

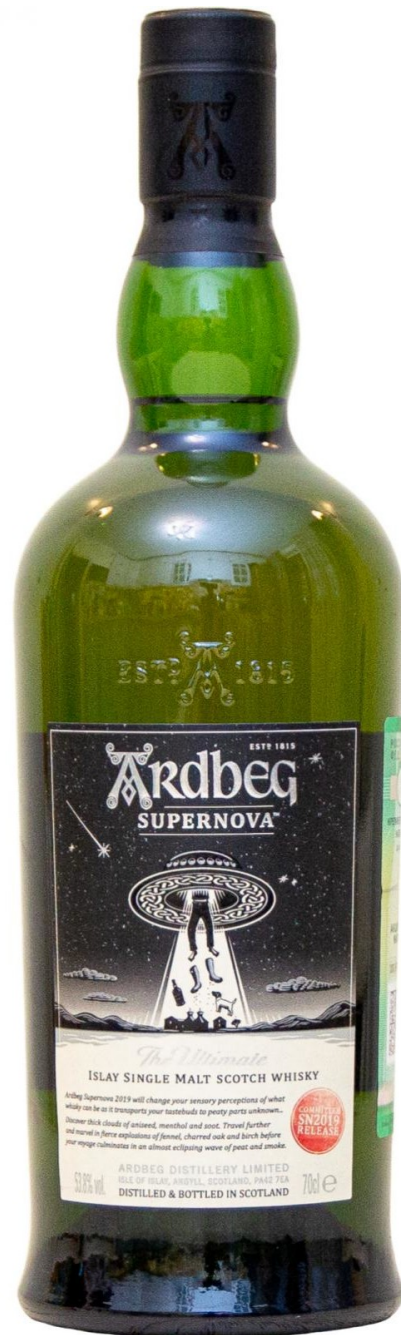
# CKM metrology from Unitarity Triangle fits



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Queen Mary University of London



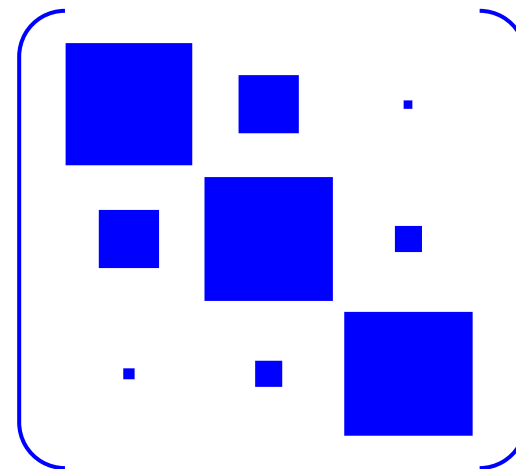
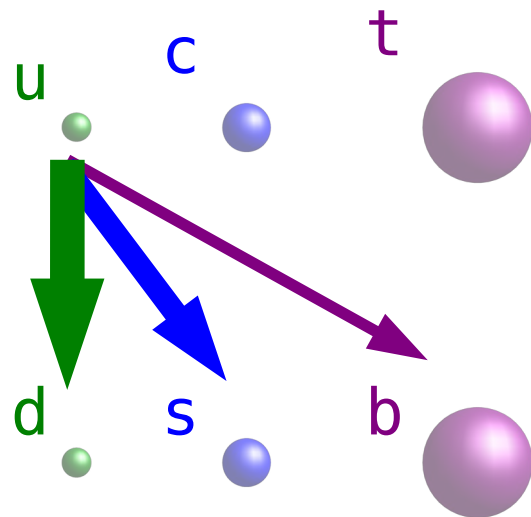
4<sup>th</sup> Conference on the Interplay between  
Particle and Astroparticle physics (IPA2022)  
6<sup>th</sup> September 2022  
Technische Universität  
Vienna, Austria



# Flavour mixing and CP violation in the Standard Model

- The CP symmetry is violated in any field theory having in the Lagrangian at least one phase that cannot be re-absorbed
- The **mass eigenstates** are not eigenstates of the weak interaction. This feature of the Standard Model Hamiltonian produces the (unitary) **mixing matrix**  $V_{\text{CKM}}$ .

$$\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \approx \begin{pmatrix} 1 - \frac{\lambda^2}{2} & \lambda & A\lambda^3(\bar{\rho} - i\bar{\eta}) \\ -\lambda & 1 - \frac{\lambda^2}{2} & A\lambda^2 \\ A\lambda^3(1 - \bar{\rho} - i\bar{\eta}) & -A\lambda^2 & 1 \end{pmatrix}$$



# The CKM matrix and the Unitarity Triangle

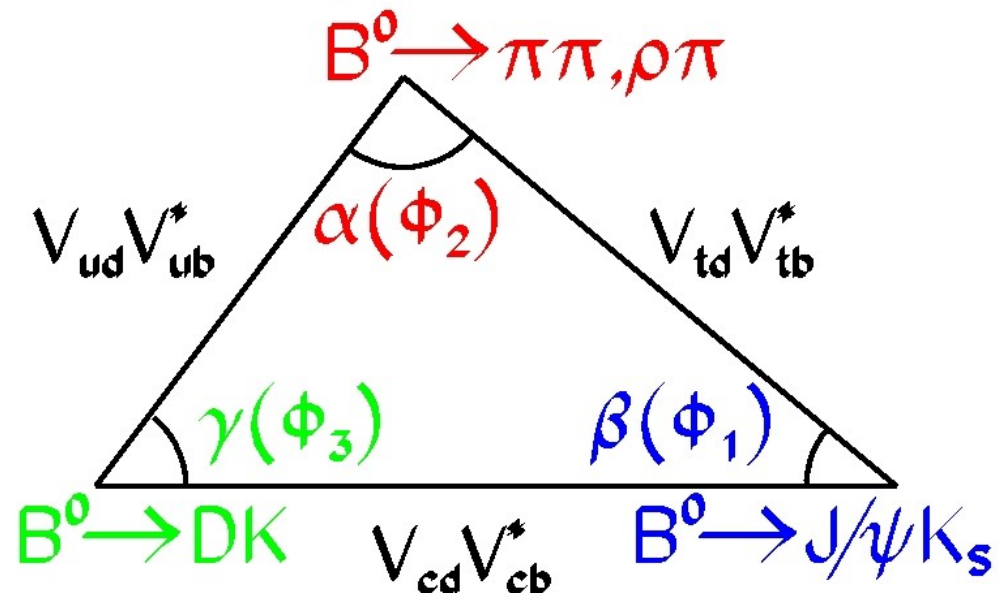
$$\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \approx \begin{pmatrix} 1 - \frac{\lambda^2}{2} & \lambda & A\lambda^3(\bar{\rho} - i\bar{\eta}) \\ -\lambda & 1 - \frac{\lambda^2}{2} & A\lambda^2 \\ A\lambda^3(1 - \bar{\rho} - i\bar{\eta}) & -A\lambda^2 & 1 \end{pmatrix}$$

- With **three families** of quarks, the unitary CKM matrix has four independent parameters: three rotation angles and one **phase**. This phase allows **CP violation** in the SM. All the flavour mixing processes are related (through the unitarity of the  $V_{\text{CKM}}$ ) to this phase.

## Unitarity Triangle

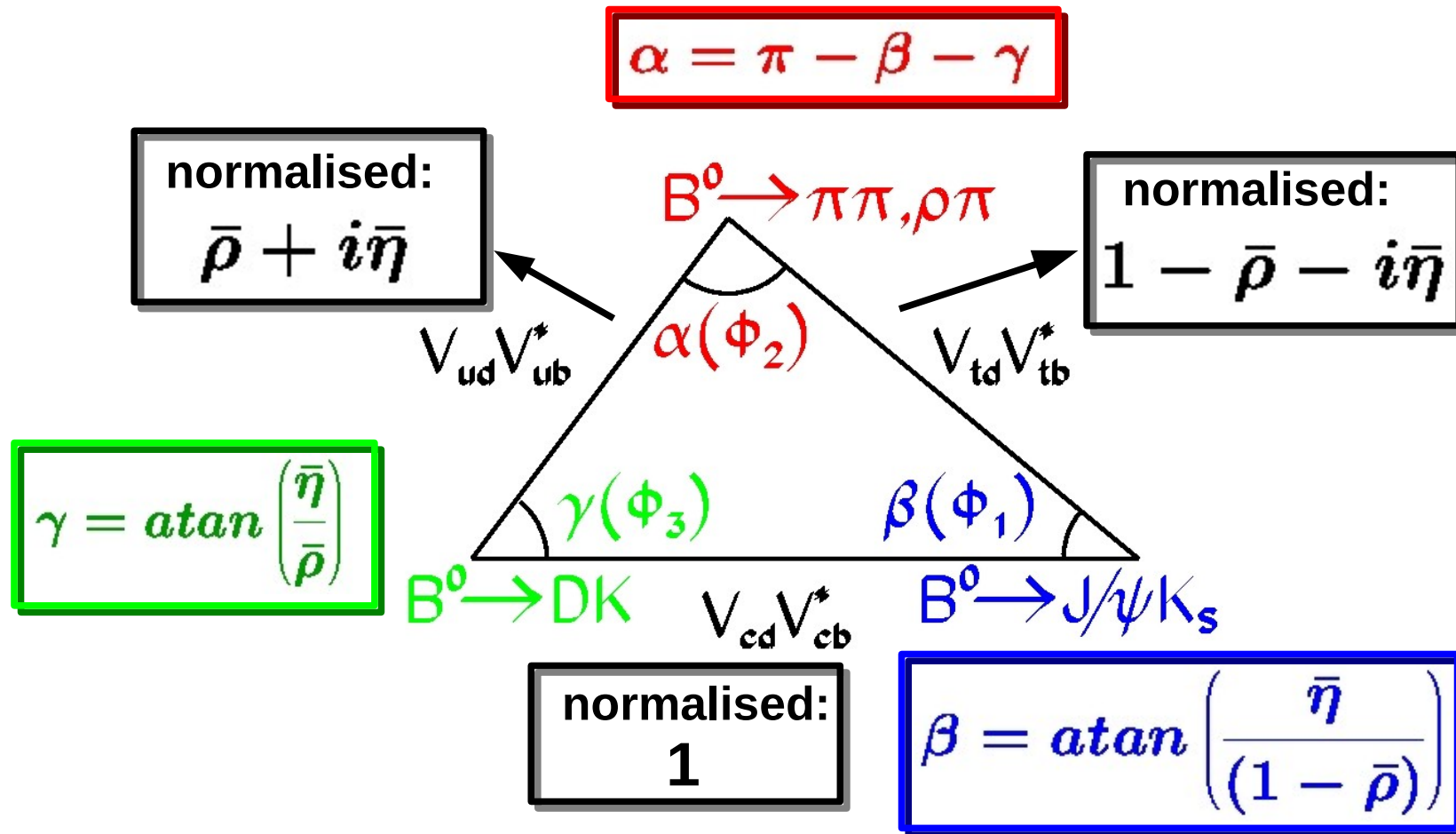
$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$

All the angles are related to the CP asymmetries of specific B decays



# The CKM matrix and the Unitarity Triangle

- The Wolfenstein-Buras parameterisation of the CKM matrix allows to obtain a simplified (and approximate) form of the matrix, maintaining its unitarity. The four independent parameters being  $\lambda$ ,  $A$ ,  $\bar{\rho}$  and  $\bar{\eta}$ .
- The unitarity triangle can be drawn in the  $\bar{\rho}$ - $\bar{\eta}$  plane and its sides and angles can be linked to various processes involving B mesons

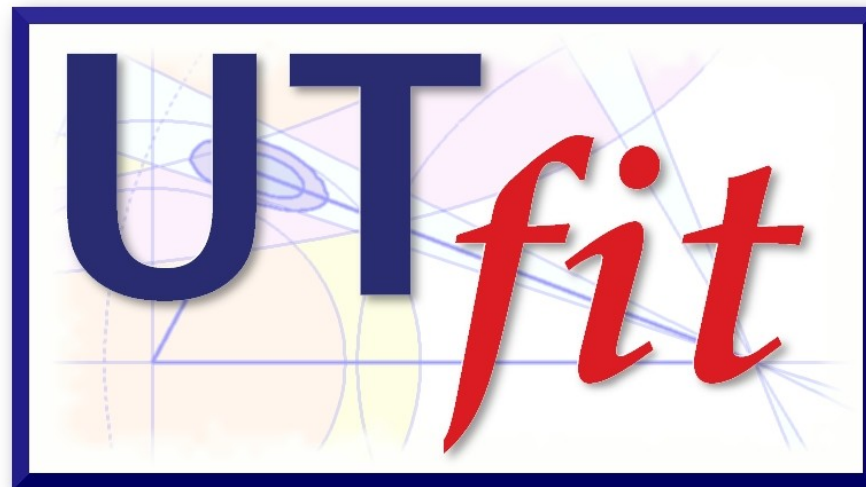


## Unitarity Triangle analysis in the Standard Model

- Standard Model (SM) Unitarity Triangle analysis:
  - All updated with Summer 2022 inputs
  - provide the best determination of CKM parameters
  - test the consistency of the SM (“*direct*” vs “*indirect*” determinations)
  - provide predictions (from data..) for SM observables

## .. and beyond

- New Physics (NP) Unitarity Triangle analysis:
  - Also all updated with Summer 2022 inputs
  - model-independent analysis
  - provides limit on the allowed deviations from the SM
  - obtain the NP scale



[www.utfit.org](http://www.utfit.org)



M. Bona, M. Ciuchini, D. Derkach, F. Ferrari, E. Franco, V. Lubicz, G. Martinelli, M. Pierini, L. Silvestrini, S. Simula, A. Stocchi, C. Tarantino, V. Vagnoni, M. Valli and L. Vittorio

Plots and numbers in this talk are obtained with inputs updated this summer hence they are labelled “summer22”.

Some changes have been included in July 22 for ICHEP22 and for this talk with respect to the results presented in May 2022 at LHCP22 and FPCP22.

Statistical method and inputs:

$$f(\bar{\rho}, \bar{\eta}, X | c_1, \dots, c_m) \sim \prod_{j=1, m} f_j(C | \bar{\rho}, \bar{\eta}, X) * \prod_{i=1, N} f_i(x_i) f_0(\bar{\rho}, \bar{\eta})$$

Bayes Theorem

$$X \equiv x_1, \dots, x_n = m_t, B_K, F_B, \dots$$

$$C \equiv c_1, \dots, c_m = \epsilon, \Delta m_d / \Delta m_s, A_{CP}(J/\psi K_S), \dots$$

$(b \rightarrow u)/(b \rightarrow c)$	$\bar{\rho}^2 + \bar{\eta}^2$	$\bar{\Lambda}, \lambda_1, F(1), \dots$
$\epsilon_K$	$\bar{\eta}[(1 - \bar{\rho}) + P]$	$B_K$
$\Delta m_d$	$(1 - \bar{\rho})^2 + \bar{\eta}^2$	$f_B^2 B_B$
$\Delta m_d / \Delta m_s$	$(1 - \bar{\rho})^2 + \bar{\eta}^2$	$\xi$
$A_{CP}(J/\psi K_S)$	$\sin 2\beta$	

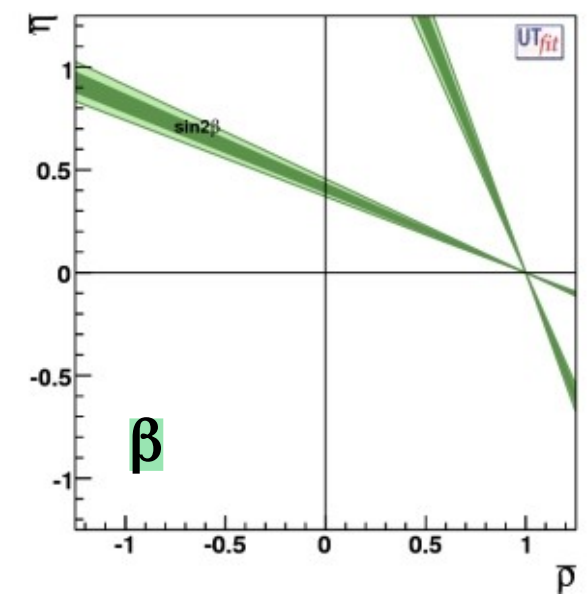
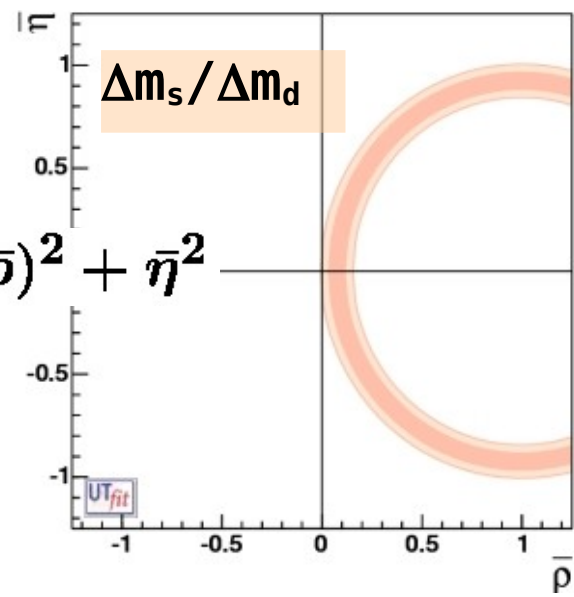
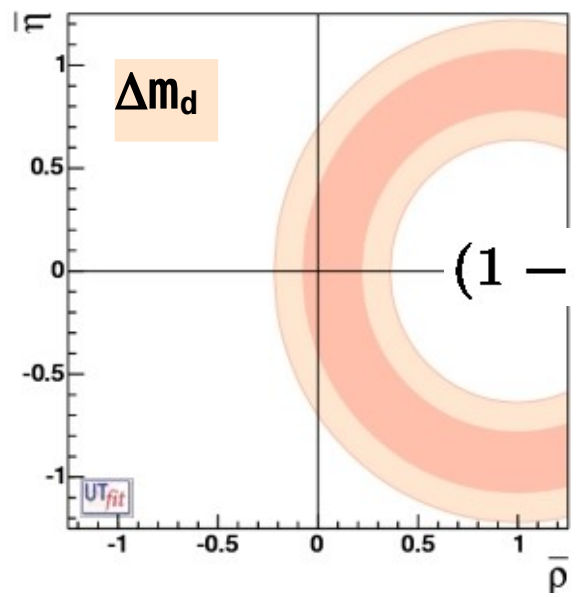
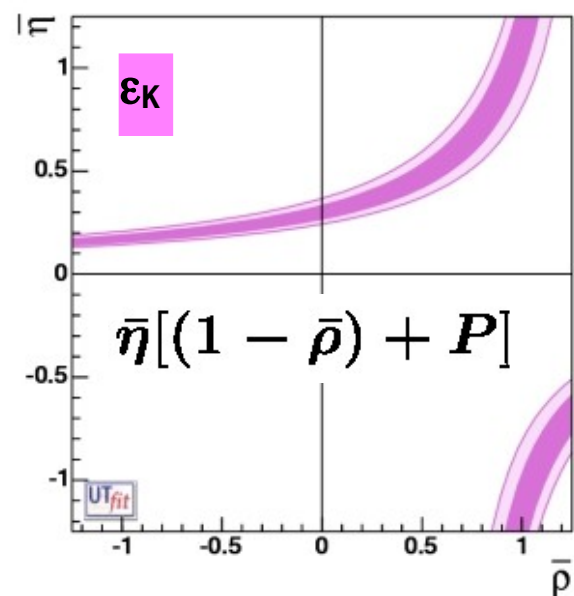
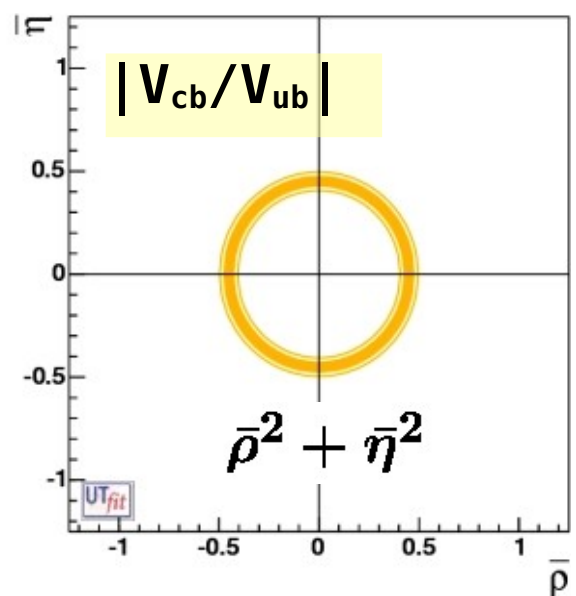
Standard Model +  
OPE/HQET/  
Lattice QCD  
to go  
from quarks  
to hadrons

$m_t$

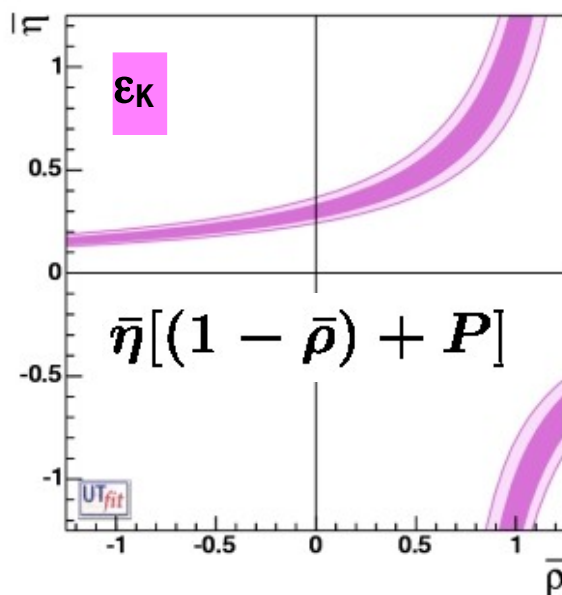
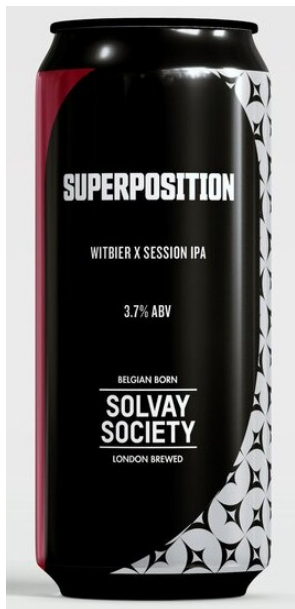
M. Bona *et al.* (UTfit Collaboration)  
JHEP 0507:028,2005 hep-ph/0501199  
M. Bona *et al.* (UTfit Collaboration)  
JHEP 0603:080,2006 hep-ph/0509219



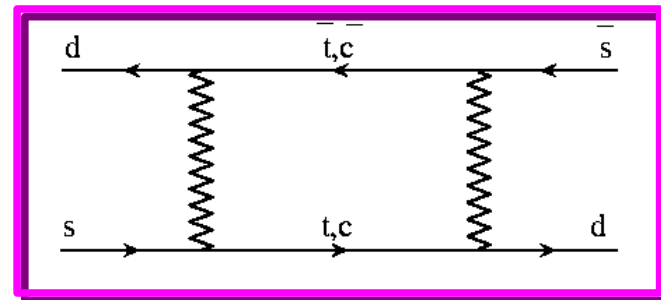
Inputs mapped on the  $\bar{\rho}$ - $\bar{\eta}$  plane:



Meson mixing: K and B<sub>d/s</sub>

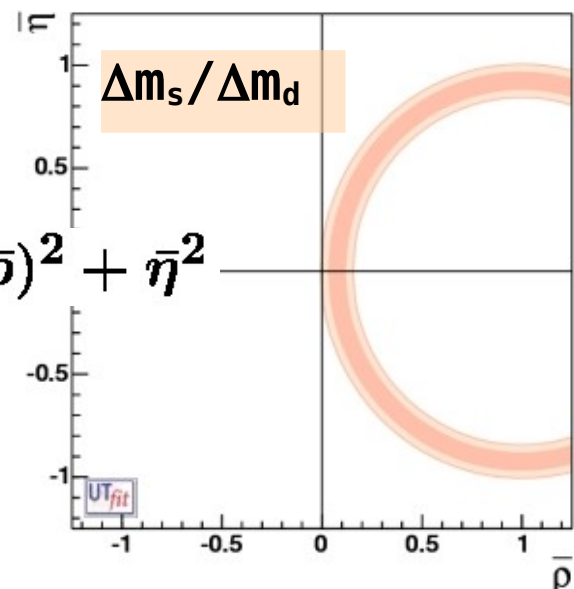
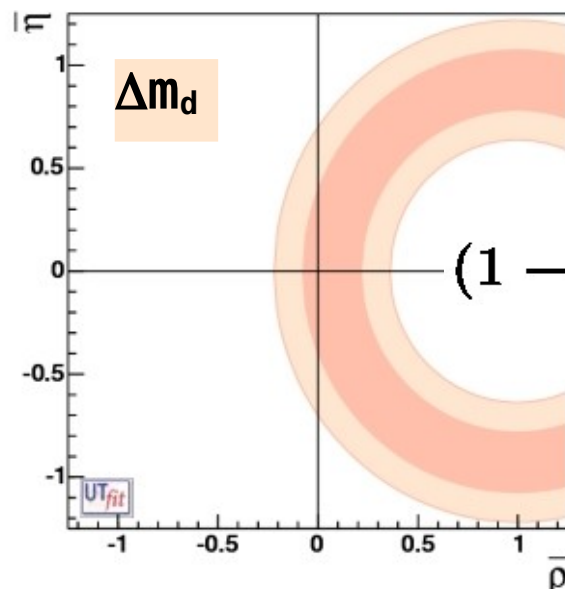


$\epsilon_K$  from  $\bar{K}$ -K mixing

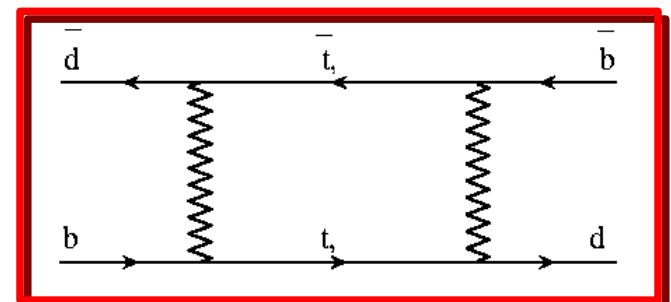


$\epsilon_K = (2.228 \pm 0.011) \cdot 10^{-3}$

PDG



$\Delta m_q$  from  $\bar{B}_q$ -B<sub>q</sub> mixing  
q=d,s



$\Delta m_d = 0.5065 \pm 0.0019 \text{ ps}^{-1}$

$\Delta m_s = 17.765 \pm 0.006 \text{ ps}^{-1}$

HFLAV

# Lattice QCD inputs:

$$|\varepsilon_K| = C_\varepsilon B_K A^2 \lambda^6 \bar{\eta} \{ -\eta S_0(x_c) (1 - \lambda^2/2) + \eta_3 S_0(x_c, x_t) + \eta_1 S_0(x_t) A^2 \lambda^4 (1 - \bar{\rho}) \}$$

$S_0$  = Inami-Lim functions for c-c, c-t, e t-t contributions  
(from perturbative calculations)

$$\begin{aligned} \Delta m_d &= \frac{G_F^2}{6\pi^2} m_W^2 \eta_b S(x_t) n_{B_d} f_{B_d}^2 \hat{B}_{B_d} |V_{ib}|^2 |V_{td}|^2 = \\ &= \frac{G_F^2}{6\pi^2} m_W^2 \eta_b S(x_t) m_{B_d} f_{B_d}^2 \hat{B}_{B_d} |V_{cb}|^2 \lambda^2 ((1 - \bar{\rho})^2 + \bar{\eta}^2) \end{aligned}$$

$$\begin{aligned} \Delta m_d &\approx [(1 - \rho)^2 + \eta^2] \frac{f_{B_s}^2 B_{B_s}}{\xi^2} \\ \Delta m_s &\approx f_{B_s}^2 B_{B_s} \end{aligned}$$

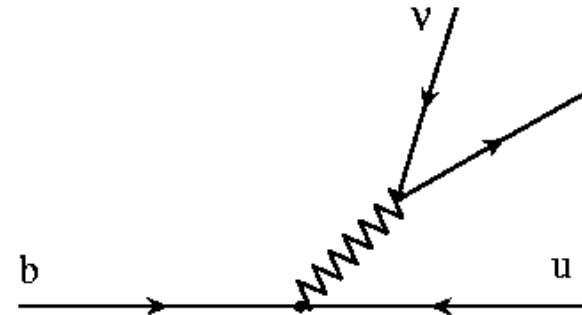
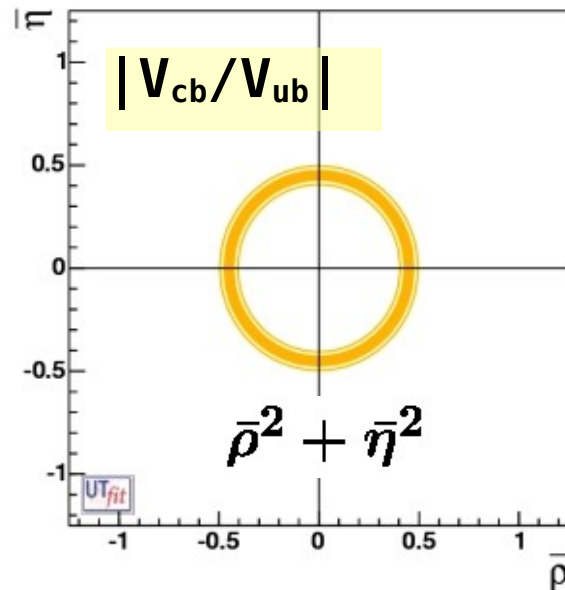
lattice inputs updated for this summer

Observables	Measurement
$B_K$	$0.756 \pm 0.016$
$f_{B_s}$	$0.2301 \pm 0.0012$
$f_{B_s}/f_{B_d}$	$1.208 \pm 0.005$
$B_{B_s}/B_{B_d}$	$1.015 \pm 0.021$
$B_{B_s}$	$1.284 \pm 0.059$

We quote the weighted average of the  $N_f=2+1+1$  and  $N_f=2+1$  results with the error rescaled when  $\chi^2/\text{dof} > 1$ , as done by FLAG for the  $N_f=2+1+1$  and  $N_f=2+1$  averages separately

[new HPQCD (2+1+1) result 1907.01025]

# $V_{cb}$ and $V_{ub}$



tree diagrams

$b \rightarrow c$  and  $b \rightarrow u$  transition

- negligible new physics contributions
- inclusive and exclusive semileptonic B decay branching ratios

QCD corrections to be included

- inclusive measurements: OPE
- exclusive measurements: form factors from lattice QCD

$$\left| \frac{V_{ub}}{V_{cb}} \right| = \frac{\lambda}{1 - \frac{\lambda^2}{2}} \sqrt{\bar{\rho}^2 + \bar{\eta}^2}$$

# $V_{cb}$ and $V_{ub}$

from UTfit (coming soon)

$$|V_{cb}| (excl) = (39.44 \pm 0.63) 10^{-3}$$

$$|V_{cb}| (incl) = (42.16 \pm 0.50) 10^{-3}$$

from Bordone et al.  
arXiv:2107.00604

$\sim 3.3\sigma$  discrepancy

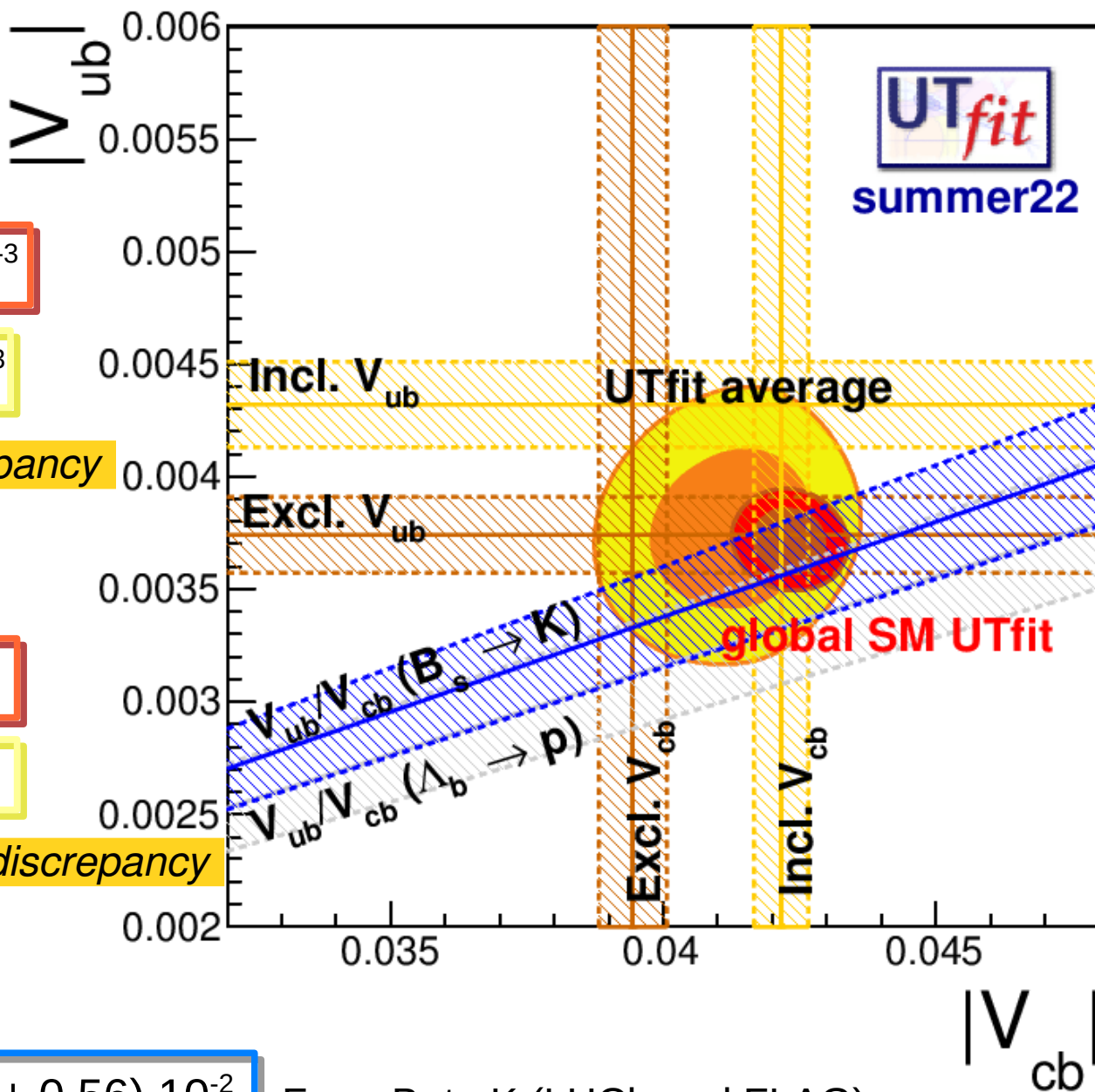
from UTfit (coming soon)

$$|V_{ub}| (excl) = (3.74 \pm 0.17) 10^{-3}$$

$$|V_{ub}| (incl) = (4.32 \pm 0.29) 10^{-3}$$

from UTfit (coming soon)

$\sim 1.7\sigma$  discrepancy



$$|V_{ub} / V_{cb}| (LHCb) = (8.44 \pm 0.56) 10^{-2}$$

From  $B_s$  to K (LHCb and FLAG)

$$|V_{ub} / V_{cb}| (LHCb) = (7.9 \pm 0.6) 10^{-2}$$

From  $\Lambda_b$ , excluded following FLAG guidelines

# $V_{cb}$ and $V_{ub}$

A-la-D'Agostini two-dimensional average procedure:

$$|V_{cb}| = (41.25 \pm 0.95) 10^{-3}$$

uncertainty  $\sim 2.3\%$

$$|V_{ub}| = (3.77 \pm 0.24) 10^{-3}$$

uncertainty  $\sim 6.4\%$

Correlation  $\rho = 0.11$

Updated averages including correlation

From global SM fit

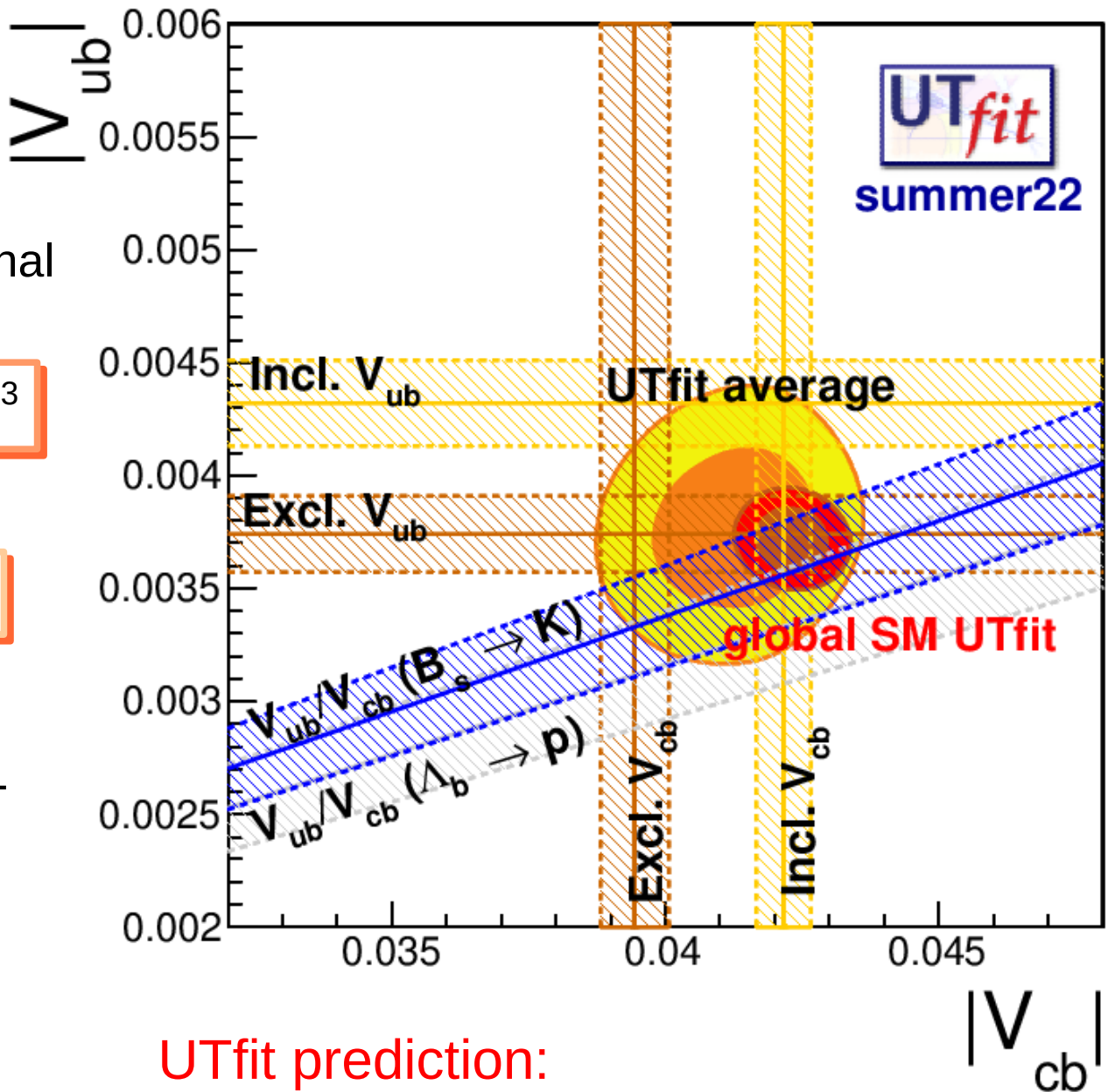
$$|V_{cb}| = (42.3 \pm 0.4) 10^{-3}$$

$$|V_{ub}| = (3.72 \pm 0.09) 10^{-3}$$

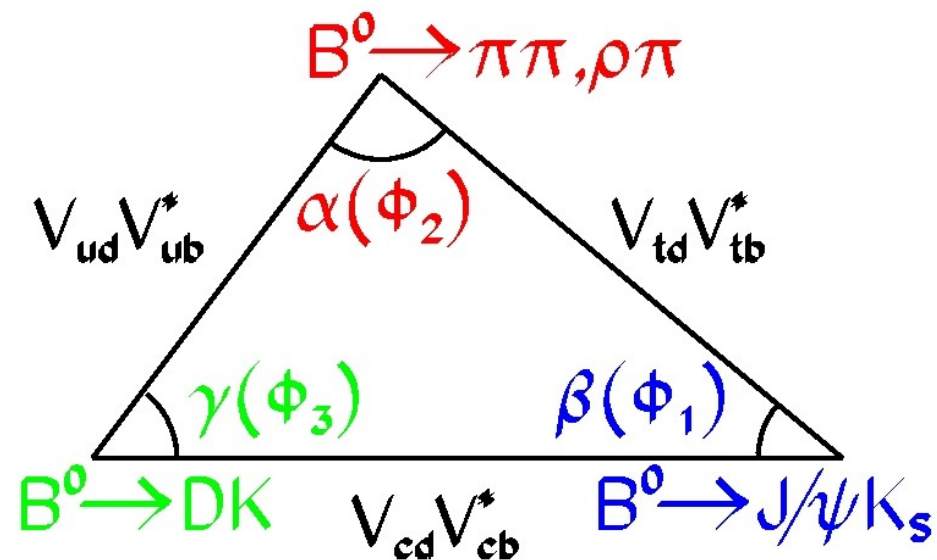
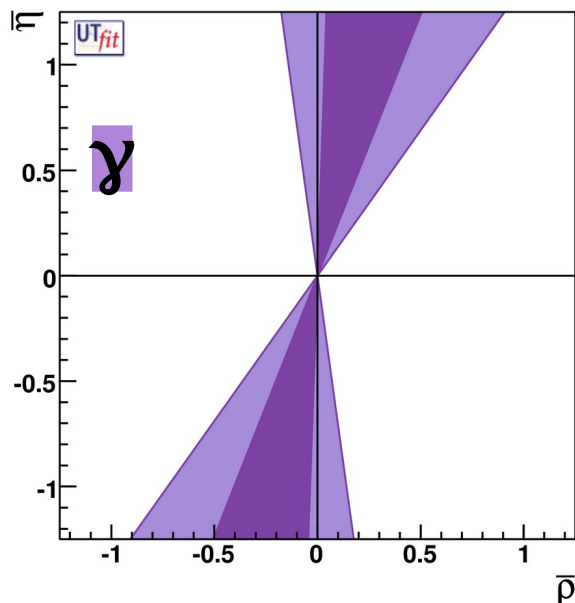
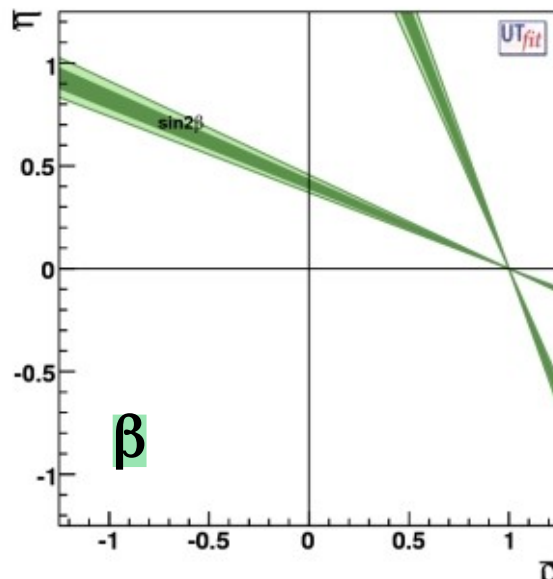
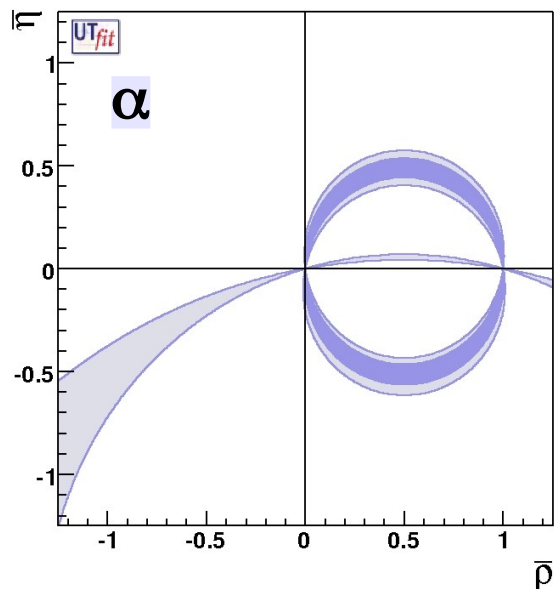
UTfit prediction:

$$|V_{cb}| = (42.6 \pm 0.5) 10^{-3}$$

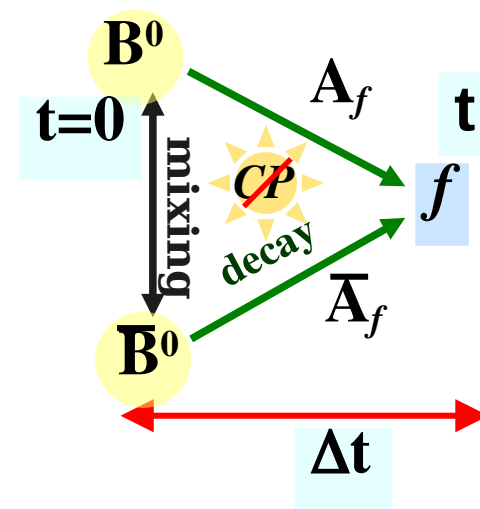
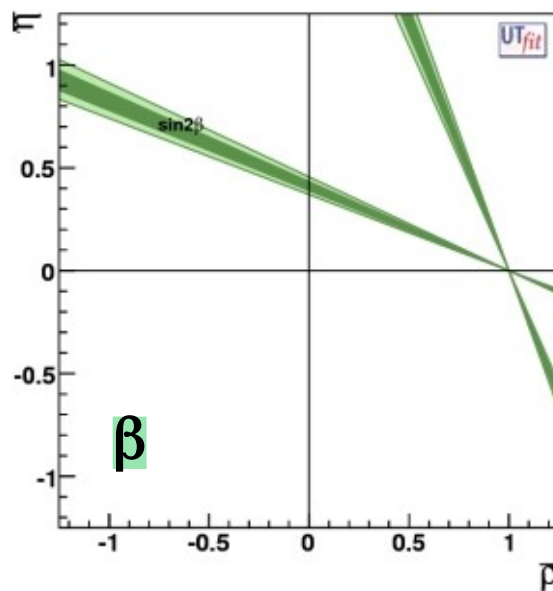
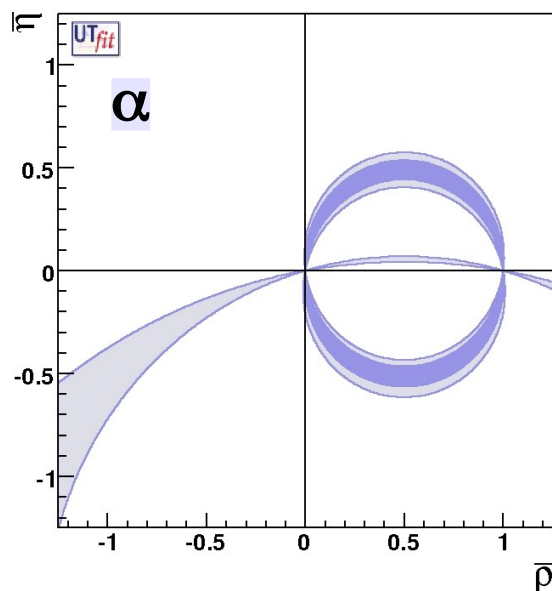
$$|V_{ub}| = (3.70 \pm 0.10) 10^{-3}$$



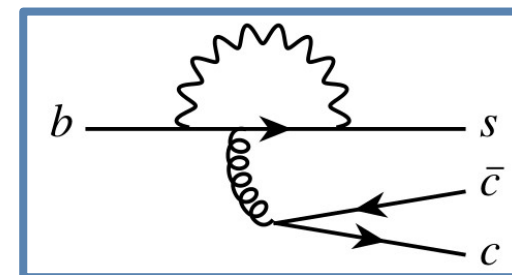
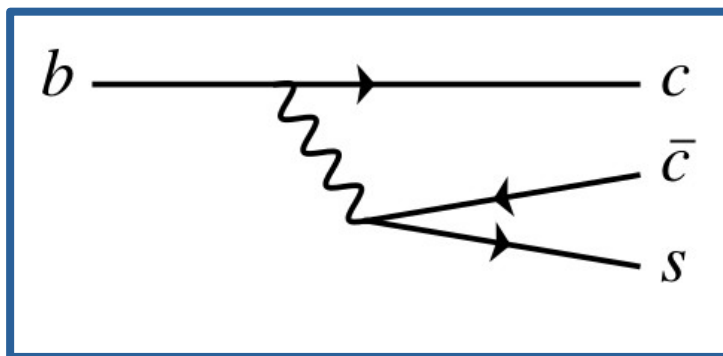
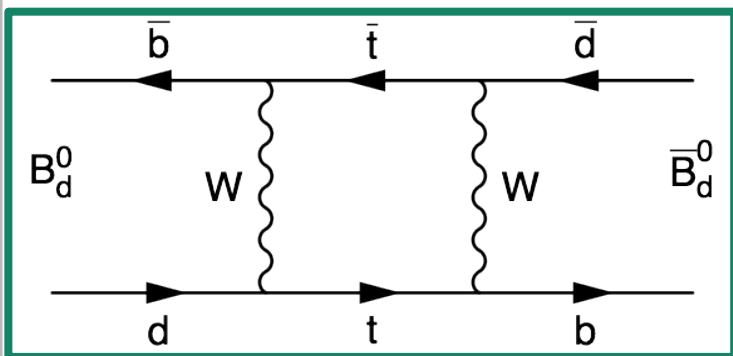
Angle constraints in the  $\bar{\rho}$ - $\bar{\eta}$  plane:



# Time-dependent CP asymmetry:



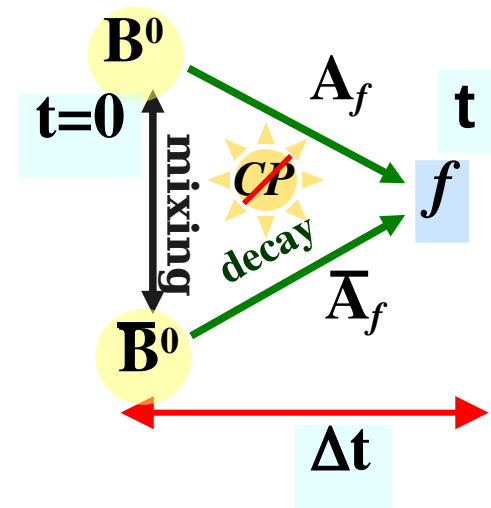
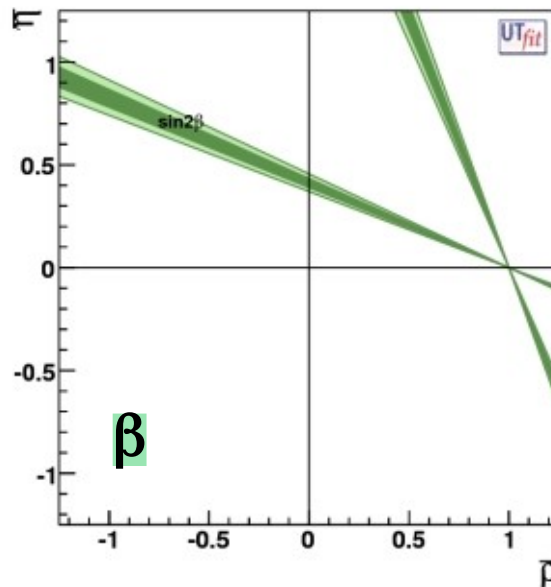
CP Violation in interference between mixing and decay:



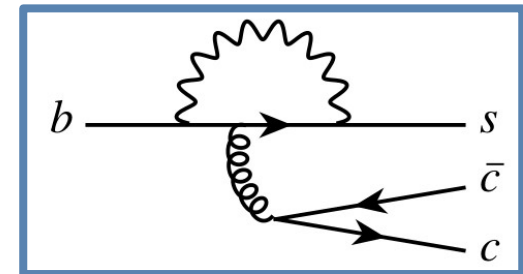
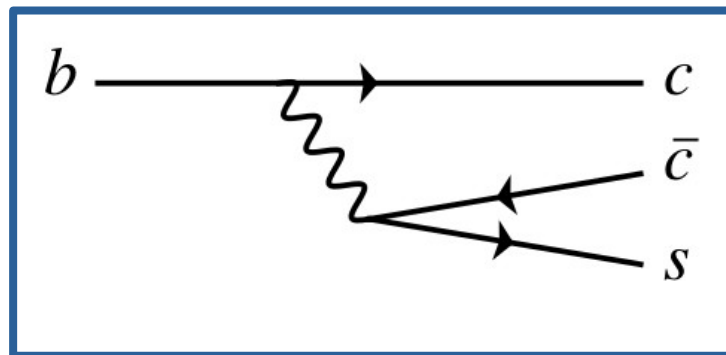
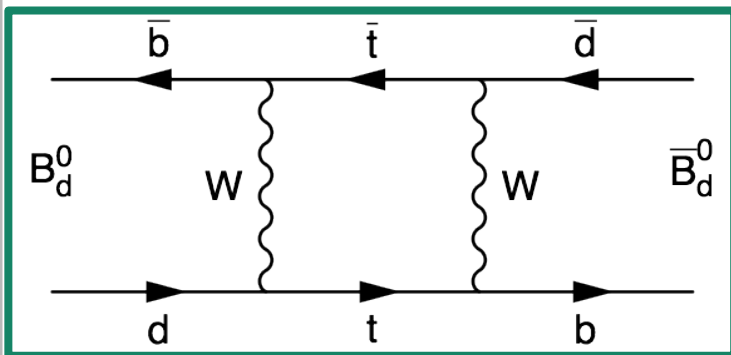


# Time-dependent CP asymmetry:

$\sin 2\beta$  from time-dependent  $A_{CP}$  in  $B \rightarrow J/\psi K^0$



CP Violation in interference between mixing and decay:



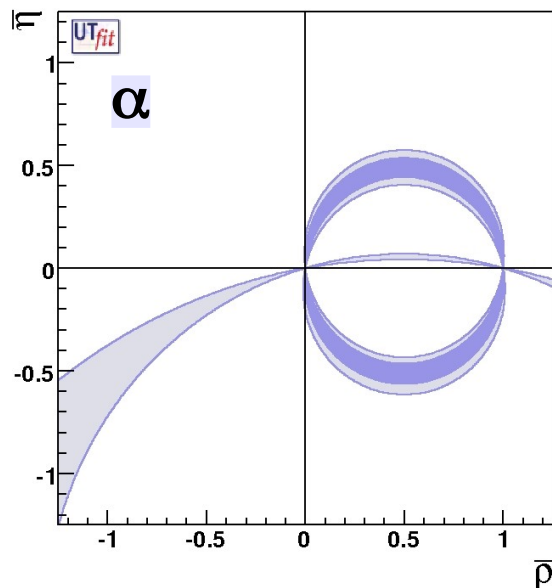
CKM-suppressed pollution by penguins

$$a_{f_{CP}}(t) = -\eta_{CP} \sin \Delta m_d \Delta t \sin 2\beta$$

$$\Delta S = -0.01 \pm 0.01$$

# Time-dependent CP asymmetry:

$\alpha$ : CP violation in  $B^0 \rightarrow \pi^+\pi^-$



- considering the tree (T) only:

$$C_{\pi\pi} = 0$$

$$S_{\pi\pi} = \sin(2\alpha)$$

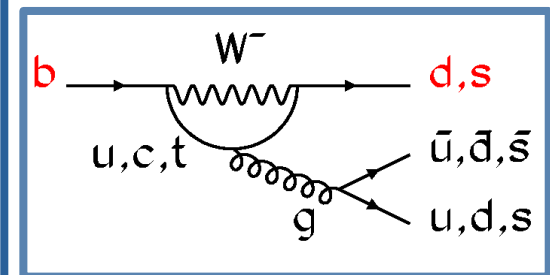
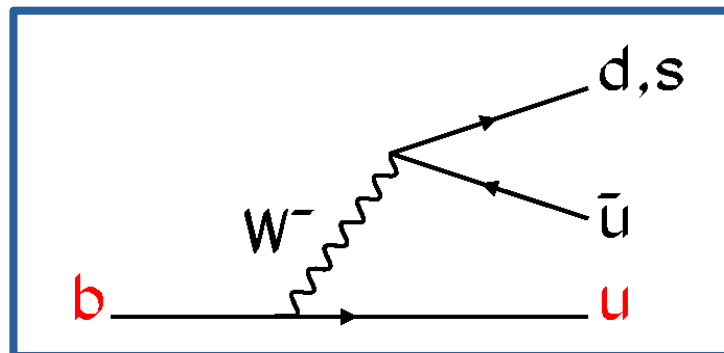
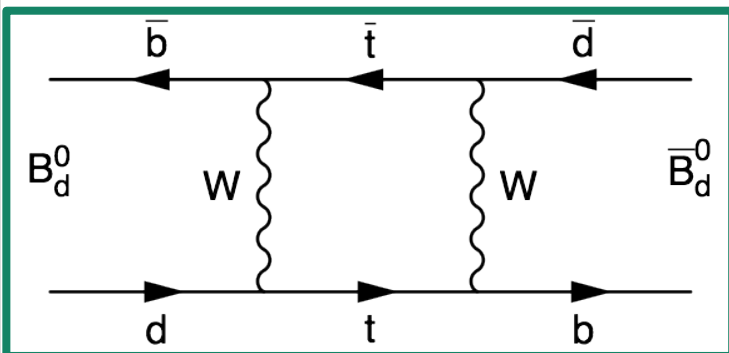
- adding the penguins (P):

$$C_{\pi\pi} \propto \sin(\delta)$$

$$S_{\pi\pi} = \sqrt{1 - C_{\pi\pi}^2} \sin(2\alpha_{eff})$$



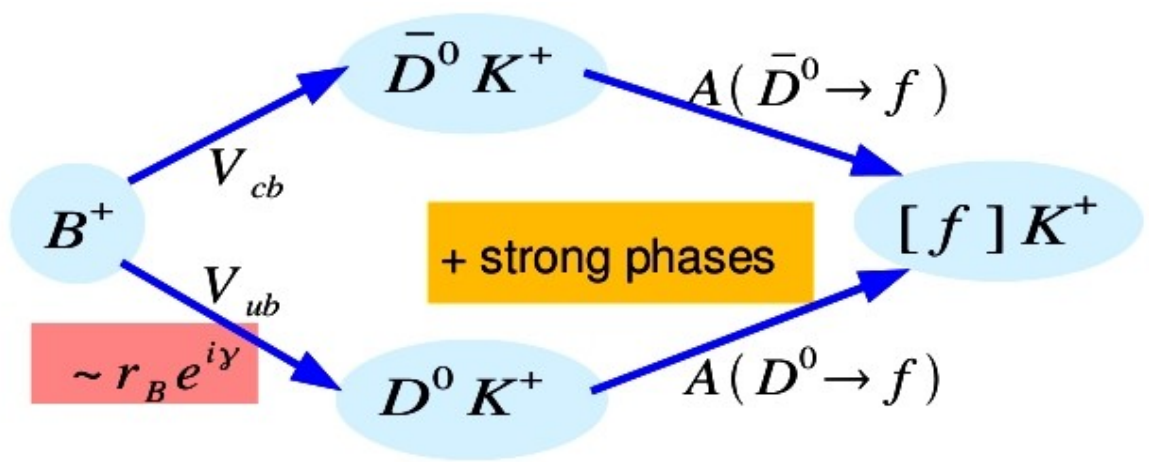
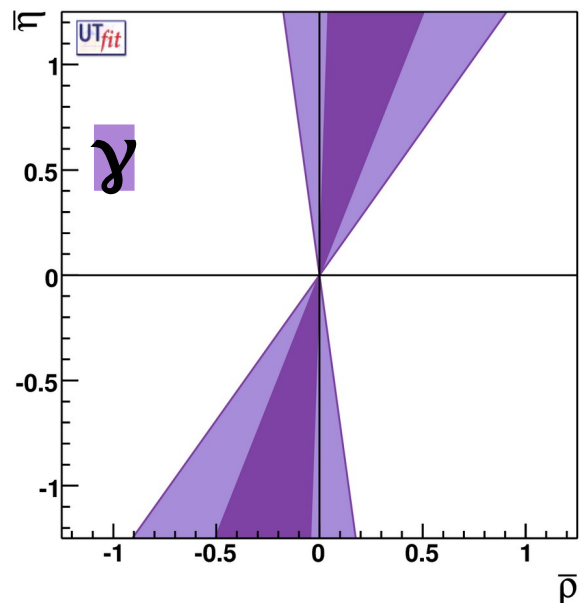
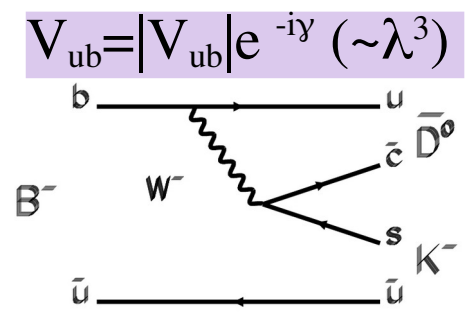
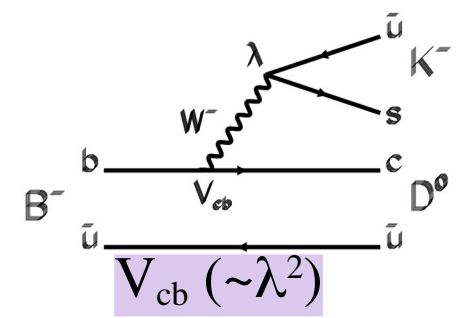
CP Violation in interference between **mixing** and **decay**:



# Direct CP asymmetry:

## $\gamma$ and DK trees

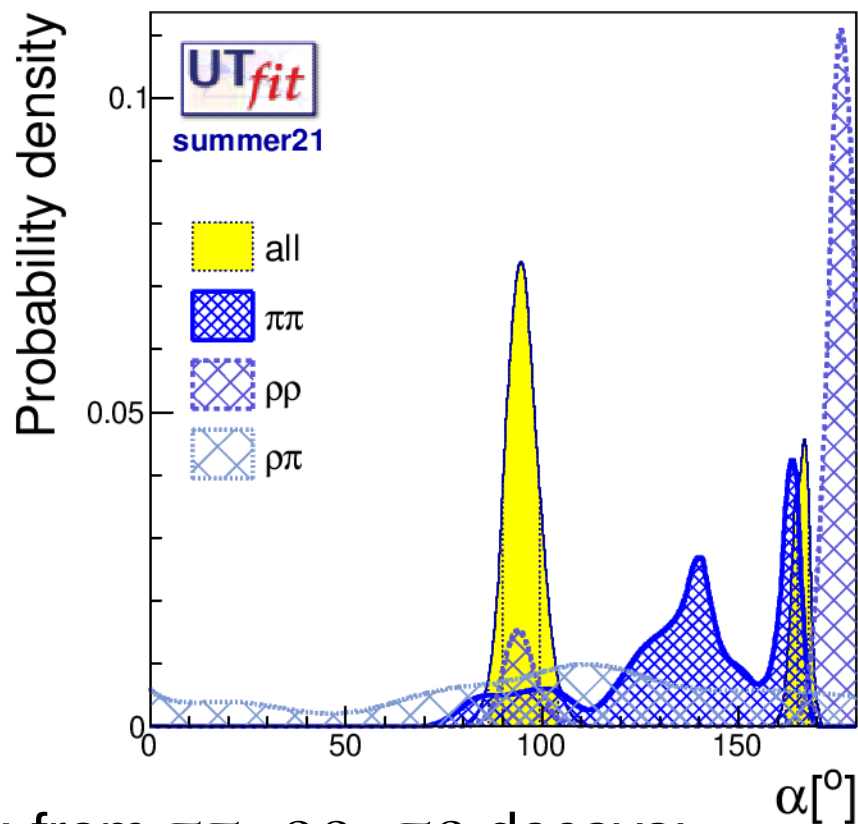
- $D^{(*)}K^{(*)}$  decays: from BRs and BR ratios, no time-dependent analysis, just rates
- the phase  $\gamma$  is measured exploiting interferences: two amplitudes leading to the same final states
- some rates can be really small:  $\sim 10^{-7}$



$B \rightarrow D^{(*)0} (D^{\bar{(*)}0}) K^{(*)}$  decays can proceed both through  $V_{cb}$  and  $V_{ub}$  amplitudes

$\sin 2\alpha (\phi_2)$  and  $\gamma (\phi_3)$

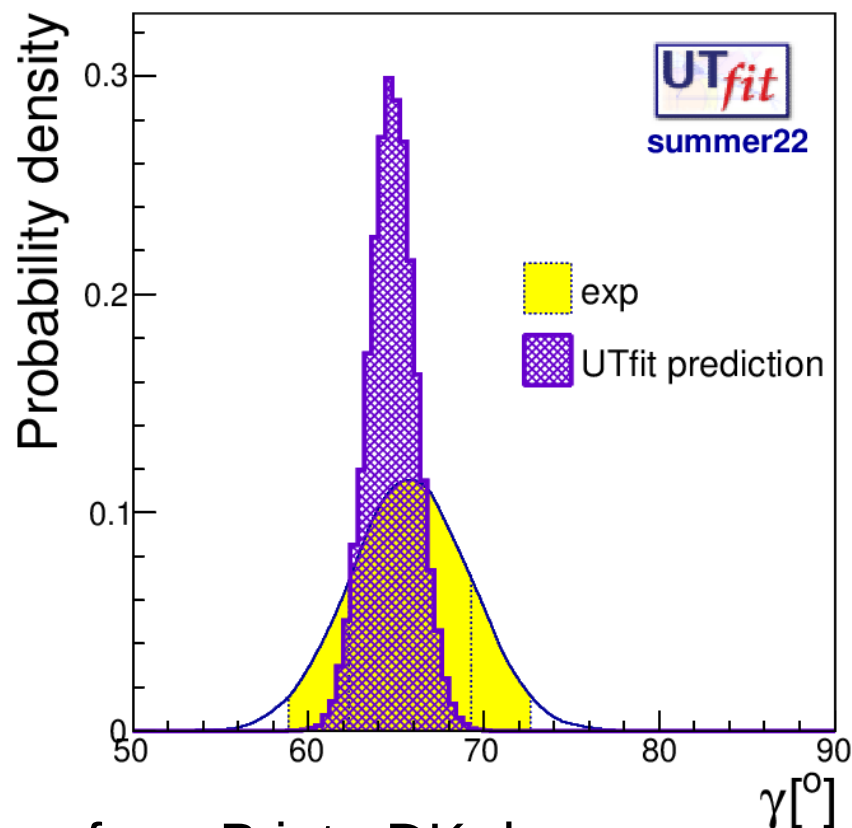
$\alpha$  with  $\pi\pi/\rho\rho$  BR and C/S results and  $\rho\pi$  analysis



$\alpha$  from  $\pi\pi$ ,  $\rho\rho$ ,  $\pi\rho$  decays:  
 combined SM:  $(95.0 \pm 4.7)^\circ$   
 UTfit prediction:  $(92.3 \pm 1.5)^\circ$

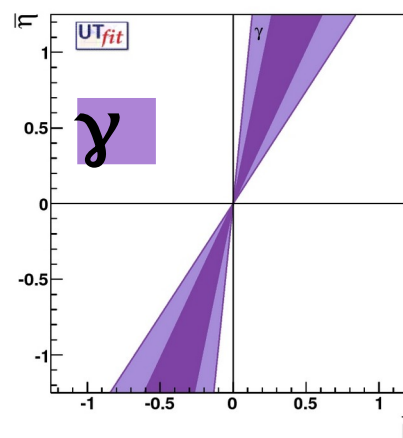
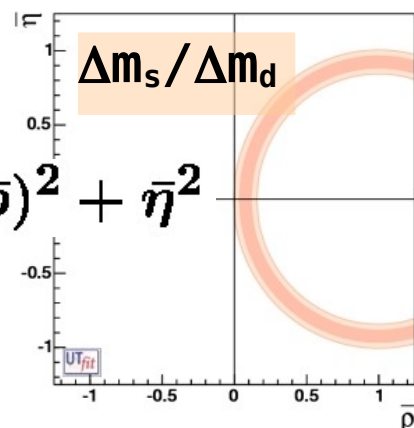
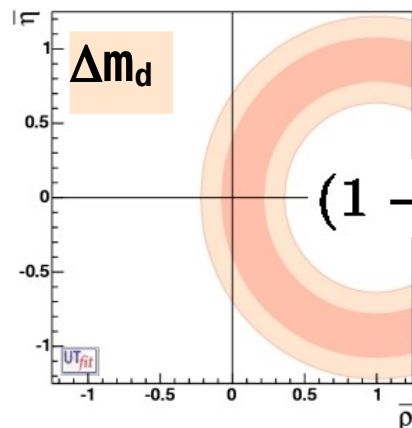
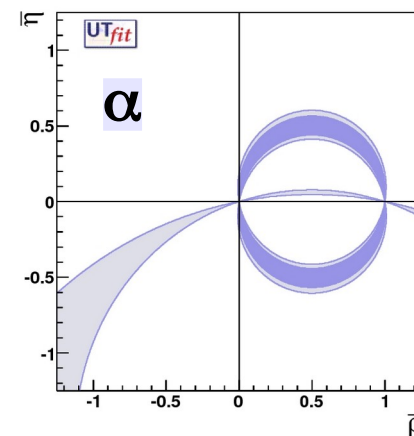
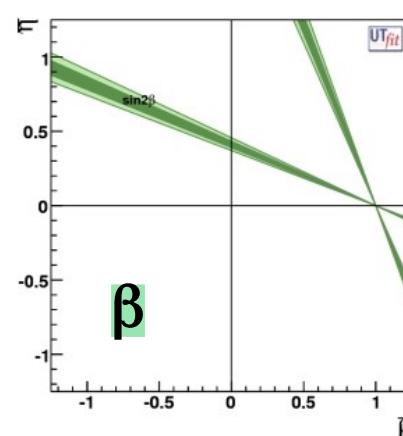
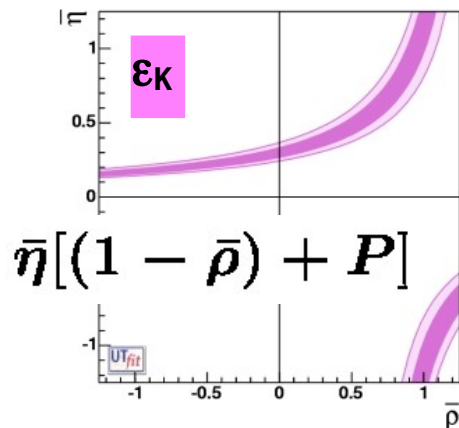
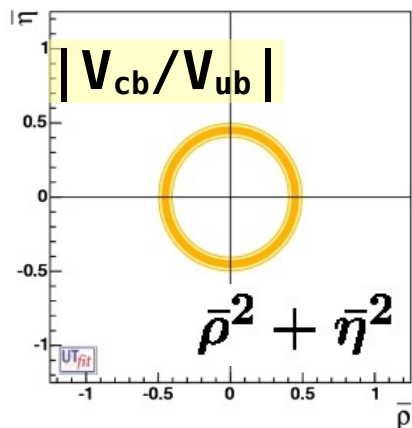
$\alpha$  from HFLAV:  $85.5 \pm 4.6$

$\gamma$  updated with all the latest results (LHCb)

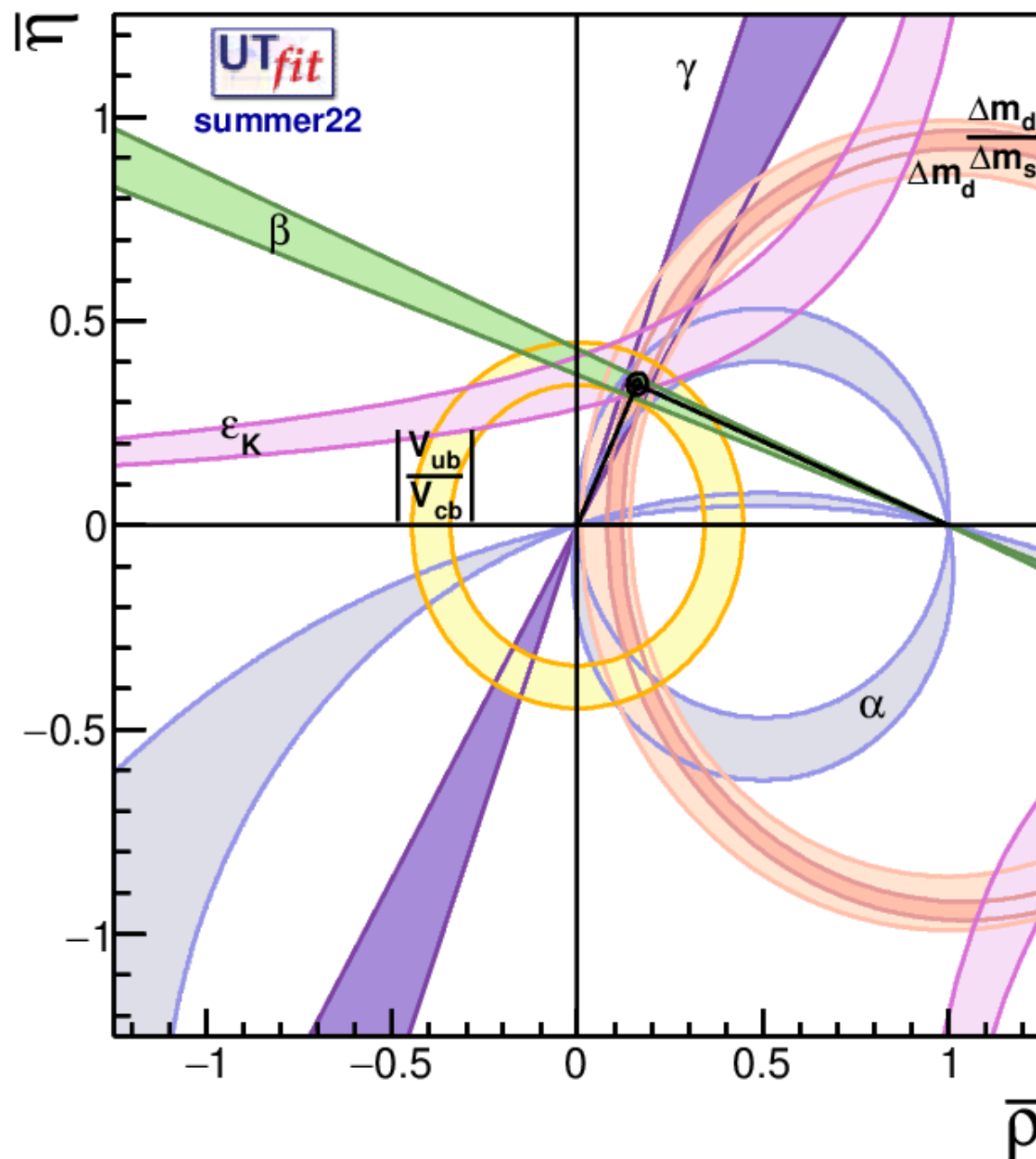


$\gamma$  from B into DK decays:  
 HFLAV:  $(65.8 \pm 3.4)^\circ$   
 UTfit prediction:  $(64.9 \pm 1.3)^\circ$

# Unitarity Triangle analysis in the SM:



# Unitarity Triangle analysis in the SM:



levels @  
95% Prob

~6%

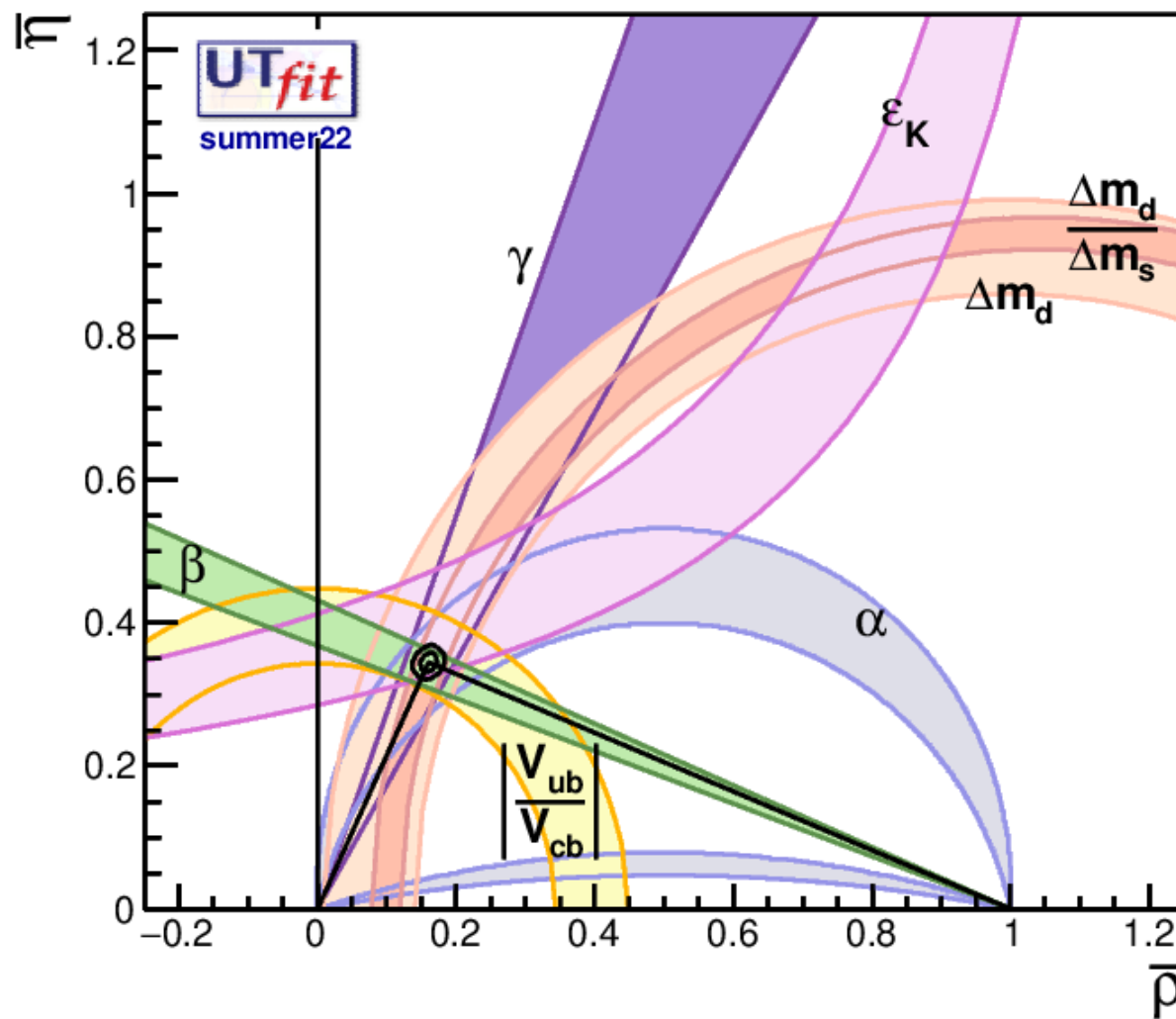
$$\bar{\rho} = 0.160 \pm 0.009$$

$$\bar{\eta} = 0.345 \pm 0.009$$

~3%

# Unitarity Triangle analysis in the SM:

zoomed in..



levels @  
95% Prob

~6%

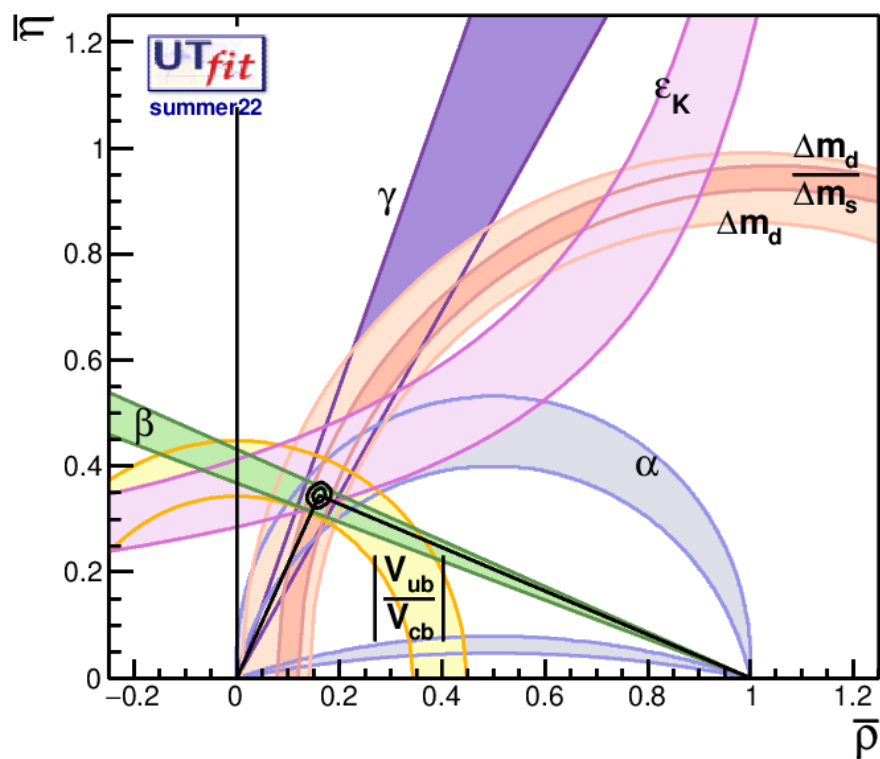
$$\bar{\rho} = 0.160 \pm 0.009$$

$$\bar{\eta} = 0.345 \pm 0.009$$

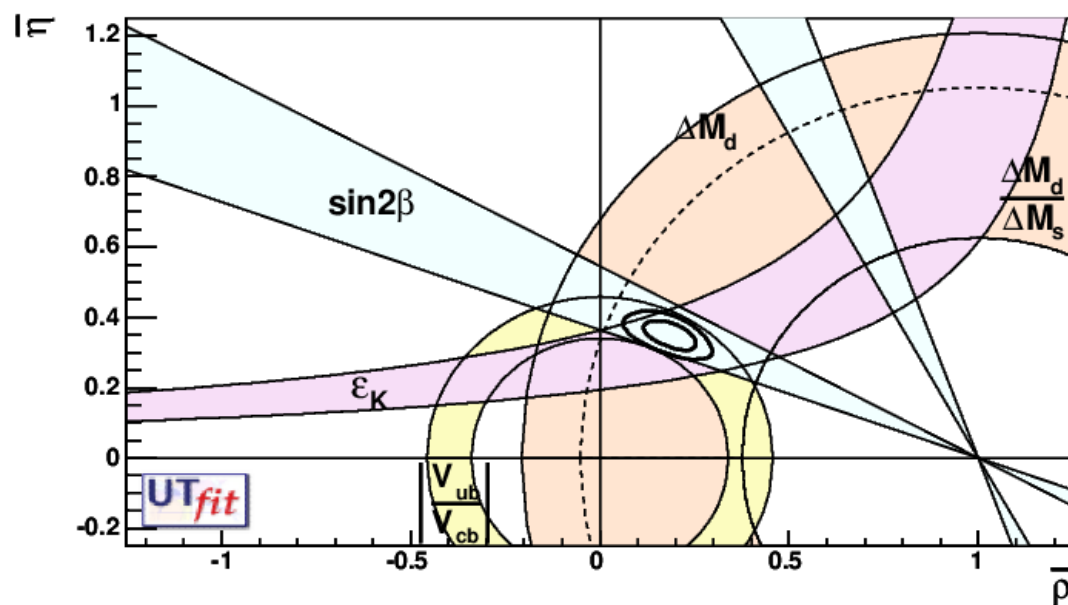
~3%

# Unitarity Triangle analysis in the SM:

2022

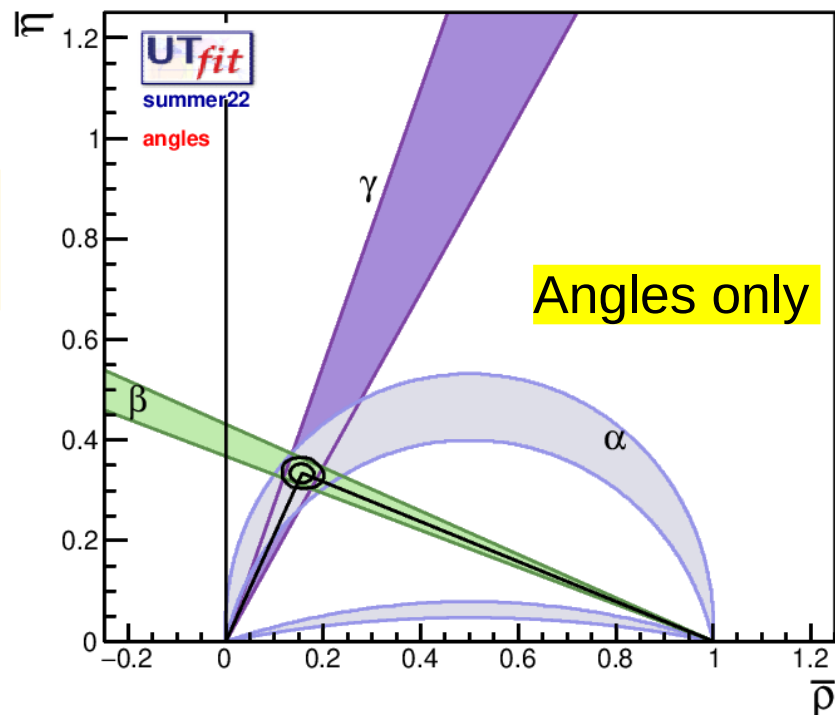
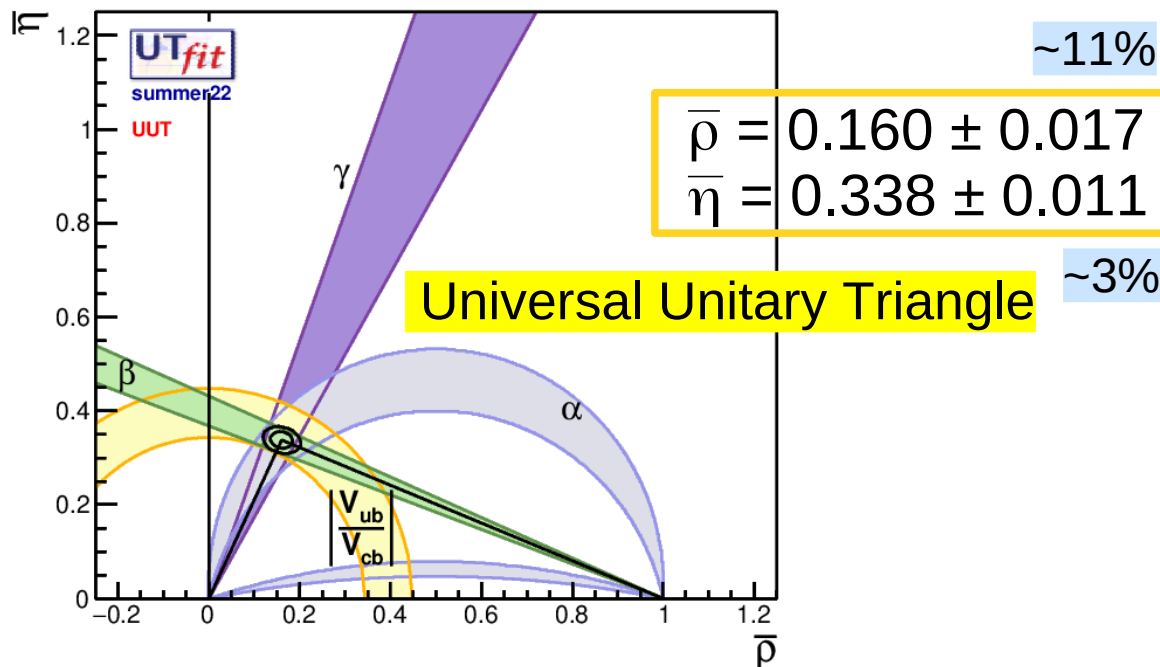


2004



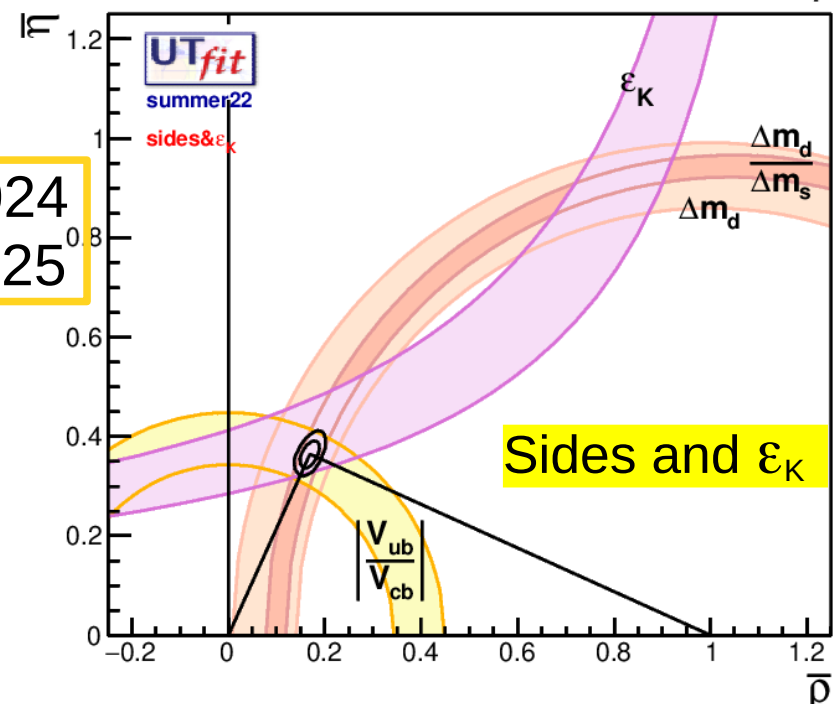
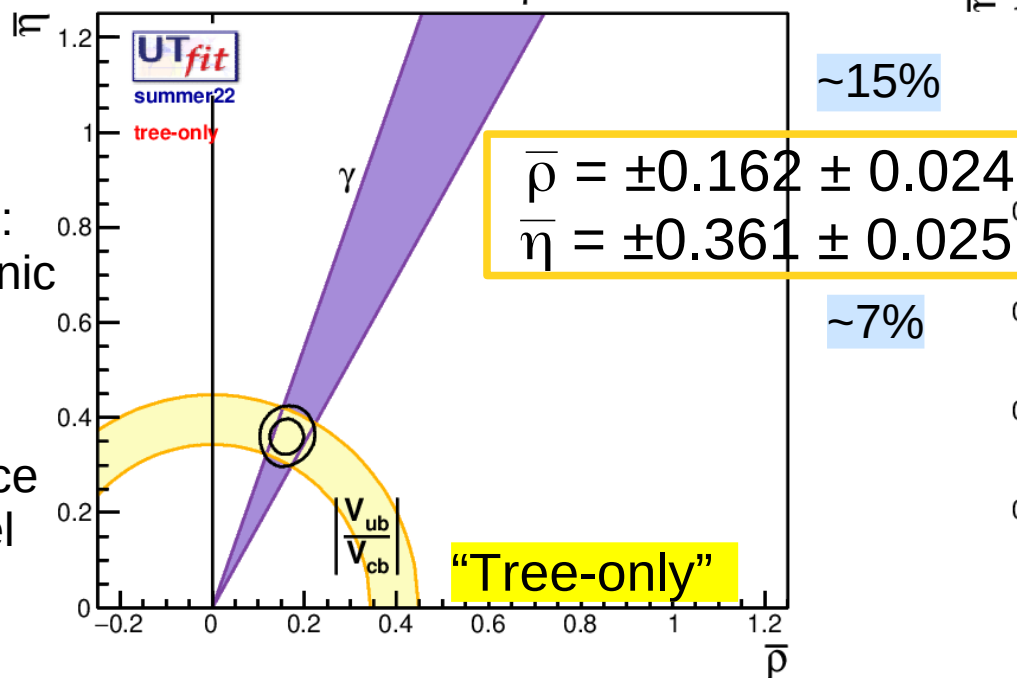


# Some interesting configurations



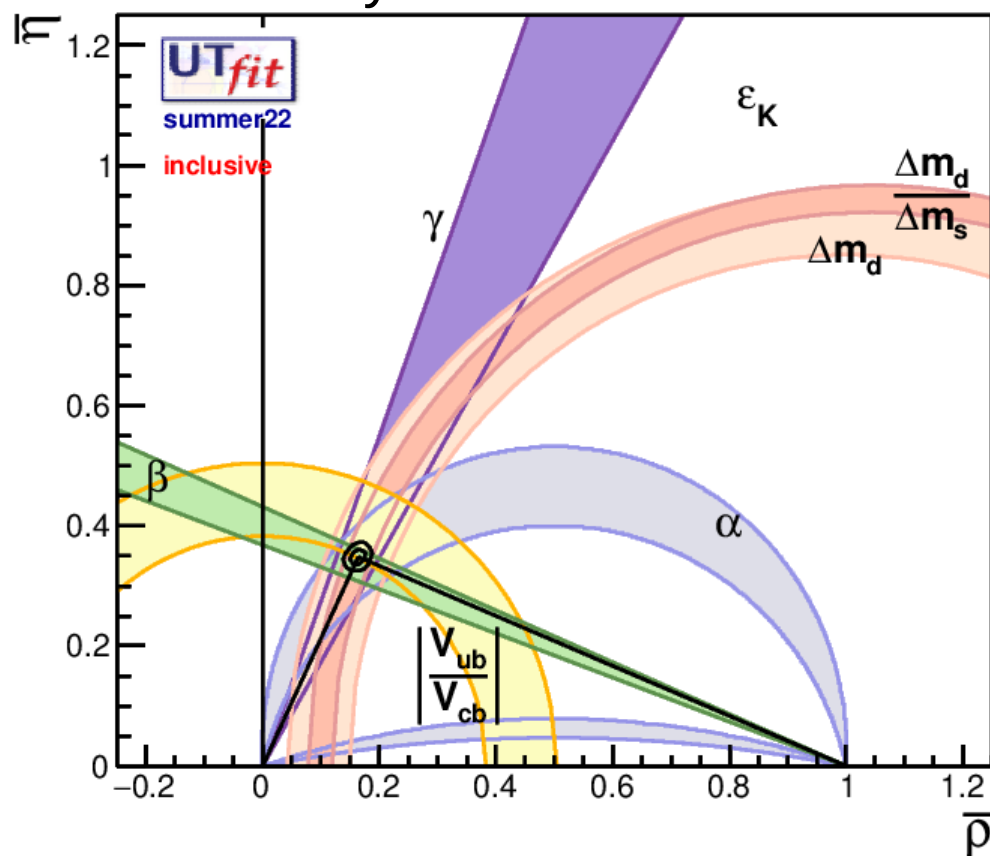
Tree-level processes:  
Semileptonic  
and DK  
B decays

→ reference  
for model  
building



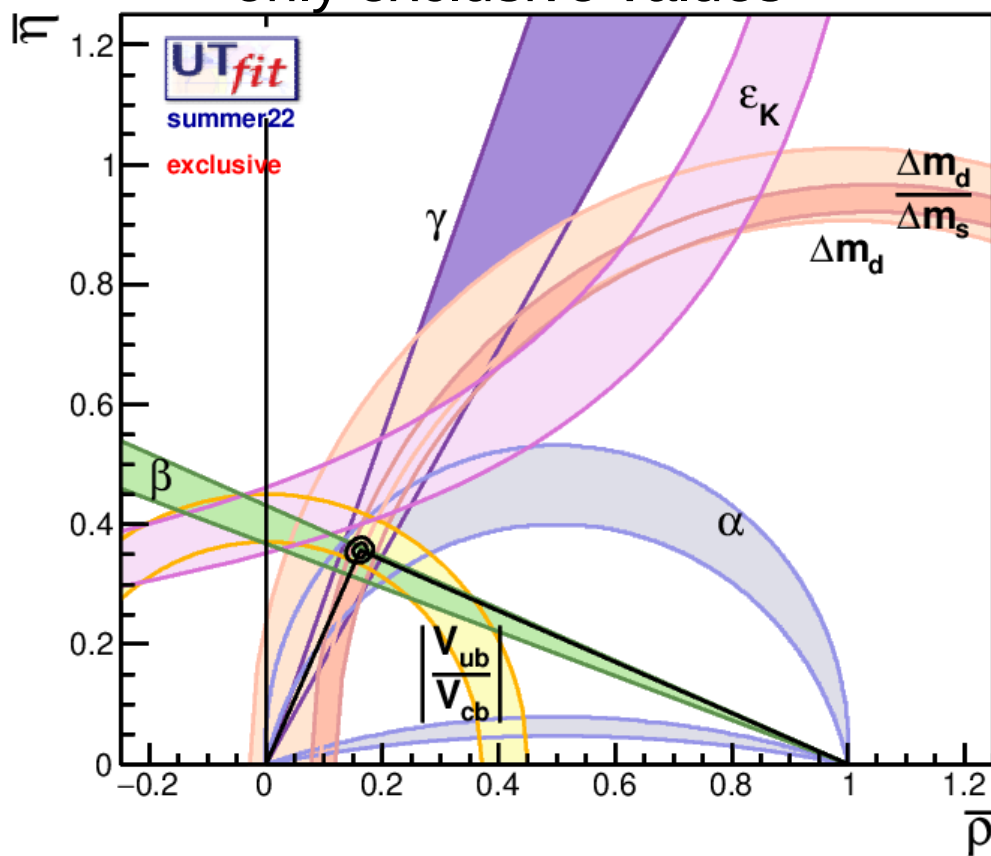
# Inclusive vs Exclusive

only inclusive values



$$\begin{aligned} \bar{\rho} &= 0.164 \pm 0.009 \\ \bar{\eta} &= 0.348 \pm 0.009 \\ \sin 2\beta &= 0.753 \pm 0.028 \end{aligned}$$

only exclusive values



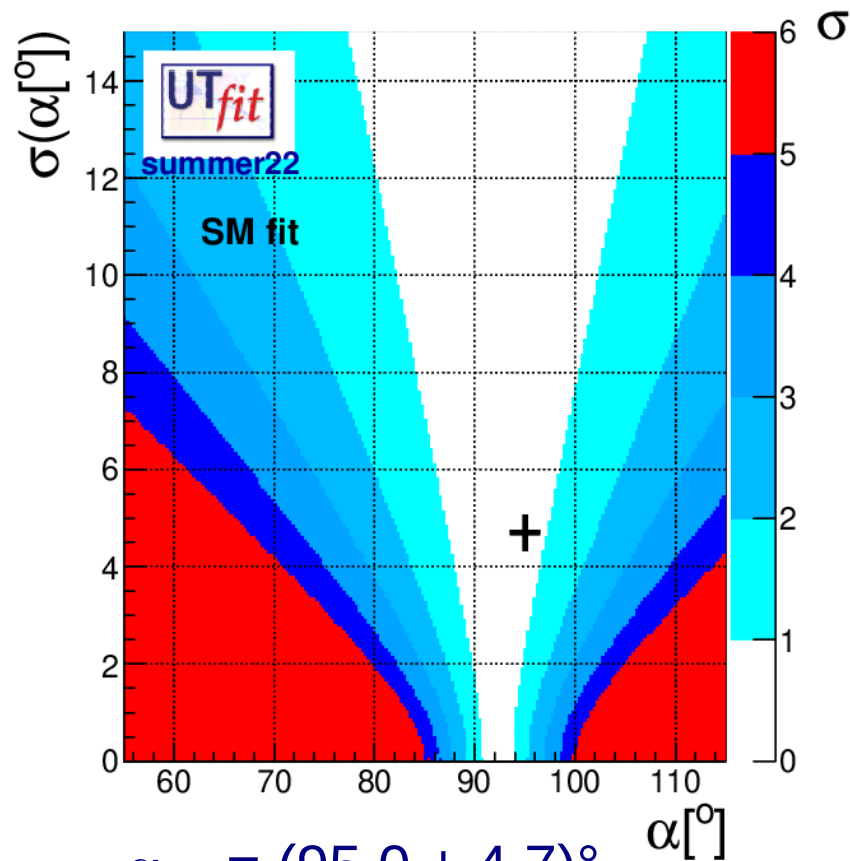
$$\begin{aligned} \bar{\rho} &= 0.162 \pm 0.009 \\ \bar{\eta} &= 0.356 \pm 0.009 \\ \sin 2\beta &= 0.755 \pm 0.020 \end{aligned}$$

# compatibility plots

A way to “measure” the agreement of a single measurement with the indirect determination from the fit using all the other inputs: test for the SM description of the flavour physics

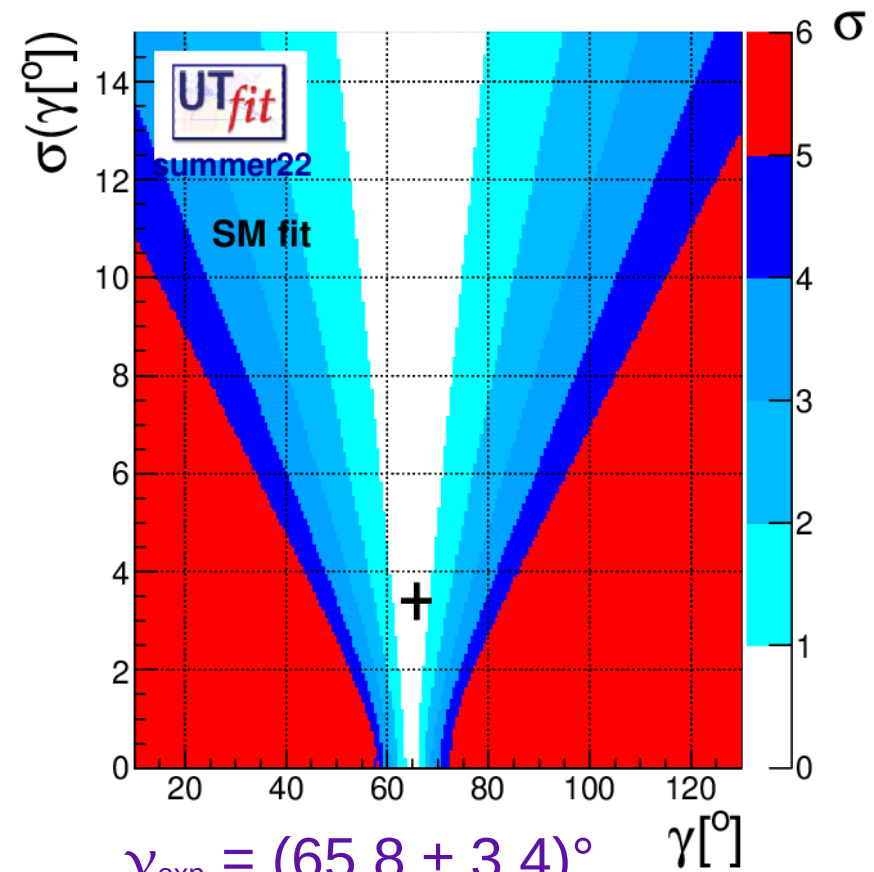
Color code: agreement between the predicted values and the measurements at better than 1, 2, ... $n\sigma$

The cross has the coordinates (x,y)=(central value, error) of the direct measurement



$$\alpha_{\text{exp}} = (95.0 \pm 4.7)^\circ$$

$$\alpha_{\text{UTfit}} = (92.3 \pm 1.5)^\circ$$



$$\gamma_{\text{exp}} = (65.8 \pm 3.4)^\circ$$

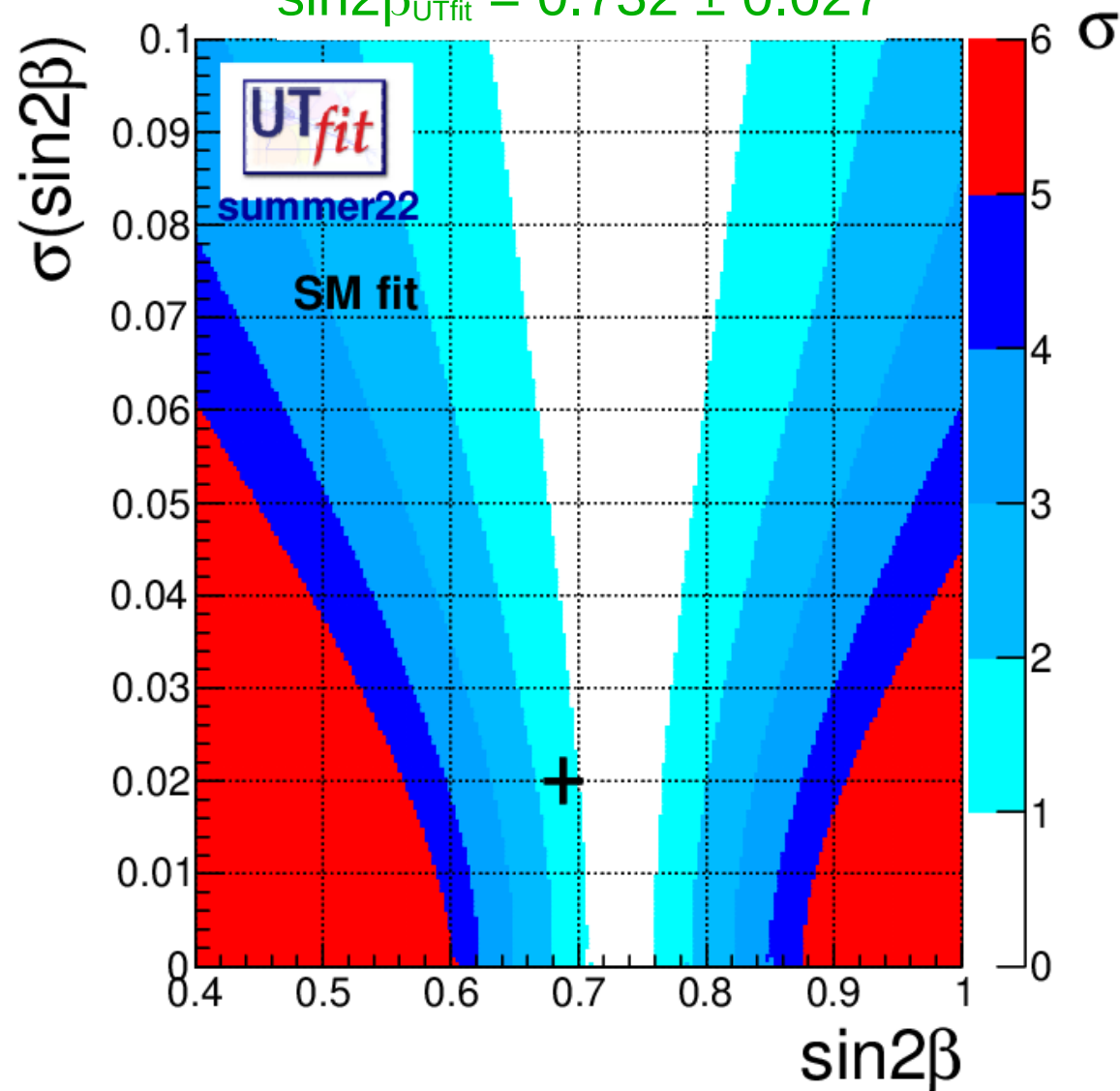
$$\gamma_{\text{UTfit}} = (64.9 \pm 1.3)^\circ$$

# Checking the usual *tensions*..

$\sim 1.3\sigma$

$$\sin 2\beta_{\text{exp}} = 0.688 \pm 0.020$$

$$\sin 2\beta_{\text{UTfit}} = 0.732 \pm 0.027$$



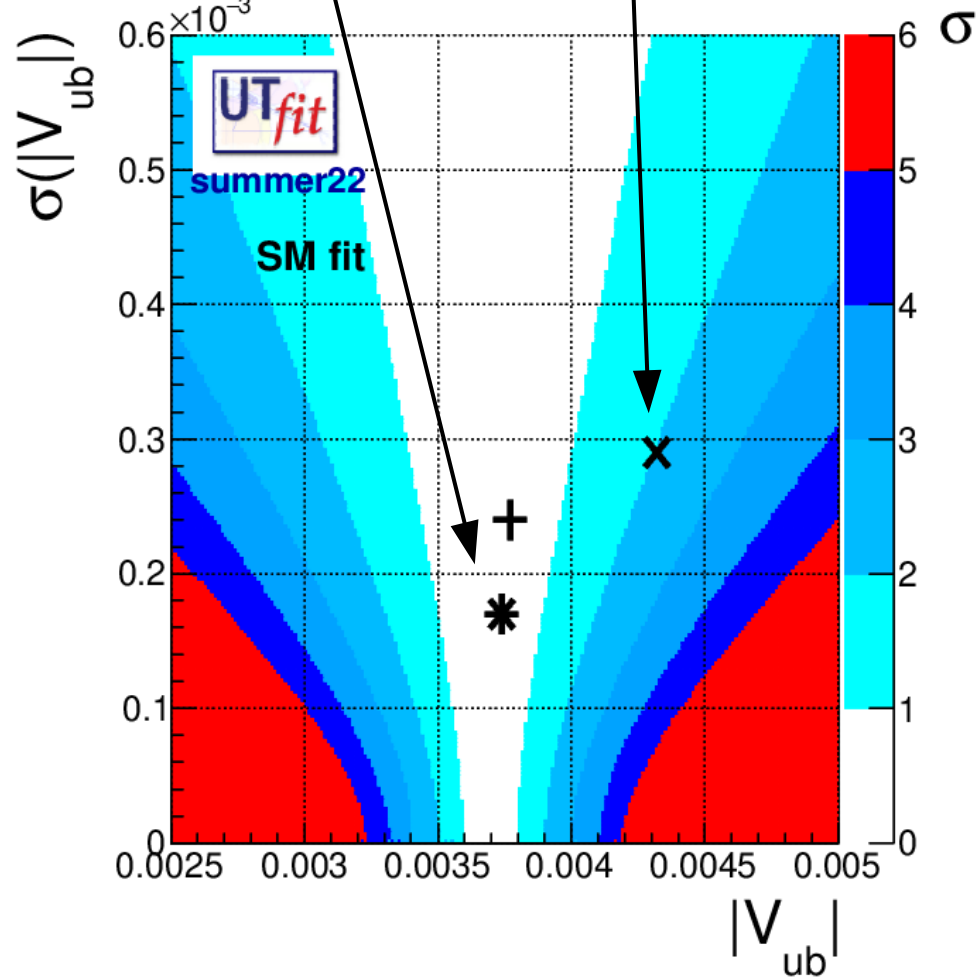
# Checking the usual *tensions*..

$|V_{ub}| \text{ (excl)} = (3.74 \pm 0.17) \cdot 10^{-3}$

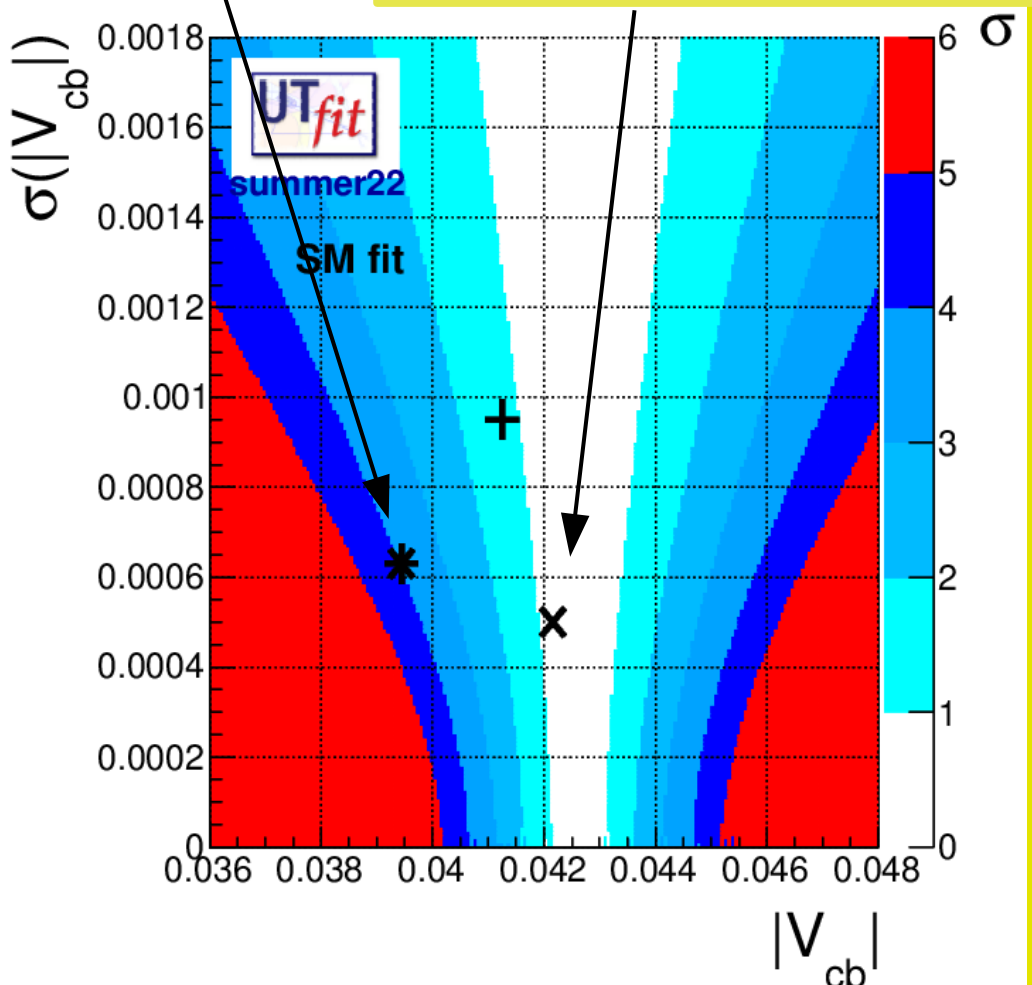
$|V_{ub}| \text{ (incl)} = (4.32 \pm 0.29) \cdot 10^{-3}$

$|V_{cb}| \text{ (excl)} = (39.44 \pm 0.63) \cdot 10^{-3}$

$|V_{cb}| \text{ (incl)} = (42.16 \pm 0.50) \cdot 10^{-3}$



$V_{ub_{exp}} = (3.77 \pm 0.24) \cdot 10^{-3}$   
 $V_{ub_{UTfit}} = (3.70 \pm 0.10) \cdot 10^{-3}$



$V_{cb_{exp}} = (41.25 \pm 0.95) \cdot 10^{-3}$   
 $V_{cb_{UTfit}} = (42.6 \pm 0.5) \cdot 10^{-3}$

# UT analysis including new physics

fit simultaneously for the CKM and the NP parameters (generalized UT fit)

- add most general loop NP to all sectors
- use all available experimental info
- find out NP contributions to  $\Delta F=2$  transitions

$B_d$  and  $B_s$  mixing amplitudes (2+2 real parameters):

$$A_q = C_{B_q} e^{2i\phi_{B_q}} A_q^{SM} e^{2i\phi_q^{SM}} = \left( 1 + \frac{A_q^{NP}}{A_q^{SM}} e^{2i(\phi_q^{NP} - \phi_q^{SM})} \right) A_q^{SM} e^{2i\phi_q^{SM}}$$

$$\Delta m_{q/K} = C_{B_q/\Delta m_K} (\Delta m_{q/K})^{SM}$$

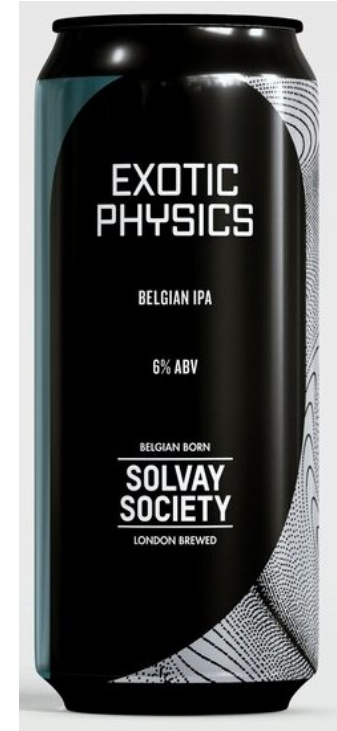
$$A_{CP}^{B_d \rightarrow J/\psi K_s} = \sin 2(\beta + \phi_{B_d})$$

$$A_{SL}^q = \text{Im}(\Gamma_{12}^q / A_q)$$

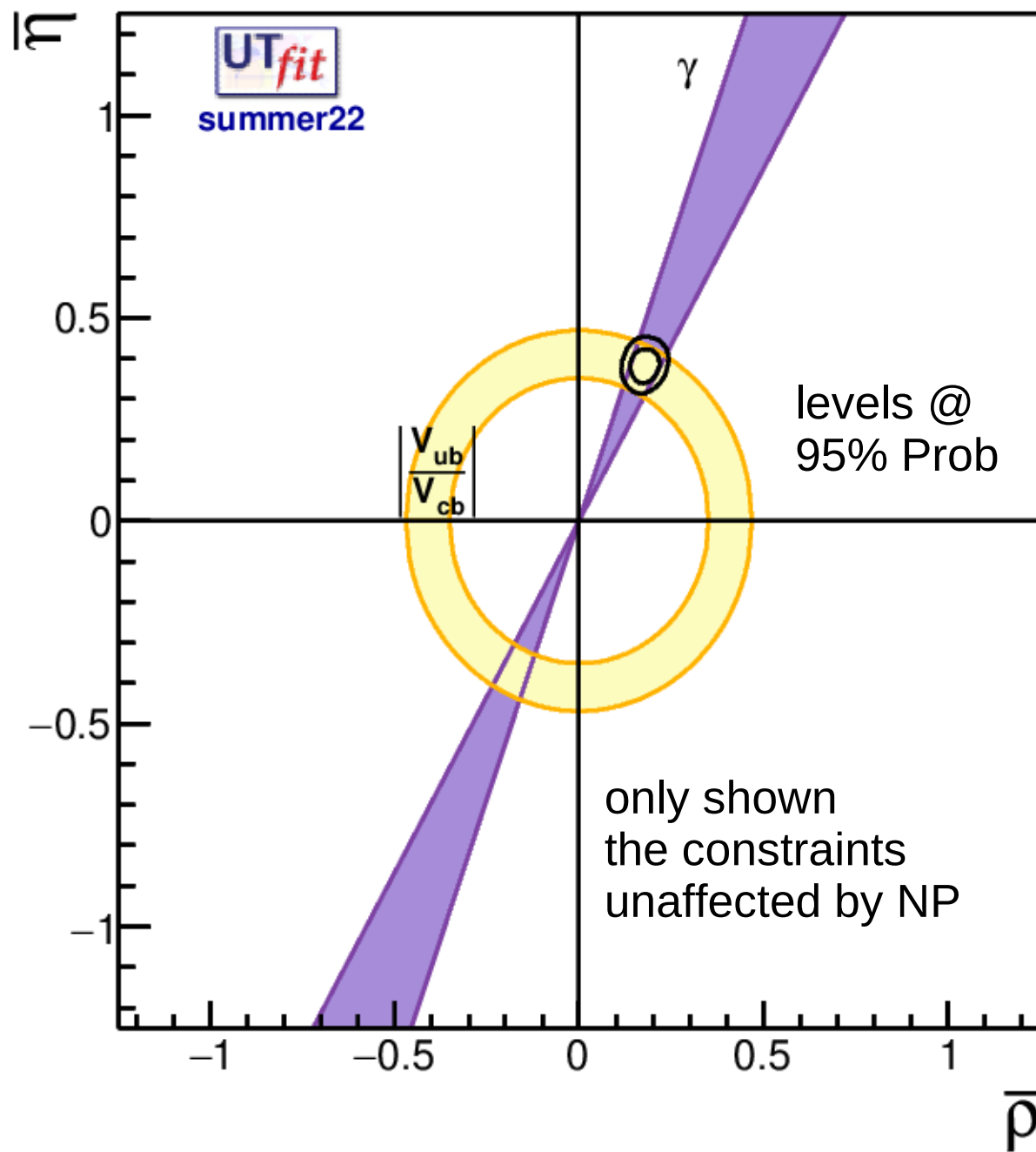
$$\varepsilon_K = C_\varepsilon \varepsilon_K^{SM}$$

$$A_{CP}^{B_s \rightarrow J/\psi \phi} \sim \sin 2(-\beta_s + \phi_{B_s})$$

$$\Delta \Gamma^q / \Delta m_q = \text{Re}(\Gamma_{12}^q / A_q)$$



# NP analysis results



$$\bar{\rho} = 0.169 \pm 0.025$$

$$\bar{\eta} = 0.365 \pm 0.026$$

**SM is**

$$\bar{\rho} = 0.160 \pm 0.009$$

$$\bar{\eta} = 0.345 \pm 0.009$$

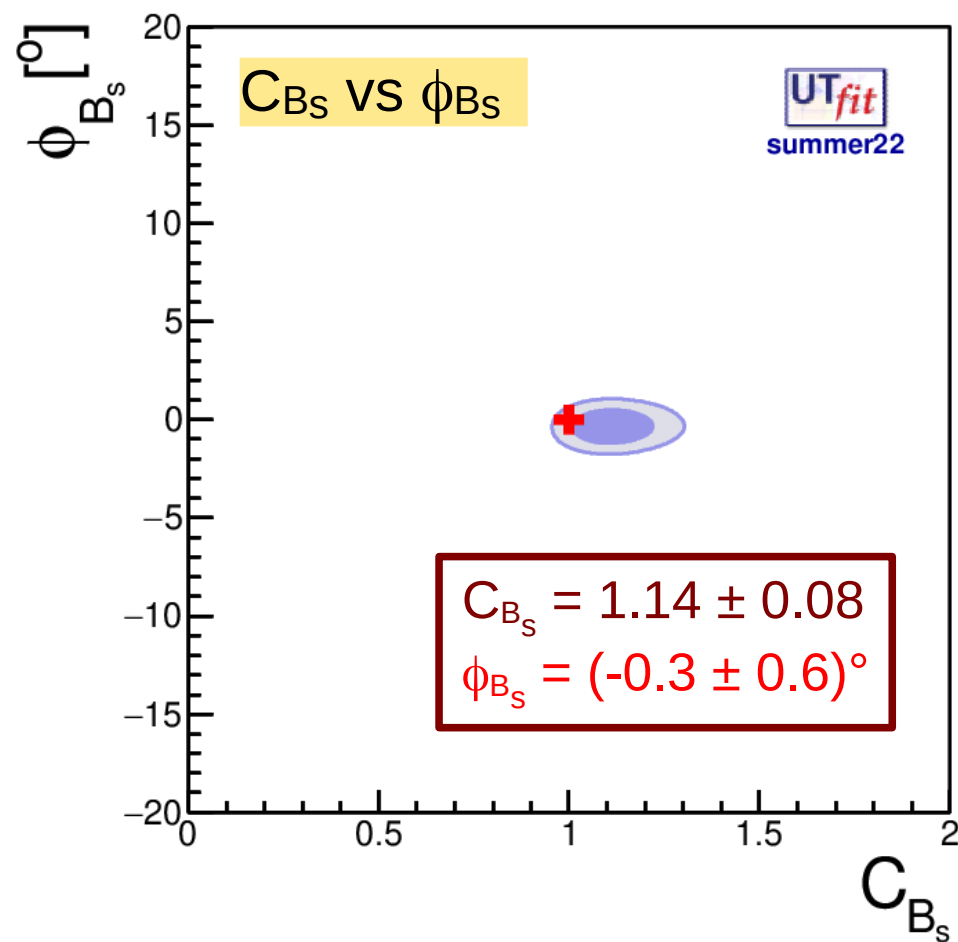
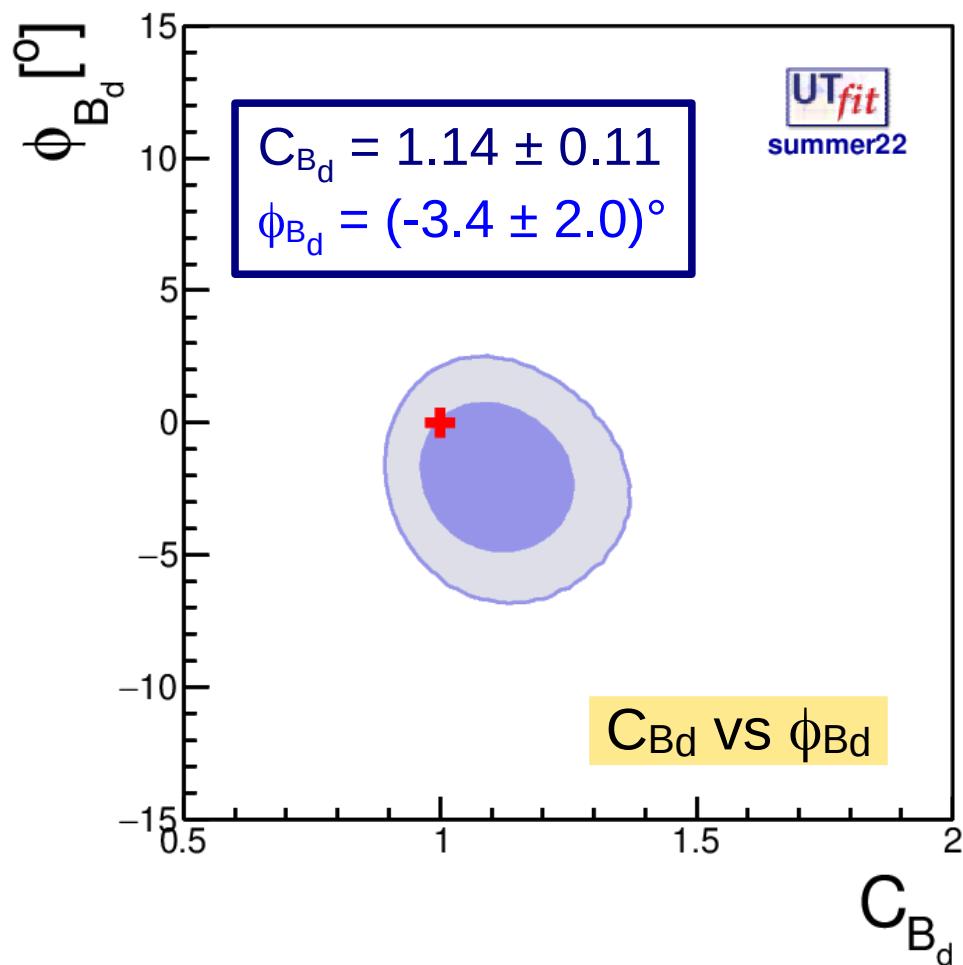
# NP parameter results

$$A_q = C_{B_q} e^{2i\phi_{B_q}} A_q^{SM} e^{2i\phi_q^{SM}}$$

dark: 68%  
light: 95%  
SM: red cross

K system

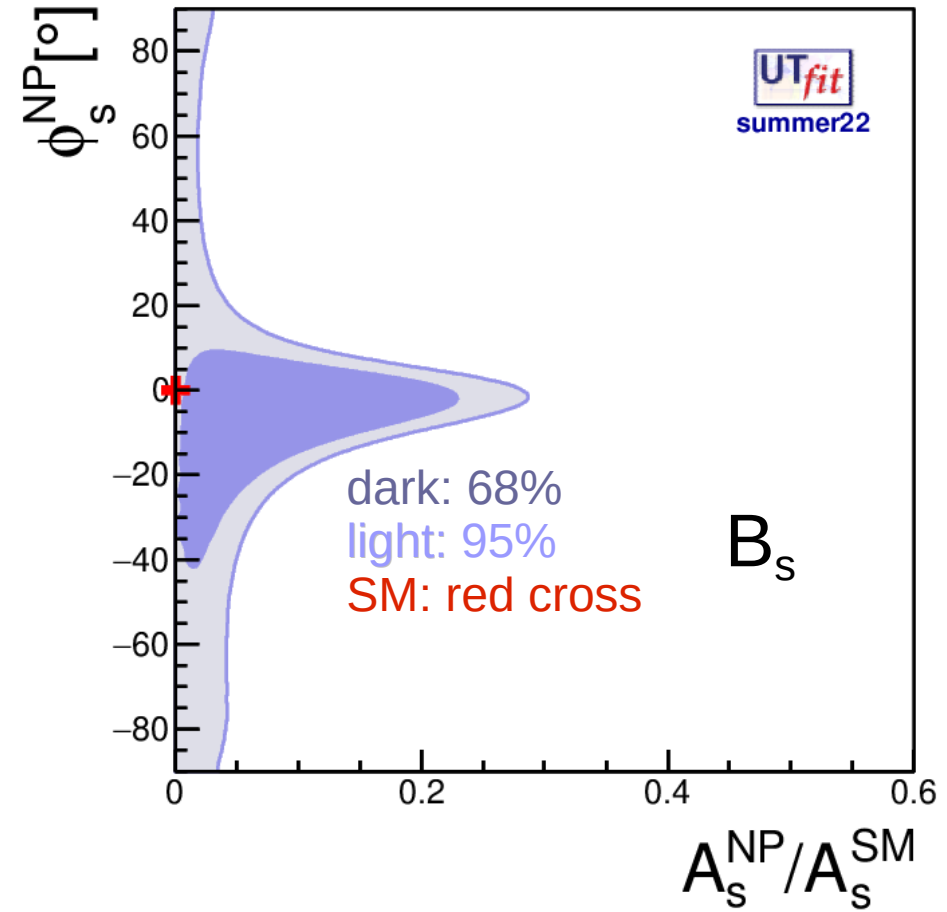
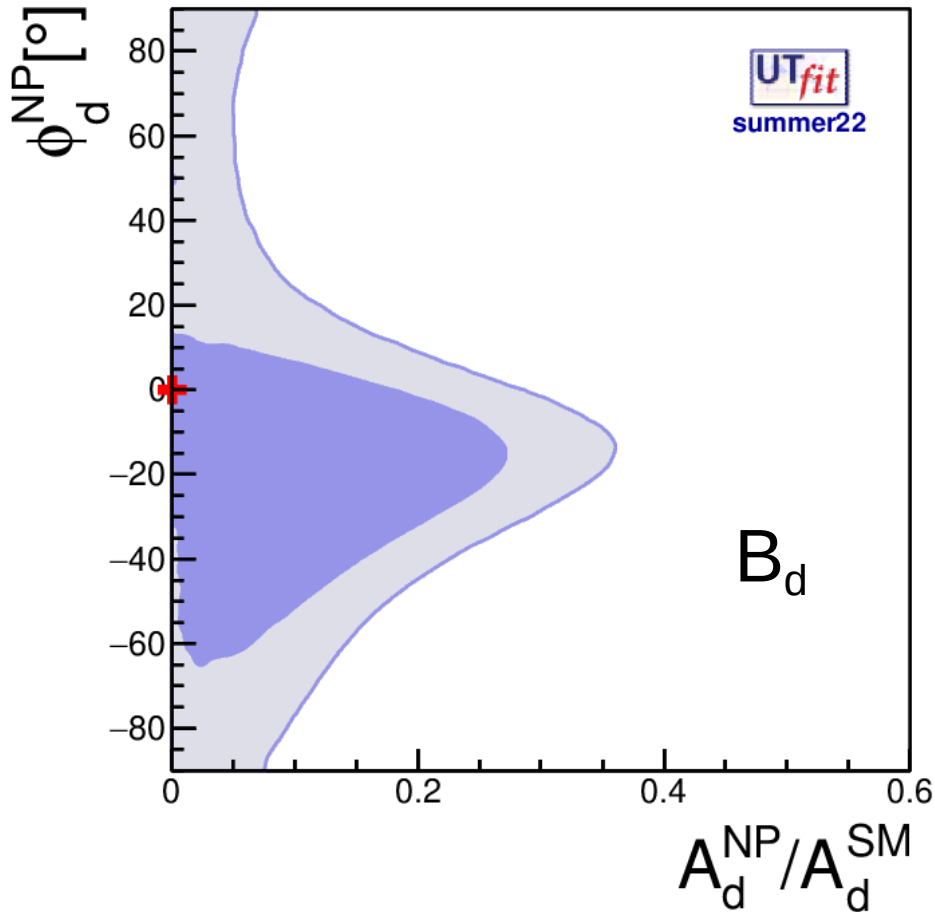
$$C_{e_K} = 1.12 \pm 0.12$$





# NP parameter results

$$A_q = \left( 1 + \frac{A_q^{NP}}{A_q^{SM}} e^{2i(\phi_q^{NP} - \phi_q^{SM})} \right) A_q^{SM} e^{2i\phi_q^{SM}}$$



The ratio of NP/SM amplitudes is:

< 25% @68% prob. (35% @95%) in  $B_d$  mixing

< 25% @68% prob. (30% @95%) in  $B_s$  mixing

# testing the new-physics scale

M. Bona *et al.* (UTfit)  
 JHEP 0803:049,2008  
 arXiv:0707.0636

R  
G  
E

## At the high scale

new physics enters according to its specific features

## At the low scale

use OPE to write the most general effective Hamiltonian. the operators have different chiralities than the SM  
 NP effects are in the Wilson Coefficients C

$$\mathcal{H}_{\text{eff}}^{\Delta B=2} = \sum_{i=1}^5 C_i Q_i^{bq} + \sum_{i=1}^3 \tilde{C}_i \tilde{Q}_i^{bq}$$

$$Q_1^{q_i q_j} = \bar{q}_{jL}^{\alpha} \gamma_{\mu} q_{iL}^{\alpha} \bar{q}_{jL}^{\beta} \gamma^{\mu} q_{iL}^{\beta},$$

$$Q_2^{q_i q_j} = \bar{q}_{jR}^{\alpha} q_{iL}^{\alpha} \bar{q}_{jR}^{\beta} q_{iL}^{\beta},$$

$$Q_3^{q_i q_j} = \bar{q}_{jR}^{\alpha} q_{iL}^{\beta} \bar{q}_{jR}^{\beta} q_{iL}^{\alpha},$$

$$Q_4^{q_i q_j} = \bar{q}_{jR}^{\alpha} q_{iL}^{\alpha} \bar{q}_{jL}^{\beta} q_{iR}^{\beta},$$

$$Q_5^{q_i q_j} = \bar{q}_{jR}^{\alpha} q_{iL}^{\beta} \bar{q}_{jL}^{\beta} q_{iR}^{\alpha}.$$

$$C_i(\Lambda) = F_i \frac{L_i}{\Lambda^2}$$

$F_i$ : function of the NP flavour couplings

$L_i$ : loop factor (in NP models with no tree-level FCNC)

$\Lambda$ : NP scale (typical mass of new particles mediating  $\Delta F=2$  processes)

# testing the TeV scale

$$C_i(\Lambda) = \frac{L_i}{F_i \Lambda^2}$$

The dependence of  $C$  on  $\Lambda$  changes depending on the flavour structure.

We can consider different flavour scenarios:

- **Generic:**  $C(\Lambda) = \alpha/\Lambda^2$   $F_i \sim 1$ , arbitrary phase
- **NMFV:**  $C(\Lambda) = \alpha \times |F_{SM}|/\Lambda^2$   $F_i \sim |F_{SM}|$ , arbitrary phase
- **MFV:**  $C(\Lambda) = \alpha \times |F_{SM}|/\Lambda^2$   $F_1 \sim |F_{SM}|, F_{i \neq 1} \sim 0$ , SM phase

$\alpha (L_i)$  is the coupling among NP and SM

- ⊙  $\alpha \sim 1$  for strongly coupled NP
- ⊙  $\alpha \sim \alpha_w (\alpha_s)$  in case of loop coupling through **weak (strong)** interactions

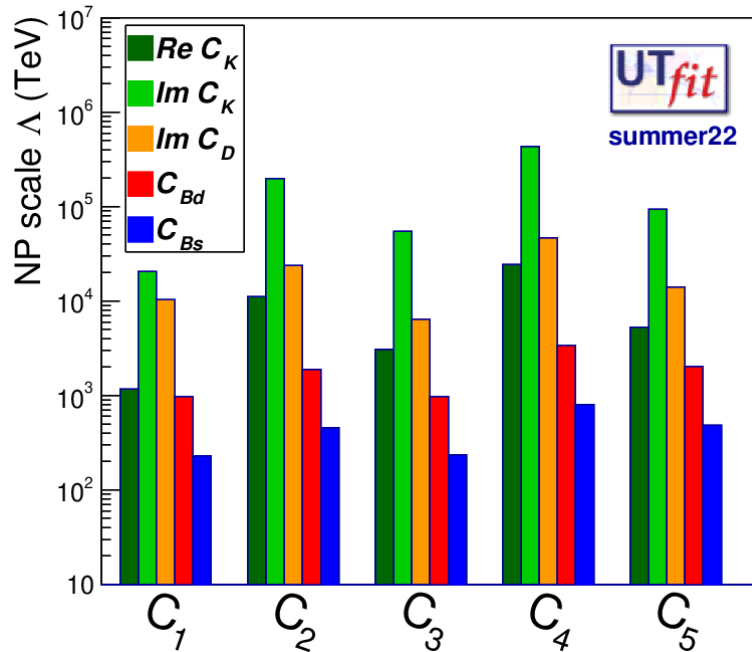
If no NP effect is seen  
lower bound on NP scale  $\Lambda$

$F$  is the flavour coupling and so

$F_{SM}$  is the combination of CKM factors for the considered process

# results from the Wilson coefficients

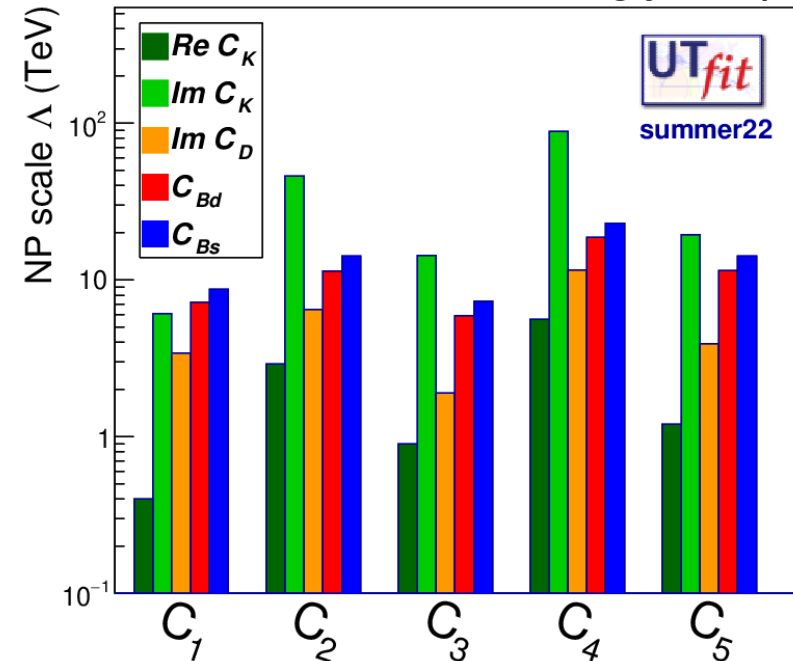
**Generic:**  $C(\Lambda) = \alpha/\Lambda^2$ ,  
 $F_i \sim 1$ , arbitrary phase  
 $\alpha \sim 1$  for strongly coupled NP



$\Lambda > 4.4 \cdot 10^5 \text{ TeV}$

$\alpha \sim \alpha_w$  in case of loop coupling through **weak** interactions  
 $\Lambda > 1.3 \cdot 10^4 \text{ TeV}$

**NMFV:**  $C(\Lambda) = \alpha \times |F_{SM}|/\Lambda^2$ ,  
 $F_i \sim |F_{SM}|$ , arbitrary phase  
 $\alpha \sim 1$  for strongly coupled NP



$\Lambda > 95 \text{ TeV}$

$\alpha \sim \alpha_w$  in case of loop coupling through **weak** interactions  
 $\Lambda > 2.9 \text{ TeV}$

Lower bounds on NP scale (at 95% prob.)

for lower bound for loop-mediated contributions, simply multiply by  $\alpha_s$  ( $\sim 0.1$ ) or by  $\alpha_w$  ( $\sim 0.03$ ).



3  
**COLD DARK MATTER:  
AN EXPLODED VIEW**

'We watch explosions daily, in action films, documentaries and on the news in never-ending reports of conflict. I wanted to create a real explosion, not a representation. I chose the garden shed because it's the place where you store things you can't quite throw away.'

The shed was blown up at the Army School of Ammunition. We used Semtex, a plastic explosive popular with terrorists. I pressed the plunger that blew the shed skywards. The soldiers helped me comb the field afterwards, picking up the blackened, mangled objects.

**Cornelia Parker**

## conclusions

- SM analysis displays very good (improved) overall consistency
- Still open discussion on semileptonic inclusive vs exclusive: exclusive fit shows tension,  $V_{cb}$  now showing the biggest discrepancy..
- UTA provides determination of NP contributions to  $\Delta F=2$  amplitudes. It currently leaves space for NP at the level of 25-35%
- So the scale analysis points to high scales for the generic scenario and at the limit of LHC reach for weak coupling. Indirect searches are not only complementary to direct searches, but they might be the main way to glimpse at new physics.

**Back up slides**

## Some updated inputs

lattice inputs updated for this summer

Observables	Measurement
$B_K$	$0.756 \pm 0.016$
$f_{B_s}$	$0.2301 \pm 0.0012$
$f_{B_s}/f_{B_d}$	$1.208 \pm 0.005$
$B_{B_s}/B_{B_d}$	$1.015 \pm 0.021$
$B_{B_s}$	$1.284 \pm 0.059$

We quote, instead, the weighted average of the  $N_f=2+1+1$  and  $N_f=2+1$  results with the error rescaled when  $\chi^2/\text{dof} > 1$ , as done by FLAG for the  $N_f=2+1+1$  and  $N_f=2+1$  averages separately  
 [new HPQCD (2+1+1) result 1907.01025]

$V_{ud}$  and  $V_{us}$  updated for this summer

Observables	Measurement
$V_{ud}$	$0.97433 \pm 0.00019$
$V_{us}$	$0.2249 (\pm 0.0004)$

$V_{ud}$  is taken from the PDG average of  $V_{ud}$  FLAG numbers (for 2+1+1 and 2+1) and superallowed beta decays value. PDG scale factor  $S=2.0$

$V_{us}$  is not used in the fit



## Unitarity Triangle analysis in the SM:

obtained excluding the  
given constraint from the fit



Observables	Measurement	Prediction	Pull ( $\# \sigma$ )
$\sin 2\beta$	$0.688 \pm 0.020$	$0.732 \pm 0.027$	$\sim 1.3$
$\gamma$	$65.8 \pm 3.4$	$64.9 \pm 1.3$	$< 1$
$\alpha$	$95.0 \pm 4.7$	$92.3 \pm 1.5$	$< 1$
$\epsilon_K \cdot 10^3$	$2.228 \pm 0.001$	$2.04 \pm 0.14$	$< 1$
$ V_{cb}  \cdot 10^3$	$41.25 \pm 0.95$	$42.6 \pm 0.5$	$< 1$
$ V_{cb}  \cdot 10^3$ (incl)	$42.16 \pm 0.50$		$< 1$
$ V_{cb}  \cdot 10^3$ (excl)	$39.44 \pm 0.63$		$\sim 4.0$
$ V_{ub}  \cdot 10^3$	$3.77 \pm 0.24$	$3.70 \pm 0.10$	$< 1$
$ V_{ub}  \cdot 10^3$ (incl)	$4.32 \pm 0.29$	-	$\sim 2.0$
$ V_{ub}  \cdot 10^3$ (excl)	$3.74 \pm 0.17$	-	$< 1$
$\text{BR}(B \rightarrow \tau \nu)[10^{-4}]$	$1.09 \pm 0.24$	$0.88 \pm 0.05$	$< 1$
$A_{\text{SL}}^d \cdot 10^3$	$-2.1 \pm 1.7$	$-0.33 \pm 0.02$	$< 1$
$A_{\text{SL}}^s \cdot 10^3$	$-0.6 \pm 2.8$	$0.014 \pm 0.001$	$< 1$

# Unitarity Triangle analysis in the SM:

We obtain the predictions for the lattice parameters in different configurations in the fit:

- only lattice parameters ratios

- ( $F_{B_s}/F_B$ ,  $B_{B_s}/B_{B_d}$  used)

- only B parameters

- ( $B_{B_s}^1$ ,  $B_{B_s}/B_{B_d}$  used)

- only decay constants f

- ( $f_{B_s}$ ,  $f_{B_s}/f_B$  included)

Observables	Measurement	Prediction
$B_K$	$0.756 \pm 0.016$	$0.832 \pm 0.054$
<b>No B lattice</b>		
$f_B \sqrt{B_{B_d}}$	$(0.2142 \pm 0.0056)$	$0.212 \pm 0.010$
$f_{B_s} \sqrt{B_{B_s}}$	$(0.2607 \pm 0.0061)$	$0.259 \pm 0.010$
$\xi$	$(1.217 \pm 0.014)$	$1.225 \pm 0.033$
<b>Ratios only</b>		
$f_{B_s}$	$0.2301 \pm 0.0012$	$0.227 \pm 0.009$
$B_{B_s}$	$1.284 \pm 0.059$	$1.30 \pm 0.10$
<b>B pars only</b>		
$f_{B_s}/f_{B_d}$	$1.208 \pm 0.005$	$1.215 \pm 0.028$
$f_{B_s}$	$0.2301 \pm 0.0012$	$0.228 \pm 0.008$
<b>f pars only</b>		
$B_{B_s}/B_{B_d}$	$1.015 \pm 0.021$	$1.017 \pm 0.028$
$B_{B_s}$	$1.284 \pm 0.059$	$1.290 \pm 0.065$

# new-physics-specific constraints

$$A_{\text{SL}}^s \equiv \frac{\Gamma(\bar{B}_s \rightarrow \ell^+ X) - \Gamma(B_s \rightarrow \ell^- X)}{\Gamma(\bar{B}_s \rightarrow \ell^+ X) + \Gamma(B_s \rightarrow \ell^- X)} = \text{Im} \left( \frac{\Gamma_{12}^s}{A_s^{\text{full}}} \right)$$

**semileptonic asymmetries in  $B^0$  and  $B_s$ :** sensitive to NP effects in both size and phase. Taken from the latest HFLAV.

Cleo, BaBar, Belle, D0 and LHCb

**same-side dilepton charge asymmetry:** admixture of  $B_s$  and  $B_d$  so sensitive to NP effects in both.

D0 arXiv:1106.6308

$$A_{\text{SL}}^{\mu\mu} \times 10^3 = -7.9 \pm 2.0$$

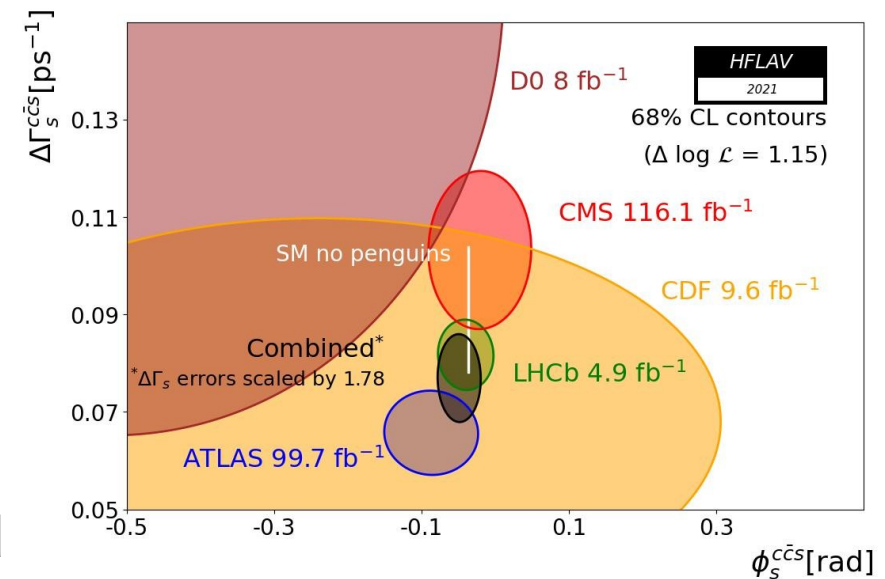
$$A_{\text{SL}}^{\mu\mu} = \frac{f_d \chi_{d0} A_{\text{SL}}^d + f_s \chi_{s0} A_{\text{SL}}^s}{f_d \chi_{d0} + f_s \chi_{s0}}$$

**lifetime  $\tau^{\text{FS}}$  in flavour-specific final states:** average lifetime is a function to the width and the width difference

$$\tau^{\text{FS}}(B_s) = 1.527 \pm 0.011 \text{ ps} \quad \text{HFLAV}$$

**$\phi_s = 2\beta_s$  vs  $\Delta\Gamma_s$  from  $B_s \rightarrow J/\psi\phi$**   
angular analysis as a function of proper time and b-tagging

$$\phi_s = -0.049 \pm 0.019 \text{ rad}$$

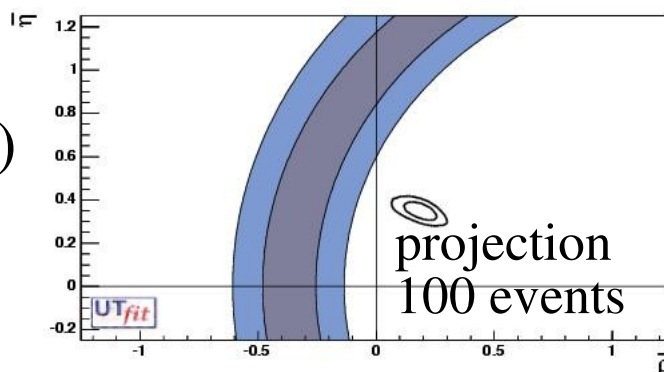


some old plots coming back to fashion:

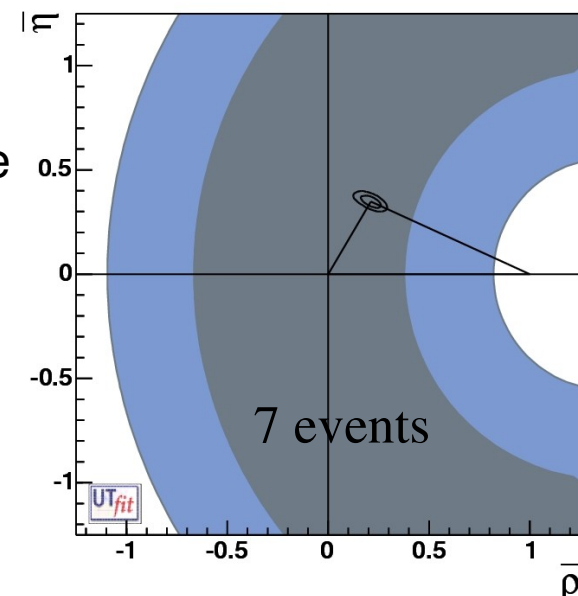
As NA62 and KOTO are analysing data:

$$BR(K^+ \rightarrow \pi^+ \nu \bar{\nu})$$

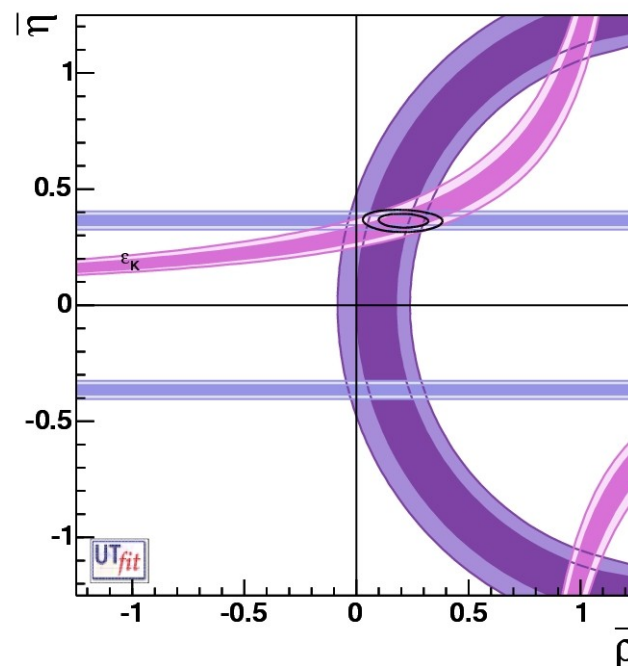
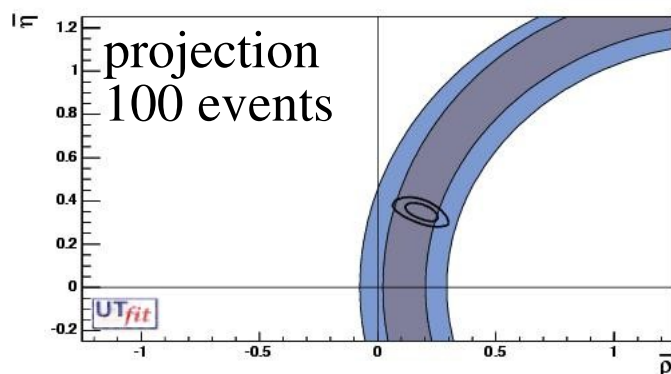
E949 central value



2007 global fit area



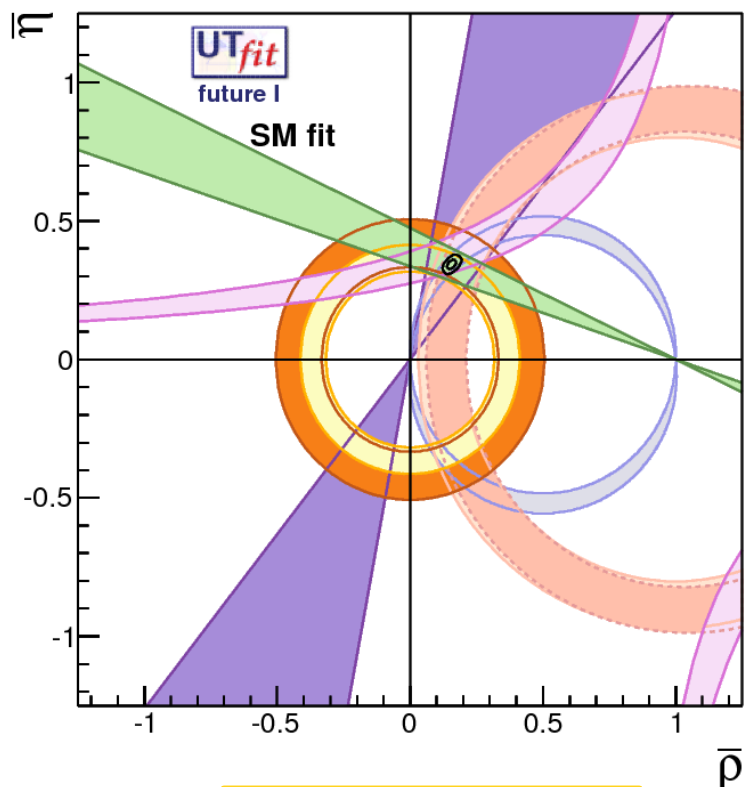
SM central value



including  
 $BR(K^0 \rightarrow \pi^0 \nu \bar{\nu})$   
 SM central value

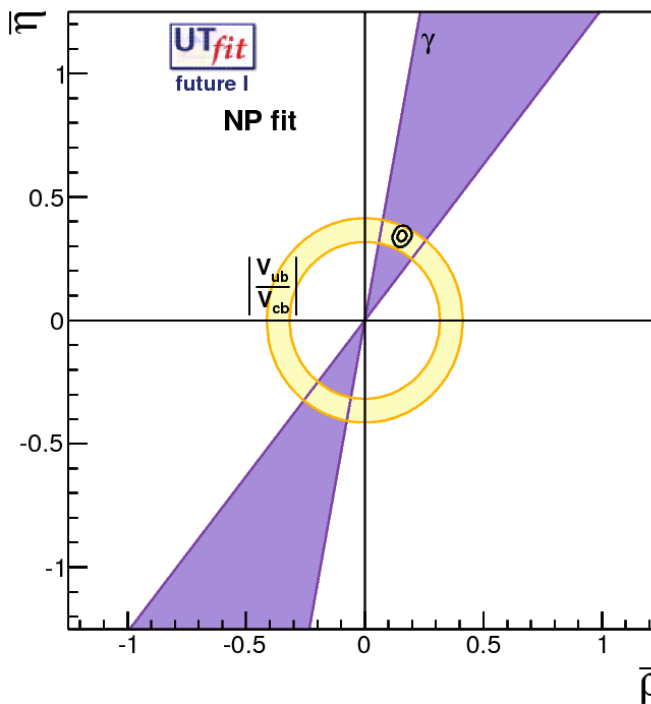
Old future predictions..

future I scenario:  
errors from  
**Belle II at 5/ab**  
+ **LHCb at 10/fb**



$$\rho = \pm 0.015$$

$$\eta = \pm 0.015$$



$$\rho = \pm 0.016$$

$$\eta = \pm 0.019$$

$$\bar{\rho} = 0.154 \pm 0.015$$

$$\bar{\eta} = 0.344 \pm 0.013$$

current sensitivity

$$\bar{\rho} = 0.150 \pm 0.027$$

$$\bar{\eta} = 0.363 \pm 0.025$$

