

# Polarised Sunyaev Zeldovich Effect and the Early Universe

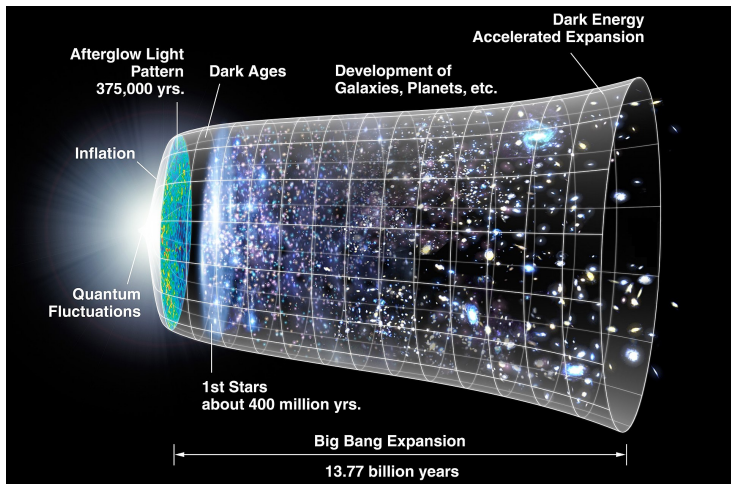
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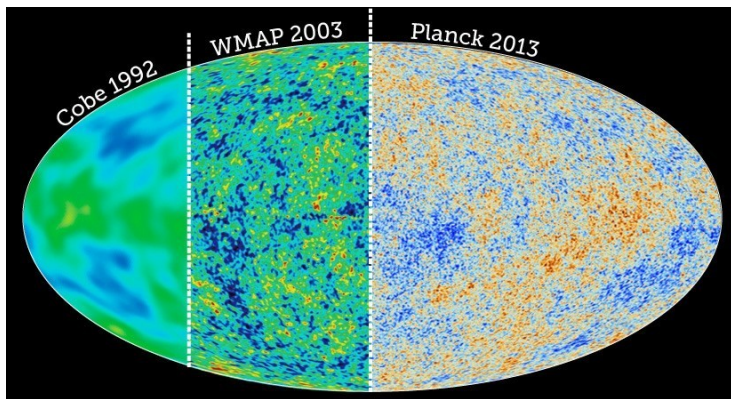
February 20, 2020

- AS Deutsch, MC Johnson, M Münchmeyer, A Terrana  
"Polarized Sunyaev Zel'dovich tomography"  
ArXiv:1705.08907
  
- AS Deutsch, E Dimastrogiovanni, M Fasiello, MC Johnson, M Münchmeyer  
"Primordial gravitational wave phenomenology with polarized Sunyaev Zel'dovich tomography"  
ArXiv:1810.09463

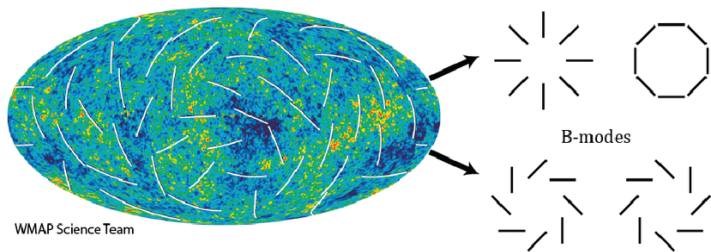
# Motivation



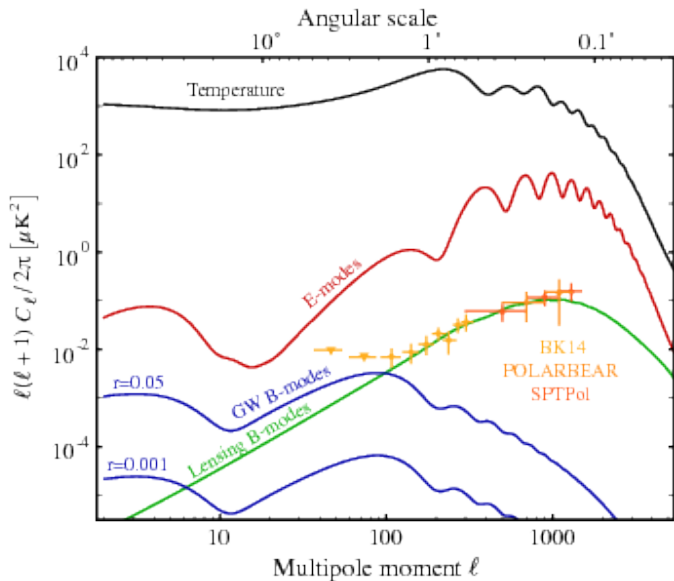
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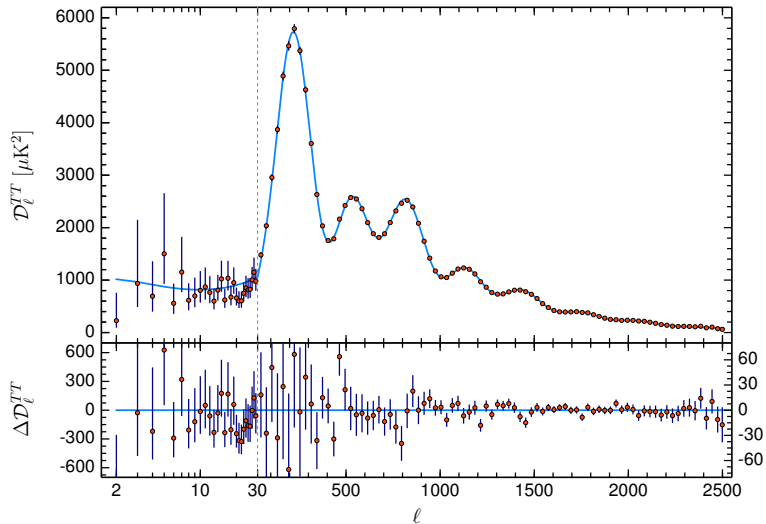


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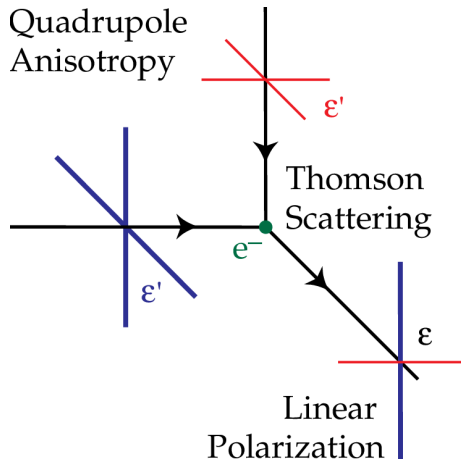


# Motivation





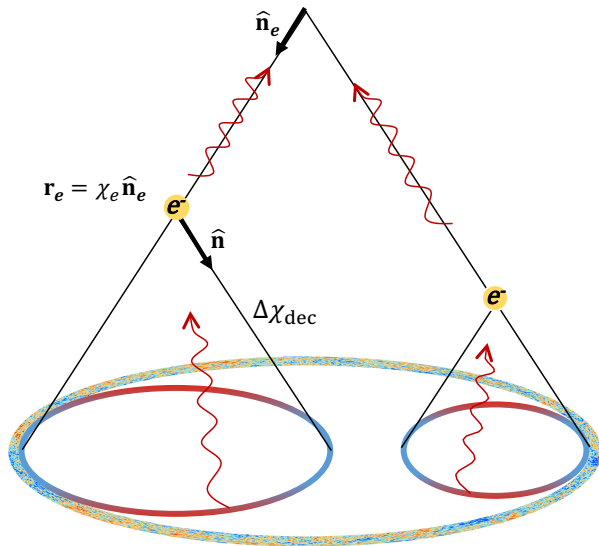
# Thomson Scattering



Cross-section Thomson scattering:  $\frac{d\sigma}{d\Omega} \propto |\vec{\epsilon} \cdot \vec{\epsilon}'|$



# Polarised Sunyaev Zeldovic



Polarisation via pSZ:

$$(Q \pm iU)_{\text{pSZ}} = -\frac{\sqrt{6}}{10} \sigma_T \int d\chi_e a(\chi_e) n_e(\hat{n}_e, \chi_e) \tilde{q}_{\text{eff}}^{\pm}(\hat{n}_e, \chi_e)$$

$$\tilde{q}_{\text{eff}}^{\pm}(\hat{n}_e, \chi_e) = \sum_{m=-2}^2 q_{\text{eff}}^m(\hat{n}_e, \chi_e)_{\pm 2} Y_{2m}(\hat{n}_e)$$

Correlation between polarisation and matter density:

$$\langle (Q \pm iU)_{\text{pSZ}} \delta(\bar{\chi}_e) \rangle \sim \langle \delta q^{\pm} \delta \rangle \sim q^{\pm}(\hat{n}_e, \bar{\chi}_e) \langle \delta \delta \rangle(\bar{\chi}_e)$$

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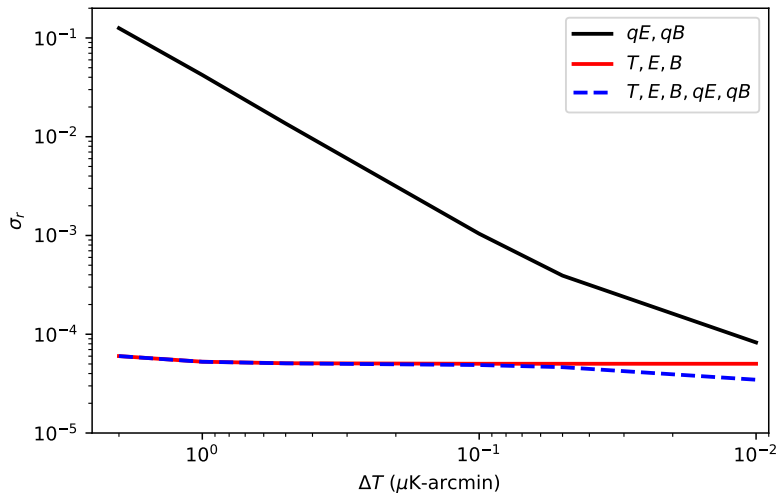
# pSZ Tomography - Correlators

Write down correlation between primary CMB and reconstructed remote quadrupol field:

$a_{\ell m}^T$	primary CMB temperature
$a_{\ell m}^E$	primary E-mode polarisation
$a_{\ell m}^B$	primary B-mode polarisation
$a_{\ell m}^{qE}(\chi)$	E-mode remote quadrupol field
$a_{\ell m}^{qB}(\chi)$	B-Mode remote quadrupol field

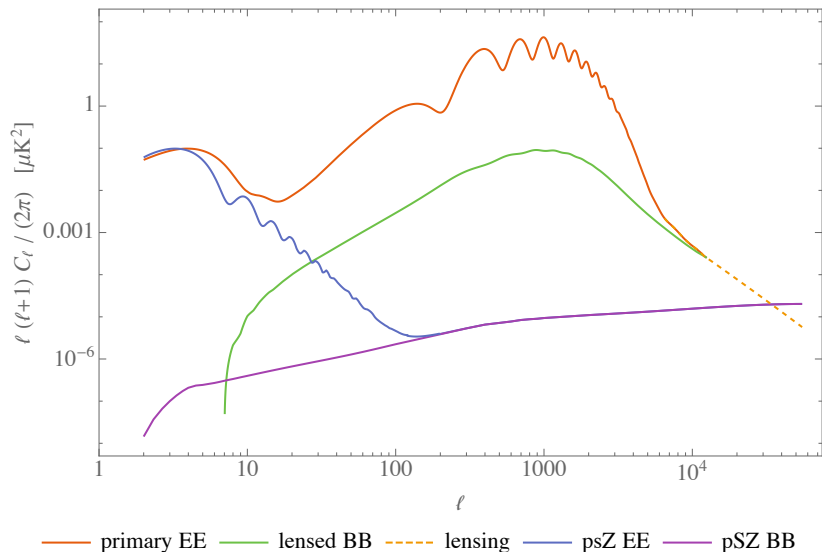
Additional information might help to constrain quantities or serve as second test of discovery.

# psZ Tomography - Forecast



Expected resolution of CMB4:  $1\mu\text{K}/\text{arcmin}$

# Polarised Sunyaev Zeldovic



# Non-Gaussianities

- Standard inflation predicts nearly Gaussian perturbations.
- Gaussian = Whole Physics/Statistics can be described by two-point correlation only
- Existence of non-Gaussianities means non-vanishing higher order correlators.
- Additional source of information about primordial physics.

# Non-Gaussianities - Polarisation

$$B_{\ell_1 \ell_2 \ell_3}^{TTT} \equiv \langle a_{\ell_1 m_1}^T a_{\ell_2 m_2}^T a_{\ell_3 m_3}^T \rangle ,$$

$$B_{\ell_1 \ell_2 \ell_3}^{TTE} \equiv \langle a_{\ell_1 m_1}^T a_{\ell_2 m_2}^T a_{\ell_3 m_3}^E \rangle ,$$

$$B_{\ell_1 \ell_2 \ell_3}^{TET} \equiv \langle a_{\ell_1 m_1}^T a_{\ell_2 m_2}^E a_{\ell_3 m_3}^T \rangle ,$$

$\vdots$

$$B_{\ell_1 \ell_2 \ell_3}^{EET} \equiv \langle a_{\ell_1 m_1}^E a_{\ell_2 m_2}^E a_{\ell_3 m_3}^T \rangle ,$$

$\vdots$

$$B_{\ell_1 \ell_2 \ell_3}^{EEE} \equiv \langle a_{\ell_1 m_1}^E a_{\ell_2 m_2}^E a_{\ell_3 m_3}^E \rangle .$$

- Calculation with temperature and E-mode has been done.
- Improvement of by  $\sim 25\%$  on non-Gaussianities compared to temperature only.
- Add B-modes and remote quadrupol to the correlators and make a forecast.



# Conclusions

- Secondary CMB is an interesting probe of the primordial universe.
- Can help with B-mode detection and non-Gaussianities.
- Independent check of primary CMB B-modes (if detected).
- Experimental requirements extremely high.

The End