

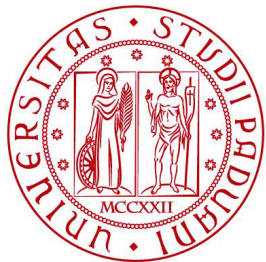
# First observation of $\eta \rightarrow 4\mu$ decay with the CMS detector

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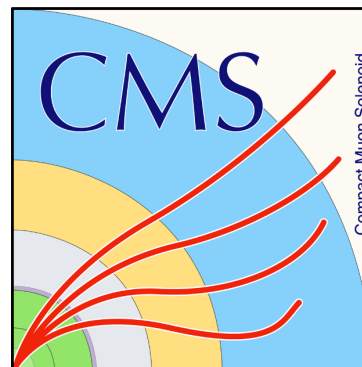
Roberto Rossin - On behalf of the CMS collaboration

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QCHSC 2024 – Cairns, August 19th-24th

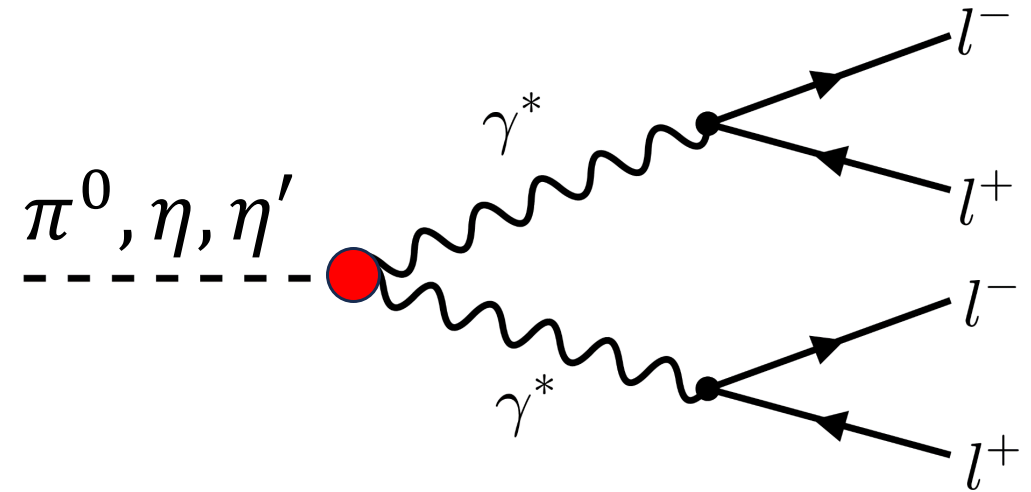


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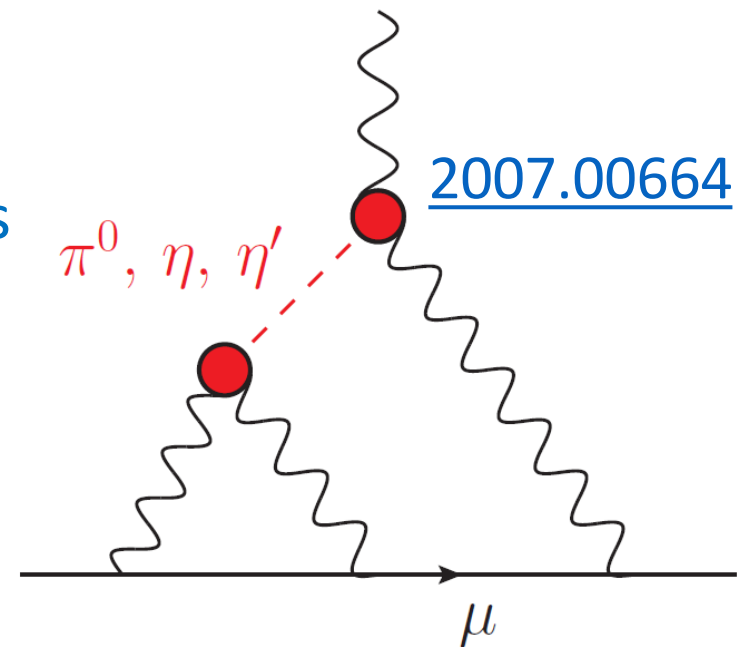


# Physics motivations

$\eta$ DECAY MODES	Fraction ( $\Gamma_i/\Gamma$ )	Scale factor/ Confidence level
	<b>Charged modes</b>	<b>PDG 2022</b>
$\Gamma_{14}$ $\mu^+ \mu^-$	$(5.8 \pm 0.8) \times 10^{-6}$	
$\Gamma_{15}$ $2e^+ 2e^-$	$(2.40 \pm 0.22) \times 10^{-5}$	
$\Gamma_{16}$ $\pi^+ \pi^- e^+ e^- (\gamma)$	$(2.68 \pm 0.11) \times 10^{-4}$	
$\Gamma_{17}$ $e^+ e^- \mu^+ \mu^-$	$< 1.6 \times 10^{-4}$	CL=90%
$\Gamma_{18}$ $2\mu^+ 2\mu^-$	$< 3.6 \times 10^{-4}$	CL=90%



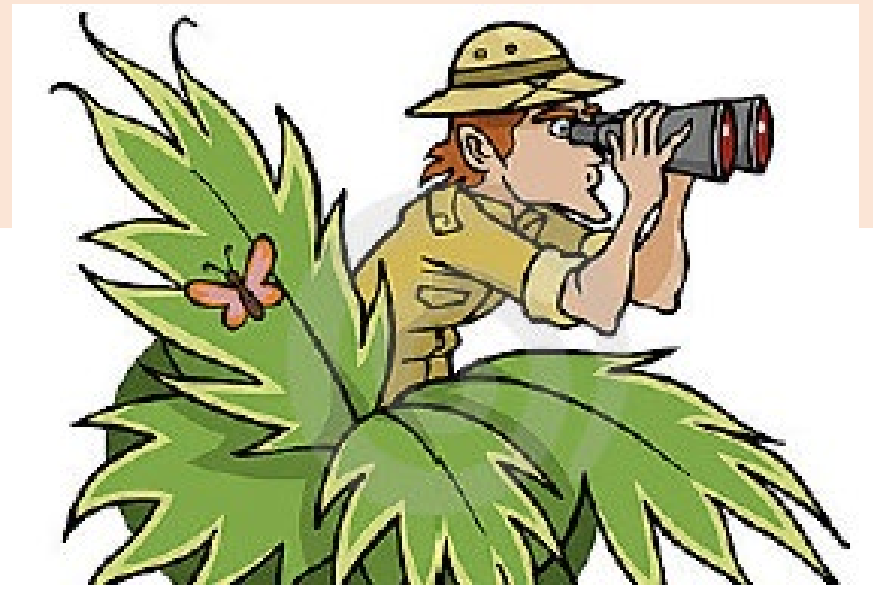
- Precision measurements of radiative decays and transitions of  $\pi^0, \eta, \eta'$  mesons provide inputs necessary to characterize many processes. The key quantities for these processes are the **Transition Form Factors (TFFs)**.
- The TFFs affect the quantum corrections to  $(g - 2)_\mu$ , the anomalous magnetic moment of the muon.
- These mesons contribute to the hadronic light-by-light-scattering in  $(g - 2)_\mu$ 
  - Shown diagrammatically in figure, where the TFFs enter via the red vertices.



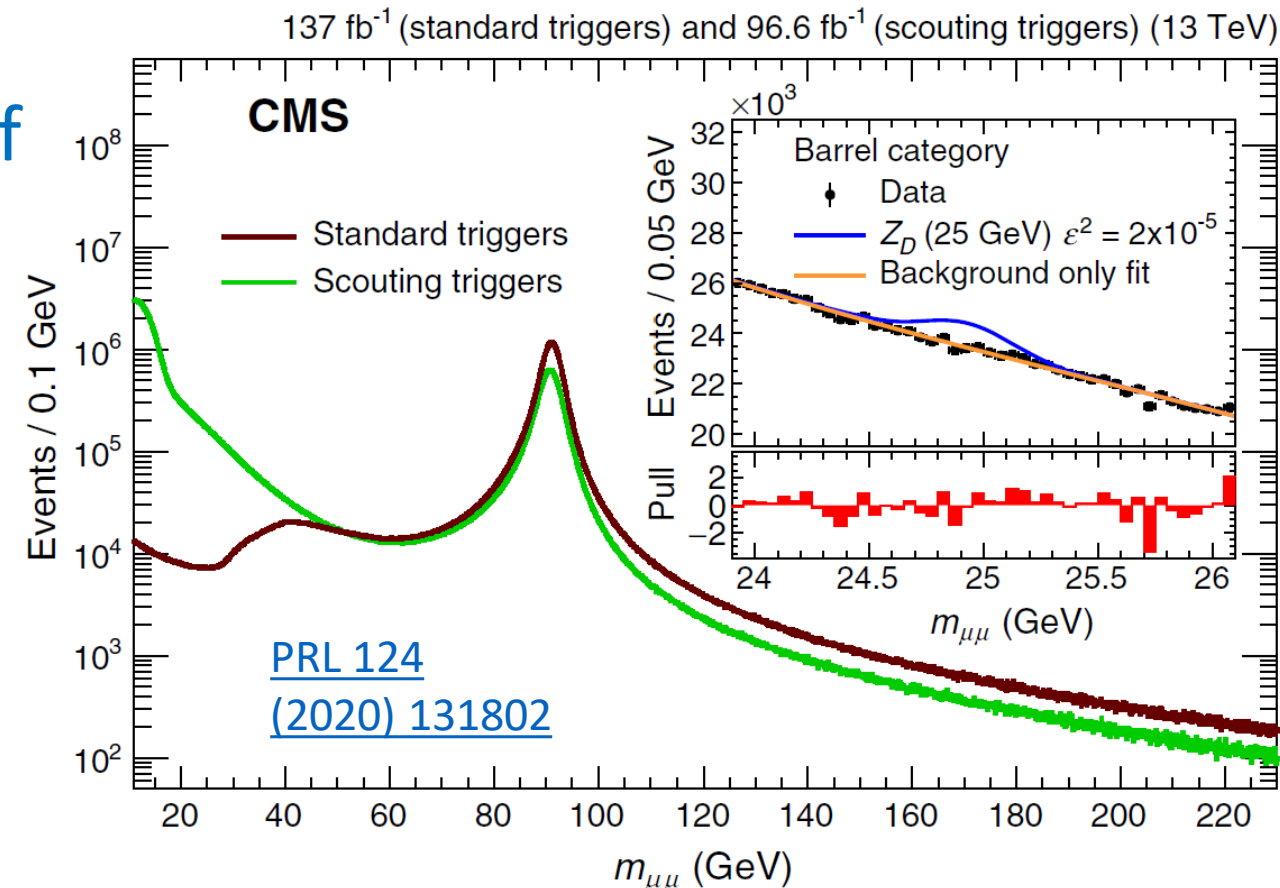
# Datasets and triggers

- Data collected with a double muon trigger ( $\int \mathcal{L} dt = 101 \text{ fb}^{-1}$ ) in 2017 and 2018 at  $\sqrt{s} = 13 \text{ TeV}$ 
  - HLT: DST\_DoubleMu3\_noVtx\_CaloScouting\_v\*
    - Two muons with  $p_T > 3 \text{ GeV}$
    - No mass cut (low mass resonances)
    - No vertex displacement cuts (efficient up to  $\sim 10 \text{ cm}$  displacement)
  - L1:
    - L1\_DoubleMu4p5er2p0\_SQ\_OS\_Mass7to18
    - L1\_DoubleMu\_15\_7
    - L1\_DoubleMu4(p5)\_SQ\_OS\_dR\_Max1p2 in 2017 (2018)
    - L1\_DoubleMu0er1p5\_SQ\_OS\_dR\_Max1p4
- The data are saved in **scouting datasets**, i.e. only HLT objects are retained

# Scouting @ CMS



- The maximum event rate collected by CMS ( $\sim 1$  kHz) is defined by the total rate of data that can be transferred and stored (and processed) by CMS, not the actual number of events.
- The technique of data scouting consists of reducing the amount of information stored per event in exchange for a higher event rate
  - E.g: store only the calo jets, muons and vertices reconstructed during High Level Trigger online processing. NO raw data from CMS detector  $\Rightarrow$  no offline reconstruction



# Scouting in this analysis

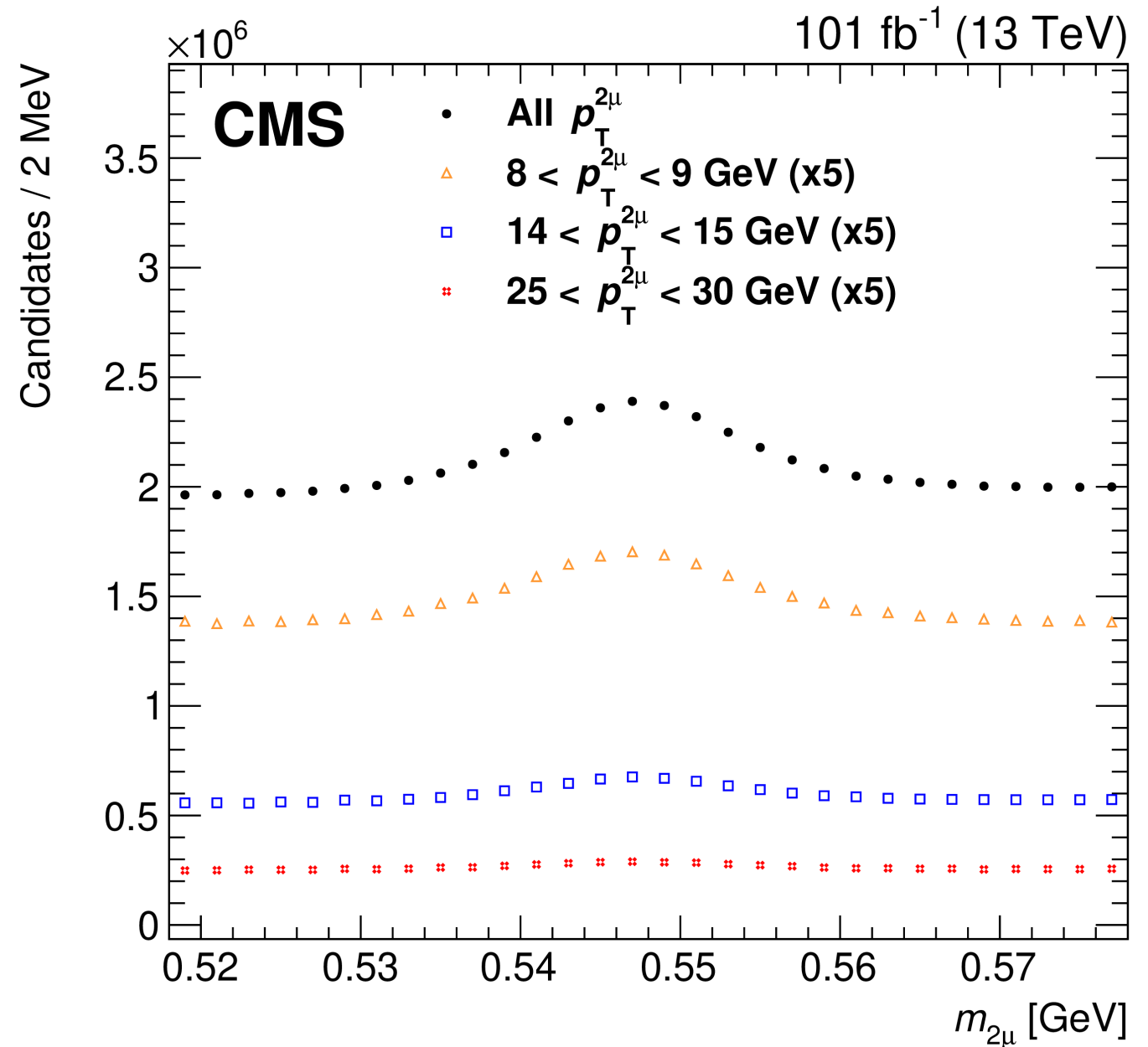
- By reducing the event size by a factor of roughly 1000, very low-pT muon triggers reaching close to  $m_{\mu\mu} \gtrsim 0.2 \text{ GeV}$  can be designed that still remain within a reasonable rate of around 3 kHz
  - Event size is about 1.5 kB
- The main objects used for this analysis are the ScoutingMuon and ScoutingVertex HLT collections

Further event selections require:

- 4 (or 2) muons with  $p_T > 3 \text{ GeV}$  ( $p_T > 3.5 \text{ GeV}$  in the barrel) and  $|\eta| < 2.4$ .
- muons must be associated w/ a reconstructed vertex which is  $< 1 \text{ cm}$  from the beam spot in the  $xy$  plane

# $\eta$ production at the LHC

- The  $\eta$  meson is copiously produced in pp scattering at the LHC
- Clearly visible peak in the  $\mu\mu$  invariant mass spectrum in scouting dataset
- Fitting gives about **4.5M  $\eta \rightarrow \mu\mu$**  in this dataset
- Assuming a (pdg)  $B(\eta \rightarrow \mu\mu) = 5.8(0.8) \times 10^{-6}$  this implies there are a lot of  $\eta$ s produced in CMS ( $\sim 10^{12}$ )
- $B^{theory}(\eta \rightarrow \mu\mu\mu\mu) \sim 4 \times 10^{-9} \rightarrow$  it should be in the reach of CMS



# Analysis strategy

The goal is to measure the

$$BR(\eta \rightarrow 4\mu) := B_{4\mu}$$

The relation btw the number of  $\eta \rightarrow 4\mu$  events observed,  $N_{4\mu}$ , and  $B_{4\mu}$  is

$$N_{4\mu} = \int \mathcal{L} dt \cdot \sigma_{pp \rightarrow \eta} \cdot B_{4\mu} \cdot A_{4\mu}$$

Where:

- $\int \mathcal{L} dt \cdot \sigma_{pp \rightarrow \eta}$  is the total number of  $\eta$ s produced in CMS
- $A_{4\mu}$  is the CMS acceptance to  $\eta \rightarrow 4\mu$

# Analysis strategy

Using a reference channel  $\eta \rightarrow 2\mu$  to measure  $B_{4\mu}$  removes the need to measure  $\int \mathcal{L} dt \cdot \sigma_{pp \rightarrow \eta}$  and reduces the uncertainties on  $A_{4\mu}$ . Binning in  $p_T$  and  $|y|$  of the reconstructed meson:

$$N_{4\mu} = \sum_{i,j} N_{4\mu}^{i,j} = \int \mathcal{L} dt \cdot \sigma_{pp \rightarrow \eta} \cdot B_{4\mu} \cdot \sum_{i,j} A_{4\mu}^{i,j}$$

$$N_{2\mu} = \sum_{i,j} N_{2\mu}^{i,j} = \int \mathcal{L} dt \cdot \sigma_{pp \rightarrow \eta} \cdot B_{2\mu} \cdot \sum_{i,j} A_{2\mu}^{i,j}$$

- Taking the ratio bin-by-bin and summing over the bins

$$N_{4\mu}^{i,j} = N_{2\mu}^{i,j} \cdot \frac{B_{4\mu}}{B_{2\mu}} \cdot \frac{A_{4\mu}^{i,j}}{A_{2\mu}^{i,j}} \Rightarrow B_{4\mu} = \underbrace{B_{2\mu}}_{\text{Experimental BR from PDG}} \cdot \frac{N_{4\mu}}{\sum_{i,j} N_{2\mu}^{i,j} \frac{A_{4\mu}^{i,j}}{A_{2\mu}^{i,j}}}$$

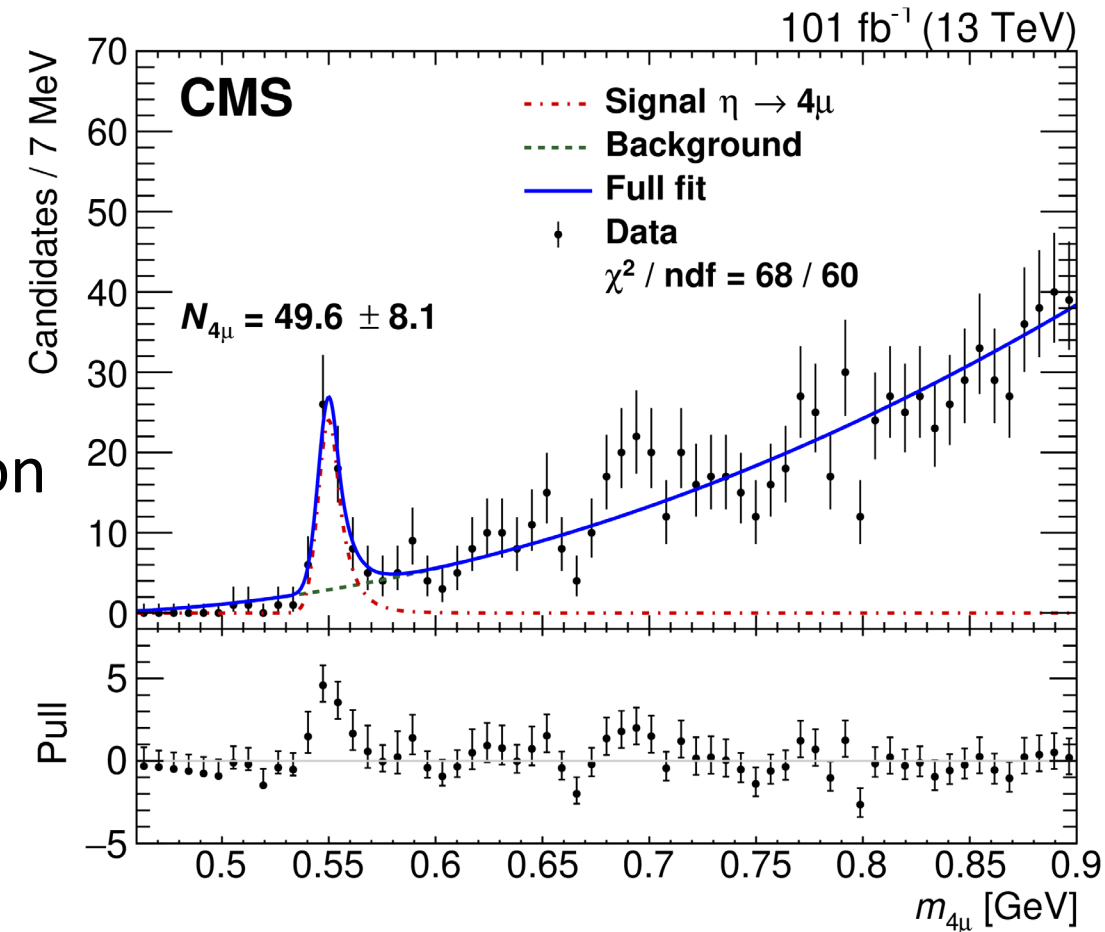
$\eta \rightarrow 4\mu$  in scouting data ( $101 \text{ fb}^{-1}$ )  
 $\eta \rightarrow 2\mu$  in scouting data ( $101 \text{ fb}^{-1}$ )  
 CMS acceptance to  $\eta \rightarrow 4\mu$  in  $p_T$  and  $|y|$  bins)  
 CMS acceptance to  $\eta \rightarrow 2\mu$  in  $p_T$  and  $|y|$  bins)



# Extracting $N_{4\mu}$ signal

$$B_{2\mu} \frac{N_{4\mu}}{\sum_{i,j} N_{2\mu}^{i,j} \frac{A_{4\mu}^{i,j}}{A_{2\mu}^{i,j}}}$$

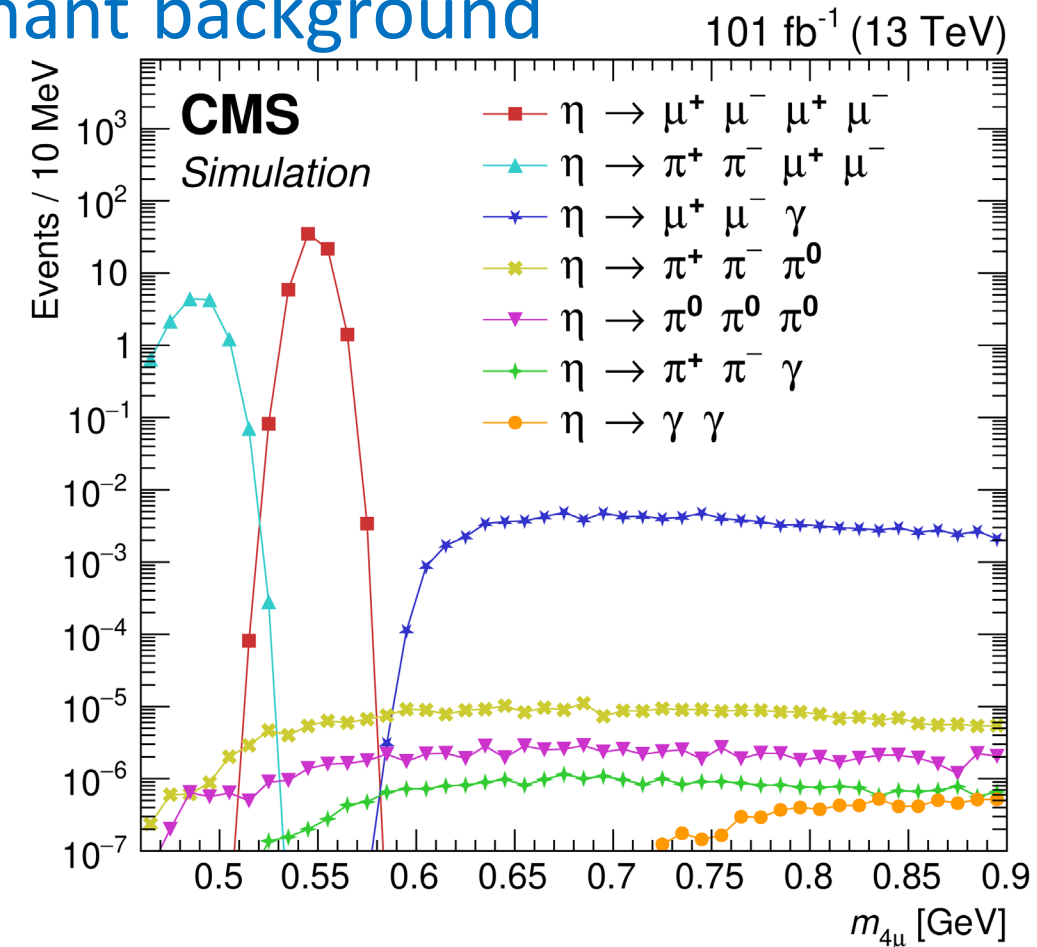
- After applying the 4-muon selection a peak is clearly seen at  $m_{4\mu} \sim 0.55 \text{ GeV}$ 
  - Require all 4 muons to be compatible with production at the beam spot and have  $\sum_{i=1}^4 q_{\mu_i} = 0$
- **Signal model:**
  - Crystal-Ball (CB) only (data); CB + Gaussian (MC)
  - all of the CB parameters except for the signal normalization are fixed from MC
- **Background model:**
  - $f(x) = \alpha(x - 4m_{\mu})^{\beta}$  (data)



# $N_{4\mu}$ : Resonant backgrounds

Potential sources of peaking backgrounds might affect the estimation of  $N_{4\mu}$ . They consist of other  $\eta$  decay modes with  $\pi \rightarrow \mu$  misidentification,  $\gamma \rightarrow \mu\mu$  conversion. Studies of these modes with simplified MC simulations indicate that other  $\eta$  decay modes are **not** sources of resonant background.

1.  $\eta \rightarrow \pi\pi\mu\mu$ : Largest potential contribution but has never been measured. Assumed  $B = 1.6 \times 10^{-4}$ , the experimental UL. Theoretical prediction is  $7.5 \times 10^{-9}$ . Plus,  $\pi \rightarrow \mu$  mis-ID shifts the peak down considerably.
2.  $\eta \rightarrow \mu\mu\gamma$ : Has been observed with  $B = 3.1 \times 10^{-4}$ , but  $\gamma \rightarrow 2\mu$  conversion near nucleus imparts momentum to the dimuon and increases  $m_{4\mu}$  overall.
3.  $\eta \rightarrow \pi^+\pi^-\pi^0$ : Needs conversion plus two mis-IDs, with probability  $\sim 10^{-13}$ . Falls inside the signal region, but tiny contribution.

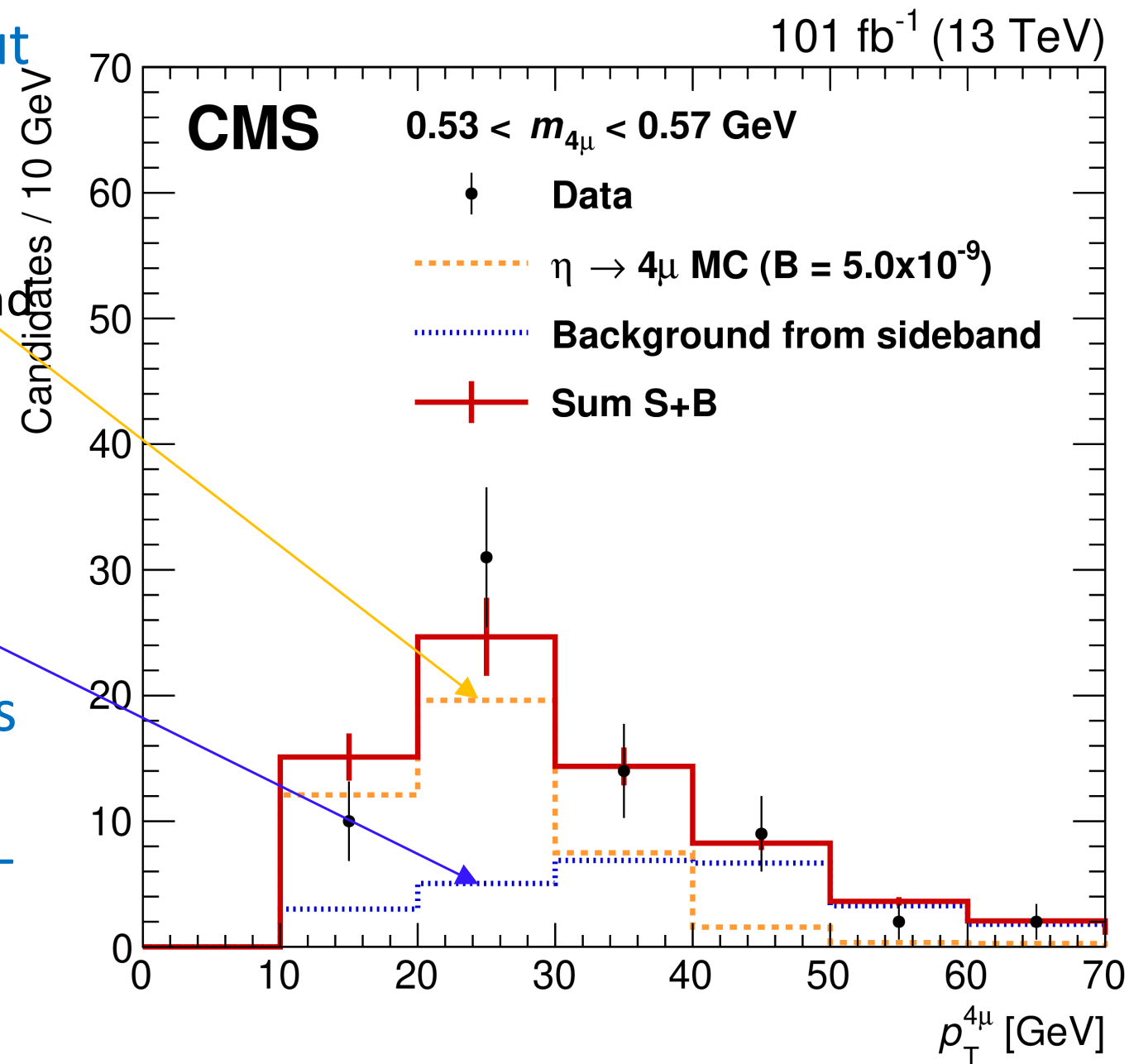


# $N_{4\mu}$ : Non resonant backgrounds

A continuous background contributes about  $\frac{1}{4}$  of events in signal window

- $p_T^{4\mu}$  spectrum has distinct peak in **signal** vs. **sideband** window
- Inverting net charge cut reveals this background to be combinatorial
- Predicted  $p_T^{4\mu}$  background shape extracted from the mass sideband, normalized to the background fit yield (dotted blue line)
- Sum of signal and background predictions (solid red line).

No indication of systematic issues with MC-estimated acceptance across the  $p_T$  range



# Measuring $N_{2\mu}^{i,j}$

$$B_{2\mu} \frac{N_{4\mu}}{\sum_{i,j} N_{2\mu}^{i,j} \frac{A_{4\mu}^{i,j}}{A_{2\mu}^{i,j}}}$$

Defined 32 bins in  $p_T$  in the range 7 – 70 *GeV* and 2 bins in  $|y|$

For each  $p_T$  and  $|y|$  slice,  $m_{2\mu}$  spectrum is fit with:

- Signal: double-Gaussian with common mean and different sigma at low- $p_T$ , single Gaussian at higher  $p_T$
- Background: Chebyshev polynomials

# Signal MC simulation for $A_{4\mu}^{i,j}$ and $A_{2\mu}^{i,j}$

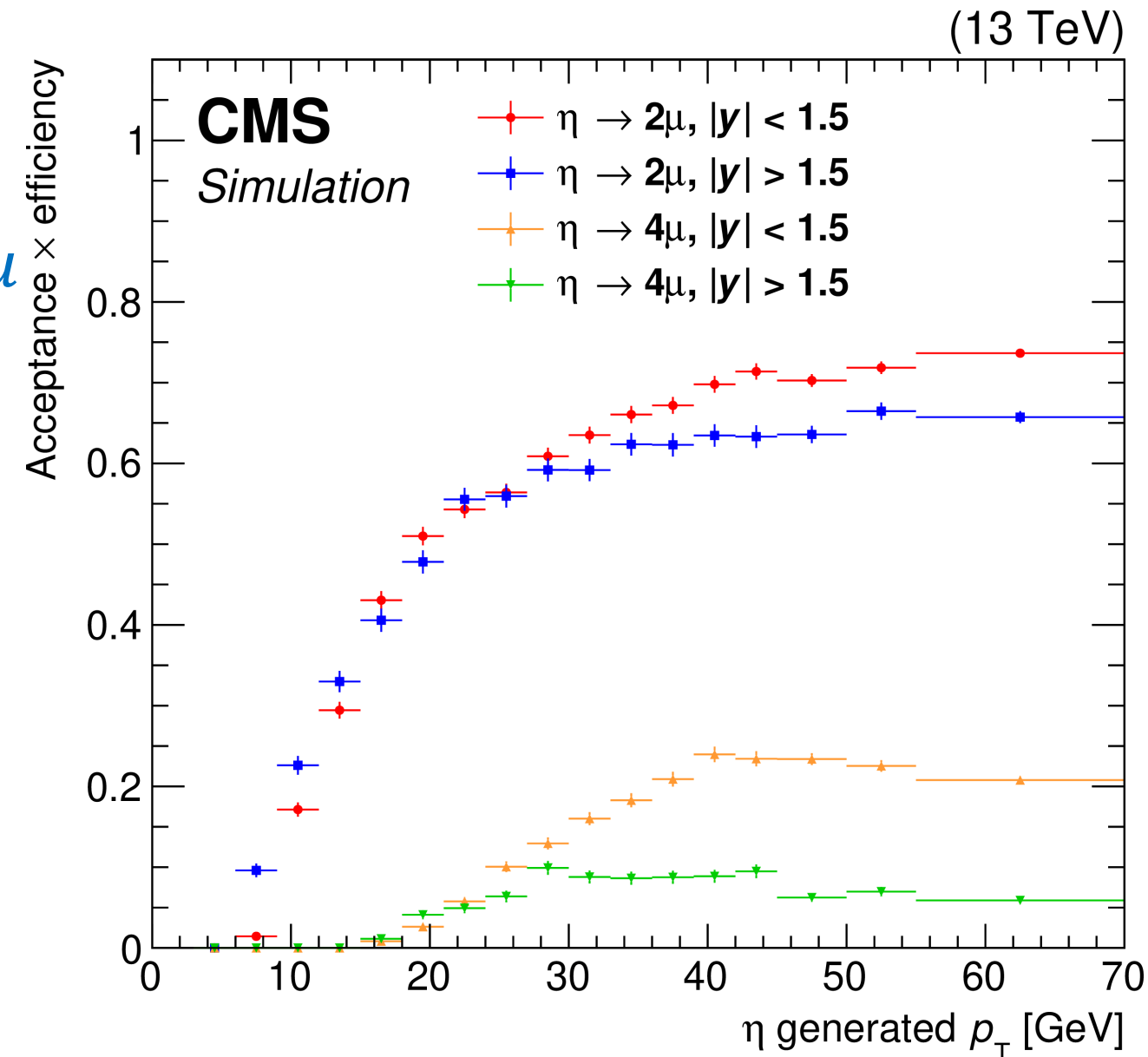
Simulated samples of rare  $\eta$  decays are generated at leading order with a custom workflow.

- **Generator:** PLUTO V6 to simulate the two- and four-muon decays of the  $\eta$  meson in its rest frame (vector meson dominance model). Subsequently, the  $\eta$  meson and its decay products are boosted to the laboratory frame
- **fragmentation, parton shower, and hadronization:** PYTHIA 8.230
- **Simulation in CMS:** GEANT4

# $A_{4\mu}^{i,j}$ and $A_{2\mu}^{i,j}$ acceptances

$$B_{2\mu} = \frac{N_{4\mu}}{\sum_{i,j} N_{2\mu}^{i,j} \frac{A_{4\mu}^{i,j}}{A_{2\mu}^{i,j}}}$$

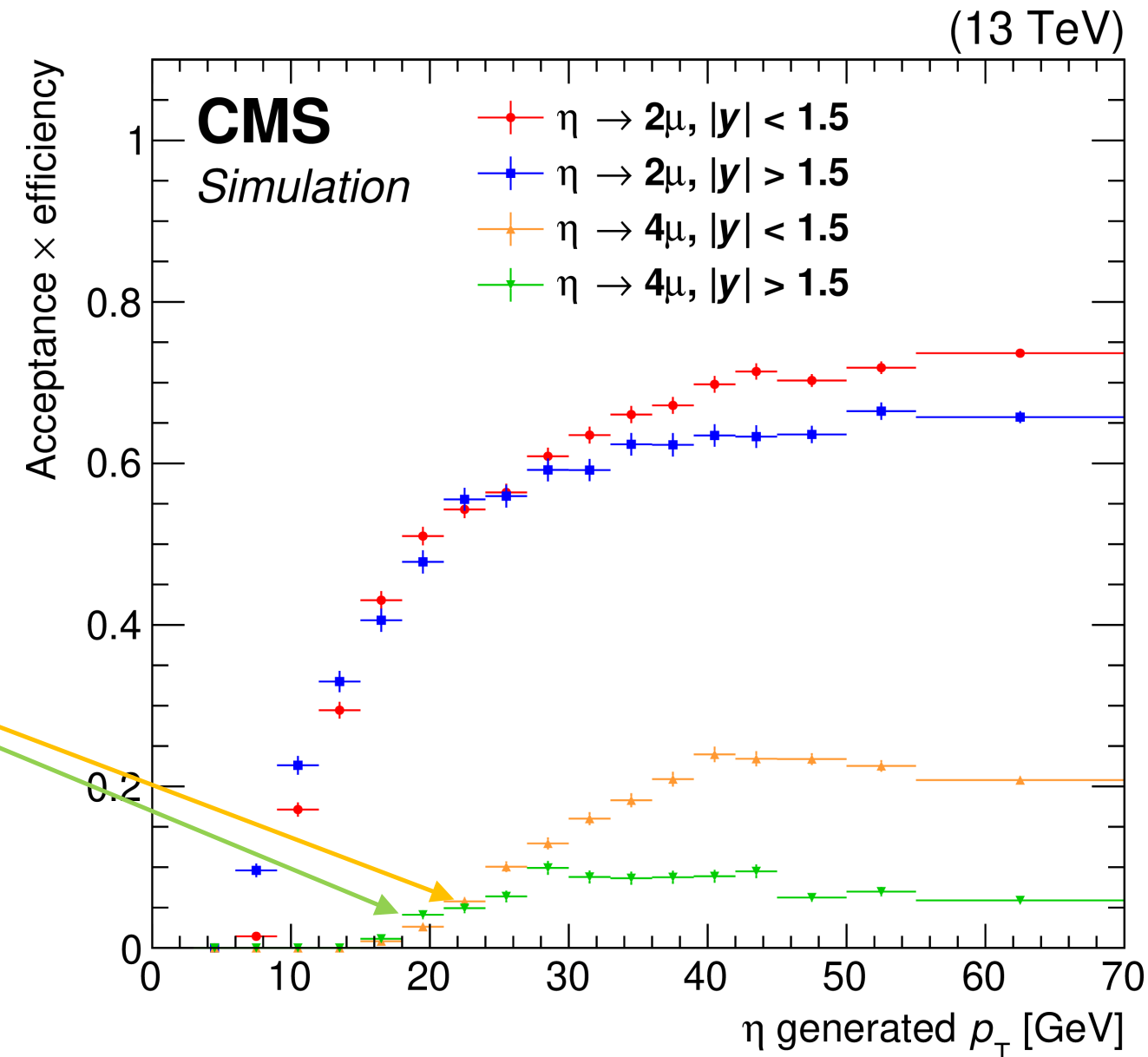
Simulated samples of  $\eta \rightarrow 4\mu$  and  $\eta \rightarrow 2\mu$  events are used to evaluate the total signal efficiencies  $A_{4\mu}^{i,j}$  and  $A_{2\mu}^{i,j}$ , given by the product of **detector geometric acceptance and reconstruction and selection efficiencies**, as functions of  $p_T$  for two rapidity regions:  $|y| < 1.5$  and  $1.5 < |y| < 2.4$ .



# $A_{4\mu}^{i,j}$ and $A_{2\mu}^{i,j}$ acceptances

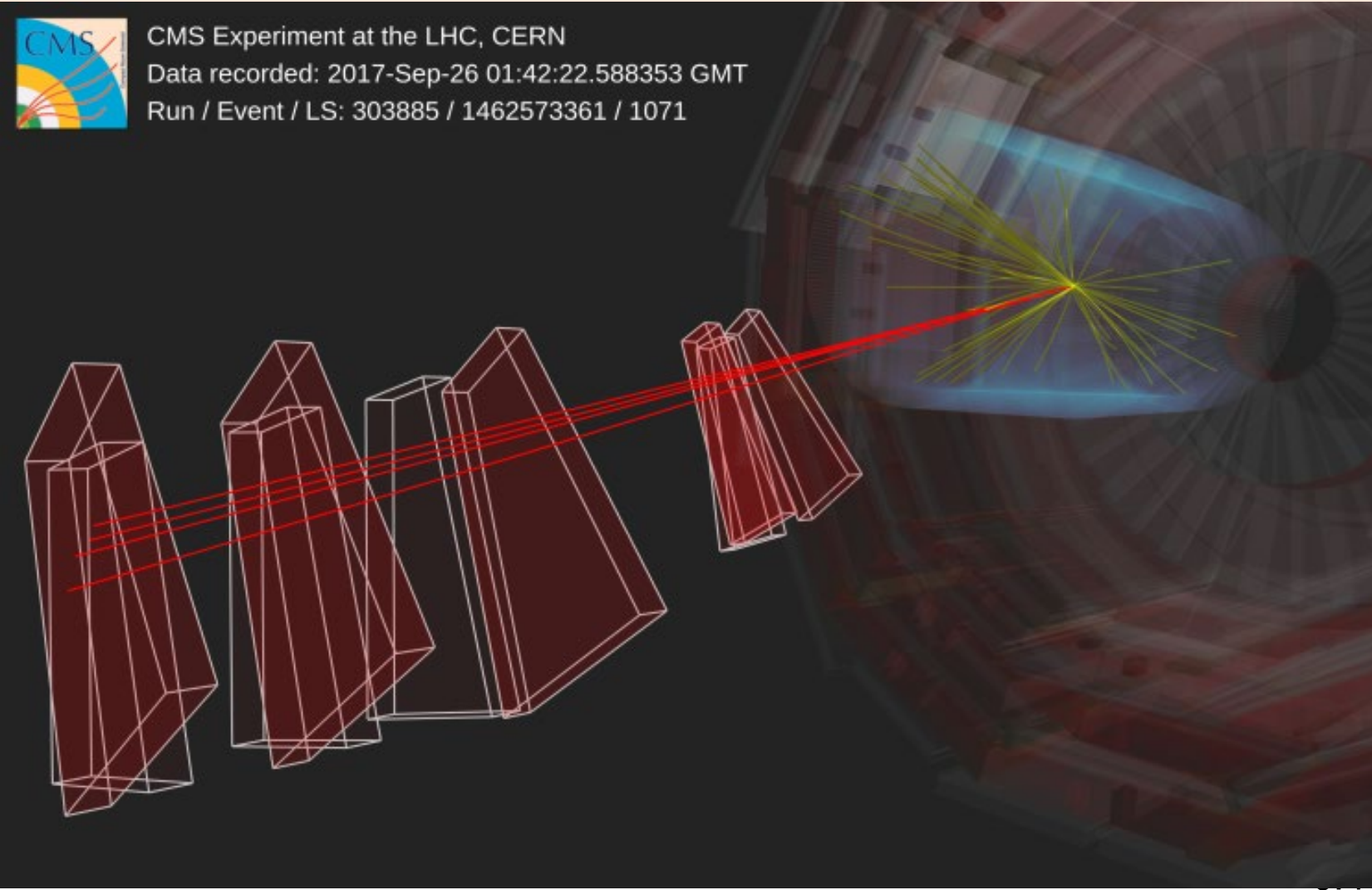
$A_{2\mu}^{i,j}$  is limited by the trigger efficiency, reaching a plateau of about 70%.

- $A_{4\mu}^{i,j}$  has a maximum value of about 25%/10% ( $|y| < 1.5/|y| > 1.5$ ).
- The low- $p_T$  behavior is correlated to the minimum  $p_T$  of about 3.5 GeV required for a muon in the central region to reach the muon detectors.
- The high- $p_T^{4\mu}$  drop off comes from the difficulty of reconstructing four muons with very small angular separation, owing to the boost of the parent  $\eta$  meson.





# ptances

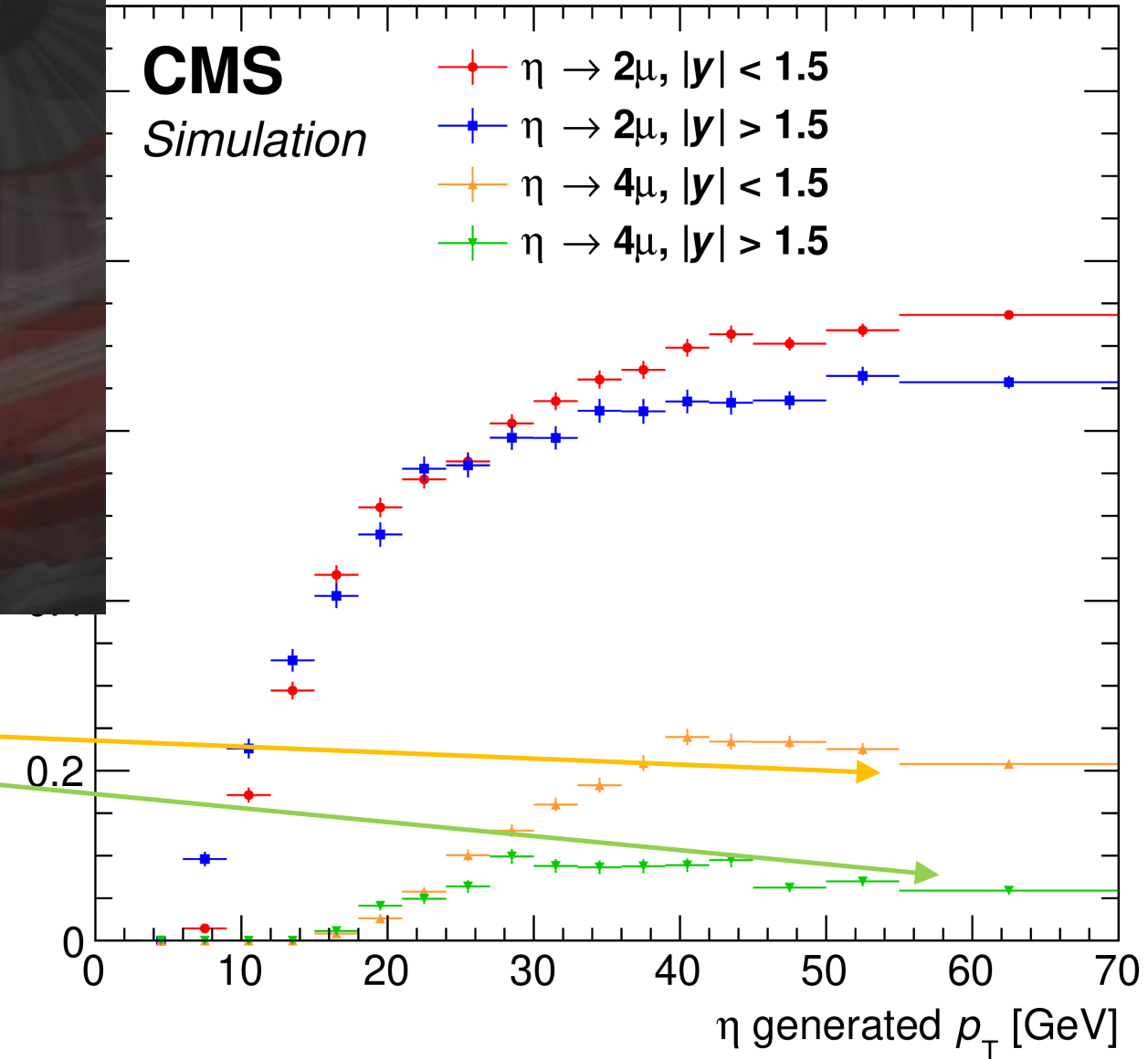


(13 TeV)

**CMS**

*Simulation*

- +  $\eta \rightarrow 2\mu, |y| < 1.5$
- +  $\eta \rightarrow 2\mu, |y| > 1.5$
- +  $\eta \rightarrow 4\mu, |y| < 1.5$
- +  $\eta \rightarrow 4\mu, |y| > 1.5$



- The high- $p_T^{4\mu}$  drop off comes from the difficulty of reconstructing four muons with very small angular separation, owing to the boost of the parent  $\eta$  meson.



# Analysis uncertainties

$$B_{2\mu} \frac{N_{4\mu}}{\sum_{i,j} N_{2\mu}^{i,j} \frac{A_{4\mu}^{i,j}}{A_{2\mu}^{i,j}}}$$

- $B_{2\mu}$ : 14% from PDG
- $N_{4\mu}$ : 16% statistical from the signal fit
- $N_{2\mu}^{i,j}$ : negligible statistical uncertainty
- Uncertainties on  $A_{4\mu}^{i,j}$  and  $A_{2\mu}^{i,j}$ : arise from incomplete knowledge of the efficiencies evaluated by simulation.

# $A_{4\mu}^{i,j}$ and $A_{2\mu}^{i,j}$ systematic uncertainties

Systematic uncertainties on  $A_{4\mu}^{i,j}$  and  $A_{2\mu}^{i,j}$  can be subdivided into three parts:

1. on the track  $p_T$  threshold, 9.0%;
  2. on the trigger turn-on  $p_T$  threshold, 8.4%;
  3. on the efficiency plateau, 3.2%.
- Parts (1.) and (2.) are caused by imperfect modeling of the turn-on behavior of the single-muon reconstruction efficiency observed in data. They are estimated by varying the thresholds in simulation and measuring the corresponding variation of the relative  $N_{4\mu}$  yield.
  - The uncertainty on (3.) is determined by measuring the trigger efficiency in data with an unbiased sample of events collected with electron triggers.

# Other uncertainties

- A subdominant source of systematic uncertainty is attributed to the choice of fit model used to extract the signal yield in both  $\eta \rightarrow 4\mu$  and  $\eta \rightarrow 2\mu$  channels.
- This uncertainty is assessed by testing several alternative signal and background models, and determining the variation in signal yield, resulting in a value of 6.6%.
- Overall, we estimate the **total systematic uncertainty** in the measurement of the **ratio of branching fractions**

$$\frac{B_{4\mu}}{B_{2\mu}} = \frac{N_{4\mu}}{\sum_{i,j} N_{2\mu}^{i,j} \frac{A_{4\mu}^{i,j}}{A_{2\mu}^{i,j}}}$$

to be **14%**, adding all contributions in quadrature.

# Conclusions

- The branching fraction of the  $\eta \rightarrow 4\mu$  decay is measured relative to the  $\eta \rightarrow 2\mu$  decay, yielding a ratio of branching fractions of

$$\frac{B_{4\mu}}{B_{2\mu}} = [0.86 \pm 0.14(stat) \pm 0.12(syst)] \times 10^{-3}$$

- Using the world average branching fraction value for the normalization channel, the branching fraction of the four-muon decay channel is

$$B_{4\mu} = [5.0 \pm 0.8(stat) \pm 0.7(syst) \pm 0.7(B_{2\mu})] \times 10^{-9}$$

In agreement with the **theoretical prediction** of

$$B_{4\mu}^{th} = (3.98 \pm 0.15) \times 10^{-9}$$