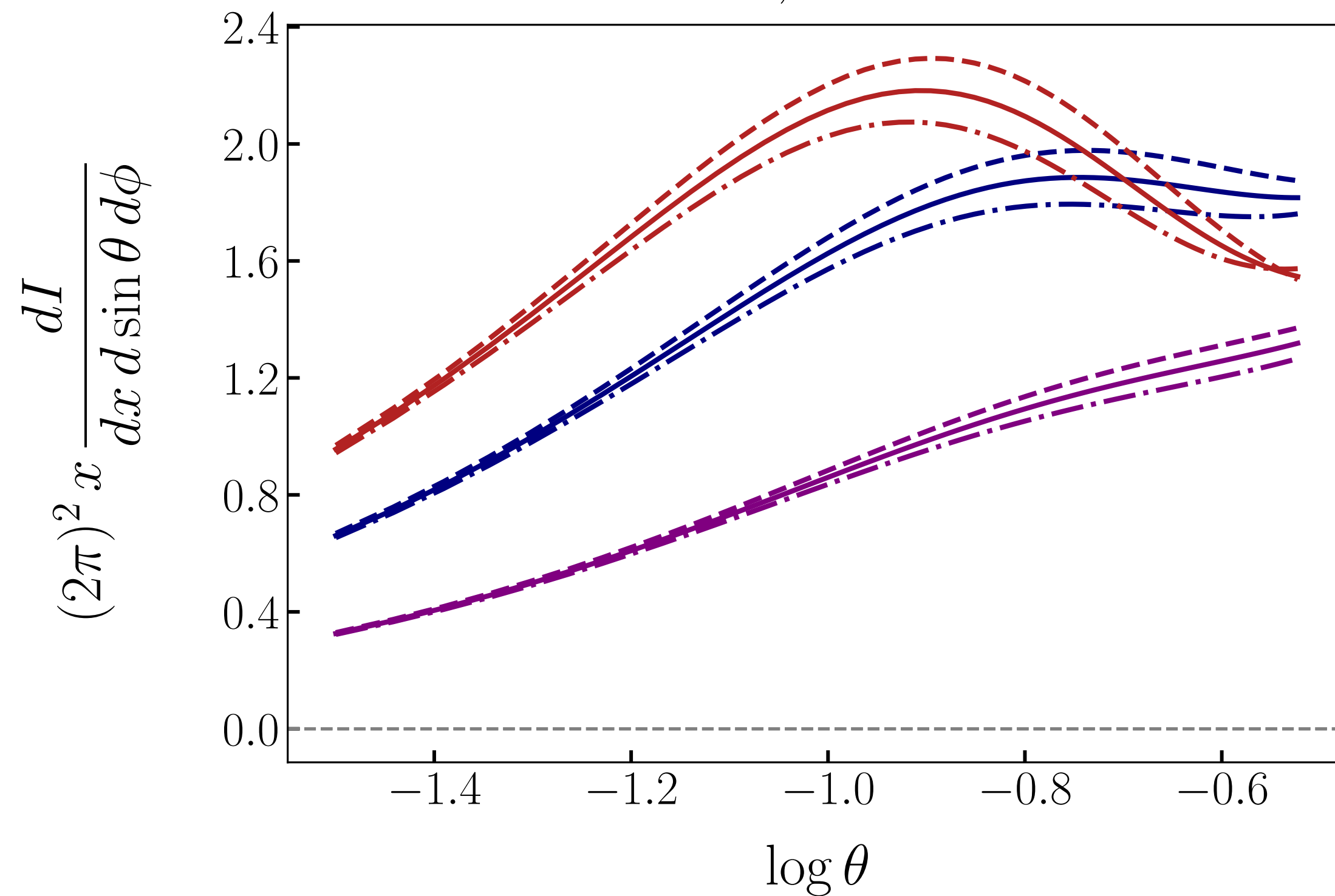
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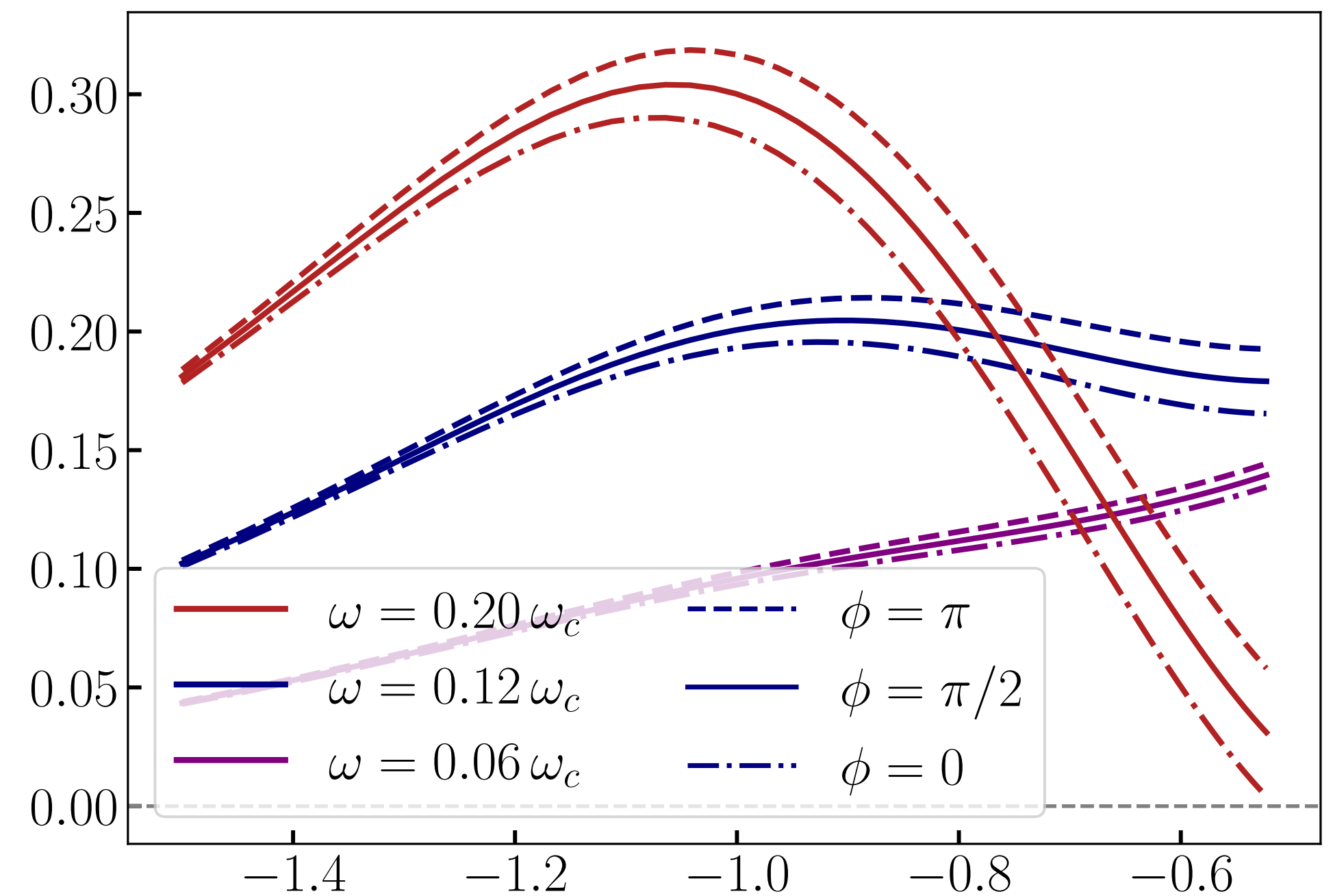
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DC becomes anisotropic and the MI radiation becomes elliptical

$L = 4.0 \text{ fm}, E = 30 \text{ GeV}$



$L = 2.0 \text{ fm}, E = 50 \text{ GeV}$

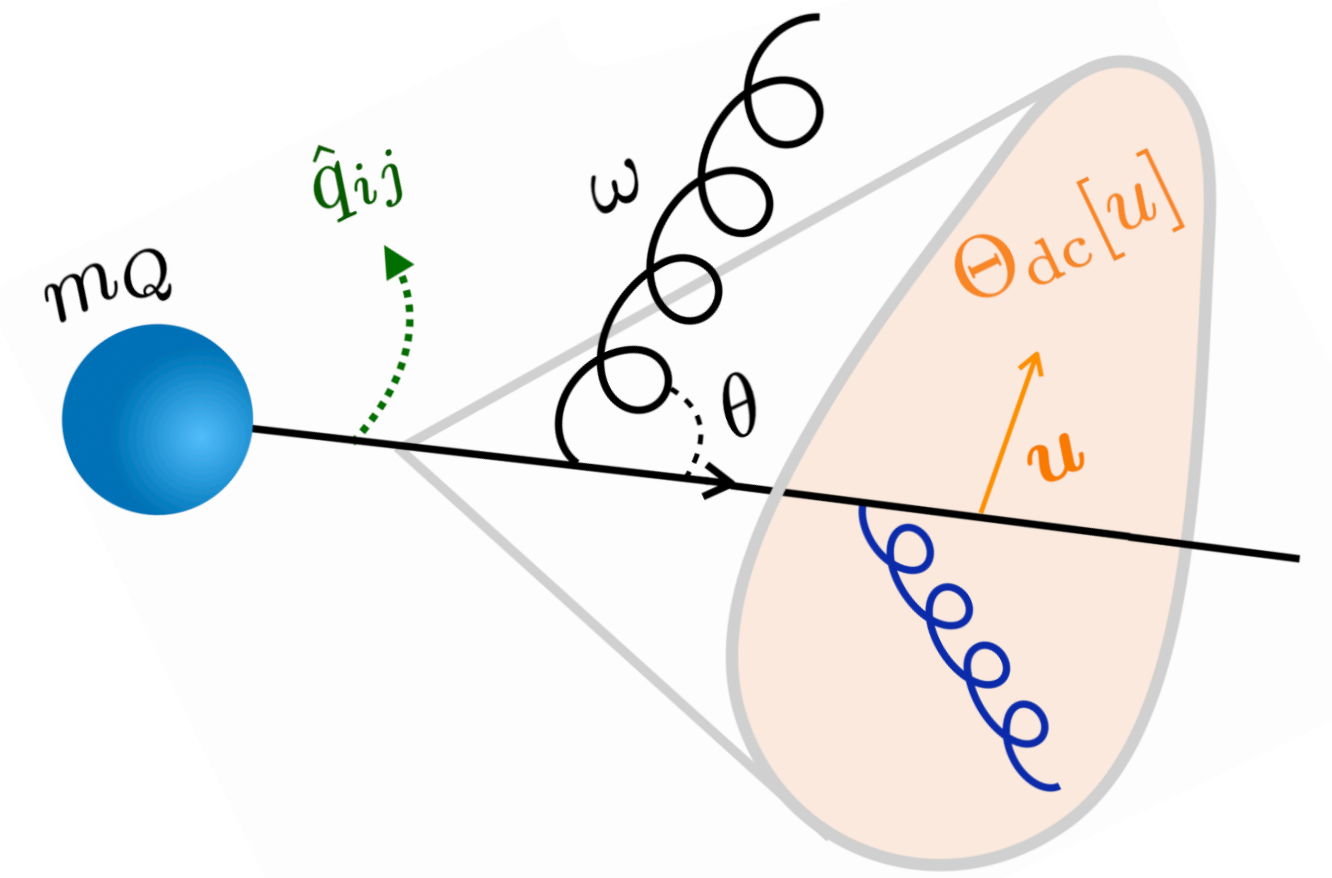


See Barata, Kuzmin, XML, Sadofyev, Salgado 2025

# Directional dead-cone

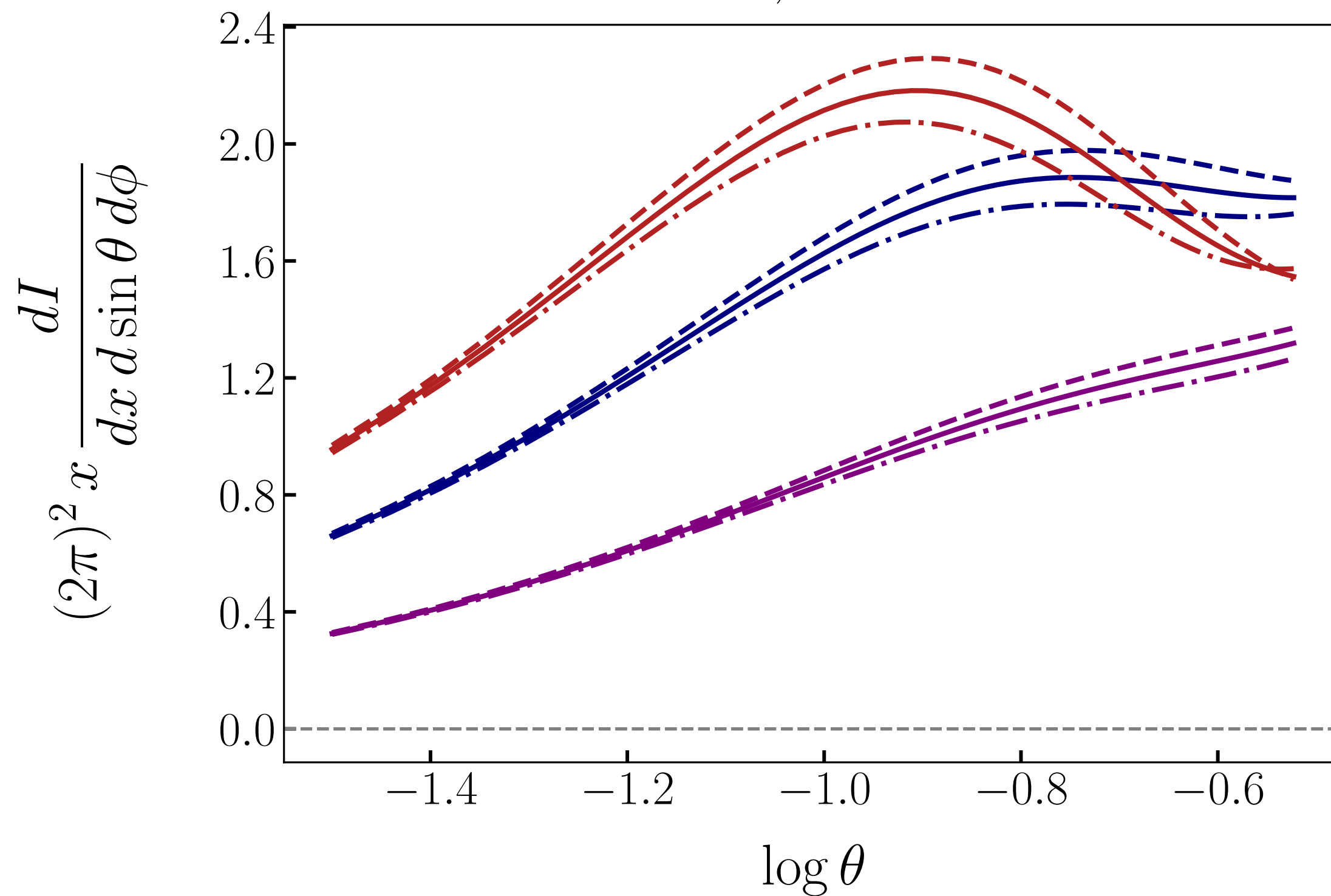
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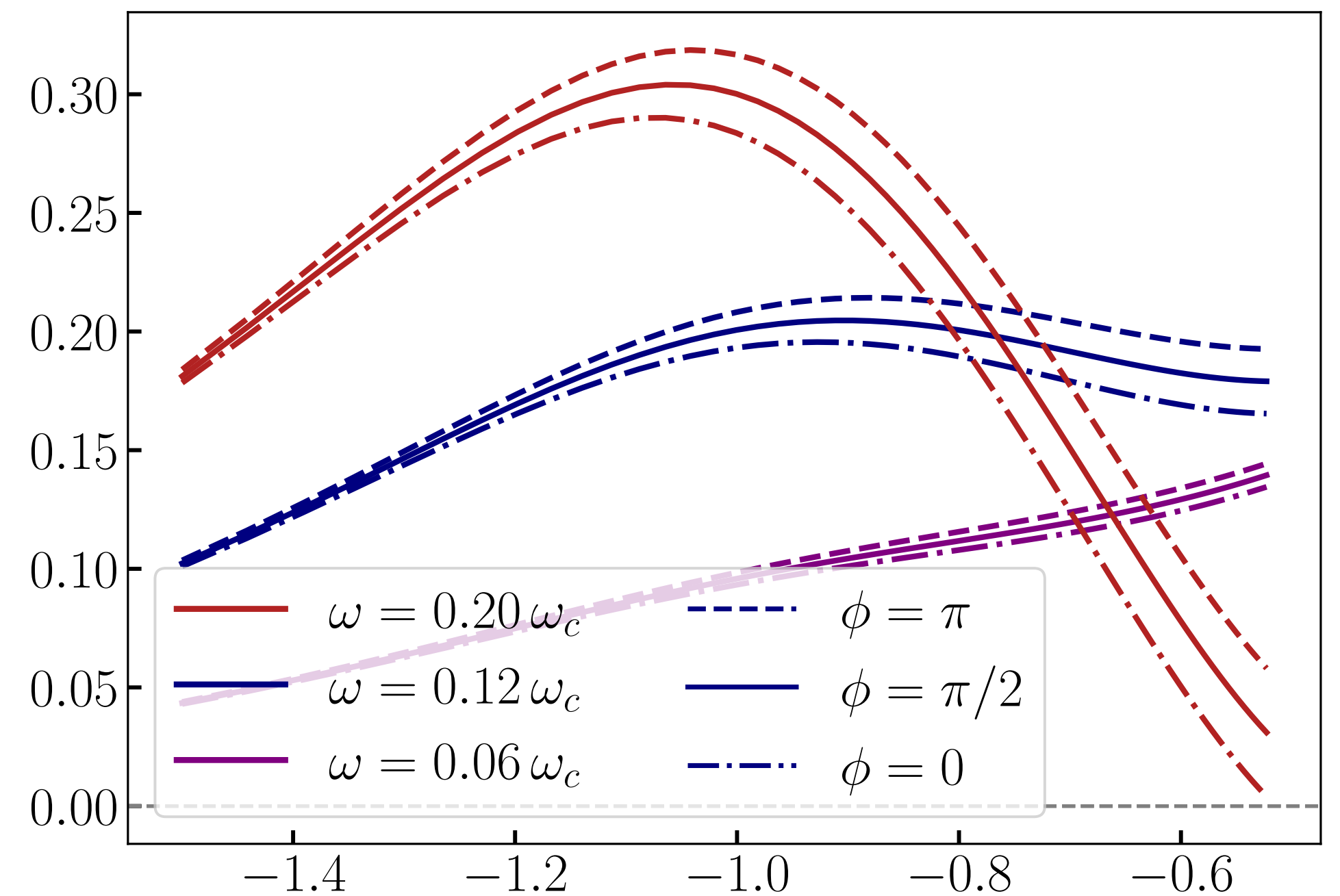


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## To take home:

- The HQ dead-cone effect provide a clean avenue to study medium induced radiation
- There is a mass dependent coupling of the HQ with the transverse dynamics of the matter
- The broadening in the presence of flow becomes anisotropic and the jet quenching parameter tensorial
- The medium-induced radiation inside the DC region encodes information about the transverse flow of the matter

**Thank you!**