



Filtered Dark Matter

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MJB, Joachim Kopp, Andrew Long

- Outline

- Motivation
- Model
- 1 - Cartoon
- 2 - Analytic approximation
- 3 - Numerical calculation
- Parameter space and constraints

- Motivation

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- We present a new mechanism which has a large viable parameter space and goes beyond the GK bound

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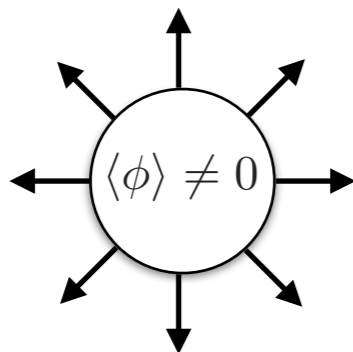
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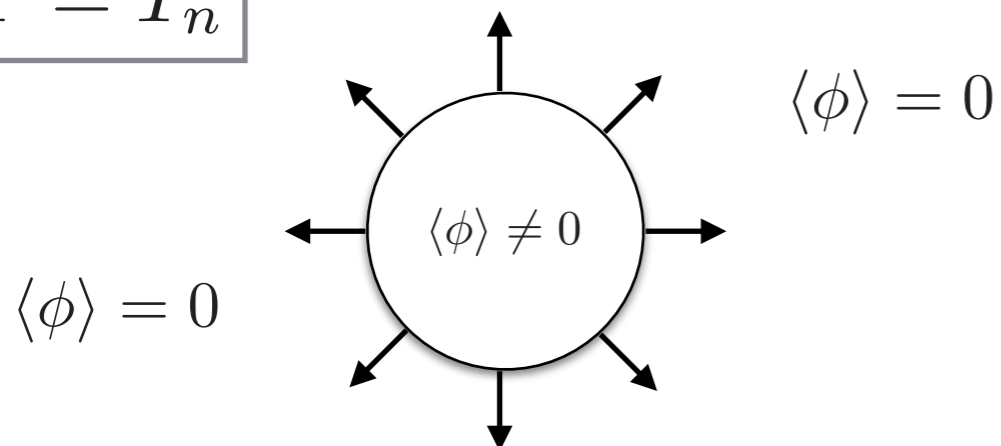
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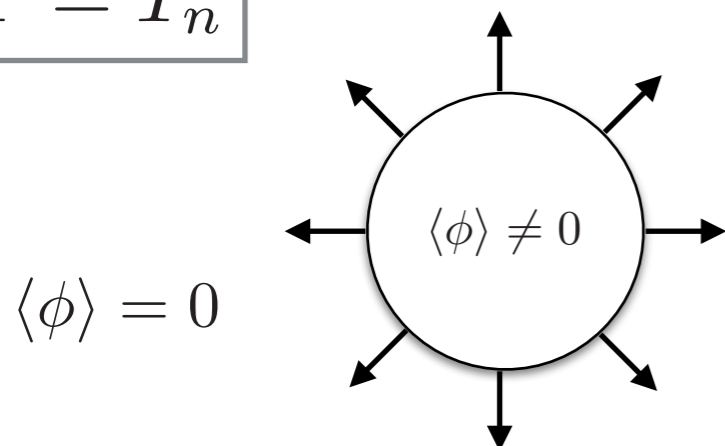
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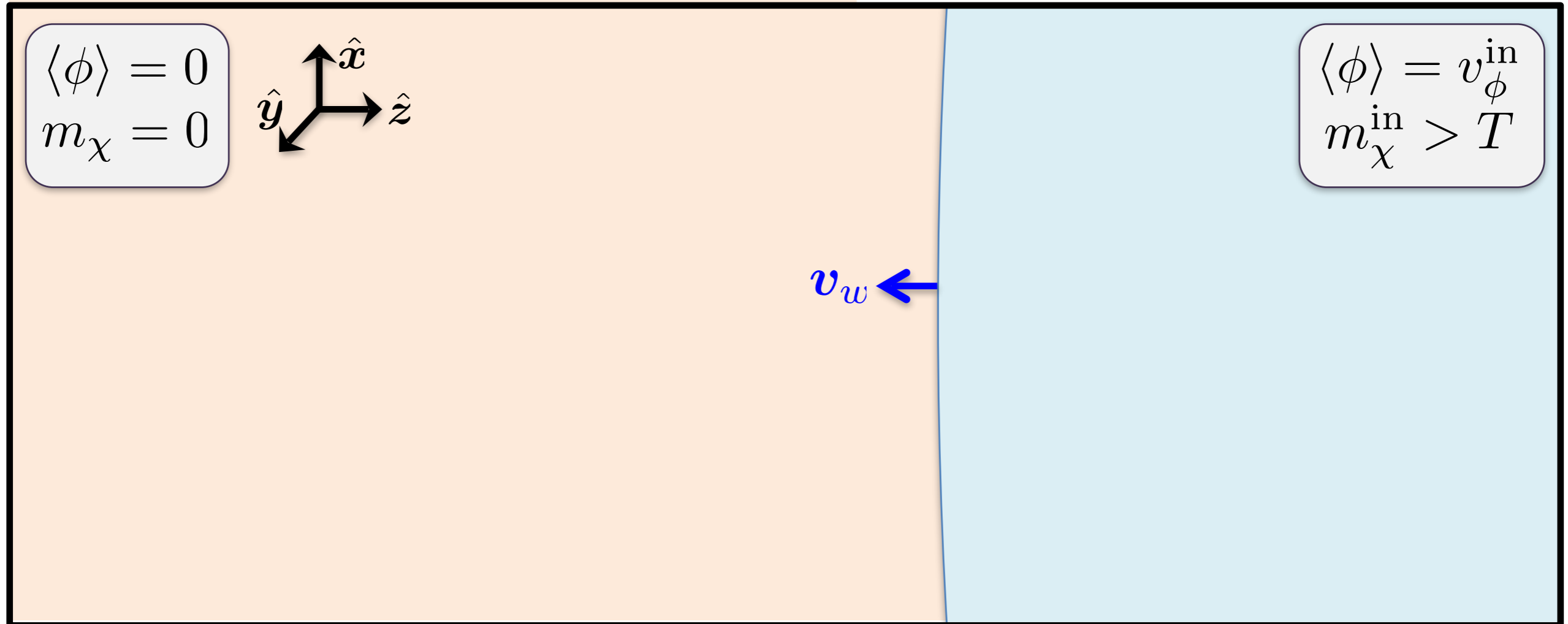
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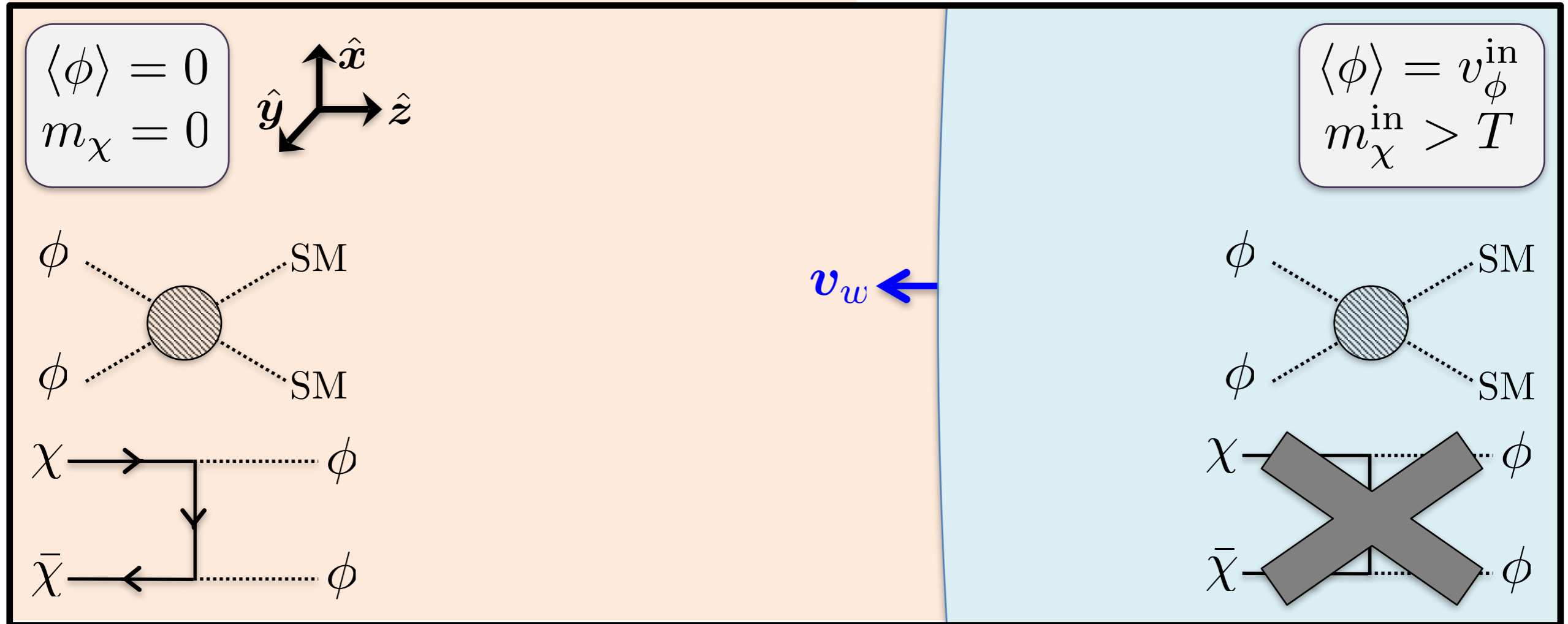
$$y_\chi \langle \phi \rangle = m_\chi^{\text{eff}}$$

Cartoon

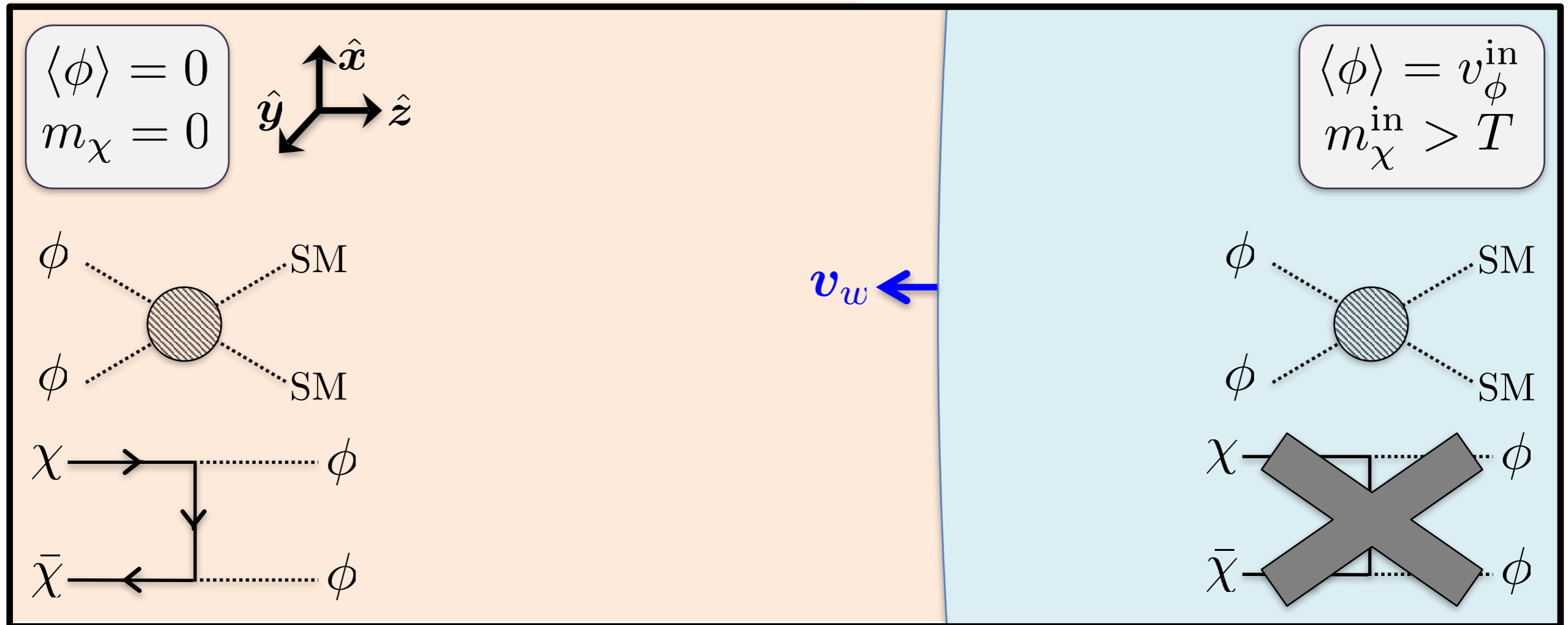
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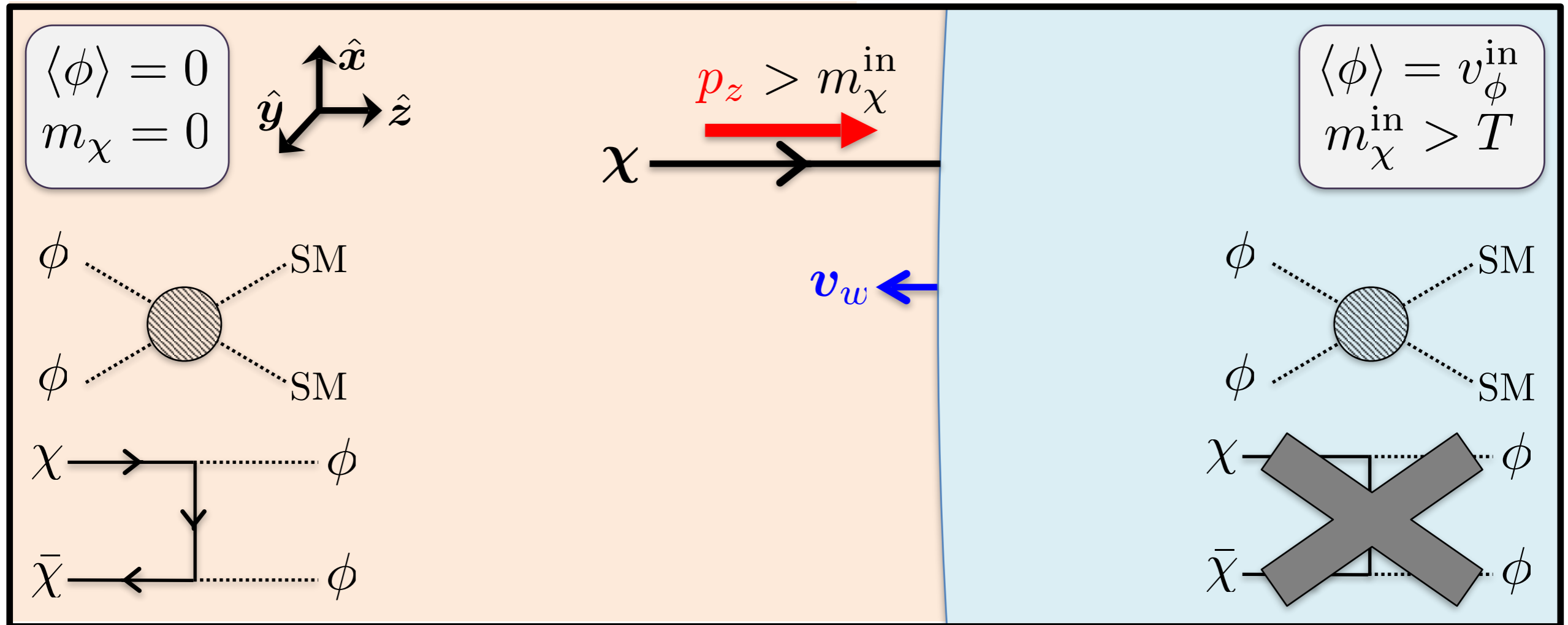


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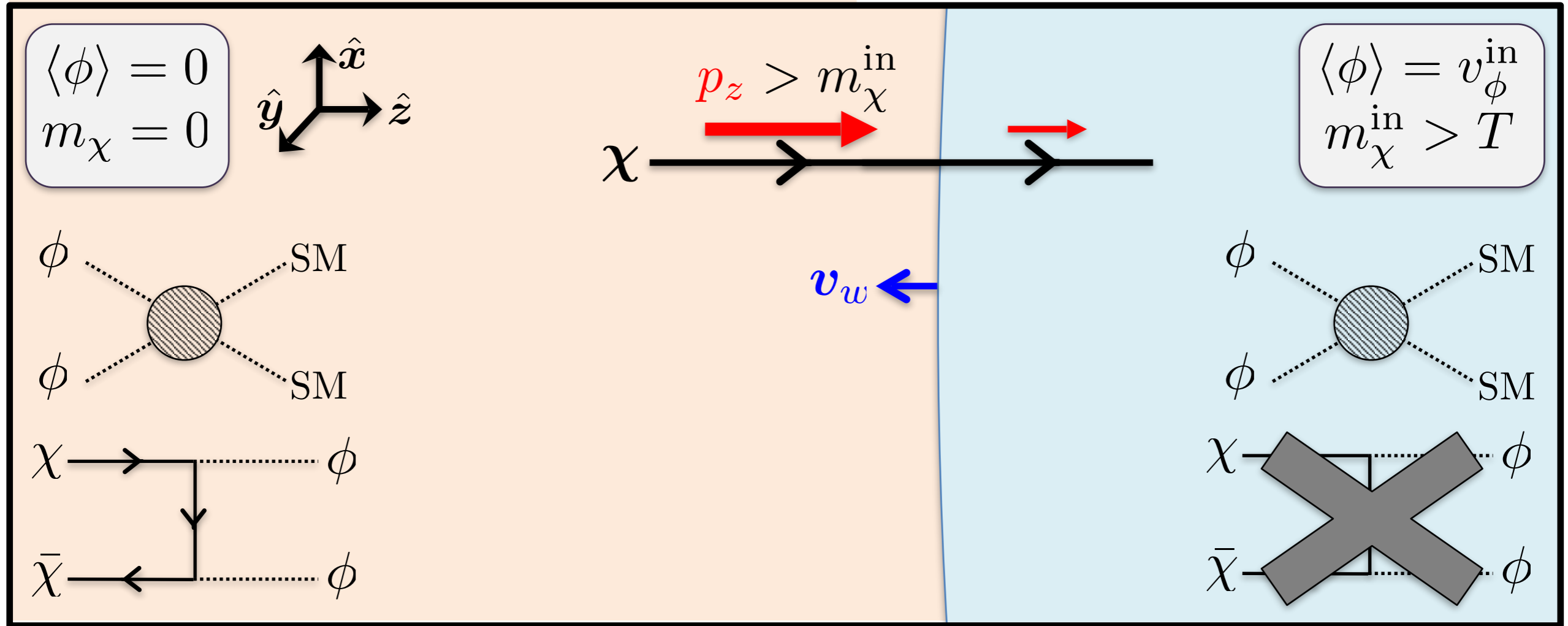
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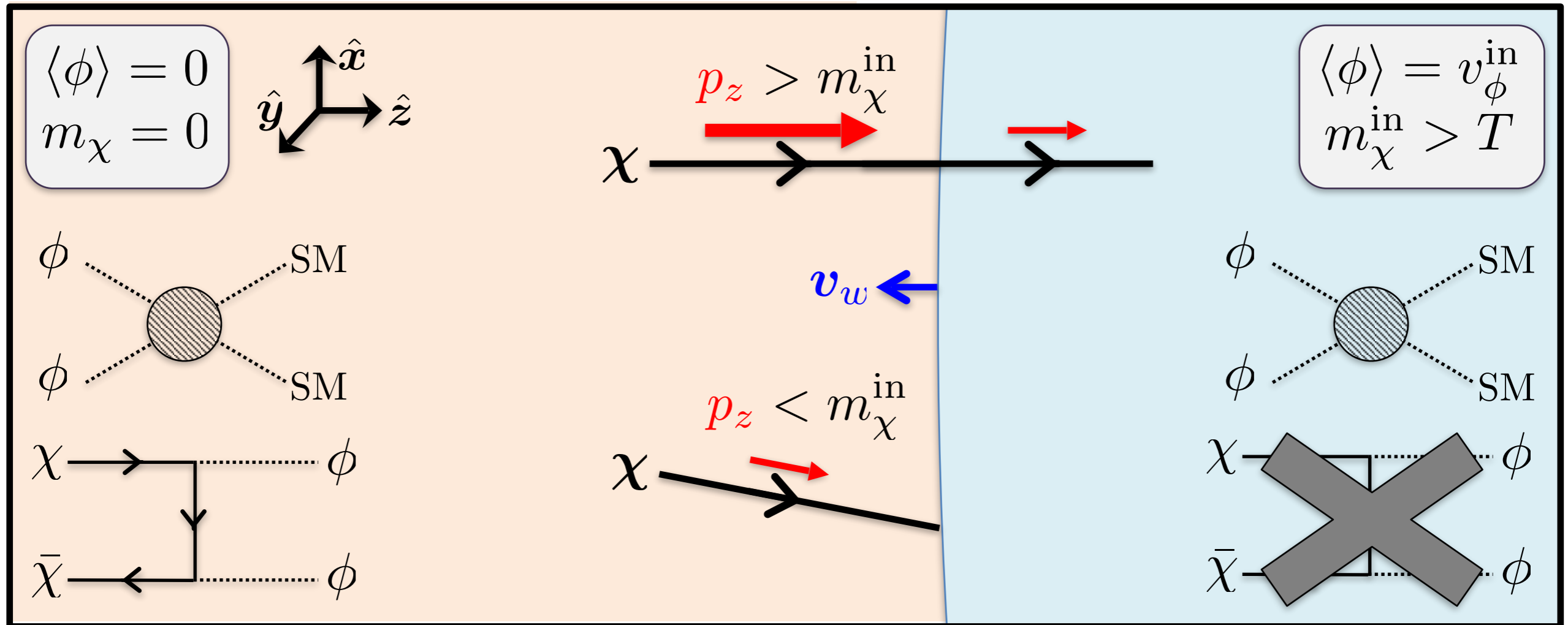
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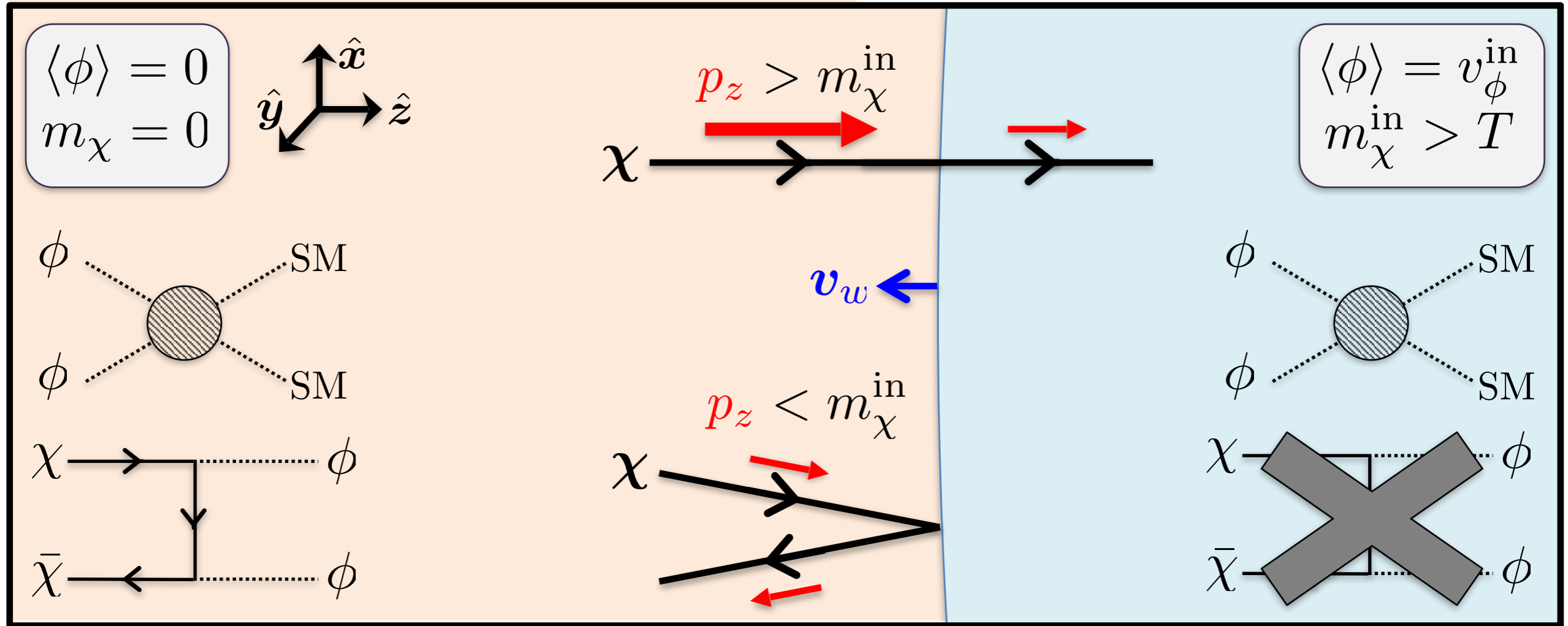
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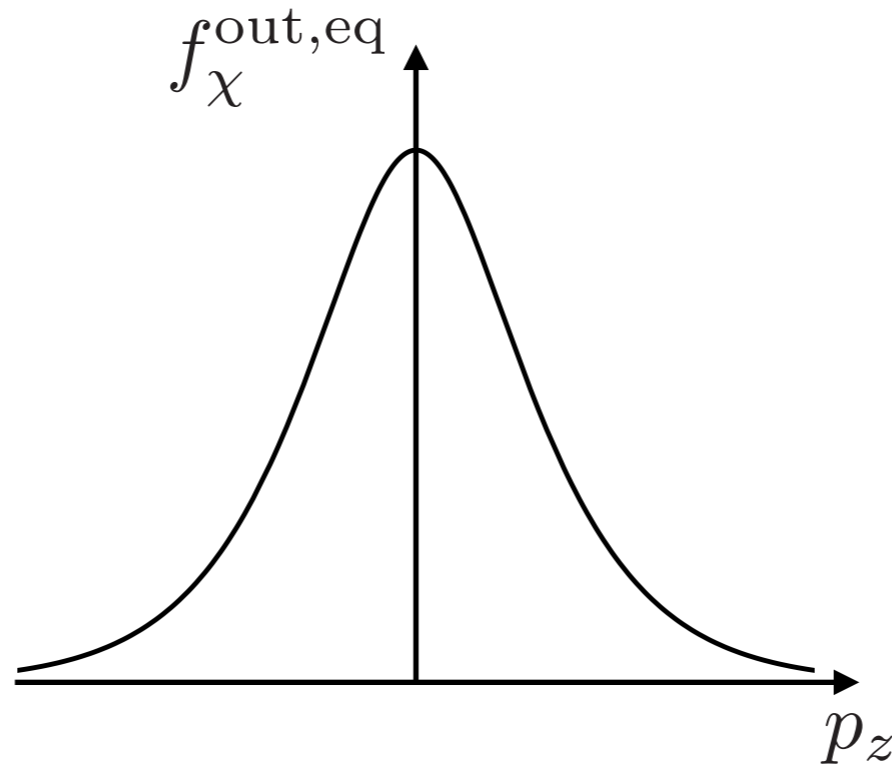
Only high momentum DM penetrate bubble, reduces abundance

Analytic Approximation

- 2 - Analytic Approximation

Find number of particles with $p_z > m_\chi^{\text{in}}$

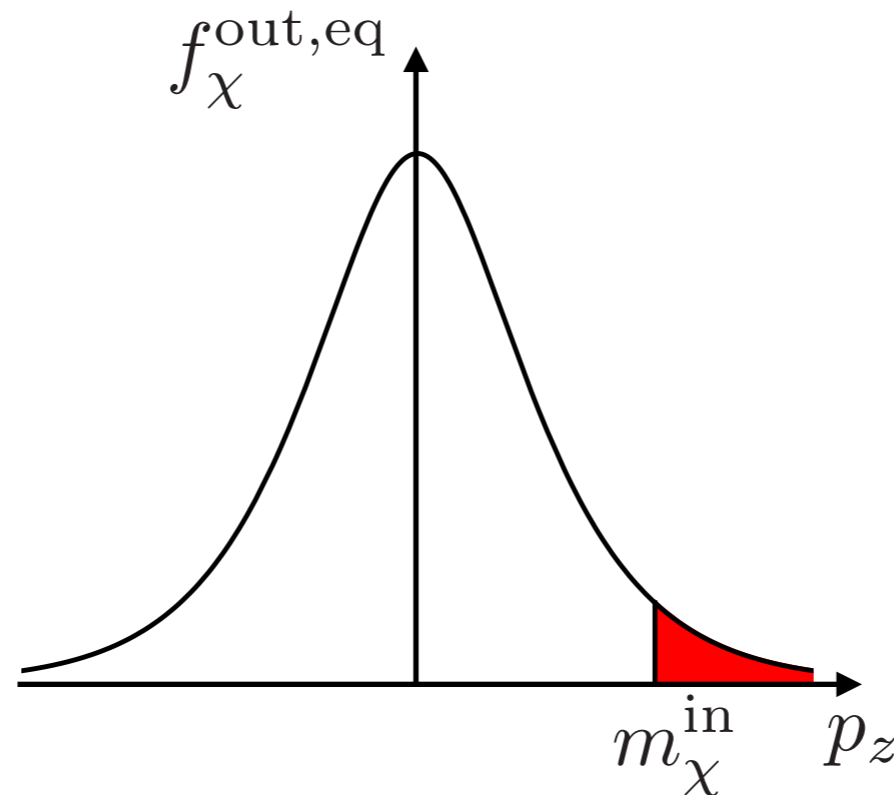
$$n_\chi^{\text{in}} \approx g_\chi \int \frac{d^3\vec{p}}{(2\pi)^3} \Theta(p_z - m_\chi^{\text{in}}) f_\chi^{\text{out,eq}}$$



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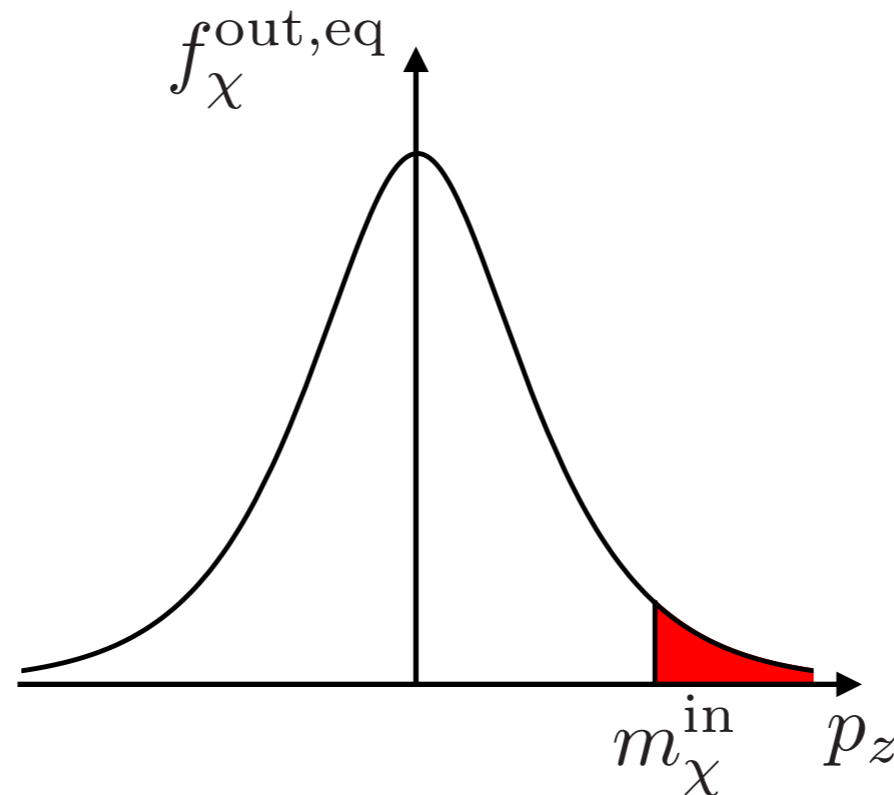
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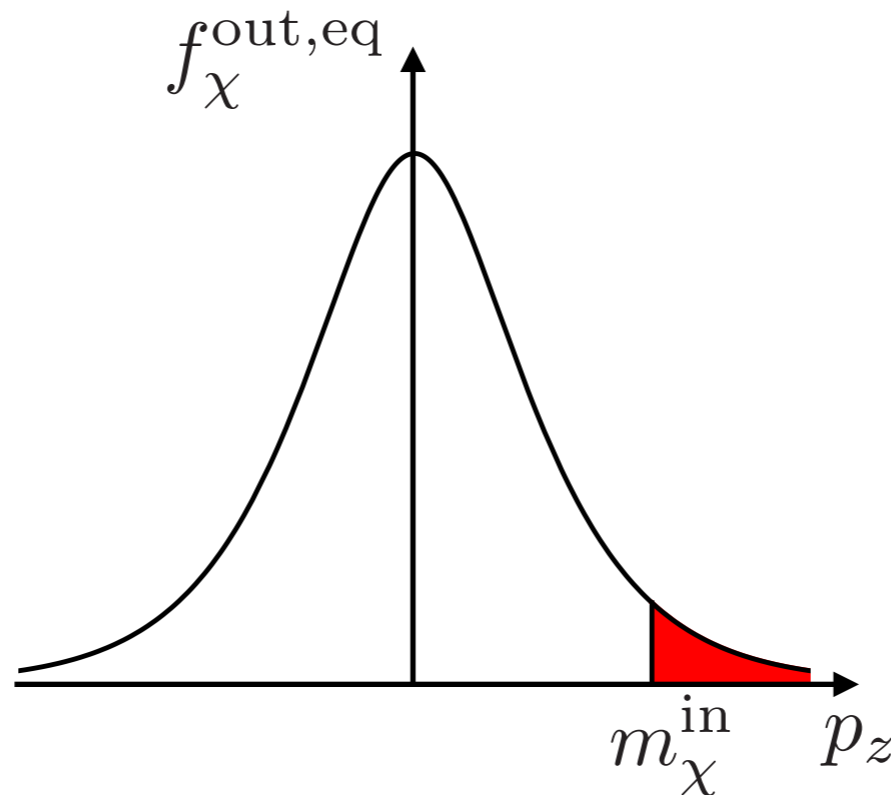
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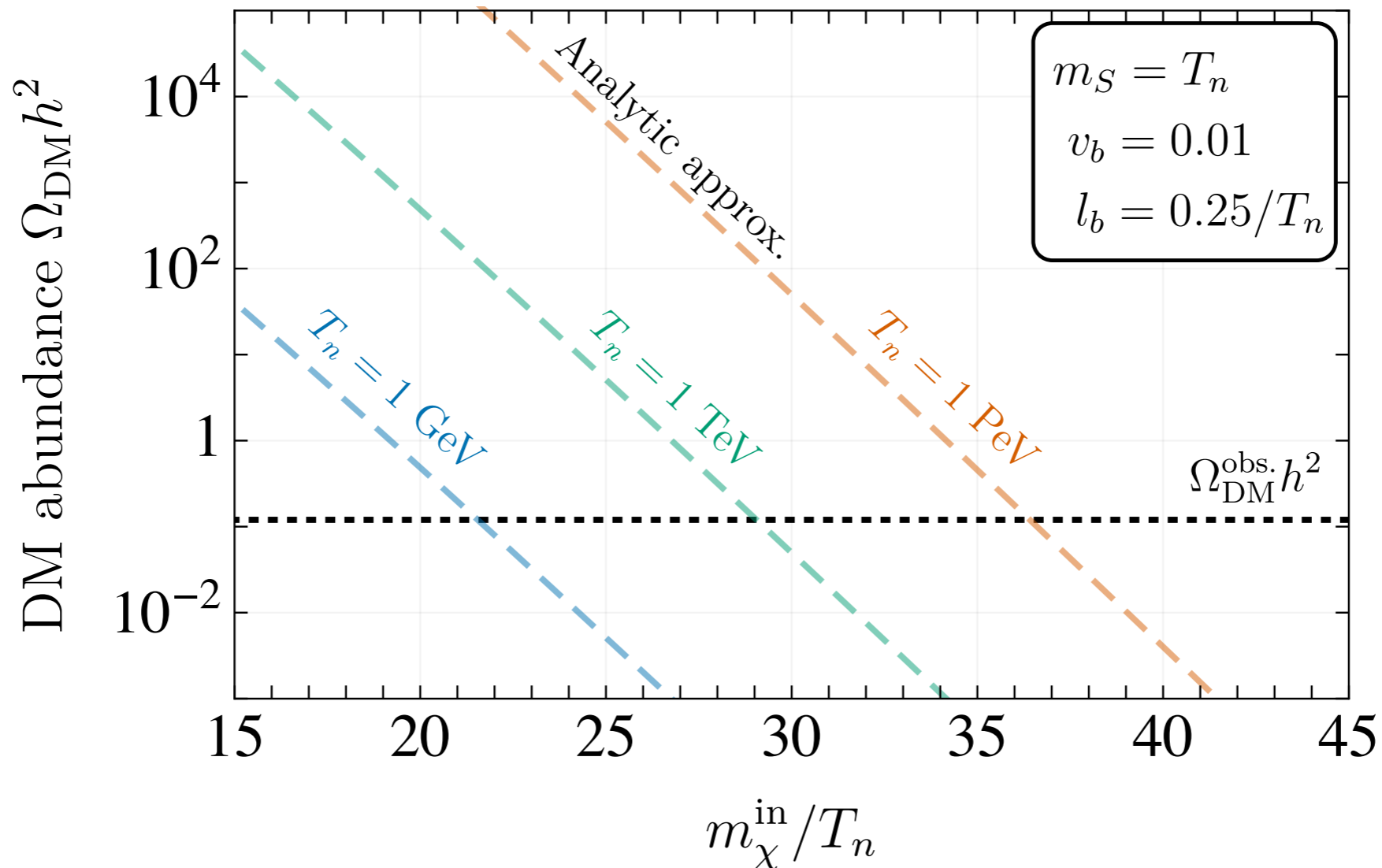
Approximate relic abundance

$$\Omega_{\text{DM}} h^2 \simeq 0.126 \left(\frac{T_n}{\text{TeV}} \right) \left(\frac{m_{\chi}^{\text{in}} / T_n}{29} \right)^2 \frac{e^{-m_{\chi}^{\text{in}} / T_n}}{e^{-29}}$$

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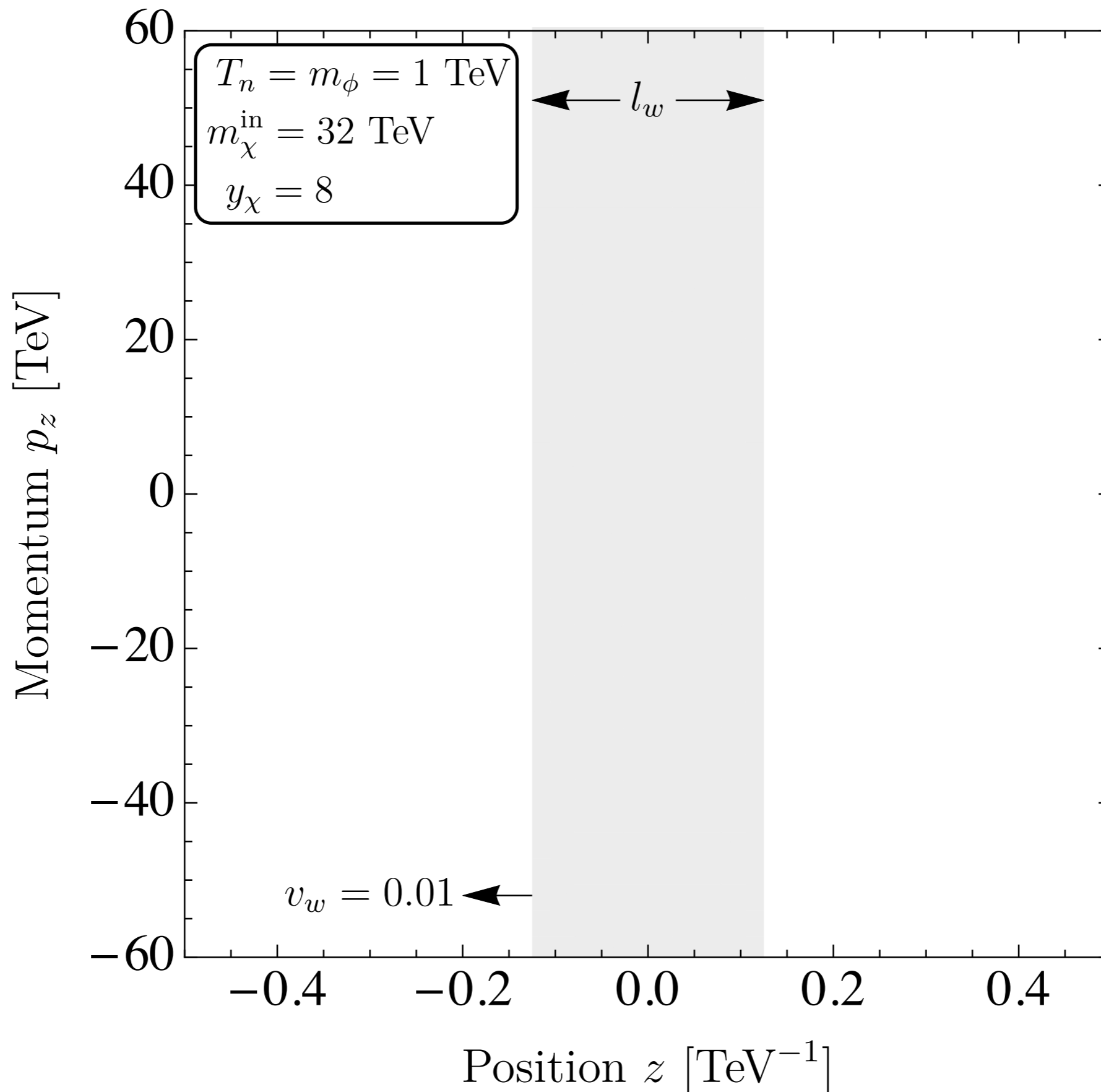
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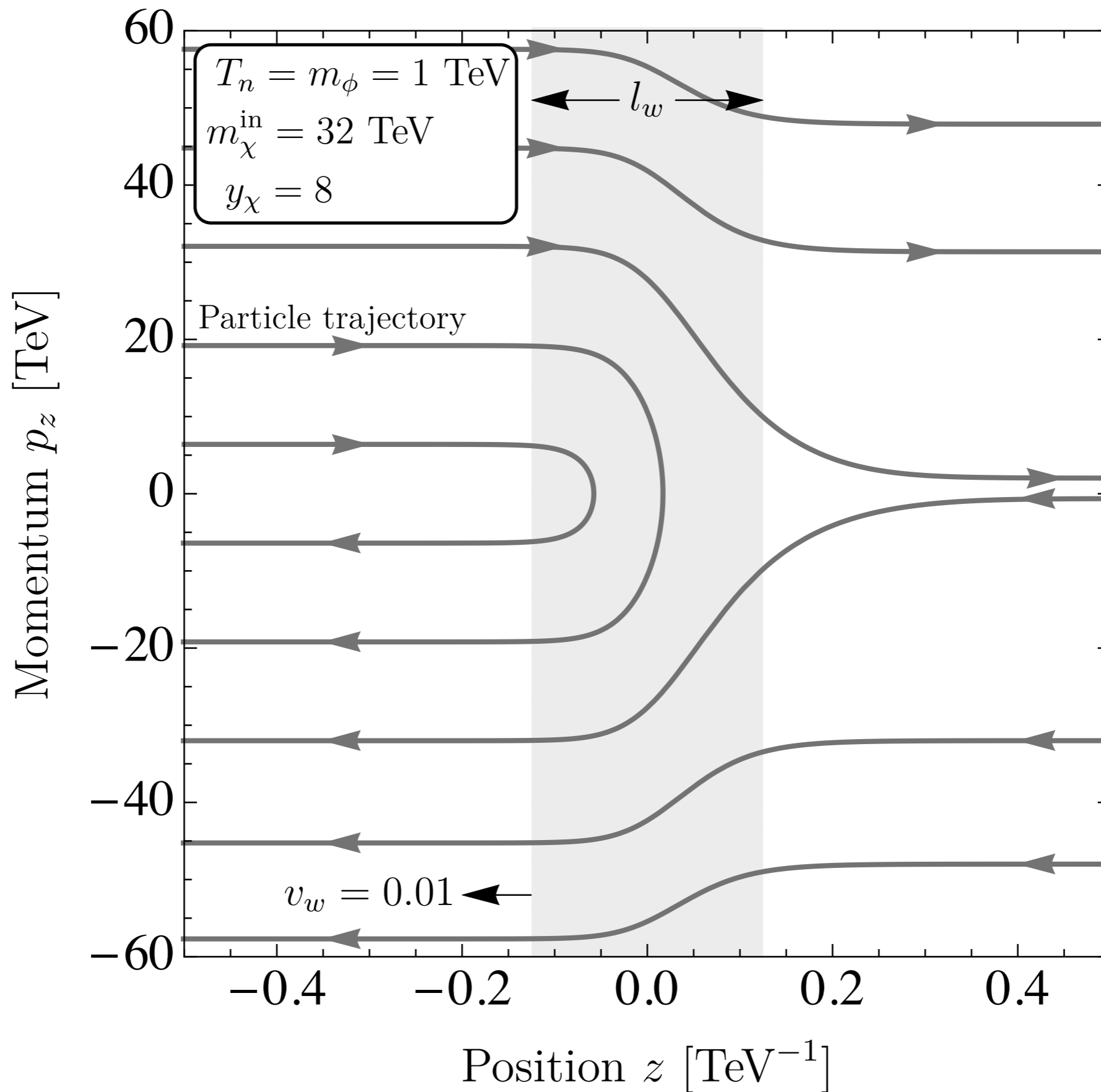
We leave z-momentum un-integrated, and look for stationary solution

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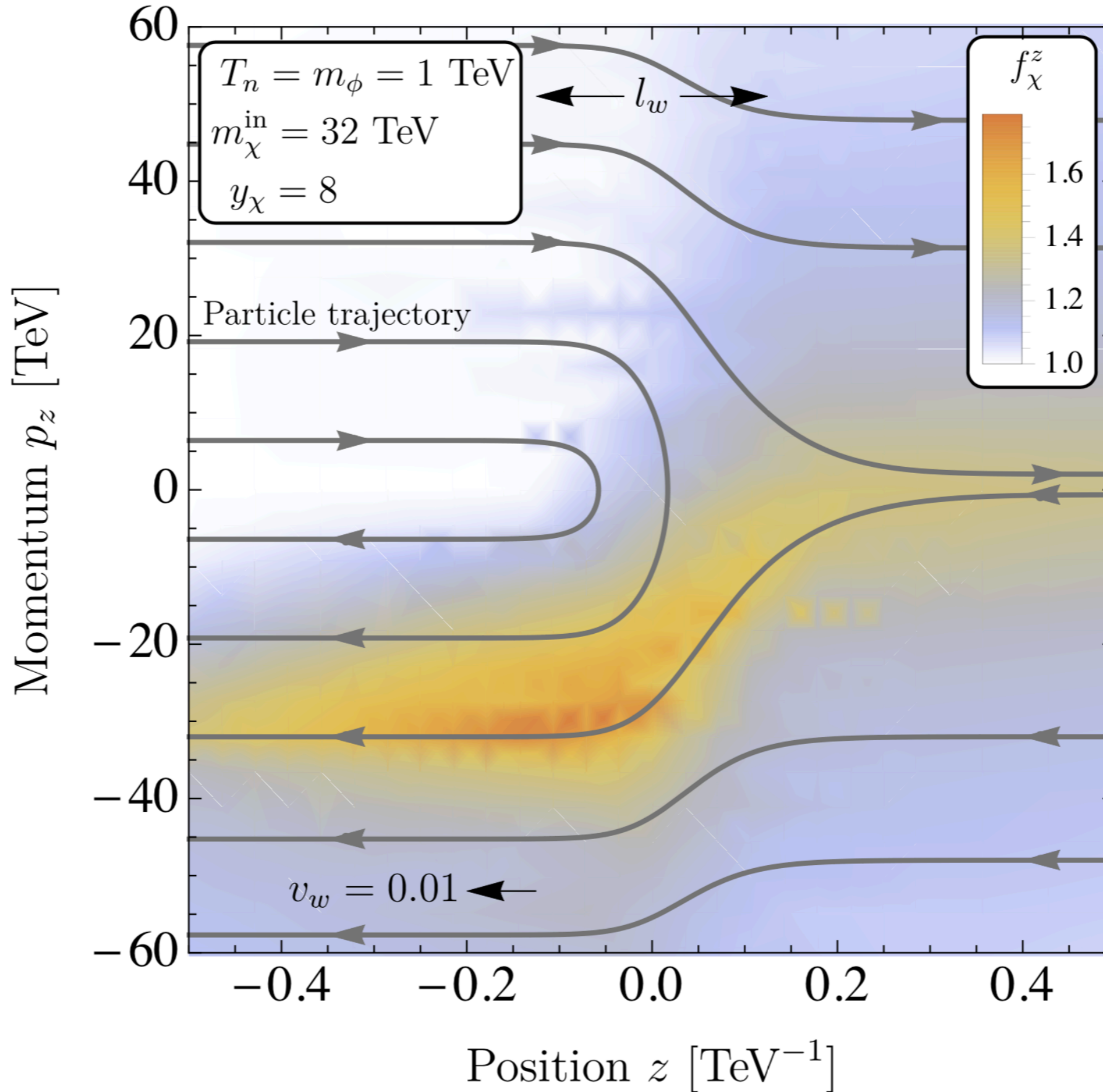
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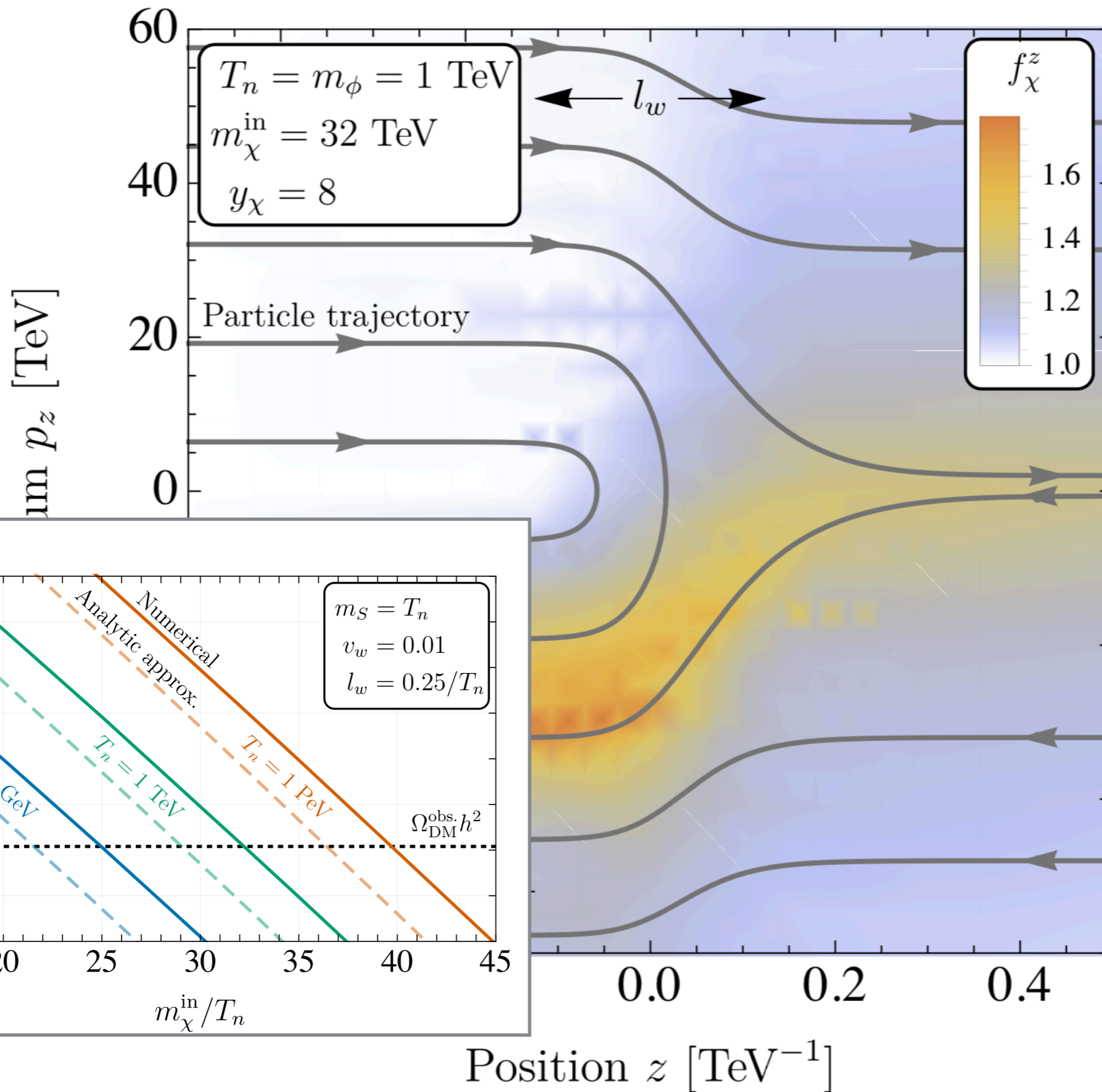
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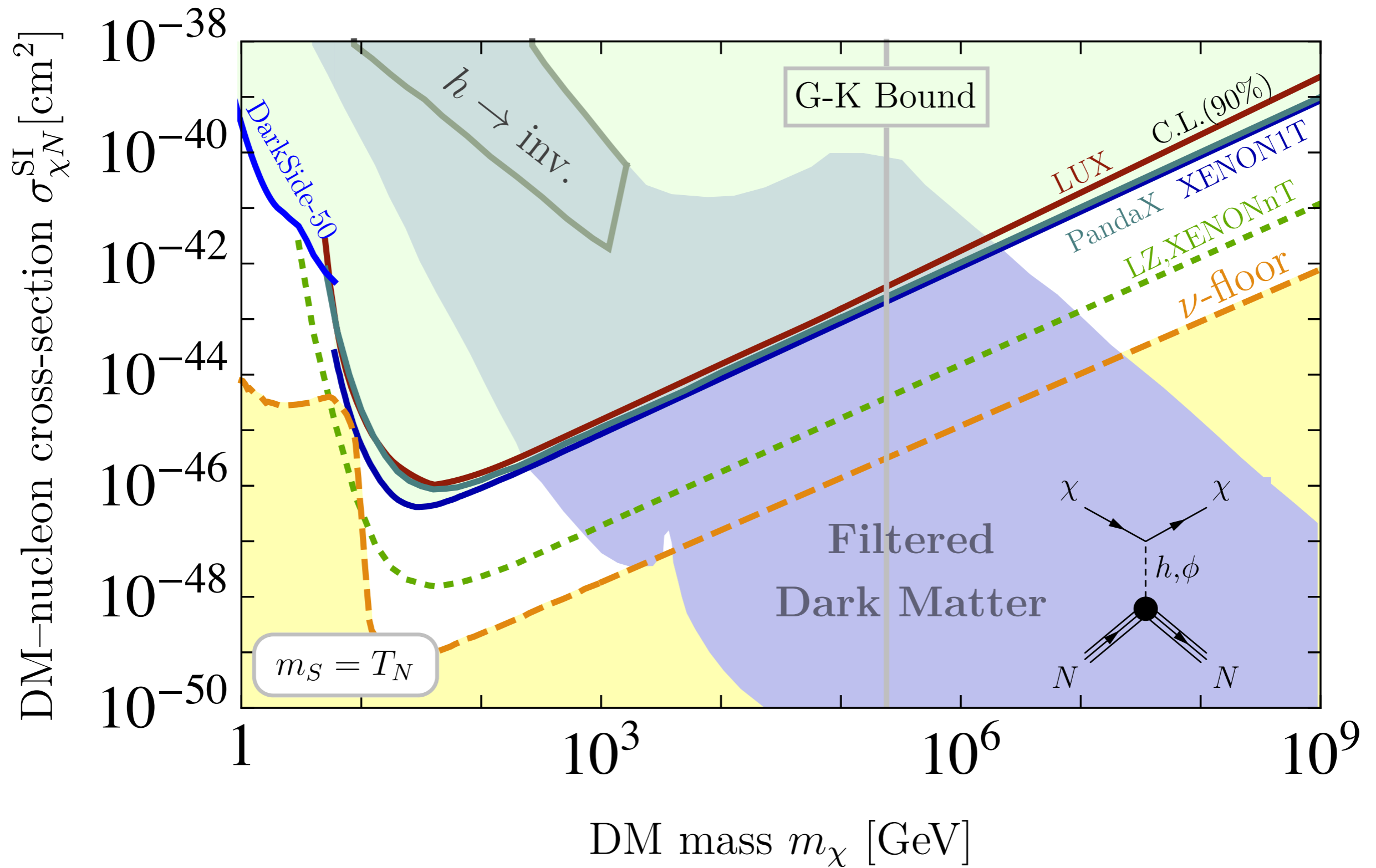


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