

暗黒物質アクシオンを始めとする, Wave-like dark matter の実験的探索

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2023年2月19日

Dark matter in various scale

Small scale

Large scale



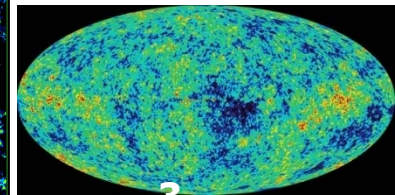
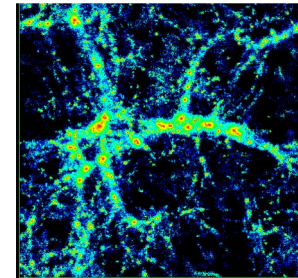
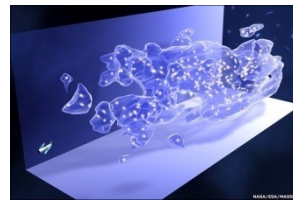
銀河の回転速度

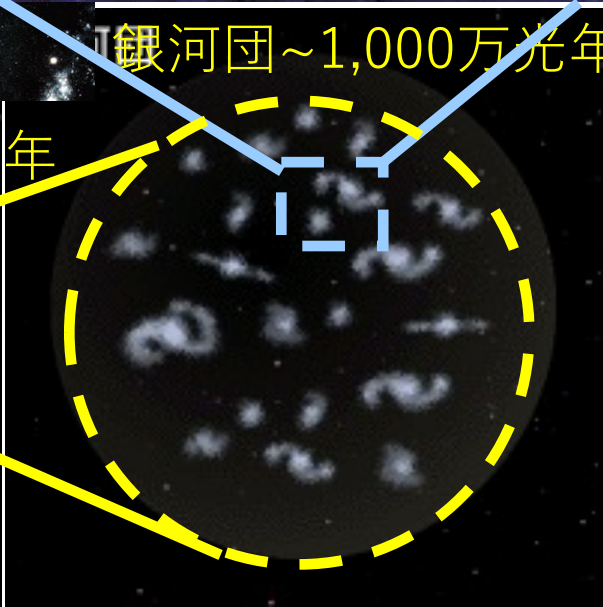
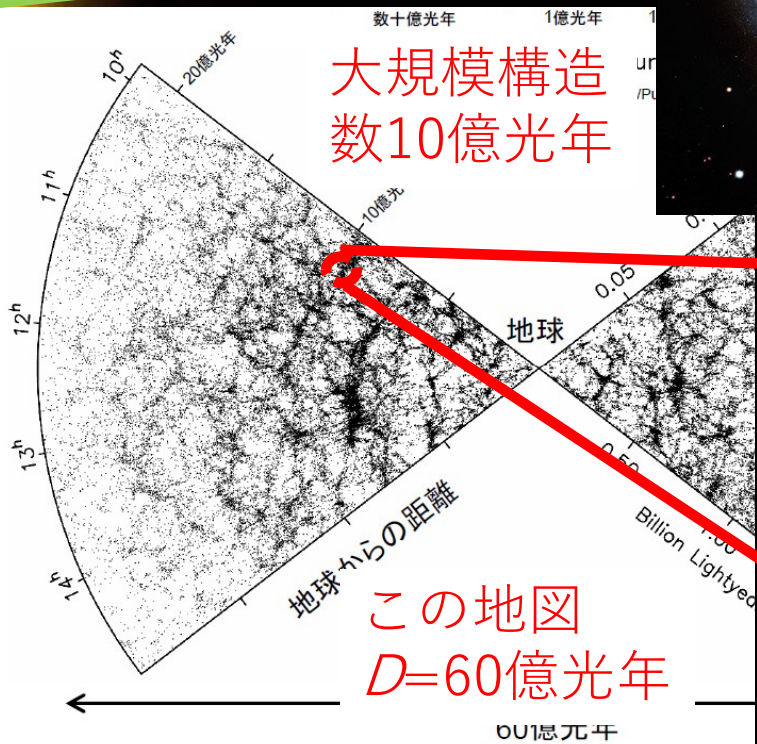
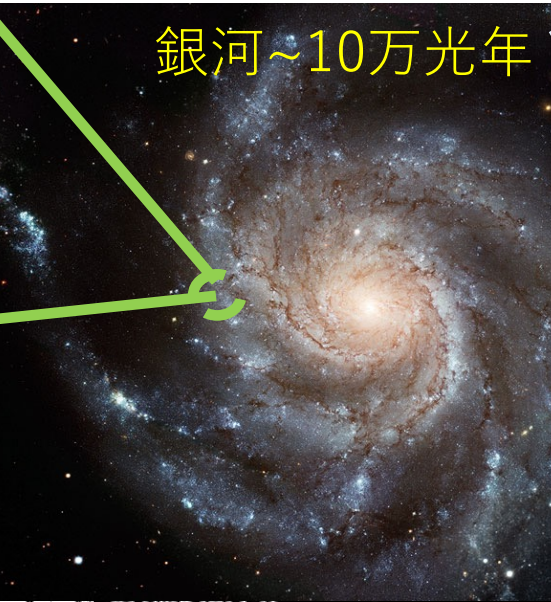
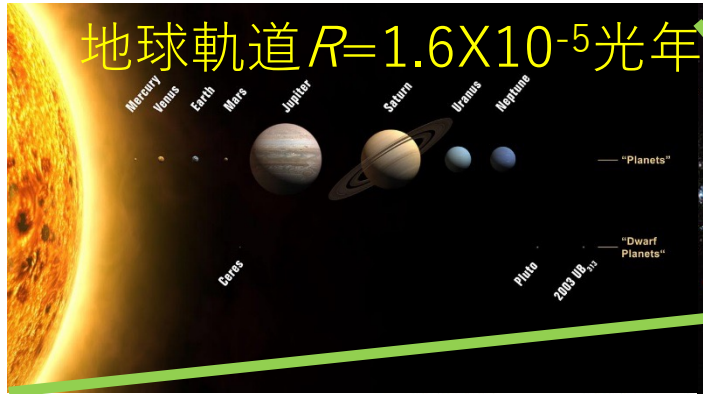


衝突する銀河



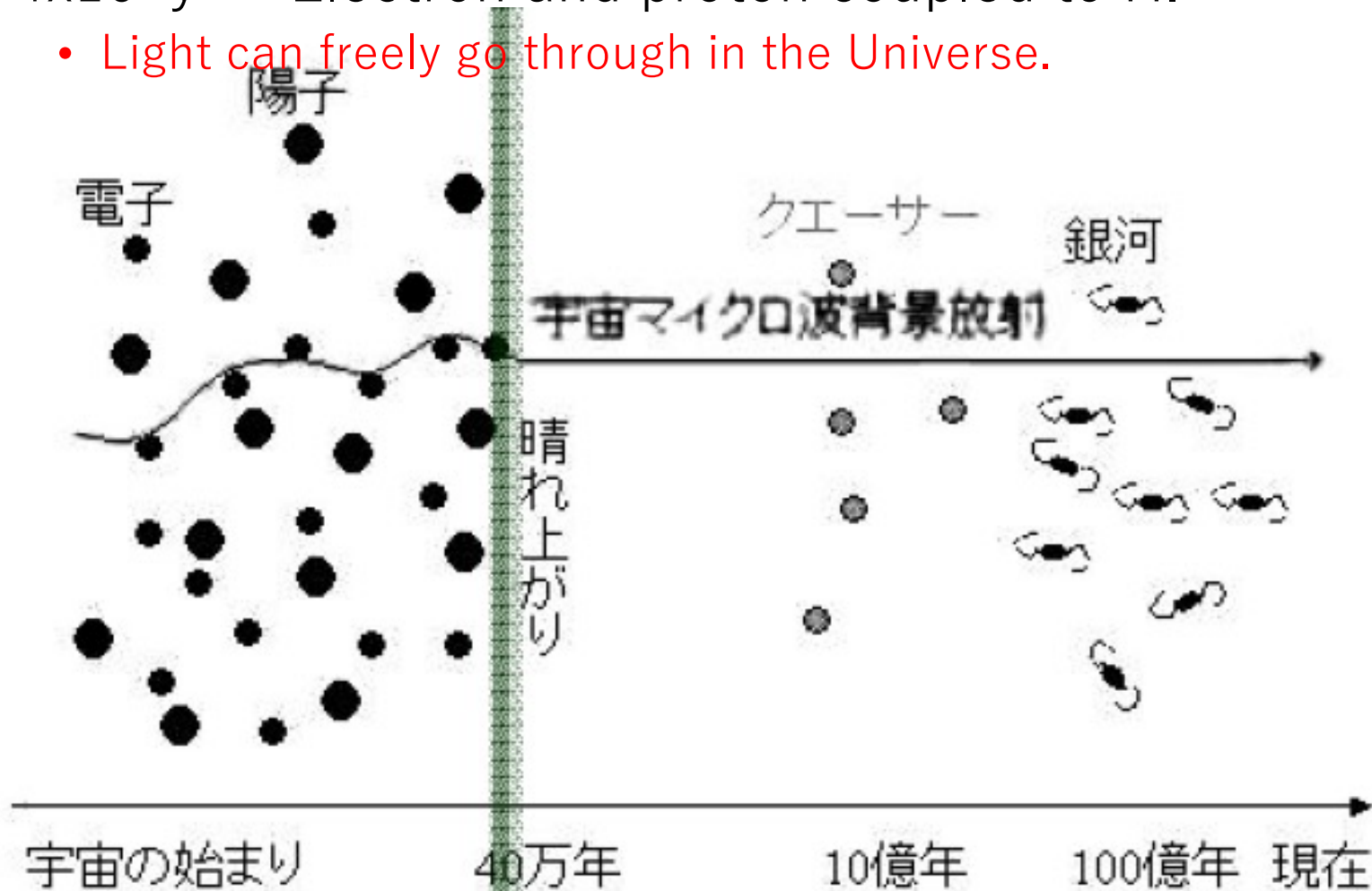
暗黒物質地図 銀河大規模構造 宇宙背景輻射



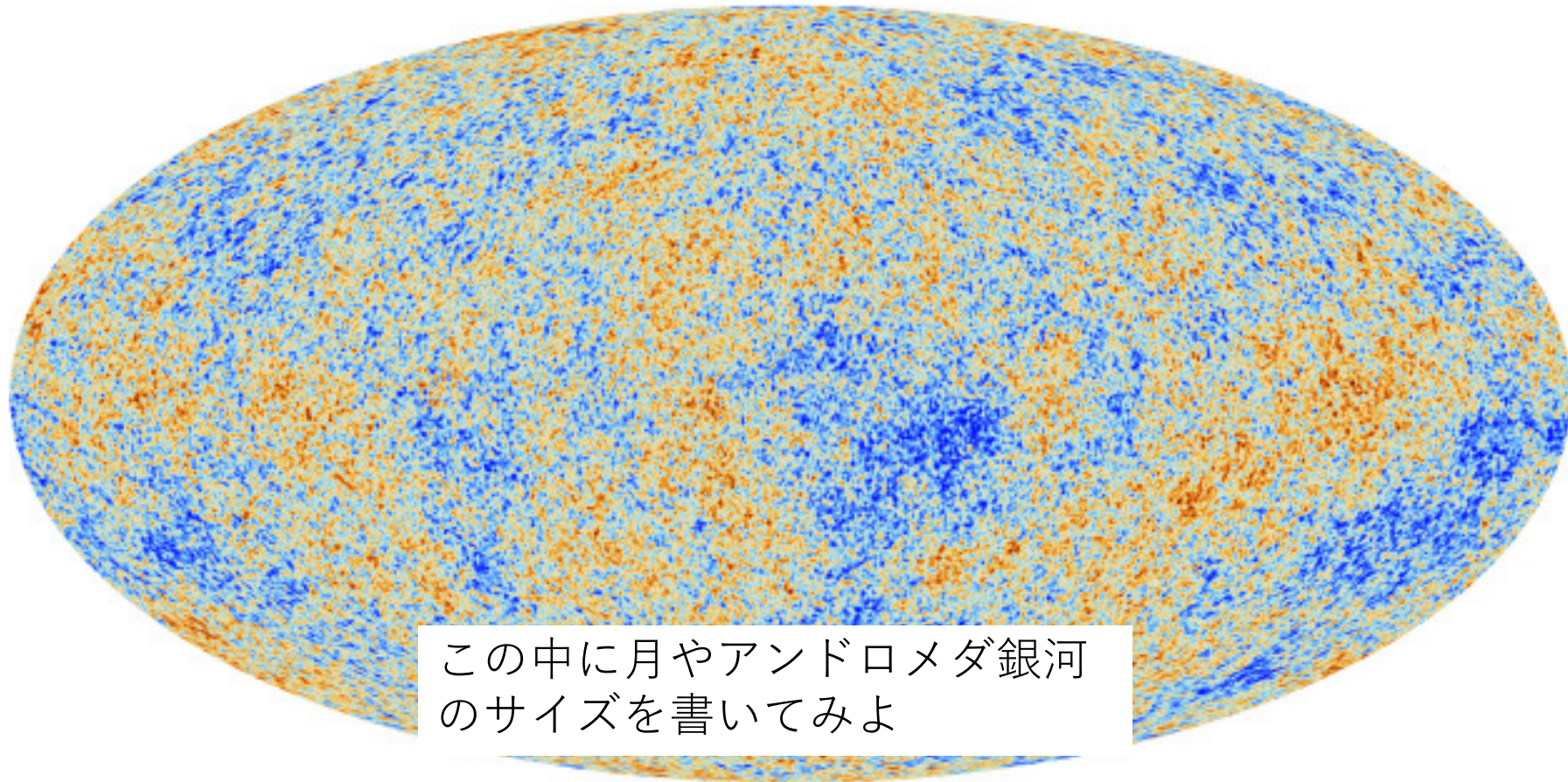


Cosmic microwave background

- The Universe has been cooled down from the Big Bang.
 - 4×10^5 y ... Electron and proton coupled to H.
 - Light can freely go through in the Universe.



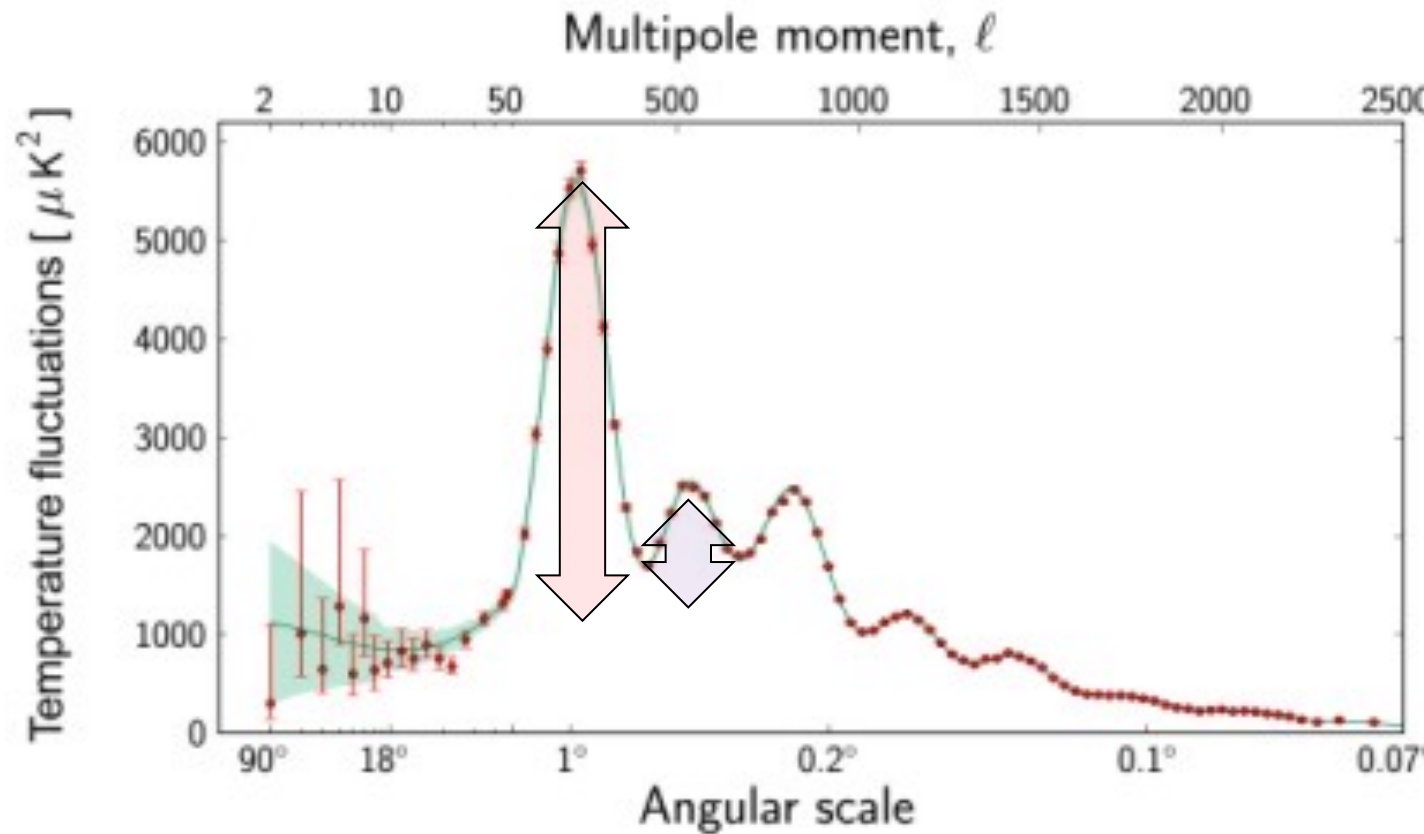
CMB measurement



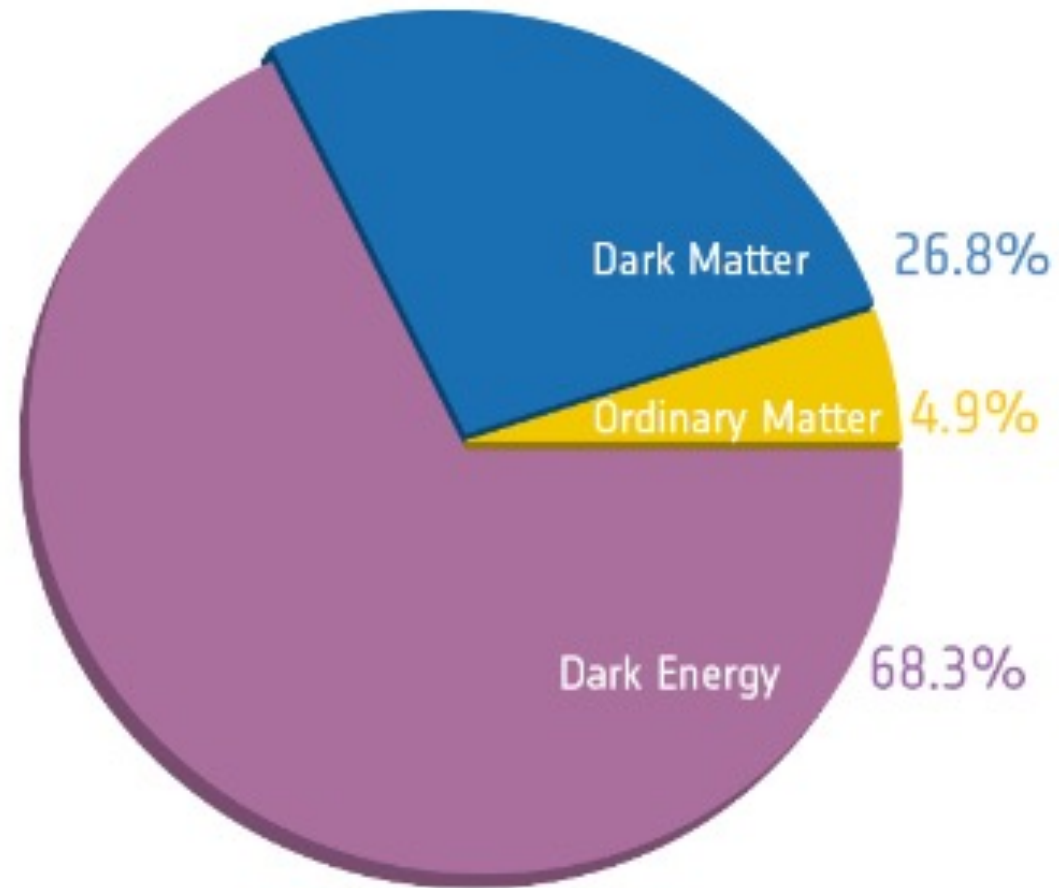
この中に月やアンドロメダ銀河
のサイズを書いてみよ

CMB results and DM

- Odd number peaks related to Ω_b
- Even number peaks related to Ω_m



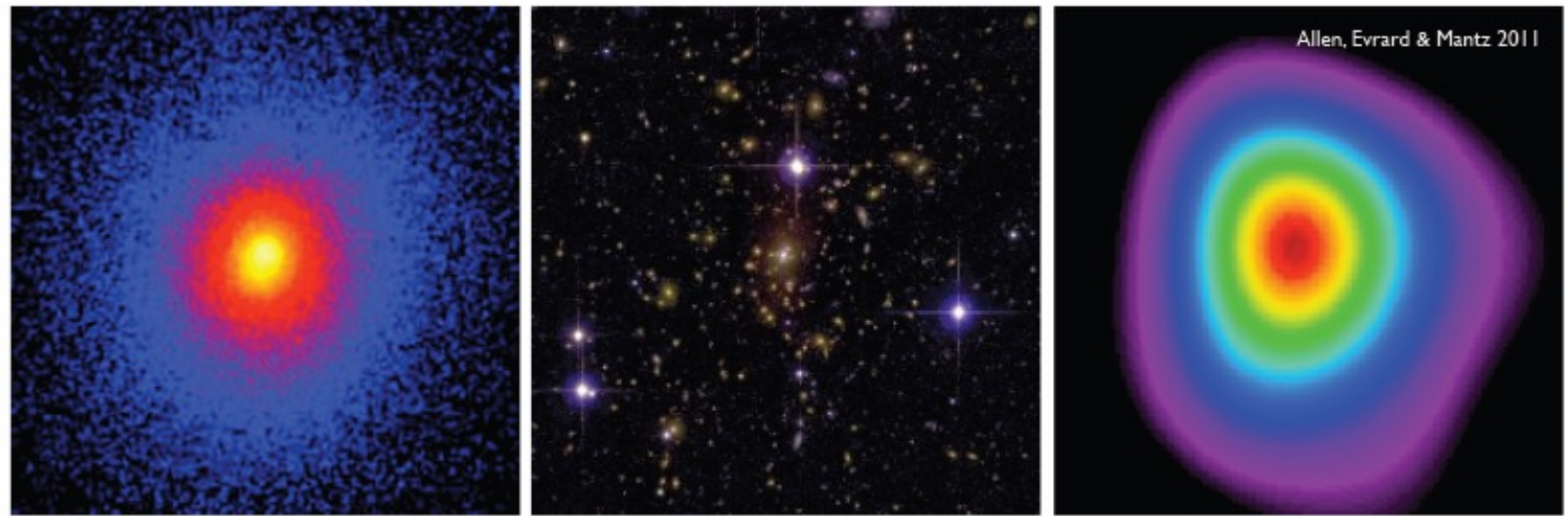
CMB results and DM



Galaxy cluster

- In the galaxy clusters scale, hot gas plays an important role.

Abell 1835 ($z=0.25$) 5.2 arcmin \sim 1.2 Mpc images

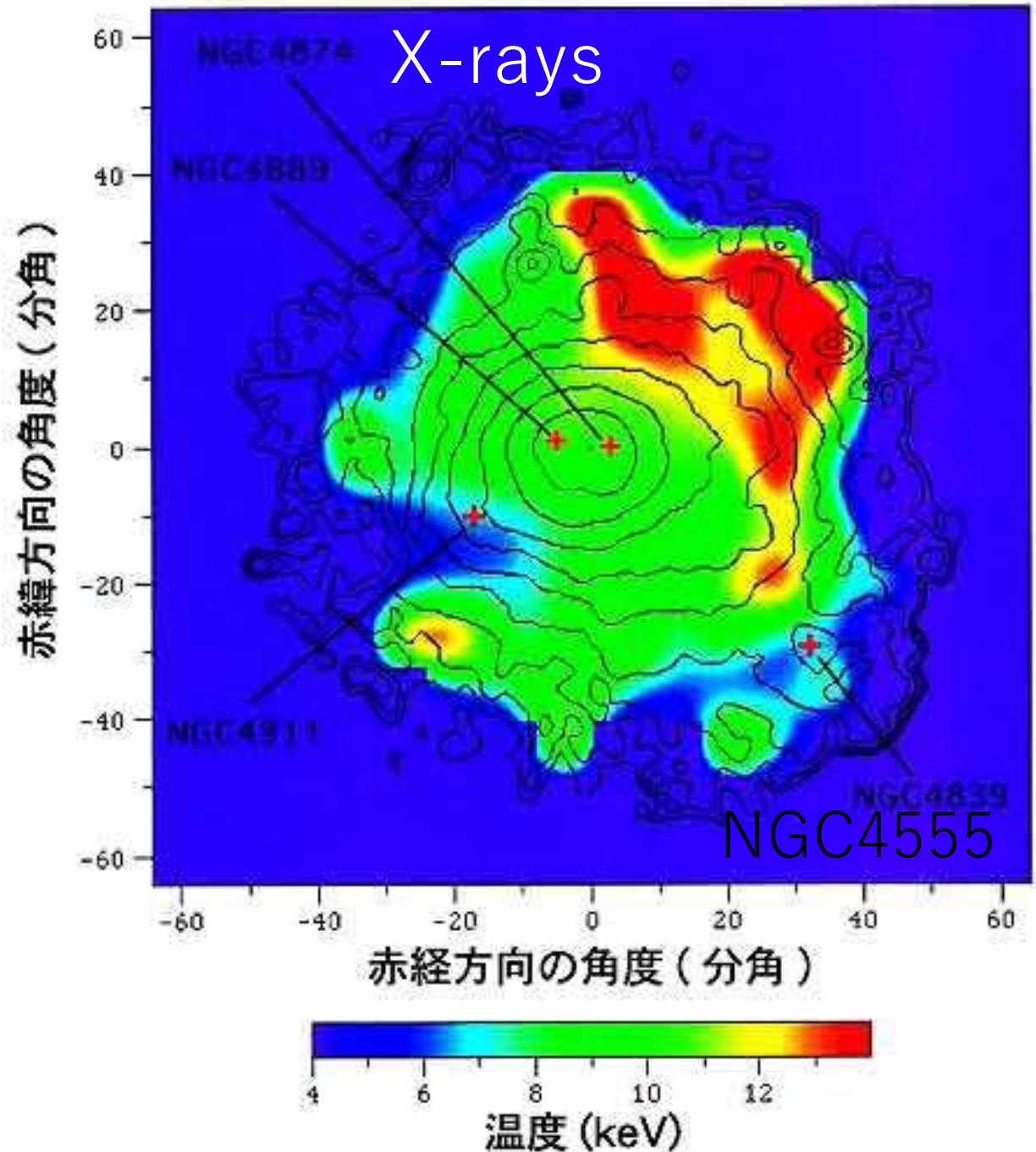


X-ray

optical

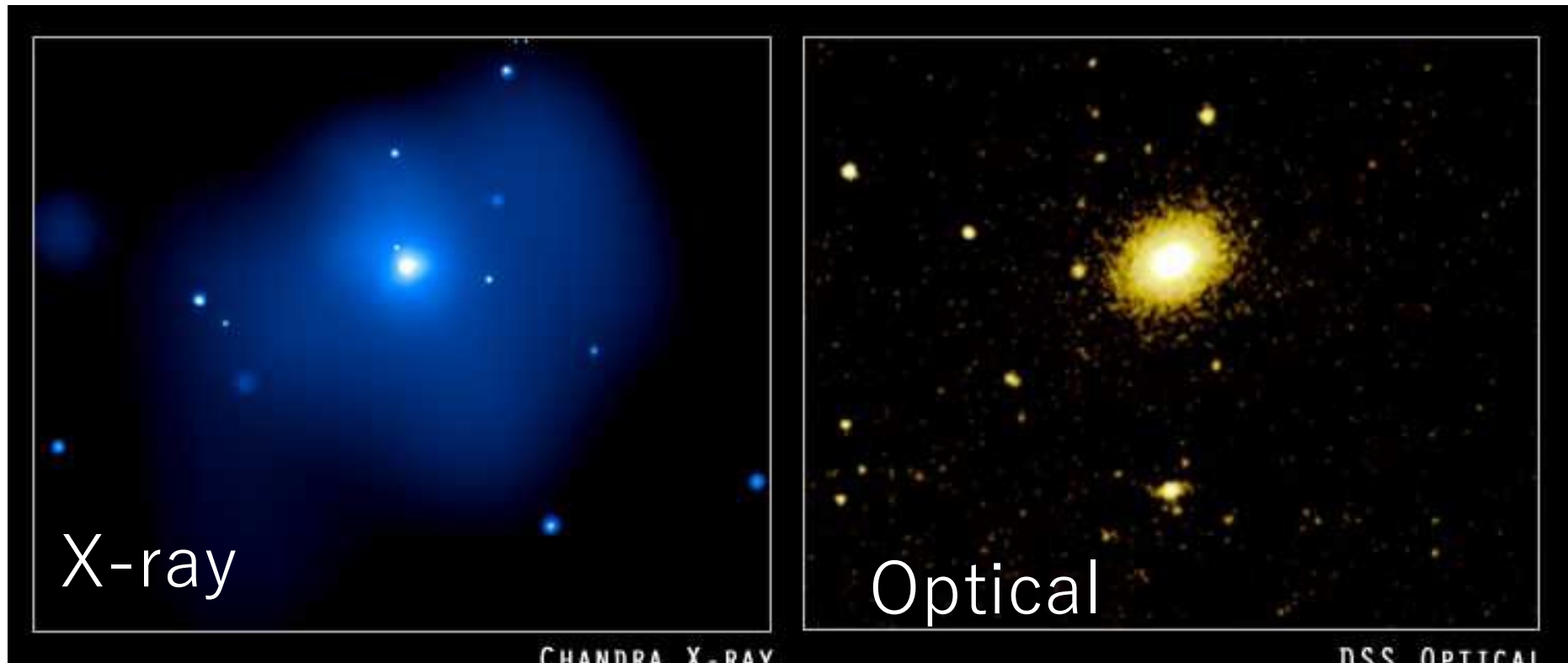
mm (Sunyaev-Zel'dovich)

- Observation of high-temperature gas motion ($T \sim 8 \times 10^7 \text{K}$)
- $M_{\text{DM}}/L \sim 8-30$

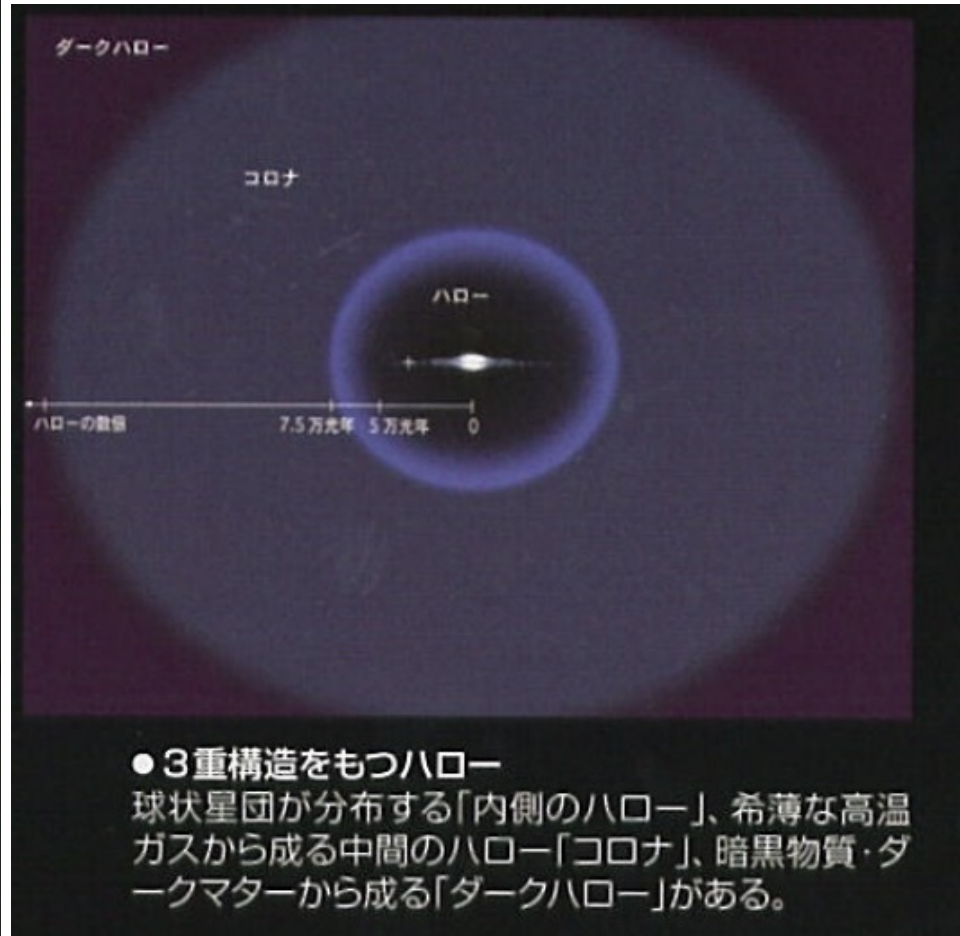
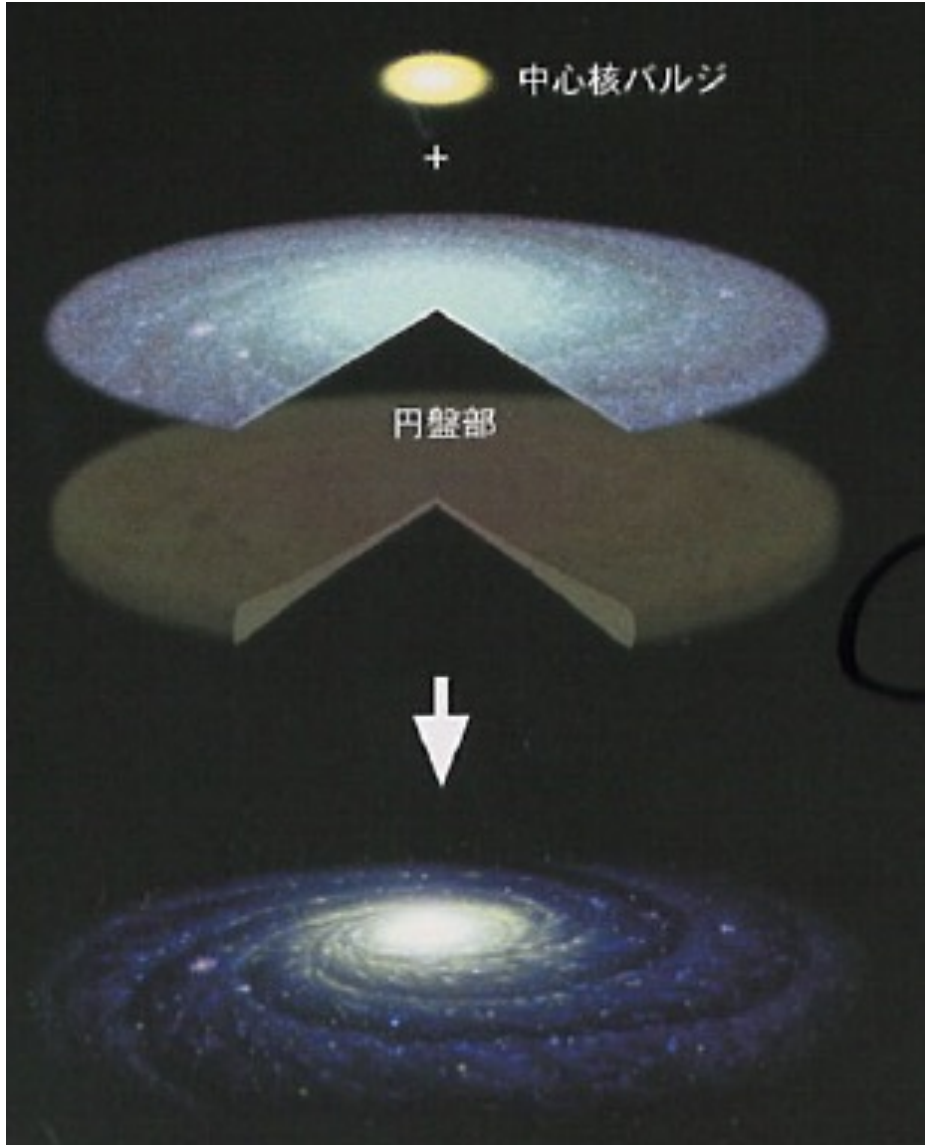


Elliptic galaxy

- X-ray observation of gas
- DM needs to attract the gas
 - $M_{\text{DM}}/L \sim 10$



Spiral galaxy



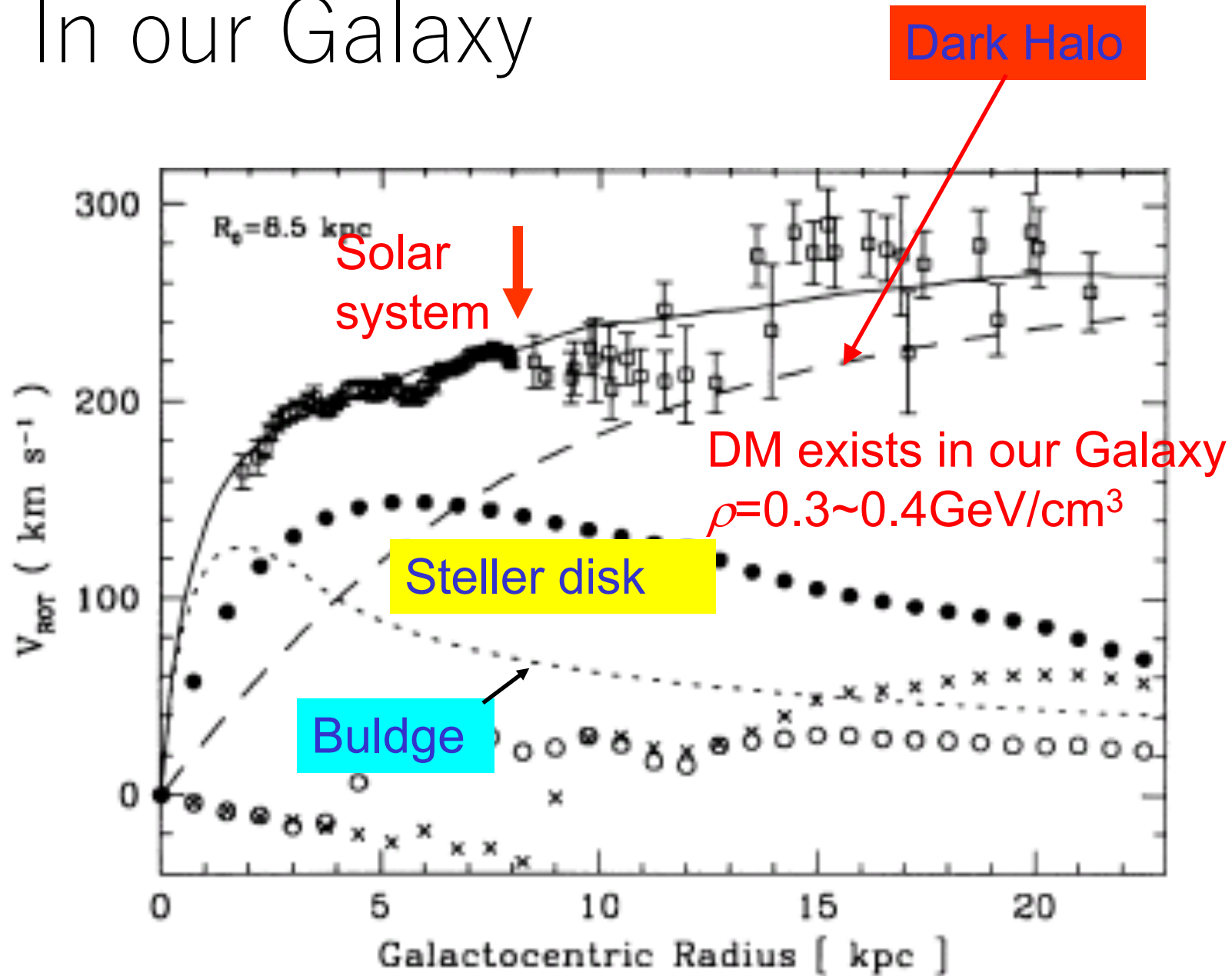
参考文献 「宇宙」 沼澤茂美、脇屋奈々代
成美堂出版

Scale	DM	Note
The Solar sys.	No evidence yet.	
<ul style="list-style-type: none"> ● Spiral galaxy ● Ellipse galaxy 	<ul style="list-style-type: none"> ● Rotational curve ● Kinematics of hot gas 	<ul style="list-style-type: none"> ● DM~x10 ● DM~x10
Cluster	<ul style="list-style-type: none"> ● Kinematics of hot gas ● Kinematics of galaxies motion ● Micro-lensing 	<ul style="list-style-type: none"> ● DM~x8-30 ● DM~x3-4
Cosmological scale	<ul style="list-style-type: none"> ● CMB ● Type Ia SNe ● BAO 	<ul style="list-style-type: none"> ● DM~x5 (*) ● DM~x6-7
Indication of DM	<ul style="list-style-type: none"> ● Numerical studies on the structure formation 	<ul style="list-style-type: none"> ● Cold DM is favored. ● Hot DM is strongly disfavored. ● Warm DM ?

(*) There were(are?) also issues: not all of baryon in the Universe is observed. Missing Baryon. But hot-gas amount in intra-cluster(ICM) media lead to large portion of baryon is in ICM

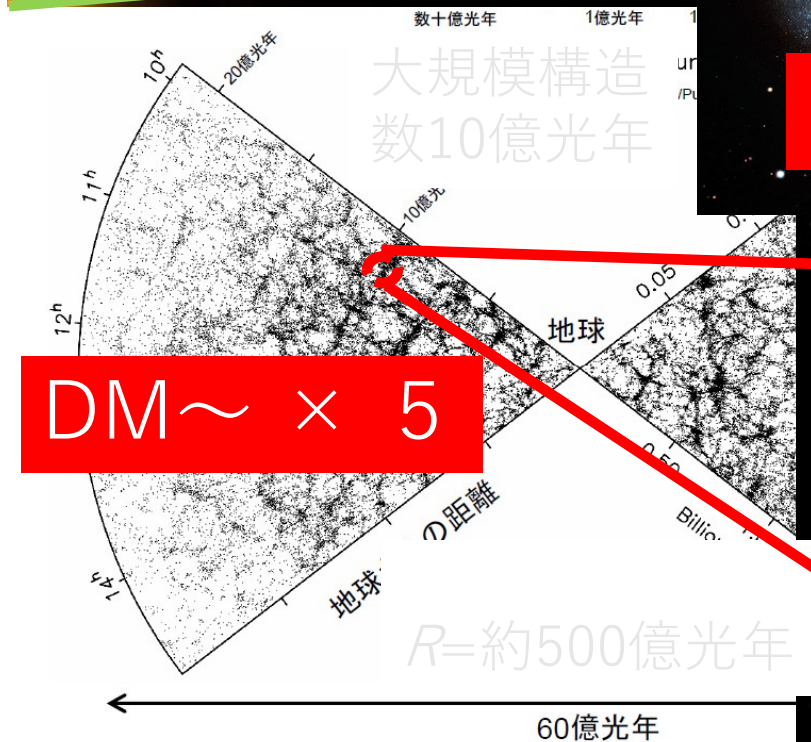
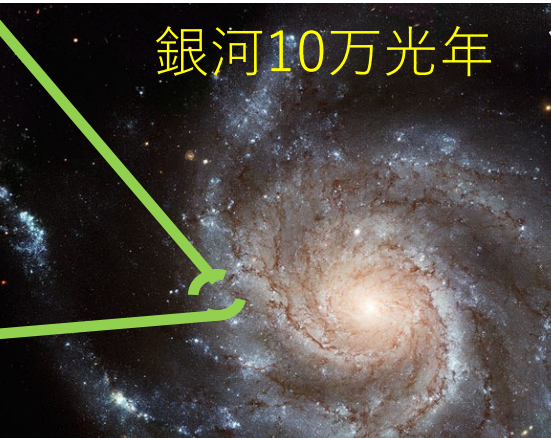
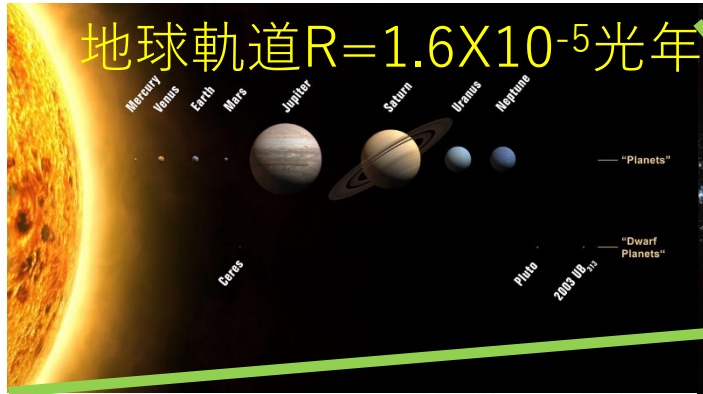
- We cannot help convincing the presence of DM.

In our Galaxy

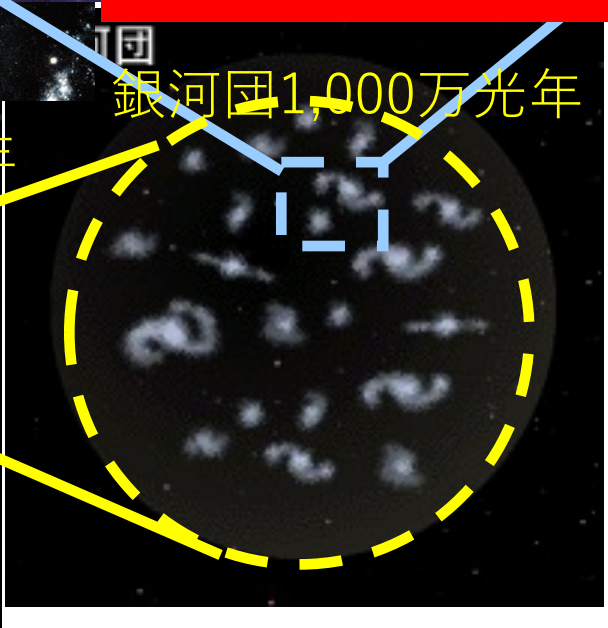


DM around us

- $\rho_{DM}^{\text{local}} = (0.39 \pm 0.03) \frac{\text{GeV}}{\text{cm}^3}$
 - Value in PDB2014.
 - Fitting in 7- or 8 dim. parameters and galactic models.
 - This value is usually taken as a standard value.



DM ~ × 10



- ここからAxionのはなし.

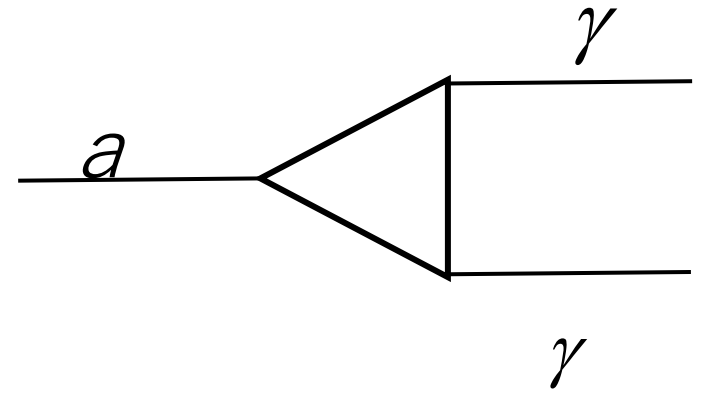
- アクシオンは

- θ 真空,

- アノマリー

- 強いCP問題

- という3つのキーワードを解くカギを提供している.



- Peccei-Quin 対称性

- Standard Model の $SU(3) \times SU(2) \times U(1)$ 対称性に加え、大局的な $U(1)$ 対称性 (PQ対称性) を加える

- (弱い対称性の破れに伴い,) PQ対称性も破れる.

- この対称性の破れにともなう粒子として, アクシオンが現れる.

- PQの議論では, 2つ以上のHiggs 2重項が必要で, 中性Higgsの中にアクシオンの自由度が存在する

- $\phi_1 = \frac{1}{\sqrt{2}} v_1 \exp\left(\frac{ia}{xv}\right), \phi_2 = \frac{1}{\sqrt{2}} v_2 \exp\left(\frac{ia}{v}\right), v = \sqrt{v_1^2 + v_2^2}, x = v_1/v_2, a$
がアクシオン場

- $m_a^2 = \frac{m_\pi^2 f_\pi^2}{v_{PQ}^2} \frac{m_u m_d}{(m_u + m_d)^2} \left(x + \frac{1}{x}\right)$

- 計算すると, $\frac{\theta}{16\pi} g_s^2 \text{Tr} G_{\mu\nu} \tilde{G}_{\mu\nu}$ の部分で
 $\theta \rightarrow \theta + \frac{a}{v} \left(x + \frac{1}{x}\right)$ とすることができる.
 アクシオン場によって, CP対称性を破る部分を 0 にできる.
 「axion 場 a が, 最も低いポテンシャル位置に来ると, 丁度, $\theta + \frac{a}{v} \left(x + \frac{1}{x}\right) = 0$ になる」

- ところで, この一連の議論の中で,
 アクシオン質量は以下の様に 1 つに決まる.

- $m_a^2 = \frac{m_\pi^2 f_\pi^2}{v_{PQ}^2} \frac{m_u m_d}{(m_u + m_d)^2} \left(x + \frac{1}{x}\right)$
- $\theta + \frac{a}{v} \left(x + \frac{1}{x}\right) = 0$ を選ぶ代わりに, アクシオン質量は, 強い相互作用の性質に強く関連付けられる結果となる

アクシオンいろいろ

- (オリジナルの) アクシオン(standard axion)
 - 弱い相互作用における対称性の破れ = PQ対称性の破れ
 - $v_{EW} = (\sqrt{2}G_F)^{-1} = 247 \text{ GeV} = v_{PQ}$
 - $m_a \sim 73 \left(x + \frac{1}{x}\right) \text{ keV}$ となり, 実験と矛盾

- Invisible axion

- PQ対称性の破れが，EWの対称性の破れよりも，高いエネルギー領域で起こったと考える。

- $v_{PQ} \rightarrow f_A$

- 結果，もっと軽いアクシオンが強いCP問題を解決する

- この辺り，詳細に興味があれば，長嶋先生の朝倉のを参照

DM axion

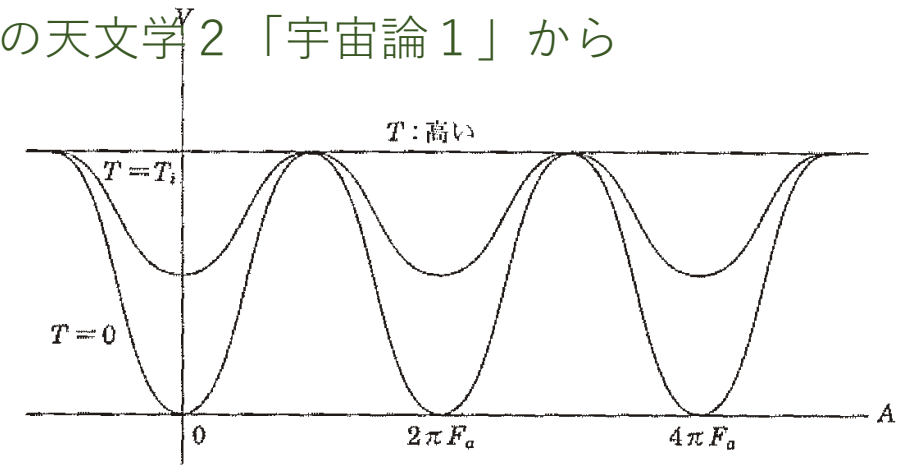


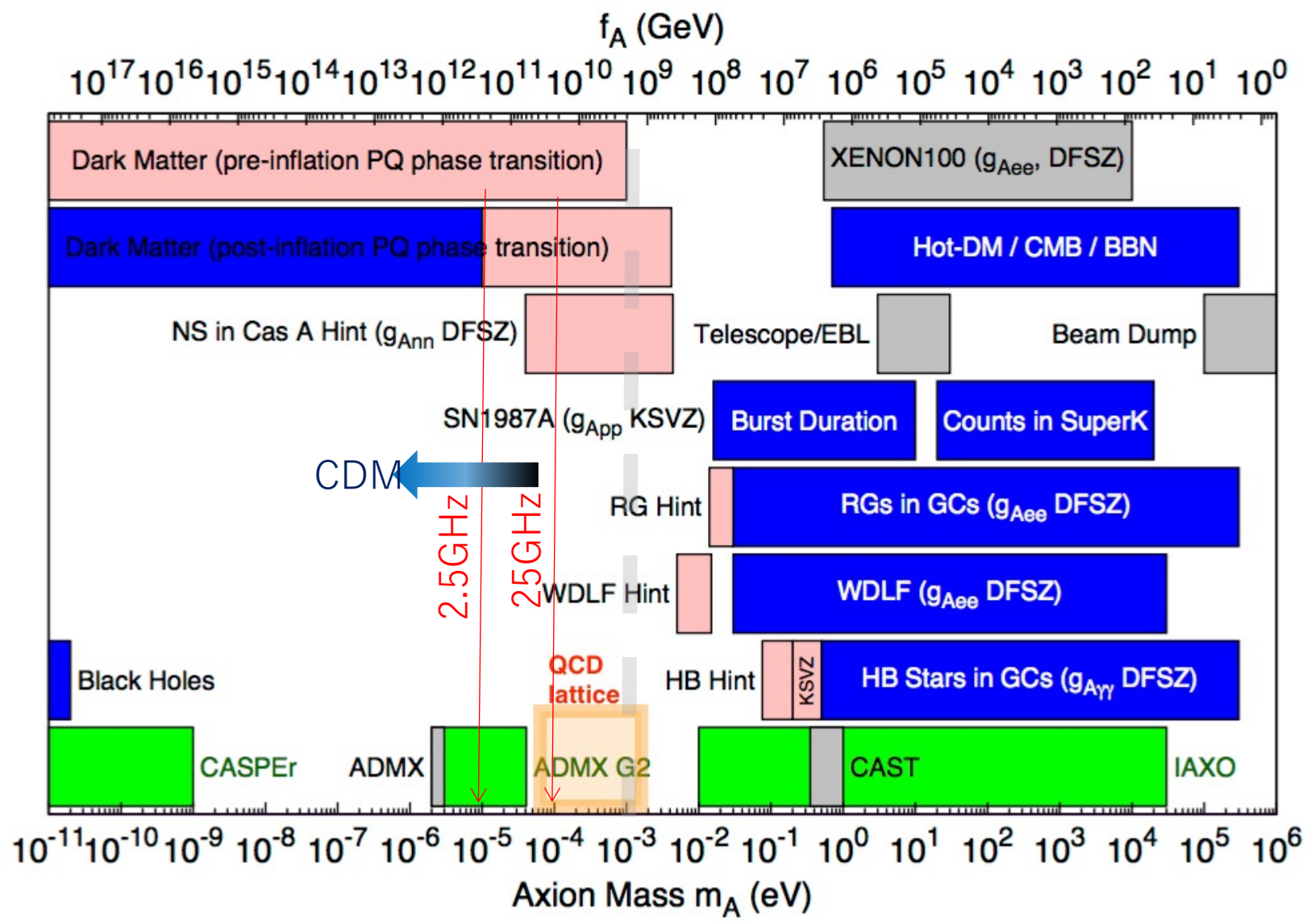
図 5.14 アクシオン場のポテンシャル。

- Axion mass and breaking scale:
 - $m_a \sim 6.2 \times 10^{-4} \text{ eV} \left(\frac{10^{10} \text{ GeV}}{f_a} \right)$
- Axion is supposed to be produced by **misalignment mechanism**.
 - → It is *not* thermally produced.
 - Axion is categorized as *cold DM* though it has light mass.

- Current axion density:
 - $\Omega_a h^2 \sim 0.16 \left(\frac{m_a}{10^{-5} \text{eV}} \right)^{-1.18} \bar{\theta}_i^2,$
 - where $\bar{\theta}_i$ is mean of initial θ at the symmetry breaking.
 - m_a が小さいと 宇宙を Over close
 - m_a が大きいと DM に足りなくなる
 - 境界が $10 \mu\text{eV}$ 位

- 参考文献：シリーズ現代の天文学 2 「宇宙論 1」

- しかし，宇宙の位相欠陥から Axion が無視しえない量発生するので，質量上限が上がった．

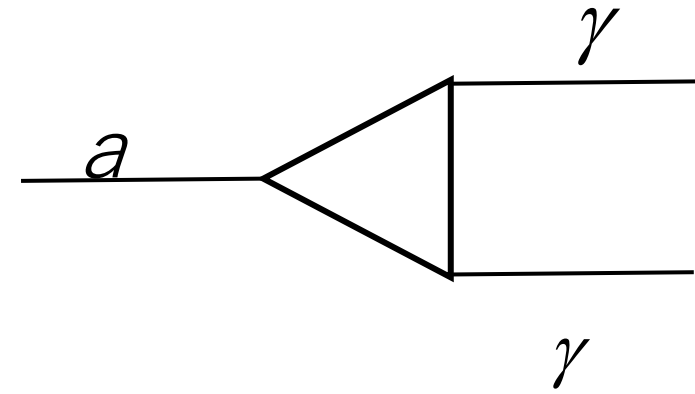


Axion 探索のための相互作用

- $g_{a\gamma}$:
 - 「アクシオン」である限り，必ず存在する
 - これは，アノマリー項から来る（らしい）．
 - 実験的にはスカを食らいたくないなので，この相互作用を使う事が好まれる．
- g_{aee} :
 - アクシオンは「強い相互作用」の申し子である
レプトンには結合しないのが自然．
 - GUTの立場に立てば，レプトンとクォークを区別するのは不自然．
 - 結局，モデルに依る．
 - 実験的には，電子と相互作用してくれるなら，明らかに $a - e$ 結合を使うのが高感度の設計がやりやすいはず．

アクシオンの検出

- アクシオンは，ループダイアグラムを通じて，2つの光子と結合する。
 - このループの中で何を取るか？によってモデル依存性がある。
 - $\mathcal{L} = -G_a \mathbf{E} \cdot \mathbf{B} a$
- **外部から磁場**を印可して，
 - $a + \gamma(B) \rightarrow \gamma$の反応で出ている光子を探索することが最も効率が良いとされている。



- 外部からの「電場」では？
 - 次の理由から磁場が好ましい
 - 1) 用意できる磁場と電場を比較すると、磁場の方が強い
 - 宿題
 - 自然単位系で 1 T と 1 V/m を計算し、
 - 次に、磁場で用意できる ~ 10 T と放電限界の $\sim 10^6$ V/m を比べると良い
 - 例外は、結晶中の電場。これを上手く使うことができるか？
 - 2) $\mathcal{L} = -g_{a\gamma\gamma} \mathbf{E} \cdot \mathbf{B} a$ の具体形をかくと、
 - $\mathcal{L} \propto E_{\text{Ext.}} B_{\text{signal}} \partial_x a \rightarrow$ アクシオンの速度が速いときのみ
 - 太陽AxionにはOK（それでも、用意できる電場に限界あり）
 - DM Axionではダメ
 - Or $\mathcal{L} \propto E_{\text{signal}} B_0 \partial_t^2 a \rightarrow$ アクシオンの速度に無関係
 - 太陽Axion にはOK
 - DM Axion にもOK

実験的にアクシオンを探索する際の ベンチマークモデル

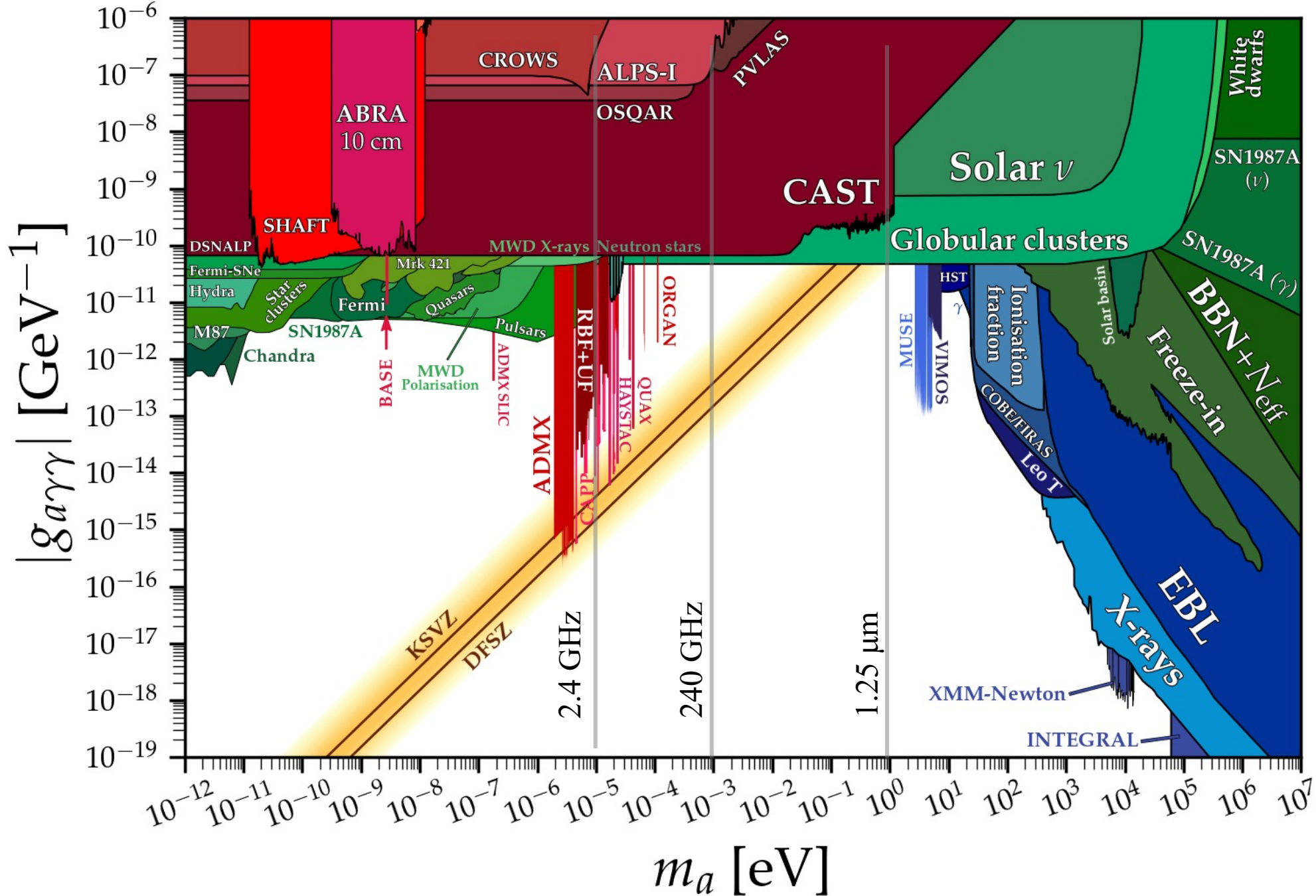
- KSVZ アクシオンモデル
 - レプトンとアクシオンが相互作用しない
- DFSZ アクシオンモデル
 - レプトンとアクシオンは相互作用する
 - ※ $g_{a\gamma\gamma}$ の場合, 結合する粒子の種類が多く, しかも軽い電子が相互作用する, DFSZモデルの方が $g_{a\gamma\gamma}^2$ が大きいように想像する.
 - しかし, 実際は逆で, KSVZモデルの方が $g_{a\gamma\gamma}^2$ が大きい.
 - g_{ae} を使う事も考えられるが, ハズレるとかなり悲しい
 - そのため, 実験的な探索では $g_{a\gamma\gamma}$ が主役となっている

「用語」の整理

- QCD アクシオン
 - 強い相互作用におけるCP問題を解決するためのAxionモデル
 - 質量と結合定数に相関がある.
 - KSVZ とか, DFSZとかはこれに相当する.
 - QCD Axion のうちで, 一番制限を緩くできないかを追求した1つの例が, 暗黒物質 Axionモデルの「Trapped misalignment model」
- Axion-like particle (ALP), アクシオン様粒子
 - QCDなんか忘れてしまったもの.
 - その代わりに, 超弦理論とかが起源. 由緒ある粒子.
 - 質量と結合定数との相関に制限がない, ゆるい
 - 1つの例が, 物理教室 高橋先生のALP miracle

- 太陽アクシオン
 - 太陽中で作られ，放出されている
- 暗黒物質アクシオン
 - 暗黒物質として，存在しているアクシオン
- その他，超新星アクシオンとか，存在形態が名前になっているもの

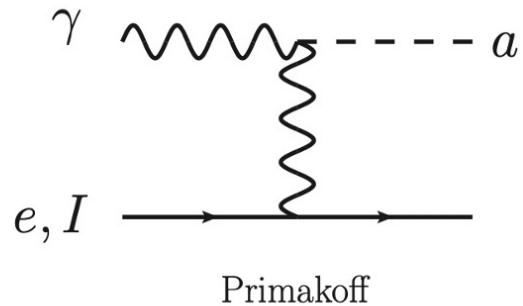
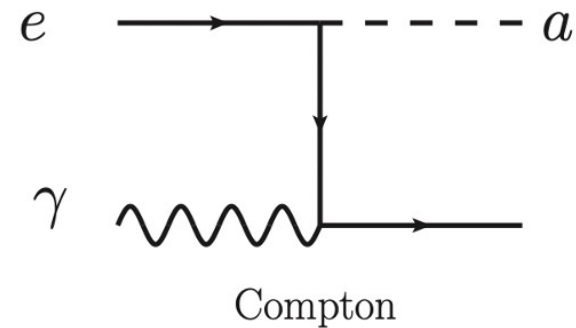
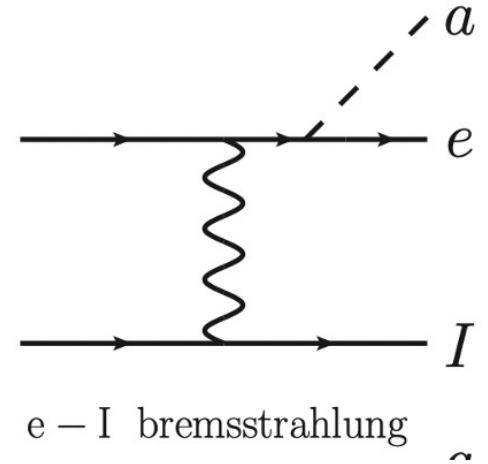
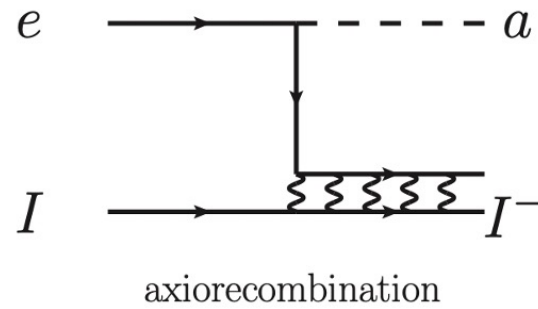
- ※ アクシオンは、QCDの要請に由来するので、多分存在する。
- 存在するならば、ほぼ間違い無く、太陽から放出されている。
 - 太陽の温度 > Axion質量のとき
- 論理的には、アクシオンが存在しても、暗黒物質である必然性はない。
- しかし、暗黒物質になり得る質量領域では、太陽アクシオンを探索する事は、結合定数が小さすぎて不可能。
- 結局、太陽アクシオンと暗黒物質アクシオンの両方から攻めるしかない。



<https://cajohare.github.io/AxionLimits/docs/ap.html>

Axion production in the Sun

- Atomic recombination
- Bremsstrahlung
- Compton scattering
- Primakov conversion
- X-ray emission from M1 transition
 - ^{57}Fe



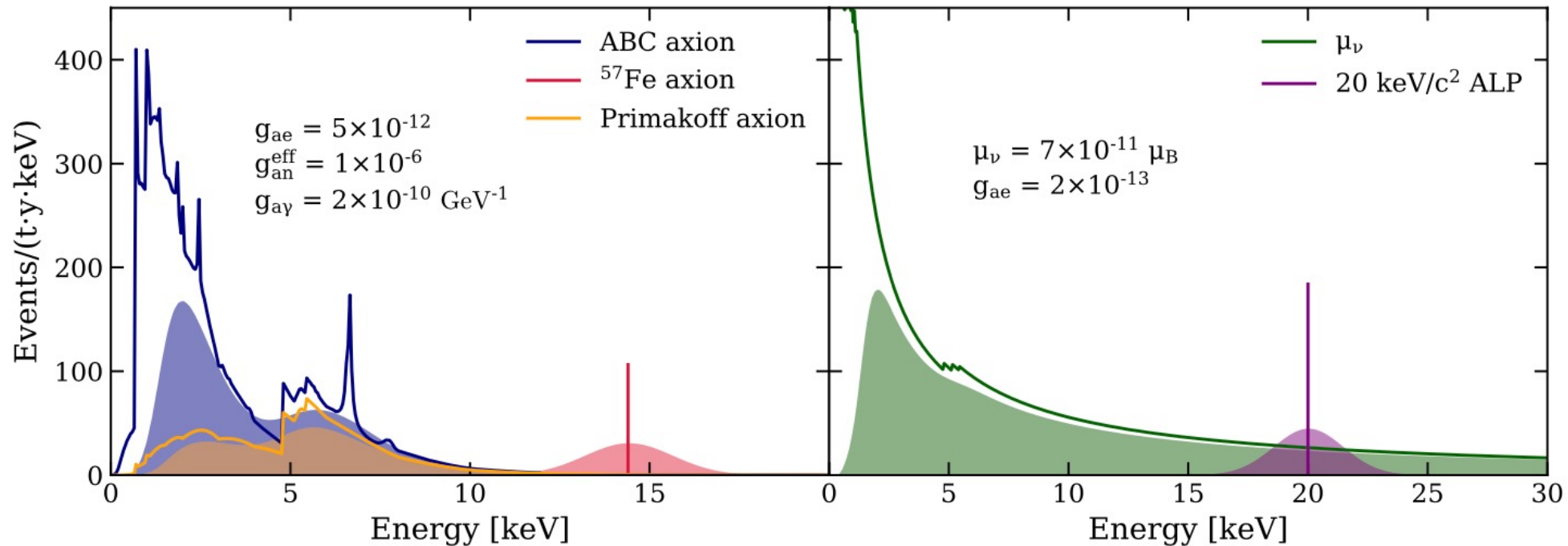
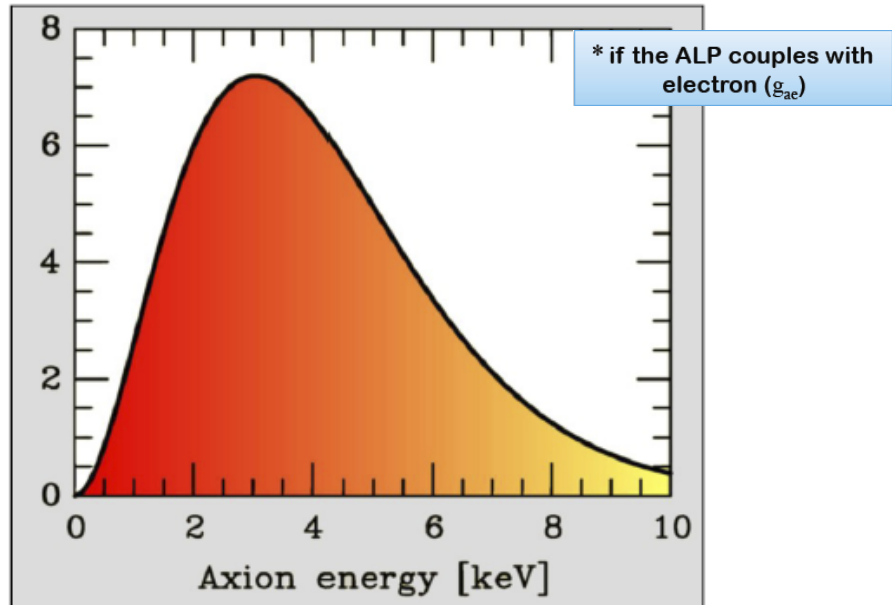
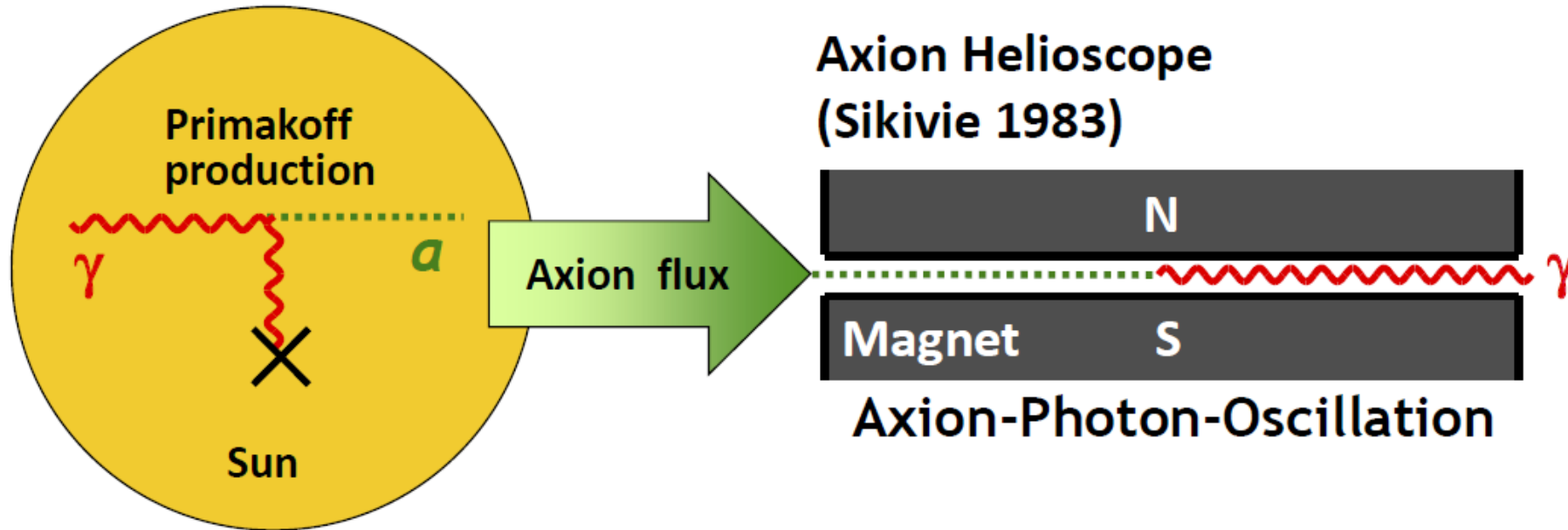


FIG. 1. Left: Expected signal in energy space for ABC solar axions with a coupling $g_{ae} = 5 \times 10^{-12}$ (blue), for solar axions produced from the de-excitation of ^{57}Fe with coupling $g_{an}^{\text{eff}} = 1 \times 10^{-6}$ (red), and for solar axions produced from the Primakoff effect with coupling $g_{a\gamma} = 2 \times 10^{-10}$ (orange). Right: Signature of an enhanced neutrino magnetic moment with magnitude $7 \times 10^{-11} \mu_B$ (green) and a 20 keV/c² ALP with coupling constant $g_{ae} = 2 \times 10^{-13}$ (purple). Both the true deposited energy spectra in a xenon detector without efficiency loss (unshaded) and the expected observed spectra in XENON1T including the specific detector resolution and efficiency (shaded) are shown.



- Tokyo Axion Helioscope (“Sumico”) (Results since 1998, up again 2008)
- CERN Axion Solar Telescope (CAST) (Data since 2003)

Alternative technique:

Bragg conversion in crystal

Experimental limits on solar axion flux from dark-matter experiments (SOLAX, COSME, DAMA, CDMS ...)

Solar axion detection

PHYSICAL REVIEW D PARTICLES AND FIELDS

THIRD SERIES, VOLUME 39, NUMBER 8

15 APRIL 1989

Design for a practical laboratory detector for solar axions

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(Received 19 September 1988)

We present a practical design for a detector sensitive to axions and other light particles with a two-photon interaction vertex. Such particles would be produced in the solar interior by Primakoff conversion of blackbody photons and could be detected by their reconversion into x rays (average energy about 4 keV) in a strong laboratory magnetic field. An existing large superconducting magnet would be suitable for this purpose. The transition rate is enhanced by filling the conversion region with a buffer gas (H_2 or He). This induces an effective photon mass (plasma frequency) which can be adjusted to equal the axion mass being searched for. Axion-photon conversion is then coherent throughout the detector volume for all axion energies. Axions with mass in the range $0.1 \text{ eV} \lesssim m_a \lesssim 5 \text{ eV}$ can be detected using gas pressures of 0.1–300 atm. Axions with the standard coupling strength to photons would give counting rates of 10^{-5} – 10 sec^{-1} over this mass range. The search would definitively test one of the only two regions of axion parameters not excluded by astrophysical constraints.

Design for a practical laboratory detector for solar axions

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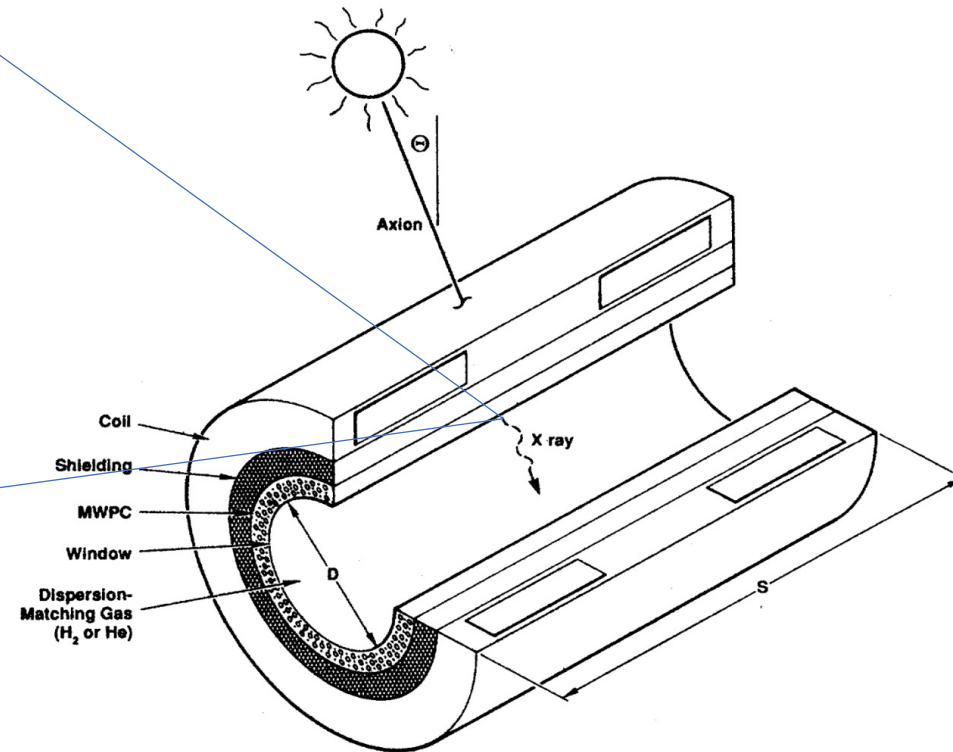
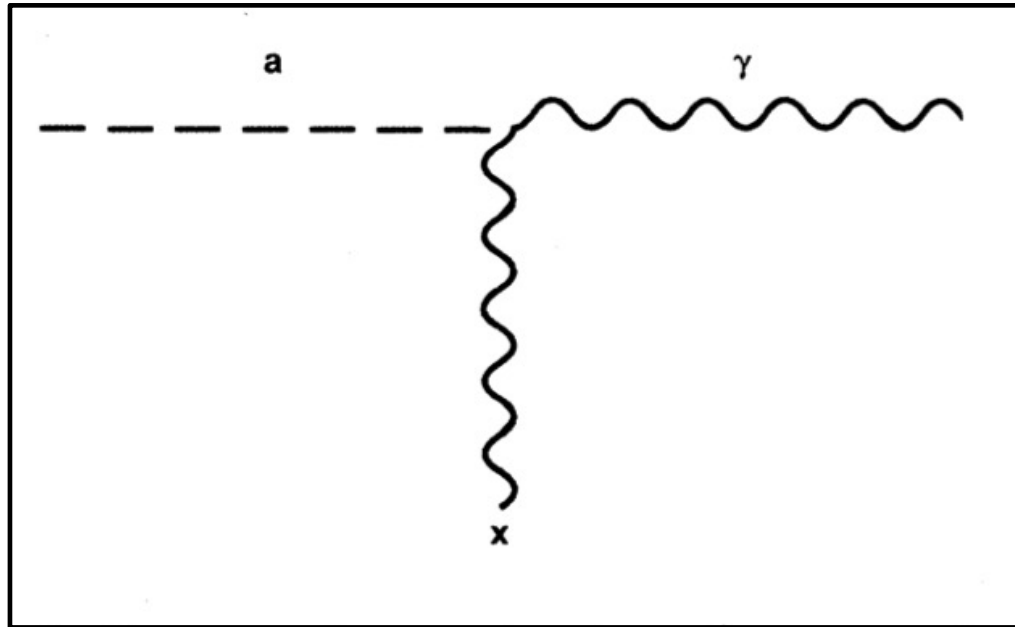
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Solar axion detection



吸収が無視できる場合,

$$p_\gamma \rightarrow \left(\frac{BL}{2M}\right)^2 \frac{\sin^2 qL}{(qL)^2}, \quad q \equiv \frac{m_\gamma^2 - m_a^2}{2E_\gamma}$$

FIG. 4. Schematic design of the detector employing a multiple-wire proportional chamber (MWPC).

- 磁場中のAxionと光子の転換を波動論的に解く

$\langle A(z) | a(0) \rangle$ を解いて,
 $p(z) = |\langle A(z) | a(0) \rangle|^2$ を計算

$$i\partial_z \begin{pmatrix} A \\ a \end{pmatrix} = \begin{pmatrix} \omega - m_\gamma^2/2\omega - i\Gamma/2 & B/2M \\ B/2M & \omega - m_a^2/2\omega \end{pmatrix} \begin{pmatrix} A \\ a \end{pmatrix} \quad (11)$$

$\Gamma = \frac{1}{L_{abs}}$, L_{abs} = Absorption length of signal X-rays

$$p_\gamma(L) = \frac{(B/2M)^2}{q^2 + \Gamma^2/4} [1 + e^{-\Gamma L} - 2e^{-\Gamma L/2} \cos(qL)] .$$

$$q = |(m_\gamma^2 - m_a^2)/2\omega|$$

ω = Signal X-ray energy
 m_a = mass of photon in a detector
 (Usually, zero. But some cases, non-zero.)

$$\ln \Gamma \rightarrow 0, p_\gamma \rightarrow \left(\frac{BL}{2M}\right)^2 \frac{\sin^2 qL}{(qL)^2}$$

CAST

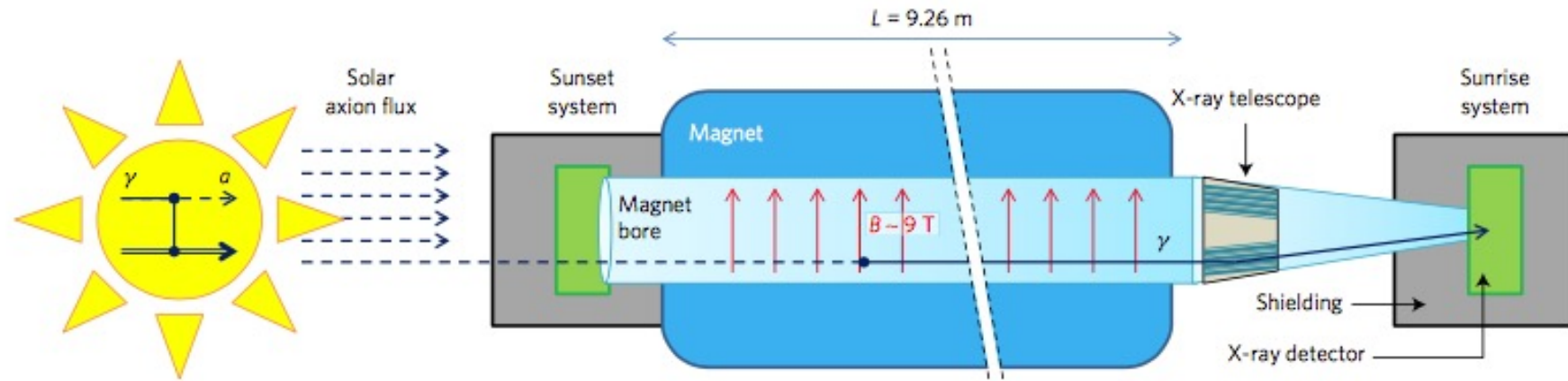


Figure 1 | Sketch of the CAST helioscope at CERN to search for solar axions. These hypothetical low-mass bosons are produced in the Sun by Primakoff scattering on charged particles and converted back to X-rays by the same process in the B -field of an LHC test magnet. The two straight conversion pipes have a cross-section of 14.5 cm^2 each. The magnet can move by $\pm 8^\circ$ vertically and $\pm 40^\circ$ horizontally, enough to follow the Sun for about 1.5 h at dawn and dusk with each end of the magnet, where separate detection systems can search for axions at sunrise and sunset, respectively. The sunrise system is equipped with an X-ray telescope (XRT) to focus the signal on a small detector area, strongly increasing signal to noise. Our new results were achieved thanks to an XRT specifically built for CAST and improved low-noise X-ray detectors.

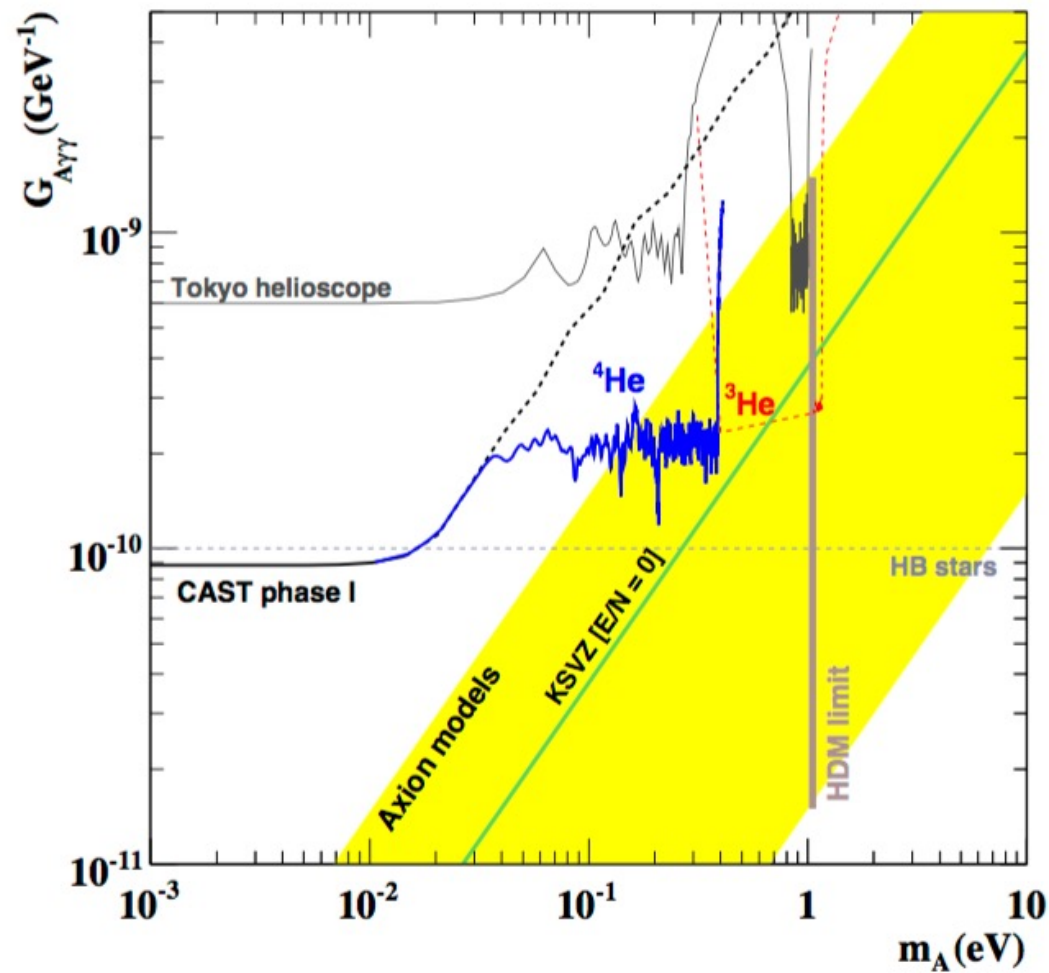


Figure 2: Solar exclusion plot for axion-like particles [50]. The red dashed line is the sensitivity of the ongoing ^3He phase of CAST. The vertical line (HDM) is the hot dark-matter limit [59]. The yellow band represents models with $0.07 < |E/N - 1.92| < 0.7$, the green solid line corresponds to KSVZ axions.

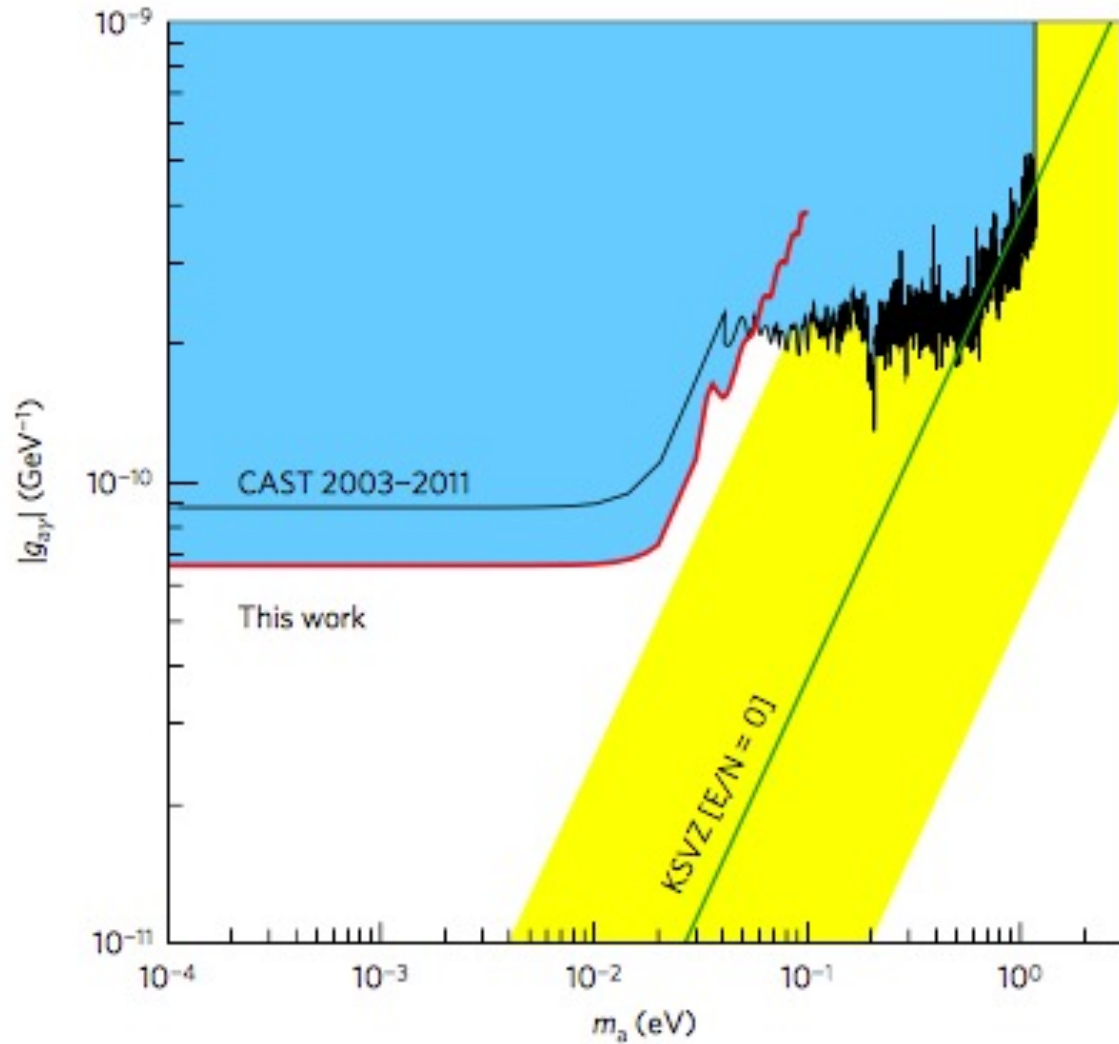
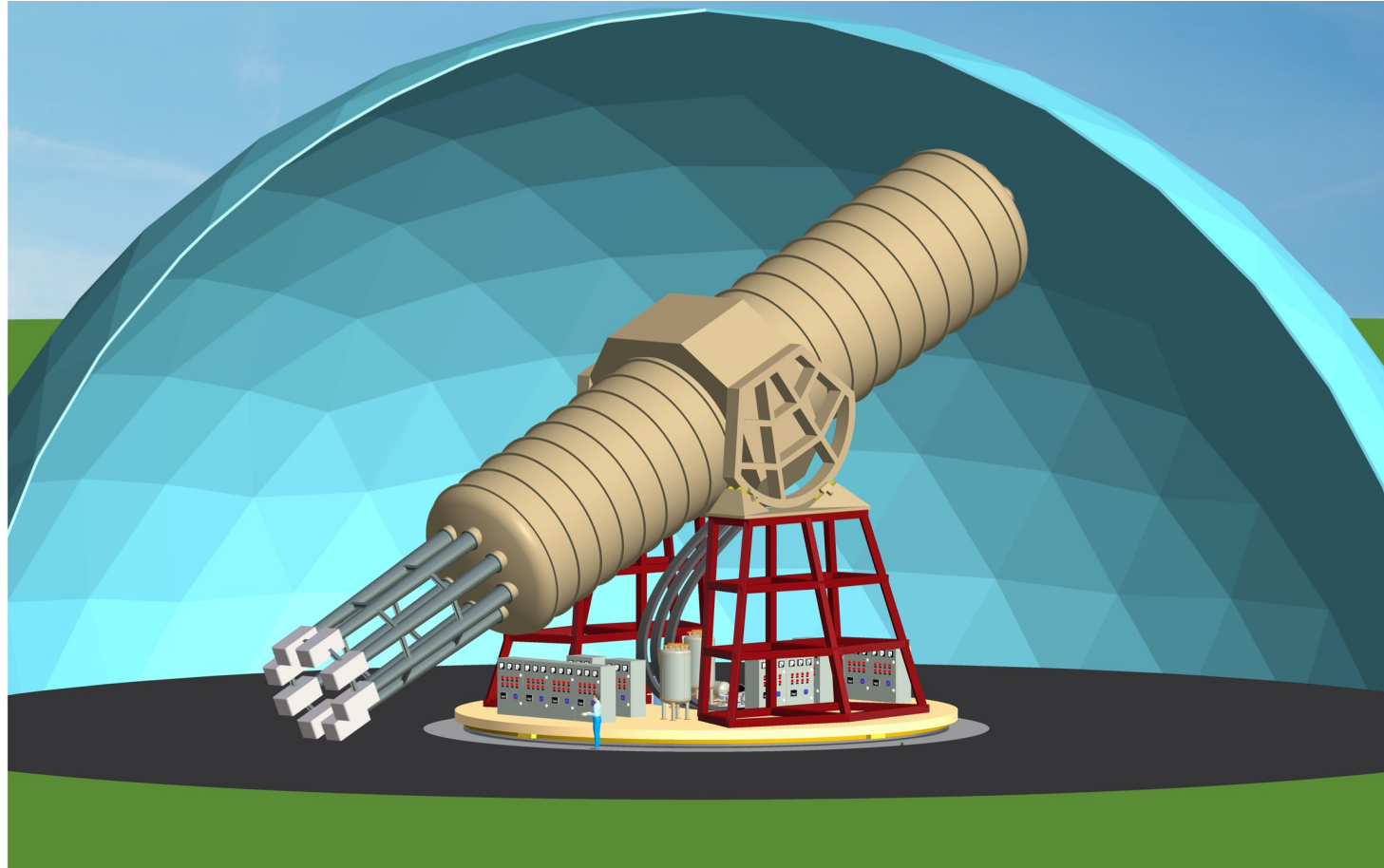


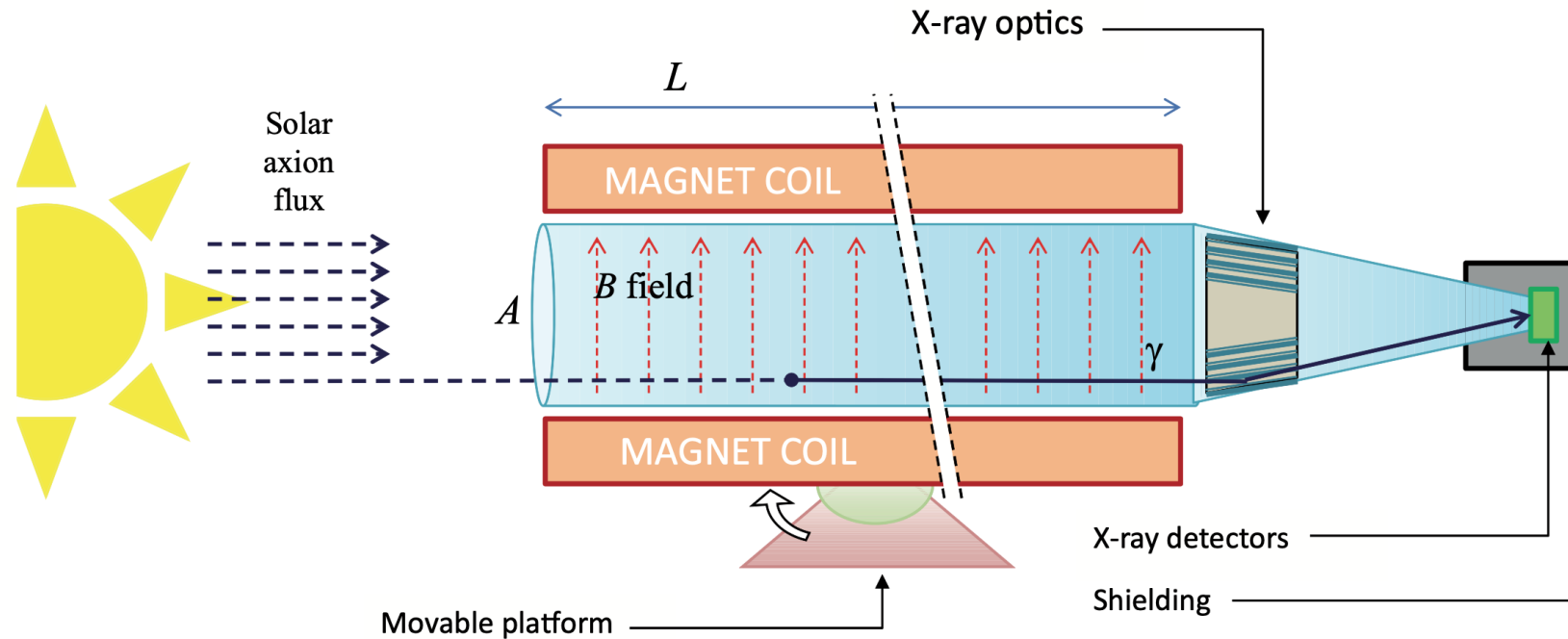
Figure 2 | CAST excluded region (95% CL) in the m_a - $g_{a\gamma}$ -plane. Solid black line: Envelope of all CAST results from 2003-2011 data¹¹⁻¹⁶. Solid red line: Exclusion from the data here presented. Diagonal yellow band: Typical QCD axion models (upper and lower bounds set according to a prescription given in ref. 49). Diagonal green line: The benchmark KSVZ axion model with $E/N=0$, where $g_{a\gamma} = (E/N - 1.92)\alpha/(2\pi f_a)$, with f_a the axion decay constant.

Nature Physics (2017).
[DOI:
 10.1038/nphys4109](https://doi.org/10.1038/nphys4109)

IAXO



Solar axion detection concept



$$f \equiv f_M f_{DO} f_T$$

$$f_M = B^2 L^2 A \quad f_{DO} = \frac{\epsilon_d \epsilon_o}{\sqrt{b a}} \quad f_T = \sqrt{\epsilon_t t} ,$$

a: spot area
b: back ground

Parameter	Units	CAST-I	IAXO Nominal	IAXO Enhanced
B	T	9	2.5	2.5
L	m	9.26	20	20
A	m ²	2×0.0015	2.3	2.3
f_M^*		1	300	300
b	$\frac{10^{-5} \text{ c}}{\text{keV cm}^2 \text{ s}}$	~ 4	5×10^{-3}	10^{-3}
ϵ_d		0.5 – 0.9	0.7	0.8
ϵ_o		0.3	0.5	0.7
a	cm ²	0.15	8×0.2	8×0.15
f_{DO}^*		1	17	60
ϵ_t		0.12	0.5	0.5
t	year	~ 1	3	3
f_T^*		1	3.5	3.5
f^*		1	2×10^4	6×10^4

Table 3: Values of the relevant experimental parameters representative of IAXO, both the *nominal* and *enhanced* ones, based on the considerations explained in section 4. They are compared to the ones representing the CAST vacuum phase result (CAST-I) [59]. Numbers shown for the figures of merit (equation 11) are relative to CAST-I, i. e. $f^* = f/f_{\text{CAST}}$, and are approximate.

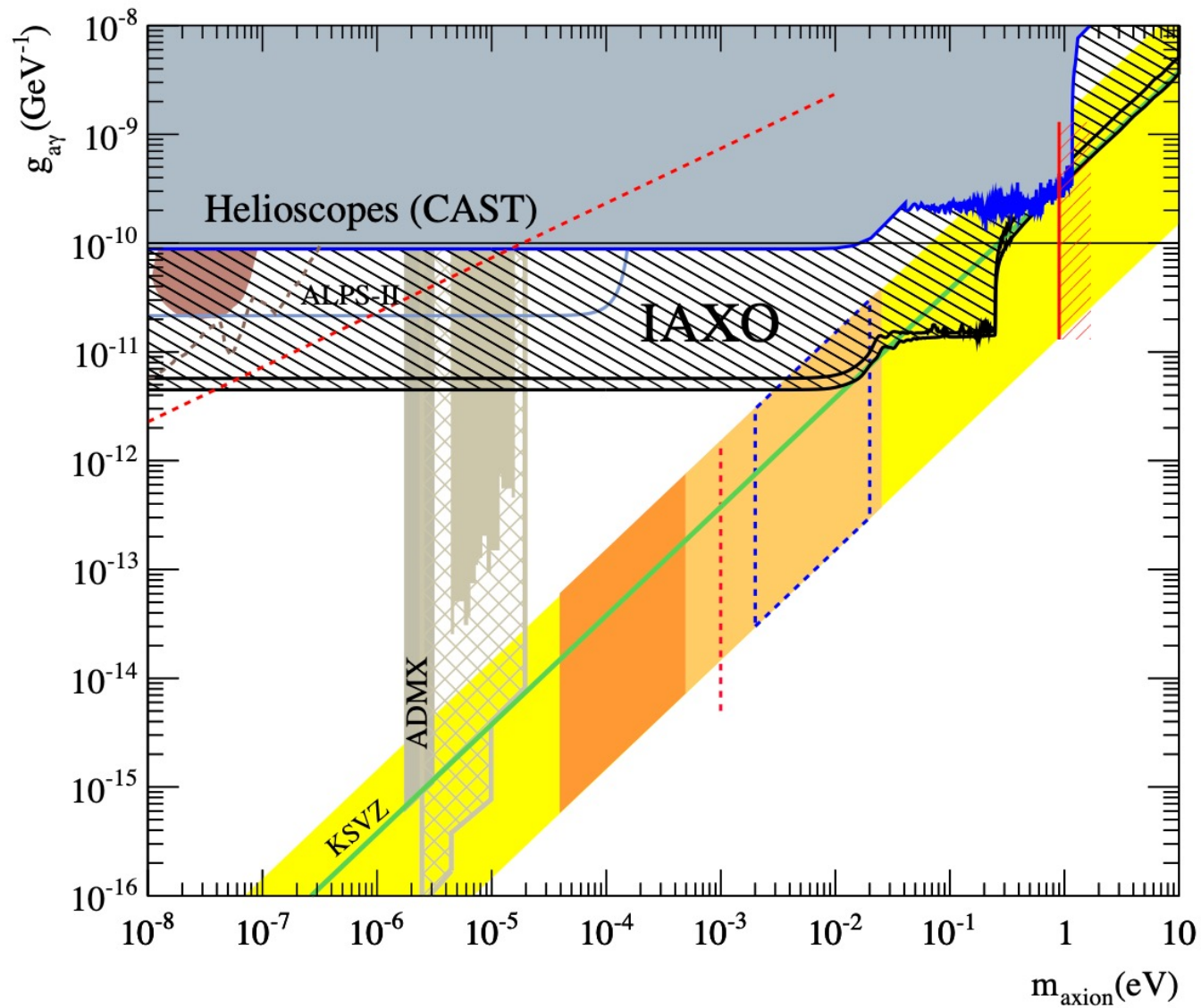
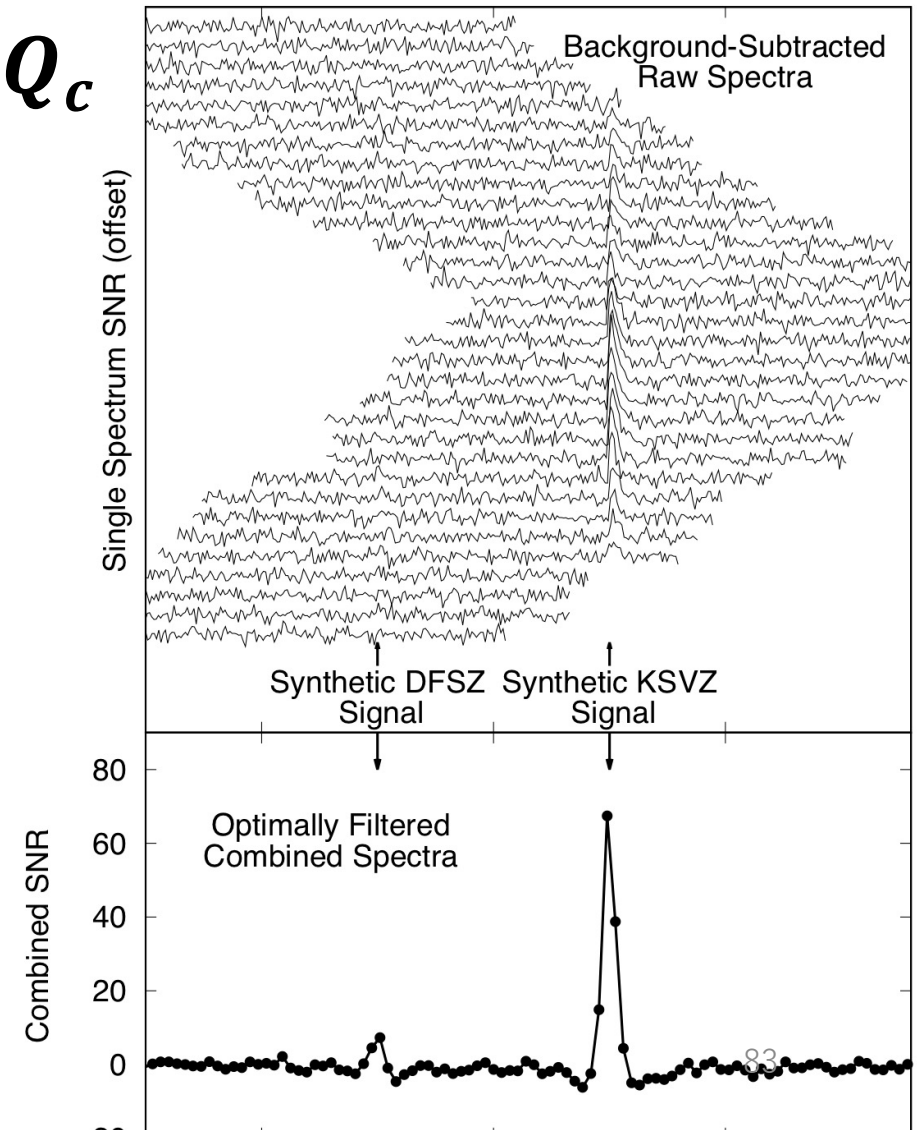
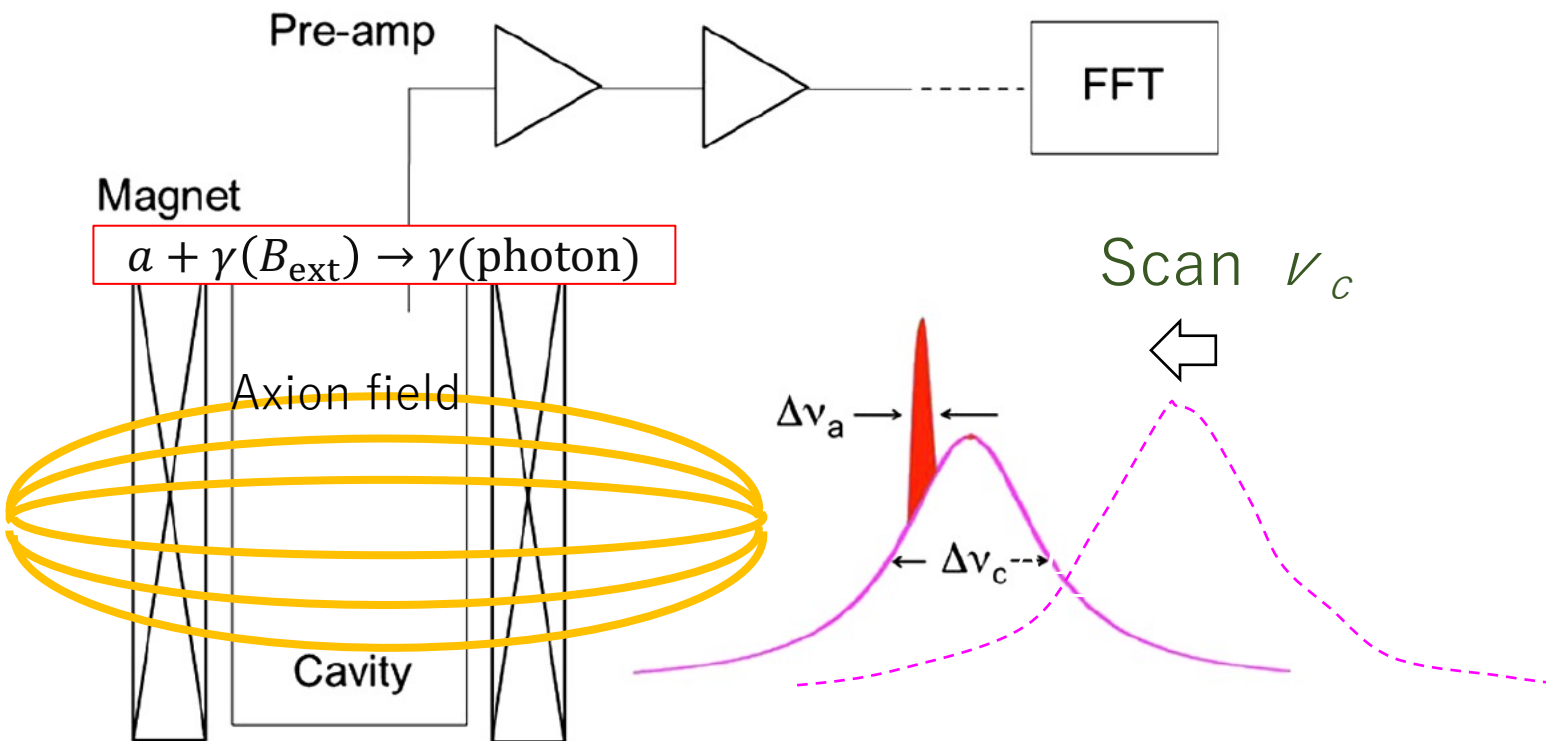


Figure 25: Expected sensitivity of IAXO as explained in the text, compared with current bounds from CAST and ADMX. Also future prospects of ADMX (dashed brown region) and ALPS-II [192] (light blue line) are shown. For the sake of clarity we have removed labels from other bounds or regions. We refer to figure 1 for those.

DM Axion search (Halo scope)

$$\mathcal{L} = -G_a \mathbf{E} \mathbf{B} a$$

$$P = \kappa g^2 V B_0^2 \rho_0 G_{lmn} \frac{1}{m_a} Q_c$$



Halo scope の特徴

- 共振空洞で生じる強制振動を検出
 - $P = \kappa g^2 V B_0^2 \rho_0 G_{lmn} \frac{1}{m_a} Q_c$
 - 信号には Q による増幅があり，熱雑音にはその増幅機能がない。
 - $Q \sim 10^5$
 - 検出器のサイズは，Axion の長い de Broglie 波長の半分程度が，原理的限界となる。
 - これよりキツイのが $G_{lmn} = \frac{(\int dV E_c \cdot B_0)^2}{|B_0|^2 V \int dV E_c^2}$ による制限（後述）
- Axion の質量が分からないので，それにあった共振周波数を探すことになる。
 - 宝探し．運が良い／悪いで人生が変わる

Experimental Tests of the "Invisible" Axion

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(Received 13 July 1983)

Experiments are proposed which address the question of the existence of the "invisible" axion for the whole allowed range of the axion decay constant. These experiments exploit the coupling of the axion to the electromagnetic field, axion emission by the sun, and/or the cosmological abundance and presumed clustering of axions in the halo of our galaxy.

PACS numbers: 14.80.Gt, 11.30.Er, 95.30.Cq

$$\mathcal{L} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu} + \frac{e^2 N}{12\pi^2} \frac{a}{v} F_{\mu\nu}\tilde{F}^{\mu\nu} + \frac{1}{2}\partial_\mu a \partial^\mu a - \frac{1}{2}m_a^2 a^2 [1 + O(a^2/v^2)],$$

where $\tilde{F}^{\mu\nu} = \frac{1}{2}\epsilon^{\mu\nu\alpha\beta}F_{\alpha\beta}$, $F_{\alpha\beta} = \partial_\alpha A_\beta - \partial_\beta A_\alpha$, and where we have assumed grand unification of the strong and electroweak interactions with the unrenormalized $\sin^2\theta_w^0 = \frac{3}{8}$. The action density (4) has

$$\nabla \cdot \vec{E} = \frac{e^2 N}{3\pi^2 v} \vec{B} \cdot \nabla a, \quad \nabla \times \vec{B} - \frac{\partial \vec{E}}{\partial t} = \frac{e^2 N}{3\pi^2 v} \left[\vec{E} \times \nabla a - \vec{B} \frac{\partial a}{\partial t} \right], \quad \square a = \frac{e^2 N}{3\pi^2 v} \vec{E} \cdot \vec{B} - m_a^2 a.$$

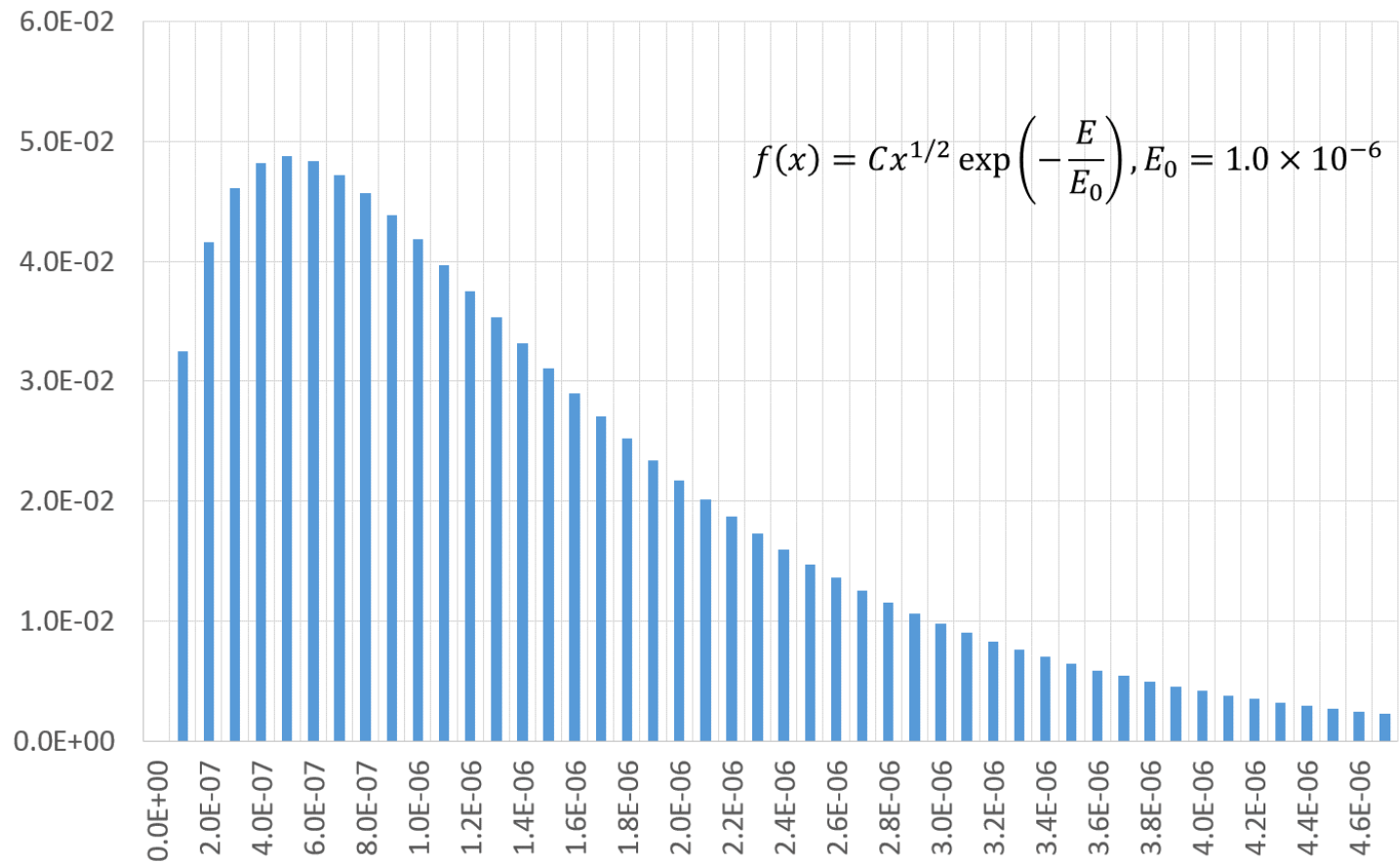
Maxwell eqn. in Vac.

- $\nabla \cdot \mathbf{E} = 0$
- $\nabla \cdot \mathbf{B} = 0$
- $\nabla \times \mathbf{B} = \frac{\partial}{\partial t} \mathbf{E}$
- $\nabla \times \mathbf{E} = -\frac{\partial}{\partial t} \mathbf{B}$

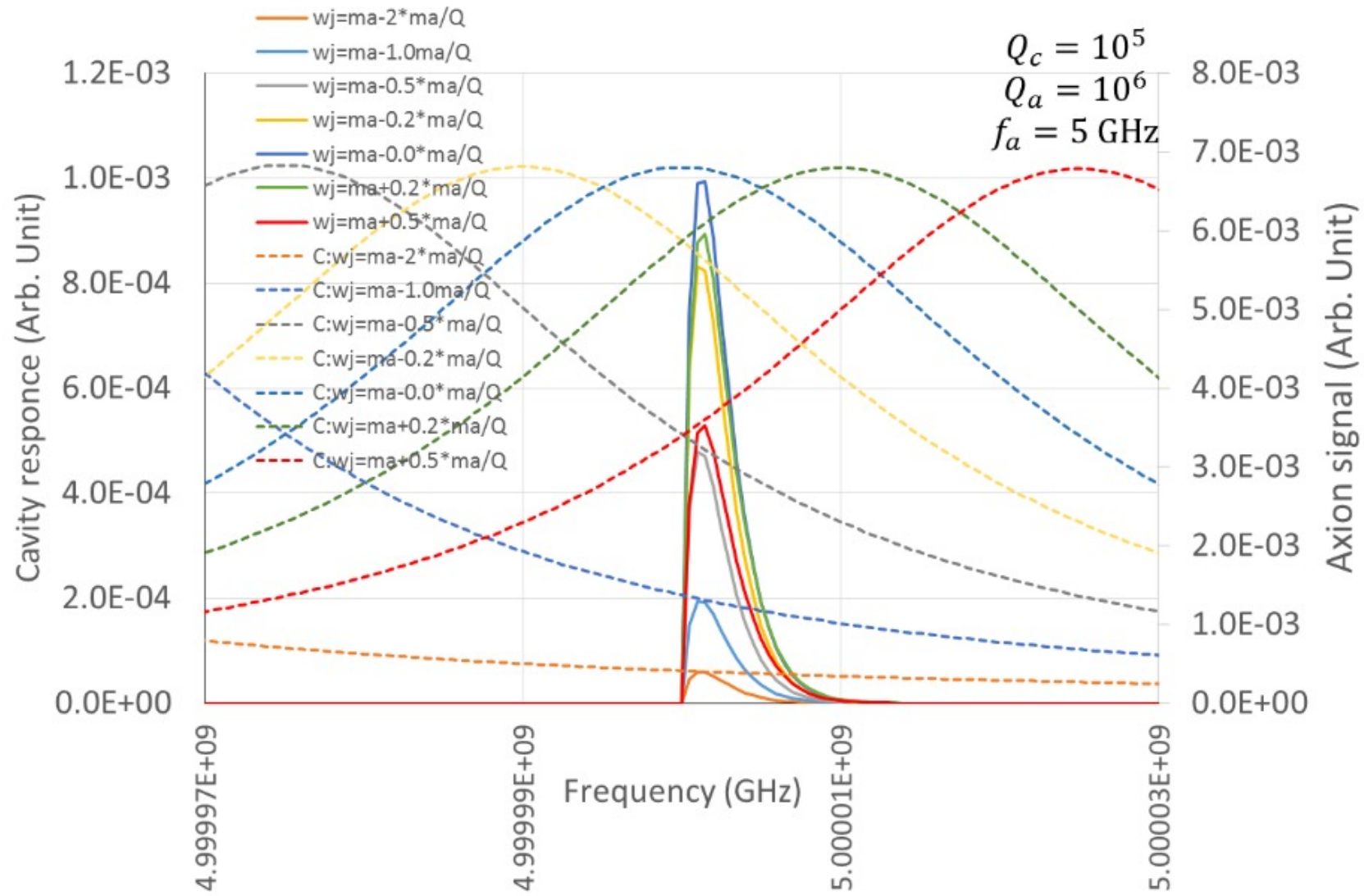
With Axion

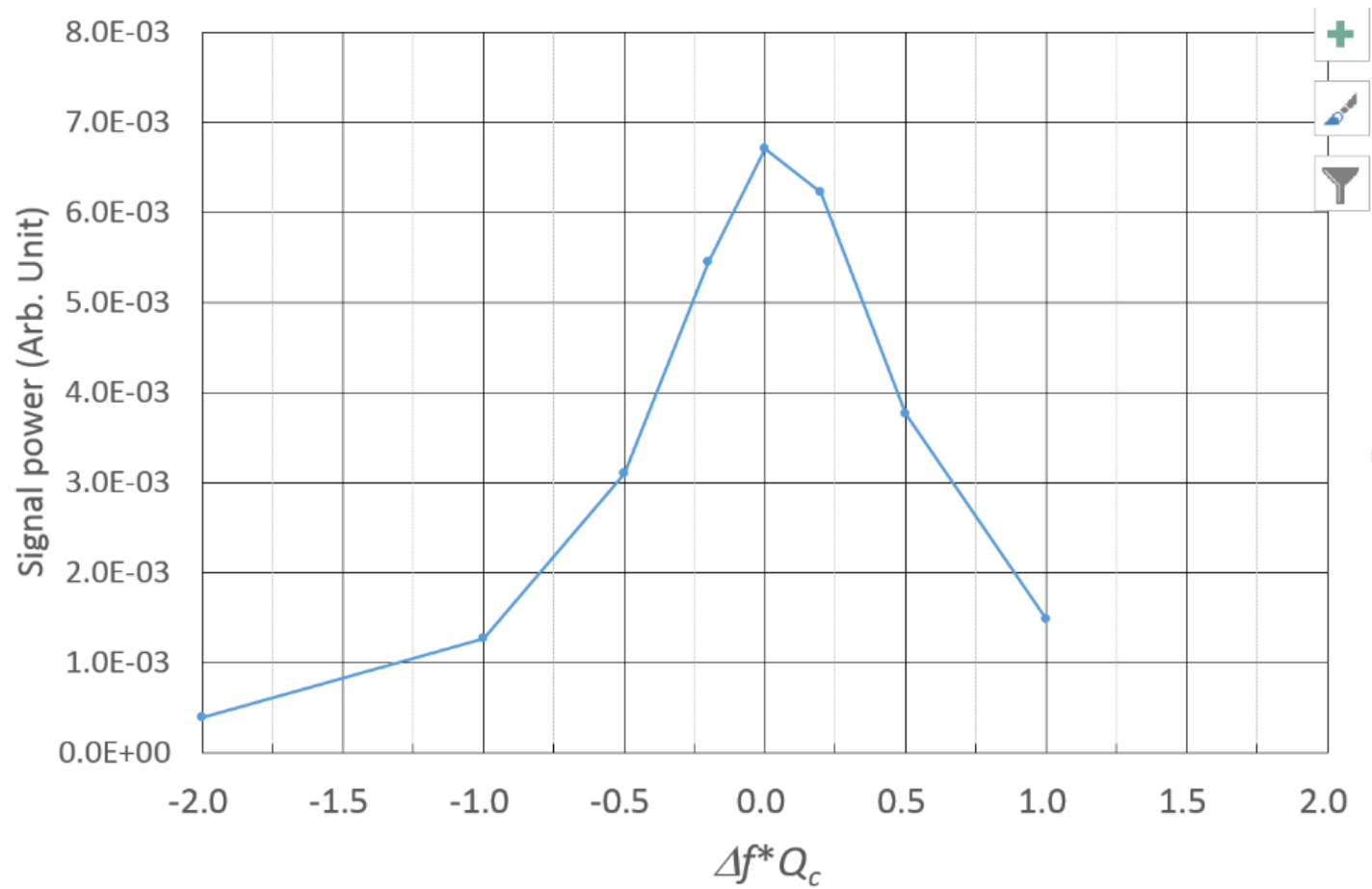
- $\nabla \cdot \mathbf{E} = \kappa \mathbf{B} \cdot \nabla a$
- $\nabla \cdot \mathbf{B} = 0$
- $\nabla \times \mathbf{B} = \frac{\partial}{\partial t} \mathbf{E} + \kappa (\mathbf{E} \times \nabla a - \mathbf{B} \frac{\partial a}{\partial t})$
- $\nabla \times \mathbf{E} = -\frac{\partial}{\partial t} \mathbf{B}$

- $\left(\frac{\partial^2}{\partial t^2} - \Delta \right) a + m^2 a = \kappa \mathbf{E} \cdot \mathbf{B}$
- $\kappa = \frac{e^2 N}{3\pi v}$

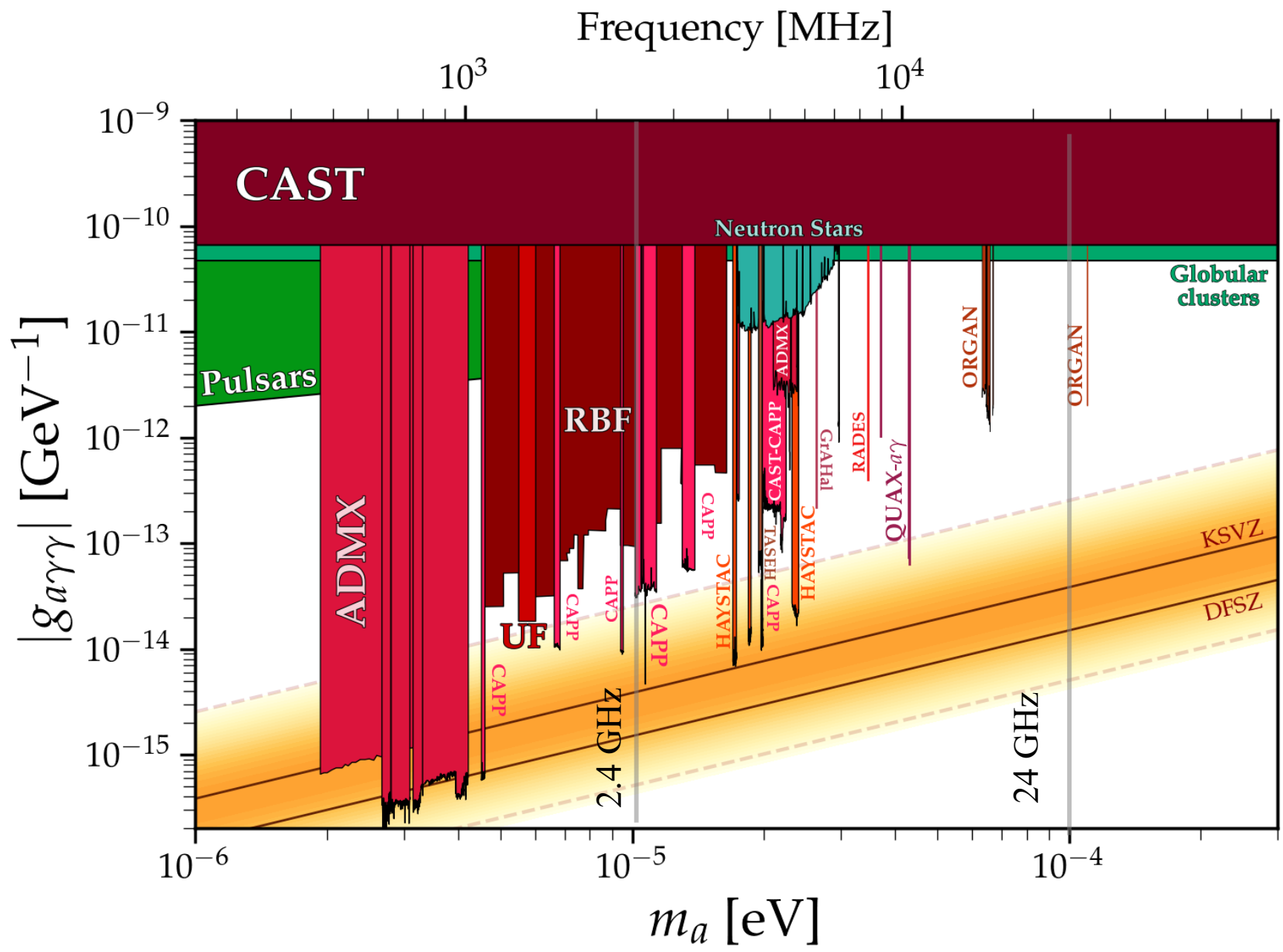


- $\Delta E = \frac{1}{2} m_a \beta^2 \sim 10^{-6} m_a$
- Spectrum may be measured with bandwidth $B \sim \frac{1}{4} \Delta E$.
 - $Q_c \sim \frac{4}{\Delta E} \sim \frac{8}{\beta^{-2}} \sim 10^7$



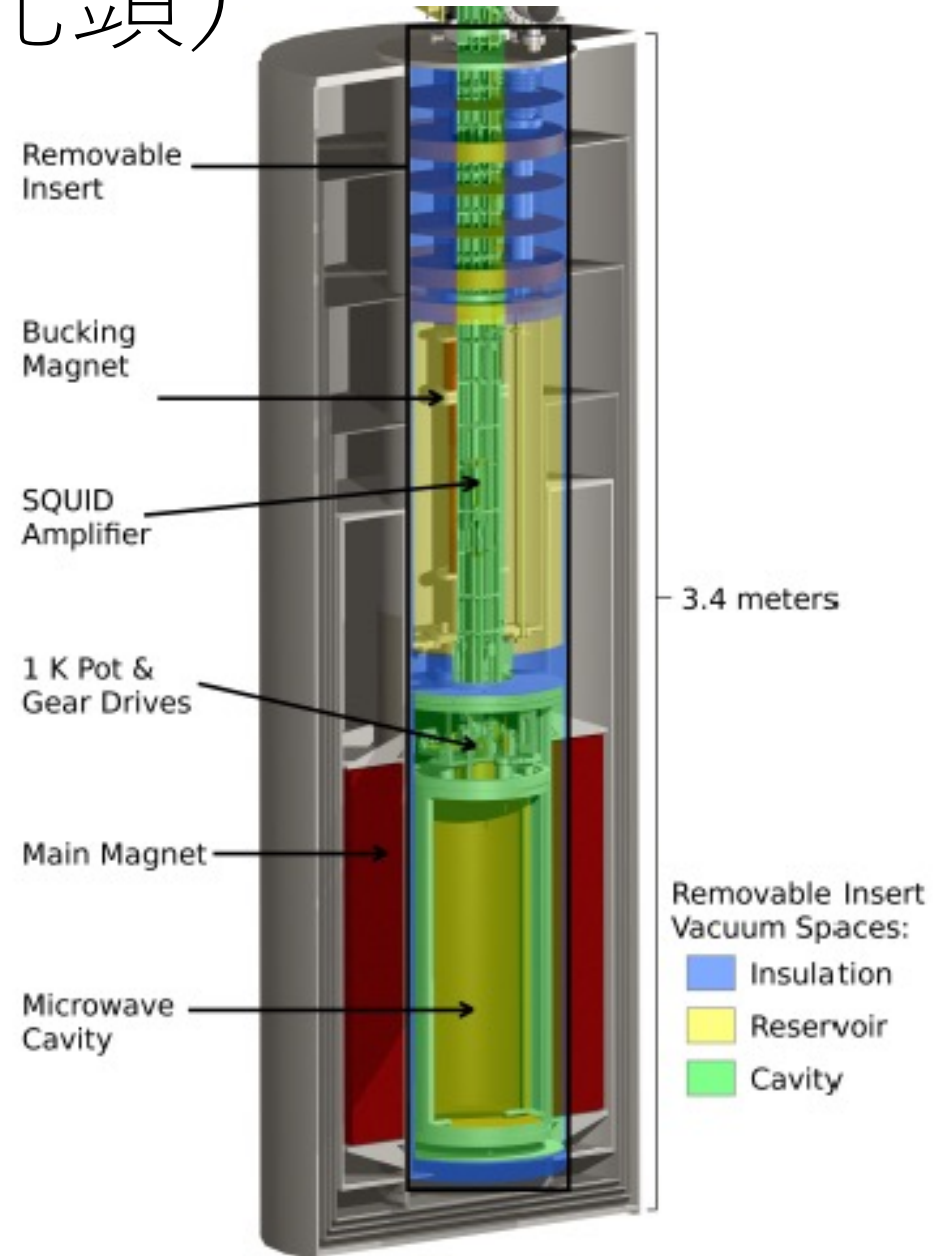


Qを単位にScanするのは荒すぎる。
0.2Q位が適切。



ADMX 実験 (世界の先頭)

- ADMX₀
 - $f=0.3\sim 0.5\text{GHz}$
 - $T=1.3\text{K}$
 - $T_{amp}=2.0\sim 4.0\text{K}$
- ADMX₁
 - $f=0.8\sim 0.9\text{GHz}$
 - $T=2.0\text{K}$
 - $T_{amp}=1.0\sim 4.0\text{K}$



雑音が検出限界を決める.

- アンプ雑音と熱輻射光子

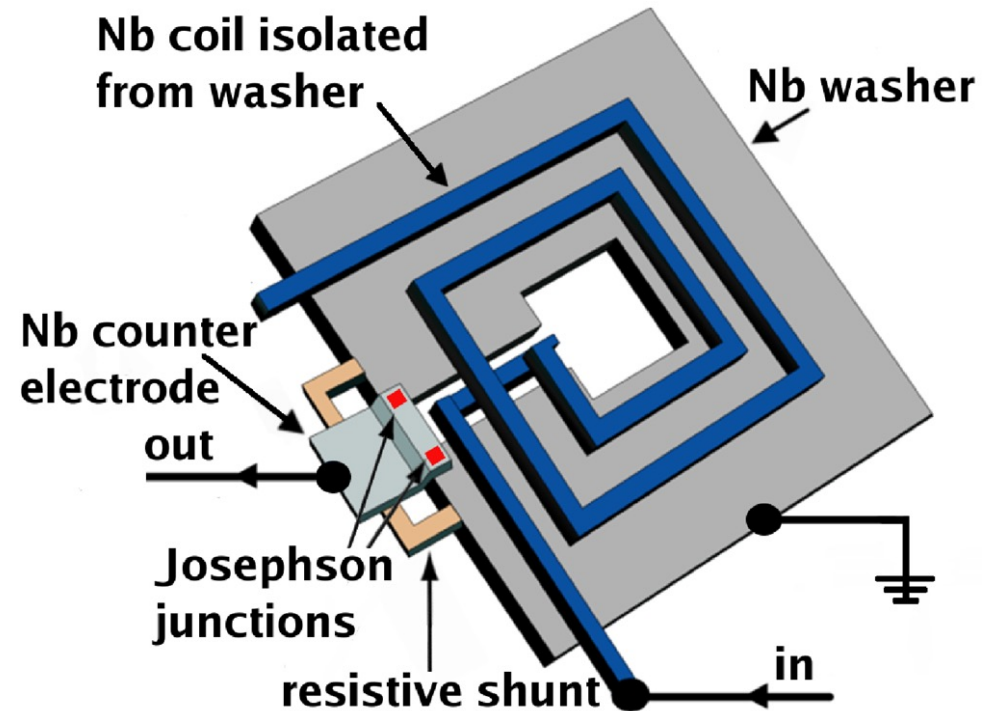
コンベンショナルなアンプでKSVZに到達は可能

更に上に行くには，希釈冷凍機と量子センサーを使用

- SQUID, JPA など

- Experimental issues:

- Amplifier noise
- Background photons
 - Blackbody radiation
 - Galactic photons
- Cavity resonance frequency



Asztalos 他 PRL 104, 041301 (2010)

Dicke radiometer

The Measurement of Thermal Radiation at Microwave Frequencies

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(Received April 15, 1946)

The connection between Johnson noise and blackbody radiation is discussed, using a simple thermodynamic model. A microwave radiometer is described together with its theory of operation. The experimentally measured root mean square fluctuation of the output meter of a microwave radiometer (0.4°C) compares favorably with a theoretical value of 0.46°C . With an r-f band width of 16 mc/sec., the 0.4°C corresponds to a minimum detectable power of 10^{-16} watt. The method of calibrating using a variable temperature resistive load is described.

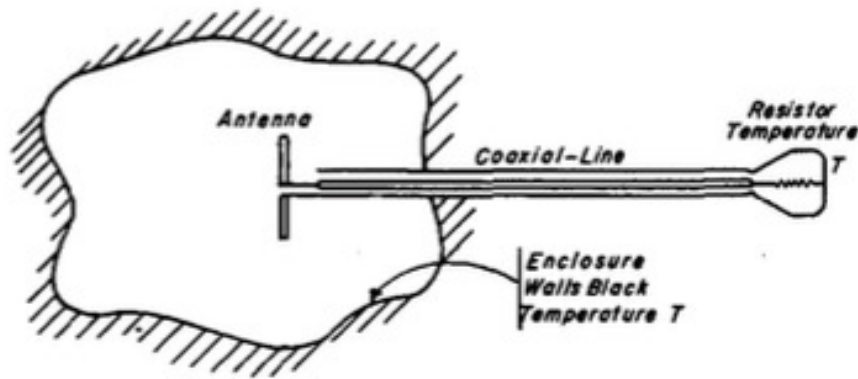


FIG. 1. Antenna system in black enclosure.

$$kT_{sys} = P_{sys}(\nu)$$

$$\sigma = \frac{T_{sys}}{\sqrt{N}} = \frac{T_{sys}}{\sqrt{\Delta f \tau}}$$

- $\frac{S}{N} = \frac{P_a}{P_n} \sqrt{\Delta\nu t}$

- $= \frac{P_a}{kT_{sys}} \sqrt{\frac{t}{\Delta f}}$

- Narrow band Δf

- Longer integration t

- Signal P_a can be found with bandwidth Δf in integration time t .

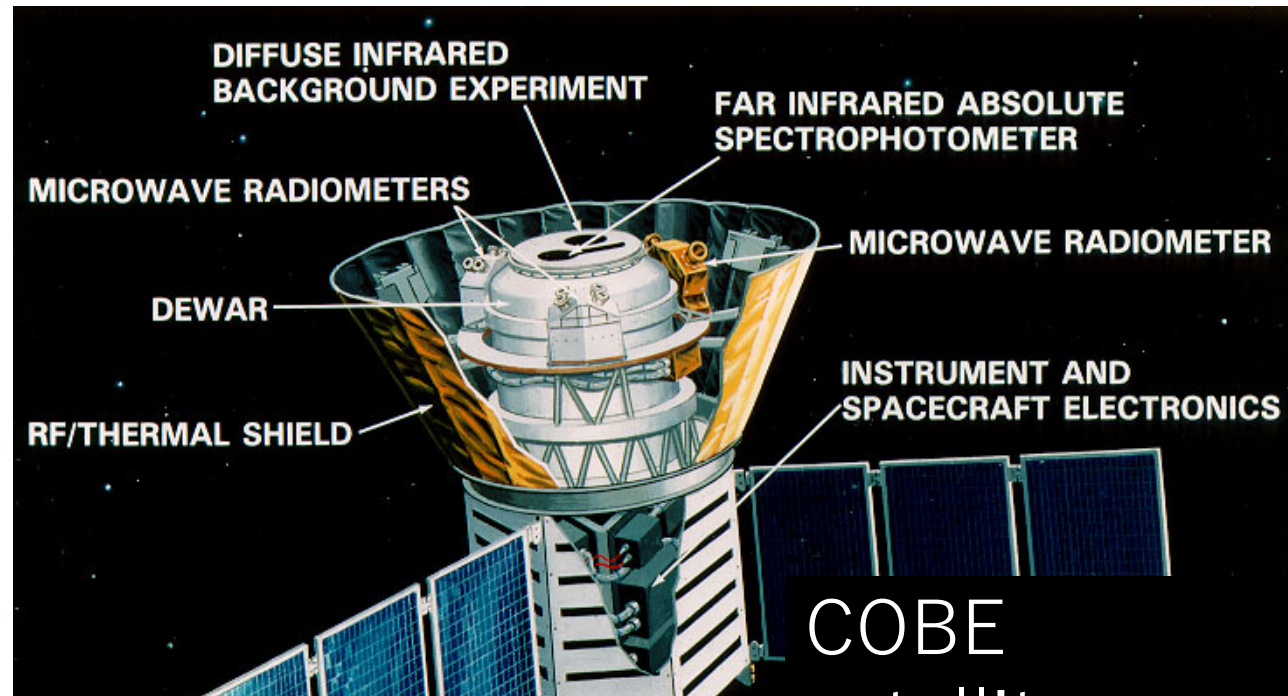
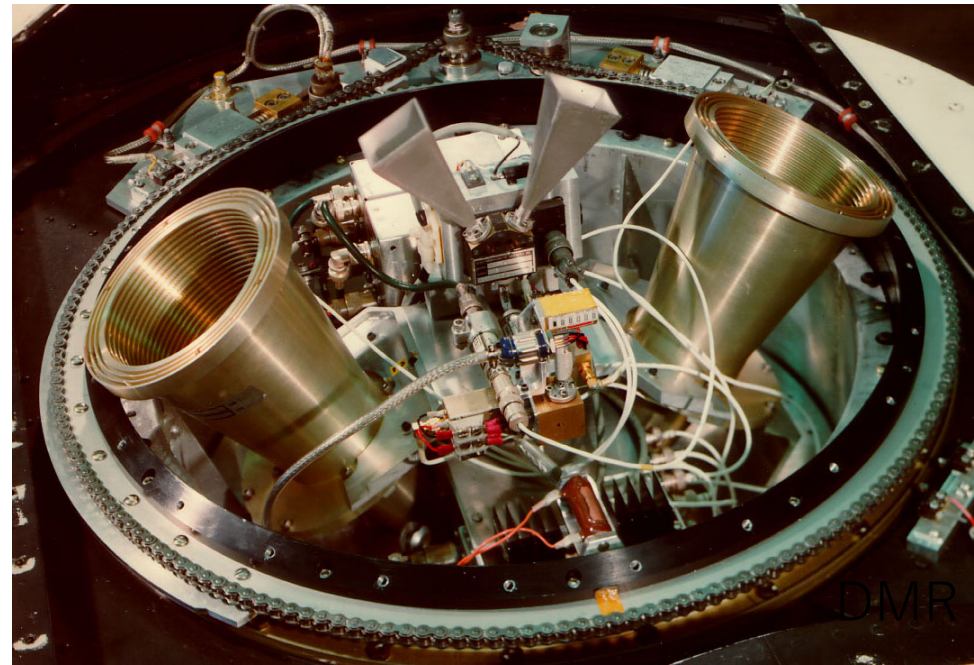
- $t = \left(\frac{S}{N}\right)^2 \left(\frac{kT_{sys}}{P_a}\right)^2 \Delta f$

- In axion case, $\Delta f = f_a/Q_a$ and $P_a \propto Q_c$, then $t \propto Q_c^{-2}$

- If we search for axion, its mass is unknown, so assume search ΔF around f_a , the scan rate $\frac{\Delta F}{\Delta t} = \frac{\Delta F}{Q_c} \frac{1}{t} \propto Q_c$.

- Larger Q_c always helps.

- $T_{abs} = 2.725 \pm 0.002$ K
 - By FIRIS
- $\Delta T = 36 \pm 5$ μ K at 7 deg.
- $\Delta T = 30.5 \pm 2.7$ μ K at 10 deg.
 - By DMR



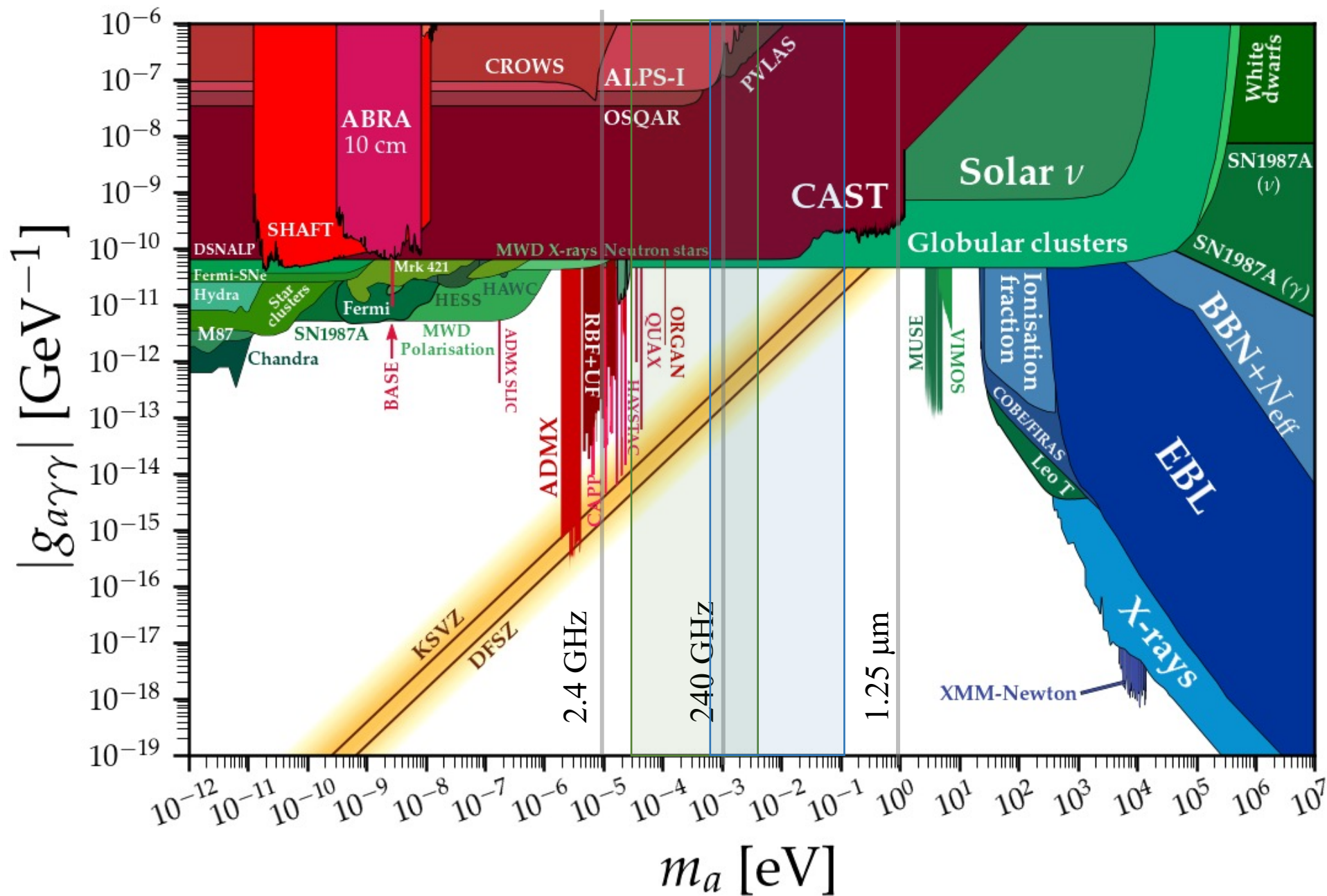
広範囲でのアクシオン探索（宝探しの場所）

低周波数側

- 空洞サイズで決まる
 - 大きなマグネットは容易でない。
- 熱雑音が厳しい
 - $g_{a\gamma\gamma}$ が小さくなる上、熱雑音は $e^{-\frac{E}{kT}}$
- 質量が小さいと、Over production するが、これを逃れる理論もある。

高周波数側

- 理論サイドから、高い周波数が好まれている。
 - PDB : $m_a \approx 25 \mu\text{eV} \sim 4.4 \text{ meV}, 0.58 - 130 \text{ meV}$
- $G_{lmn} = \frac{(\int dV E_c \cdot B_0)^2}{|B_0|^2 V \int dV E_c^2}$ の制約



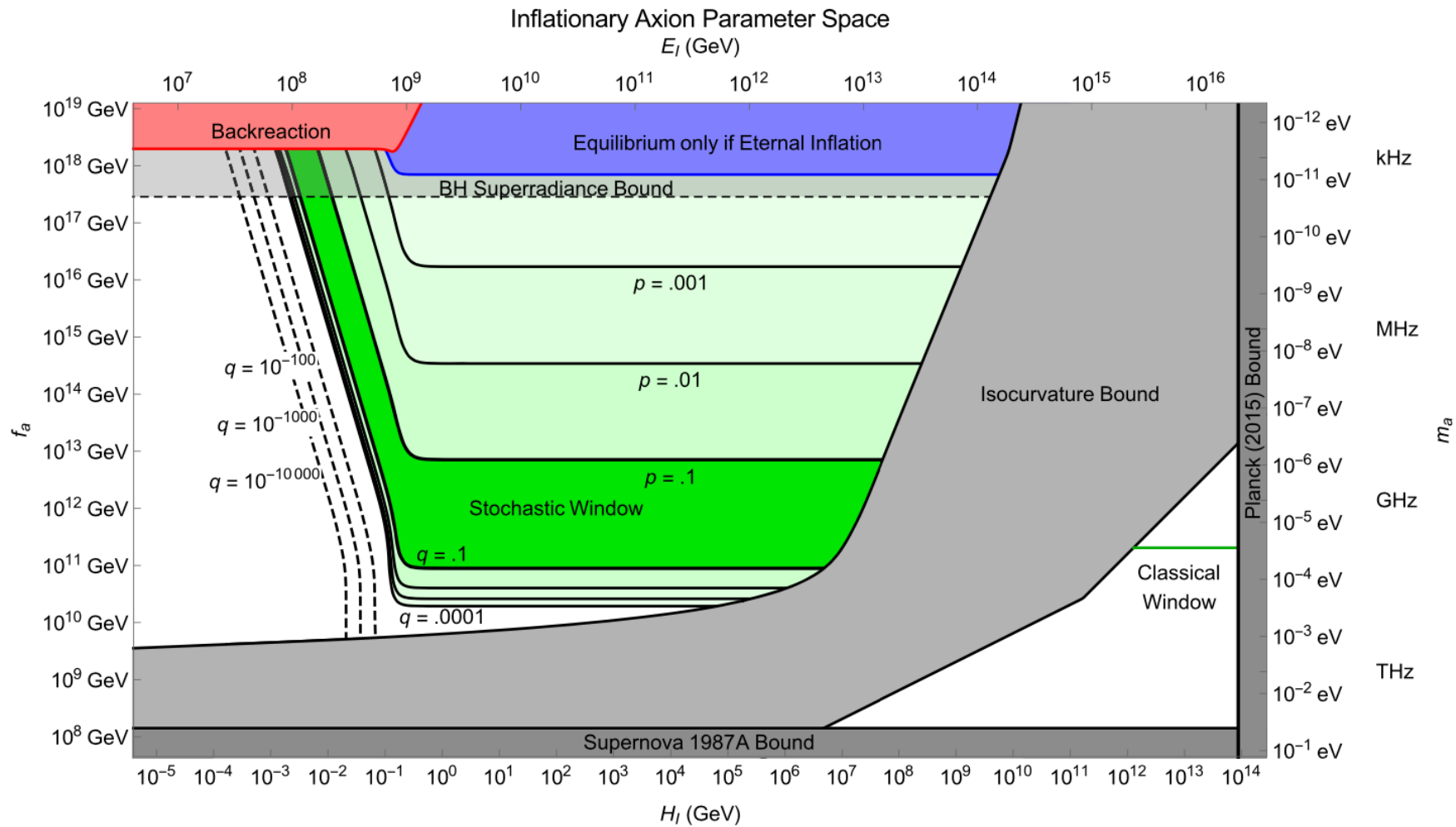
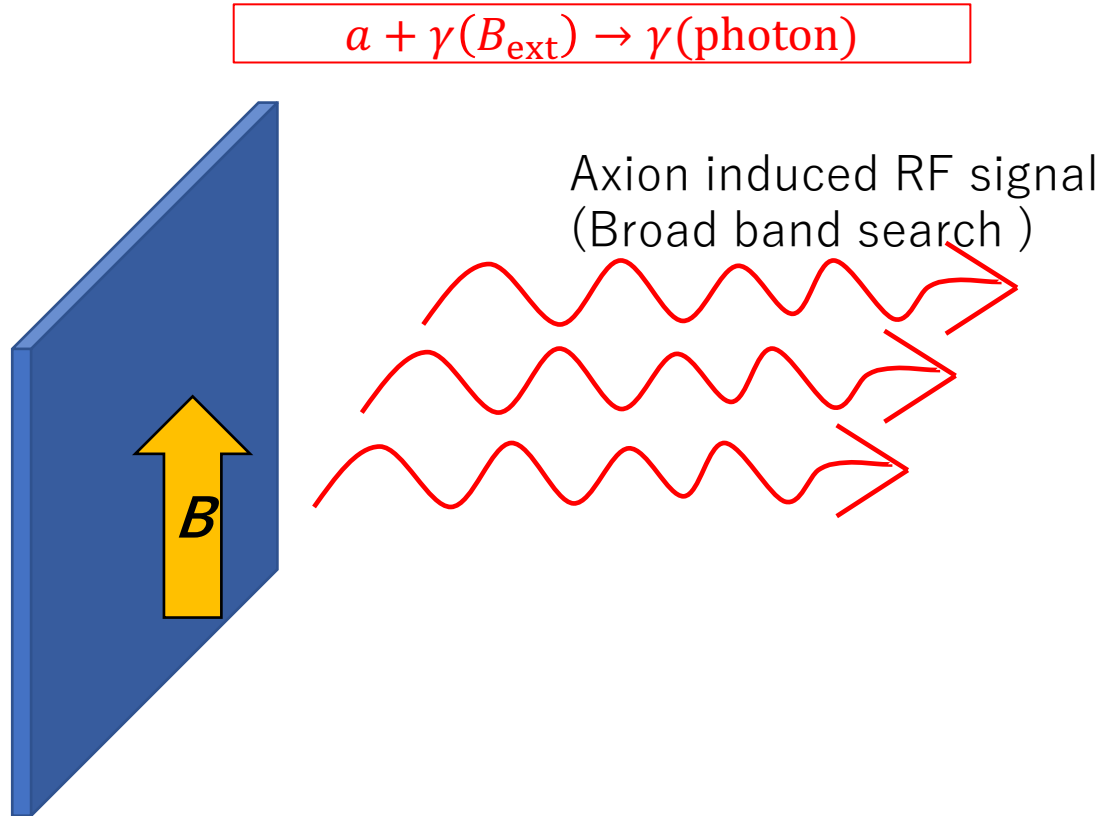


FIG. 2. Parameter space for the QCD axion dark matter, assuming a long enough period of inflation that the axion reaches equilibrium as described in the text. Axes are axion decay constant f_a (left) and mass m_a (right, inverted), Hubble scale of inflation H_I (bottom), and inflationary energy scale $E_I = (3H_I^2 M_p^2)^{1/4}$ (top). In the large green region, the observed dark matter density is a typical density to get from our axion equilibrium distribution ($p > .1$ and $q > .1$). Smaller values of p and q are shown as solid and dashed contours around this region. At near-Planckian f_a , the axion’s behavior changes: in the pink region, backreaction effects become significant and force $\theta \rightarrow \pi$; in the blue region, the distribution does not reach equilibrium and depends on initial conditions, except in eternal inflation. At high H_I and low f_a is the classical window, where PQ symmetry breaks and produces axions after inflation. The thin green line shows the standard value of f_a where this production matches the observed dark matter density. Observational constraints are shown in gray: isocurvature from the CMB spectrum, a lower bound on f_a from supernova 1987A, black-hole superradiance, and an upper bound on H_I from the Planck 2015 constraint on r .

Dish antenna



Dish antenna

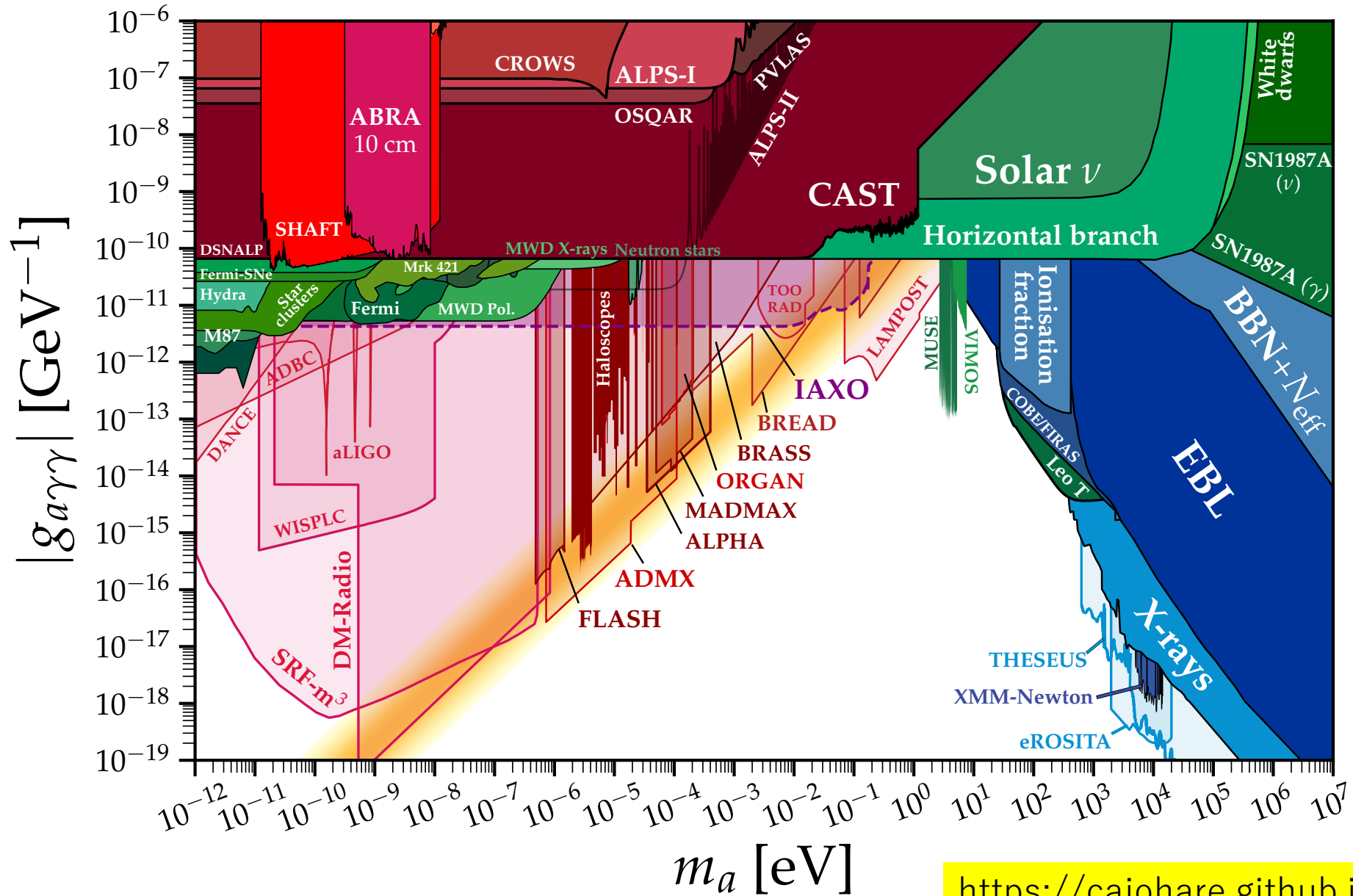
$$P_{Dish} = \kappa g^2 B_0^2 \rho_0 \frac{1}{m_a^2} A$$

Halo scope

$$P_{HS} = \kappa g^2 V B_0^2 \rho_0 G_{lmn} \frac{1}{m_a} Q_c$$

$$Q_c \approx A / \lambda_a^2 \sim 10^4 \left(\frac{A (\text{m}^2)}{\lambda (\text{cm})} \right) = 10^4 \left(A (\text{m}^2) \frac{\nu (\text{GHz})}{30 \text{ GHz}} \right),$$

Many project to search for axion



ALP と HP

- 実験的には
 - Axion と ALP は原理的には同じ
 - HP は磁場なしで OK
- 理論的には,
 - Axion は QCD
 - ALPs と HP は String
 - 10次元時空を4次元にコンパクト化する際にストリングアクシオンが現れる.
 - 典型的には $f_a \sim 10^{16}$ GeV
 - 光子と結合するものを ALPs と呼ばれる
 - HP は, 軽い U (1) が出る理論

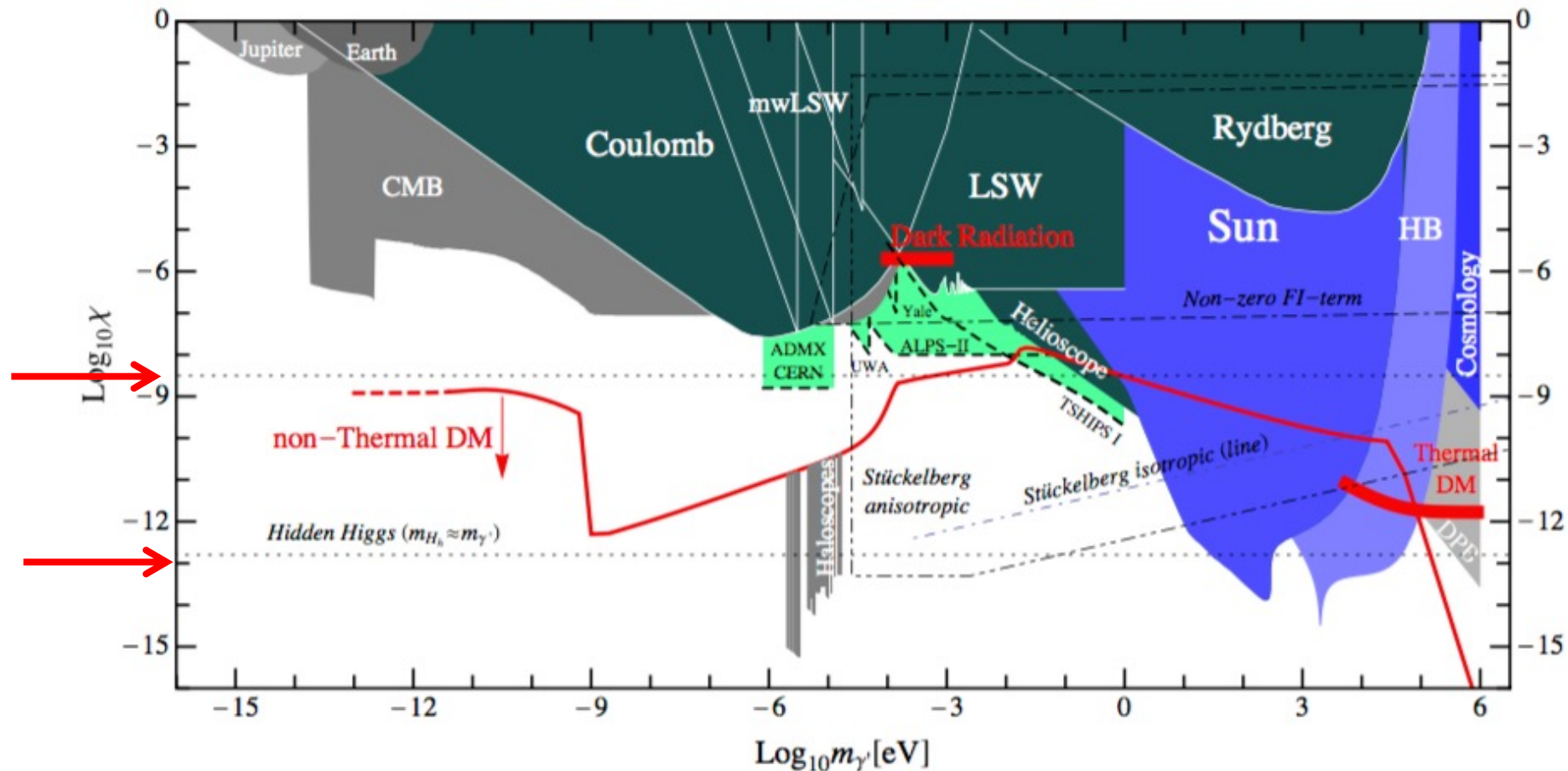


Fig. 4. Kinetic mixing parameter vs. hidden photon mass (adapted from Refs. [2,3,27]). Coloured regions are: experimentally excluded regions (dark green), constraints from astronomical observations (grey) or from astrophysical or cosmological arguments (blue), and sensitivity of planned experiments (light green). Shown in red are boundaries where the hidden photon would account for all cold dark matter produced either thermally or non-thermally by the vacuum-realignment mechanism or where the hidden photon could account for the hint of dark radiation during the CMB epoch. The regions bounded by dotted lines show predictions from string theory corresponding to different possibilities for the nature of the hidden photon mass: Hidden-Higgs, a Fayet-Iliopoulos term, or the Stückelberg mechanism. In general, predictions are uncertain by factors of order one. (For interpretation of the references to colour in this figure legend, the reader is referred to the web version of this article.)

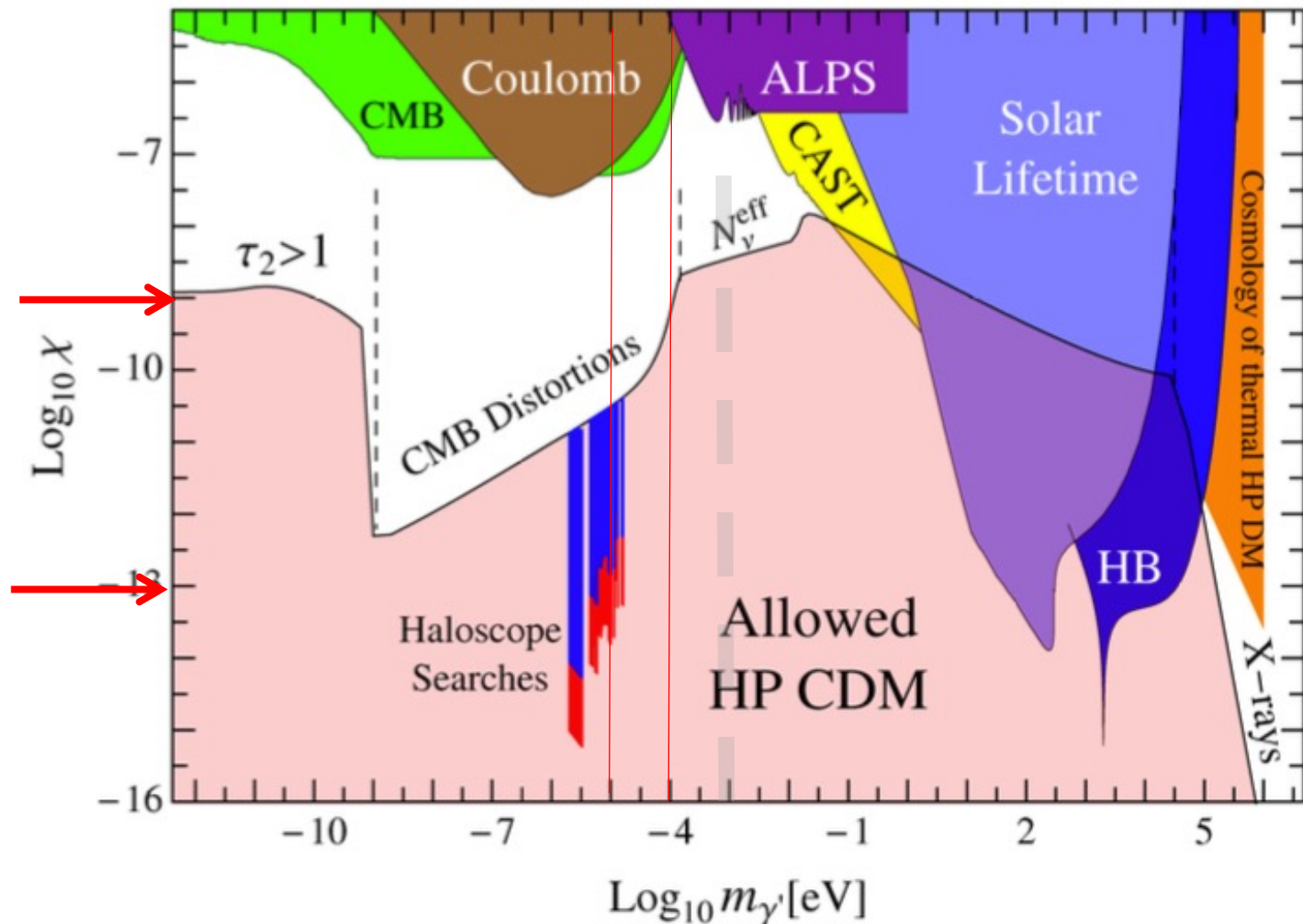


Figure 5. Allowed parameter space for hidden photon cold dark matter (HP CDM) (for details see text). The exclusion regions labelled “Coulomb”, “CMB”, “ALPS”, “CAST” and “Solar Lifetime” arise from experiments and astrophysical observations that do not require HP dark matter (for a review see [38]). We also show constraints on the “cosmology of a thermal HP DM”. Note that only constraints on HPs with masses below twice the electron mass are shown since otherwise the cosmological stability condition requires unreasonably small values of the kinetic mixing, χ . The four constraints that bound the allowed region from above, “ $\tau_2 > 1$ ”, “CMB distortions”, “ N_ν^{eff} ” and “X-rays” are described in the text.

まとめ

- 暗黒物質についての基礎的な事柄
 - どこにどんな風にあるのか
- Axion
 - 実験的探索の原理など
- Axionの他 (ALPsとHP)