



Hot Jets 2025

Loomis Lab (UIUC), January 8-10

Machine Learning biases in background subtraction to measure jet quenching

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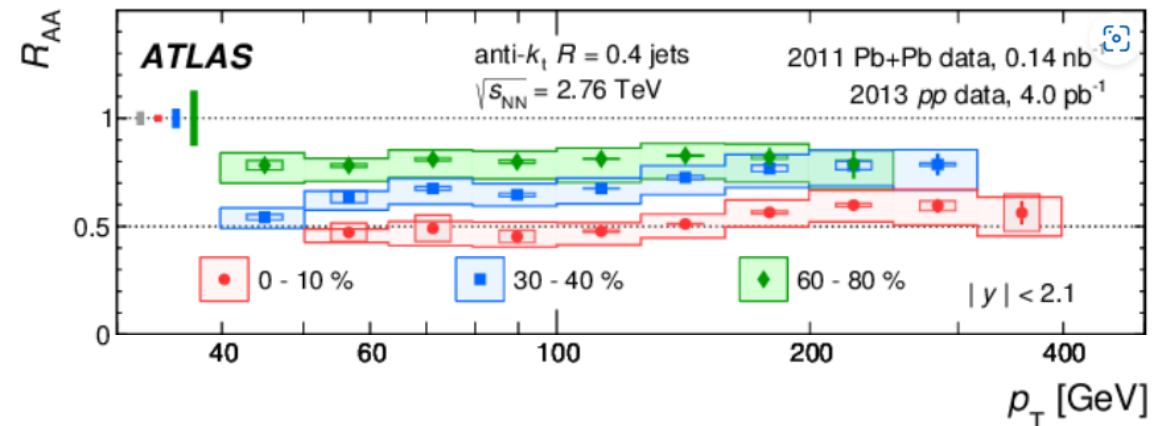
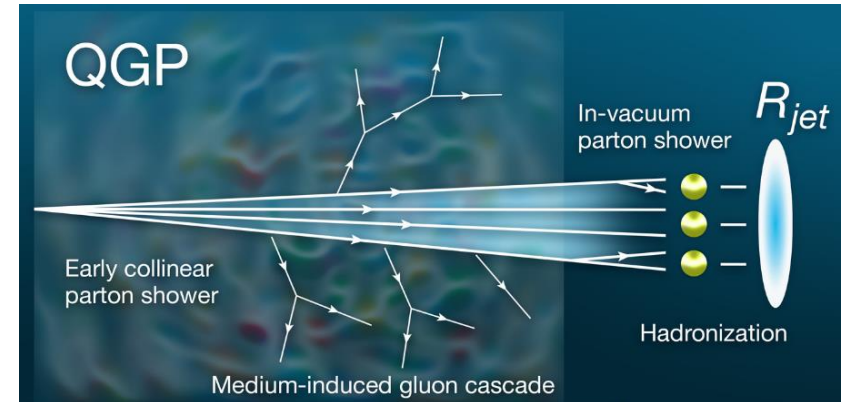


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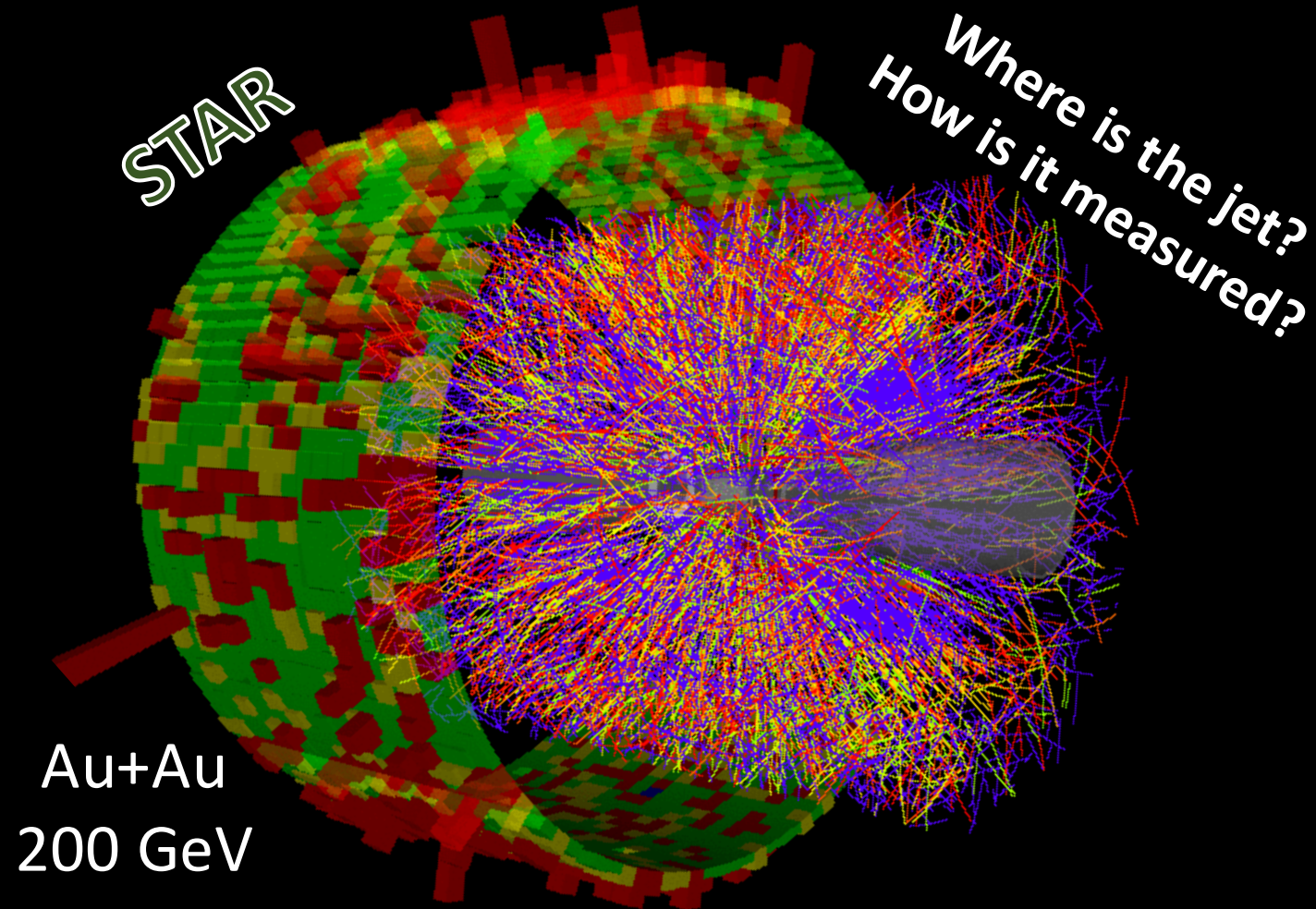
Motivation: Measure Jet Quenching in QGP

- QGP: hot dense QCD colored medium
 - Generated in ultra-relativistic heavy ions collisions
- Rare, high- p_T (“hard”) scatterings form early in collisions
 - Traverse the QGP
 - Undergo interactions with the QGP (i.e. “quenching”)
- Jets are experimental proxy of QGP:
 - => Act like QGP femtoscopy of the QGP via gluon emission and scattering: “jet quenching”



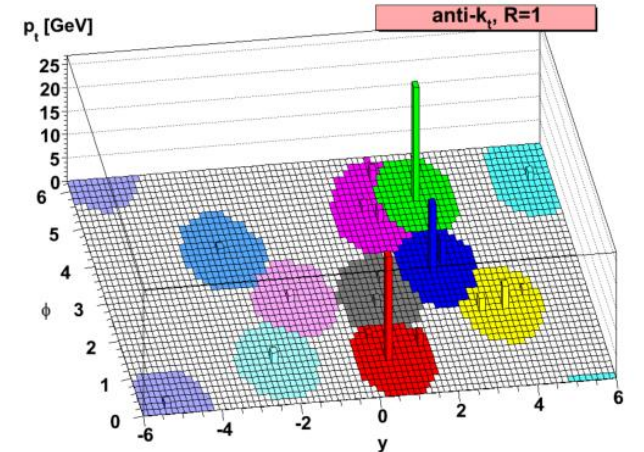
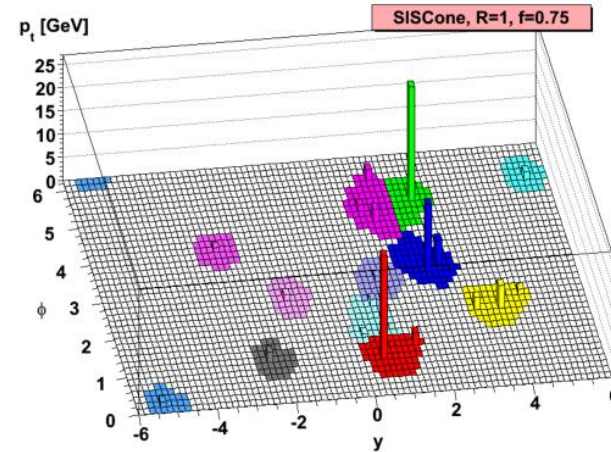
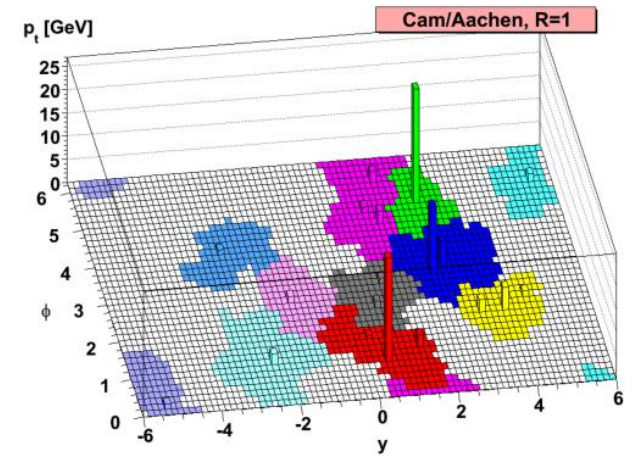
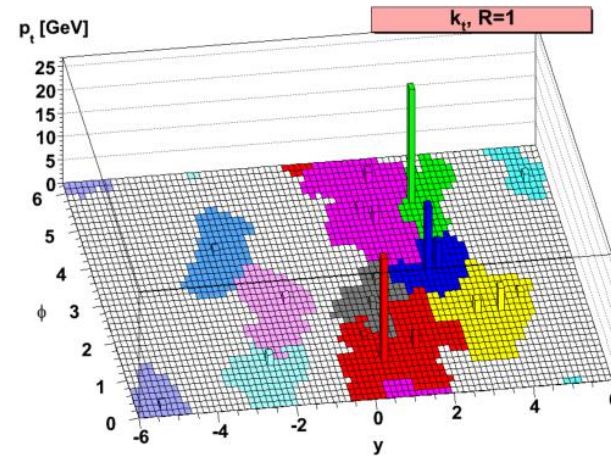
Inclusive R_{AA}^{jet} in central Au+Au at RHIC? – TBD...

Background in A+A is
very messy

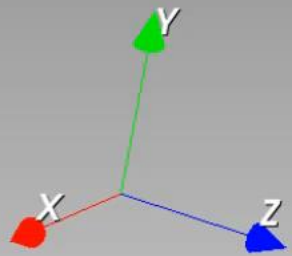


Jets – algorithmic clustering

- anti- k_T algorithm
 - M. Cacciari and G. Salam (2008)
 - Infrared and collinear safe
 - Fast
 - Also: add extra “ghost” (negligible p_T) particles & count to measure jet area
- Result in area-based (AB) method to measure background:
- Use k_T algorithm to find median p_T density in jets (ρ_{bkg})
 - Correct anti- k_T jets as
$$p_T^{\text{corr}} \equiv p_T^{\text{jet}} - \rho_{\text{bkg}} A_{\text{jet}}$$



2 jets in an expanding QGP

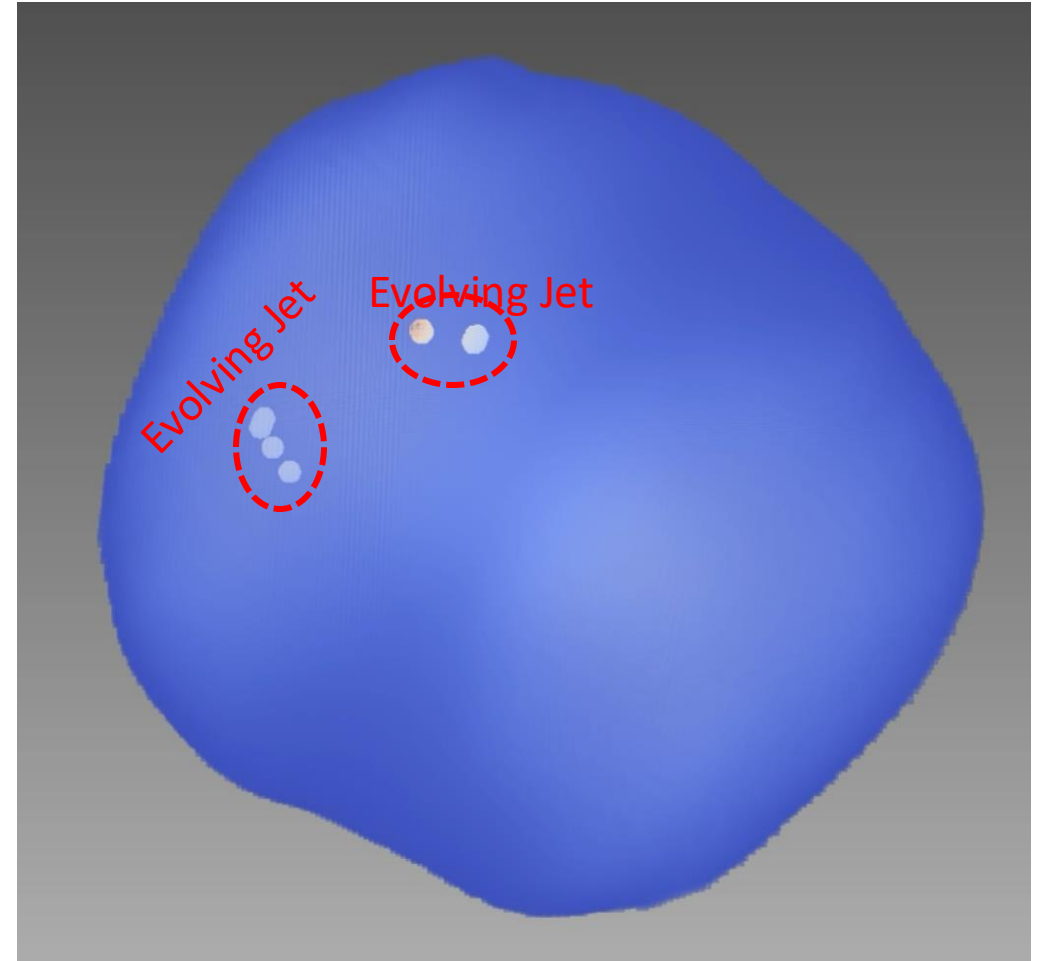


$t = 0.0$ fm



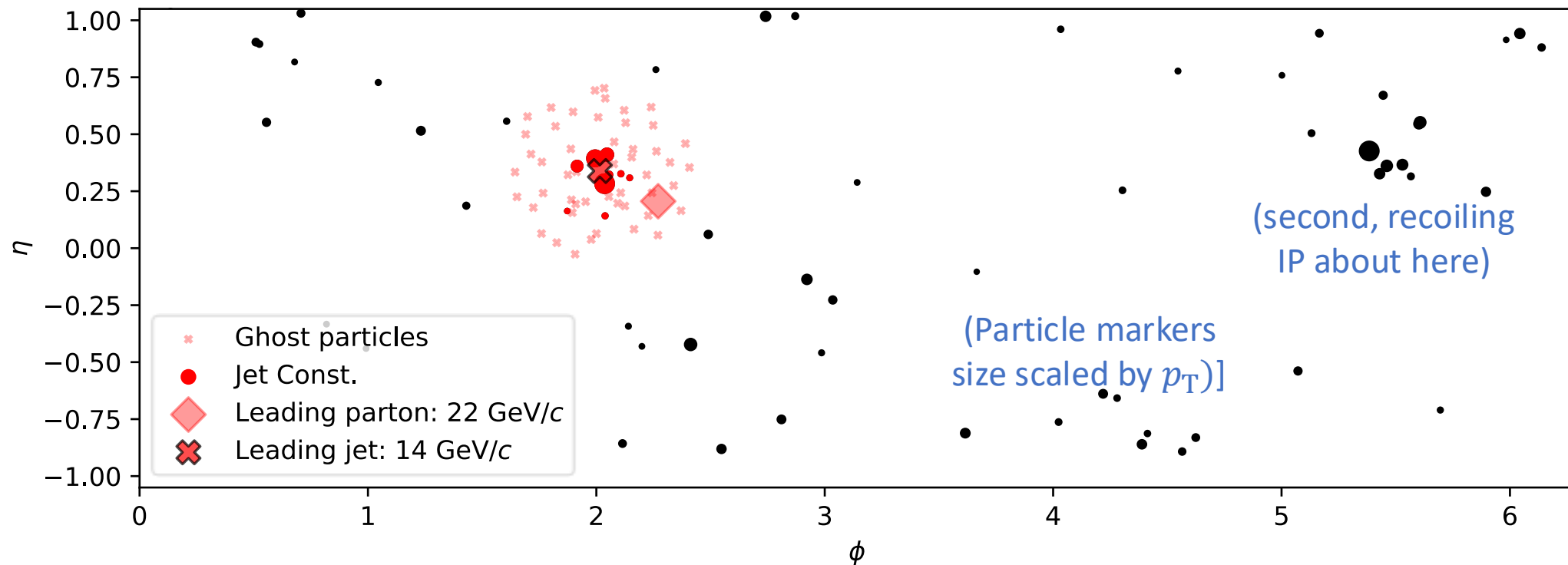
This presentation: JETSCAPE Simulations

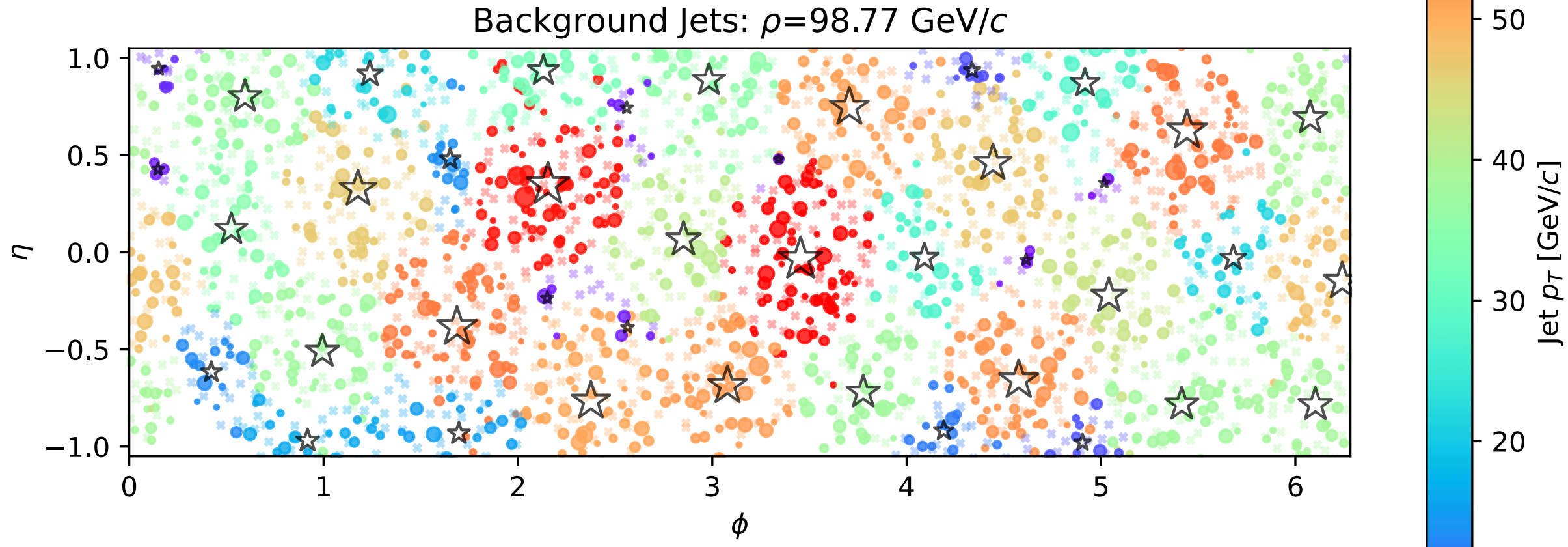
- Hydrodynamically flowing QGP
 - Au + Au
 - $\sqrt{s_{NN}} = 200$ GeV
- Simulates jet evolution with quenching in QGP
- Provides kinematics of:
 - IP: Initiating Partons (hard scattered)
 - Particles from IP (make “truth” jets)
 - Particles from QGP (background)



Anti-kT clustered jet nearest IP (“truth jet”)

- Truth jet ($R=0.4$) from leading IP captures about 2/3’s of IP’s p_T ; $p_{T,\text{jet}}^{\text{truth}} \approx 0.64 p_T^{\text{IP}}$
- FastJet adds “ghost” particles (negligible p_T)
- Count ghost particles determines the jet area



anti- k_T clustering with background

Result: Area-Based (“AB”) Method for p_T correction

Residual error ($\delta p_{T,\text{jet}}$)
dominated primarily by local
 ρ_{bkg} fluctuations

Pros:

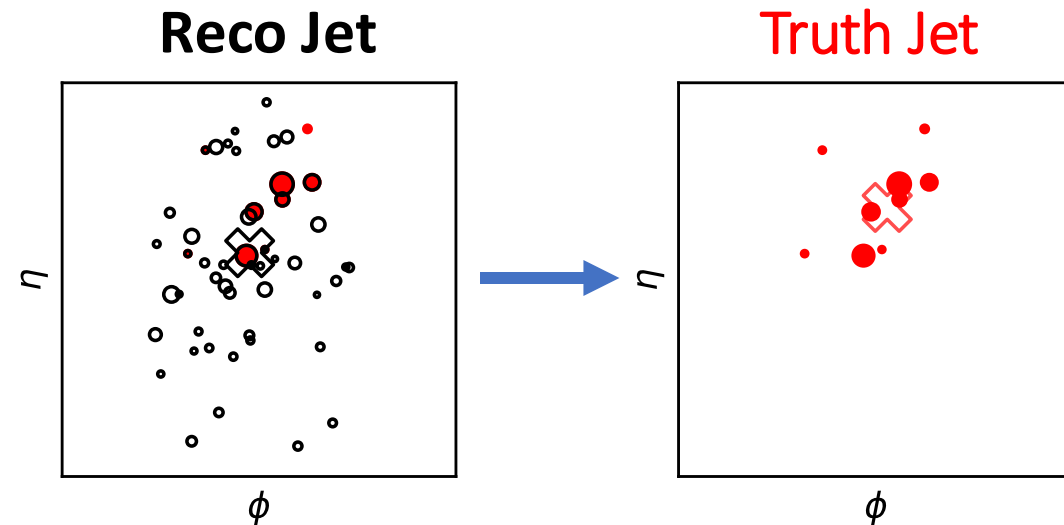
- Fluctuations of ρ_{bkg} directly measured with lots of data
- Independent of jet substructure

Cons:

- Limited precision

e.g., for $R = 0.4$ jets in 200 GeV
Au+Au collisions:

$$\langle \delta p_{T,\text{jet}} \rangle \sim 8 \text{ GeV}/c$$



$$p_{T,\text{jet}}^{\text{reco}} \xrightarrow{\text{remove pedestal}} \boxed{-A_{\text{jet}}\rho_{\text{bkg}}} \rightarrow p_{T,\text{jet}}^{\text{corr}}$$

metric for background correction

$$\delta p_{T,\text{jet}} \equiv p_{T,\text{jet}}^{\text{corr}} - p_{T,\text{jet}}^{\text{truth}}$$

$$\text{i. e.: } \delta p_{T,\text{jet}} \equiv p_{T,\text{jet}}^{\text{reco}} - \rho_{\text{bkg}}A_{\text{jet}} - p_{T,\text{jet}}^{\text{truth}}$$

Can we do better?

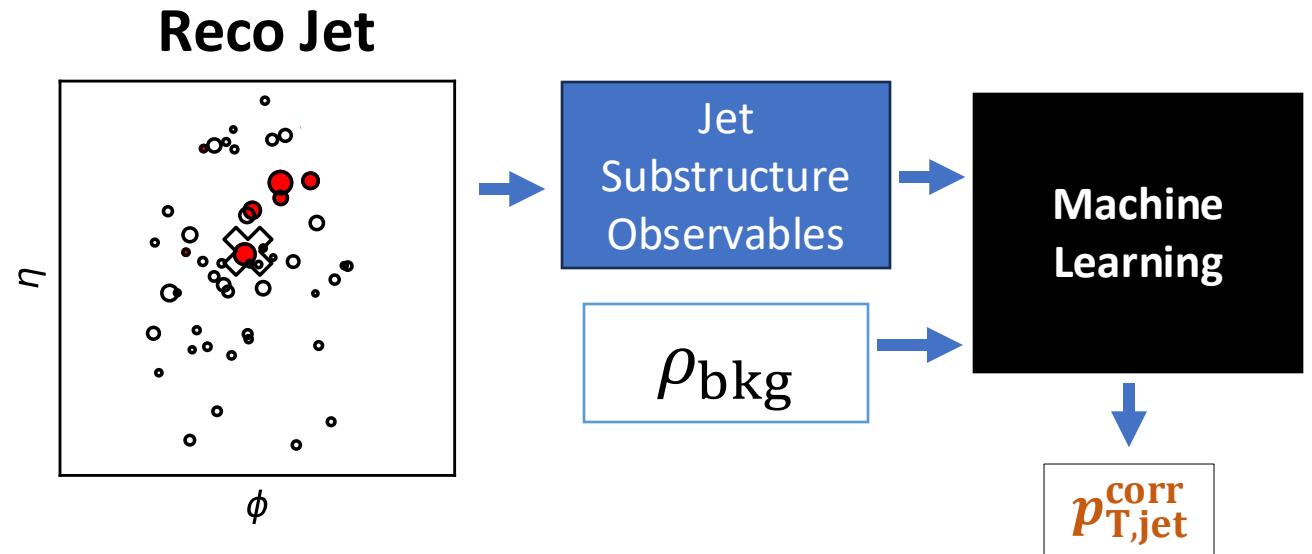
There are very good Monte Carlo simulators for vacuum jets:

- 40+ years of development using pQCD calculations and fine-tuned models for fragmentation and hadronization

⇒ In vacuum, we have very good models of truth jet substructure

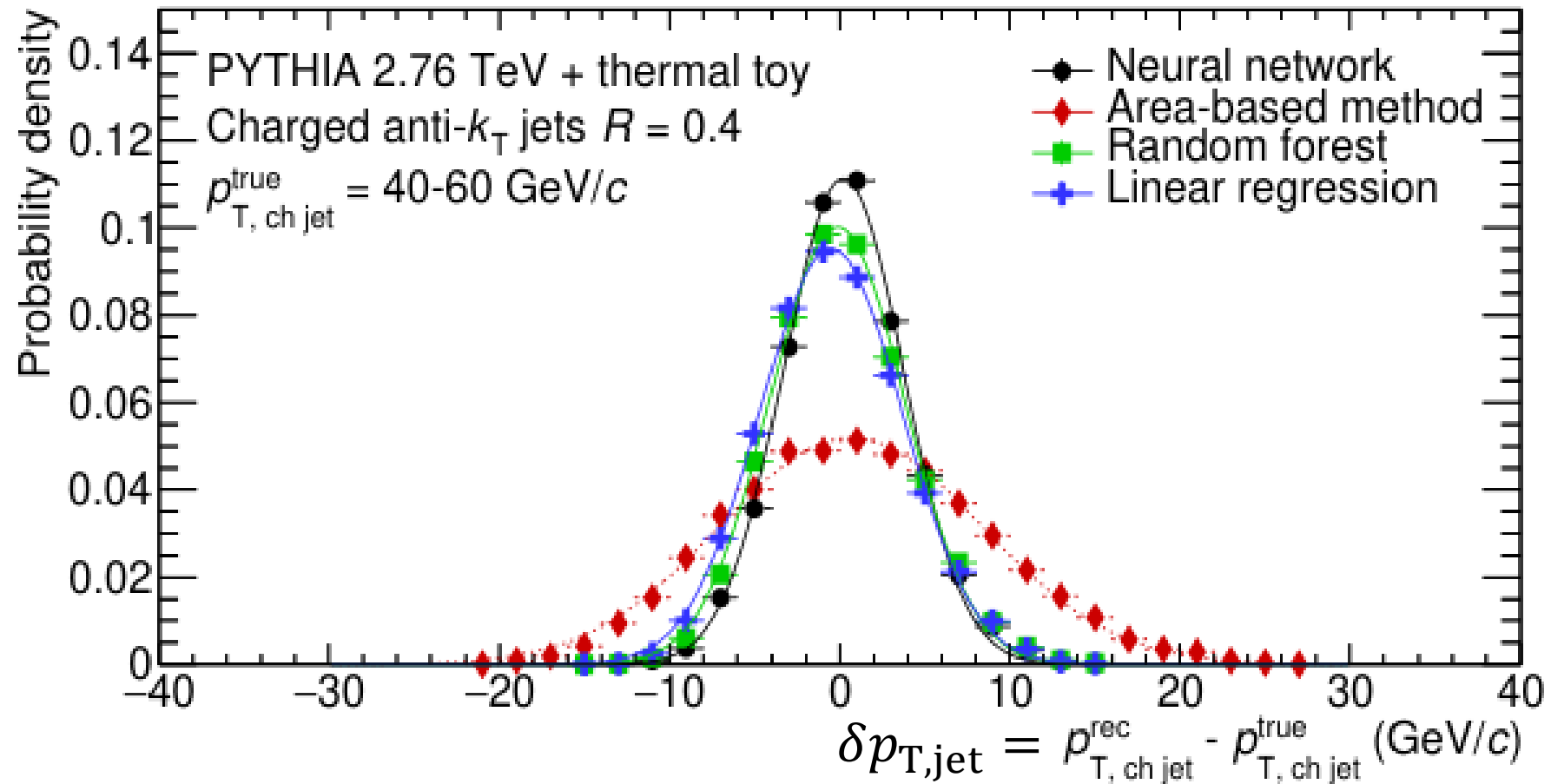
⇒ Embed into background, and measure reco jet substructure

⇒ Train machine learning (ML) to find truth jet $p_{T,jet}^{true}$



$$\delta p_{T,jet} \equiv p_{T,jet}^{corr} - p_{T,jet}^{truth}$$

Studies show this works for vacuum jets!



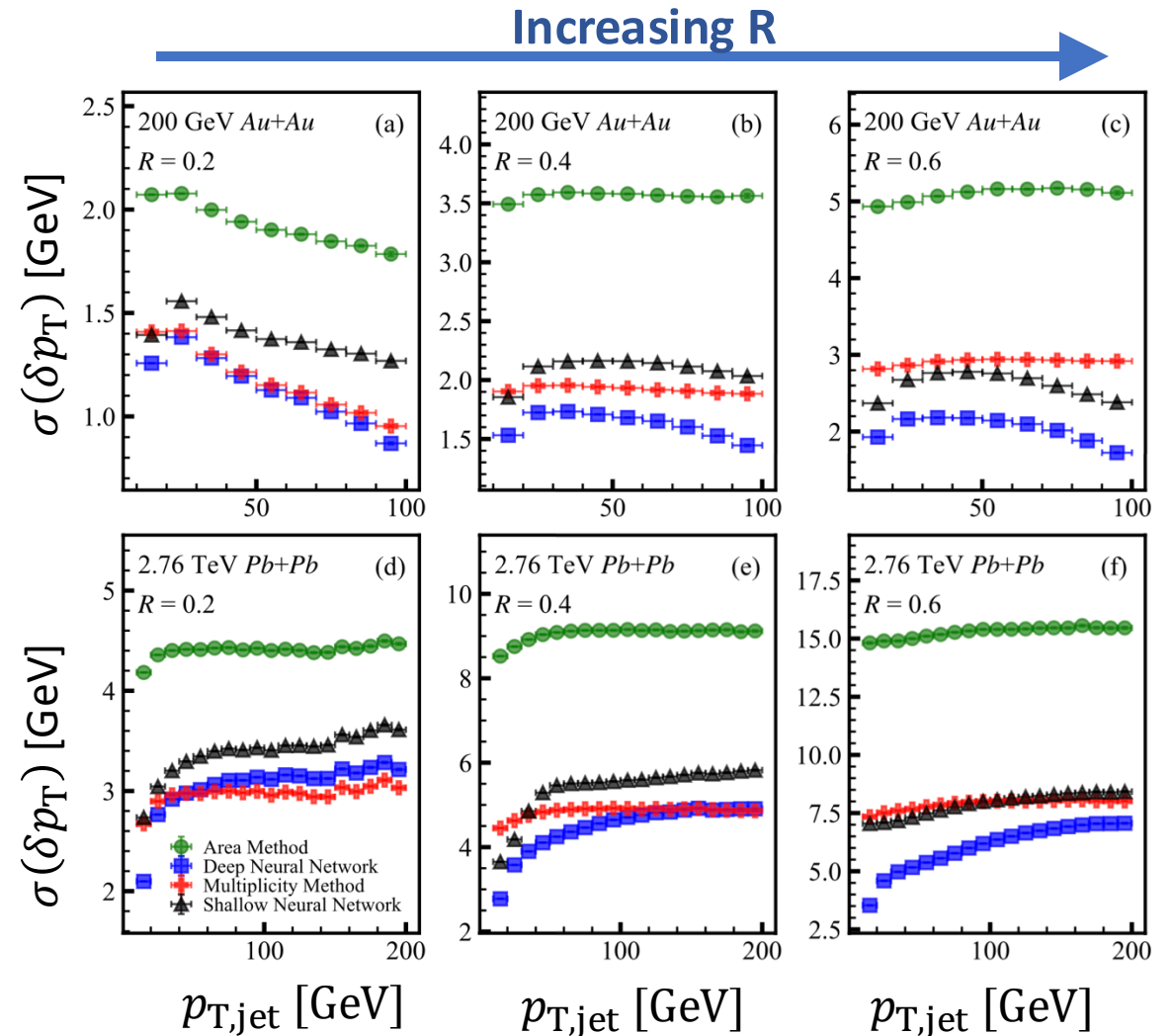
R. Haake and C. Loizides (2019), arXiv:1810.06324 [nucl-ex]

Improvements in $\delta p_{T,\text{jet}}$ are more significant at larger jet R

- If we understand the fragmentation (and particularly in this study the multiplicity)

⇒ We get significant decrease in $\delta p_{T,\text{jet}}$ at all jet resolution parameters

⇒ Gains become more important at larger jet R



Put another way, this is OK:

Machine Learning is trained on vacuum jets ...



... ML results: smaller $\delta p_{T,jet}$ distributions



But what about this?

Machine Learning is trained on vacuum jets ...

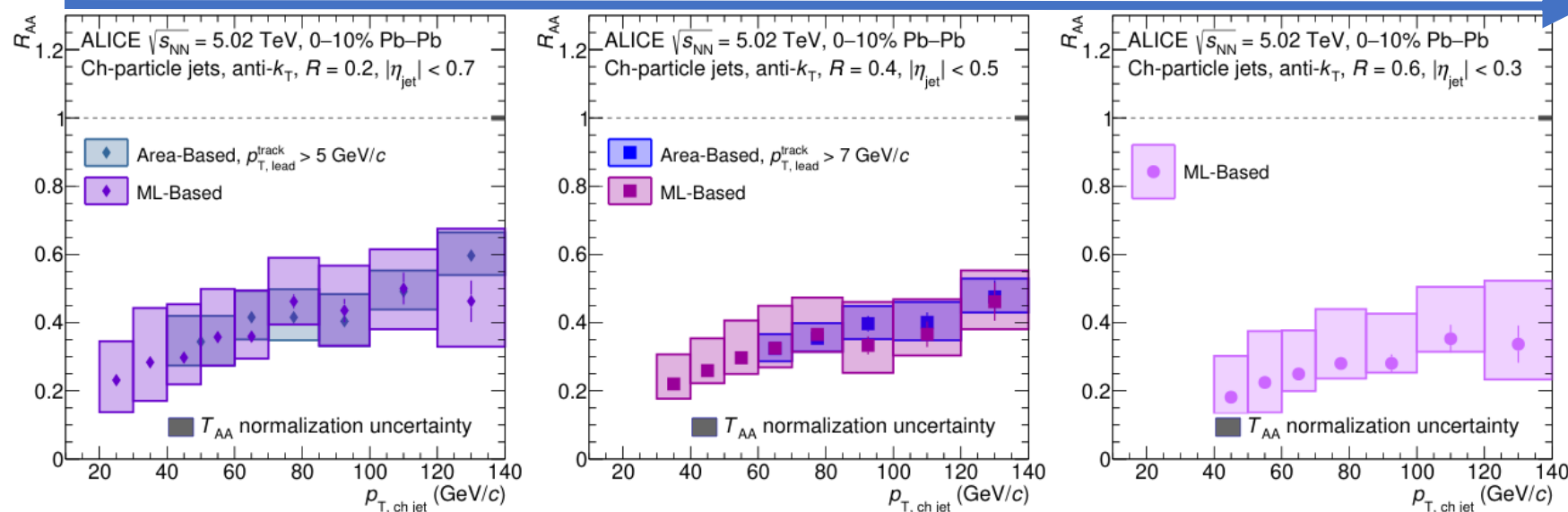


→ how is δp_T biased from quenching?



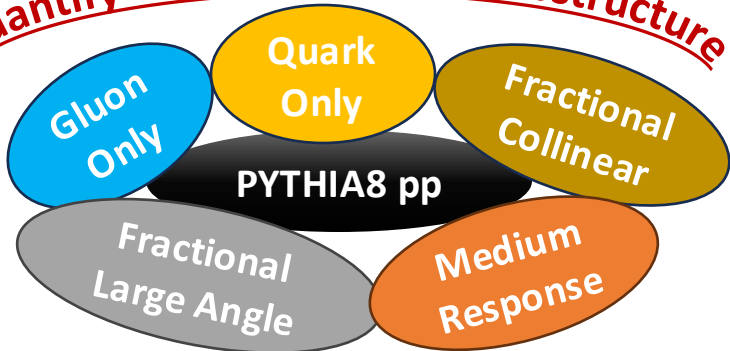
Results: ALICE, Pb+Pb @ 5.02 TeV: Quantified uncertainty and published

Increasing R



Phys. Lett. B 849, 138412 (2024), arXiv:2303.00592 [nucl-ex]

Quantify uncertainty from substructure



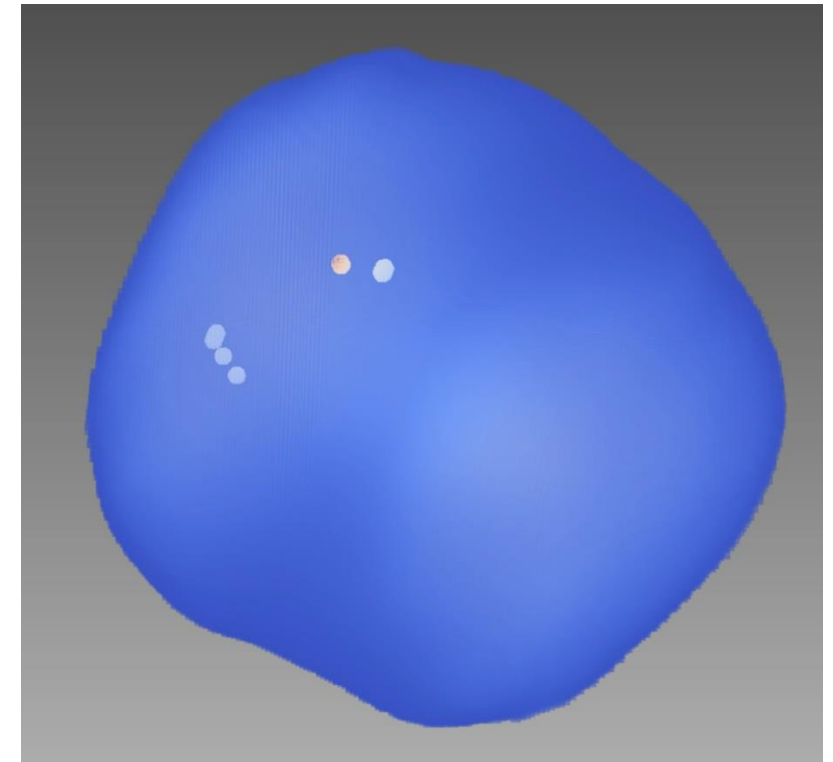
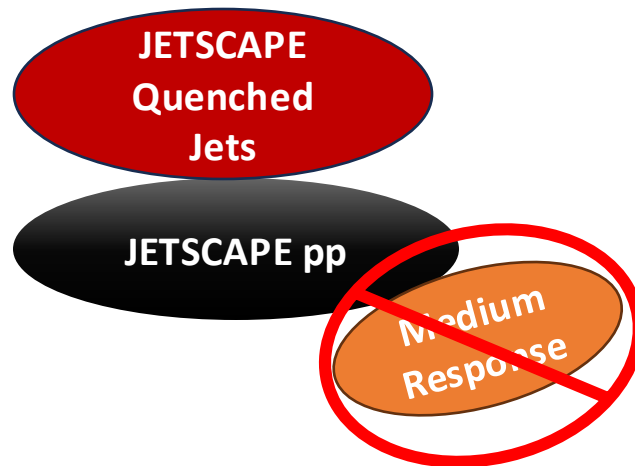
(from reference): *There are three points where the ML-based procedure is sensitive to jet fragmentation:*

- *measured input spectra*
- *the response matrix*
- *and the training*

This study: $\delta p_{T,\text{jet}}$ evolution and bias (at RHIC kinematics)

JETSCAPE:

- Uses a virtuality dependent quenching mechanism
- Calibrated hydrodynamic QGP evaluation
- Quenching parameters fixed via Bayesian analysis
- Medium response not currently included (i.e. jet is quenched by medium, but medium isn't influence by jet)



D. Everett et al. (JETSCAPE), Phys. Rev. C 103, 054904 (2021), arXiv:2011.01430 [hep-ph]
A. Kumar et al. (JETSCAPE), Phys. Rev. C 107, 034911 (2023), arXiv:2204.01163 [hep-ph]

Evolution of quenching and result on ML bias

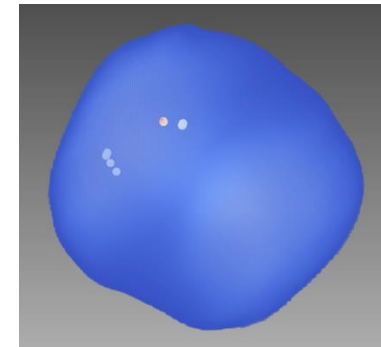
Want to see progression of effects:
no quenching → expected quenching →
beyond expected quenching

- Path not taken
(computationally expensive)
Run many hydro events while incrementing the
jet interaction strength parameter \hat{q}
- Path actually taken
(computationally “cheap”):
Quench jets in constant length “bricks” of QGP
Observe effects at incrementing brick lengths
Find brick length which approximates the
quenching in hydro

Expensive Simulations: Hydro

Background from
hydro evolved QGP

“hydro” jets -- jets
quenched in the
evolving QGP



200 GeV Au+Au Collisions

“Cheaply” Simulated Jets

“brick jets”: Jets quenched in
constant length bricks of QGP



Also “cheap”

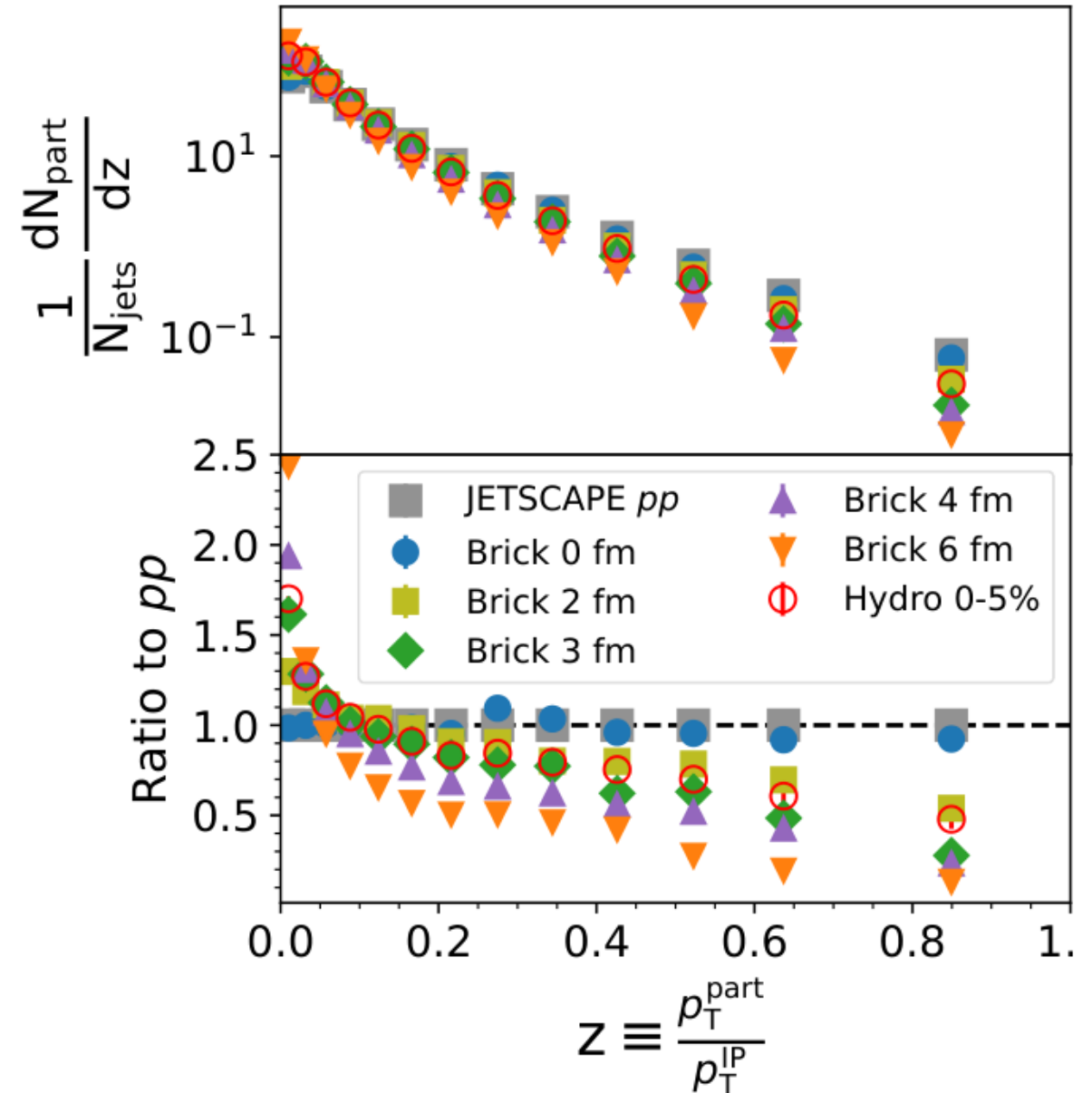
“pp jets”: vacuum
(not quenched) jets



What quenching looks like:

- Quenching induces gluon emission (essentially “gluon bremsstrahlung”)
 - makes more low- p_T constituents
- Inspect number of constituents in truth jet for:
 - pp jets
 - Jets quenched in QGP bricks
 - Jets quenched in QGP hydro

(In this metric) 3.5 fm QGP brick approximates the hydro quenching

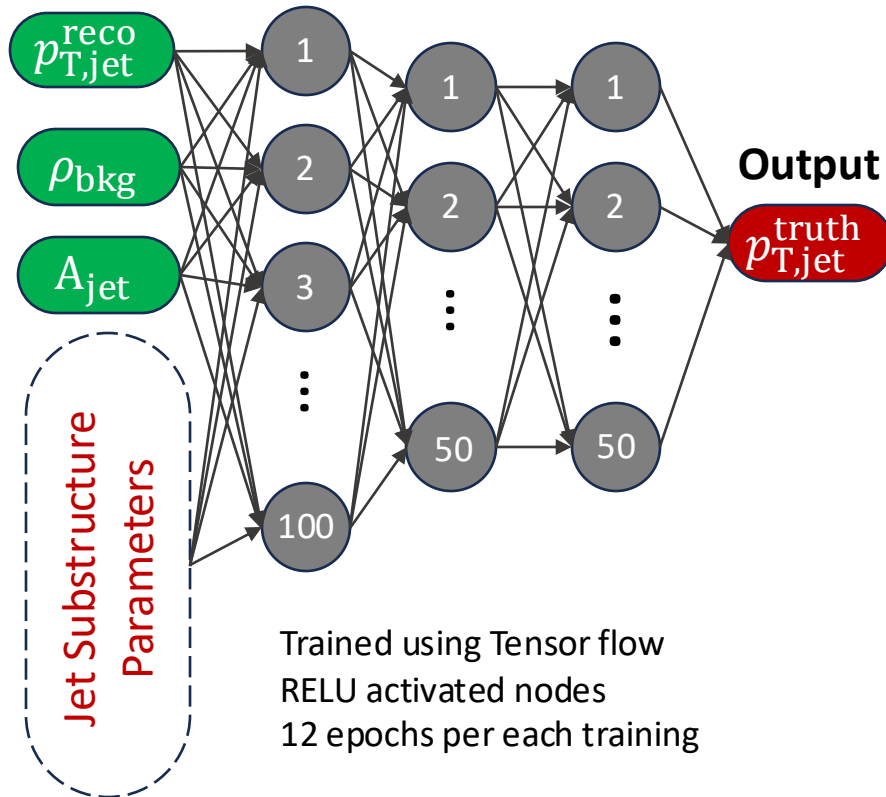


Note: z defined as constituent p_T ratio to the jet initiating parton, rather than the jet p_T

Trained 5 Neural Networks

Data: pp jets embedded in hydro background

Inputs



Details

Paper: <https://arxiv.org/abs/2412.15440>

Code: https://github.com/david-stewart/jet_and_thermal

Parameters per neural network:

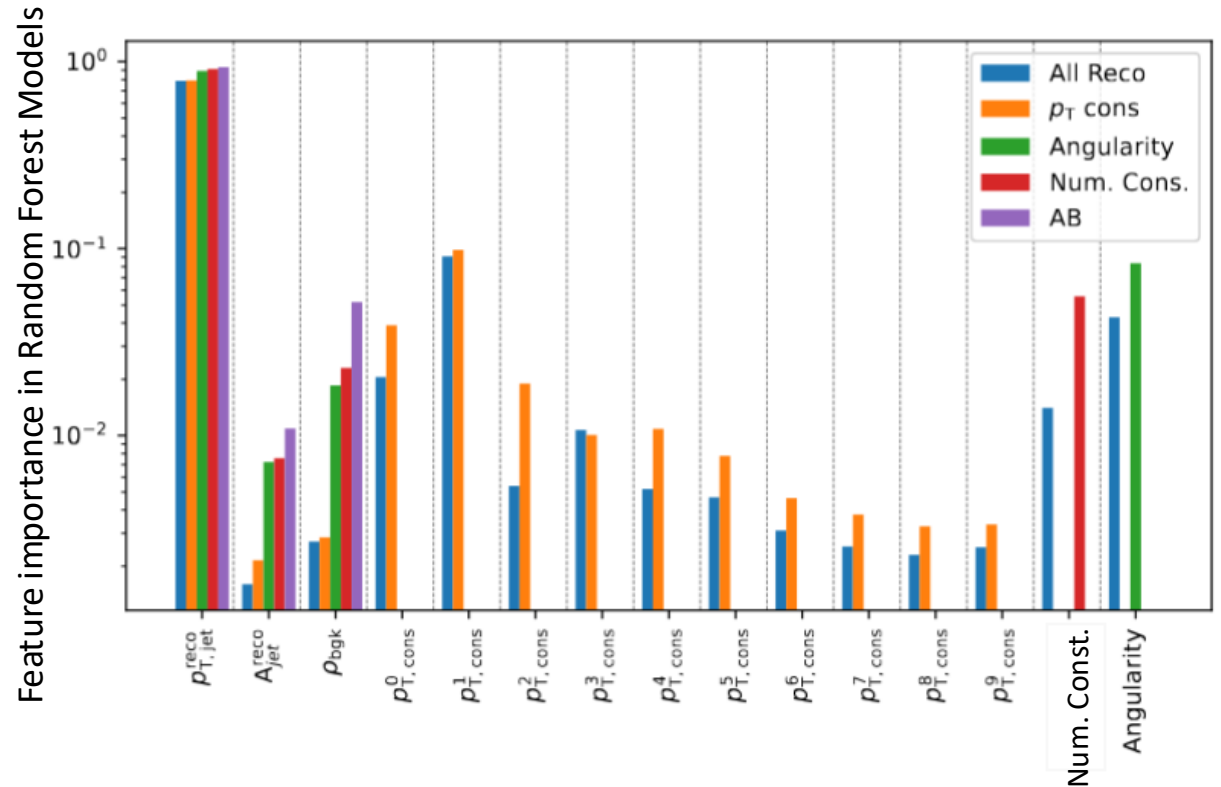
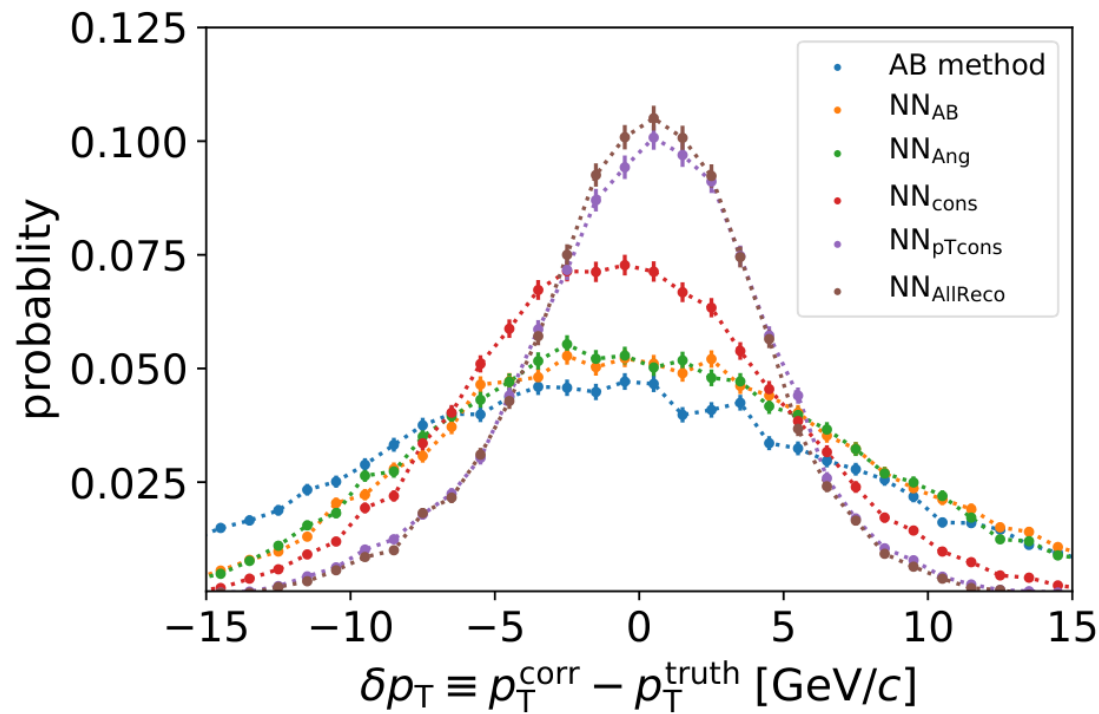
- NN_{AB} : none (used to compare to AB method)
- NN_{Ang} : Angularity: $\sum_{i=1}^N p_{T,i} \Delta R_i$
(where ΔR is η - ϕ distance from constituent to jet axis)
- NN_{Ncons} : Number of constituents (N)
- NN_{pTcons} : p_T of highest 10 p_T constituents
- $NN_{AllReco}$: All the parameters above together

Kinematic cuts:

- At mid-rapidity (matches RHIC experiments)
- Only jet matched to high- p_T IP per event

NN on pp jets embedded in hydro background:

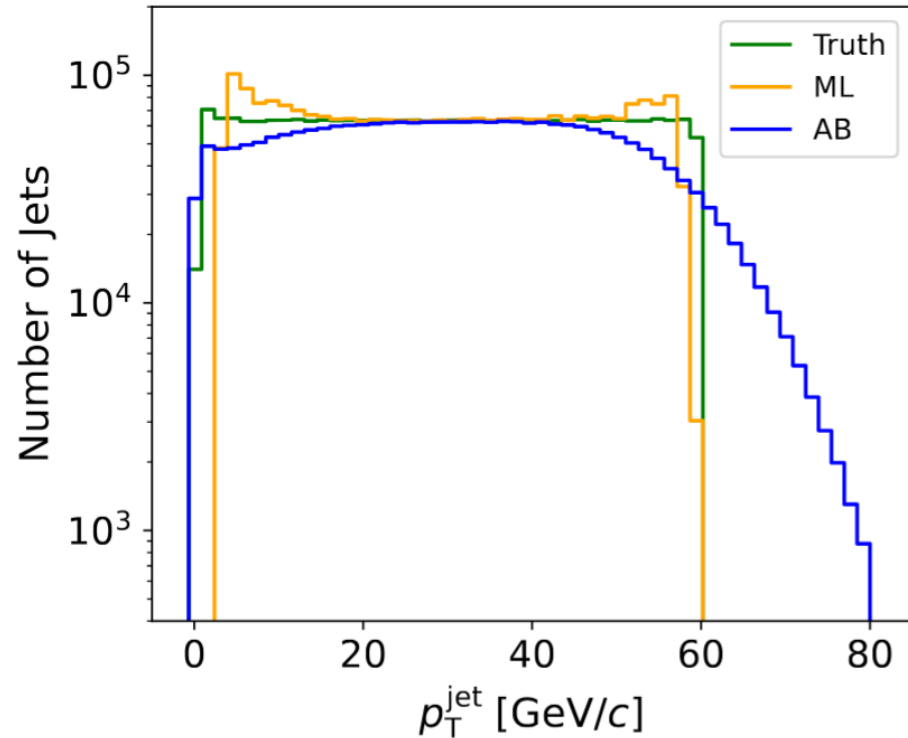
Machine learning finds strong discriminatory power from constituent p_T (particularly 2nd highest one)



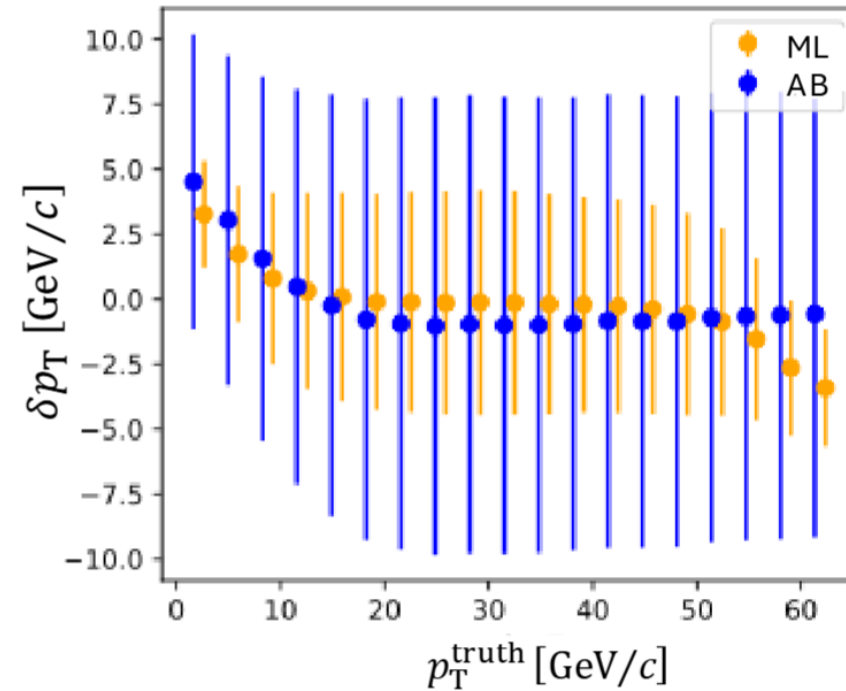
Same result found in the PYTHIA+thermal background for 2.76 TeV events -> refer to R. Haake and C. Loizides (2019), arXiv:1810.06324 [nucl-ex]

TRAINING: NN_{AllReco} on pp jets embedded in hydro background:

Distributions of $p_{T,\text{jet}}$: truth and $p_{T,\text{jet}}^{\text{corr}}$ from NN_{AllReco} and AB method

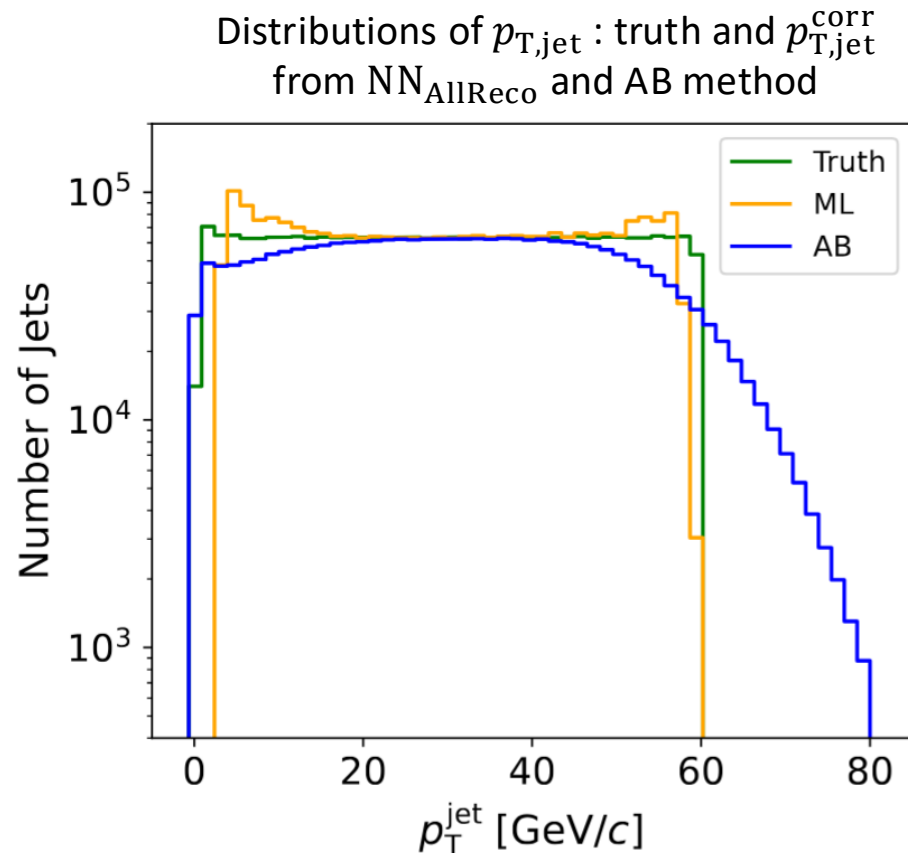


- Points: $\langle \delta p_{T,\text{jet}} \rangle$
- Bars: $\sigma(\delta p_{T,\text{jet}})$



- Both the AB method and NN “know” : low $p_{T,\text{jet}}^{\text{reco}}$ jets are not from “ $p_{T,\text{jet}}^{\text{truth}} < 0 \text{ GeV}/c$ jets” on upward background fluctuations
 - Only NN “knows” that high $p_{T,\text{jet}}^{\text{reco}}$ jets do not result from “ $p_{T,\text{jet}}^{\text{truth}} > 60 \text{ GeV}/c$ jets”.
- (Warning: ML will always exploit boundary conditions if it can!)

NN_{AllReco} on pp jets embedded in hydro background:



Neural Networks (NN) training note:

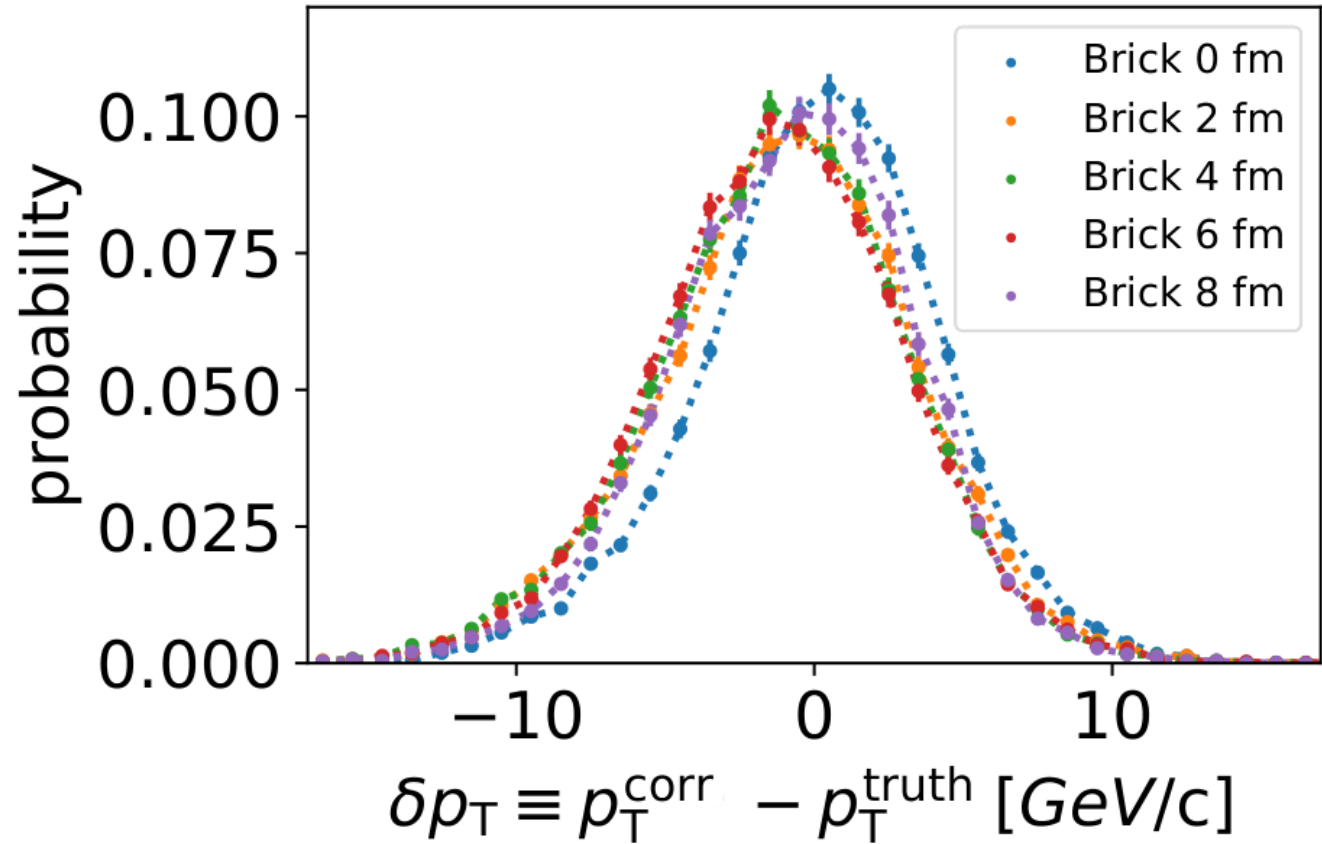
- Must use a uniform $p_{T,\text{jet}}^{\text{truth}}$ distribution for training; otherwise, ML will simply exploit the steeply falling spectrum and always guess upward fluctuations

- Both the AB method and NN “know” : low $p_{T,\text{jet}}^{\text{reco}}$ jets are not from “ $p_{T,\text{jet}}^{\text{truth}} < 0$ GeV/c jets” on upward background fluctuations
- Only NN “knows” that high $p_{T,\text{jet}}^{\text{reco}}$ jets do not result from “ $p_{T,\text{jet}}^{\text{truth}} > 60$ GeV/c jets”.

(Warning: ML will always exploit boundary conditions if it can!)

Evolution of δp_T for $NN_{AllReco}$ with incremental quenching:

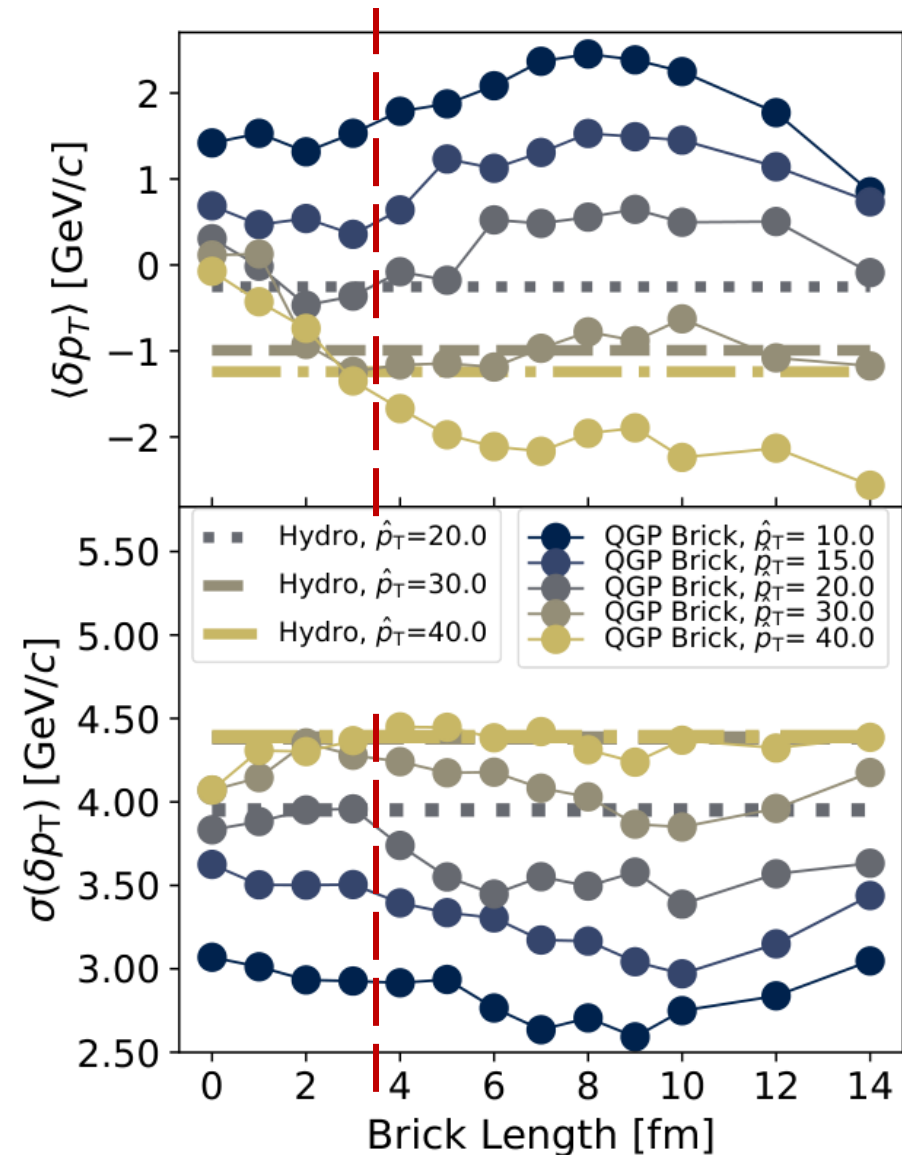
- The average value (the background pedestal) is biased ($\neq 0$)
 - We are not measuring background
- The NN correction values of $p_{T,jet}^{corr}$ systematically under-predicts the truth values with increasing quenching
- Biggest change w.r.t. first 2 fm of quenching



Values here for jets from events generated with $\hat{p}_T \in [30,31] GeV/c$

Summary of evolution of $\langle \delta p_{T,\text{jet}} \rangle$ and $\sigma(\delta p_{T,\text{jet}})$ w.r.t. quenching

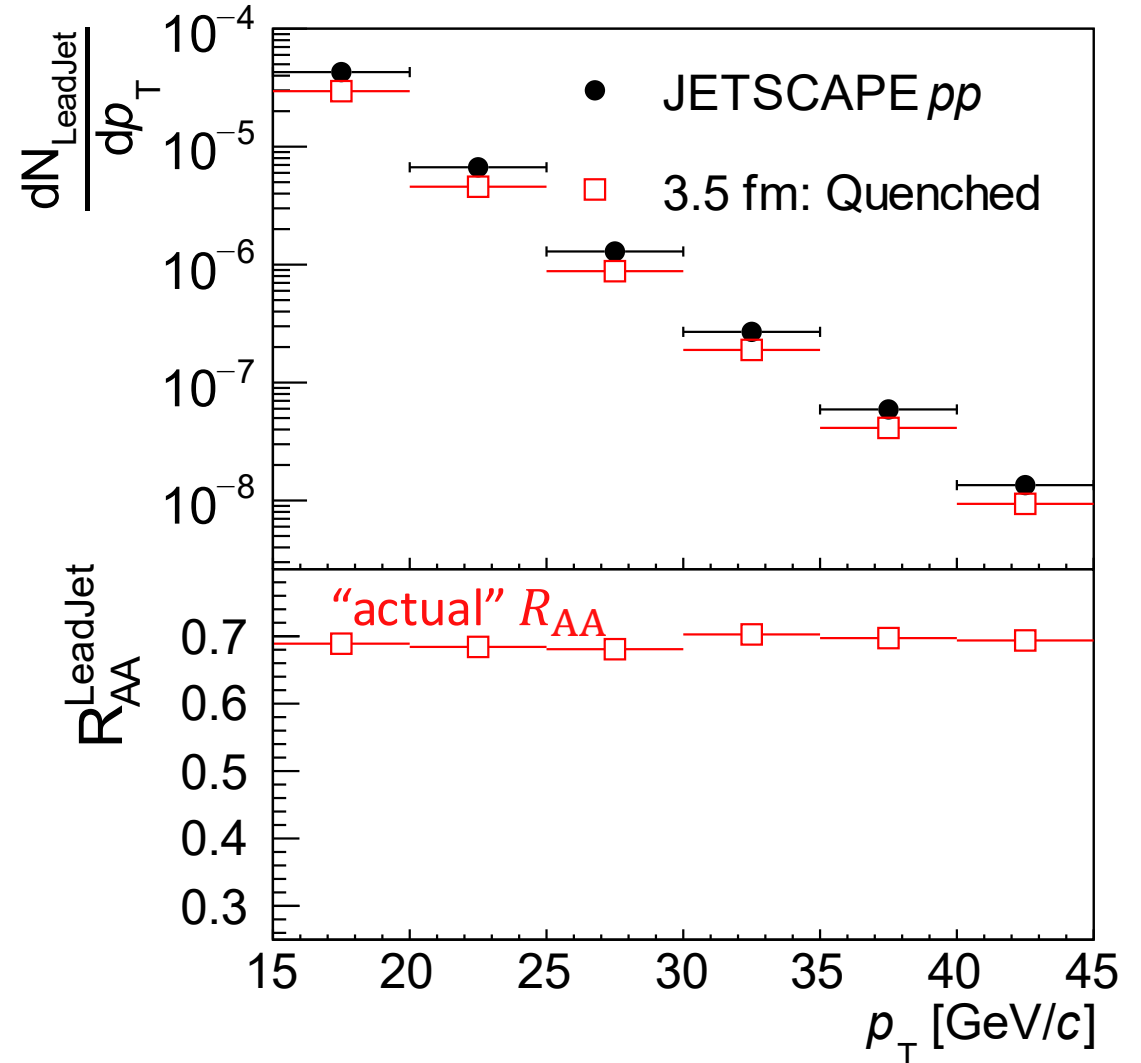
- $\langle \delta p_{T,\text{jet}} \rangle$ and $\sigma(\delta p_{T,\text{jet}})$ plotted for jets at a range of p_T
- Values for hydro quenched jets (horizontal lines) are again consistent with those of ~ 3.5 fm brick quenched jets
- Values are both p_T and quenching dependent, but (except for high- p_T $\langle \delta p_{T,\text{jet}} \rangle$) monotonic w.r.t. quenching



Values here for jets from events generated with $\hat{p}_T \in [30,31]$ GeV/c

Perform an R_{AA} “measurement” with each NN:

- Generate a full spectrum of jets quenched in 3.5 fm of QGP:
 $p_{T,jet}^{quenched}$
- Embed $p_{T,jet}^{truth}$ into hydro backgrounds and cluster:
 $p_{T,jet}^{reco}$
- Use same steps as an experimental analysis to “measure” $p_{T,jet}^{quenched}$ from $p_{T,jet}^{reco}$ (and ρ_{bkg})
- Compare the measured R_{AA} to the actual R_{AA}
- Results indicate how biases in $\delta p_{T,jet}$ propagate

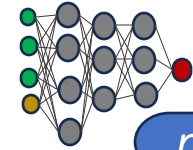


Our simulated analysis:

There are three points where the ML-based procedure is sensitive to jet fragmentation:

- A** measured input spectra
- B** the response matrix
- C** and the training

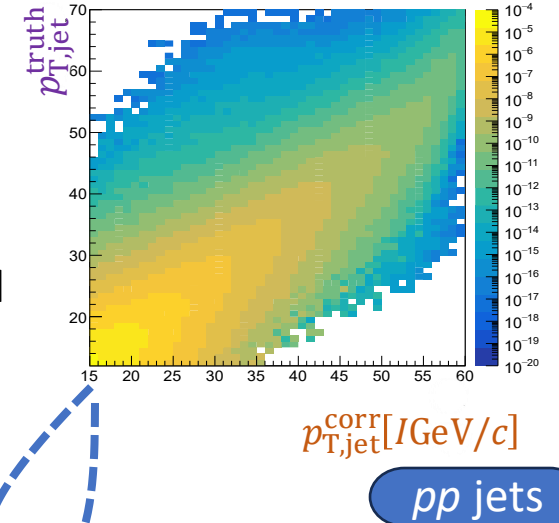
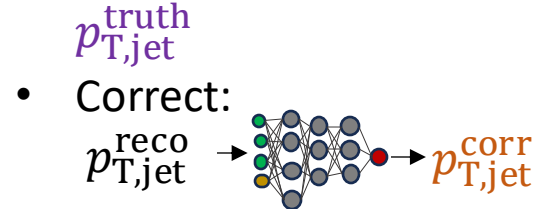
C Train NN: pp jets embedded in "measured" (hydro) background



pp jets

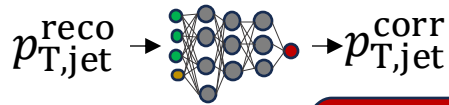
B Make response matrix:

- Embed pp jets into measured (hydro) background
- Cluster and find $p_{T,jet}^{reco}$ and matched to the embedded

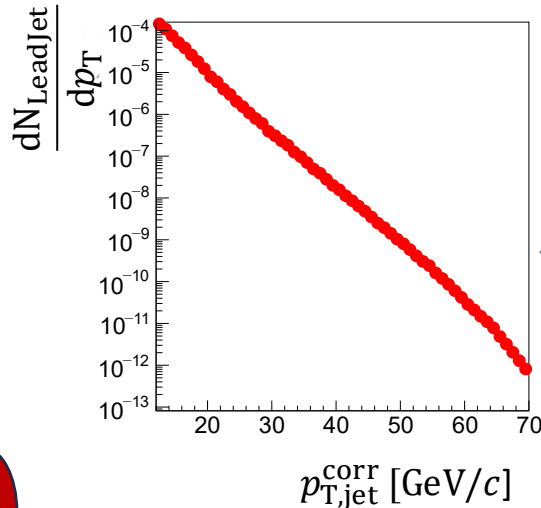


pp jets

A Measure "data" (jets quenched in 3.5 fm brick embedded into hydro background) and background correct with NNs:



$\delta p_{T,jet}$ biases



Unfold measured $p_{T,jet}^{corr}$:

Bayesian Unfold.

RooUnfold
unfolding framework
and algorithms

Single Bin Efficiency

$$\left. \frac{p_{T,jet}^{corr}}{p_{T,jet}^{truth}} \right|_{i-bin}$$

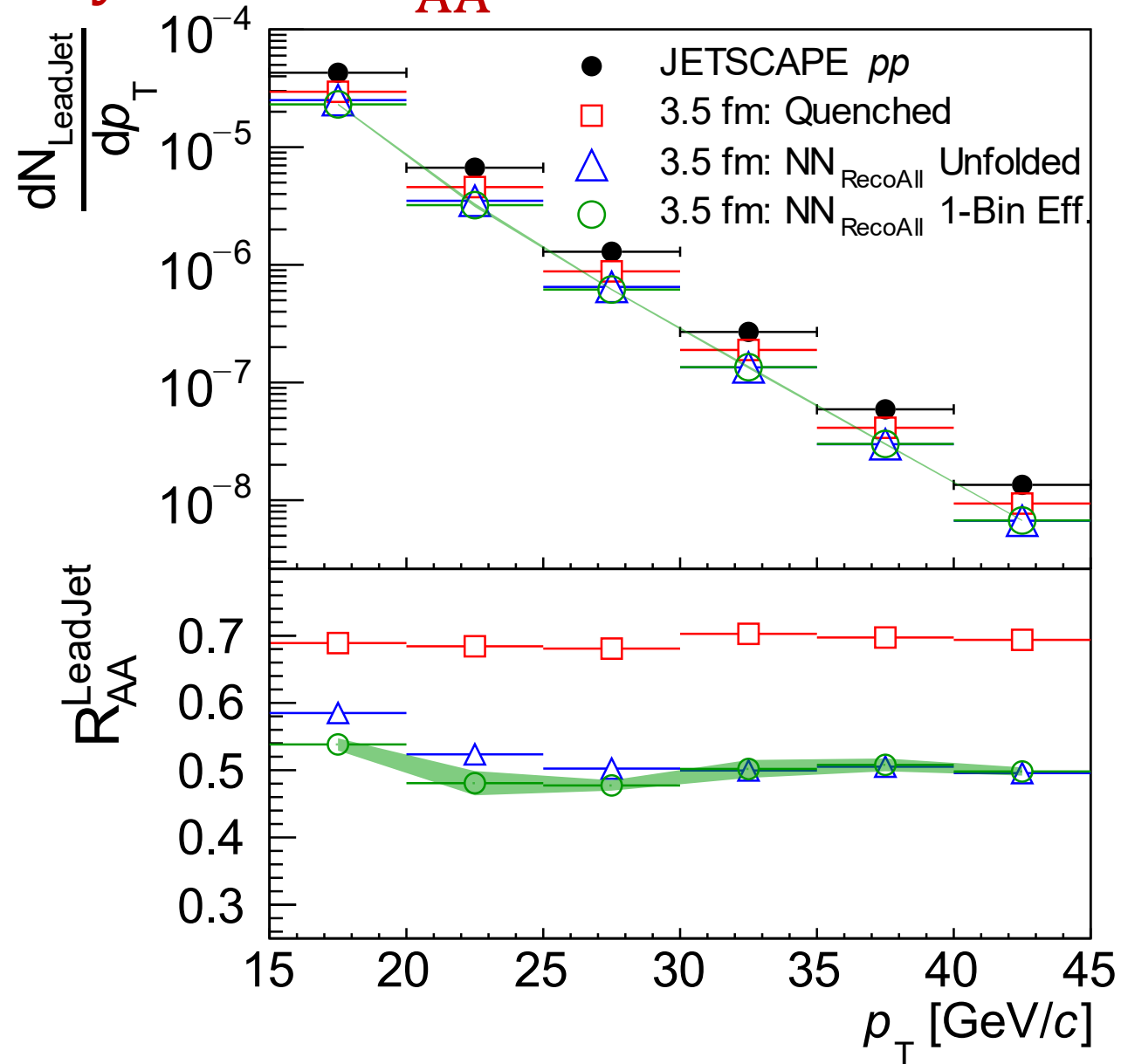
\triangle 3.5 fm: $NN_{RecoAll}$ Unfolded

\circ 3.5 fm: $NN_{RecoAll}$ 1-Bin Eff.

Correction Biases

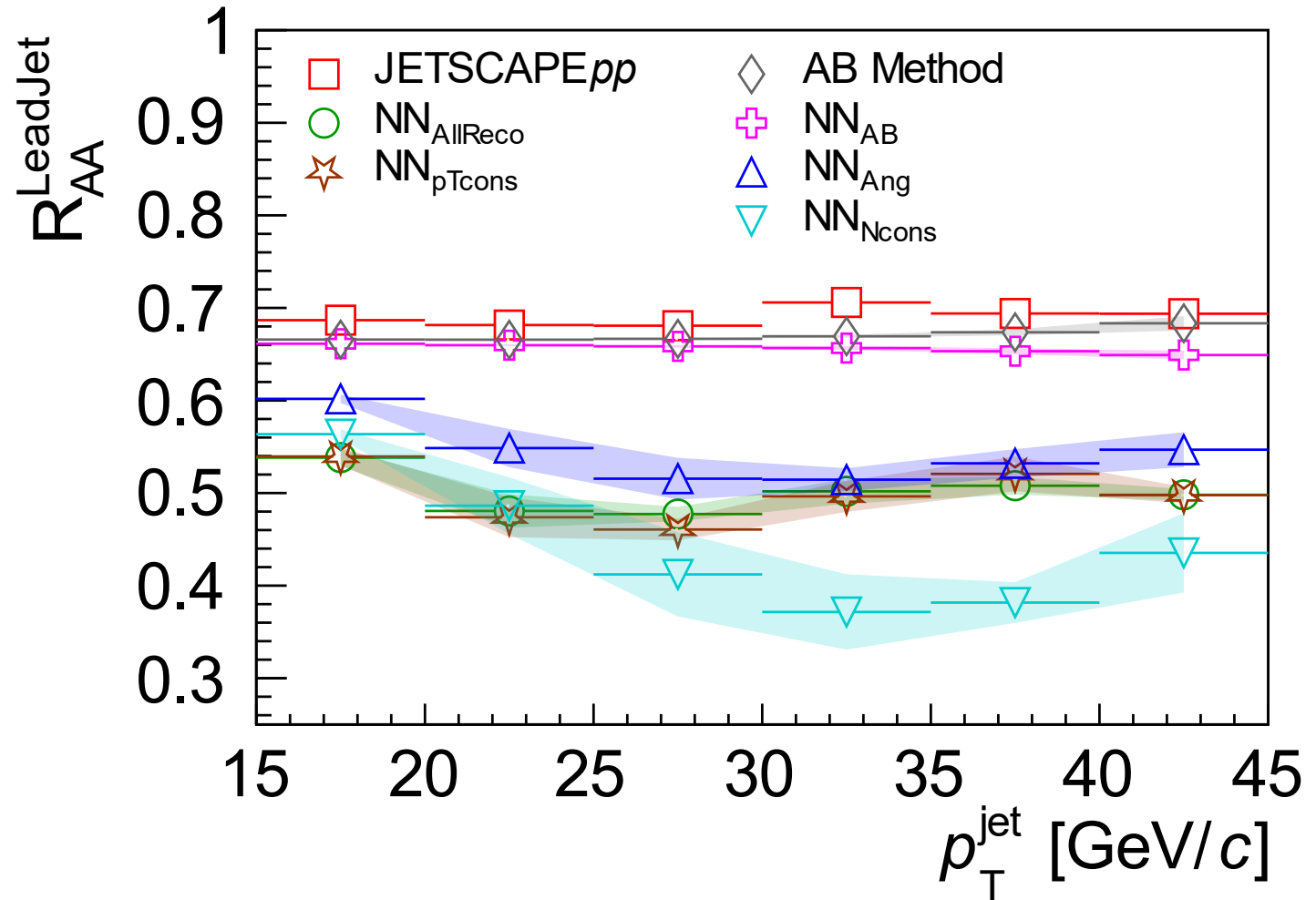
Result: Significantly biased R_{AA}^{LeadJet}

Perform leading jet R_{AA} "calculation":



Results for R_{AA}^{LeadJet} using all NN's (as well as AB method)

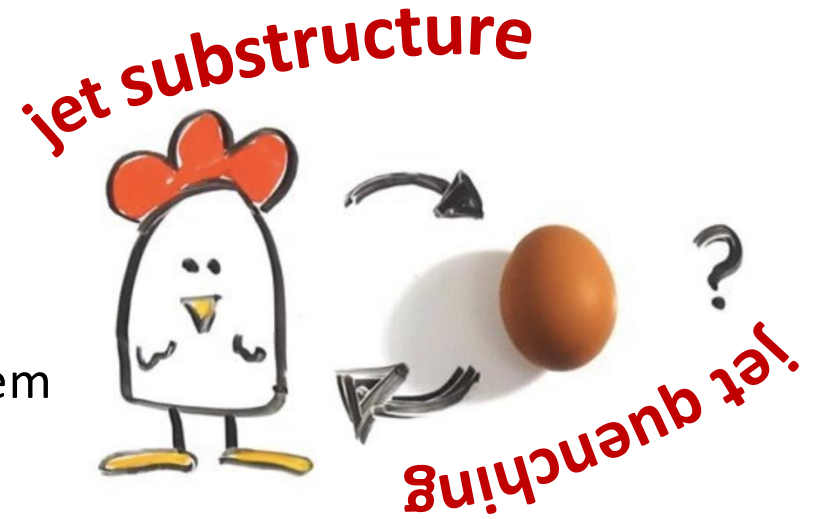
- The AB method is accurate (use the method for both background correction and construction of $\mathcal{M}(p_{T,\text{jet}}^{\text{truth}}, p_{T,\text{jet}}^{\text{reco}} |_{pp})$)
- NN_{AB} uses only ρ_{bkg} , A_{jet} , and $p_{T,\text{jet}}^{\text{reco}}$ is equally accurate as AB method
- All other NNs generate significant bias in R_{AA}^{LeadJet}



ML: Where to go from here? – Using jet substructure

If we wish to use jet substructure to correct for background in quenched jets, we must use either/or:

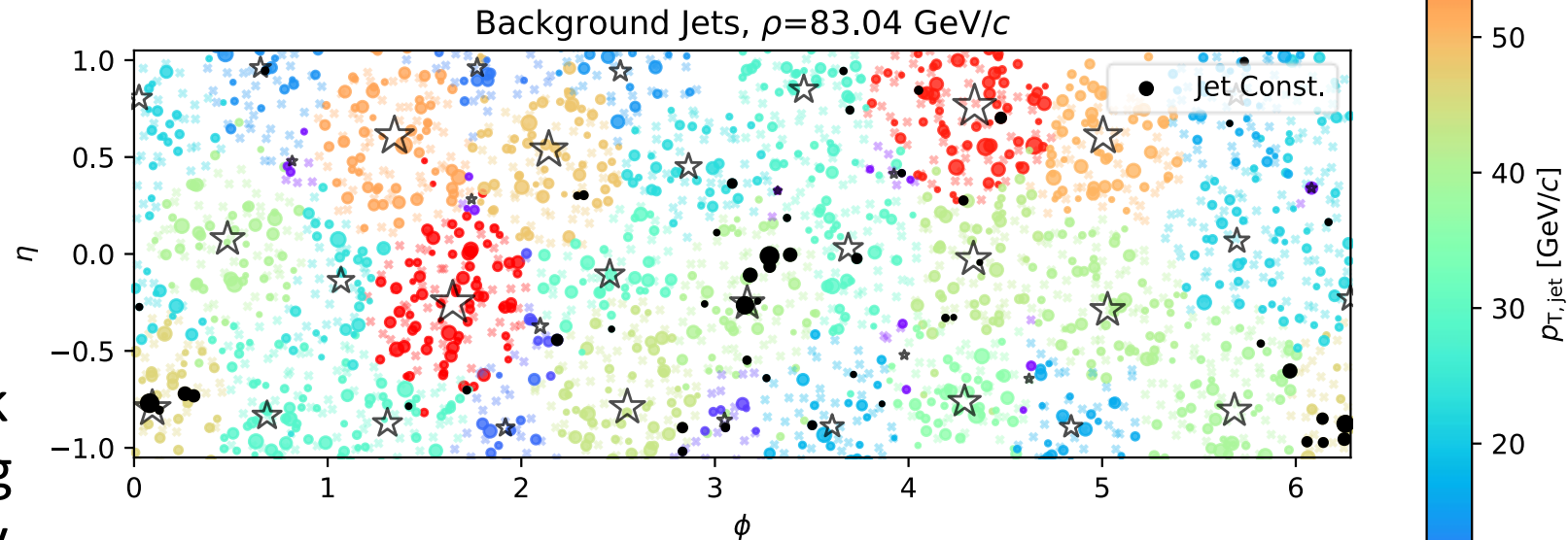
- a) Know that we have different substructure scenarios which bound the effects on the results
(How to report most probably results?)
- b) For each substructure observable used, be able to generate representative data for ML training:
 - This would probably mean already knowing the quenching present to match/qualify the training data
 - Could be a virtuous research cycle – but is not a trivial problem



ML: Where to go from here? – Using jet background

We have quite a lot of jet background data (min bias) events, so that we can train ML to recognize “background” (or “fake”) jets to distinguish from those with real jet constituents

- Quite a lot of interesting work in ML for detecting/classifying anomalies → might be mostly independent of jet substructure.
- Might find a p_T cutoff at which we can declare an actual jet “fully quenched”/indistinguishable from background.



- If a good, robust, “fake jet” classifier can be trained, it may dramatically decrease the fake to real jet ratio at low $p_{T,jet}$ and therefore allow measurements at lower $p_{T,jet}$

Thank You

*Special thanks to Hannah Bossi, Chun Shen, Raymond James, and
Helen Caines for conversation, expertise, insight, and help*

Extra Slides

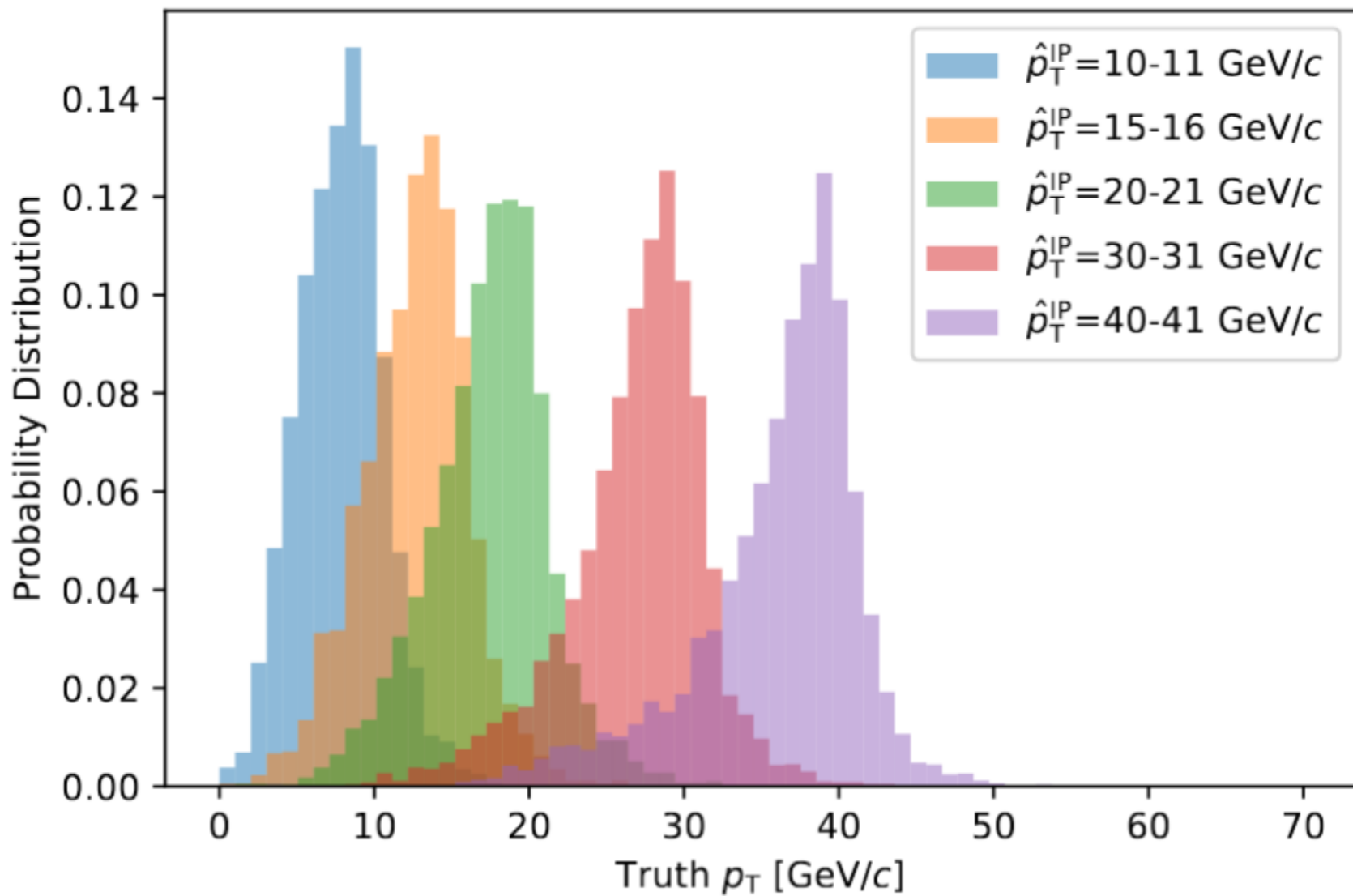


FIG. A.2. Distribution of $p_{T,\text{jet}}^{\text{truth}}$ per JETSCAPE \hat{p}_T parameter selection for the non-quenched datasets.

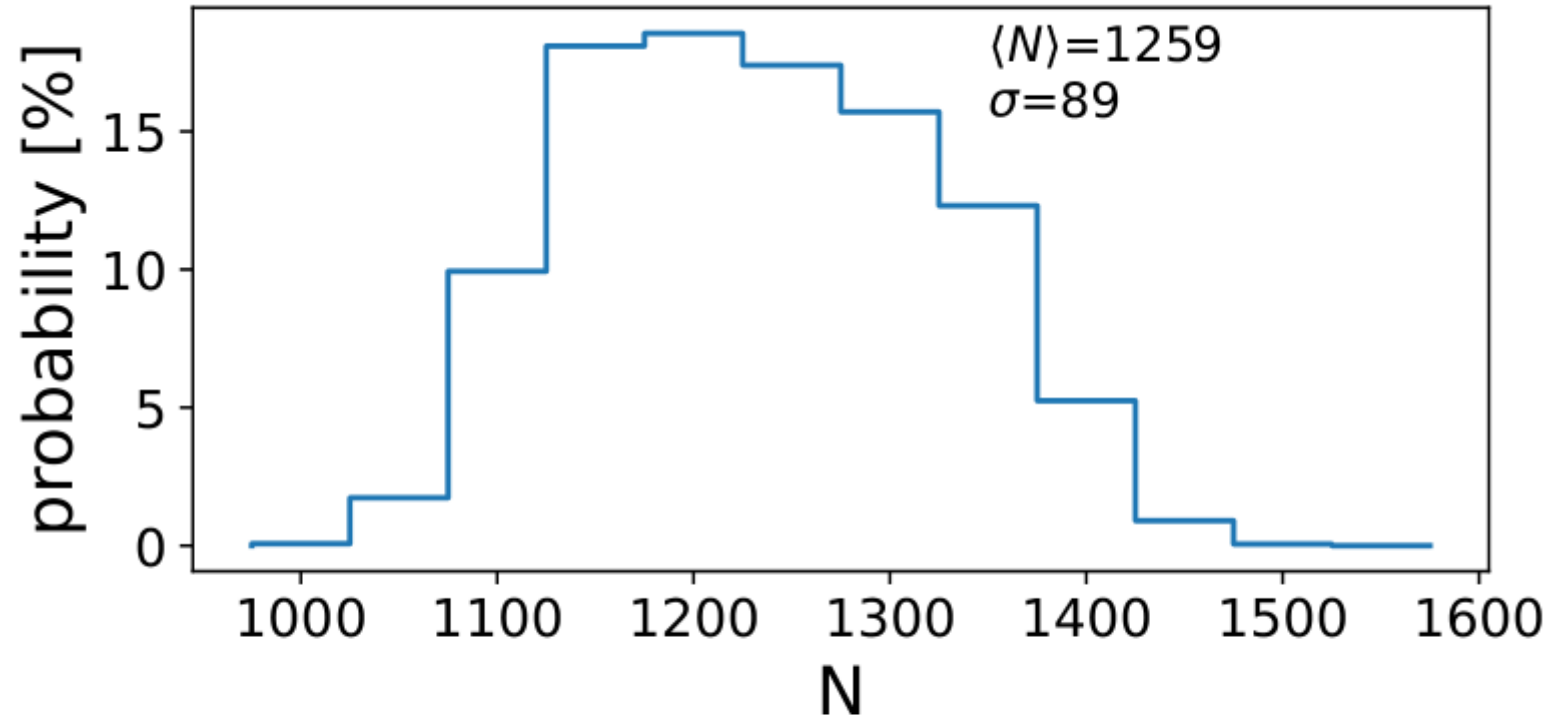


FIG. 2. Distribution of the numbers of background particles per event.

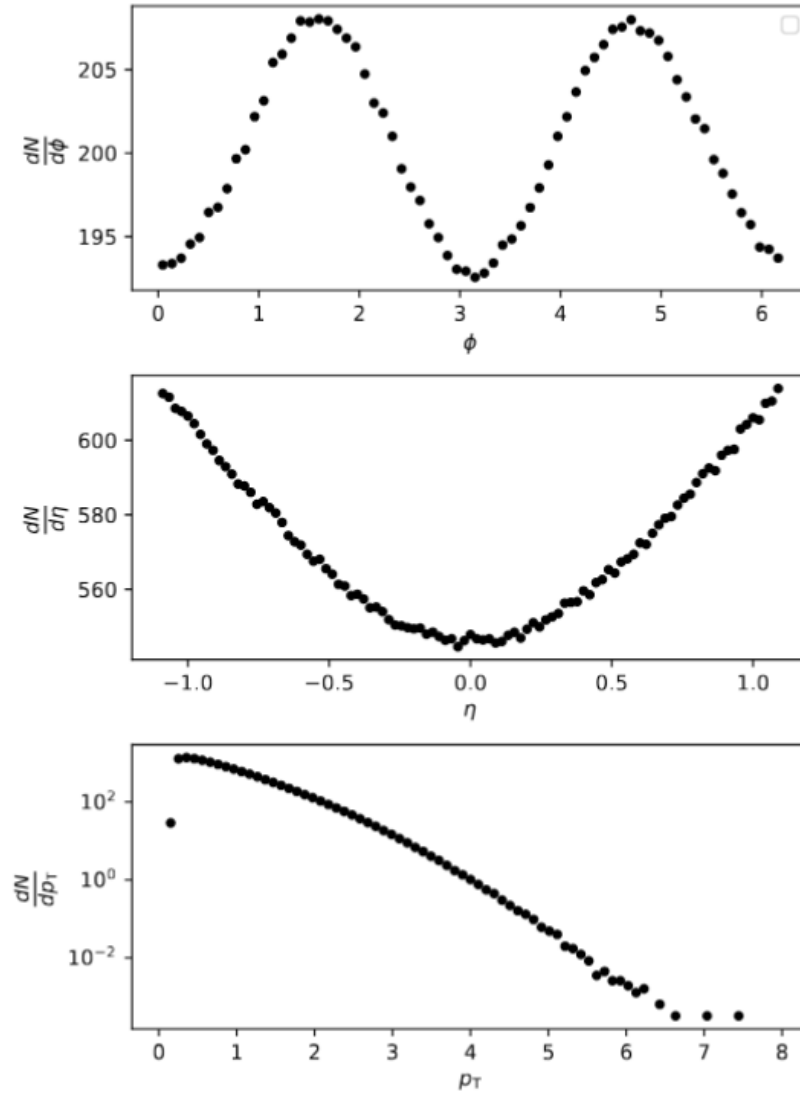
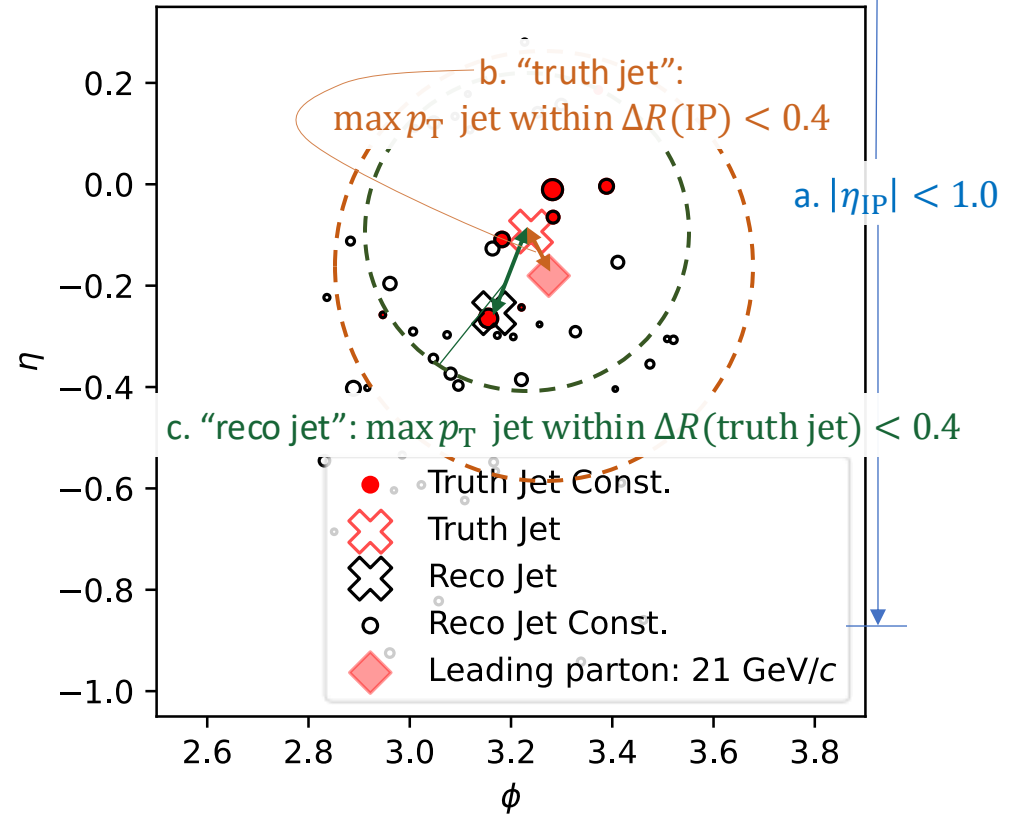


FIG. A.1. Distributions of ϕ , η , and p_T densities of background particles, averaged over all background events. The v^2 flow shown is a result of JETSCAPE aligning all impact parameters along the x -axis.

Simulations cuts: Use only matched jet to leading parton

- Highest- p_T IP: $|\eta| \leq 1$
- Highest p_T jet from truth constituents within $\Delta R \leq 0.4$ from IP is “truth jet”
- Highest p_T jet from truth+bkg constituents within $\Delta R \leq 0.3$ of truth jet is “reco jet”



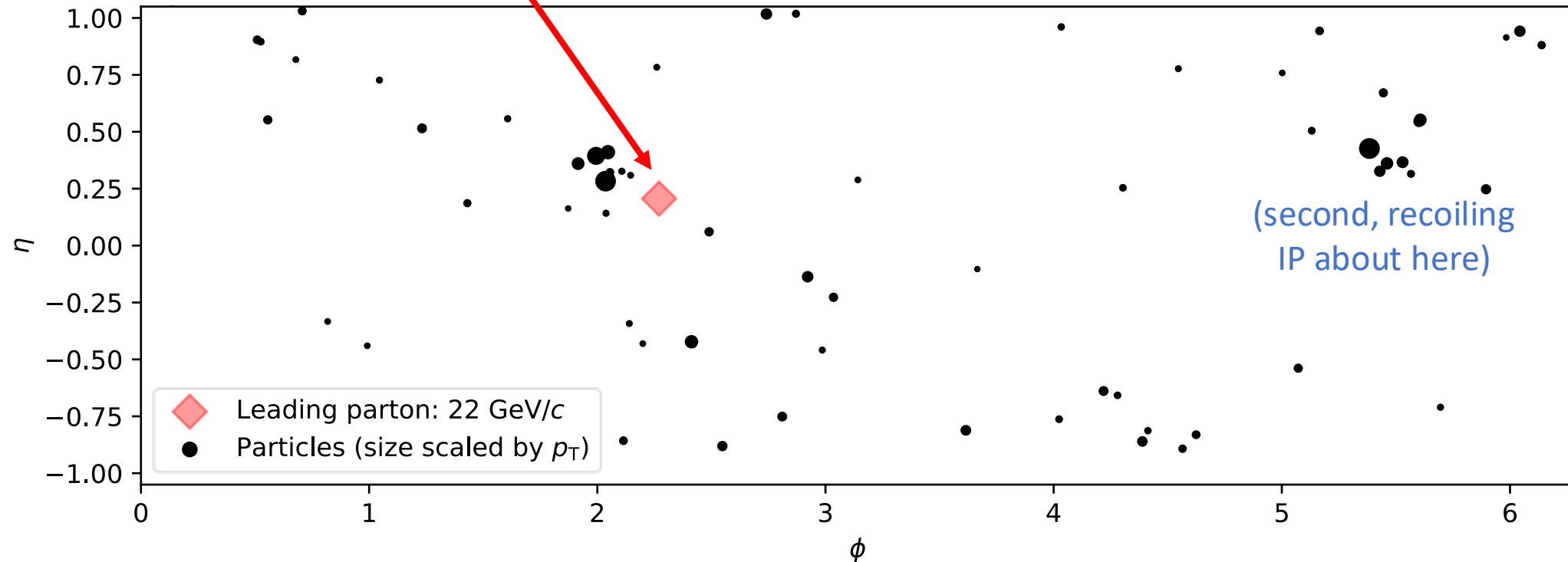
Details

Paper: <https://arxiv.org/abs/2412.15440>

Code: https://github.com/david-stewart/jet_and_thermal

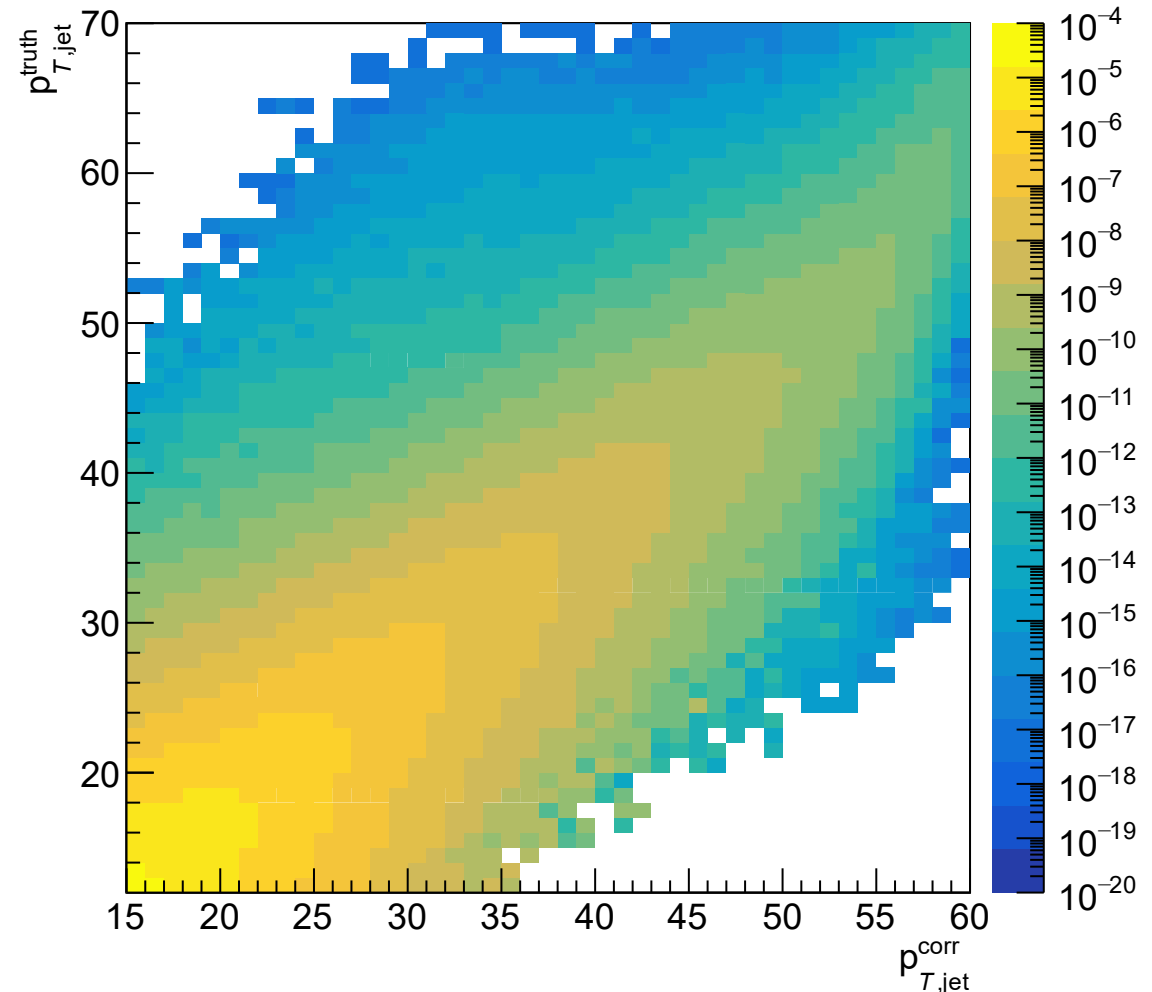
IP with resulting hadrons

- Highest p_T (“leading”) parton at $p_T^{\text{IP}} = 22 \text{ GeV}/c$
- Resulting hadrons from initial scattering

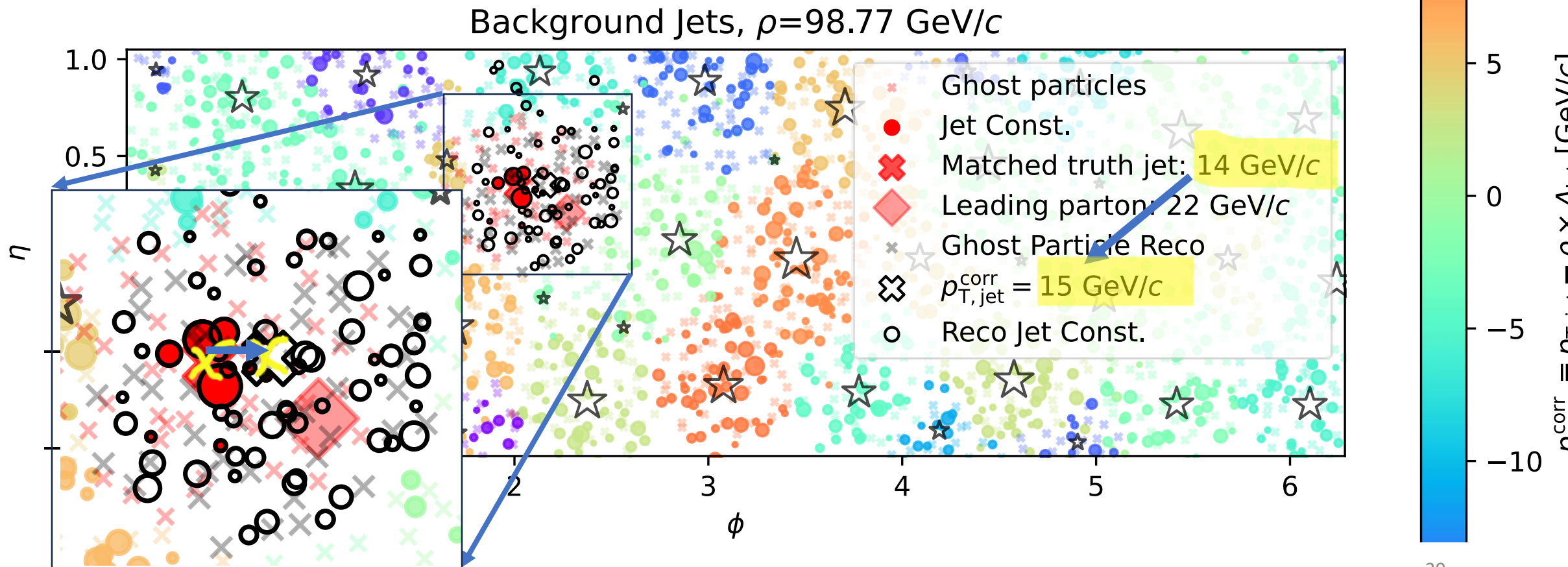


How could $\delta p_{T,jet}$ biases propagate in actual measurement?

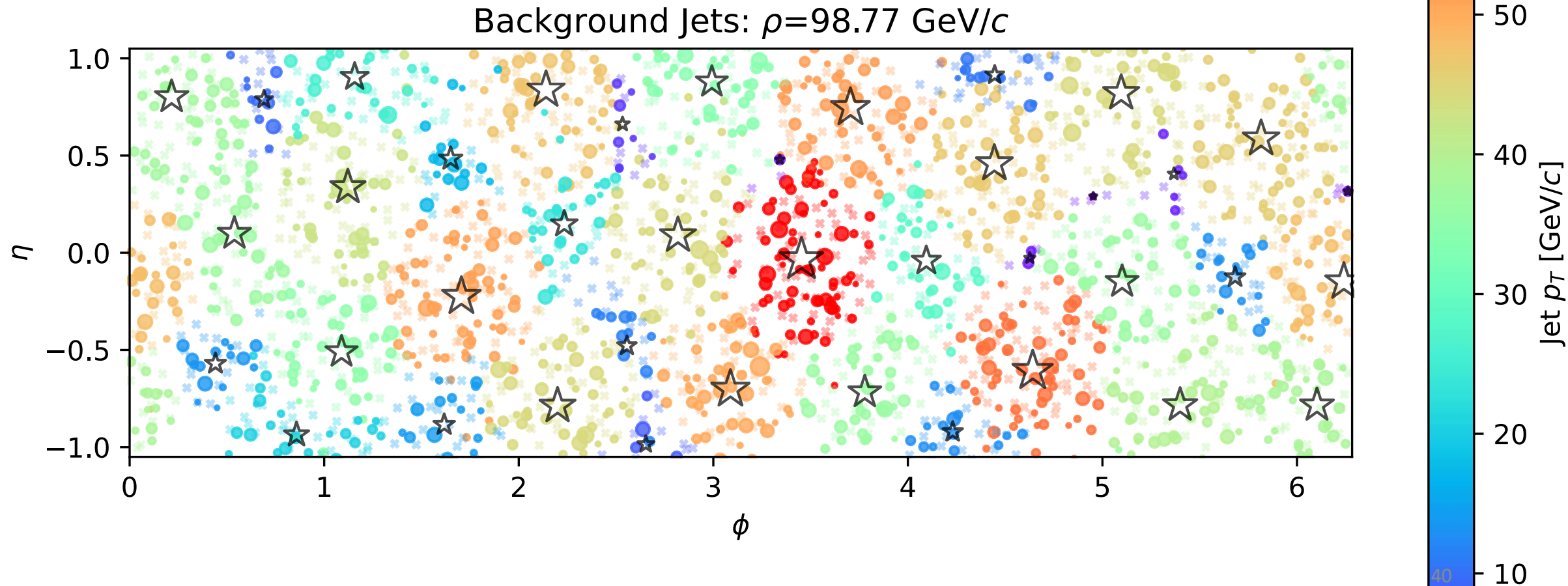
- Embed the quenched spectra in hydro background, cluster, and background correct (using NN's) to $p_{T,jet}^{reco}$
- Embed a pp spectra into hydro background, cluster, and background correct (using NN's) to $p_{T,jet}^{reco}$
 - Use the collection of $\{p_{T,jet}^{truth}, p_{T,jet}^{reco}\}$ to generate a response matrix $\mathcal{M}(p_{T,jet}^{truth}, p_{T,jet}^{reco})|_{pp}$ (in experiment to correct for detector efficiency)
 - Save unmatched $p_{T,jet}^{truth}$ as misses and unmatched $p_{T,jet}^{reco}$ as fakes



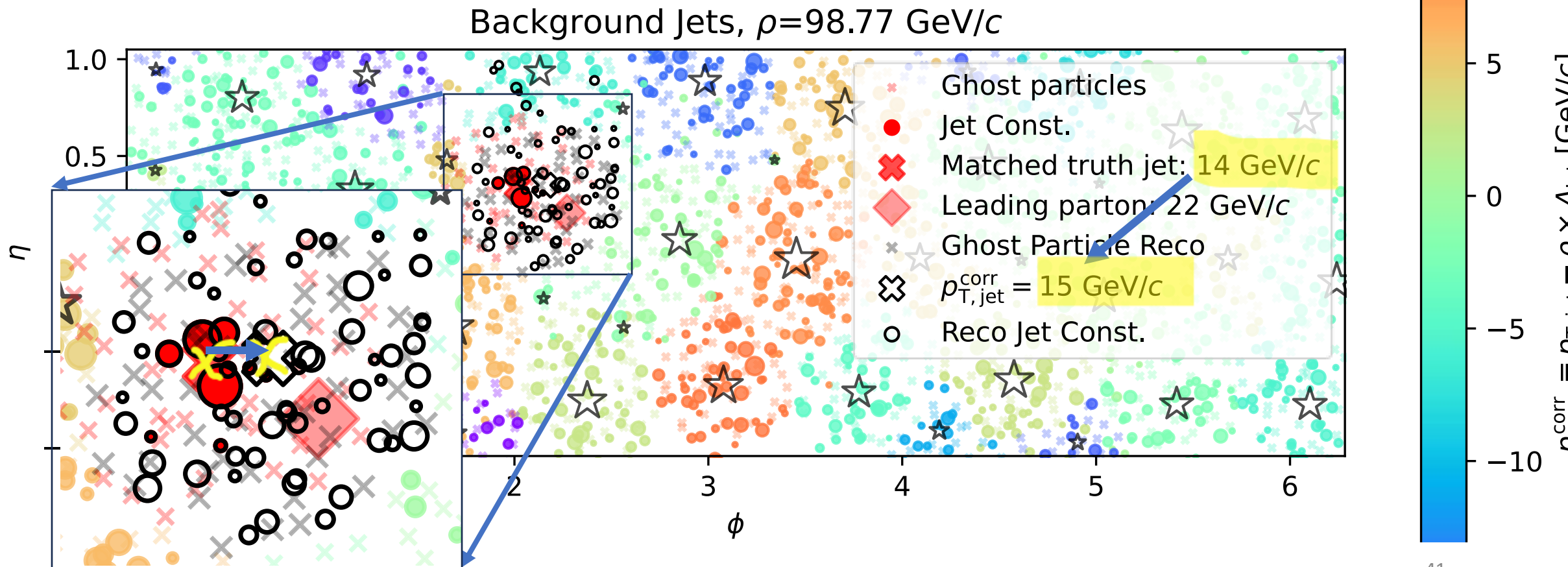
Jet measurement: $p_{T,jet}^{corr} = p_{T,jet}^{reco} - \rho A_{jet}$



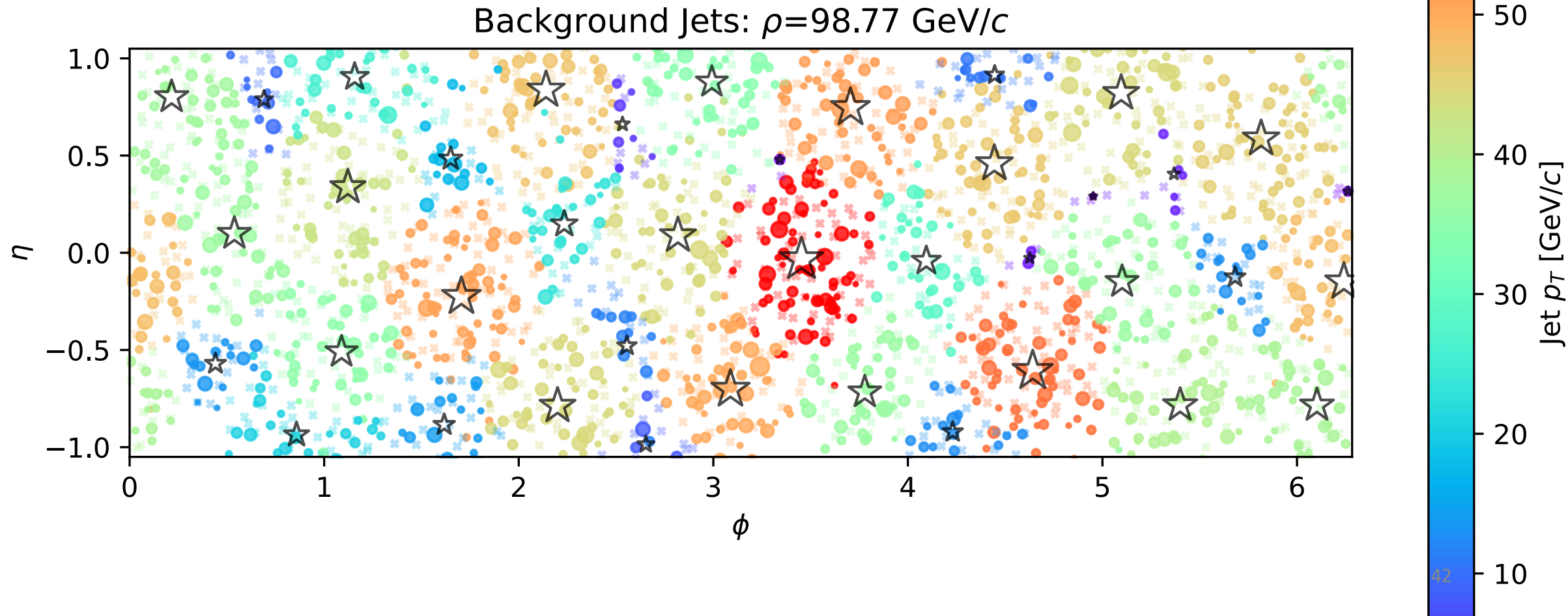
Background Particles Only:
anti- k_T clustering finds many “fake” jets



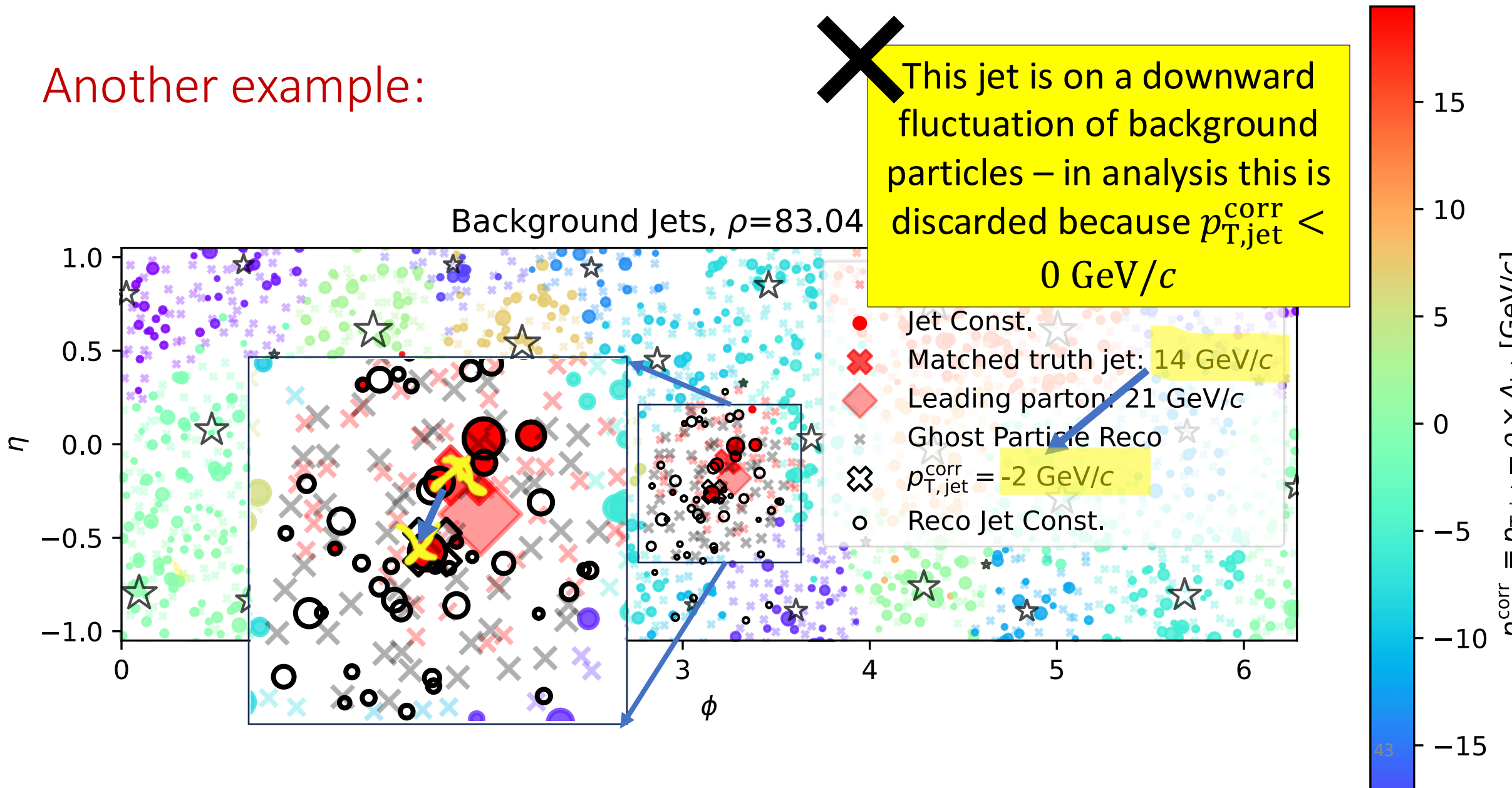
Jet measurement: $p_{T,jet}^{corr} = p_{T,jet}^{reco} - \rho A_{jet}$



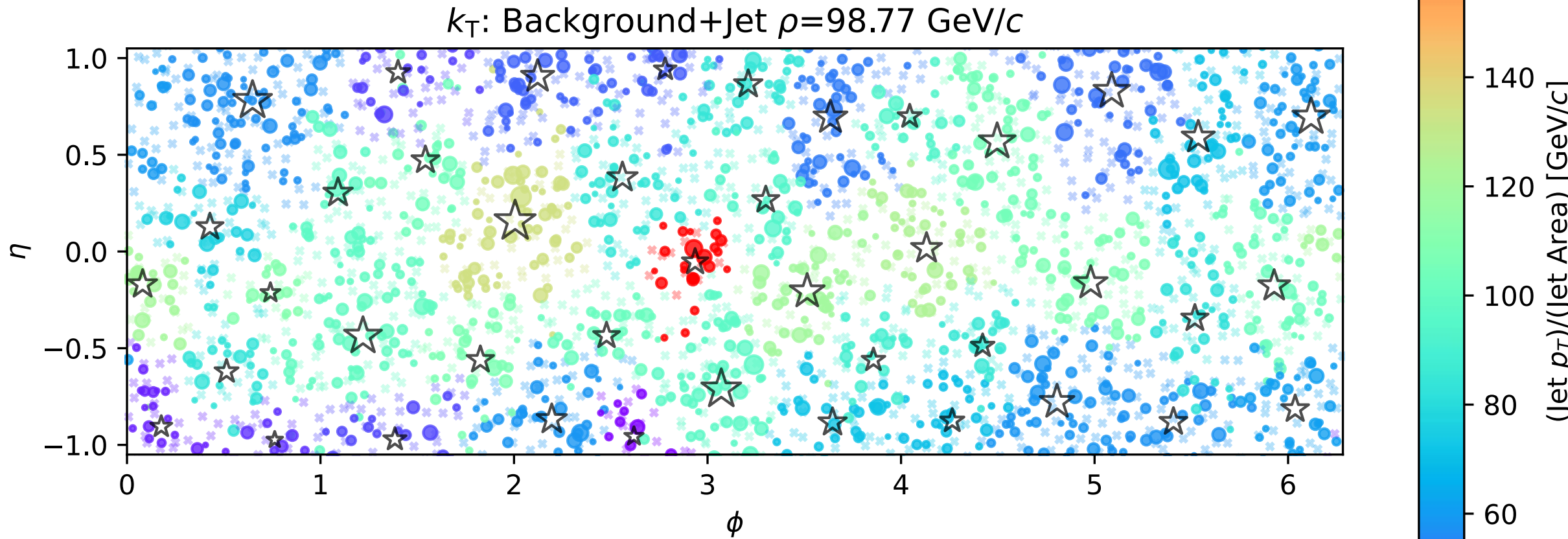
Background Particles Only:
anti- k_T clustering finds many “fake” jets



Another example:

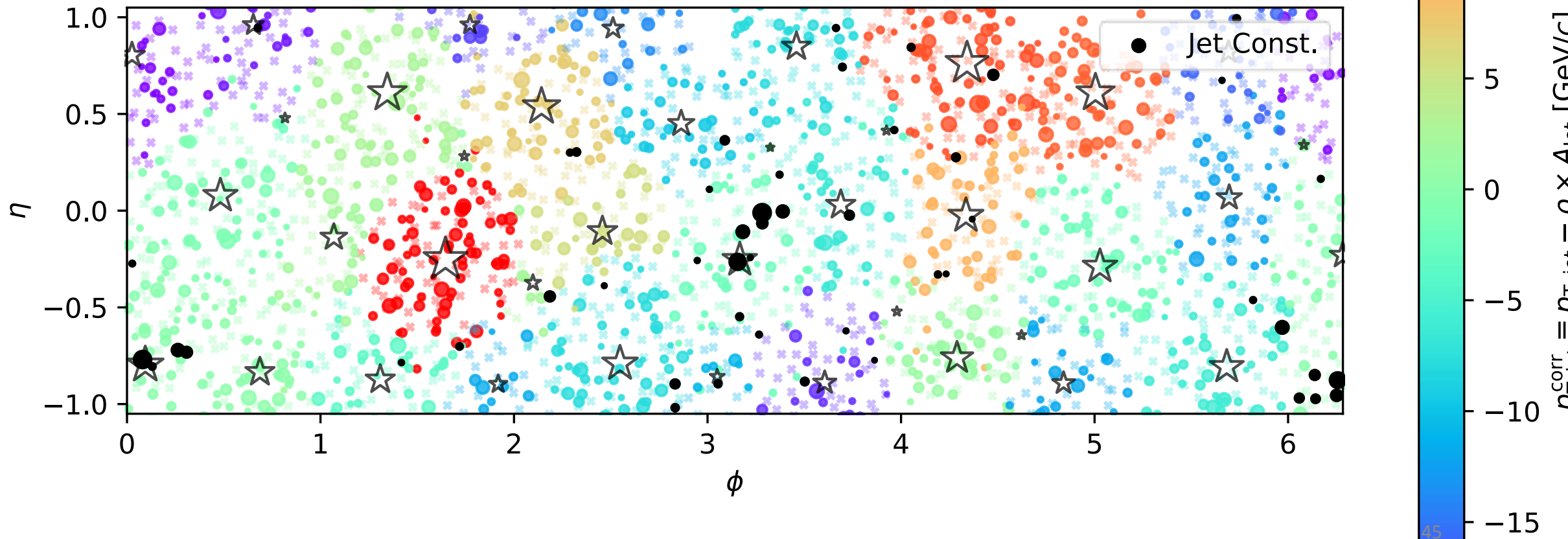


ρ_{bkg} from k_{T} jets: median ($p_{\text{T}}^{\text{jet}} / A_{\text{jet}}$)
 (cluster all particles, exclude 2 highest values)



Measured jets, anti- k_T : $p_T^{\text{corr}} \equiv p_T^{\text{reco}} - \rho_{\text{bkg}} A_{\text{jet}}$

$\rho = 83.04 \text{ GeV}/c$



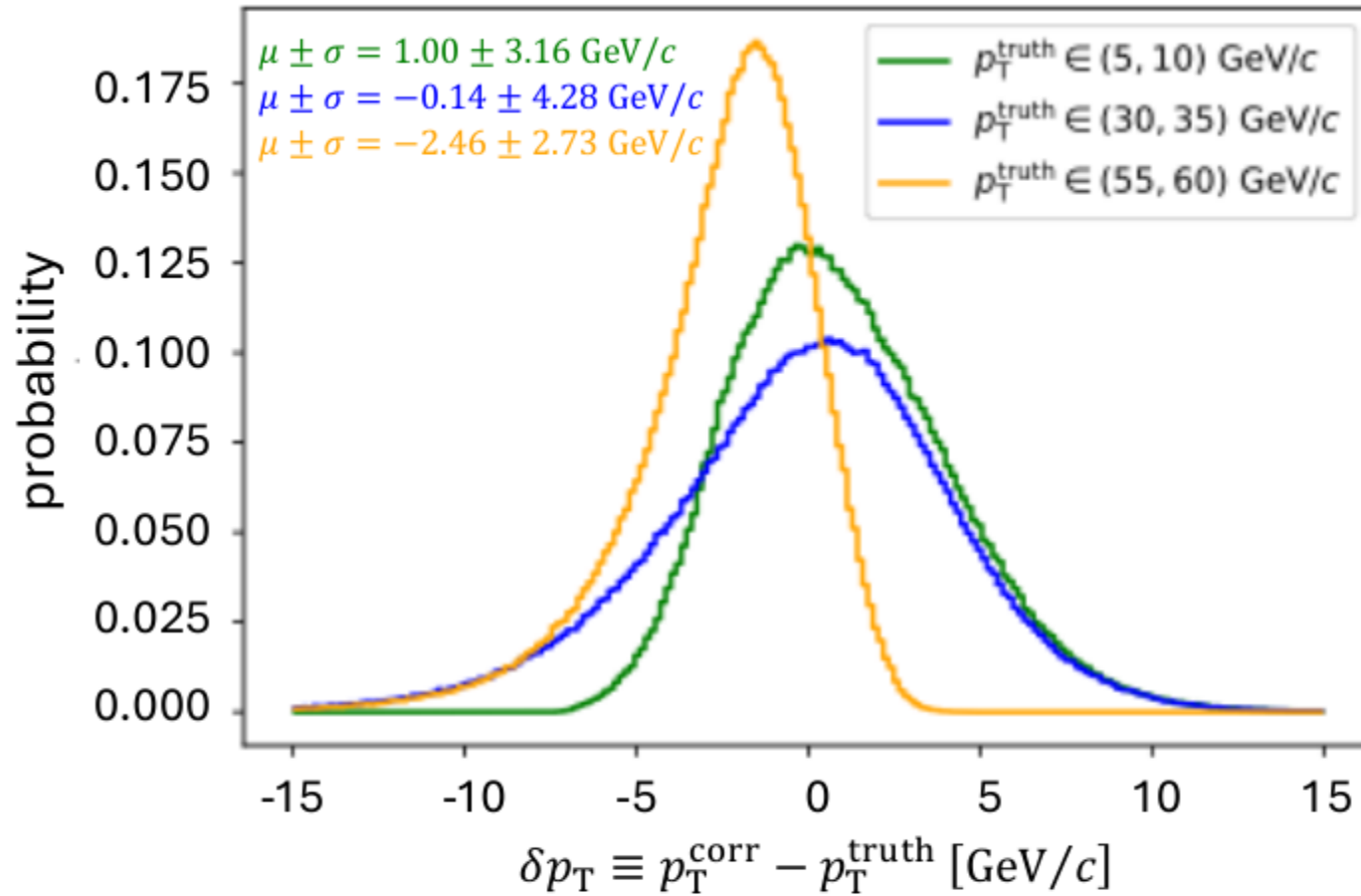
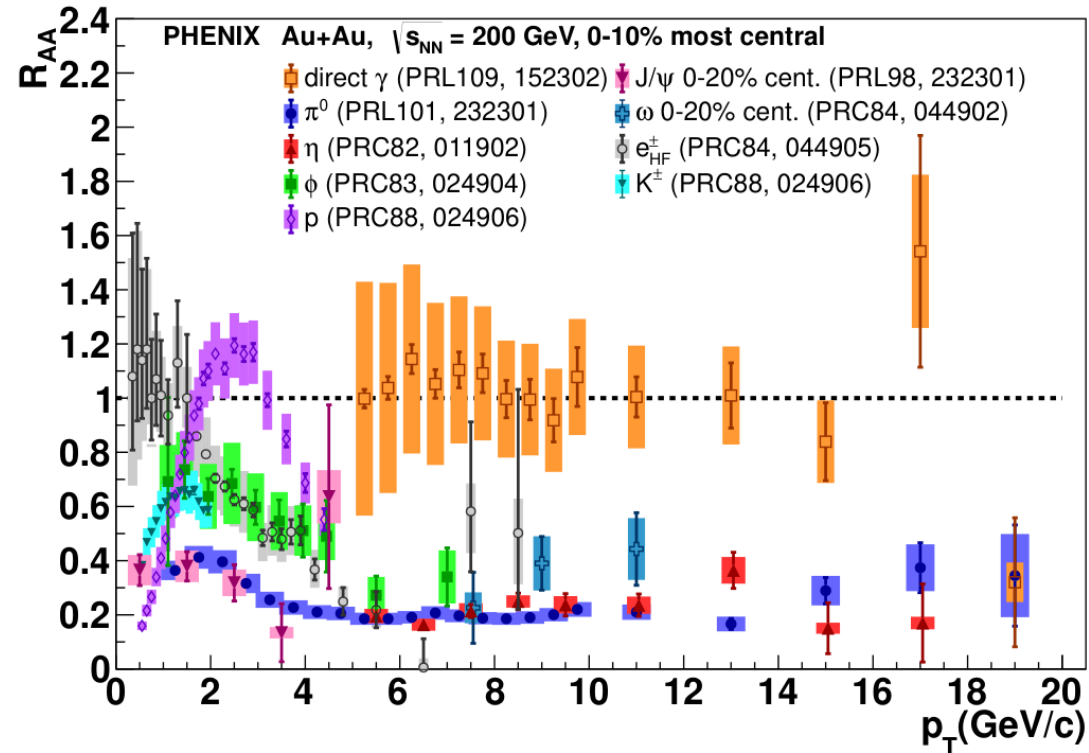


FIG. 4. The probability distribution of the residual error, $\delta p_{T,\text{jet}} \equiv p_{T,\text{jet}}^{\text{corr}} - p_{T,\text{jet}}^{\text{truth}}$, with $p_{T,\text{jet}}^{\text{corr}}$ from $\text{NN}_{\text{AllReco}}$ for events with three ranges of $p_{T,\text{jet}}^{\text{truth}}$. Also listed are the mean and standard deviation of $\delta p_{T,\text{jet}}$ for each range.



T. Sakaguchi, Overview of latest results from PHENIX. HardProbes2018. PoS:, 035 (2019).

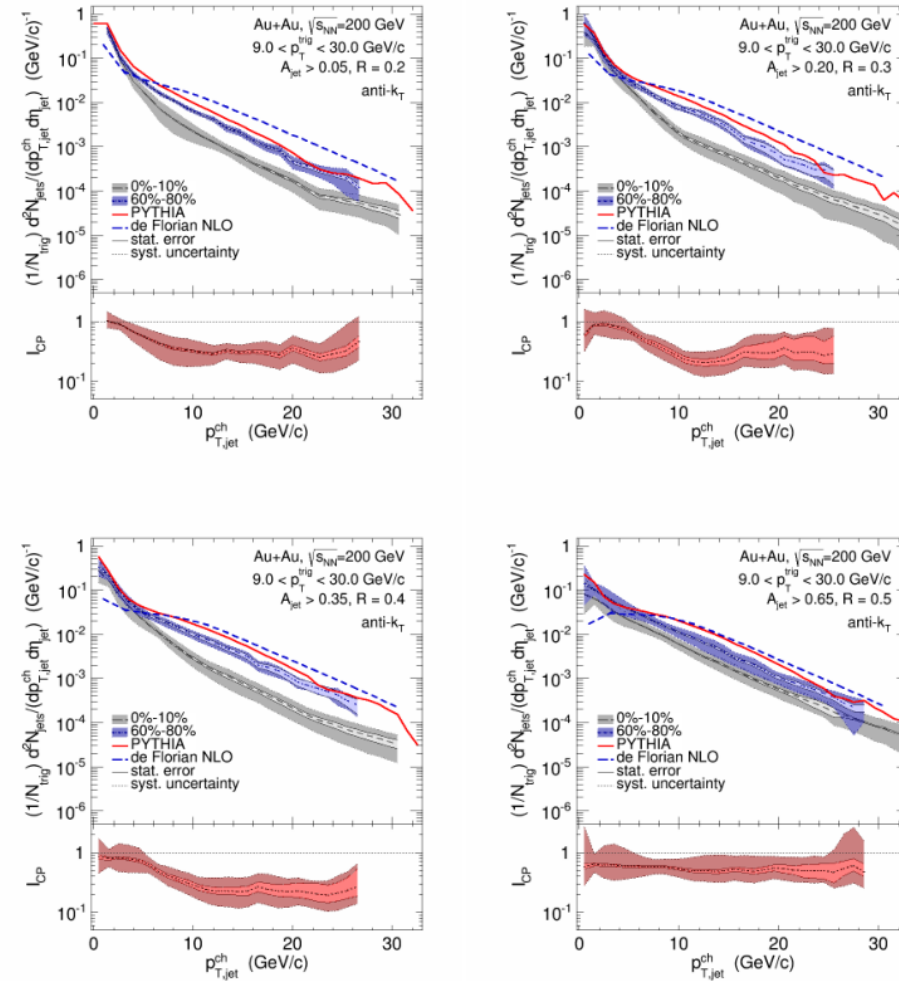


FIG. 19. (Color online) Fully corrected distributions of $Y(p_{T,jet}^{ch})$ (upper panels) and its ratio I_{CP} (lower panels) for central and peripheral Au+Au collisions at $\sqrt{s_{NN}} = 200$ GeV, for anti- k_T jets with $R = 0.2, 0.3, 0.4$ and 0.5 . The upper panels also show $Y(p_{T,jet}^{ch})$ for p+p collisions at $\sqrt{s} = 200$ GeV, calculated using PYTHIA at the charged-particle level and NLO pQCD transformed to the charged-particle level (Sect. X). The uncertainty of the NLO calculation is not shown.

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